Using the BRCindicators Pipeline

Tom August 07 April, 2017

Contents

Introduction	1
Creating yearly estimates of occurrence in sparta	1
Installing BRCindicators	3
Summarising sparta output for an indicator	3
Calculating indicator values Geometric mean	
Creating a custom pipeline function	12

Introduction

This document shows how to use the indicator pipeline to create biodiversity indicators such as those for DEFRA's Biodiversity Indicators in Your Pocket. The pipeline is shared in the form of an R package called 'BRCindicators' making it easy to share and maintain.

The functions in BRCindicators work with yearly estimates of species abundance or occurrence and aggregate them into an scaled indicator value with bootstrapped confidence intervals

This package has the ability to read in the output of occupancy models created in the R package sparta, a package for estimating species trends from occurrence data. This package can be installed from Github and details of how to use the package are given in the package vignette. There is no need to use sparta to create your yearly species estimates as BRCindicators can also work with other data.

To create an indicator we first need to have species trends, let's create some using the sparta R package.

Creating yearly estimates of occurrence in sparta

If you already have yearly estimates of abundance or occurrence for your species you can skip this stage. Here we show how you can create these estimates from raw species observation data using sparta.

```
# Install the package from CRAN
# THIS WILL WORK ONLY AFTER THE PACKAGE IS PUBLISHED
install.packages('sparta')

# Or install the development version from GitHub
library(devtools)
install_github('biologicalrecordscentre/sparta')
```

Let's assume you have some raw data already, we can under take occupancy modelling like this

```
# Load the sparta package
library(sparta)
```

For demonstration purposes I have a faked dataset of 8000 species observations. In my dataset the species are named after the letters in the alphabet. Below I show how I can use the Bayesian occupancy models in sparta to create yearly estimates of occurrence. For more information please see the vignette for sparta

```
sparta to create yearly estimates of occurrence. For more information please see the vignette for sparta
# Preview of my data
head(myData)
##
    taxa site time_period
## 1
        r A51 1970-01-14
## 2
        v A87 1980-09-29
## 3
        e A56 1996-04-14
        z A28 1959-01-16
## 4
## 5
        r A77 1970-09-21
## 6
        x A48 1990-02-25
# First format our data
formattedOccData <- formatOccData(taxa = myData$taxa,</pre>
                                   site = myData$site,
                                   time_period = myData$time_period)
## Warning in errorChecks(taxa = taxa, site = site, time_period =
## time period): 94 out of 8000 observations will be removed as duplicates
# Here we are going to use the package snowfall to parallelise
library(snowfall)
# I have 4 cpus on my PC so I set cpus to 4
# when I initialise the cluster
sfInit(parallel = TRUE, cpus = 4)
## Warning in searchCommandline(parallel, cpus = cpus, type = type,
## socketHosts = socketHosts, : Unknown option on commandline:
## rmarkdown::render('W:/PYWELL_SHARED/Pywell Projects/BRC/Tom August/R
## Packages/BRCindicators/vignette/using_the_pipeline.Rmd', encoding
## R Version: R version 3.3.2 (2016-10-31)
## snowfall 1.84-6.1 initialized (using snow 0.4-2): parallel execution on 4 CPUs.
# Export my data to the cluster
sfExport('formattedOccData')
# I create a function that takes a species name and runs my model
occ_mod_function <- function(taxa_name){</pre>
 library(sparta)
  # Note that this will write you results to your computer
  # the location is set to your user folder
  occ_out <- occDetFunc(taxa_name = as.character(taxa_name),</pre>
                        n_{iterations} = 200,
                        burnin = 15,
                        occDetdata = formattedOccData$occDetdata,
                        spp_vis = formattedOccData$spp_vis,
                        write_results = TRUE,
```

```
output_dir = '~/Testing_indicator_pipe',
                        seed = 123)
}
# I then run this in parallel
system.time({
para_out <- sfClusterApplyLB(unique(myData$taxa), occ_mod_function)</pre>
})
##
      user system elapsed
##
      0.48
              0.06 143.24
# Stop the cluster
sfStop()
##
## Stopping cluster
# We can see all the files this has created
list.files('~/Testing_indicator_pipe')
## [1] "a.rdata" "b.rdata" "c.rdata" "d.rdata" "e.rdata" "f.rdata" "g.rdata"
## [8] "h.rdata" "i.rdata" "j.rdata" "k.rdata" "l.rdata" "m.rdata" "n.rdata"
## [15] "o.rdata" "p.rdata" "q.rdata" "r.rdata" "s.rdata" "t.rdata" "u.rdata"
## [22] "v.rdata" "w.rdata" "x.rdata" "y.rdata" "z.rdata"
```

