

LABORATORY PROGRAM - 1

Genetic Algorithm for Optimization Problems

Genetic Algorithms (GA) are inspired by the process of natural selection and genetics, where the fittest individuals are selected for reproduction to produce the next generation. GAs are widely used for solving optimization and search problems. Implement a Genetic Algorithm using Python to solve a basic optimization problem, such as finding the maximum value of a mathematical function.

Algorithm

16.10.24

LABORATORY PROGRAM - 1

Genetic Algorithm for Optimization Problems

Import random

P_S = 20

M_R = 0.1

C_R = 0.8

N_G = 50

R_MI = -10

R_MA = 10

def fitness(x):

def initial_population():

def evaluate_population(population):

def select_parents(population, fitness_scores):

```
DATE: PAGE:
```

parents = random.choice(population, n=2)
 selection prob., $k=1$ [0]
 parents = random.choice(population, n=2)
 selection prob., $b=1$ [0]
 return parents, parents

crossover fraction
 def crossover(parents, parents2):
 if random.random() < C_R:
 alpha = random.random()
 offspring1 = alpha * parents + (1 - alpha) * parents2
 offspring2 = alpha * parents2 + (1 - alpha) * parents1
 return offspring1, offspring2

mutation probability
 def mutate(individual):
 if random.random() < M_R:
 action = random.uniform(R_M1, R_M2)
 return individual
 else: return individual

genetic algorithm()

population = initial_population()
 best_solution = None
 best_fitness = float('-inf')

for generation in range(N_G):

fitness_scores = evaluate_population(population)

for i in range(len(fitness_scores)):
 if fitness_scores[i] > best_fitness:
 best_fitness = fitness_scores[i]
 best_solution = population[i]

new_population = []
 while len(new_population) < p_size:
 parents = select_parents(population, fitness_scores)
 offspring1, offspring2 = crossover(parents, parents)
 offspring1 = mutate(offspring1)
 offspring2 = mutate(offspring2)

 new_population.append([offspring1, offspring2])
 population = new_population[:p_size]

 point("Generation " + str(generations) + ": Best
 Fitness = " + str(best_fitness), "Best Solution
 = " + str(best_solution))

 point("In Best solution Found: " + str(best_fitness), "Best Solution Found: " + str(best_solution))
 point("x = f(best solution)", "f(x) = f(best_fitness)")

 genetic_algorithm()

 OUTPUT:
 generations: 100
 best_fitness: 9.519
 best_solution: 9.519
 Generation 1: Best fitness = 90.681, Best Solution = 9.519
 generations: 50
 best_fitness: 99.867, best_solution: 9.9923
 Generation 50: Best fitness = 99.867, Best Solution = 9.9923

Code

```
import random

def fitness_function(x, y):
    return x ** 2

population_size = 100
mutation_rate = 0.1
crossover_rate = 0.8
num_generations = 50
variable_bounds = [-10, 10]

def initialize_population(population_size, bounds):
    population = []
    for _ in range(population_size):
        x = random.uniform(bounds[0], bounds[1])
        y = random.uniform(bounds[0], bounds[1])
        population.append([x, y])
    return population

def evaluate_population(population):
    fitness_scores = []
    for individual in population:
        fitness_scores.append(fitness_function(individual[0], individual[1]))
    return fitness_scores

def selection(population, fitness_scores):
    total_fitness = sum(fitness_scores)
    selected_population = []
    for _ in range(len(population)):
        pick = random.uniform(0, total_fitness)
        current = 0
        for individual, score in zip(population, fitness_scores):
            current += score
            if current > pick:
                selected_population.append(individual)
                break
    return selected_population

def crossover(parent1, parent2, crossover_rate):
    if random.random() < crossover_rate:
        crossover_point = random.randint(1, len(parent1) - 1)
        child1 = parent1[:crossover_point] + parent2[crossover_point:]
        child2 = parent2[:crossover_point] + parent1[crossover_point:]
    else:
        child1, child2 = parent1, parent2
```

```

return child1, child2

def mutate(individual, mutation_rate, bounds):
    if random.random() < mutation_rate:
        mutation_position = random.randint(0, len(individual) - 1)
        mutation_value = random.uniform(bounds[0], bounds[1])
        individual[mutation_position] = mutation_value
    return individual

def genetic_algorithm():
    # Display student information at the start
    print("Student Name: Likhith M")
    print("USN: 1BM22CS135")
    print("-" * 40)

    population = initialize_population(population_size, variable_bounds)
    overall_best_solution = None
    overall_best_fitness = float('-inf')

    for generation in range(num_generations):
        fitness_scores = evaluate_population(population)

        generation_best_fitness = max(fitness_scores)
        generation_best_solution = population[fitness_scores.index(generation_best_fitness)]

        if generation_best_fitness > overall_best_fitness:
            overall_best_fitness = generation_best_fitness
            overall_best_solution = generation_best_solution

        # Displaying the output for generations that are multiples of 10
        if (generation + 1) % 10 == 0:
            print(f"Generation {generation + 1}:")
            print(f" Best fitness = {generation_best_fitness}")
            print(f" Best solution = {generation_best_solution}")
            print("-" * 40)

        selected_population = selection(population, fitness_scores)
        next_population = []

        for i in range(0, population_size, 2):
            parent1 = selected_population[i]
            parent2 = selected_population[i + 1]
            child1, child2 = crossover(parent1, parent2, crossover_rate)
            child1 = mutate(child1, mutation_rate, variable_bounds)
            child2 = mutate(child2, mutation_rate, variable_bounds)
            next_population.append(child1)
            next_population.append(child2)

```

```
population = next_population

print(f"Best solution found after {num_generations} generations: {overall_best_solution}")
print(f"Best fitness value: {overall_best_fitness}")

genetic_algorithm()
```

Output

```
Student Name: Likhith M
USN: 1BM22CS135
-----
Generation 10:
  Best fitness = 99.44798466551265
  Best solution = [-9.972361037663681, -8.984613074594794]
-----
Generation 20:
  Best fitness = 99.44798466551265
  Best solution = [-9.972361037663681, -9.634560295132298]
-----
Generation 30:
  Best fitness = 99.44798466551265
  Best solution = [-9.972361037663681, -7.617025418591046]
-----
Generation 40:
  Best fitness = 99.13270771662218
  Best solution = [-9.956540951385787, -1.8134161191052698]
-----
Generation 50:
  Best fitness = 99.33177287264611
  Best solution = [-9.966532640424457, -7.824368824053634]
-----
Best solution found after 50 generations: [-9.972361037663681, -5.769196750607994]
Best fitness value: 99.44798466551265
```

LABORATORY PROGRAM - 2

Particle Swarm Optimization for Function Optimization

Particle Swarm Optimization (PSO) is inspired by the social behavior of birds flocking or fish schooling. PSO is used to find optimal solutions by iteratively improving a candidate solution with regard to a given measure of quality. Implement the PSO algorithm using Python to optimize a mathematical function.

