# **Person Identification:**

Face Recognition & Person Re-Identification

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#### **Outline**

- Face Recognition
  - Applications
  - Classification
  - Metric Learning
  - Hard Sample Mining
- Person Re-Identification
  - Applications
  - Feature Alignments
  - o ReID with Pose Estimation

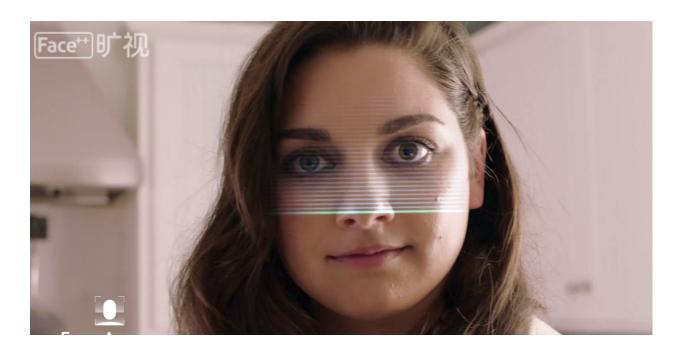








Mobile Phone





• City Brain



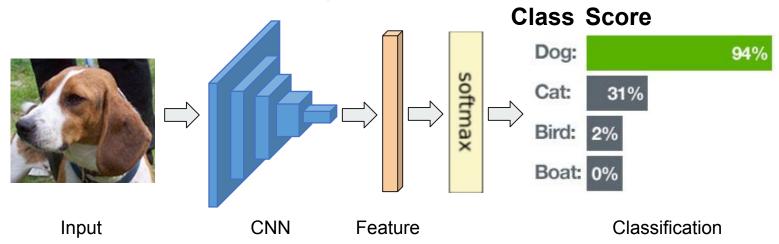


New Retail

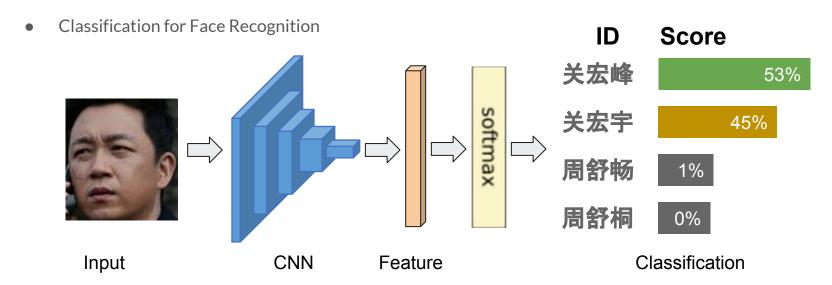




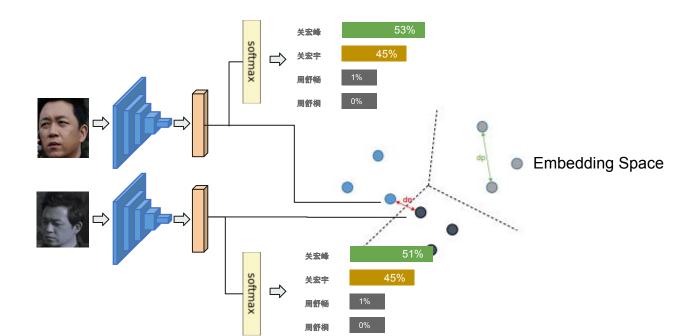
• General Classification in Deep Learning













Softmax

oftmax
$$L_{s} = \frac{1}{N} \sum_{i=1}^{N} -\log p_{i} = \frac{1}{N} \sum_{i=1}^{N} -\log \frac{e^{f_{y_{i}}}}{\sum_{j=1}^{C} e^{f_{j}}}$$

$$f_{j} = W_{j}^{T} x_{i} + b_{j}$$

$$-\log \left( \frac{e^{\|W_{y_{i}}\| \|x_{i}\| \cos(\theta_{y_{i}})}}{\sum_{j} e^{\|W_{j}\| \|x_{i}\| \cos(\theta_{j})}} \right)^{-100}$$

$$-100 -50 0 50 100$$



• L-Softmax  $L_{s} = \frac{1}{N} \sum_{i=1}^{N} -\log p_{i} = \frac{1}{N} \sum_{i=1}^{N} -\log \frac{e^{fy_{i}}}{\sum_{j=1}^{C} e^{f_{j}}}$   $\|W_{1}\|\|x\| \cos(\theta_{1}) \geq \|W_{1}\|\|x\| \cos(\theta_{1})$   $> \|W_{2}\|\|x\| \cos(\theta_{2}).$   $-\log \left(\frac{e^{\|W_{y_{i}}\|\|x_{i}\|\psi(\theta_{y_{i}})}}{e^{\|W_{y_{i}}\|\|x_{i}\|\psi(\theta_{y_{i}})} + \sum_{j \neq y_{i}} e^{\|W_{j}\|\|x_{i}\|\cos(\theta_{j})}\right) -200$ 

