Julia

A Fast Dynamic Language for Technical Computing

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Why Julia?

Dynamic languages are extremely popular for numerical work:

- Matlab, R, NumPy/SciPy, Mathematica, etc.
- very simple to learn and easy to do research in

However, all have a "split language" approach:

- high-level dynamic language for scripting low-level operations
- ► C/C++/Fortran for implementing fast low-level operations

Libraries in C — no productivity boost for library writers

Forces vectorization — sometimes a scalar loop is just better

Three Key Features

Sophisticated dynamic type system exposed in the language

- dependent parametric types; abstract types, a.k.a. traits
- ▶ polymorphism of all kinds ad hoc, parametric & duck

Multiple dispatch as the core unifying paradigm

- when well-implemented, fast & ubiquitous, it is qualitatively different
- many features can be seen as special cases of multiple dispatch

One language for a broad spectrum of programming levels

- a*b can compile down to a single machine instruction
- a*b can start a computation on a cluster of 1000s of machines

Low-Level Code

```
function qsort!(a,lo,hi)
    i, j = lo, hi
    while i < hi
        pivot = a[(lo+hi)>>>1]
        while i <= j
            while a[i] < pivot; i = i+1; end
            while a[j] > pivot; j = j-1; end
            if i <= j
                a[i], a[j] = a[j], a[i]
                i, j = i+1, j-1
            end
        end
        if lo < j; qsort!(a,lo,j); end</pre>
        lo, j = i, hi
    end
    return a
end
```

Medium-Level Code

```
function randmatstat(t,n)
    v = zeros(t)
    w = zeros(t)
    for i = 1:t
        a = randn(n,n)
        b = randn(n,n)
        c = randn(n,n)
        d = randn(n,n)
        P = [a b c d]
        Q = [a b; c d]
        v[i] = trace((P'*P)^4)
        w[i] = trace((Q'*Q)^4)
    end
    std(v)/mean(v), std(w)/mean(w)
end
```

High-Level Code

```
function copy to(dst::DArray, src::DArray)
    @sync begin
        for p in dst.pmap
            @spawnat p copy_to(localize(dst), localize(src,dst))
        end
    end
    return dst
end
function copy to(dest::AbstractArray, src)
    i = 1
    for x in src
        dest[i] = x
        i += 1
    end
    return dest
end
```

Calling C/Fortran

```
getpid() = ccall(:getpid, Uint32, ())
system(cmd::String) = ccall(:system, Int32, (Ptr{Uint8},), cmd)
libfdm = dlopen("libfdm")
besselj0(x::Float64) =
    ccall(dlsym(libfdm, :j0), Float64, (Float64,), x)
function fill!{T<:Union(Int8,Uint8)}(a::Array{T}, x::Integer)</pre>
    ccall(:memset, Void, (Ptr{T},Int32,Int), a, x, length(a))
    return a
end
```

The Numeric Promotion Dilemma

Most languages allow you to mix numeric types

not having this gets annoying very quickly

Ada, OCaml (?), assembly

Traditional solution is to build promotion rules into the language

- otherwise too slow
- but doesn't work for user-defined types

Ideally want something generic, extensible & fast

$$1 + 2.5$$
 $0.5 + 3im$...

Promotion via Multiple Dispatch

Built-in definitions:

```
function promote{T,S}(x::T, y::S)
    P = promote_type(T,S)
    convert(P,x), convert(P,y)
end
+(x::Number, y::Number) = +(promote(x,y)...)
```

When adding a new type:

Type System — What's Normal

Nominative type hierarchy

Bits types, composite types, abstract types

Tuple types (argument lists)

Union types

Types have parameters (invariant)

```
Rational(Int32)(1,2)
Rational(1,2)
```

Type System — What's Unusual

Parametric methods and "type patterns"

```
r\{T<:Integer\}(x::T, y::T) = Rational\{T\}(x,y)
r(1,2)
```

Singleton kinds

```
sizeof(::Type{Int16}) = 2
sizeof(Int16) \Rightarrow 2
```

Example — matrices that can be passed to LAPACK:

```
typealias StridedMatrix{T,A<:Array}
Union(Matrix{T},SubArray{T,2,A})</pre>
```

Dynamic Type Inference

Tags, not types

Tries to "guess" the tags

Entirely run-time semantics

Can improve the algorithm without updating the spec

Dynamic Type Inference

Abstract interpretation of lowered form:

assignments, calls, conditional branches, exception handlers

Apply type transfer functions to handle calls

Small set of primitives with simple, known t-functions

The t-function for generic functions is

$$T(f, t_{\text{arg}}) = \bigsqcup_{(s,g) \in f} T(g, t_{\text{arg}} \sqcap s)$$

Key Optimizations

Aggressive method specialization

Lots of inlining

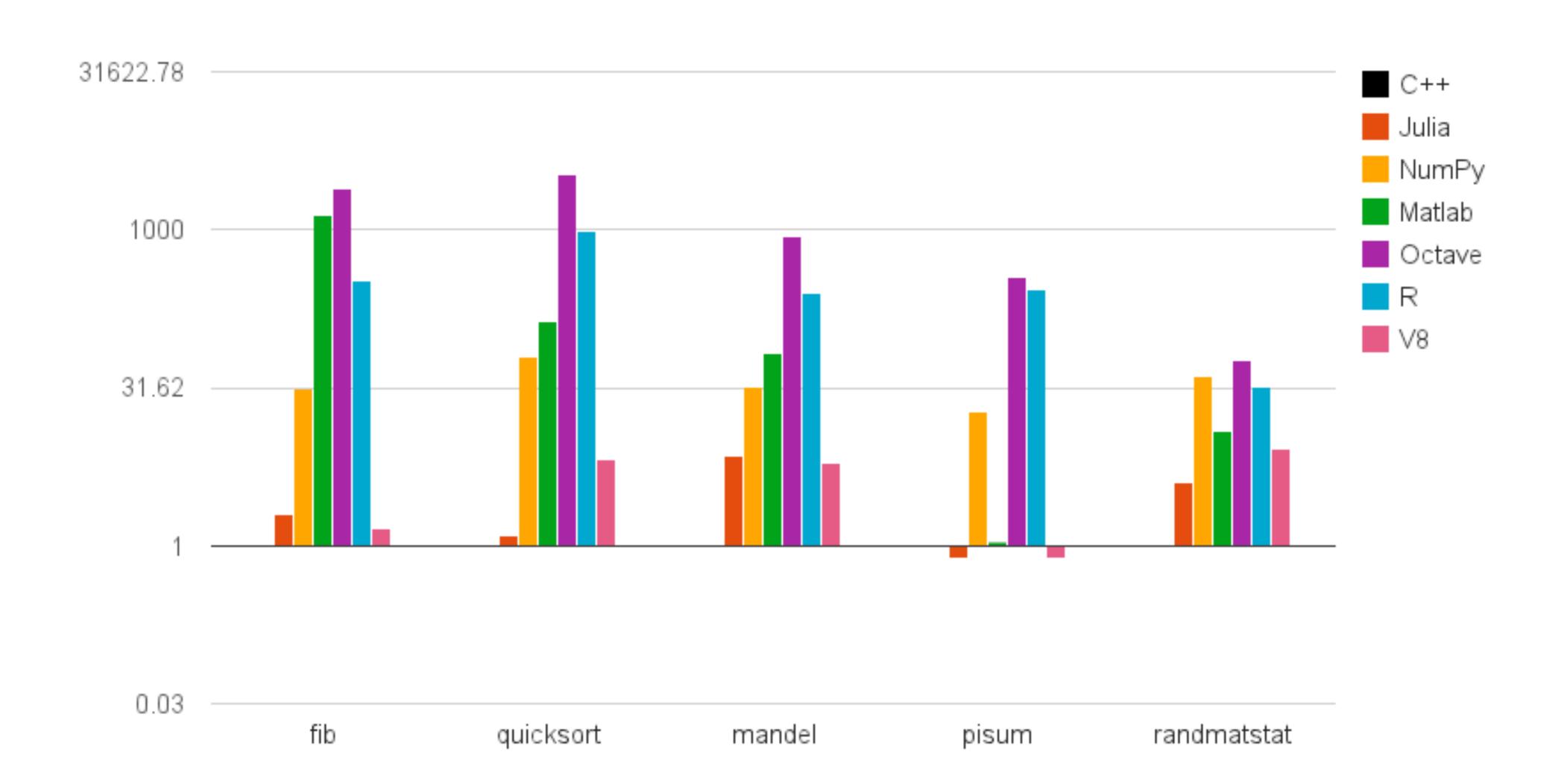
Elimination of apply()

```
apply(f, (a, b)) \Rightarrow f(a,b)
apply(f, t::(T,S)) \Rightarrow f(t[1], t[2])
```

Multiple value cons-elimination

```
(a, b) = (f(), g()) \Rightarrow t1 = f(); t2 = g()
a = t1; b = t2
```

Performance



Disadvantages

Method ambiguities

can print a very specific warning (using type intersection)

Generated code, compiler data structures and type information take up memory

realistically, can't run Julia in < 200Mb today

About 144 bytes/LOC in the library

Building from scratch is slow

→ ~15 sec system image build time to prime the cache (but done off-line)

Modularity is a bit tricky with multiple dispatch

Type info only flows "forward" — no return type overloading

People Like It!

"Frustrated matlab and R user wanting a language that doesn't sacrifice performance."

"Where has Julia been this past two years!? I had searched for it high and low, day and night, to the point of nearly driving myself insane."

"I'm having a lot of *fun* (productive fun!) using Julia and hope to be able to contribute."

"...everything I wished I'd had in MATLAB and for data analysis for years now..."

"I'm really excited that you're building a language that looks very much like what I've wanted for over ten years now."

Project Statistics

Hundreds of popular numerical functions

Getting traction as an open-source project:

- ▶ 300,000+ page views
- ▶ 100,000+ visitors
- ► 3,000+ downloads
- ▶ 1,000+ GitHub followers
- ▶ 40+ contributors
- ▶ 4+ Stefans