Installing BRCindicators

Installing the package is easy and can be done in a couple of lines

```
library(devtools)
install_github(repo = 'biologicalrecordscentre/BRCindicators')
```

Summarising sparta output for an indicator

Now that we have some species trends data to work with (no doubt you already have your own) we can use the first function in BRCindicators. This function reads in all the output files from sparta (which are quite large and complex) and returns a simple summary table that we can use for calculating the indicator. If you have done your analysis without using sparta you can skip to the next step.

```
library(BRCindicators)

# All we have to supply is the directory where out data is saved

# You will note this is the 'output_dir' passed to sparta above.

trends_summary <- summarise_occDet(input_dir = '~/Testing_indicator_pipe')

## Loading data...done

# Lets see the summary
head(trends_summary[,1:5])

## year a b c d

## [1,] 1950 0.6745699 0.7173656 0.4802151 0.5568280

## [2,] 1951 0.6675806 0.6460215 0.5637097 0.6809677
```

```
## [3,] 1952 0.4059677 0.6024731 0.5306989 0.5035484

## [4,] 1953 0.1990860 0.5976344 0.4347312 0.5723656

## [5,] 1954 0.5780108 0.5145699 0.6909677 0.5766667

## [6,] 1955 0.2000000 0.4475806 0.5319892 0.4764516
```

Returned from this function is a summary of the data as a matrix. In each row we have the year, specified in the first column, and each subsequent column is a species. The values in the table are the mean of the posterior for the predicted proportion of sites occupied, a measure of occurrence.

Calculating indicator values

Once we have species-year indicies we are in a position to proceed to calculating an indictor. To do this there are a number of mehods available, some of which are presented here in 'BRCindicators'

Geometric mean

The geometric mean method is often used with data that do not have errors associated with them.

The first step is to re-scale the data so that the value for all species in the first year is the same. Once this is done we calculate the geometric mean across species for each year creating the indicator value. This function also accounts for species that have no data at the beginning of the dataset by entering them at the geometric mean for that year, this stops them dramatically changing the indicator value in the year they join the dataset. It also accounts for species that leave the dataset before the end by holding them at their last value. Finally limits to species values can be given, preventing extremely high or low values biasing the indicator.

Rescaling and calculating geometric mean

The data I have generated in 'trends_summary' is very easy to work with but to show off what this function can do I'm going to mess it up a bit.

```
trends_summary[1:3, 'a'] <- NA
trends_summary[1:5, 'b'] <- NA
trends_summary[2:4, 'c'] <- 1000</pre>
trends summary [45:50, 'd'] <- NA
# Let's have a look at these changes
head(trends_summary[,1:5])
##
                                b
                                                        d
        year
                      a
                                              С
## [1,] 1950
                    NA
                               NA
                                     0.4802151 0.5568280
## [2,] 1951
                               NA 1000.0000000 0.6809677
                    NA
## [3,] 1952
                               NA 1000.0000000 0.5035484
## [4,] 1953 0.1990860
                               NA 1000.0000000 0.5723656
## [5,] 1954 0.5780108
                               NA
                                     0.6909677 0.5766667
## [6,] 1955 0.2000000 0.4475806
                                     0.5319892 0.4764516
tail(trends_summary[,1:5])
##
                                 b
                                                d
         year
                       a
## [45,] 1994 0.3546237 0.5100000 0.06005376 NA
## [46,] 1995 0.6591935 0.5248925 0.77193548 NA
## [47,] 1996 0.4116129 0.6036022 0.33881720 NA
## [48,] 1997 0.3696237 0.6756989 0.76268817 NA
```

```
## [49,] 1998 0.6983333 0.4795161 0.44989247 NA
## [50,] 1999 0.3657527 0.4788172 0.56693548 NA
```

Now that I have 'messed up' the data a bit we have two species with data missing at the beginning and one species with data missing at the end. We also have one species with some very high values.