200



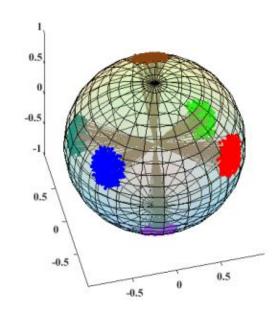
A-Softmax (SphereFace)

$$L_s = \frac{1}{N} \sum_{i=1}^{N} -\log p_i = \frac{1}{N} \sum_{i=1}^{N} -\log \frac{e^{f_{y_i}}}{\sum_{j=1}^{C} e^{f_j}}$$

Normalize weights

$$e^{\|\boldsymbol{x}_i\|\psi(\theta_{y_i,i})}$$

$$-\log\Big(\frac{e^{\|\boldsymbol{x}_i\|\psi(\boldsymbol{\theta}_{\boldsymbol{y}_i,i})}}{e^{\|\boldsymbol{x}_i\|\psi(\boldsymbol{\theta}_{\boldsymbol{y}_i,i})} + \sum_{j \neq y_i} e^{\|\boldsymbol{x}_i\|\cos(\boldsymbol{\theta}_{j,i})}}\Big)$$



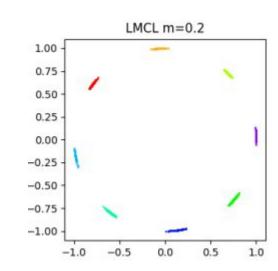


• Large Margin Cosine Loss (CosFace)

$$L_s = \frac{1}{N} \sum_{i=1}^{N} -\log p_i = \frac{1}{N} \sum_{i=1}^{N} -\log \frac{e^{f_{y_i}}}{\sum_{j=1}^{C} e^{f_j}}$$

Normalize weights
Normalize features
Replace angular margin by cosine margin

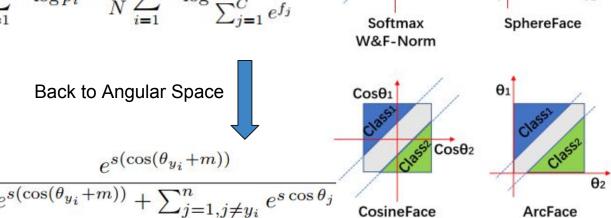
$$-\log \frac{e^{s(\cos(\theta_{y_i,i})-m)}}{e^{s(\cos(\theta_{y_i,i})-m)} + \sum_{i \neq y_i} e^{s\cos(\theta_{j,i})}}$$





ArcFace

$$L_s = \frac{1}{N} \sum_{i=1}^{N} -\log p_i = \frac{1}{N} \sum_{i=1}^{N} -\log \frac{e^{f_{y_i}}}{\sum_{j=1}^{C} e^{f_j}}$$



Cos<sub>0</sub>1

Cos<sub>02</sub>

Class<sub>2</sub>

 $\theta_2$ 

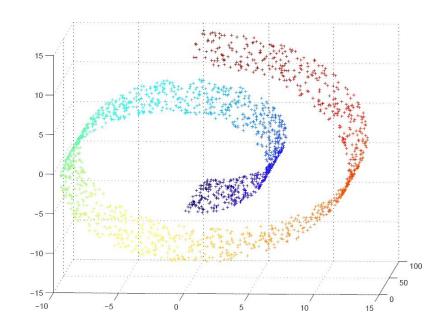


- Paradox
  - Classification can only discriminate the "seen" objects
- To recognize "unseen" objects
  - The similarity of the features learned in classification
  - Similar Classification Probability to Closer Feature Distance
- Beyond Softmax
  - Large Margin Cosine Loss is effective and easy to train



### From Classification to Metric Learning

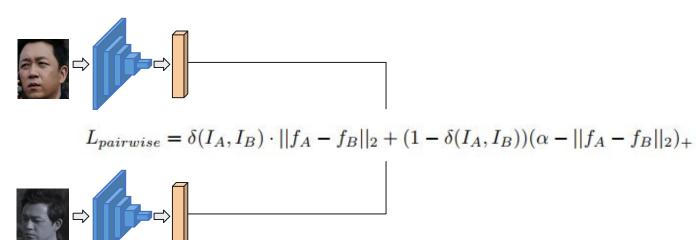
- Directly train model from Loss of feature distances
  - Learn a function that measures how similar two objects are
  - Compared to classification which works in a closed-word, metric learning deals with an open-world.
  - Metric Learning can be done together with Classification





