**Shusen Wang** 

Value-Based Methods Actor-Critic Methods

Policy-Based Methods

# Value Network and Policy Network

**Definition:** State-value function.

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#### Value network (critic):

- Use neural net  $q(s, \mathbf{a}; \mathbf{w})$  to approximate  $Q_{\pi}(s, \mathbf{a})$ .
- w : trainable parameters of the neural net.

#### **Definition:** State-value function.

•  $V_{\pi}(s) = \sum_{a} \pi(a|s) \cdot Q_{\pi}(s,a) \approx \sum_{a} \pi(a|s;\theta) \cdot q(s,a;\mathbf{w}).$ 

#### Policy network (actor):

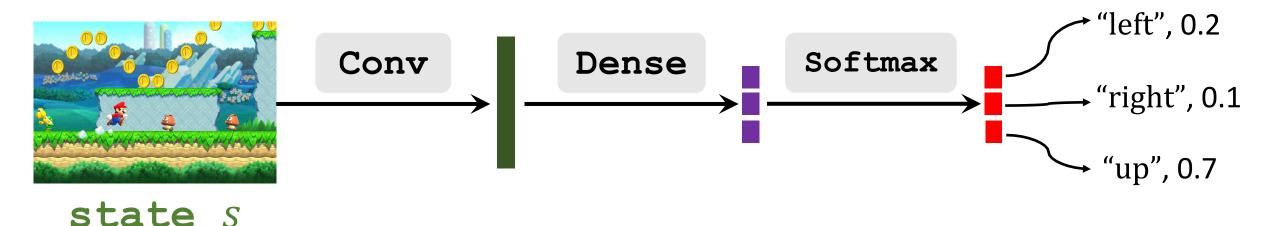
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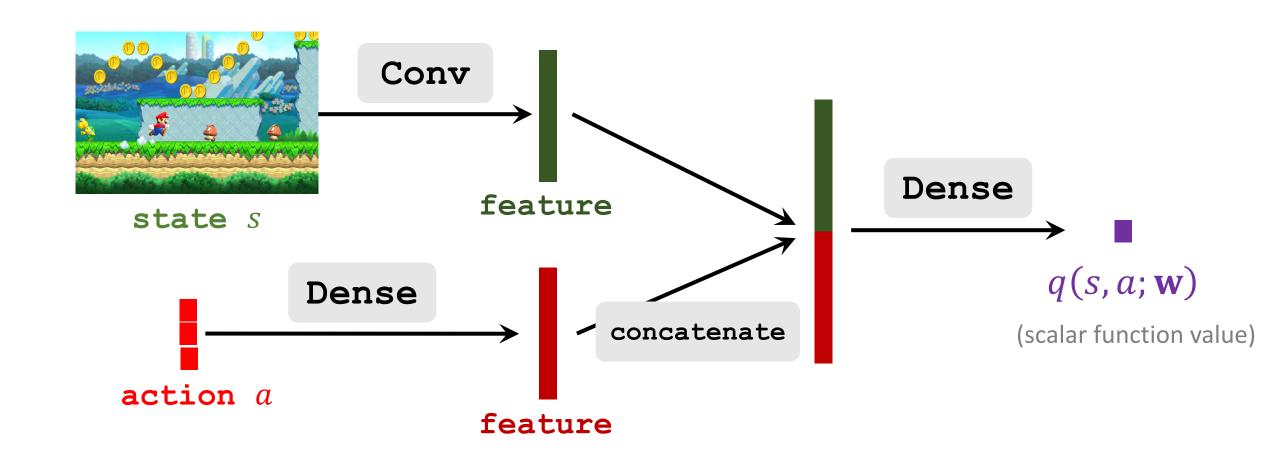
## Policy Network (Actor): $\pi(a|s,\theta)$

- Input: state s, e.g., a screenshot of Super Mario.
- Output: probability distribution over the actions.
- Let  $\mathcal{A}$  be the set all actions, e.g.,  $\mathcal{A} = \{\text{"left", "right", "up"}\}$ .
- $\sum_{a \in \mathcal{A}} \pi(a|s, \theta) = 1$ . (That is why we use softmax activation.)