Now lets run this through the re-scaling function.

```
# Let's run this data through our scaling function (all defaults used)
rescaled trends <- rescale species(Data = trends summary)
# Here's the result
head(rescaled_trends[,c('year', 'indicator', 'a', 'b', 'c', 'd')])
        year indicator
                                      b
## [1,] 1950 100.00000
                             NA
                                     NA
                                          100.0000 100.00000
## [2,] 1951 116.64823
                                     NA 10000.0000 122.29410
                             NA
## [3,] 1952 126.98409
                             NA
                                     NA 10000.0000 90.43159
## [4,] 1953 112.18622 112.1862
                                     NA 10000.0000 102.79038
## [5,] 1954 98.31502 325.7127
                                     NA
                                          143.8871 103.56281
## [6,] 1955 102.34902 112.7013 102.349
                                          110.7815 85.56532
tail(rescaled_trends[,c('year', 'indicator', 'a', 'b', 'c', 'd')])
         year indicator
                                        b
## [45,] 1994
              93.14009 199.8327 116.6226
                                           12.50560 121.6472
## [46,] 1995 109.22845 371.4597 120.0281 160.74787 121.6472
## [47,] 1996 108.59012 231.9465 138.0267
                                           70.55531 121.6472
## [48,] 1997 115.28010 208.2852 154.5132 158.82221 121.6472
## [49,] 1998 101.41978 393.5152 109.6518 93.68562 121.6472
## [50,] 1999 100.58702 206.1039 109.4919 118.05867 121.6472
```

You can see that species 'a' and 'b' enter the dataset at the geometric mean (the indicator value), all species are indexed at 100 in the first year and the very high values in 'c' are capped at 10000 at the end 'd' has been held at it's end value.

The 'indicator' column that is returned here is our indicator, calculated as the geometric mean of all the species in the data set.

Confidence intervals

We can get confidence intervals for this indicator by bootstrapping across species. We have a function for that too!

```
# This function takes just the species columns
scaled_species <- rescaled_trends[,!colnames(rescaled_trends) %in% c('year', 'indicator')]</pre>
indicator_CIs <- bootstrap_indicator(Data = scaled_species)</pre>
## Running bootstrapping for 10000 iterations...done
# Returned are the CIs for our indicator
head(indicator_CIs)
##
        quant_025 quant_975
## [1,] 100.00000 100.0000
## [2,]
        86.41204
                   185.8857
## [3,]
        94.34784
                   199.9593
## [4,]
        78.12008 179.0048
```

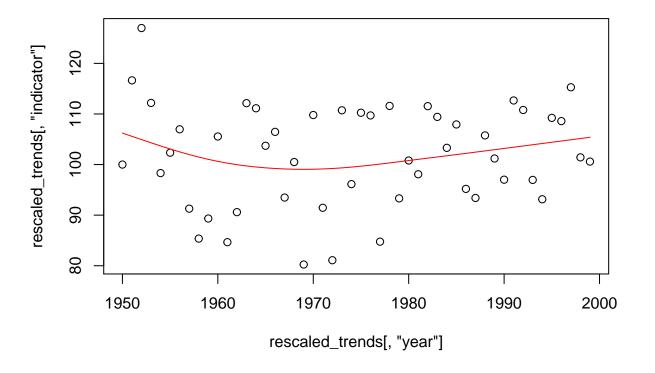
```
## [5,] 82.79171 117.4378
## [6,] 90.77336 114.8024
```

Smoothing

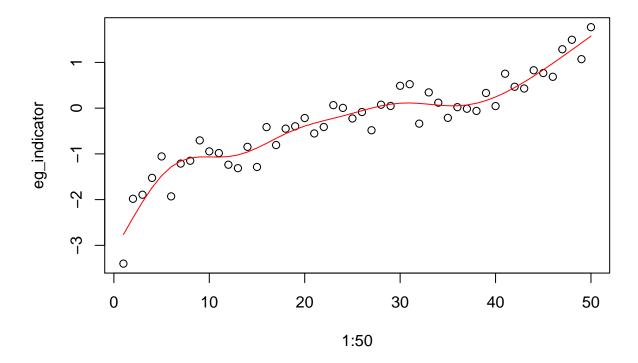
It is sometimes desirable to create a smoothed indicator value from the raw values. This can be achieved by fitting a GAM (general additive model) to the indicator using a spline. This spline is a smoothed curve that goes through the raw values for the indicator and is fitted using the function 'gam' in the 'mgcv' R package.

```
# The smoothing function takes the indicator values
smoothed_indicator <- GAM_smoothing(rescaled_trends[,'indicator'])

# In this example there is little support for a non-linear trend and
# so the line almost linear
plot(x = rescaled_trends[,'year'], y = rescaled_trends[,'indicator'])
lines(x = rescaled_trends[,'year'], y = smoothed_indicator, col = 'red')</pre>
```



