

Hashing

→ Two sum problem -

- Given an array of integers nums & an integer target .
 return the indices of 2 nos. such that they add up to target.
 You may assume that each input would have exactly one
 solution & you may not use the same element twice.
 Return the answer in any order.

Soln

i/p: $2, 6, 5, 8, 11$ & target = 14
 ↪ not sorted ans = $\langle 1, 3 \rangle$

optimize

$0 \quad 1 \quad 2 \quad 3 \quad 4 \quad 5 \quad 6 \quad 7 \quad 8 \quad 9 \quad 10 \quad 11$

① $\therefore 14 - 2 = 12$ ↪ not exist in hash table
 ↪ put 2 in map along with index

$(5, 2)$
 $(6, 1)$
 $(2, 0)$

$\langle \text{int}, \text{int} \rangle$ ↪ index element

② $14 - 6 = 8$ ↪ x put in map

③ $14 - 5 = 9$ ↪ x put in map

④ $14 - 8 = 6$ ↪ exist in map and it at index 1
 ↪ from we have
 $\therefore (1, 3)$ ↪ ans

$$TC = O(n * 1)$$

$SC = O(n)$ ↪ unordered map
 ↪ as all values can be in map
 $WC = O(n)$ when # collisions is more (rare)

P TO

```

vector<int> twoSum(vector<int>& nums, int target)
{
    int n = nums.size();
    vector<int> ans;
    unordered_map<int, int> m;
    for(int i=0; i<n; i++)
    {
        if(m.find(target - nums[i]) != m.end())
        {
            ans.push_back(m[target - nums[i]]);
            ans.push_back(i);
            return ans;
        }
        m[nums[i]] = i;
    }
    return ans;
}

```

\rightarrow 4 Sum -

Given an array nums of n integers & an integer target ,
 are there elements a, b, c, d in nums such that
 $a+b+c+d = \text{target}$?
 find all unique quadruplets in array which gives the sum
 of target.

Note - the solution set must not contain duplicate quadruplets

Soln -
 i/p: $[1, 0, -1, 0, -2, 2]$ & target = 0

o/p = $[-1, 0, 0, 1], [-2, -1, 1, 2], [-2, 0, 0, 2]$

Approach

optional

P TO

i/p: 4, 3, 3, 4, 4, 2, 1, 2, 11 & target

↓ sort

1, 1, 1, 2, 2, 3, 3, 4, 4, 4

We will use two pointers i & j
& two variables for two sum l & r

(Since sorted)

①

$$\text{rem} = [9 - a[i] - a[j]]$$

$$= [9 - 1 - 1]$$

$$= 7$$

→ look from
l to r for 7
using 2 sum

$$• 5 < 7 \uparrow L$$

$$• 2 + 4 < 7 \uparrow L$$

& stn u at ind = 3 \Rightarrow 2 is
no need to check

for 2 at 4
 \therefore go till we
get diff element

$$• 3 + 4 = 7$$

\therefore we get 1st ans

$(1, 1, 3, 4) \cancel{\downarrow}$

• Already computed for
3 (for 4, ~~g o~~ for
diff element)
now $L > R$
 \therefore stop

②

now, $i = 0$

$j = 1 \rightarrow$ has val = 1

\therefore go for element having val diff than 1

$$\text{rem} = [9 - a[i] - a[j]]$$

$$= [9 - 1 - 2]$$

$$= 6$$

→ look for
6 using 2 sum

$$• 2 + 4 = 6$$

\therefore we get 2nd ans

$(1, 2, 2, 4) \cancel{\downarrow}$

now, more l & r
for diff value

$$• 3 + 3 = 6$$

\therefore we get 3rd ans

$(1, 2, 3, 3) \cancel{\downarrow}$

now, more l & r
for diff value

as asked for
unique quadruplets

Similarly do this

Note: When j is moved \rightarrow avoid duplicates

Similarly i is moved \rightarrow
Same for l & r

now $L > R$

\therefore stop

here, $\left. \begin{array}{l} i=0 \\ j=i+1 \\ l=j+1 \\ r=n-1 \end{array} \right\}$ initially