# Value Network (Critic): q(s, a; w)

- Inputs: state s and action a.
- Output: approximate action-value (scalar).



policy network (actor)



value network (critic)



### **Train the Neural Networks**

**Definition:** State-value function approximated using neural networks.

•  $V(s; \theta, \mathbf{w}) = \sum_{\mathbf{a}} \pi(\mathbf{a}|s; \theta) \cdot q(s, \mathbf{a}; \mathbf{w}).$ 

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•  $V(s; \theta, \mathbf{w}) = \sum_{\mathbf{a}} \pi(\mathbf{a}|s; \theta) \cdot q(s, \mathbf{a}; \mathbf{w}).$ 

- Update policy network  $\pi(a|s; \theta)$  to increase the state-value  $V(s; \theta, \mathbf{w})$ .
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  - Supervision is purely from the value network (critic).

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  - Actor gradually performs better.
  - Supervision is purely from the value network (critic).
- Update value network  $q(s, \mathbf{a}; \mathbf{w})$  to better estimate the return.
  - Critic's judgement becomes more accurate.
  - Supervision is purely from the rewards.

**Definition:** State-value function approximated using neural networks.

•  $V(s; \boldsymbol{\theta}, \mathbf{w}) = \sum_{\boldsymbol{a}} \pi(\boldsymbol{a}|s; \boldsymbol{\theta}) \cdot q(s, \boldsymbol{a}; \mathbf{w}).$ 

- 1. Observe the state  $s_t$ .
- 2. Randomly sample action  $a_t$  according to  $\pi(\cdot | s_t; \theta_t)$ .
- 3. Perform  $a_t$  and observe new state  $s_{t+1}$  and reward  $r_t$ .
- 4. Update w (in value network) using temporal difference (TD).
- 5. Update  $\theta$  (in policy network) using policy gradient.

# Update value network q using TD

- Compute  $q(s_t, a_t; \mathbf{w}_t)$  and  $q(s_{t+1}, a_{t+1}; \mathbf{w}_t)$ .
- TD target:  $y_t = r_t + \gamma \cdot q(s_{t+1}, a_{t+1}; \mathbf{w}_t)$ .

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- TD target:  $y_t = r_t + \gamma \cdot q(s_{t+1}, a_{t+1}; \mathbf{w}_t)$ .
- Loss:  $L(\mathbf{w}) = \frac{1}{2} [q(s_t, a_t; \mathbf{w}) y_t]^2$ .
- Gradient descent:  $\mathbf{w}_{t+1} = \mathbf{w}_t \alpha \cdot \frac{\partial L(\mathbf{w})}{\partial \mathbf{w}} \mid_{\mathbf{w} = \mathbf{w}_t}$ .

# Update policy network $\pi$ using policy gradient

**Definition:** State-value function approximated using neural networks.

•  $V(s; \boldsymbol{\theta}, \mathbf{w}) = \sum_{\boldsymbol{a}} \pi(\boldsymbol{a}|s; \boldsymbol{\theta}) \cdot q(s, \boldsymbol{a}; \mathbf{w}).$ 

**Policy gradient:** Derivative of  $V(s_t; \theta, \mathbf{w})$  w.r.t.  $\theta$ .

- Let  $\mathbf{g}(\mathbf{a}, \mathbf{\theta}) = \frac{\partial \log \pi(\mathbf{a}|s, \mathbf{\theta})}{\partial \mathbf{\theta}} \cdot q(s_t, \mathbf{a}; \mathbf{w}).$
- $\frac{\partial V(s; \theta, \mathbf{w}_t)}{\partial \theta} = \mathbb{E}_{\mathbf{A}}[\mathbf{g}(\mathbf{A}, \theta)].$

# Update policy network $\pi$ using policy gradient

**Definition:** State-value function approximated using neural networks.

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- Let  $\mathbf{g}(\mathbf{a}, \mathbf{\theta}) = \frac{\partial \log \pi(\mathbf{a}|s, \mathbf{\theta})}{\partial \mathbf{\theta}} \cdot q(s_t, \mathbf{a}; \mathbf{w}).$
- $\frac{\partial V(s;\theta,\mathbf{w}_t)}{\partial \theta} = \mathbb{E}_{\mathbf{A}}[\mathbf{g}(\mathbf{A},\mathbf{\theta})].$

Algorithm: Update policy network using stochastic policy gradient.