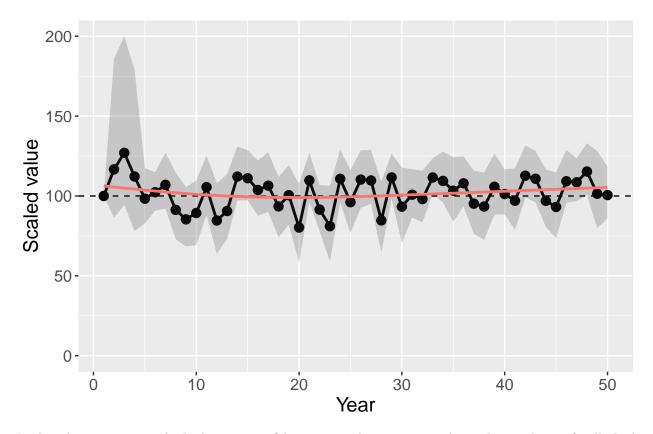
```
# But if our indicator did support a non-linear trend it might look
# like this
eg_indicator <- jitter(sort(rnorm(50)), amount = 0.5)
eg_smoothed <- GAM_smoothing(eg_indicator)
plot(x = 1:50, y = eg_indicator)
lines(x = 1:50, y = eg_smoothed, col = 'red')</pre>
```



Where there is little support for a non-linear trend a GAM smoothed line will tend towards linear. Where there is good support for a non-linear trend the smoothed line will become more 'bendy'.

Plotting

We now have our indicator and the confidence intervals around it. The next step is to plot it. We have included a function that creates a simple plot using ggplot2, however you could easily create your own plots in R using the data.



In this plot you can see the high upper confidence interval in years 2-4, this is due to the artificially high values we gave to species 'c'.

Bayesian Meta-Analysis (BMA)

The Bayesian Meta-Analysis method, or BMA, is suited to data with standard errors associated with them. As with other methods we require data from more than one species, across a number of years, with an error for each species-year estimate.

```
##
     species year
                       index
## 1
                1 0.5377357 0.01769631
## 2
           a
                2 0.9644076 0.07268163
## 3
                3 0.3653818 0.08335768
           a
## 4
                4 0.7266121 0.04494251
                5 0.8660005 0.09993223
## 5
                6 0.4728771 0.09887020
```

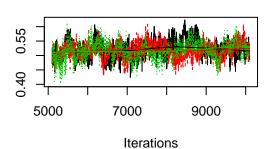
It is important that your data is in the same format and that your columns are in the same order and have the same names. Remember you can use the function read.csv() to read in the data from a .csv on your computer.

BMA is run using the function bma, here we will use the default settings and then see what we can change.

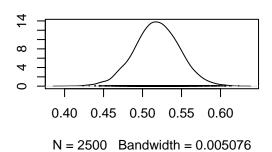
bma_indicator <- bma(data)</pre>

```
##
## Processing function input.....
##
## Done.
##
## Compiling model graph
      Resolving undeclared variables
##
      Allocating nodes
##
## Graph information:
##
      Observed stochastic nodes: 2600
      Unobserved stochastic nodes: 1380
##
      Total graph size: 13125
##
##
## Initializing model
##
## Adaptive phase, 100 iterations x 3 chains
## If no progress bar appears JAGS has decided not to adapt
##
##
##
    Burn-in phase, 5000 iterations x 3 chains
##
##
## Sampling from joint posterior, 5000 iterations x 3 chains
##
## Calculating statistics.....
##
## Done.
```