Algorithm

23. 10. 24

LABORATORY PROGRAM - 2

PARTICLE SWARM OPTIMIZATION FOR FUNCTION OPTIMIZATION

```
import numpy as np
def function(x):
    sum = 0
    return np.sum(x**2)
num_dim = 2
minx = -10
maxx = 10
num_particles = 50
max_iter = 50
w = 0.5
c1 = 1.5
c2 = 1.5
class Particle:
    def __init__(self):
        self.position = np.random.uniform(minx, maxx, num_dim)
        self.velocity = np.random.uniform(-1, 1, num_dim)
        self.best_position = self.position.copy()
        self.fitness = function(self.position)
        self.best_fitness = self.fitness
swarm = [Particle() for i in range(num_particles)]
best_fitness_swarm = float('inf')
best_position_swarm = None
```

for iteration in range(max iter):
 for particle in swarm:
 $g_1 = \text{np.random.random(dim)}$
 $g_2 = \text{np.random.random(dim)}$
 cognitive component = $c_1 * g_1 * (\text{particle}.$
 best position - particle.position)
 social component = $c_2 * g_2 * (\text{best position}$
 - particle.position) if best position
 is not None else 0
 particle.velocity = $v_0 * \text{particle.velocity} +$
 cognitive component + social component
 particle.position += particle.velocity
 particle.position = np.clip(particle.position,
 min, max)
 particle.fitness = function(particle.position)
 if particle.fitness < particle.best_fitness:
 particle.best_fitness = particle.fitness
 particle.best_position = particle.position.copy()
 if particle.fitness < best_fitness_swarm:
 best_fitness_swarm = particle.fitness
 best_position_swarm = particle.position.copy()

point [f "Iteration {iteration+1}/{max iter} "]
 Best Fitness : {best_fitness_swarm}

point ("") in Best solution found: " "
 point (f" Position: " best position stored in f")
 point (f" fitness: " best fitness. storing)

 ms Output: " " = transposed output:
 starting solution - initial seed
 Iteration 1/50 : Best fitness: 0.1246
 Iteration 50/50 : Best fitness: 1.4325e-13
 Best solution found: "
 Position: [3.7855e-07 7.366452e-09]
 fitness: 1.43256e-13

 (initial solution) after 1000 iterations = final solution
 (known solution) after 1000 iterations

 (initial solution) after 1000 iterations = final solution
 (known solution) after 1000 iterations

 (initial solution) after 1000 iterations = final solution
 (known solution) after 1000 iterations

 (initial solution) after 1000 iterations = final solution
 (known solution) after 1000 iterations

 (initial solution) after 1000 iterations = final solution
 (known solution) after 1000 iterations

Code

```
import numpy as np
import matplotlib.pyplot as plt

# Student Details
print("Student Name: Likhith M")
print("USN: 1BM22CS135\n")

# Objective function (Rastrigin function as an example)
def rastrigin(x):
    A = 10
    return A * len(x) + sum(x_i**2 - A * np.cos(2 * np.pi * x_i) for x_i in x)

# PSO Parameters
n_particles = 30    # Number of particles
n_dimensions = 2    # Number of dimensions (parameters to optimize)
n_iterations = 100  # Number of iterations

w = 0.5            # Inertia weight
c1 = 1.5           # Cognitive coefficient (particle's own best position)
c2 = 1.5           # Social coefficient (global best position)
v_max = 2.0         # Maximum velocity

# Initialize particles' positions and velocities
positions = np.random.uniform(-5.12, 5.12, (n_particles, n_dimensions))
velocities = np.random.uniform(-1, 1, (n_particles, n_dimensions))

# Initialize personal best positions and global best position
pbest_positions = positions.copy()
pbest_values = np.apply_along_axis(rastrigin, 1, pbest_positions)

gbest_position = pbest_positions[np.argmin(pbest_values)]
gbest_value = np.min(pbest_values)

# PSO Main Loop
for t in range(n_iterations):
    # Evaluate fitness
    fitness_values = np.apply_along_axis(rastrigin, 1, positions)

    # Update personal bests
    for i in range(n_particles):
        if fitness_values[i] < pbest_values[i]:
            pbest_positions[i] = positions[i]
            pbest_values[i] = fitness_values[i]

    # Update global best
```

```

min_fitness_idx = np.argmin(pbest_values)
if pbest_values[min_fitness_idx] < gbest_value:
    gbest_position = pbest_positions[min_fitness_idx]
    gbest_value = pbest_values[min_fitness_idx]

# Update velocity and position for each particle
r1 = np.random.rand(n_particles, n_dimensions)
r2 = np.random.rand(n_particles, n_dimensions)

velocities = (w * velocities +
              c1 * r1 * (pbest_positions - positions) +
              c2 * r2 * (gbest_position - positions))

# Apply velocity limits (optional)
velocities = np.clip(velocities, -v_max, v_max)

# Update positions
positions = positions + velocities

# Print the current best solution only for multiples of 10
if t % 10 == 0:
    print(f"Iteration {t}, Global Best Value: {gbest_value:.5f}")

# Final output
print(f"\nFinal Global Best Position: {gbest_position}")
print(f"Final Global Best Value: {gbest_value:.5f}")

# Plotting the optimization process (visualization for 2D case)
x_vals = np.linspace(-5.12, 5.12, 400)
y_vals = np.linspace(-5.12, 5.12, 400)
X, Y = np.meshgrid(x_vals, y_vals)
Z = rastrigin([X, Y])

plt.contour(X, Y, Z, levels=np.linspace(0, 500, 50), cmap='jet')
plt.scatter(gbest_position[0], gbest_position[1], color='red', label='Global Best')
plt.title("PSO Optimization (Rastrigin Function)")
plt.xlabel('x1')
plt.ylabel('x2')
plt.legend()
plt.show()

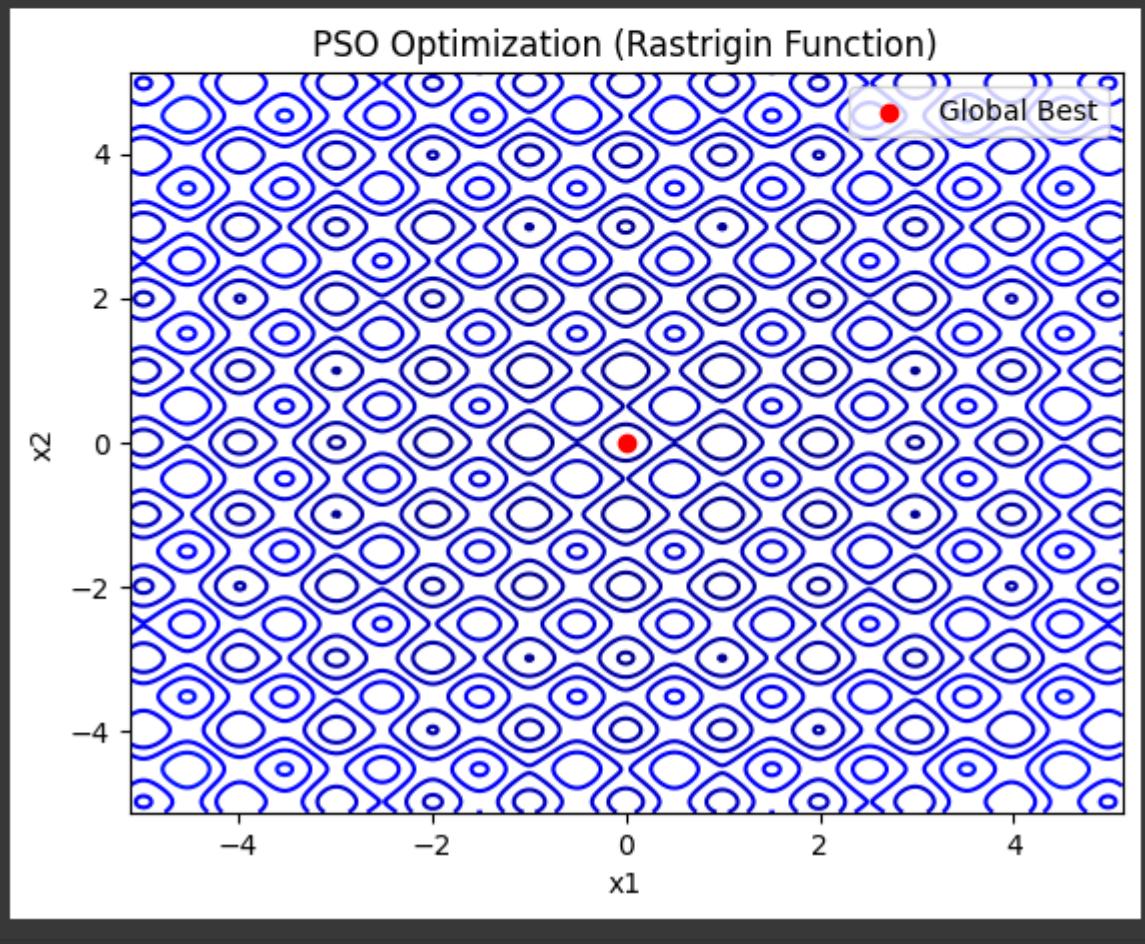
```

