

学院 姓名 学号 任课教师 考场教室 座位号

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电子科技大学 2019 -2020 学年第 2 学期 期末 (B) 试卷

考试科目: 信号与系统 考试形式: 一页纸开卷 考试日期: 2020 年 9 月 日

本试卷由 八 部分构成, 共 8 页。考试时长: 120 分钟

成绩构成比例: 平时成绩 50 %, 期末成绩 50 %

| 题号 | 一 | 二 | 三 | 四 | 五 | 六 | 七 | 八 | 合计 |
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一、计算题 (10 分)

For an LTI system, its unit step response is given in Figure 1.

- (a) Please sketch its unit impulse response.
- (b) If the system input is shown in Figure 2, please determine the system response.

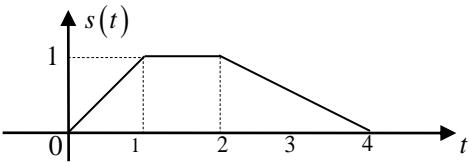


Figure 1

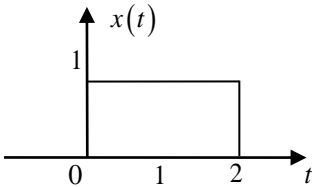


Figure 2

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二、计算题（10 分）

**Determine the output of the system in Figure 3, the input $x[n] = u[n]$,
and $h_1[n] = 2\delta[n-2] - 3\delta[n+1]$, $h_2[n] = \delta[n-1] + 2\delta[n+2]$**

$$h_3[n] = 6\delta[n+3] + 2\delta[n-1] - 2\delta[n-3]$$

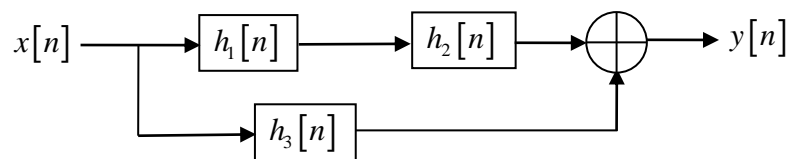


Figure 3

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三、 计算题（10 分）

Consider a continous-time system with input $x(t)$ and output $y(t)$ related by $y(t)=\int_{-\infty}^{2t}x(\tau-2)d\tau$, is this system

(a)Linear? (b) Time-invariant? (c) Memoryless? (d) Causal? (e) Stable?

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四、计算题（12 分）

Given a system as shown in Figure 4.

(a) Determine the frequency response $H(j\omega)$ of this system;

(b) Determine the unit impulse response $h(t)$ of this system and sketch $h(t)$.

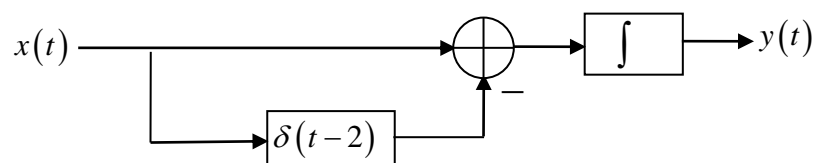


Figure 4

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五、计算题（12 分）

(a) Let $x(t) = 2 \frac{\sin^2(t)}{\pi t}$, Compute its spectrum $X(j\omega)$ and sketch the amplitude $|X(j\omega)|$ and the phase $\angle X(j\omega)$.

(b) Let $y(t) = \frac{dx(t)}{dt}$, Compute the energy $E_y = \int_{-\infty}^{+\infty} |y(t)|^2 dt$.

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六、计算题（14 分）

As shown in Figure 5, the Fourier transform of the input $x(t)$ is $X(j\omega)$.

Determine and sketch the spectrum at place A, B, C and D. Determine the relationship between the input $x(t)$ and the output $y(t)$.

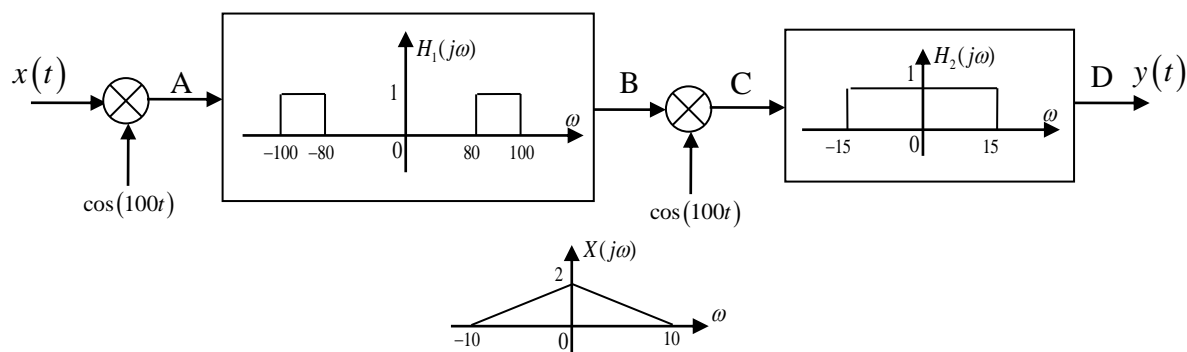


Figure 5

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七、计算题（16 分）

In the circuit shown in Figure 6, $x(t)$ is the input voltage. The voltage across the capacitor C is considered to be the system output $y(t)$.

- Determine the differential equation relating $x(t)$ and $y(t)$. Is it a LTI system?
- Determine the system function $H(s)$, and plot its pole-zero pattern.
- Is the system a highpass or lowpass or bandpass filter?

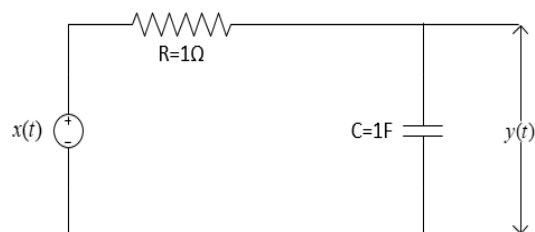


Figure 6

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八、计算题（16 分）

The input $x[n]$ and output $y[n]$ of a causal system are related through the block-diagram representation shown in Figure 7.

- (a) Find the system function $H(z)$. $x[n]$
- (b) Draw the pole-zero diagram.
- (c) Compute the output of this system, if the input

signal is $x[n] = 2 + 2\sin(\frac{\pi n}{6})$

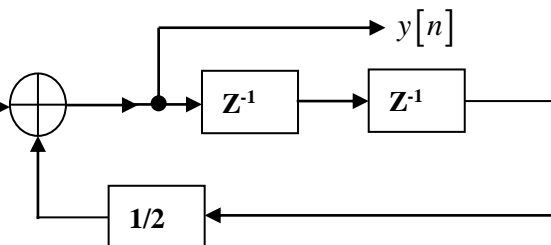


Figure 7