Engineering Physics

Chapter-I Relativistic Mechanics

1) Outline of Relativity 2) State of Rest and state of Motion

(3) The Event

4) Frames of Reference

3 Frames of references and their classification.

6 Galilean Transformation

4 Consequences of Galilean transformation.

8 Galilean hypothesis of invariance.

9 Michelson Morley Experiment.

(10) Interpretation of Negative result.

1) Basic postulates of theory of relativity

(13) Consequences of Lorentz transformations.

(14) Einstein Mars energy equivalence.

(15) some examples of Mass-Energy Relation.

(13) Relation between Relativistic momentum and Energy.

(1) Outline of Relativity. Einstein demonstrated that many parameters which were earlier regarded as absolute (Space, time interval, mass, velocities of moving objects) are no more absolute but are affected by the velocity of source and observer.

(2) state of Rest and state of Motion.

Rest > position do not change w.r.t time.

Motion > position changes w.r.t time

Eg can which is running on the road w.r.t to an observer

Standing on the ground.

(3) Event Something which happens in space at some instant is known as event.

Eg @ Shot of a bulket at some instant.

B swinging pendulum white it passes through the mean position.

Frames of Reference

This is a geometrical frame work.

This is used to describe the position of object in space.

An event occurring in space is described by space comordinates (2, y, z, t).

Space time continu V_{z} $P(x,y,z,t) \quad \vec{r} = x\hat{i} + y\hat{j} + z\hat{k}$ $\vec{dt} = \frac{dx}{dt} + \frac{dy}{dt} + \frac{dz}{dt} \hat{k}.$ $\vec{a} = \frac{d^2r^2}{dt^2} = \frac{d^2r}{dt^2} + \frac{d$

* It is difficult to imagine of reference completely at rest. Eg i ground Roason -> Fauth is moving "the oubit around the dun as well as around its own axis. In both situations motion is a ceelerated, but for practical purpose we assume frame attached to earth to be at rest.

Galikan Fransformation

Equations which transforms the Coordinates of an of object from one point inertial frame to another inertial frame is known as Galilean Transformations.

S v si' (xi,yi,zit')

(xi,yi,zit)

x'

x'

Assuming two frames, both & & S' is moving with a constant relocity v. Position, vector of particle I is at any instant connected by agr =

J=J-Vt.

26'= 21-Vt y'= y.

time was taken identical by Galileo t'=t

Cosequences of Galileon Fransformation

?) Length of an object is invariant under Galilean transformations.

The length of moving object at any instant for S'-frame of observer (assuming rod to be in same pame)

1'= \((x'_2-x'_1)^+(g'-g'_1)^+(g'-z'_1)^2

wing galilean bansformations:-

22'= 24-レナ ス,'= 21,-レナ

 $y' = y_2$ $y'_1 = y_1$ $z'_2 = z_2$ $z'_4 = z_1$

$$= \sqrt{(x_2 - vt - 20 + vt)^2 + (y_2 - y_1)^2 + (z_2 - z_1)^2}$$

$$= \sqrt{(x_2 - vt)^2 + (y_2 - y_1)^2 + (z_2 - z_1)^2}$$

$$= L$$

=> Length of an object (which is also deparation b) w two points inspared is some for all the observers.

Addition of relaity

On differentiating &=x-vt

where V & V'are the velocities of me the moving objects as observed by the observer of S & S' frames. Velocities of moving object will be diff for diff. observer.

Accederation

acceleration of moving objects will be identical for S&S' frame.

Galelian Hypothesis of invariance (Principle of Relativity)

The Jundamental laws of physics are identical in all the frames of reference which moves with a constant velocity with respect to one another.

Eg fissume a windowless spaceship moving with a uniform speed relative to fixed stars, then all the exp porformed inside it and all phonomena occurring in the space ship will appear to be the same to an

obserses inside it as if the spaceship were completely at rest.

Michelson - Morley Exp

The neccesity of a material medium for transmission of all kind of wave compelled scientists to imagine an invisible medium to be present throughout the universe. It was accepted that the transmission of light waves require some material medium which was named "Ether". This hypothesis was also knowns as Ether Hypothesis.

Characteristics of this imaginary invisible substance

- (1) It is highly elastic
- @ It is transparent.
- It exibits negligible density
- Material bodies (celestial bodies) (an move through it without disturbing it.

Objective of the experiment

- 1) To justify the presence of ethers throught the universe
- To see whether the speed of light gets modified or not with the velocity of source on observer, or whether Galileon transformations are valid for speed of light or not.
- 3 To measure and to object the velocity of earth relative to ether. (4) To justify the existence of "Absolute frame of reference":

Instrument -

Michelson interferometer (based on interference, phenomena of light) which was most sophisticated, highly precision instrument capable of measuring even a fractional shift in a fringer-pattern.

Instrument is fixed on heavy It sand stone and floated in a of point of mercury, so that it could be rotated in any direction.

Experiment:
i) Monochromatic ligh source
ii) helf silvered glass plate. H.
iii) two mirrors M, M2. I to each other.
i) Monochromatic ligh source ii) helf silvered glass plate. H. iii) two mirrors M, M2. I to each other. iv) Telescope T to observe the interference patterness.
Earth is assumed to be at rest If relescope.
time taken by light original to reach M, and Rack = t.
time taken by light original to reach M, and Rack = t,
$\Delta t = t_2 - t_1 = 0$
=> Alo joinger shift will be a breveable in telescope T.
But in reality: Earth is not at rest
Assuming Galilean toansformations valid for a and also taking into considerate the easth 'velocity, instrument will be moving with earth's wel = v.
ight signal travelling along M2 = C-V relative to ether = on wardjourney
ight signal travelling along $M_2 = C-V$ relative to ether = on ward journey = $C+V$ " " " = backward journey. Time taken by the light signal to seach M_2 and back =
$t_{\lambda} = \frac{d}{cv} + \frac{d}{ctv} = \frac{d(ctv) + d(c-v)}{c^2v^2}$

 $= \frac{2dc}{c^2 - v^2} = \frac{2d}{c} \left[1 - \frac{v^2}{c^2} \right]^{-1}$ $\int t_2 = \frac{2d}{c} \left[1 + \frac{v^2}{c^2} + \cdots \right]$ $t_1 = \frac{2d}{\sqrt{c^2 v^2}}$