### **Metric Learning: Contrastive Loss**

- δ is Kronecker Delta
- a is the margin for different identities





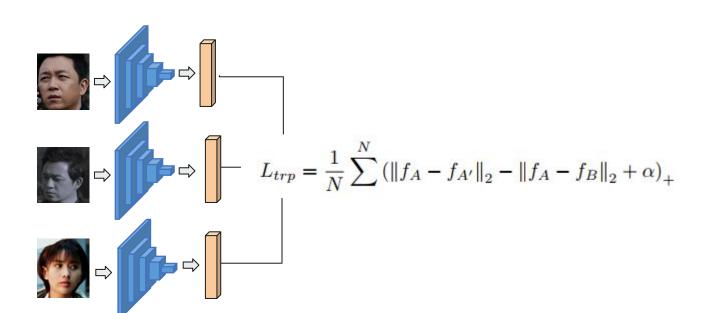
### **Metric Learning: Contrastive Loss**

- The distance of images with the same identity (positive pairs) should be smaller
- The distance of images with different identities (negative pairs) should be larger
- a is used to ignore the "naive" negative pairs





### **Metric Learning: Triplet Loss**





#### **Metric Learning: Triplet Loss**

- A batch of triplets (A, A', B) are trained in each iteration
  - A and A' share the same identity
  - B has a different identity
- The distance of A and A' should be smaller than that of A and B
- a is the margin between negative and positive pairs.
- Without α, all distance converge to zero.





H. Liu, J. Feng, M. Qi, J. Jiang, and S. Yan. End-to-end comparative attention networks for person re-identification. IEEE Transactions on Image Processing, 2017

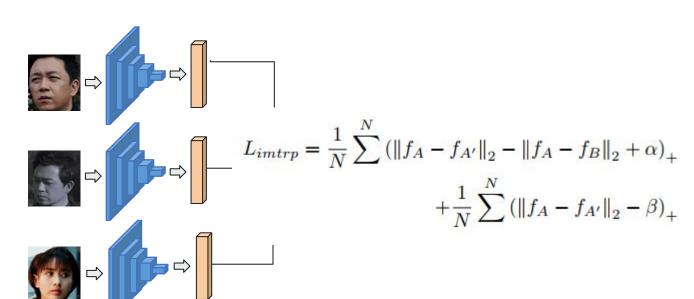
#### **Contrastive Loss vs. Triplet Loss**

- Contrastive Loss:
  - Margin between all positive pairs and negative pairs
  - Positive & negative pairs are also constrained
  - Positive pairs are always trained
  - Negative pairs are trained until it is greater than the margin
- Triplet Loss
  - Margin between positive paris and negative pairs given the query
  - Stop training positive(negative) pairs that are smaller(larger) than all negative(positive) pairs with a margin
  - Pay more attention to samples that disobey the order
  - Suffers from lack of generality
- Complementary to Triplet Loss
  - Improved Triplet Loss
  - Quadruplet Loss



### Metric Learning: Improved Triplet Loss

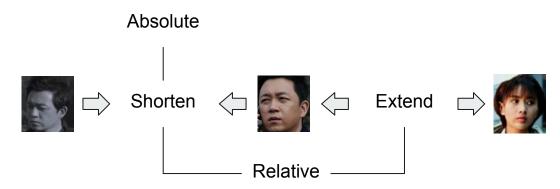
β-term penalizes distance between features of A and A'





### **Metric Learning: Improved Triplet Loss**

- Triplet Loss with Contrastive Loss
- Only consider image pairs with the same identity





D. Cheng, Y. Gong, S. Zhou, J. Wang, and N. Zheng. Person re-identification by multi-channel parts-based cnn with improved triplet loss function. CVPR2016