$$TC = O(n^3) + O(n \log n \xrightarrow{\text{to sort}})$$

$$SC = O(m) \xrightarrow{\text{to store ans}} \#ans = m$$

`vector<vector<int>> fourSum(vector<int>& num, int target)`

```

    {
        int n = num.size();
        vector<vector<int>> ans;
        sort(num.begin(), num.end());
        for (int i=0; i<n; i++)
        {
            if (i>0 && num[i] == num[i-1])
                continue;
            for (int j=i+1; j<n; j++)
            {
                if (j>i+1 && num[j] == num[j-1])
                    continue;
                int K = j+1;
                int L = n-1;
                while (K < L)
                {
                    long long sum = num[i] + num[j] + num[K] + num[L];
                    if (sum == target)
                    {
                        vector<int> temp = {num[i], num[j],
                                            num[K], num[L]};
                        ans.push_back(temp);
                    }
                    K++;
                    L--;
                }
                if (sum < target)
                    K++;
                else
                    L--;
            }
        }
        return ans;
    }

```

agax
integer
overflow
Joraha hai
use long long

→ 3 Sum -

- Given an array nums of n integers, are there elements a, b, c in nums such that $a + b + c = 0$? Find all unique triplets in the array which gives the sum of zero.
- Note: the solution set must not contain unique triplets.

i/p: $\text{nums} = [-1, 0, 1, 2, -1, -4]$
o/p = $[-1, -1, 2], [-1, 0, 1]$

Soln

i/p: $[-1, -2, -2, -1, -1, 2, 0, 2, 0, 2]$

↓ sort

$[-2, -2, -1, -1, -1, 0, 0, 0, 2, 2, 2]$

We will use 2 pointer approach

Note

$a + b + c = 0 \rightarrow \text{target}$

keep 'a' constant

$\therefore b + c = -a$

↓ boils down to 2 sum problem

similarly as done in 4 sum

$i=0, l=i+1, r=n-1$ & jab karne hajaye
 i, l, j to avoid duplicates

vector<vector<int>> threeSum(vector<int> &num)

{
sort (num.begin(), num.end());
vector<vector<int>> res;

for (int i=0; i<num.size(); i++)
{ if ($i > 0$ & $\text{num}[i] == \text{num}[i-1]$)

int l = i+1, r = num.size() - 1;
while (l < r) // two sum

{ int sum = num[l] + num[r] + num[i];
if (sum < 0)
++l;
else if (sum > 0)
--r;
else if (sum == 0)

{ vector<int> temp = {num[i],
vector<int> temp = {num[i], num[l], num[r]},
res.push_back(temp);
++l; l++; r--;
-> res.push_back(res); } }

while (l < r & num[l] == num[l+1])
l++;
while (l < r & num[r] == num[r-1])
r--;
while (l < r & num[l] == num[r])
{ --r;
while (l < r & num[l] == num[l+1])
l++;
if (sum == 0)
{ res.push_back(temp);
return res; }
return ans; } }


```

int longestConsec(vector<int> &nums)
{
    unordered_set<int> st;
    for(auto it : nums)
        st.insert(it);
    int maxi = 0;
    for(auto it : st)
    {
        if(st.count(it - 1) == 0)
        {
            int count = 1;
            int curr = it;
            while(st.count(curr + 1))
            {
                ++count;
                ++curr;
            }
            maxi = max(maxi, count);
        }
    }
    return maxi;
}

```

Largest subarray with zero sum -

Given an array having both the +ve & -ve nos., find the length of the largest subarray with sum=0.