Output

```
Student Name: Likhith M  
USN: 1BM22CS135
```

```
Iteration 0, Global Best Value: 7.29865  
Iteration 10, Global Best Value: 0.01789  
Iteration 20, Global Best Value: 0.00018  
Iteration 30, Global Best Value: 0.00000  
Iteration 40, Global Best Value: 0.00000  
Iteration 50, Global Best Value: 0.00000  
Iteration 60, Global Best Value: 0.00000  
Iteration 70, Global Best Value: 0.00000  
Iteration 80, Global Best Value: 0.00000  
Iteration 90, Global Best Value: 0.00000
```

```
Final Global Best Position: [2.10172483e-09 6.30154843e-10]  
Final Global Best Value: 0.00000
```



LABORATORY PROGRAM - 3

Ant Colony Optimization for the Traveling Salesman Problem

The foraging behavior of ants has inspired the development of optimization algorithms that can solve complex problems such as the Traveling Salesman Problem (TSP). Ant Colony Optimization (ACO) simulates the way ants find the shortest path between food sources and their nest. Implement the ACO algorithm using Python to solve the TSP, where the objective is to find the shortest possible route that visits a list of cities and returns to the origin city.

Algorithm

13-11-24.

LABORATORY PROGRAM - 3
for the
ANT COLONY OPTIMIZATION FOR THE
TRAVELING SALESMAN PROBLEM

```
import numpy as np
np.random.seed(0)
num_cities = 10
cities = np.random.rand(num_cities, 2)

def calculate_distance_matrix(cities):
    num_cities = len(cities)
    distance_matrix = np.zeros((num_cities, num_cities))
    for i in range(num_cities):
        for j in range(i+1, num_cities):
            distance = np.linalg.norm(cities[i]-cities[j])
            distance_matrix[i][j] = distance
            distance_matrix[j][i] = distance
    return distance_matrix

distance_matrix = calculate_distance_matrix(cities)

pheromone = np.ones((num_cities, num_cities)) * initial_pheromone

def select_next_city(pseudoprobabilities):
    return np.random.choice(len(pseudoprobabilities), p=pseudoprobabilities)
```

```

def calculate_probabilities(ant_path, pheromone,
                           distance_matrix, alpha, beta):
    current_city = ant_path[-1]
    probabilities = np.zeros(len(distance_matrix))

    for city in range(len(distance_matrix)):
        if city not in ant_path:
            probabilities[city] = (pheromone[current_city][city]) ** alpha * ((1.0 / distance_matrix[current_city][city])) ** beta
            probabilities /= probabilities.sum()

    return probabilities

```

```

def construct_solution(pheromone, distance_matrix,
                       alpha, beta):
    solution = []
    for i in range(num_cities):
        ant_path = [np.random.randint(num_cities)]
        while len(ant_path) < num_cities:
            probabilities = calculate_probabilities(
                ant_path, pheromone, distance_matrix,
                alpha, beta)
            next_city = select_next_city(probabilities)
            ant_path.append(next_city)
            solution.append(ant_path + [ant_path[0]])
    return solution

```

```

def update_pheromone(pheromone, solutions,
                     distance_matrix, rho):
    pheromone *= (1 - rho)
    for solution in solutions:
        path_length = sum(distance_matrix[solution[i]][solution[i+1]] for i in range(len(solution)-1))
        pheromone[solution[0]][solution[-1]] += pheromone_delta
        for i in range(len(solution)-1):
            pheromone[solution[i]][solution[i+1]] += pheromone_delta
    return pheromone

```

```

best_solution = None
best_path_length = float('inf')
for iteration in range(num_iterations):
    solutions = construct_solution(pheromone,
                                    distance_matrix, alpha, beta)
    pheromone = update_pheromone(pheromone,
                                 solutions, distance_matrix, rho)

    for solution in solutions:
        path_length = sum(distance_matrix[solution[i]][solution[i+1]],
                           solution[i+1] in range(len(solution)-1))
        if path_length < best_path_length:
            best_path_length = path_length
            best_solution = solution

```

19-11-24

$\text{point}\left(f^{\text{Iteration}} \& f^{\text{Iteration}+1}\right) : \text{Best path length} = \lfloor \text{best_path_length} \rfloor$

If $\text{Iteration} > 0$ and $\text{best path length} ==$

previous best path length.

$\text{point}\left(f^{\text{Convergence}} \& f^{\text{Iteration}+1}\right) : \text{Best solution found}$

break = ∞ (infinity)

previous best path length = best path length

$\text{point}\left(f^{\text{Best solution found}}\right) : \text{best solution}$

$\text{point}\left(f^{\text{shortest path length}}\right) : \text{best path length}$

ms OUTPUT :

Iteration 1: Best path length = 3.532

Iteration 4: Best path length = 3.4388

Convergence reached at Iteration 4. Best solution found.

Best solution found: [2, 0, 1, 5, 4, 9, 6, 3, 8,

shortest path length = 3.4388

Connect M

12/11/2023 = Signal Ring

valve1 = valve1 tool.

Code

```
import numpy as np

# Student Details
print("Student Name: Likhith M")
print("USN: 1BM22CS135\n")

np.random.seed(0)

# Problem Parameters
num_cities = 10
num_ants = 20
alpha = 1.0
beta = 5.0
rho = 0.5
initial_pheromone = 0.1
num_iterations = 100

# Generate Random Cities
cities = np.random.rand(num_cities, 2)

# Distance Matrix Calculation
def calculate_distance_matrix(cities):
    num_cities = len(cities)
    distance_matrix = np.zeros((num_cities, num_cities))
    for i in range(num_cities):
        for j in range(i + 1, num_cities):
            distance = np.linalg.norm(cities[i] - cities[j])
            distance_matrix[i][j] = distance
            distance_matrix[j][i] = distance
    return distance_matrix

distance_matrix = calculate_distance_matrix(cities)

# Initialize Pheromone Matrix
pheromone = np.ones((num_cities, num_cities)) * initial_pheromone

# City Selection
def select_next_city(probabilities):
    return np.random.choice(len(probabilities), p=probabilities)

# Probability Calculation
def calculate_probabilities(ant_path, pheromone, distance_matrix, alpha, beta):
    current_city = ant_path[-1]
    probabilities = np.zeros(len(distance_matrix))

    for city in range(len(distance_matrix)):
```

```

if city not in ant_path:
    probabilities[city] = (pheromone[current_city][city] ** alpha) * ((1.0 /
distance_matrix[current_city][city]) ** beta)
    probabilities /= probabilities.sum()
    return probabilities

# Solution Construction
def construct_solution(pheromone, distance_matrix, alpha, beta):
    solution = []
    for _ in range(num_ants):
        ant_path = [np.random.randint(num_cities)]
        while len(ant_path) < num_cities:
            probabilities = calculate_probabilities(ant_path, pheromone, distance_matrix, alpha, beta)
            next_city = select_next_city(probabilities)
            ant_path.append(next_city)
        solution.append(ant_path + [ant_path[0]])
    return solution

# Pheromone Update
def update_pheromones(pheromone, solutions, distance_matrix, rho):
    pheromone *= (1 - rho)
    for solution in solutions:
        path_length = sum(distance_matrix[solution[i], solution[i+1]] for i in range(len(solution) - 1))
        pheromone_delta = 1.0 / path_length
        for i in range(len(solution) - 1):
            pheromone[solution[i]][solution[i + 1]] += pheromone_delta
            pheromone[solution[i + 1]][solution[i]] += pheromone_delta
    return pheromone

# Optimization Process
best_solution = None
best_path_length = float('inf')

for iteration in range(num_iterations):
    solutions = construct_solution(pheromone, distance_matrix, alpha, beta)
    pheromone = update_pheromones(pheromone, solutions, distance_matrix, rho)

    for solution in solutions:
        path_length = sum(distance_matrix[solution[i], solution[i + 1]] for i in range(len(solution) - 1))
        if path_length < best_path_length:
            best_path_length = path_length
            best_solution = solution

    # Display output only for multiples of 10
    if (iteration + 1) % 10 == 0:
        print(f"Iteration {iteration + 1}: Path length = {best_path_length:.5f}")

