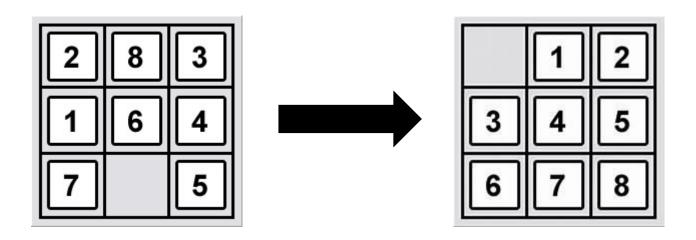
8-PUZZLE SOLVER

الرقم الجامعي	الاسم
19015889	عبدالرحمن أحمد يسري النعناني
19015378	أحمد هشام عبدالرزاق
19016532	محمود جاد ابوالوفا
19015854	صلاح الدين أحمد محمد السيد الطنيحي

8-Puzzle solver

Problem Statement:

8-Puzzle game consists of a board holding 8 distinct movable tiles, plus an empty space. For any such board, the empty space may be legally swapped with any tile horizontally or vertically adjacent to it. Given an initial state of the board, it's required to use AI algorithms to find a sequence of moves that transitions this state to the goal state.



Implemented Algorithms:

This program depends on 3 algorithms:

- 1-BFS
- 2- DFS
- 3- A*: Using 2 different heuristic functions (Manhattan distance, Euclidean distance)

Used Data Structure:

- Stack: used in DFS algorithm as a frontier
- Queue: used in BFS algorithm as a frontier
- Priority Queue (Heap): used in A* algorithm as a frontier
- List: used to save any details (expanded states, path to goal)
- **Dictionary**: to save each state to its parent in the tree
- **Set**: to save explored states

Program features

- This program is designed to solve any shape of the puzzle that will be entered (in case It has a solution)
- The program uses 3 algorithms (BFS, DFS, A*)
- The Program can find different information during finding the solution:

- o cost of the path from initial state to final state
- o path from initial state to final state
- o run time to find the solution
- o all expanded states
- o depth of the tree

Implementation (pseudo code):

Read initial state

Check that input is valid

If not valid: read initial state again

Else:

Choose the algorithm:

if algorithm is BFS: search using BFS ()

If algorithm is DFS: search using DFS ()

If algorithm is A*: search using A*()

```
BFS (initialState):

Frontier = Queue.new(initialState)

Explored = Set.new()

Parents = hashmap.new(initialState, initialState)

While not frontier.isEmpty():

State = fronter.dequeue()

Explored.add(State)

If State == goalState:

Find cost, depth, run-time
find path goal state to initial state with backtrace

Return SUCCESS(State)

For neighbour in state.neighbors():

If neighbour not in Frontier U Explored:

Parent[neighbour] = State

Frontier.enqueue(neighbour)
```

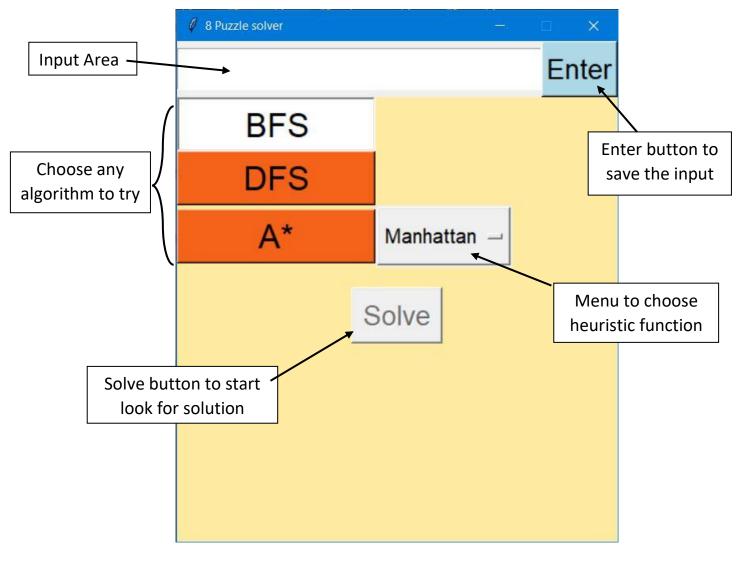
Return **FAILURE**

```
DFS (initialState):
      Frontier = Stack.new(initialState)
      Explored = Set.new()
      Parents = hashmap.new(initialState, initialState)
      While not frontier.isEmpty():
            State = fronter.pop()
            Explored.add(State)
            If State == goalState:
                   Find cost, depth, run-time
                   find path goal state to initial state with backtrace
                   Return SUCCESS(State)
            For neighbour in state.neighbors():
                   If neighbour not in Frontier U Explored:
                         Parent[neighbour] = State
                         Frontier.push(neighbour)
            Return FAILURE
```

