

电子科技大学 2019 -2020 学年第 2 学期 期末（A） 试卷

考试科目： 信号与系统 考试形式： 一页纸开卷 考试日期： 2020 年 9 月 2 日

本试卷由 八 部分构成，共 8 页。考试时长： 120 分钟

成绩构成比例：平时成绩 50 %，期末成绩 50 %

题号	一	二	三	四	五	六	七	八	合计
得分									

得 分

一、计算题（10 分）

Determine which of these properties hold and which do not hold for the following discrete-time system:

$$y[n]=\begin{cases} 0, & x[n]<0 \\ x[n]+x[n-3], & x[n]\geq 0 \end{cases}$$
 where $x[n]$ denotes the system input and $y[n]$ is the system output.

(a) Memoryless (b) Time invariant (c) Linear (d) Causal (e) Stable

得 分

二、计算题（8 分）

Let $x[n] = (2 + e^{j\pi n}) \cdot u[n]$

(a) Is $x[n]$ periodic? If it is, determine the fundamental period.

(b) Determine and sketch $y[n] = \frac{1}{2}(1 - e^{j\pi n})x[n]$

(c) Determine and sketch the even and odd parts of $x[n]$

得分

三、计算题（12 分）

The unit step response $s(t)$ is the output of an LTI system when the input is the unit step signal $u(t)$. Suppose that the unit step response $s(t)$ of an LTI system is as shown in Figure 1.

- (a) Determine and sketch unit impulse response $h(t)$ of the system.
- (b) Determine whether the system is causal and/or stable.
- (c) If the input of the system is as shown in Figure 2, sketch the output $y(t)$.

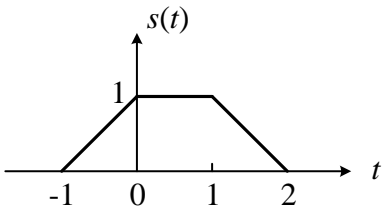


Figure 1

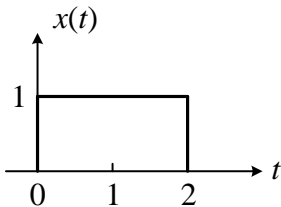


Figure 2

得 分

四、计算题（12 分）

Given the following facts about a periodic signal $x(t)$.

- (a) $x(t)$ is real;
- (b) The period of $x(t)$ is 4 and its Fourier coefficients are denoted as a_k ;
- (c) $a_k=0$ for $|k| > 1$;
- (d) A real signal with Fourier coefficients $b_k = e^{-jk\frac{\pi}{2}}a_k$ is odd;
- (e) $\frac{1}{4} \int_{\langle T \rangle} |x(t)|^2 dt = \frac{1}{2}$.

Determine all possible $x(t)$.

得 分

六、计算题（12 分）

Let $X(j\omega)$ denote the Fourier transform of the signal $x(t)$ shown in Figure 4.

(a) Find $X(j\omega)|_{\omega=0}$

(b) Determine the expression of $\text{Re}\{X(j\omega)\}$

(c) Find $\int_{-\infty}^{+\infty} |\text{Re}\{X(j\omega)\}|^2 d\omega$

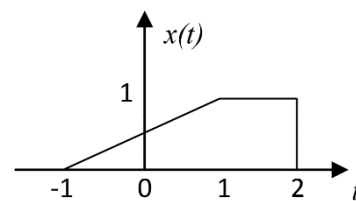


Figure 4

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七、计算题（16 分）

Consider the inverse of a causal LTI system $H(s)$ is, $H^{-1}(s)=\frac{s^2+3s+2}{2s^2+4s-6}$

- (a) Determine the system $H(s)$ and sketch the pole-zero pattern of $H(s)$. Is this system $H(s)$ stable?
- (b) Determine the differential equation relating the input $x(t)$ and output $y(t)$ for system $H(s)$.
- (c) Draw the block diagram of the system $H(s)$.
- (d) Find the impulse response $h(t)$ of the system.

得 分

八、计算题（16 分）

Consider the digital filter structure shown in Figure 5.

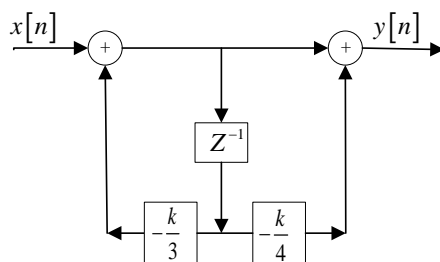


Figure 5

- Find $H[z]$ for this causal filter.
- For what values of the k is the system stable?
- If $k=1$, determine $h[n]$.
- If $k=1$ and $x[n] = (\frac{2}{3})^n$, determine $y[n]$ for all n .