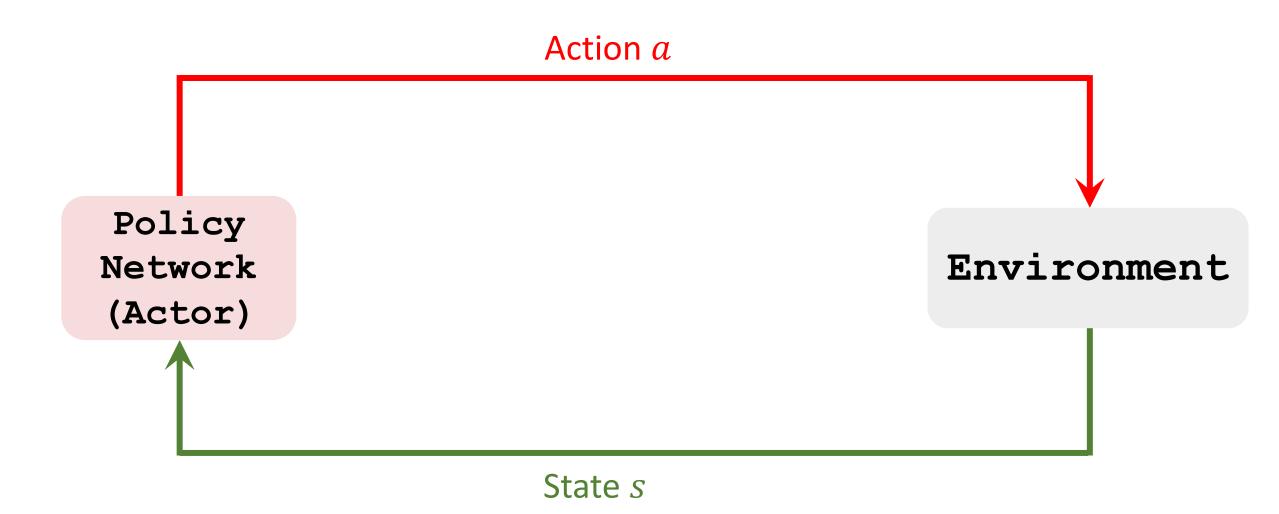
- Random sampling:  $a \sim \pi(\cdot | s_t; \theta_t)$ . (Thus  $g(a, \theta)$  is unbiased.)
- Stochastic gradient ascent:  $\theta_{t+1} = \theta_t + \beta \cdot \mathbf{g}(\mathbf{a}, \theta_t)$ .

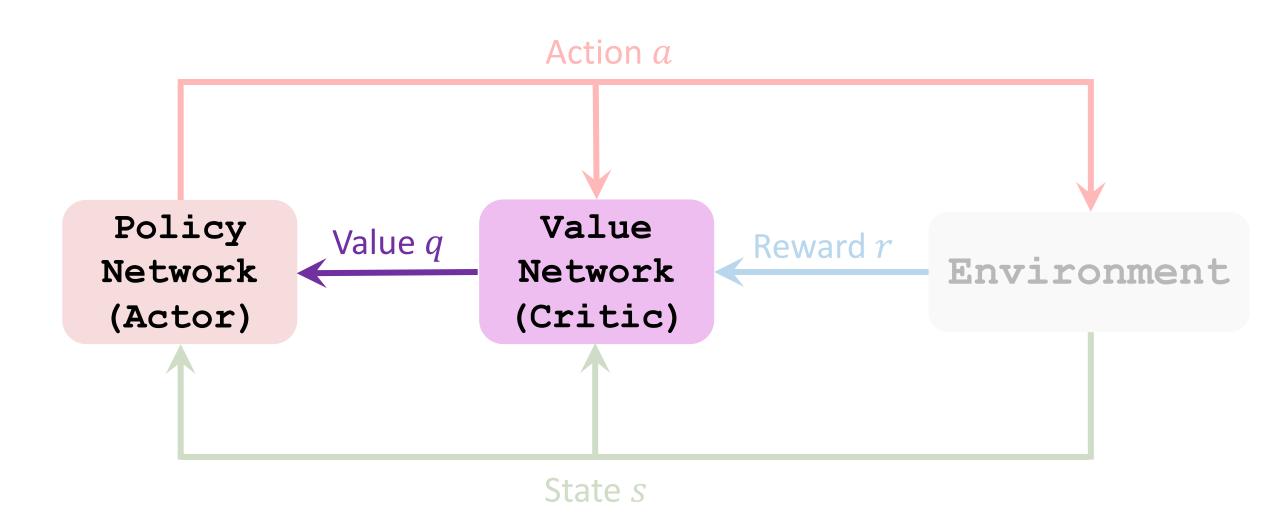
policy network (actor)