```

```
# Check for convergence
if iteration > 0 and best_path_length == previous_best_path_length:
    print(f"Convergence reached at iteration {iteration + 1}. Best solution found.")
    break

previous_best_path_length = best_path_length

# Final Output
print("\nBest solution found:", best_solution)
print("Shortest path length:", best_path_length)
```

Output

```
Student Name: Likhith M
USN: 1BM22CS135

Convergence reached at iteration 4. Best solution found.

Best solution found: [2, 0, 1, 5, 4, 9, 6, 3, 8, 7, 2]
Shortest path length: 3.4388850126686448
```

LABORATORY PROGRAM - 4

Cuckoo Search (CS)

Cuckoo Search (CS) is a nature-inspired optimization algorithm based on the brood parasitism of some cuckoo species. This behavior involves laying eggs in the nests of other birds, leading to the optimization of survival strategies. CS uses Lévy flights to generate new solutions, promoting global search capabilities and avoiding local minima. The algorithm is widely used for solving continuous optimization problems and has applications in various domains, including engineering design, machine learning, and data mining.

Algorithm

1.11.24

DATE: PAGE:

laboratory program - 4
CUCKOO SEARCH ALGORITHM

Impact: randomization of nest
Impact math

def objective function(x):
 return sum(x[i]**2 for i in range(len(x)))

def levy_flight(lambda, dim):
 sigma = (math.gamma(1 + lambda)**(1 / lambda)) * math.sin((math.pi * lambda) / 2)
 soft_size = ((math.gamma((1 + lambda) / 2))**2 * (lambda**2 * (lambda - 1) / 2))**(-1 / lambda)
 u = [random.gauss(0, sigma) for _ in range(dim)]
 v = [random.gauss(0, 1) for _ in range(dim)]
 step = [(u[i] / abs(u[i]))**soft_size for u_i, v_i in zip(u, v)]
 return step

def generate_new_solution(current_solution, step_size, lower_bound, upper_bound):
 step = levy_flight(lambda, len(current_solution))
 new_solution = [
 max(min(current_solution[i] + step_size * step[i],
 upper_bound), lower_bound)
 for i in range(len(current_solution))
]
 return new_solution

```

def Initialize_nest(num_nests, dim, lower_bound,
upper_bound):
    solution = [random.uniform(lower_bound,
upper_bound) for _ in range(dim)]
    for _ in range(num_nests):
        solution.append(solution)

def cuckoo_search(objective, num_nests, dim,
lower_bound, upper_bound, max_iter, pa,
lambda_ = 1.5):
    nests = Initialize_nest(num_nests, dim,
lower_bound, upper_bound)
    fitness = [objective(nest) for nest in nests]
    best_nest = min(nests, key=objective)
    best_fitness = objective(best_nest)

    for i in range(max_iter):
        new_nest = random.uniform(lower_bound,
upper_bound)
        cuckoo_solution = generate_new_solution(dim,
random_index, step_size > 0.01,
lambda_ = lambda_, lower_bound = lower_bound,
upper_bound = upper_bound)
        cuckoo_fitness = objective(cuckoo_solution)

        if cuckoo_fitness < fitness[random_nest_index]:
            nests[random_nest_index] = cuckoo_solution
            fitness[random_nest_index] = cuckoo_fitness

```

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```

num_to_abandon = int(pa * num_nests)
worst_indices = sorted(range(num_nests),
key=lambda i: fitness[i], reverse=True)
worst_indices[:num_to_abandon]
for idx in worst_indices:
    nest[idx] = random.uniform(lower_bound,
upper_bound)
    for _ in range(dim):
        fitness[idx] = objective(nest[idx])

current_best_index = min(range(num_nests),
key=lambda i: fitness[i])
if fitness[current_best_index] < best_fitness:
    best_nest = nest[current_best_index]
    best_fitness = fitness[current_best_index]

return best_nest, best_fitness

if __name__ == "main__":
    num_nests = 25
    dim = 3
    lower_bound = -10
    upper_bound = 110
    max_iter = 50
    pa = 0.25

    best_solution, best_fitness = cuckoo_search(
        objective_function, num_nests, dim, lower_bound,
        upper_bound, max_iter, pa)
    print("Best solution: ", best_solution)
    print("Best fitness: ", best_fitness)

```

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1-2-20	STAO
ms	OUTPUT is "xi" tri-nahabed at minre
(After min) minre) before = 2918.72000	
Best solution: [0.23128, 0.161113, -0.46062]	
	Tri-nahabed at minre :]
Best fitness: 0.291668 & it is not	
minre) minre) minre,] = 2917.72000	
[After 291668 & it is not. Change target	
[After target] minre) = [2917.72000]	
. (After minre) minre) minre = minre best theorem	
(it want to is abundant - not	
minre) minre > [Euler's theorem] minre)]	
[not best theorem] minre = best begin.	
[not best theorem] minre) - minre) - minre) best.	
minre) best - how best minre,	
" N " minre) = minre)]	
2B = Euler's minre	
E = minre	
O1 = forward signal	
O1F = forward target	
O2 = right turn	
2B.O = O2	
forward action = minre) best, north best	
and with, right turn, not turn with self	
O2 = right turn, forward - target, forward	
(forward best, " : north best + self") target	
(minre) best, " : north best + self") turned	

Code

```
import random
import math

# Student Details
print("Student Name: Likhith M")
print("USN: 1BM22CS135\n")

# Objective Function
def objective_function(x):
    return sum(xi ** 2 for xi in x)

# Levy Flight Step
def levy_flight(Lambda, dim):
    sigma = (math.gamma(1 + Lambda) * math.sin(math.pi * Lambda / 2) /
             (math.gamma((1 + Lambda) / 2) * Lambda * 2 ** ((Lambda - 1) / 2))) ** (1 / Lambda)
    u = [random.gauss(0, sigma) for _ in range(dim)]
    v = [random.gauss(0, 1) for _ in range(dim)]
    step = [ui / abs(vi) ** (1 / Lambda) for ui, vi in zip(u, v)]
    return step

