



浙江工业大学
ZHEJIANG UNIVERSITY OF TECHNOLOGY

Experiment Report V

about Communication System Simulation with Matlab

NAME Shiting Wang

NUMBER 201706060730

CLASS 1702, communications engineering

COLLEGE College of Information Engineering

TASK I

一、The code with comments or note

1) task5_1.m

```
function [pOfee]=task5_1(snr)

SNR=exp(snr*log(10)/10);    % signal to noise ratio per bit
sgma=sqrt((5.25)/(6*SNR));  % standard deviation of noise
N=10000;                    % number of symbols being simulated
dsource=zeros(1,20000);

% generation
for i=1:N
    temp=rand;              % a uniform random variable over (0,1)
    if (temp<0.125)
        dsource(i)=0;
        % with probability 1/8, source output is "000"
    elseif (temp<0.25)
        dsource(i)=1;      % "001"
    elseif (temp<0.375)
        dsource(i)=2;      % "010"
    elseif (temp<0.5)
        dsource(i)=3;      % "011"
    elseif (temp<0.625)
        dsource(i)=4;      % "100"
    elseif (temp<0.75)
        dsource(i)=5;      % "101"
    elseif (temp<0.875)
        dsource(i)=6;      % "110"
    else
        dsource(i)=7;      % "111"
    end
end
```

```

end;

% detection, and probability of error calculation
numoferr=0;
for i=1:N
    % The matched filter outputs
    if (dsource(i)==0)
        r=-3.5+gngauss(sgma);% if the source output is "000"
    elseif (dsource(i)==1)
        r=-2.5+gngauss(sgma);           % "001"
    elseif (dsource(i)==2)
        r=-1.5+gngauss(sgma);           % "010"
    elseif (dsource(i)==3)
        r=-0.5+gngauss(sgma);           % "011"
    elseif (dsource(i)==4)
        r=0.5+gngauss(sgma);            % "100"
    elseif (dsource(i)==5)
        r=1.5+gngauss(sgma);            % "101"
    elseif (dsource(i)==6)
        r=2.5+gngauss(sgma);            % "110"
    else
        r=3.5+gngauss(sgma);            % "111"
    end;

    % detector follows
    if (r<-3)
        decis=0;           % decision is "000"
    elseif (r<-2)
        decis=1;           % "001"
    elseif (r<-1)
        decis=2;           % "010"
    elseif (r<0)

```

```

        decis=3;                                % "011"
elseif (r<1)
        decis=4;                                % "100"
elseif (r<2)
        decis=5;                                % "101"
elseif (r<3)
        decis=6;                                % "110"
else
        decis=7;                                % "111"
end;

% if it is an error, increase the error counter
if (decis~=dsource(i))
        numoferr=numoferr+1;
end;
end;

p0fee=numoferr/N % probability of error estimate
p0be=4/7*p0fee %probability of bit error

```

2) gngauss.m

```

function [gsrv1,gsrv2]=gngauss(m,sgma)
if nargin == 0,
    m=0; sgma=1;
elseif nargin == 1,
    sgma=m; m=0;
end;

u=rand;                                % a uniform random variable in (0,1)
z=sgma*(sqrt(2*log(1/(1-u))))); % a Rayleigh distributed

```

```

random variable
u=rand;           % another uniform random variable in (0,1)
gsrv1=m+z*cos(2*pi*u);
gsrv2=m+z*sin(2*pi*u);

```

二、The resulted figure



```

命令窗口
>> task5_1(0)

p0fee =

    0.5303

p0be =

    0.3030

```

Fig.1 probability of error estimate and bit error

三、The discussion on the result

When the SNR per bit is 0dB, the symbol error rate and bit error rate of 8-PAM are 0.5303 and 0.3030. Obviously according to the answer from the command windows. As for the way to get answers is to the following principle.

