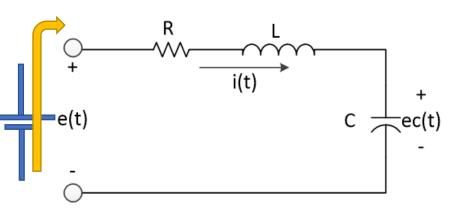


- 參考左圖,設定兩個狀態,電容電壓 $e\_C$  (t)及電感電流i(t),輸入變數為輸入電壓e(t)。
- 請寫出系統狀態方程式(矩陣形式),  $(R=0.5K\Omega, L=5mH, C=0.01\mu F)$
- 若輸入電壓為方波訊號,振幅為±5V,頻 率為1KHz,請模擬並繪出電容電壓響應 圖、電感電流響應圖以及輸入電壓波形 圖。
- 模擬圖說明
- 程式碼以及其註解



### 克希荷夫定律

$$\rightarrow$$
 -e(t) + R\*i(t) + L\*i(t) + ec(t) = 0

$$\rightarrow L^*i(t) = e(t) - R^*i(t) - ec(t)$$

$$C * \frac{dV_c}{dt} =$$
電容的電流 = $i(t)$ 

$$\Rightarrow$$
  $C\frac{de_C(t)}{dt} = i(t)$ 

$$L * \frac{\mathrm{d}I_l}{\mathrm{d}t} =$$
 電感的電壓 =  $e(t) - R*i(t) - ec(t) \Rightarrow L \frac{di(t)}{\mathrm{d}t} = -Ri(t) - e_C(t) + e(t)$ 

$$L\frac{di(t)}{dt} = -Ri(t) - e_C(t) + e(t)$$

$$\frac{de_C(t)}{dt} = 0 * ec(t) + \frac{1}{c} * i(t) + 0 * e(t)$$

$$= > \begin{bmatrix} \frac{de_C(t)}{dt} \\ \frac{di(t)}{dt} \end{bmatrix} = \begin{bmatrix} 0 & \frac{1}{C} \\ -\frac{1}{L} & -\frac{R}{L} \end{bmatrix} \begin{bmatrix} e_C(t) \\ i(t) \end{bmatrix} + \begin{bmatrix} 0 \\ \frac{1}{L} \end{bmatrix} e(t)$$

$$\frac{di(t)}{dt} = \frac{-1}{L} * ec(t) + \frac{-R}{L} * i(t) + \frac{1}{L} * e(t)$$

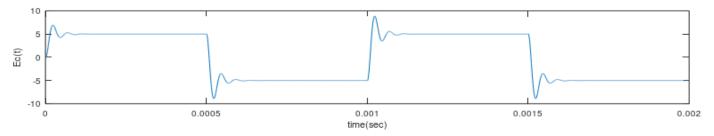
數值帶入=>
$$\left[\frac{\frac{de_C(t)}{dt}}{\frac{di(t)}{dt}}\right] = \left[\begin{array}{cc} 0 & \frac{1}{1e-8} \\ -\frac{1}{0.005} & -\frac{500}{0.005} \end{array}\right] \left[\begin{array}{c} e_C(t) \\ i(t) \end{array}\right] + \left[\begin{array}{c} 0 \\ \frac{1}{0.005} \end{array}\right] e(t)$$

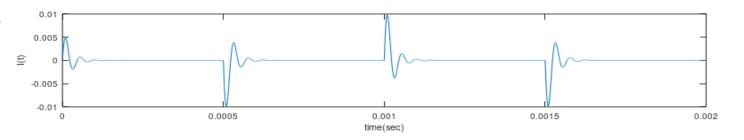
$$C \frac{de_C(t)}{dt} = i(t) \implies C\Delta V = i(t)\Delta t \implies de_C(t) = \frac{i(t)dt}{C}$$