# Generate New Solution
def generate_new_solution(current_solution, alpha, Lambda, lower_bound, upper_bound):
    step = levy_flight(Lambda, len(current_solution))
    new_solution = [
        max(min(current_solution[i] + alpha * step[i], upper_bound), lower_bound)
        for i in range(len(current_solution))]
    ]
    return new_solution

# Initialize Nests
def initialize_nests(n_nests, dim, lower_bound, upper_bound):
    return [[random.uniform(lower_bound, upper_bound) for _ in range(dim)] for _ in range(n_nests)]

# Cuckoo Search Algorithm
def cuckoo_search(objective, n_nests, max_iter, alpha, pa, lower_bound=-10, upper_bound=10,
                  Lambda=1.5):
    nests = initialize_nests(n_nests, 2, lower_bound, upper_bound)
    fitness = [objective(nest) for nest in nests]
    best_nest = min(nests, key=objective)
```

```

best_fitness = objective(best_nest)

for iteration in range(max_iter):
    random_index = random.randint(0, n_nests - 1)
    cuckoo_solution = generate_new_solution(nests[random_index], alpha, Lambda, lower_bound,
    upper_bound)
    cuckoo_fitness = objective(cuckoo_solution)

    random_nest_index = random.randint(0, n_nests - 1)
    if cuckoo_fitness < fitness[random_nest_index]:
        nests[random_nest_index] = cuckoo_solution
        fitness[random_nest_index] = cuckoo_fitness

    num_to_abandon = int(pa * n_nests)
    worst_indices = sorted(range(n_nests), key=lambda i: fitness[i],
    reverse=True)[:num_to_abandon]
    for idx in worst_indices:
        nests[idx] = [random.uniform(lower_bound, upper_bound) for _ in range(2)]
        fitness[idx] = objective(nests[idx])

    current_best_index = min(range(n_nests), key=lambda i: fitness[i])
    if fitness[current_best_index] < best_fitness:
        best_nest = nests[current_best_index]
        best_fitness = fitness[current_best_index]

# Output every 100 iterations
if iteration % 100 == 0 or iteration == max_iter - 1:
    print(f"Iteration {iteration}, Best Fitness: {best_fitness:.5f}, Best Solution: {best_nest}")

return best_nest, best_fitness

# Main Function
if __name__ == "__main__":
    n_nests = 25 # Number of nests
    max_iter = 1000 # Maximum iterations
    alpha = 0.1 # Step size
    pa = 0.25 # Probability of abandoning worse nests

    best_solution, best_value = cuckoo_search(
        objective_function, n_nests=n_nests, max_iter=max_iter, alpha=alpha, pa=pa
    )

```

```
print(f"\nBest solution found: x = {best_solution[0]:.5f}, y = {best_solution[1]:.5f}")
print(f"Best objective function value: {best_value:.5f}")
```

Output

```
Student Name: Likhith M
USN: 1BM22CS135

Iteration 0, Best Fitness: 0.22830, Best Solution: [-0.4664999684868931, 0.1033251221074103]
Iteration 100, Best Fitness: 0.05437, Best Solution: [-0.23267040694054952, 0.015338160420397762]
Iteration 200, Best Fitness: 0.00443, Best Solution: [0.06251808820158372, 0.022832902631498175]
Iteration 300, Best Fitness: 0.00010, Best Solution: [-0.009763824782933361, -0.0005021375169151215]
Iteration 400, Best Fitness: 0.00004, Best Solution: [-0.005905180653441653, -0.0016099886133596197]
Iteration 500, Best Fitness: 0.00004, Best Solution: [-0.005905180653441653, -0.0016099886133596197]
Iteration 600, Best Fitness: 0.00004, Best Solution: [-0.005905180653441653, -0.0016099886133596197]
Iteration 700, Best Fitness: 0.00004, Best Solution: [-0.005905180653441653, -0.0016099886133596197]
Iteration 800, Best Fitness: 0.00004, Best Solution: [-0.005905180653441653, -0.0016099886133596197]
Iteration 900, Best Fitness: 0.00004, Best Solution: [-0.005905180653441653, -0.0016099886133596197]
Iteration 999, Best Fitness: 0.00001, Best Solution: [0.0033637344832600207, -0.0008645107976493899]

Best solution found: x = 0.00336, y = -0.00086
Best objective function value: 0.00001
```

LABORATORY PROGRAM - 5

Grey Wolf Optimizer (GWO)

The Grey Wolf Optimizer (GWO) algorithm is a swarm intelligence algorithm inspired by the social hierarchy and hunting behavior of grey wolves. It mimics the leadership structure of alpha, beta, delta, and omega wolves and their collaborative hunting strategies. The GWO algorithm uses these social hierarchies to model the optimization process, where the alpha wolves guide the search process while beta and delta wolves assist in refining the search direction. This algorithm is effective for continuous optimization problems and has applications in engineering, data analysis, and machine learning.

Algorithm

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LABORATORY PROGRAM - 5
GREY WOLF OPTIMIZER
import random

def grey_wolf_optimizer(objective function, lower bound, upper bound, dim, num wolves, max iter):
 alpha_pos = [0]^{dim}
 beta_pos = [0]^{dim}
 delta_pos = [0]^{dim}
 alpha_score = float('inf')
 beta_score = float('inf')
 delta_score = float('inf')
 wolves = [[random.uniform(lower_bound, upper_bound) for i in range(dim)] for j in range(num wolves)]
 for iteration in range(max iter):
 for i in range(num wolves):
 fitness = objective function(wolves[i])
 if fitness < alpha_score:
 delta_pos, beta_pos, alpha_pos = beta_pos, alpha_pos, wolves[i]
 alpha_score, beta_score, delta_score = beta_score, alpha_score, delta_score
 print(alpha_pos)
 print(delta_pos)
 print(beta_pos)

cliff fitness > beta_scave
 delta_scave, delta_pos = beta_scave, beta_pos
 beta_scave, beta_pos = fitness, wobles[i][j]
 cliff fitness < delta_scave:
 delta_scave, delta_pos = fitness, wobles[i][j]

```

 $a = 2 - \text{iteration} * (2/\text{max_iter})$ 
for i in range(num_wobles):
  for j in range(dim):
    s1 = random.random()
    s2 = random.random()
    A1 = a * (2 * s1 - 1)
    C1 = 2 * s2
    D_alpha = abs(c1 * alpha_pos[j] - wobles[i][j])
    X1 = delta_pos[j] - A1 * D_alpha
  
```

s1 = random.random()
 s2 = random.random()
 A2 = a * (2 * s1 - 1)
 C2 = 2 * s2
 D_delta = abs(c2 * delta_pos[j] - wobles[i][j])
 X2 = delta_pos[j] - A2 * D_delta

s1 = random.random()
 s2 = random.random()
 A3 = a * (2 * s1 - 1)
 C3 = 2 * s2
 D_delta = abs(c3 * delta_pos[j] - wobles[i][j])
 X3 = delta_pos[j] + A3 * D_delta

$wobles[i][j] = (X1 + X2 + X3) / 3$

if wobles[i][j] < lower_bound:
 wobles[i][j] = lower_bound
 elif wobles[i][j] > upper_bound:
 wobles[i][j] = upper_bound

return alpha_pos, alpha_scavenging, temp

```

def sphere_function(position):
  return sum(x**2 * factor_in_position)
  
```

lower_bound = -10
 upper_bound = 10
 dim = 3
 num_wobles = 25
 max_iter = 50

best_position, best_scave = genetic_wolf_optimizer(
 sphere_function, lower_bound, upper_bound, dim,
 num_wobles, max_iter)

print("Best Position:", best_position)
 print("Best Scave:", best_scave)

OUTPUT:

Best Position: [3.41297e-13, 2.00415e-14,
 2.8797e-13]

Best Scave: 1.79832e-25

Code