Noise variance: $N_0/2$
 SNR: E_b/N_0
 $P_b = P^*(2k-1)/(2k-1)$

TASK II

二、The code with comments or note

1) task5_2.m

```
N = 10000;
Ns = 1000;    % Sampling points per symbol
Ts = 1;
M = 8;        % 8_PAM
Fs = Ns;      % sampling rate is 1000HZ
dt = Ts/Ns;
t = 0:dt:(N*Ns-1)*dt;
gt = ones(1,Ns);
d = randi(M,1,N);    % Generate a 1-by-N matrix of random
integers between 1 and M.
dd = 2*d-1-M;        % dd is 1-M to M-1
a = sigexpand(dd,Ns);
st = conv(a,gt);      % Digital baseband signal st
[f_st,sf_st]=T2F(t,st);

figure(1)
subplot(1,2,1)
plot( t,st(1:length(t)) );
axis([0 10 -10 10]);
xlabel('t');ylabel('s(t)');
title('Waveform In Time Domain');
subplot(1,2,2)
plot(f_st,sf_st);
xlabel('f');ylabel('S(f)');
title('Waveform In Frequency Domain');
```

```

%% Filter transfer function
H=zeros(1,length(sf_st));
%generate the lowpass filter
for i=1:length(sf_st)
    if abs(f_st(i))<3
        H(i)=1;
    end
end
Y=sf_st.*H; % output spectrum
% output of the filter as if the signal starts 0s
Y=Y.*exp(1i*2*pi*f_st*t(1));
[t1,y]=F2T(f_st,Y);

figure(2)
subplot(1,2,1)
plot(t,y(1:length(t)));
axis([0 10 -10 10]);
xlabel('t');ylabel('s(t)');
title('After H, Waveform In Time Domain');
subplot(1,2,2)
plot(f_st,sf_st);
xlabel('f');ylabel('S(f)');
title('After H, Waveform In Time Domain');

```

2) sigexpand.m

```

function [out]=sigexpand(d,M)
%The input sequence is expanded to a sequence with an interval
of N-1 Zeros
N = length(d);

```

```

out = zeros(M,N);
out(1,:) = d;
out = reshape(out,1,M*N);

```

3) T2F.m

```

function [f,sf]=T2F(t,st)

%input is time and the signal vectors
%output is frequency and signal spectrum

dt=t(2)-t(1);
T=t(end)-t(1)+dt;
df=1/T; %sampling rate
N=length(st);

f=-N/2*df:df:(N/2-1)*df; %频域抽样点
sf=fft(st);

sf=T/N*fftshift(sf).*exp(-j*2*pi*f*t(1)); %补偿时间移位

```

4) F2T.m

```

function [t,st]=F2T(f,sf)

%output is time and the signal vectors
%input id frequency and signal spectrum

df=f(2)-f(1);
Fmx=f(end)-f(1)+df;
dt=1/Fmx; %sampling rate
N=length(sf);
T=N*dt;

```



```
t=0:dt:T-dt; %时域抽样点
```

```
sff=ifftshift(sf);
```

```
st=Fmx*ifft(sff);
```

二、The resulted figure

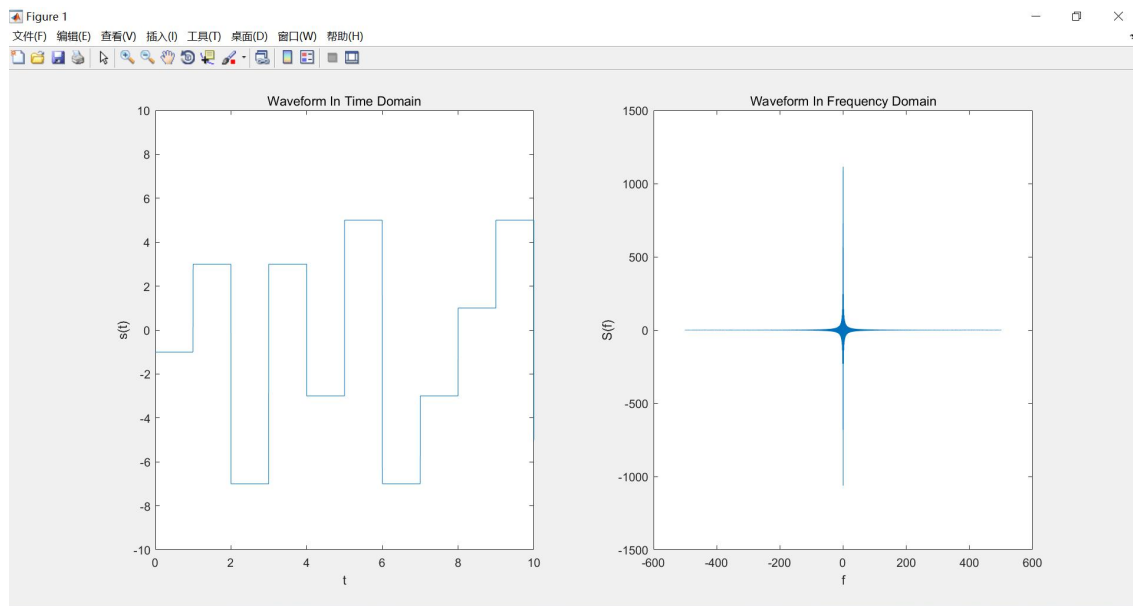


Fig.2 The Original Waveform (t & f)