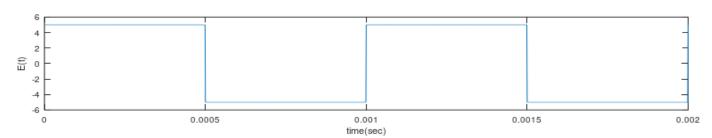
$$L \frac{di(t)}{dt} - Ri(t) - e_C(t) + e(t) \Rightarrow L\Delta I = (-Ri(t) - e_C(t) + e(t))^* \Delta t \Rightarrow di(t) = \frac{(-Ri(t) - e_C(t) + e(t))^* dt}{L}$$

下一秒 = 動量 + 前一秒 因此程式如下:

$$Ec(k+1) = (1/C)*I(k)*dt+Ec(k);$$
  
 $I(k+1) = ((-1/L)*Ec(k)+(-R/L)*I(k)+(1/L)*E(k))*dt+I(k);$ 

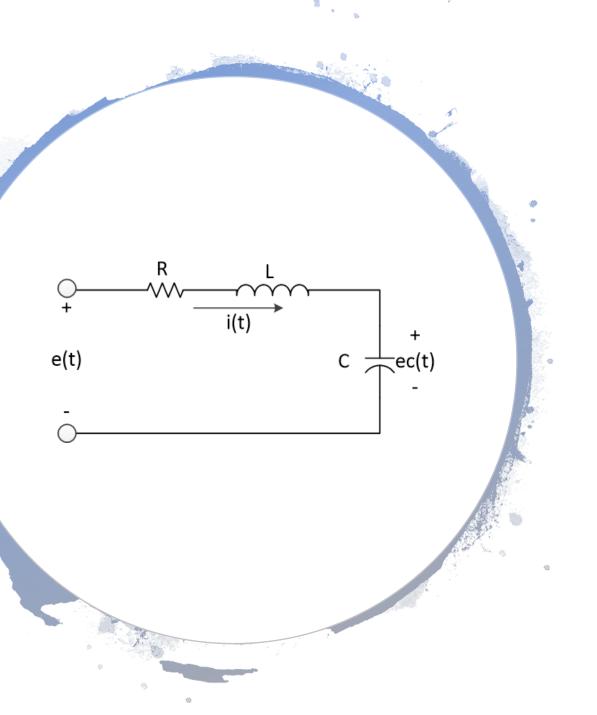




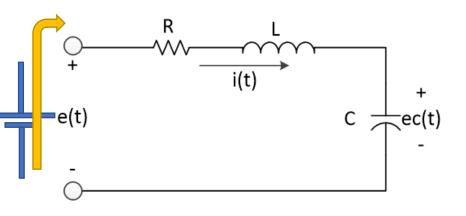


```
$ 1 3.125e-7 12.050203812241895 89 5 43
5e-11
r 64 96 240 96 0 500
w 592 96 464 96 0
1 464 96 240 96 0 0.005
0.000126278273801172 0
v 768 336 768 64 0 0 40 5 0 0 0.5
w 64 352 592 352 0
w 592 272 592 352 0
209 592 224 592 272 0 1e-8 -
5.271520004432276 100000 100000
w -80 352 64 352 0
v -192 96 -192 352 0 2 1000 5 0 0 0.5
w -192 96 64 96 0
w -192 352 -80 352 0
w 800 128 800 240 0
w 592 224 592 96 0
c 848 64 848 112 0 1e-8
5.026348428952723 100000
r 880 160 880 224 0 0.1
o 6 8 0 4098 20 0.0015625 0 2 6 3
o 2 8 0 12289 0.0001
0.008952099901262268 1 2 2 3
o 8 16 0 4098 10 0.0125 2 2 8 3
38 2 0 0.01 1.01 Inductance
38 0 0 1 101 Resistance
38 6 2 1 100000 Max\sReverse\sVoltage
```

http://www.falstad.com/circuit/circuitjs.html



- 參考左圖,設定兩個狀態,電容電壓 $e\_C$  (t)及電感電流i(t),輸入變數為輸入電壓e(t)。
- 請寫出系統狀態方程式(矩陣形式),  $(R=0.5K\Omega, L=5mH, C=0.01\mu F)$
- 若輸入電壓為正弦波訊號,振幅為±5V, 頻率為1KHZ,請模擬並繪出電容電壓響 應圖、電感電流響應圖以及輸入電壓波 形圖。
- 模擬圖說明
- 程式碼以及其註解