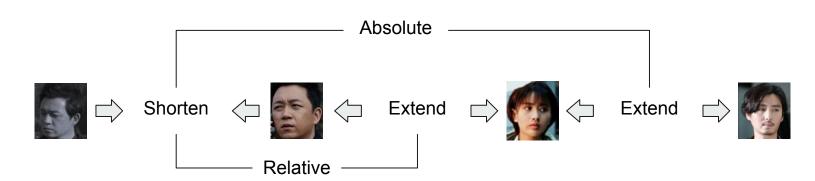
### Metric Learning: Quadruplet Loss

$$L_{quad} = \frac{1}{N} \sum_{k=1}^{N} \left( \frac{\text{relative distance}}{\|f_A - f_{A'}\|_2 - \|f_A - f_B\|_2 + \alpha} \right) + \frac{1}{N} \sum_{k=1}^{N} \left( \frac{\text{absolute distance}}{\|f_A - f_{A'}\|_2 - \|f_C - f_B\|_2 + \beta} \right) + \frac{1}{N} \sum_{k=1}^{N} \left( \frac{\text{absolute distance}}{\|f_A - f_{A'}\|_2 - \|f_C - f_B\|_2 + \beta} \right) + \frac{1}{N} \sum_{k=1}^{N} \left( \frac{\text{absolute distance}}{\|f_A - f_{A'}\|_2 - \|f_C - f_B\|_2 + \beta} \right) + \frac{1}{N} \sum_{k=1}^{N} \left( \frac{\text{absolute distance}}{\|f_A - f_{A'}\|_2 - \|f_C - f_B\|_2 + \beta} \right) + \frac{1}{N} \sum_{k=1}^{N} \left( \frac{\text{absolute distance}}{\|f_A - f_{A'}\|_2 - \|f_C - f_B\|_2 + \beta} \right) + \frac{1}{N} \sum_{k=1}^{N} \left( \frac{\text{absolute distance}}{\|f_A - f_{A'}\|_2 - \|f_C - f_B\|_2 + \beta} \right) + \frac{1}{N} \sum_{k=1}^{N} \left( \frac{\text{absolute distance}}{\|f_A - f_{A'}\|_2 - \|f_C - f_B\|_2 + \beta} \right) + \frac{1}{N} \sum_{k=1}^{N} \left( \frac{\text{absolute distance}}{\|f_A - f_{A'}\|_2 - \|f_C - f_B\|_2 + \beta} \right) + \frac{1}{N} \sum_{k=1}^{N} \left( \frac{\text{absolute distance}}{\|f_A - f_{A'}\|_2 - \|f_C - f_B\|_2 + \beta} \right) + \frac{1}{N} \sum_{k=1}^{N} \left( \frac{\text{absolute distance}}{\|f_A - f_{A'}\|_2 - \|f_C - f_B\|_2 + \beta} \right) + \frac{1}{N} \sum_{k=1}^{N} \left( \frac{\text{absolute distance}}{\|f_A - f_{A'}\|_2 - \|f_C - f_B\|_2 + \beta} \right) + \frac{1}{N} \sum_{k=1}^{N} \left( \frac{\text{absolute distance}}{\|f_A - f_{A'}\|_2 - \|f_C - f_B\|_2 + \beta} \right) + \frac{1}{N} \sum_{k=1}^{N} \left( \frac{\text{absolute distance}}{\|f_A - f_A\|_2 - \|f_C - f_B\|_2 + \beta} \right) + \frac{1}{N} \sum_{k=1}^{N} \left( \frac{\text{absolute distance}}{\|f_A - f_A\|_2 - \|f_C - f_B\|_2 + \beta} \right) + \frac{1}{N} \sum_{k=1}^{N} \left( \frac{\text{absolute distance}}{\|f_A - f_A\|_2 - \|f_A - f_A\|_2 + \beta} \right) + \frac{1}{N} \sum_{k=1}^{N} \left( \frac{\text{absolute distance}}{\|f_A - f_A\|_2 - \|f_A - f_A\|_2 + \beta} \right) + \frac{1}{N} \sum_{k=1}^{N} \left( \frac{\text{absolute distance}}{\|f_A - f_A\|_2 - \|f_A - f_A\|_2 + \beta} \right) + \frac{1}{N} \sum_{k=1}^{N} \left( \frac{\text{absolute distance}}{\|f_A - f_A\|_2 - \|f_A - f_A\|_2 + \beta} \right) + \frac{1}{N} \sum_{k=1}^{N} \left( \frac{\text{absolute distance}}{\|f_A - f_A\|_2 + \beta} \right) + \frac{1}{N} \sum_{k=1}^{N} \left( \frac{\text{absolute distance}}{\|f_A - f_A\|_2 + \beta} \right) + \frac{1}{N} \sum_{k=1}^{N} \left( \frac{\text{absolute distance}}{\|f_A - f_A\|_2 + \beta} \right) + \frac{1}{N} \sum_{k=1}^{N} \left( \frac{\text{absolute distance}}{\|f_A - f_A\|_2 + \beta} \right) + \frac{1}{N} \sum_{k=1}^{N} \left( \frac{\text{absolute distance}}{\|f_A - f_A$$



### Metric Learning: Quadruplet Loss

- Triplet Loss & Pairwise Loss
- Distance between any identical images should be smaller than that between different images





W. Chen, X. Chen, J. Zhang, and K. Huang. Beyond triplet loss: a deep quadruplet network for person re-identification. arXiv preprint arXiv:1704.01719, 2017.

### Improved Triplet Loss & Quadruplet Loss

- Common
  - o Introduce loss to "strengthen" triplet loss
  - Samples are still trained when triplet constraint is satisfied
- Difference
  - Improved Triplet Loss
    - An absolute margin is given for positive pairs
  - Quadruplet Loss
    - A relative margin between all positive pairs and negative pairs
- What if?

$$L_{quad} = \frac{1}{N} \sum_{i=1}^{N} (\|f_A - f_{A'}\|_2 - \|f_A - f_B\|_2 + \alpha)_+$$

$$+ \frac{1}{N} \sum_{i=1}^{N} (\|f_A - f_{A'}\|_2 - \beta)_+$$

$$+ \frac{1}{N} \sum_{i=1}^{N} (\alpha + \beta - \|f_B - f_C\|_2)_+$$



### **Hard Sample Mining**

- The possible number of triplets grows cubically
- Trivial triplets quickly become uninformative
- The fraction of trivial triplets are large