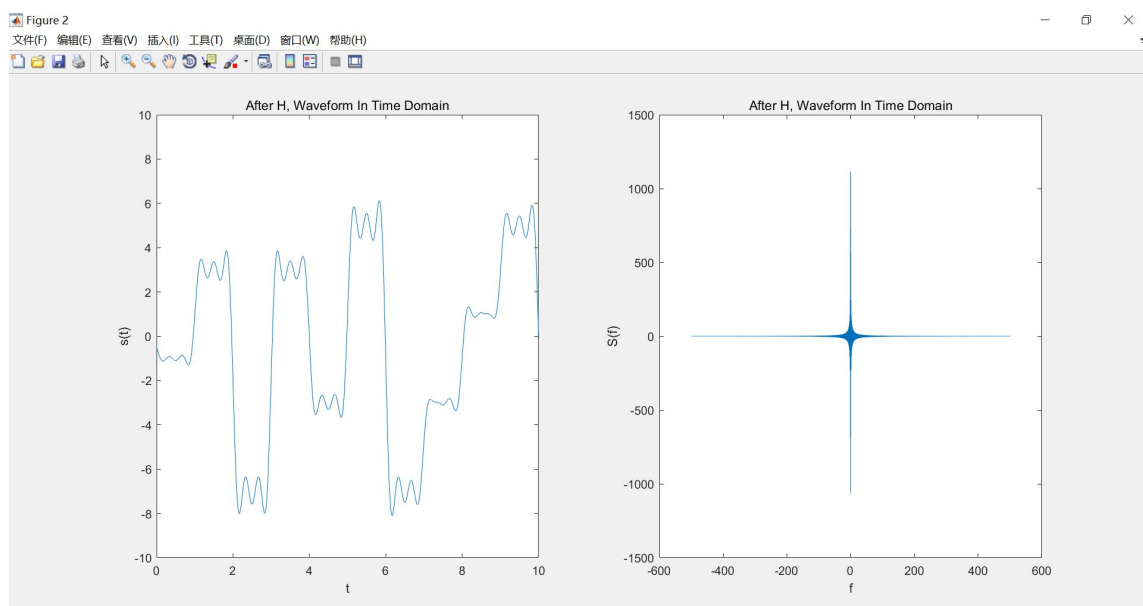


Fig.3 The Waveform After H (t & f)

三、 The discussion on the result

Actually, this task is a little difficult for me to do that so i asked my classmates for help and get their way to solve this question. And I get the signal original waveform and others after the lowpass filter and they are the same figure.

TASK III

三、The code with comments or note

1) task5_3.m

```
Ts=1 ;
N_sample=17;
dt=Ts/N_sample;
df=1.0/(20.0*Ts);
t=-1000*Ts:dt:1000*Ts;
f=-200/Ts:df:200/Ts;
alpha=[0,0.5,1] ;
Xf=zeros(1,2000);
X=zeros(1,2000);

% The roll-off Coefficient = 0,0.5,1

% The waveform is expressed(the definition of raised cosine)
for n=1:length(alpha)
    for k=1:length(f)
        if abs(f(k))>0.5*(1+alpha(n))/Ts
            X(n,k)=0;
        elseif abs(f(k))<0.5*(1-alpha(n))/Ts
            X(n,k)=Ts;
        else
            X(n,k)=0.5 *Ts * (1+cos(pi*Ts/(alpha(n)+eps) ...
                * (abs(f(k))-0.5*(1-alpha(n))/Ts)));
        end
    end
end
end
```

```

figure(1)
plot(f,X);
axis([-1 1 0 1.2]);
xlabel('f/Ts');
ylabel('Spectrum Of RC');
legend('\alpha=0', '\alpha=0.5', '\alpha=1');

%% Take alpha=0.5 for example
for m=1:length(f)
    X(m)=X(2,m);
end
ff=zeros(1,2000);
add=zeros(1,2000);
for f1=1:round(length(f)/20)
    ff(f1)=f1-1-round(length(f)/20)/2;
    sum=0;
    for ff1=1:round(length(f)/20)
        if (f1+ff1-1)<=round(length(f)/20)
            sum=sum+X((ff1)*20);
        else
            sum=sum+X(length(f)-round((ff1)*20));
        end
    end
    add(f1)=sum;
end

figure(2)
plot(ff,add);
xlabel('f');
ylabel('Spectrum Of RC After Translation&Addition');