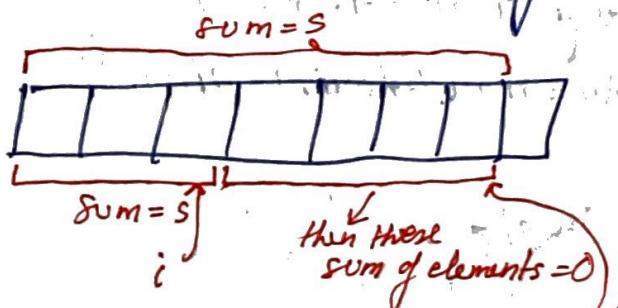
i/p: [-15, -2, 2, -8, 1, 7, 19, 23]

o/p: 5 → as largest subarray is [-2, 2, -8, 1, 7].

Soln

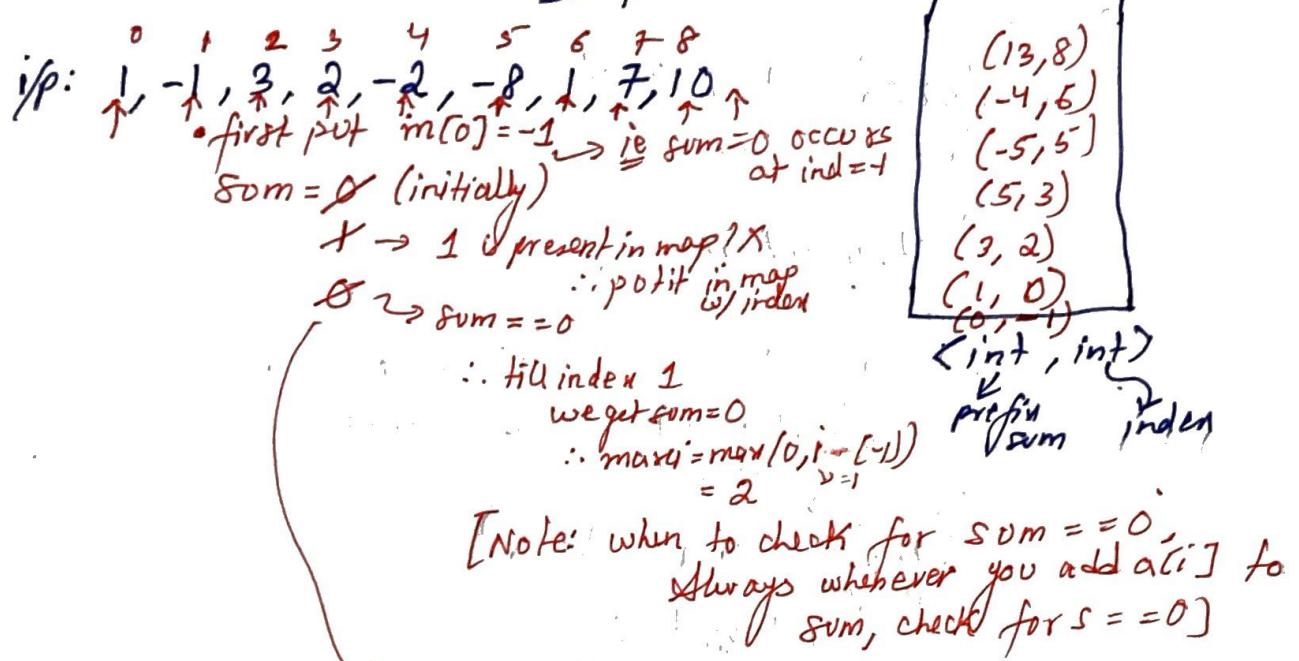
Optimal

We will use concept of prefix sum. i.e



∴ Subarray length = $j - i$ → how many nos?

We will use map & $\max = 0$



$3 \rightarrow$ put in map
 $5 \rightarrow$ " "
 $3 \rightarrow$ present at ind=2 (in map)
 $\therefore \max = \max(-2, i-2)$
 $= \max(2, 4-2)$
 $= 2$

$-5 \rightarrow$ put in map
 $-4 \rightarrow$ " "
 $+7 \rightarrow 3 \rightarrow$ present in map at ind=2
 $\therefore \max = \max(2, i-2)$
 $= \max(2, 7-2)$
 $= 5$

now $i > n$

Code
 $\int \maxlen(\int A[], \int len)$: we get $\max = \underline{\underline{5}}$ ↳ {2, -3, -8, 1, 7}

unordered_map<int, int> m;

$\int \max = 0, \sum = 0;$

for($\int i = 0; i < n; i++$)

$\sum += A[i];$

 if(m.find(sum) != m.end())

$\max = \max(\max, i - m[\sum]);$

 else

$m[\sum] = i;$

return max;

$T C = O(n \times 1)$

↳ unordered map
 ↳ $W C = O(n/m)$ (average)

$S C = O(n)$ ↳ map

→ Count the number of subarrays having a given XOR.