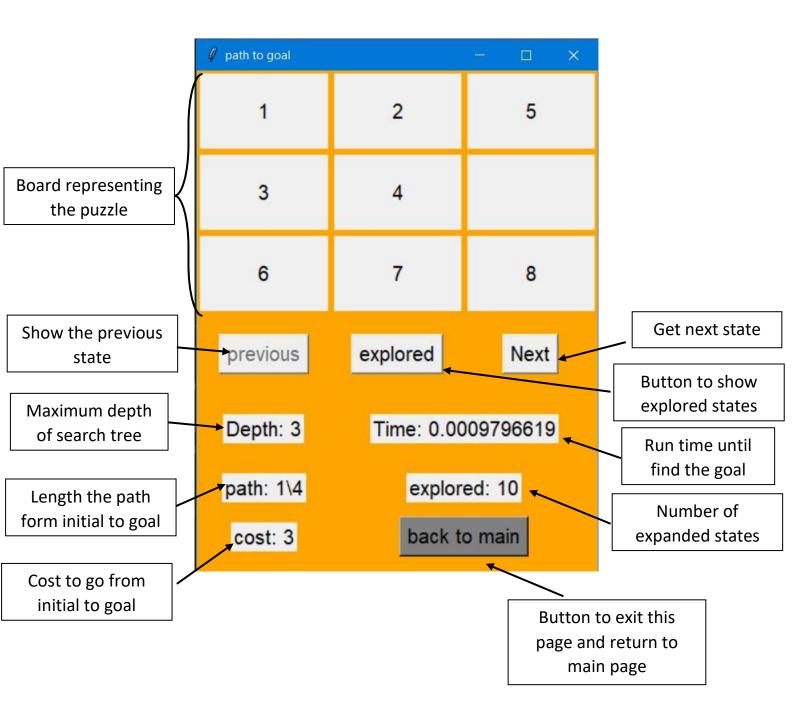
```
A* (initialState):
      Frontier = PriorityQueue.new(initialState)
      Explored = Set.new()
      Parents = hashmap.new(initialState, initialState)
      Frontier.add(initialState)
      While not frontier.isEmpty():
            State = fronter.deleteMin()
            Explored.add(State)
            If State == goalState:
                   Return SUCCESS
            For neighbour in state.neighbors():
                   If (neighbour not in Frontier U Explored)
                                      or (neighbour in frontier):
                         neighbour.depth = state.depth + 1
                         calculate_cost(neighbour, neighbour.depth)
                         Parent[neighbour] = State
                         Frontier.add(neighbour)
            Return FAILURE
```

How to use the program:

This program uses simple UI:



- 1- enter the initial state in the input area
- 2- press enter to save initial state
- 3- choose any algorithm to use (in case of A* choose the heuristic function)
- 4- start solving by click solve



- 5- a new window will open showing the path to the goal, with other information:
 - a. number of states from initial state to the goal
 - b. number of expanded states
 - c. depth of the tree
 - d. cost of the path
 - e. run time
- 6- we can go through the path state by state by clicking on next or previous

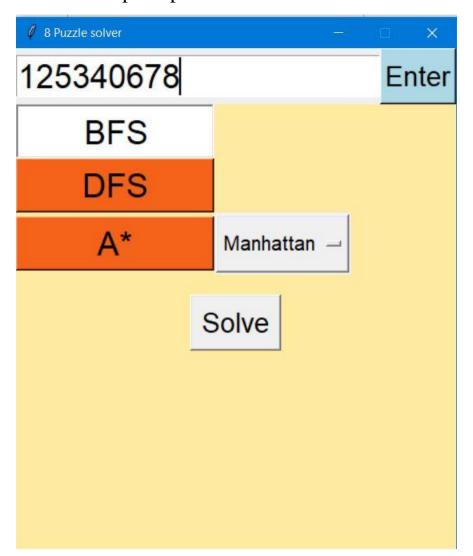
- 7- on clicking explored a new page will open to see all expanded states
- 8- to close any pop-up page, click back to main

Assumptions

• the program may take many seconds (can reach 100 sec) to find the solution in some cases