```
import random

# Student Details
print("Student Name: Likhith M")
print("USN: 1BM22CS135\n")

# Grey Wolf Optimizer Function
def grey_wolf_optimizer(objective_function, lower_bound, upper_bound, dim, num_wolves,
max_iter):

    alpha_pos = [0] * dim
    beta_pos = [0] * dim
    delta_pos = [0] * dim

    alpha_score = float('inf')
    beta_score = float('inf')
    delta_score = float('inf')

    wolves = [[random.uniform(lower_bound, upper_bound) for _ in range(dim)] for _ in
range(num_wolves)]

    for iteration in range(max_iter):
        for i in range(num_wolves):
            fitness = objective_function(wolves[i])

            if fitness < alpha_score:
                delta_score, delta_pos = beta_score, beta_pos[:]
                beta_score, beta_pos = alpha_score, alpha_pos[:]
                alpha_score, alpha_pos = fitness, wolves[i][:]
            elif fitness < beta_score:
                delta_score, delta_pos = beta_score, beta_pos[:]
                beta_score, beta_pos = fitness, wolves[i][:]
            elif fitness < delta_score:
                delta_score, delta_pos = fitness, wolves[i][:]

        a = 2 - iteration * (2 / max_iter)
        for i in range(num_wolves):
            for j in range(dim):
                r1 = random.random()
                r2 = random.random()
                A1 = a * (2 * r1 - 1)
                C1 = 2 * r2
                D_alpha = abs(C1 * alpha_pos[j] - wolves[i][j])
                X1 = alpha_pos[j] - A1 * D_alpha

                r1 = random.random()
```

```

r2 = random.random()
A2 = a * (2 * r1 - 1)
C2 = 2 * r2
D_beta = abs(C2 * beta_pos[j] - wolves[i][j])
X2 = beta_pos[j] - A2 * D_beta

r1 = random.random()
r2 = random.random()
A3 = a * (2 * r1 - 1)
C3 = 2 * r2
D_delta = abs(C3 * delta_pos[j] - wolves[i][j])
X3 = delta_pos[j] - A3 * D_delta

wolves[i][j] = (X1 + X2 + X3) / 3

if wolves[i][j] < lower_bound:
    wolves[i][j] = lower_bound
elif wolves[i][j] > upper_bound:
    wolves[i][j] = upper_bound

# Output every 10 iterations
if iteration % 10 == 0 or iteration == max_iter - 1:
    print(f"Iteration {iteration}: Best Score = {alpha_score:.5f}, Best Position = {alpha_pos}")

return alpha_pos, alpha_score

# Sphere Function (Objective Function)
def sphere_function(position):
    return sum(x ** 2 for x in position)

# Problem Parameters
lower_bound = -10
upper_bound = 10
dim = 3
num_wolves = 25
max_iter = 50

# Run Grey Wolf Optimizer
best_position, best_score = grey_wolf_optimizer(sphere_function, lower_bound, upper_bound, dim,
                                                num_wolves, max_iter)

# Final Output
print("\nFinal Best Position:", best_position)
print("Final Best Score:", best_score)

```

Output

```
Student Name: Likhith M  
USN: 1BM22CS135
```

```
Iteration 0: Best Score = 8.87469, Best Position = [-1.3937875919991694, 2.6192794260861127, 0.2672459070460409]  
Iteration 10: Best Score = 0.00006, Best Position = [-0.0022888418251507912, 0.005312156238702422, 0.0047323367161349284]  
Iteration 20: Best Score = 0.00000, Best Position = [-5.509811050364098e-06, -4.388573147797282e-06, 3.946947280531768e-06]  
Iteration 30: Best Score = 0.00000, Best Position = [-2.4489778136877548e-08, -8.658917449203874e-09, -1.4297757082884138e-08]  
Iteration 40: Best Score = 0.00000, Best Position = [-4.301575426213075e-09, -4.106251702412561e-09, -4.374118169436466e-09]  
Iteration 49: Best Score = 0.00000, Best Position = [-3.2476095209067505e-09, -2.7864689468237177e-09, -2.931715786065307e-09]  
  
Final Best Position: [-3.2476095209067505e-09, -2.7864689468237177e-09, -2.931715786065307e-09]  
Final Best Score: 2.690633424216157e-17
```

LABORATORY PROGRAM - 6

Parallel Cellular Algorithms and Programs

Parallel Cellular Algorithms are inspired by the functioning of biological cells that operate in a highly parallel and distributed manner. These algorithms leverage the principles of cellular automata and parallel computing to solve complex optimization problems efficiently. Each cell represents a potential solution and interacts with its neighbors to update its state based on predefined rules. This interaction models the diffusion of information across the cellular grid, enabling the algorithm to explore the search space effectively. Parallel Cellular Algorithms are particularly suitable for large-scale optimization problems and can be implemented on parallel computing architectures for enhanced performance.

Algorithm

16.12.24

LABORATORY PROGRAM - 6
PARALLEL CELLULAR ALGORITHMS AND PROGRAMS

import random

```
def objective_function(x):
    return -(x**2) + 4*x

def initialize_parameters():
    grid_size = 10
    num_iterations = 50
    lower_bound, upper_bound = -10, 10
    return grid_size, num_iterations, lower_bound, upper_bound

def initialize_population(grid_size, lower_bound, upper_bound):
    grid = [[random.uniform(lower_bound, upper_bound) for _ in range(grid_size)] for _ in range(grid_size)]
    return grid

def evaluate_fitness(grid):
    fitness_grid = [[objective_function(cell) for cell in row] for row in grid]
    return fitness_grid

def update_status(grid, fitness_grid):
    grid_size = len(grid)
    updated_grid = [[0]*grid_size for _ in range(grid_size)]
    for i in range(grid_size):
        for j in range(grid_size):
            if fitness_grid[i][j] < 0:
                updated_grid[i][j] = 1
            else:
                updated_grid[i][j] = 0
    return updated_grid
```

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```

for i in range(grid_size):
    for j in range(grid_size):
        neighbors = []
        if i > 0:
            for di in [-1, 0, 1]:
                for dj in [-1, 0, 1]:
                    if di == 0 and dj == 0:
                        continue
                    ni, nj = i + di, j + dj
                    if 0 < ni < grid_size and 0 < nj < grid_size:
                        neighbors.append(grid[ni][nj])
        if len(neighbors) == 0:
            updated_grid[i][j] = sum(neighbors)
        else:
            updated_grid[i][j] = grid[i][j]
    return updated_grid

```

```

def point_grid(grid, label="grid"):
    print(f"Label: {label}")
    for row in grid:
        print(f"  {row} if '{label}' has value in row")
    print()

def parallel_cellular_algorithm():
    grid_size, num_iterations, lower_bound, upper_bound = parallelize_parameters()
    grid = ParallelizePopulation(grid_size, lower_bound, upper_bound)
    point_grid(grid, label="Initial Grid")
    best_solution = None

```

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```

best_fitness = float('-inf')
for generation in range(num_iterations):
    fitness_grid = evaluate_fitness(grid)
    for i in range(grid_size):
        for j in range(grid_size):
            if fitness_grid[i][j] > best_fitness:
                best_fitness = fitness_grid[i][j]
                best_solution = grid[i][j]
    print(f"Best Solution: {best_solution}")
    best_fitness = f"Best Fitness: {best_fitness} Iteration: {generation}"
    grid = update_stated_grid(fitness_grid)
    print(best_solution, best_fitness)

if name == "main":
    best_solution, best_fitness = parallel_cellular_algorithm()
    print(f"Best Solution: {best_solution}")
    print(f"Best Fitness: {best_fitness}")

ans OUTPUT :
Best Solution: 1.8685, Best Fitness: 3.982 Iteration: 1
Best Solution: 1.9010, Best Fitness: 3.9902 Iteration: 2
Best Solution: 1.9949, Best Fitness: 3.9999 Iteration: 3

```

Code