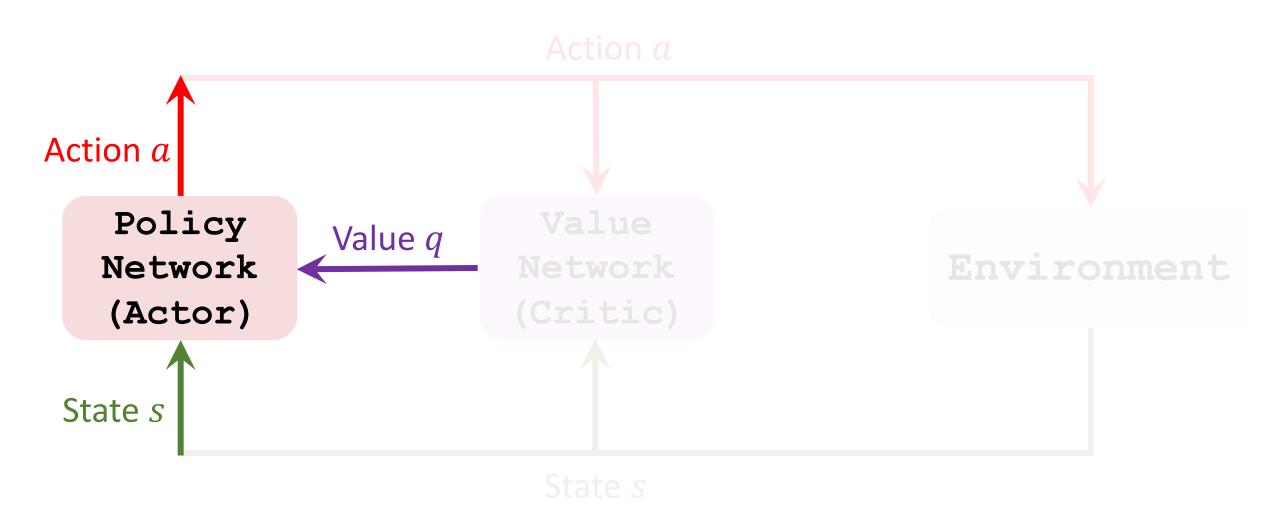
value network (critic)