Trivial:







Non-Trivial:

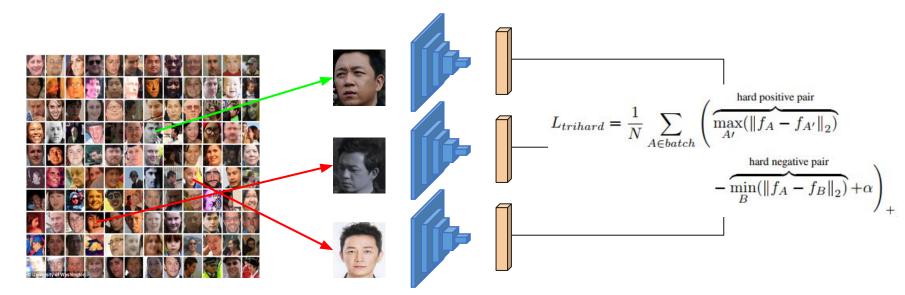








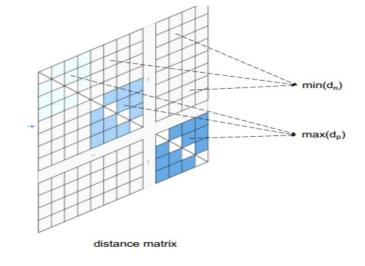
### Hard Sample Mining: Triplet Hard Loss





### Hard Sample Mining: Triplet Hard Loss

- Each batch contains K identities, each identities contains L images
- Compute the distance between each images in the batch
- Distance matrix
  - Diagonal Blocks are distance between images with the same identity
  - Others are distance between images with different identities

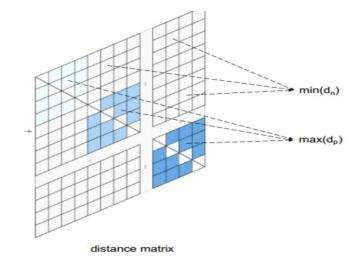




A. Hermans, L. Beyer, and B. Leibe. In defense of the triplet loss for person re-identification. arXiv preprint arXiv:1703.07737, 2017

### Hard Sample Mining: Triplet Hard Loss

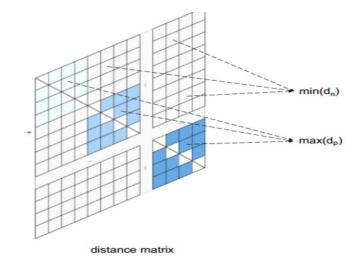
- Generate a triplet from **each line** in the matrix
  - Each image in the batch
- The largest distance in the diagonal block
  - The most unsimilar image with the same identity
- The smallest distance in other places
  - The most similar image with a different identity





### Hard Sample Mining: Soft Triplet Hard Loss

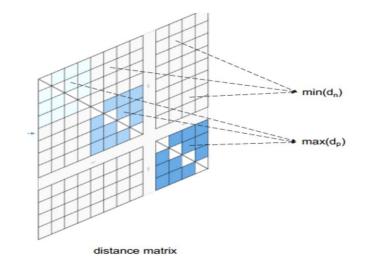
- Generate a triplet from **each line** in the matrix
  - Each image in the batch
- The weighted average distance in the diagonal block
  - Softmax(d\_ij)
- The weighted average distance in the diagonal block
  - Softmax(-d\_ik)
- The harder samples with larger weights





### Hard Sample Mining: Margin Sample Mining

- Margin Sample Mining
  - Generate only one triplet from each batch
  - The largest distance in the diagonal block
    - The most unsimilar image pair with the same identity in the batch
  - The smallest distance in other places
    - The most similar image pair with different identities in the batch

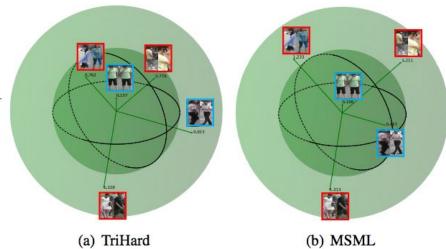




### Hard Sample Mining: Margin Sample Mining

Margin Sample Mining

$$L_{eml} = \left( \overbrace{\max_{A,A'} (\|f_A - f_{A'}\|_2)}^{ ext{hardest positive pair}} - \overbrace{\min_{C,B} (\|f_C - f_B\|_2)}^{ ext{hardest negative pair}} + lpha 
ight)$$





### Face Recognition: Conclusion

- Embedding images to feature space
  - Similar instances should be closer in the space
- Classification vs. Metric Learning
  - Triplet Loss (and its improvements) performs better than contrastive loss
  - Advanced classification, such as Large Margin Cosine Loss, comparable to Triplet Loss
  - Combining classification and metric learning always performs better
- Hard Sample Mining
  - Critical to achieve high accuracy