### 克希荷夫定律

$$\rightarrow$$
 -e(t) + R\*i(t) + L\*i(t) + ec(t) = 0

$$\rightarrow$$
 L\*i(t) = e(t) - R\*i(t) - ec(t)

$$C * \frac{dV_c}{dt} =$$
電容的電流 = $i(t)$ 

$$\Rightarrow$$
  $C\frac{de_C(t)}{dt} = i(t)$ 

$$L * \frac{\mathrm{d}I_l}{\mathrm{d}t} =$$
 電感的電壓 =  $e(t) - R*i(t) - ec(t) \Rightarrow L \frac{di(t)}{\mathrm{d}t} = -Ri(t) - e_C(t) + e(t)$ 

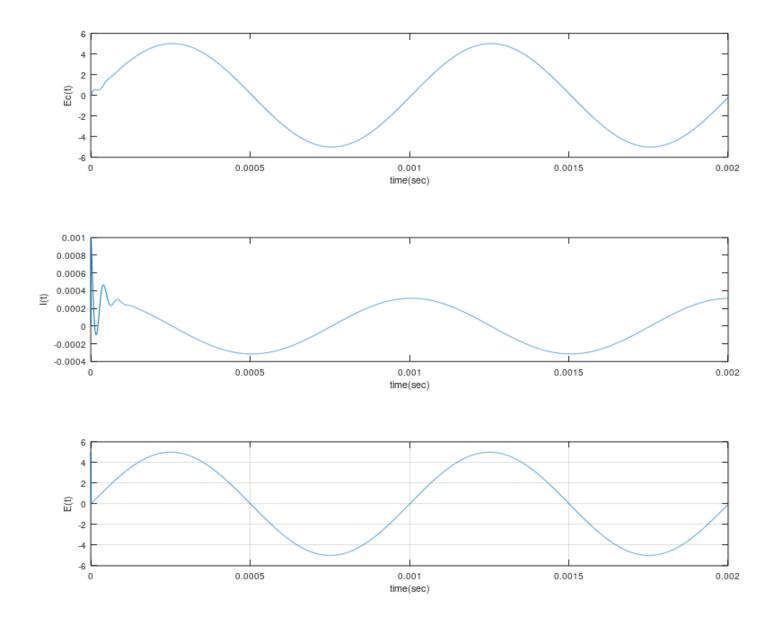
$$L\frac{di(t)}{dt} = -Ri(t) - e_C(t) + e(t)$$

$$\frac{de_C(t)}{dt} = 0 * ec(t) + \frac{1}{c} * i(t) + 0 * e(t)$$

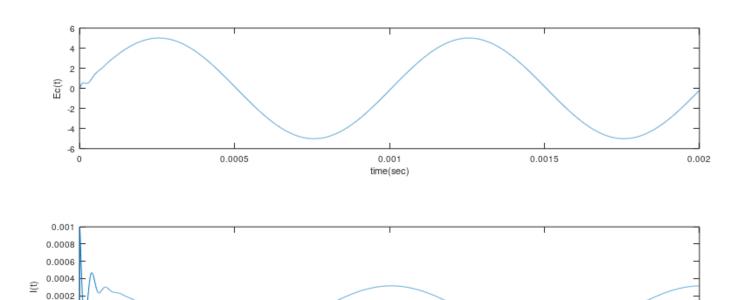
$$= > \begin{bmatrix} \frac{de_C(t)}{dt} \\ \frac{di(t)}{dt} \end{bmatrix} = \begin{bmatrix} 0 & \frac{1}{C} \\ -\frac{1}{L} & -\frac{R}{L} \end{bmatrix} \begin{bmatrix} e_C(t) \\ i(t) \end{bmatrix} + \begin{bmatrix} 0 \\ \frac{1}{L} \end{bmatrix} e(t)$$

$$\frac{di(t)}{dt} = \frac{-1}{L} * ec(t) + \frac{-R}{L} * i(t) + \frac{1}{L} * e(t)$$