```
import random

# Student Details
print("Student Name: Likhith M")
print("USN: 1BM22CS135\n")

# Objective Function
def objective_function(x):
    return -(x ** 2) + 4 * x

# Initialize Parameters
def initialize_parameters():
    grid_size = 10 # Grid size
    num_iterations = 50 # Number of iterations
    lower_bound, upper_bound = -10, 10 # Bounds for the grid values
    return grid_size, num_iterations, lower_bound, upper_bound

# Initialize Population Grid
def initialize_population(grid_size, lower_bound, upper_bound):
    grid = [[random.uniform(lower_bound, upper_bound) for _ in range(grid_size)] for _ in range(grid_size)]
    return grid

# Evaluate Fitness Grid
def evaluate_fitness(grid):
    fitness_grid = [[objective_function(cell) for cell in row] for row in grid]
    return fitness_grid

# Update Grid States Based on Neighbor Averages
def update_states(grid, fitness_grid):
    grid_size = len(grid)
    updated_grid = [[0] * grid_size for _ in range(grid_size)]

    for i in range(grid_size):
        for j in range(grid_size):
            neighbors = []
            for di in [-1, 0, 1]:
                for dj in [-1, 0, 1]:
                    if di == 0 and dj == 0:
                        continue
                    ni, nj = i + di, j + dj
                    if 0 <= ni < grid_size and 0 <= nj < grid_size:
                        neighbors.append(grid[ni][nj])

            if neighbors:
                updated_grid[i][j] = sum(neighbors) / len(neighbors)
```

```

        else:
            updated_grid[i][j] = grid[i][j]

    return updated_grid

# Print Grid State
def print_grid(grid, label="Grid"):
    print(f"{label}")
    for row in grid:
        print([f"{value:.4f}" for value in row])
    print()

# Parallel Cellular Algorithm
def parallel_cellular_algorithm():
    grid_size, num_iterations, lower_bound, upper_bound = initialize_parameters()
    grid = initialize_population(grid_size, lower_bound, upper_bound)

    print_grid(grid, label="Initial Grid")

    best_solution = None
    best_fitness = float('-inf')

    for iteration in range(num_iterations):
        fitness_grid = evaluate_fitness(grid)

        for i in range(grid_size):
            for j in range(grid_size):
                if fitness_grid[i][j] > best_fitness:
                    best_fitness = fitness_grid[i][j]
                    best_solution = grid[i][j]

    # Output progress at multiples of 10 iterations
    if iteration % 10 == 0 or iteration == num_iterations - 1:
        print(f"Iteration {iteration}: Best Solution = {best_solution:.4f}, Best Fitness = {best_fitness:.4f}")

    grid = update_states(grid, fitness_grid)

    return best_solution, best_fitness

# Main Function
if __name__ == "__main__":
    best_solution, best_fitness = parallel_cellular_algorithm()
    print("\nFinal Results:")
    print(f"Best Solution: {best_solution:.4f}")
    print(f"Best Fitness: {best_fitness:.4f}")

```

Output

Student Name: Likhith M
USN: 1BM22CS135

```
Initial Grid
[' 2.1002', '-8.5424', ' 0.5768', ' 1.0575', ' 8.1478', ' 5.6918', ' 0.0955', '-7.0900', ' 8.5333', '-5.1055']
['-8.9354', '-9.6884', '-5.2842', '-3.4578', '-4.9637', '-0.9836', '-3.5976', ' 8.3437', ' 6.9574', '-6.4682']
['-1.9309', '-7.2601', '-4.5101', ' 7.2017', '-8.3728', '-7.4899', '-8.2406', '-6.4359', '-0.4393', ' 1.8302']
[' 0.2574', ' 8.0121', '-4.9665', '-4.6416', ' 7.0306', ' 0.2532', ' 8.5815', ' 3.3289', ' 8.8667', '-5.1253']
[' 3.9054', '-6.9647', '-7.1257', '-5.9857', ' 8.9998', '-3.9828', ' 6.6955', '-7.3007', ' 9.8741', '-4.1903']
[' 5.8162', '-8.5069', ' 6.6198', ' 8.0581', '-7.6086', ' 7.3042', ' 8.2752', ' 1.8829', ' 3.0308', ' 3.5125']
['-1.9685', ' 7.2189', ' 7.0566', ' 5.4051', ' 0.6901', '-5.4429', '-6.6738', ' 9.6035', '-8.9977', ' 7.5862']
['-9.0879', '-0.7581', '-4.5743', ' 6.4059', '-6.0020', '-3.6441', ' 3.8070', '-7.6950', '-3.8934', '-3.1362']
['-3.2436', ' 4.7337', '-1.0044', '-9.3255', ' 1.6884', '-0.4363', ' 1.3384', ' 9.5544', ' 6.7410', '-2.7891']
[' 2.3002', '-6.1585', ' 3.3928', '-0.9514', '-3.0380', ' 2.2574', '-0.1634', ' 7.6562', '-8.3370', ' 9.5738']

Iteration 0: Best Solution = 2.1002, Best Fitness = 3.9900
Iteration 10: Best Solution = 1.9938, Best Fitness = 4.0000
Iteration 20: Best Solution = 1.9938, Best Fitness = 4.0000
Iteration 30: Best Solution = 1.9938, Best Fitness = 4.0000
Iteration 40: Best Solution = 1.9938, Best Fitness = 4.0000
Iteration 49: Best Solution = 1.9938, Best Fitness = 4.0000

Final Results:
Best Solution: 1.9938
Best Fitness: 4.0000
```

LABORATORY PROGRAM - 7

Optimization via Gene Expression Algorithms

Gene Expression Algorithms (GEA) are inspired by the biological process of gene expression in living organisms. This process involves the translation of genetic information encoded in DNA into functional proteins. In GEA, solutions to optimizatsion problems are encoded in a manner similar to genetic sequences. The algorithm evolves these solutions through selection, crossover, mutation, and gene expression to find optimal or near-optimal solutions. GEA is effective for solving complex optimization problems in various domains, including engineering, data analysis, and machine learning.

Algorithm

16-18-24

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LABORATORY PROGRAM - 7 01 = 8

OPTIMIZATION VIA GENE EXPRESSION ALGORITHMS

Import operator
Import numpy as np
import geppy as gep
from deap import creator, base, tools

def target_function(x, y):
 return $x^2 + y^2$

x_data = np.linspace(-10, 10, 50)
y_data = np.linspace(0, 10, 50)
x, y = np.meshgrid(x_data, y_data)
z = target_function(x, y)

inputs = np.array([x.ravel(), y.ravel()]).T
outputs = z.ravel()

pset = (gep.PrimitiveSet('main', input_names=['x', 'y'])
pset.add_function(operator.add, 2)
pset.add_function(operator.mul, 2)
pset.add_constant(3))

if not hasattr(creator, "FitnessMax"):
 creator.create("FitnessMax", base.Fitness,
 weights=(1.0,))
if not hasattr(creator, "Individual"):
 creator.create("Individual", gep.Chromosome,
 fitness=creator.FitnessMax)