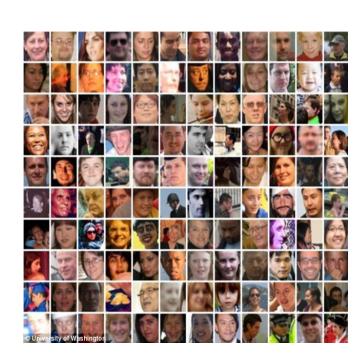
#### **Outlines**

- Face Recognition
  - Applications
  - Classification
  - Metric Learning
  - Hard Sample Mining
- Person Re-Identification
  - Applications
  - Feature Alignments
  - o ReID with Skeleton
  - ReID with Attributes



#### From Face to Person

- Face Recognition
  - Applications
    - 1:1 Verification
    - 1:N Identification
    - N:N Clustering
  - Limits
    - Size: 32\*32
    - Horizontal: -30 ~ 30
    - Vertical: -20 ~ 20
    - Little Occlusion





#### From Face to Person

- Person Re-Identification
  - Applications
    - Tracking in a single camera
    - Tracking across multiple cameras
    - Searching a person in a set of videos
    - Clustering persons in a set of photos
  - Challenges
    - Inaccurate detection
    - Misalignment
    - Illumination difference
    - Occlusion





### From Face to Person

Different Directions



Non-rigid Body Deformation



Different Illumination





### From Face to Person

Occlusion



Incomplete



• Similar Appearance





• Single Camera Tracking



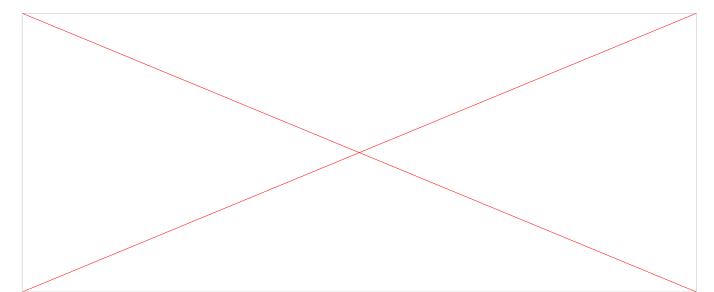


• Multiple Camera Tracking





• Searching a person



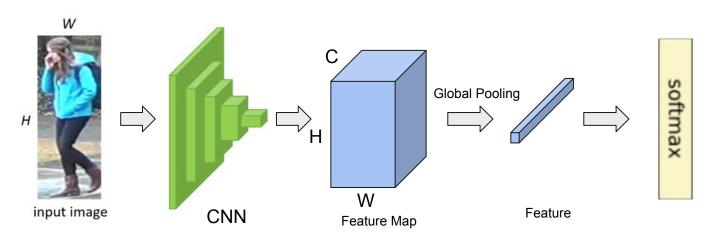


Locating a person



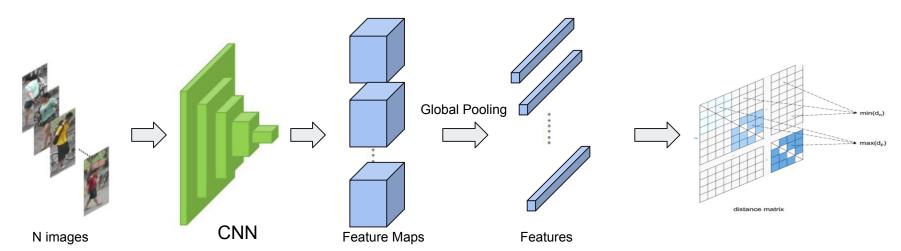


• Train ReID Model as Classification



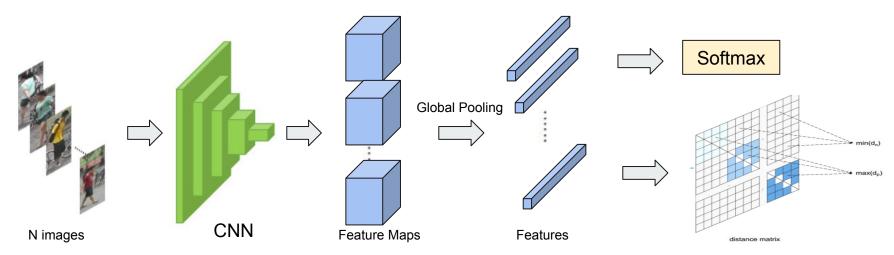


Train ReID Model by Triplet Loss with Hard Mining





• Combing Triplet Loss and Classification





- Bottleneck is important in Classification
- Hard mining is important in Triplet Loss
- Triplet Loss usually achieves higher accuracy than classification in the same dataset
- However, Classification is more robust among different datasets
- After all, Classification with triplet loss always achieves better performance

