

Experiment:4

INTRODUCTION TO SYMBOLIC COMPUTING

(NumPy and SimPy)

1. Write a function in Python that generates a (10x10) matrices with entries as $a_{ij} = (i + j)^2$ with i and j are random integers from 0 to 4 (where the user provides these entries as input). Additionally, within the same function, select a square sub matrix of order (5×5) from the generated matrix of random order, and then compute the result of the square of that sub matrix.

Solution:

```
1 random_start=int(input())
2 random_end=int(input())
3 order=int(input())
4 def rand_matrix(random_start,random_end,order):
5     A=np.zeros((order,order))
6     for i in range(0,9):
7         for j in range(0,9):
8             n3=np.random.randint(random_start,random_end)
9             n4=np.random.randint(random_start,random_end)
10            A[i,j]=np.round(((n3+n4)**2)/2,decimals=4)
11    n5=np.random.randint(1,5)
12    n6=np.random.randint(1,5)
13    sub_mat=A[n5:n5+5,n6:n6+5]
14    matrix_mul=np.round(np.matmul(sub_mat,sub_mat),decimals=4)
15    print(matrix_mul)
16 rand_matrix(random_start,random_end,order)
```

2. Define the following function in the variables x and y

1. $f(x) = 2\sin^2(x) + \log(x)$ and evaluate f when $x = 10$ and $x = \pi$
2. Find the derivative of $\sin(x) + x^3 + 2x + \cos(4x)$
3. $g(x,y) = \frac{x^2}{y} + \frac{y^3}{x+y}$ and evaluate g when $x = -2$ and $y = -7$.

Solution:

```
1 import sympy as sp
2 from sympy import I,pi,oo
3 x=sp.Symbol("x")
4 y=sp.Symbol("y")
5 #1
6 f=2*(sp.sin(x))**2+sp.log(x)
7 print(f)
8 values1={x:10}
9 print(sp.N(f.subs(values1)))
10 values2={x:pi}
11 print(sp.N(f.subs(values2)))
12 #2
13 expr=sp.sin(x)+x**3+2*x+sp.cos(4*x)
14 expr
15 der=expr.diff(x)
16 #3
17 g=x**2/y+y**3/(x+y)
18 g
19 values3={x:-2,y:-7}
20 print(sp.N(g.subs(values3)))
```