Test cases

- 1- simple test case
 - Simple input



• Simple A* Manhattan



• Simple A* Euclidian



• Simple DFS

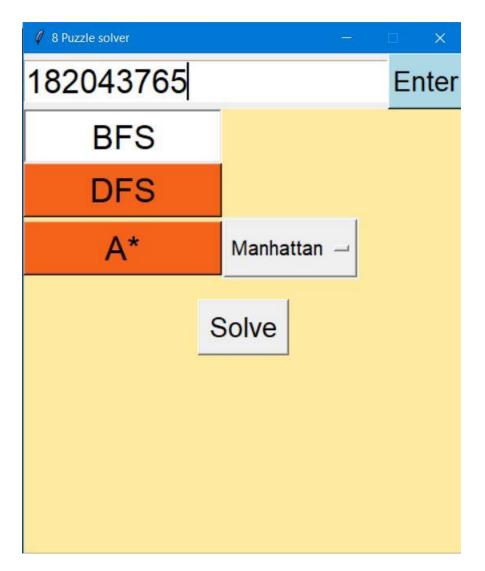


• Simple BFS

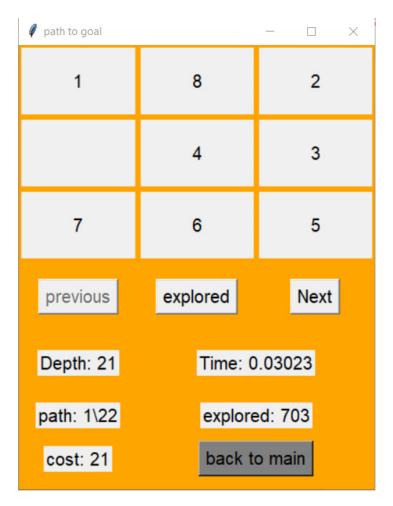


2- hard test case

• Hard input



• Hard A* Manhattan



• Hard A* Eculidian



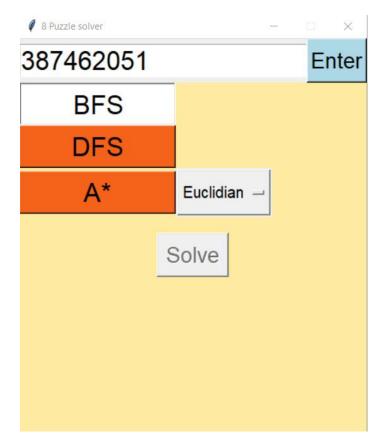
• Hard DFS



Hard BFS



Hard teset case 2:-



BFS:-

path to goal		- 🗆 ×	
	1	2	
3	4	5	
6	7	8	
previous	explored	Next	
Depth: 24	Time: 296.4863033295		
path: 25\25	explored: 125044		
cost: 24	back to main		