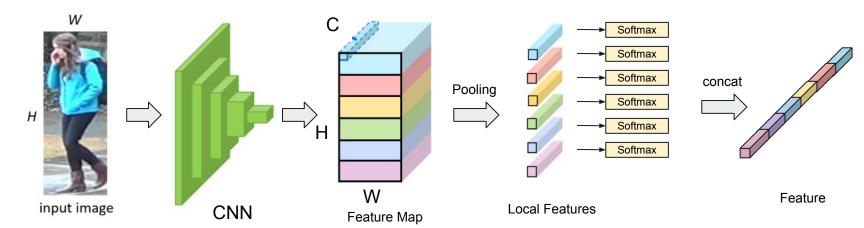


- Disadvantage
  - Only global information is obtained
  - Local similarity plays a key role to decide the identity
- Motivations
  - Person is highly structured
  - In different views, the order of horizontal division keeps the same.



### Re-Identification: Part-based Model

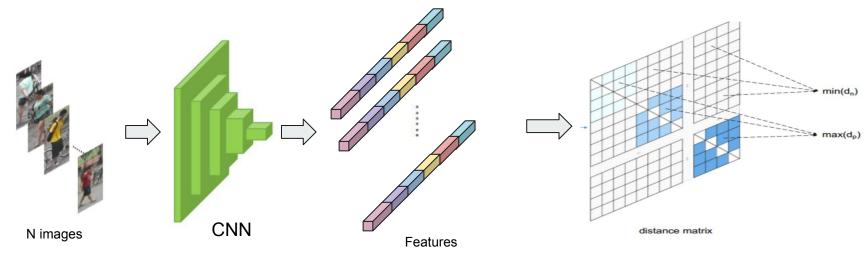
- Divide Feature Map to obtain local features
- Concat local features to obtain final feature





### Re-Identification: Part-based Model

• Triplet Loss for global features

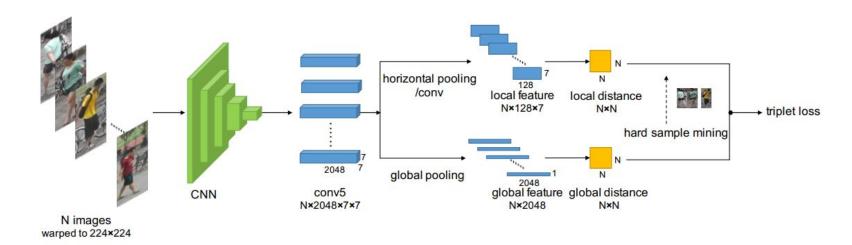




### Re-Identification: Part-based Model

- Classification for the local features
  - Triplet Loss is not suitable here
- Triplet Loss with hard mining for the global feature is helpful
- Disadvantage
  - Alignment is rigid
  - o Suffer from misalignment and incompletion
- Motivation
  - Automatic alignment



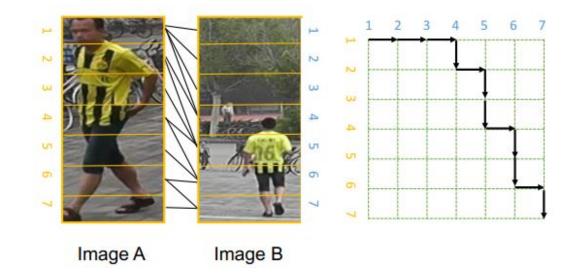




• Distance matrix of local features

$$d_{i,j} = rac{e^{||f_i - g_j||_2} - 1}{e^{||f_i - g_j||_2} + 1}$$

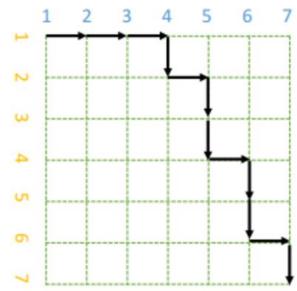
• The alignment is the one with minimum total distance





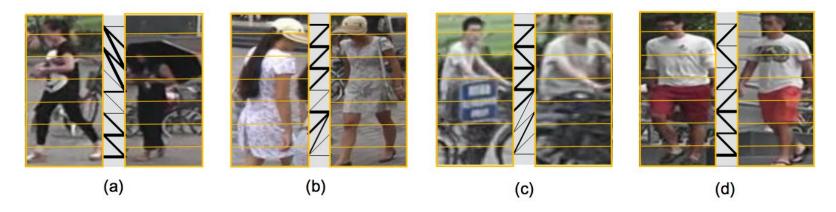
 Find the shortest path by dynamic programming

$$S_{i,j} = egin{cases} d_{i,j} & i = 1, j = 1 \ S_{i-1,j} + d_{i,j} & i 
eq 1, j = 1 \ S_{i,j-1} + d_{i,j} & i 
eq 1, j 
eq 1 \ S_{i,j-1} + d_{i,j} & i 
eq 1, j 
eq 1 \ min(S_{i-1,j}, S_{i,j-1}) + d_{i,j} & i 
eq 1, j 
eq 1 \ min(S_{i-1,j}, S_{i,j-1}) + d_{i,j} & i 
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eq 1 \ min(S_{i-1,j}, S_{i,j-1}) + d_{i,j} & i 
eq 1, j 
eq 1 \ min(S_{i-1,j}, S_{i,j-1}) + d_{i,j} & i 
eq 1, j 
eq 1 \ min(S_{i-1,j}, S_{i,j-1}) + d_{i,j} & i 
eq 1, j 
e$$