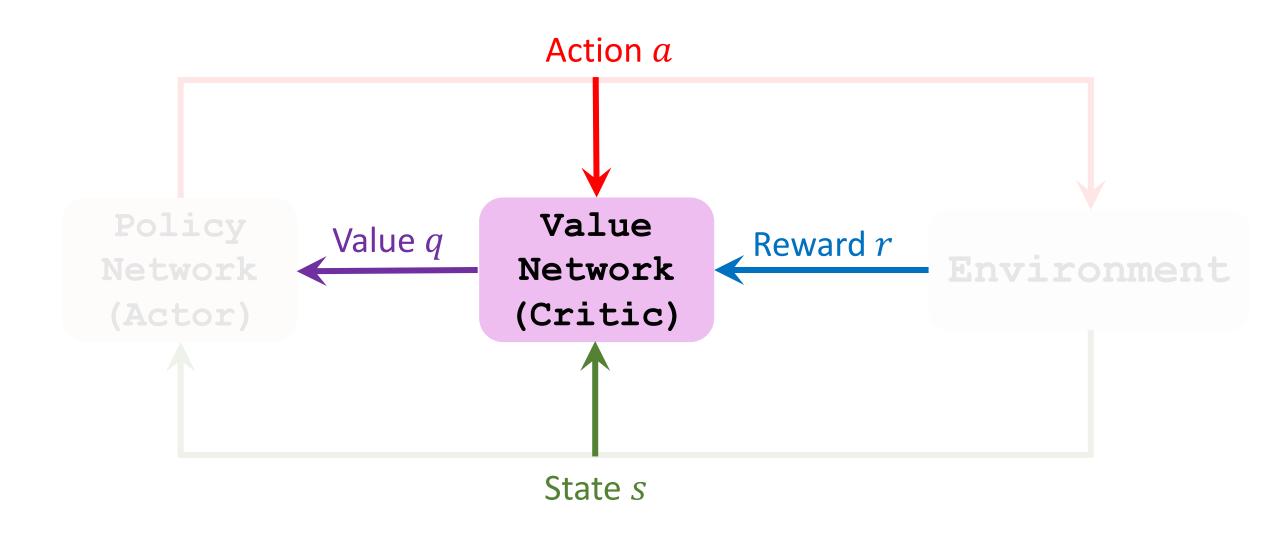




### **Actor-Critic Method: Update Actor**



### **Actor-Critic Method: Update Critic**



- 1. Observe state  $s_t$  and randomly sample  $a_t \sim \pi(\cdot | s_t; \theta_t)$ .
- 2. Perform  $a_t$ ; then environment gives new state  $s_{t+1}$  and reward  $r_t$ .
- 3. Randomly sample  $\tilde{a}_{t+1} \sim \pi(\cdot | s_{t+1}; \theta_t)$ . (Do not perform  $\tilde{a}_{t+1}!$ )

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- 4. Evaluate value network:  $q_t = q(s_t, a_t; \mathbf{w}_t)$  and  $q_{t+1} = q(s_{t+1}, \tilde{a}_{t+1}; \mathbf{w}_t)$ .
- 5. Compute TD error:  $\delta_t = q_t (r_t + \gamma \cdot q_{t+1})$ .

  TD Target

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- 6. Differentiate value network:  $\mathbf{d}_{w,t} = \frac{\partial q(s_t, \mathbf{a_t}; \mathbf{w})}{\partial \mathbf{w}} \big|_{\mathbf{w} = \mathbf{w}_t}$ .
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# **Policy Gradient with Baseline**

- 1. Observe state  $s_t$  and randomly sample  $a_t \sim \pi(\cdot | s_t; \theta_t)$ .
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- 4. Evaluate value network:  $q_t = q(s_t, a_t; \mathbf{w}_t)$  and  $q_{t+1} = q(s_{t+1}, \tilde{a}_{t+1}; \mathbf{w}_t)$ .
- 5. Compute TD error:  $\delta_t = q_t (r_t + \gamma \cdot q_{t+1})$ .
- 6. Differentiate value network:  $\mathbf{d}_{w,t} = \frac{\partial q(s_t, \alpha_t, \mathbf{w})}{\mathsf{Baseline}^{\mathbf{w}}} |_{\mathbf{w} = \mathbf{w}_t}$ .
- 7. Update value network:  $\mathbf{w}_{t+1} = \mathbf{w}_t \alpha \cdot \delta_t \cdot \mathbf{d}_{w,t}$ .
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# **Summary**

## **Policy Network and Value Network**

**Definition:** State-value function.

• 
$$V_{\pi}(s) = \sum_{a} \pi(a|s) \cdot Q_{\pi}(s,a)$$
.

**Definition:** function approximation using neural networks.

- Approximate policy function  $\pi(a|s)$  by  $\pi(a|s;\theta)$  (actor).
- Approximate value function  $Q_{\pi}(s, \mathbf{a})$  by  $q(s, \mathbf{a}; \mathbf{w})$  (critic).