DFS:-



A* Manhattan :-

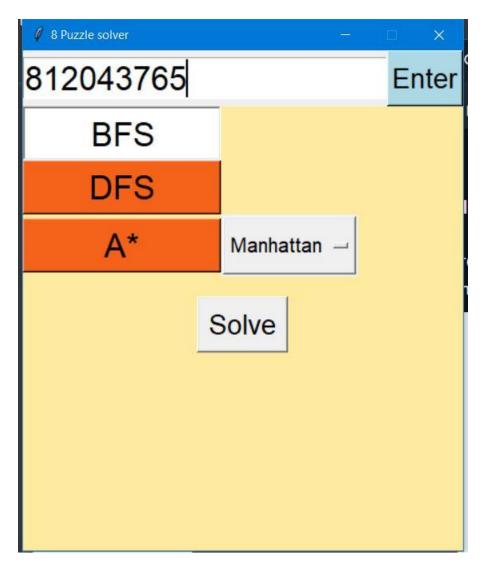


A* Euclidian :-

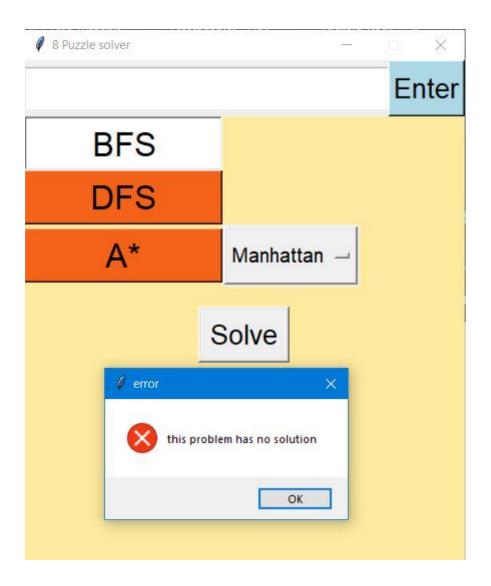


3- no solution test case

• No solution input

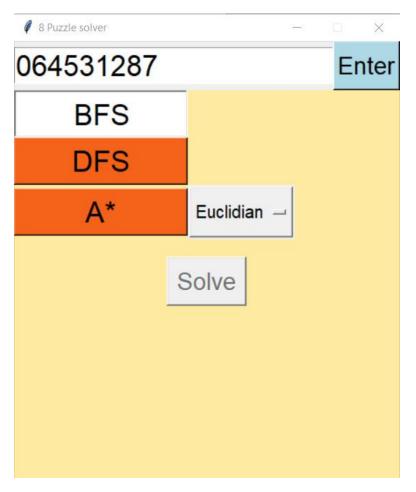


• No solution output



Corner and hard Test case :-

Zero at start :-



BFS:-



DFS :- (FASTER than BFS!)



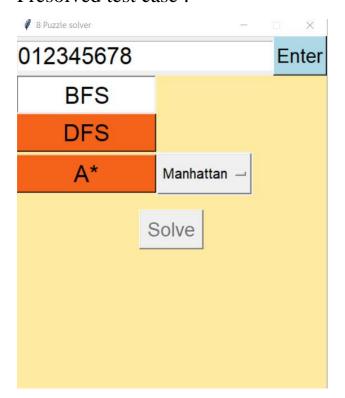
A* Manhattan :-



A* Euclidian :-



Presolved test case:-



BFS:-



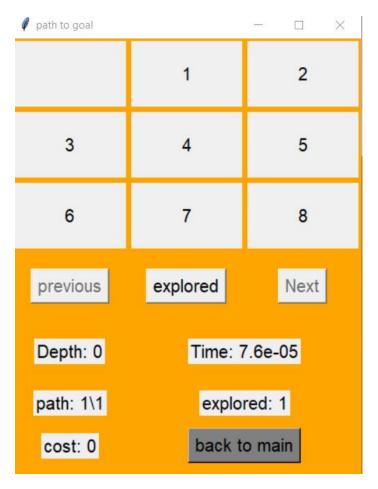
DFS:-



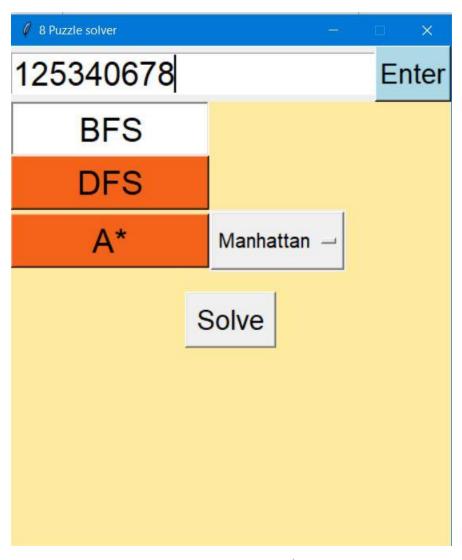
A* Manhattan :-



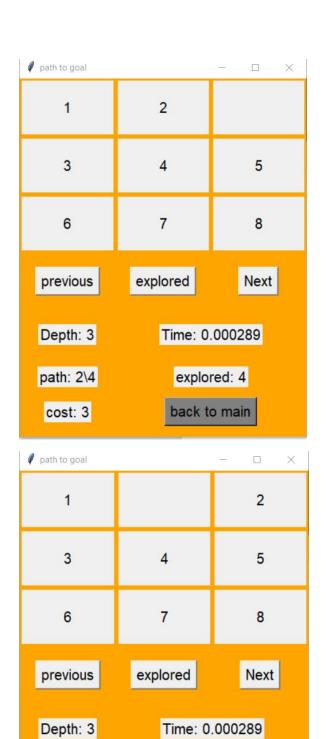
A* Euclidian :-



Example for expanded node view:-







explored: 4

back to main

path: 3\4

cost: 3

path to goal		- 🗆 X	
	1	2	
3	4	5	
6	7	8	
previous	explored	Next	
Depth: 3	Time: 0.000289		
path: 4\4	explored: 4		
cost: 3	back to main		