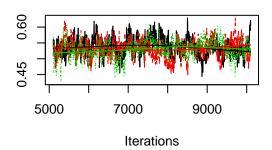
Trace of First year



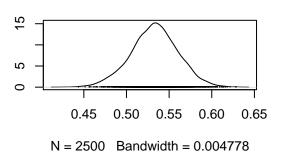
Density of First year



Trace of Last year



Density of Last year



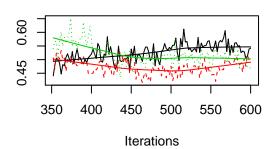
The function returns a plot to your screen which is a diagnostic plot of the model. When the model has converge (ie reached a point where the three chains agree on the answer) the lines on teh plots on the left will sit on top of one another and the plots on the right will have a nice bell shape. You can turn off this plot by setting plot to FALSE. By default the method runs the chains (there are three) in series. Running them in parallel makes the models run faster (about half the time) but will slow down your computer more. We can change this with the parameter parallel. The number of iterations the model runs is controlled by n.iter and defaults to 10000. If you can it is better to run it for more iterations, though this will take longer. m.scale gives the scale your data is on. It is very important that this is correct, choose from 'loge' (natural log, sometimes simply called 'log'), 'log10' (log to the base 10), or 'logit' (output from models of proportions or probabilities).

Let's implement a few of these changes

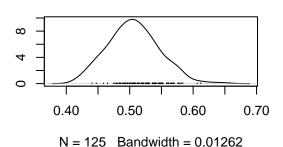
```
##
## Processing function input.....
##
## Done.
##
## Beginning parallel processing using 3 cores. Console output will be suppressed.
##
## Parallel processing completed.
##
```

```
## Calculating statistics......
##
## Done.
```

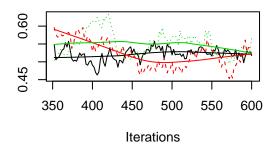
Trace of First year



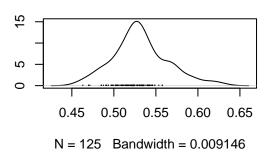
Density of First year



Trace of Last year



Density of Last year



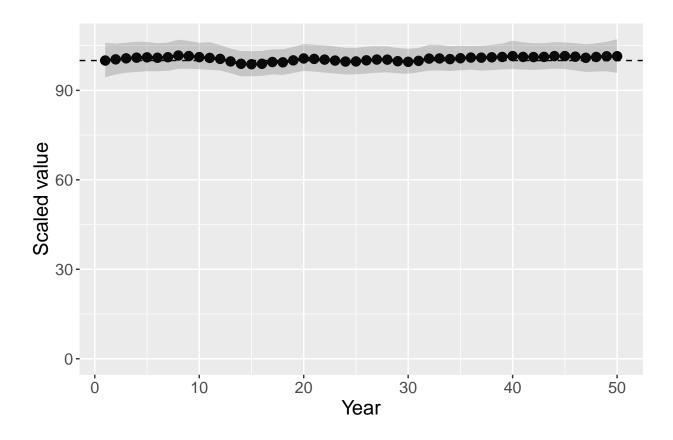
See now that because we have reduced the number of interations the model no longer has a good convergence. The lines on the graphs on the left do not overlap and the graphs on the right are no longer a smooth bell shape.

The object that is returned is a data.frame with years as rows and columns giving the year value, index value and confidence intervals. You can write this to a csv using the function write.csv.

head(bma_indicator)

```
Index lower2.5 upper97.5
##
     Year
## 1
                              105.8945
        1 100.0000 94.38459
        2 100.3945 95.34114
                              105.6613
##
        3 100.7339 95.90651
                              105.9866
        4 100.9672 96.18162
                              106.2882
## 5
        5 101.0704 96.41629
                              106.2277
        6 100.9345 96.39761
## 6
                              105.7890
```

We can use the plotting function in BRCindicators to plot the results of this analysis, which in this case are not all that interesting!