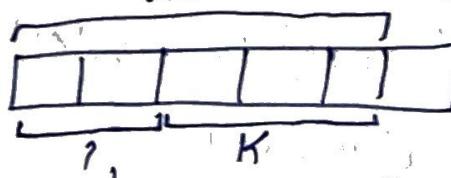
Given an array of integers $a[0 \dots n]$ & a number m , count the number of subarrays having XOR of their elements as m .

i/p: $\{4, 2, 2, 6, 4\}$ & $m = 6$

o/p = 4

subarrays having XOR of their elements as $m = 6$ are
 $\{4, 2\}, \{4, 2, 2, 6, 4\}, \{2, 2, 6\}, \{6\}$

Soln-
approach



$$\therefore Y \wedge K = XR$$
$$\Rightarrow Y = XR \wedge K$$

↳ if we fig. out how many Y 's there in map, then we can find #subarrays having $XOR = K$

We will use map

\langle int, int \rangle
prefix XOR \hookrightarrow count (how many times it occurs)

Dry run

$\begin{matrix} 4 & 1 & 2 & 3 & 4 \\ | & | & | & | & | \end{matrix} \quad \& K = 6$

① $XR = 0 \wedge 4$
say, $XR = 0$ (initially) & $cnt = 0$

$$= 4 \quad (\neq K)$$

$Y = XR \wedge K = 4 \wedge 6 \rightarrow$ not present in map

→ put in map

② $XR = 4 \wedge 2 = 6 \quad (= K) \rightarrow$ get subarray
 $\therefore \uparrow cnt \text{ i.e. } cnt = 0 \rightarrow 1$

$$Y = 6 \wedge 6 = 0 \rightarrow \text{not in map}$$

∴ put $(6, 1)$ in map

③ $XR = 6 \wedge 2 = 4 \quad (\neq K)$

$$Y = 4 \wedge 6 = 2 \rightarrow \text{not in map}$$

∴ put 2 in map

since, 4 already there
↑ its count by 1

④ $XR = 4 \wedge 6 = 2 \quad (\neq K)$

$$Y = 2 \wedge 6 = 4 \rightarrow \text{in map}$$

∴ \uparrow count by $m[4] \rightarrow$ we get 2 subarrays
 $cnt = 1 + 2 = 3$

$\langle 2, 1 \rangle$
 $\langle 6, 1 \rangle$
 $\langle 4, 2 \rangle$

\langle int, int \rangle

⑤ $XR = 2 \wedge 4 = 6 \quad (\neq K)$
↳ we get 1 subarray
 $\{4, 2, 2, 6, 4\}$
freq of 6 by 1
in map \uparrow cnt by 1
 $cnt = 3 + 1 = 4$
 $\& Y = 6 \wedge 6 = 0$
not in map

↳ now
 $i > n$

```
int soln(vector<int> &A, int B)
```

```
{  
    unordered_map<int, int> m;
```

```
    int cnt = 0;
```

```
    int xorx = 0;
```

```
    for (auto it : A)
```

```
        xorx = xorx ^ it;
```

```
        if (xorx == B)  
            ++cnt;
```

```
        if (m.find(xorx ^ B) != m.end())
```

```
            cnt += m[xorx ^ B];
```

```
}
```

```
        ++m[xorx];
```

```
    }  
    return cnt;
```

$T_C = O(n \times 1)$
 \uparrow unordered map
 $\hookrightarrow O(n)$ WC
 $S_C = O(n)$ (shares)