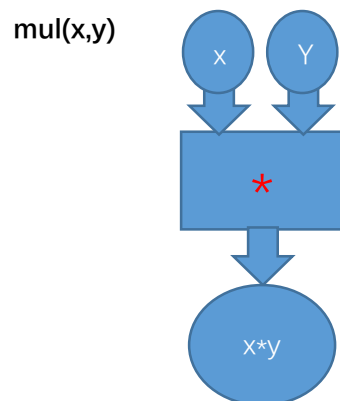
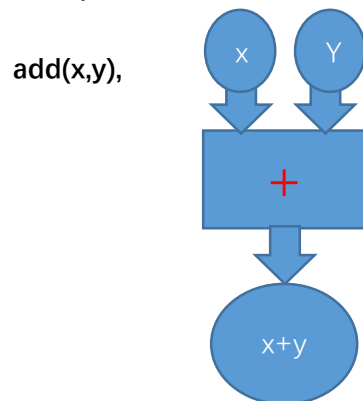


ICS_HW01_solutions

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1.

To type conveniently ,I use the following forms to describe the addition and multiplication illustration.



- a. $\text{add}(\text{mul}(a,x),b)$
- b. $\text{mul}(1/4,\text{add}(\text{add}(x,y),\text{add}(w,z)))$
- c. $\text{mul}(\text{add}(a+b),\text{add}(a+b))$
- d. $\text{mul}(\text{mul}(a,a),\text{mul}(\text{mul}(a,a),\text{mul}(a,a)))$
- e. here ,I can combine the two operation : $\text{adml}(a,b,c)$ as $\text{add}(\text{mul}(a,b),c)$
so the answer is
 $\text{adml}((\text{adml}(\text{adml}(x,a,b),x,c),x,d)$

2.

- a. No. Because the algorithm must be definite and accrue.
- b. No. Because algorithm must be executed in limited time and space.
- c. Yes.
- d. No. There is probability that the steps continue to execute.
- e. No. There is probability that the steps continue to execute.

3.

- a. nine digits.
- b. 112.

4.

- a. 0111 1111 , 127
- b. 1000 0000 , -128
- c. $2^n - 1$
- d. -2^n

5.

- a. 1111 1010
- b. 0001 1001
- c. 1111 1000
- d. 0000 0001

6.

- a. $01 + 1011 = 1100 = -4$
- b. $11 + 01010101 = 01011000 = 88$
- c. $0101 + 110 = 1011 = -5$
- d. $01 + 10 = 11 = -1$

7.

- a. when the result's carry digit of the highest weight is different with the symbol digit.
- b. eg. 1000 0000 0000 0000 and 1000 0000 0000 0000
- c. Because the n-digit 2's complement integer's is $-2^n \sim 2^n - 1$.And the addition of a positive number and a negative number is in that span.

8.

- a. 0111
- b. 1000
- c. 1101
- d. 0110

9.

- a. x5468
- b. x1204
- c. xFFFF
- d. x32B3

10.

- a. 63
- b. $4^n - 1$
- c. $(023)_4 + (221)_4 = (310)_4 = (52)_{10}$

d. $(42)_{10} = (222)_4$

e. $(123.3)_4 = (011011.11)_2$

f. $0.1101111e5$

g. 7: and, or, xor, add, sub, mul, ~