### **Roles of Actor and Critic**

#### **During training**

- Agent is controlled by policy network (actor):  $a_t \sim \pi(\cdot | s_t; \theta)$ .
- Value network q (critic) provides the actor with supervision.

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#### After training

- Agent is controlled by policy network (actor):  $a_t \sim \pi(\cdot | s_t; \theta)$ .
- Value network q (critic) will not be used.

### **Training**

#### Update the policy network (actor) by policy gradient.

- Seek to increase state-value:  $V(s; \theta, \mathbf{w}) = \sum_{a} \pi(a|s; \theta) \cdot q(s, a; \mathbf{w})$ .
- Compute policy gradient:  $\frac{\partial V(s;\theta)}{\partial \theta} = \mathbb{E}_{A} \left[ \frac{\partial \log \pi(A|s,\theta)}{\partial \theta} \cdot q(s,A;\mathbf{w}) \right].$
- Perform gradient ascent.

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- Perform gradient ascent.

#### Update the value network (critic) by TD learning.

- Predicted action-value:  $q_t = q(s_t, a_t; \mathbf{w})$ .
- TD target:  $y_t = r_t + \gamma \cdot q(s_{t+1}, a_{t+1}; \mathbf{w})$
- Gradient:  $\frac{\partial (q_t y_t)^2/2}{\partial \mathbf{w}} = (q_t y_t) \cdot \frac{\partial q(s_t, a_t; \mathbf{w})}{\partial \mathbf{w}}$ .
- Perform gradient descent.

Thank you!

# **Policy Gradient with Baseline**

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**Definition:** Approximated state-value function.

- $V(s; \boldsymbol{\theta}) b = \sum_{\boldsymbol{a}} \pi(\boldsymbol{a}|s; \boldsymbol{\theta}) \cdot [Q_{\pi}(s, \boldsymbol{a}) b].$
- Here, the baseline b must be independent of  $\theta$  and a.

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- Here, the baseline b must be independent of  $\theta$  and a.

#### **Policy gradient:** Derivative of $V(s; \theta)$ w.r.t. $\theta$ .

$$\bullet \frac{\partial V(s;\theta)}{\partial \theta} = \frac{\partial [V(s;\theta)-b]}{\partial \theta} = \mathbb{E}_{\boldsymbol{a} \sim \pi(\cdot|s;\theta)} \left[ \frac{\partial \log \pi(\boldsymbol{a}|s,\theta)}{\partial \theta} \cdot [Q_{\pi}(s,\boldsymbol{a})-b] \right].$$

- The baseline b does not affect correctness.
- A good baseline b can reduce variance.
- We can use  $b = r_t + \gamma \cdot q_{t+1}$  (TD target) as the baseline.