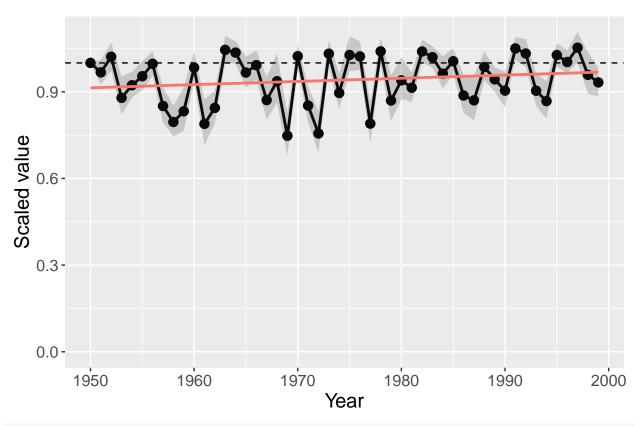
Creating a custom pipeline function

We have demonstrated how you might run the indicator functions one at a time, however in a 'pipeline' we want data to flow through seamlessly. Additionally there are a number of parameters in the functions that we have not shown you that you might find useful. Here is an example of how you can create your own pipeline function. Our function will wrap around the functions described above, setting the parameters to meet our needs. Once we have done this it will allow use to execute our pipeline in one line.

```
# Bootstrap the indicator to get CIs
 scaled_species <- rescaled_trends[,!colnames(rescaled_trends) %in% c('year', 'indicator')]</pre>
 # This time I set the iterations to twice the default and
 # use custom confidence intervals
 indicator_CIs <- bootstrap_indicator(Data = scaled_species,</pre>
                                       CI_{limits} = c(0.25, 0.75),
                                       iterations = 20000)
 # Get the smoothed indicator line
 smoothed_indicator <- GAM_smoothing(rescaled_trends[,'indicator'])</pre>
 # This time I specify the years and index value
 plot_indicator(indicator = rescaled_trends[,'indicator'],
                year = rescaled_trends[,'year'],
                index = 1,
                CIs = indicator_CIs,
                smoothed_line = smoothed_indicator)
 ## I'll return all my data
return(cbind(smoothed_indicator, indicator_CIs, as.data.frame(trends_summary)))
}
```

Once we have created this function we can run this pipeline on a directory in one line, or put it in a loop to run across many directories.

```
# Now we can run the pipeline in one line, like a boss
indicator_data <- run_pipeline(input_dir = '~/Testing_indicator_pipe')
## Loading data...done
## Running bootstrapping for 20000 iterations...done</pre>
```



head(indicator data)

```
##
     smoothed_indicator quant_25 quant_75 year
## 1
              0.9138432 1.0000000 1.0000000 1950 0.6745699 0.7173656
              0.9149464 0.9242815 1.0112136 1951 0.6675806 0.6460215
## 2
              0.9160497 0.9738091 1.0701724 1952 0.4059677 0.6024731
              0.9171529 0.8209028 0.9532677 1953 0.1990860 0.5976344
## 4
              0.9182562 0.8799129 0.9691744 1954 0.5780108 0.5145699
##
              0.9193594 0.9056471 1.0065946 1955 0.2000000 0.4475806
##
                       d
             C.
                                           f
## 1 0.4802151 0.5568280 0.5884946 0.5057527 0.7402151 0.52607527 0.3404301
## 2 0.5637097 0.6809677 0.4640860 0.4447312 0.7330645 0.28741935 0.6885484
## 3 0.5306989 0.5035484 0.6218280 0.3743548 0.8120430 0.68682796 0.8302688
## 4 0.4347312 0.5723656 0.6150538 0.6258602 0.7101075 0.05032258 0.5569892
## 5 0.6909677 0.5766667 0.7106452 0.8705376 0.6783333 0.21607527 0.5248387
  6 0.5319892 0.4764516 0.8084946 0.5811290 0.8016129 0.79473118 0.1360215
##
                                 1
             j
                                           \mathbf{m}
                                                                          p
## 1 0.7691935 0.7781720 0.7627419 0.5490860 0.9055914 0.5089247 0.5126344
## 2 0.5700000 0.3858065 0.8473656 0.6853763 0.7496237 0.9110753 0.8044086
## 3 0.4464516 0.9057527 0.7373118 0.7177419 0.8656452 0.8820968 0.5419355
## 4 0.8590860 0.5333871 0.5558602 0.7541935 0.8749462 0.8529032 0.3788710
## 5 0.6415591 0.4744624 0.7397312 0.3079032 0.5227419 0.8681183 0.5830108
## 6 0.5844086 0.5594624 0.7416129 0.8600000 0.8168817 0.8223656 0.9411828
##
                                           t
                       r
                                 s
                                                      u
                                                                v
## 1 0.8418280 0.3869355 0.8094086 0.9240323 0.8798925 0.7795161 0.9172581
## 2 0.7586022 0.5087097 0.7891935 0.5512366 0.9248925 0.4275806 0.8763441
```