```

h = 10
n_gene = 3
toolbox.register('gene', gep.Yeast, pset=pset, h=h)
toolbox.register('individual', creator, individual,
                gene=gene, toolbox=toolbox, n_genes=n_genes,
                pset=pset, add=True)
toolbox.register('population', tools.initRepeat, list,
                toolbox.individual)
toolbox.register('compile', gep.compile, pset=pset)

def evaluate(individual):
    func = toolbox.compile(individual)
    predictions = np.array([func(*input) for input in inputs])
    for input pair in inputs]):
        fitness = -np.mean([(outputs - predictions)**2])
    return fitness

toolbox.register('evaluate', evaluate, evaluate)
toolbox.register('select', tools.selroulette)
toolbox.register('mutuniform', gpmutate.uniform,
                pset=pset, indpb=0.1)
toolbox.register('mutisize', gpmutate.size,
                pset=pset, indpb=0.1)
toolbox.register('mutsize', gpmutate.size,
                pset=pset, indpb=0.1)

```

```

toolbox.pbs['mut.uniform'] = 0.1
state = tools.Stateful(key=lambda ind: ind.fitness.values[0])
state.register("avg", np.mean)
state.register("std", np.std)
state.register("min", np.min)
state.register("max", np.max)
hof = tools.HallOfFame(3)
n_pop = 180
n_gen = 100
pop = toolbox.population(n=n_pop)
pop, log = gep.gp_simple(pop, toolbox,
                         n_generations=n_gen, n_elites=1, state=state,
                         hall_of_fame=hof, verbose=True)
best_individual = hof[0]
simplified_solution = gep.simplify(best_individual)
print("In best individual (chromosome):")
print(best_individual)
print("In simplified solution:")
print(simplified_solution)
best_func = toolbox.compile(best_individual)
predictions = np.array([best_func(*input) for
                      input in inputs])

```

$mse = np.mean(outputs - predictions)^2$

point(f"Mean Squared Error of the Best Solution: {mse} : .6f")

rename_labels = {'add': '+', 'mul': '*'}
 gen. export expression_true(best individual, rename_labels, file='tree.png')
 print('Expression tree exported to tree.png')

→ OUTPUT: (8) minfloat what = f8

gen	nevals	avg	std	min	max
0	100	-3.07e+19	2.5e+100	-2.56e+100	-2.200.16
:					
100	64	+7355.51	30406.6	-1629.81	-0

~~Random N
1/2/10^20~~

F7f8 = float what
 (float what) what, np = matlib, hadamard

(float what) float what / float
 (float what) float / float
 (float what) float what / float
 (float what) float what / float

(float what) float what / float
 (float what) float what / float
 (float what) float what / float

Code

```
import operator
import numpy as np
import geppy as gep
from deap import creator, base, tools

# Student Information
print("Student Name: Likhith M")
print("USN: 1BM22CS135\n")

# Step 1: Define the target function
def target_function(x, y):
    return x**2 + y**2

# Step 2: Define the dataset
x_data = np.linspace(-10, 10, 50)
y_data = np.linspace(-10, 10, 50)
X, Y = np.meshgrid(x_data, y_data)
Z = target_function(X, Y) # Target outputs

# Flatten the data for evaluation
inputs = np.array([X.ravel(), Y.ravel()]).T
outputs = Z.ravel()

# Step 3: Define the GEP primitive set
pset = gep.PrimitiveSet('main', input_names=['x', 'y'])
pset.add_function(operator.add, 2)
pset.add_function(operator.mul, 2)
pset.add_constant_terminal(3)

# Step 4: Define the fitness and individual
if not hasattr(creator, "FitnessMax"):
    creator.create("FitnessMax", base.Fitness, weights=(1.0,))
if not hasattr(creator, "Individual"):
    creator.create('Individual', gep.Chromosome, fitness=creator.FitnessMax)

# Define head length and number of genes
h = 10 # Set head length to a suitable value
n_genes = 2 # Adjusted to ensure compatibility with the linker

# Step 5: Define the toolbox
toolbox = gep.Toolbox()

# Register chromosome, population, and compile function
toolbox.register('gene_gen', gep.Gene, pset=pset, head_length=h)
toolbox.register('individual', creator.Individual, gene_gen=toolbox.gene_gen, n_genes=n_genes,
```

```

linker=operator.add)
toolbox.register('population', tools.initRepeat, list, toolbox.individual)
toolbox.register('compile', gep.compile_, pset=pset)

# Define the fitness evaluation function
def evaluate(individual):
    func = toolbox.compile(individual)
    predictions = np.array([func(*input_pair) for input_pair in inputs])
    fitness = -np.mean((outputs - predictions)**2) # Negative MSE
    return fitness,

toolbox.register('evaluate', evaluate)

# Register selection, mutation, and crossover operators
toolbox.register('select', tools.selRoulette)
toolbox.register('mut_uniform', gep.mutate_uniform, pset=pset, ind_pb=0.1)
toolbox.register('mut_invert', gep.invert, pb=0.1)
toolbox.register('mut_is_ts', gep.is_transpose, pb=0.1)
toolbox.register('mut_ris_ts', gep.ris_transpose, pb=0.1)
toolbox.register('mut_gene_ts', gep.gene_transpose, pb=0.1)
toolbox.register('cx_1p', gep.crossover_one_point, pb=0.4)
toolbox.register('cx_2p', gep.crossover_two_point, pb=0.2)
toolbox.register('cx_gene', gep.crossover_gene, pb=0.1)

# Explicitly set probabilities for the operators in Toolbox.pbs
toolbox.pbs['mut_uniform'] = 0.1 # Set the probability for mut_uniform

# Step 6: Define statistics and Hall of Fame
stats = tools.Statistics(key=lambda ind: ind.fitness.values[0])
stats.register("avg", np.mean)
stats.register("std", np.std)
stats.register("min", np.min)
stats.register("max", np.max)

hof = tools.HallOfFame(3)

# Step 7: Set population size and generations
n_pop = 100
n_gen = 5

pop = toolbox.population(n=n_pop)

print("Starting Genetic Programming Evolution...\n")

# Start evolution
pop, log = gep.gep_simple(pop, toolbox, n_generations=n_gen, n_elites=1,
                           stats=stats, hall_of_fame=hof, verbose=True)

```

```
# Step 8: Output the best individual
best_individual = hof[0]
simplified_solution = gep.simplify(best_individual)

print("\nBest Individual (Chromosome):")
print(best_individual)
print("\nSimplified Solution:")
print(simplified_solution)

# Evaluate the error of the solution
best_func = toolbox.compile(best_individual)
predictions = np.array([best_func(*input_pair) for input_pair in inputs])
mse = np.mean((outputs - predictions)**2)
print(f"\nMean Squared Error of the Best Solution: {mse:.6f}")

# Export the expression tree
rename_labels = {'add': '+', 'mul': '*'}
gep.export_expression_tree(best_individual, rename_labels, file='tree.png')
print("\nExpression tree exported to 'tree.png'.")
```

Output

```
Student Name: Likhith M  
USN: 1BM22CS135
```

```
Starting Genetic Programming Evolution...
```

gen	nevals	avg	std	min	max
0	100	-9.38893e+08	7.05021e+09	-6.96414e+10	-2512.38
1	75	-8326.55	22768.3	-153292	-1934.2
2	69	-7262.29	24797.9	-217036	-1621.95
3	64	-256400	1.53122e+06	-1.26277e+07	-0
4	78	-153100	1.3645e+06	-1.36496e+07	-0
5	76	-211820	1.56857e+06	-1.44685e+07	-0

```
Best Individual (Chromosome):
```

```
add(  
    mul(x, x),  
    mul(y, y)  
)
```

```
Simplified Solution:
```

```
x**2 + y**2
```

```
Mean Squared Error of the Best Solution: 0.000000
```

```
Expression tree exported to 'tree.png'.
```