- Robust to inaccurate detection, occlusion
- Discriminative to similar appearance



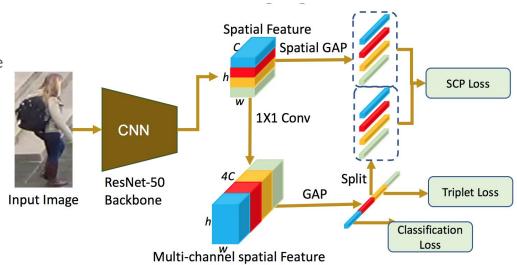


- Mismatched parts have little contribution during back-propagation
- Local features help to learn a better global feature
- Disadvantage
  - Local features are obtained from small receptive field
  - Channels in the global feature has no relationship with spatial locality
- Motivation
  - Build spatial-channel relationship
  - Benefit for partial person re-identification



# Re-Identification: Spatial-Channel Parallelism

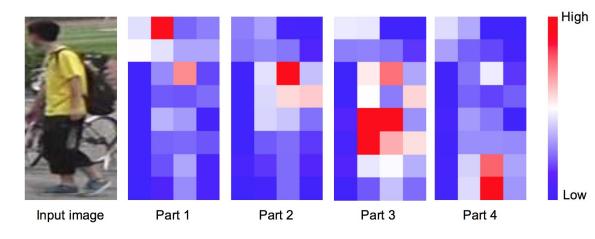
- Local features obtained from local spatial part.
- Global feature obtained from the whole feature map.
- Each part of the global feature is related to a local feature.
- The relationship is implemented by adding their L2 distance in the loss function





## Re-Identification: Spatial-Channel Parallelism

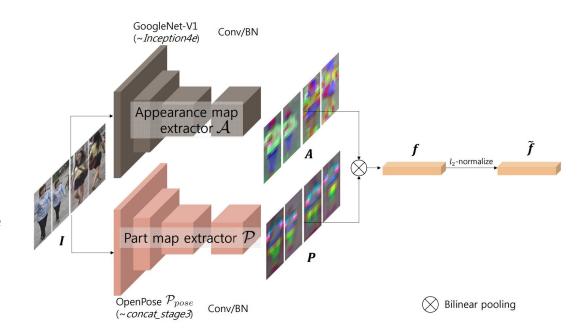
- The learned global feature shows the relationship of their channels to the corresponding spatial parts.
- Disadvantage
  - Only horizontal mapping
- Motivation
  - Apply Pose Estimation





### Re-Identification: ReID with Skeleton

- One branch is extracted reid feature map
- The other branch is extracted pose estimation
- The feature is obtained by the bilinear pooling of these two branches
- Pose estimation branch is pre-trained, then finetune in the reid training process





#### Re-Identification: ReID with Skeleton

• The reid feature maps show the similarity between color or texture, regardless of parts

• The pose estimation maps show the similarity between body parts, regardless of appearance

similarity



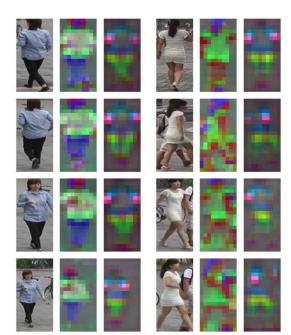


(a) Appearance features

(b) Part features

### Re-Identification: ReID with Skeleton

- Similar color shows the similarity in appearance or locality
- Robust to body deformation and inaccurate detection
- Disadvantage
  - Extra training data is needed
  - Bilinear pooling is consuming
  - Accuracy is not high enough
- Motivations
  - Better pose estimation
  - Skeleton keypoints are not necessary
  - Body Segmentation may be better





## **Summary**

- Re-Identification can be considered as a kind of metric learning
  - o Better trained together with classification
  - Triplet Loss, or its improvements, usually works well
  - Hard sample mining is critical
- End-to-end learning with structure prior is more powerful than a "blind" end-to-end learning
  - Local Feature with alignment can significantly improve the accuracy
  - The alignment can be helped by pose estimation
    - However pose estimation is not always dependable
  - The alignment can be learned automatically
- Relationship with Human Attributes
  - ReID provides more discriminative details than human attributes