```

二、The resulted figure

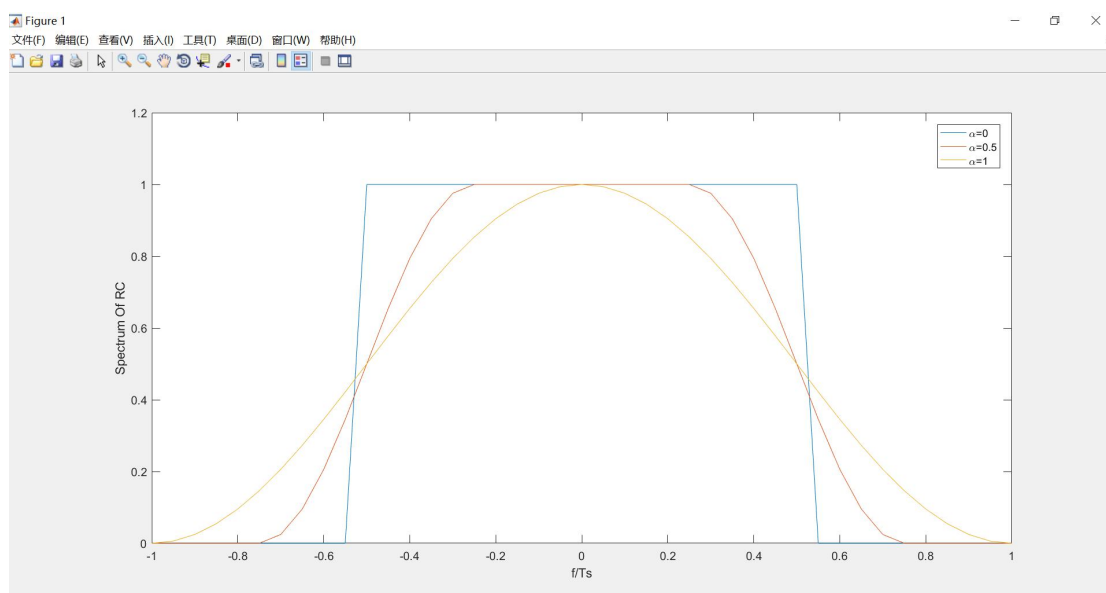


Fig.4 The Spectrum Of RC

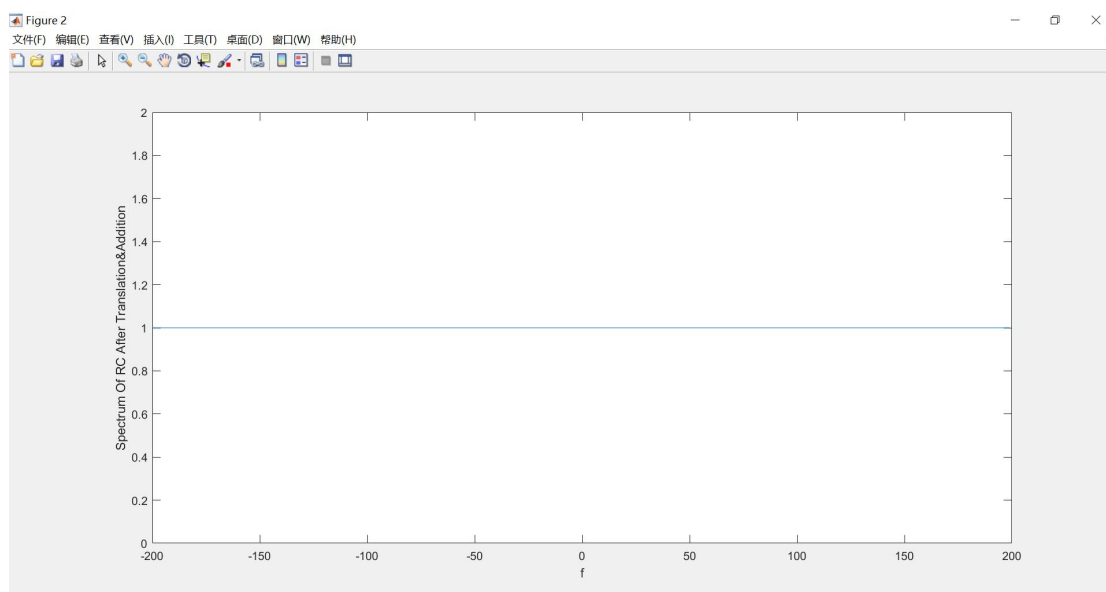


Fig.5 The Spectrum Of RC After Translation&Addition

三、The discussion on the result

From the task, the raised cosine waveform satisfication should conform ti the following

equality so the answer is T absolutely when the period is $1/T$. And the solution I got is based on the class and the web query.

$$\sum_{m=-\infty}^{\infty} X\left(f + \frac{m}{T}\right) = T$$