## Actor Critic Update (without baseline)

- 1. Observe the state  $s_t$ ; randomly sample action  $a_t$  according to  $\pi(\cdot | s_t; \theta_t)$ .
- 2. Perform  $a_t$ ; observe new state  $s_{t+1}$  and reward  $r_t$ .
- 3. Randomly sample  $a_{t+1}$  according to  $\pi(\cdot | s_{t+1}; \theta_t)$ . (Do not perform  $a_{t+1}$ .)
- 4. Evaluate value network:  $q_t = q(s_t, a_t; \mathbf{w}_t)$  and  $q_{t+1} = q(s_{t+1}, a_{t+1}; \mathbf{w}_t)$ .
- 5. Compute the TD error:  $\delta_t = q_t (r_t + \gamma \cdot q_{t+1})$ .
- 6. Differentiate value network:  $\mathbf{d}_{w,t} = \frac{\partial q(s_t, a_t; \mathbf{w})}{\partial \mathbf{w}} |_{\mathbf{w} = \mathbf{w}_t}$ .
- 7. Update value network:  $\mathbf{w}_{t+1} = \mathbf{w}_t \alpha \cdot \delta_t \cdot \mathbf{d}_{w,t}$ .
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- 4. Evaluate value network:  $q_t = q(s_t, a_t; \mathbf{w}_t)$  and  $q_{t+1} = q(s_{t+1}, a_{t+1}; \mathbf{w}_t)$ .
- 5. Compute the TD error:  $\delta_t = q_t (r_t + \gamma \cdot q_{t+1})$ .
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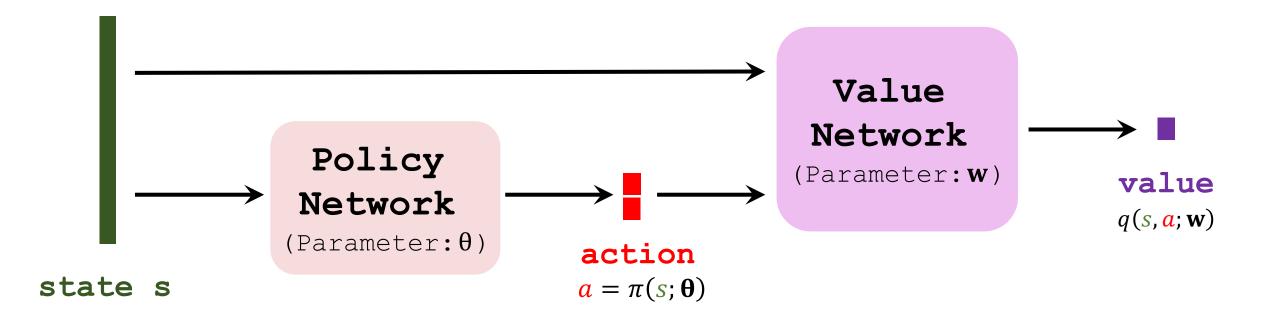
## Deterministic Policy Gradient (DPG)

#### Reference

- Silver and others: Deterministic Policy Gradient Algorithms. In ICML, 2014.
- Lillicrap and others: Continuous control with deep reinforcement learning. arXiv:1509.02971. 2015.

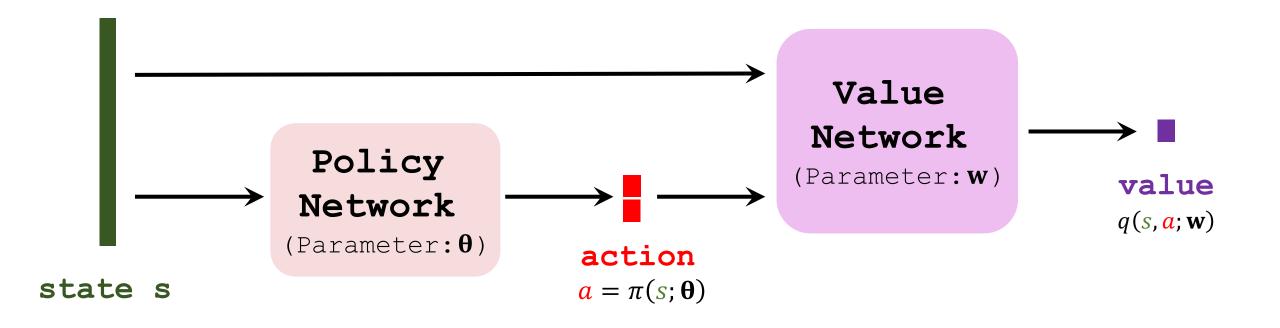
# Deterministic Policy Gradient (DPG)

- DPG is a actor-critic method.
- The policy network is deterministic:  $a = \pi(s; \theta)$ .



# Deterministic Policy Gradient (DPG)

- DPG is a actor-critic method.
- The policy network is deterministic:  $a = \pi(s; \theta)$ .
- Trained value network by TD learning.
- Train policy network to maximize the value  $q(s, \mathbf{a}; \mathbf{w})$ .



## **Train Policy Network**

- Train policy network to maximize the value q(s, a; w).
- Gradient:  $\frac{\partial q(s,a;w)}{\partial \theta} = \frac{\partial a}{\partial \theta} \cdot \frac{\partial q(s,a;w)}{\partial a}$ .
- Update  $\theta$  using gradient ascent.