數值帶入=>
$$\left[\frac{\frac{de_C(t)}{dt}}{\frac{di(t)}{dt}}\right] = \left[\begin{array}{cc} 0 & \frac{1}{1e-8} \\ -\frac{1}{0.005} & -\frac{500}{0.005} \end{array}\right] \left[\begin{array}{c} e_C(t) \\ i(t) \end{array}\right] + \left[\begin{array}{c} 0 \\ \frac{1}{0.005} \end{array}\right] e(t)$$



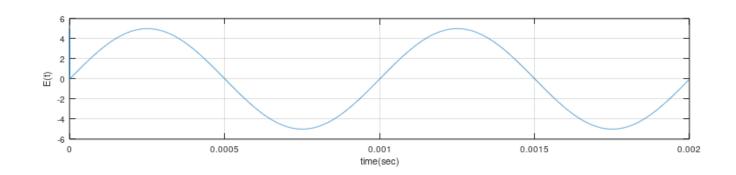
-0.0002 -0.0004



### 電容電壓響應圖



0.002



0.001

time(sec)

0.0015

0.0005

### 輸入電壓波形圖

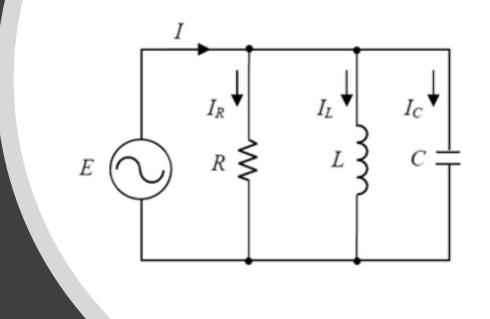
週期T = 
$$\frac{1}{f}$$
 =  $\frac{1}{1000}$  = 0.001

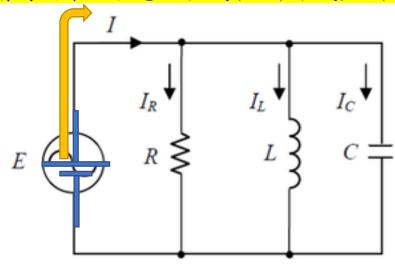
```
HW03-2
```

```
clc;clear;close all;
R = 500;
L = 5e-3;
C = 1e-8;
t_s=0;dt=1e-6;t_d=2e-3;
Ec = zeros(1,2000);%電容電壓
I = zeros(1,2000);%電感電流
E = zeros(1,2000);%電源電壓
E(1)=5;%初始雷壓為5V
k=0:
f=1000;%1KHz
for i = t s:dt:t d
 k = k+1:
 t(k)=i;
 E(k+1)=5*sin(2*pi*f*t(k));
 %I(k) = (E(k)-Ec(k))/R;
 Ec(k+1) = (1/C)*I(k)*dt+Ec(k);
 I(k+1)=((-1/L)*Ec(k)+(-R/L)*I(k)+(1/L)*E(k))*dt+I(k);
end
```

```
index = length(t);
figure; box on;
subplot(3,1,1);plot(t(1:index),Ec(1:index))
xlabel('time(sec)')
ylabel('Ec(t)')
#axis([0 t d min(Ec) 1.1 max(Ec) 1.1])
subplot(3,1,2);plot(t(1:index),I(1:index))
xlabel('time(sec)')
ylabel('I(t)')
#axis([0 t_d min(I) 1.1 max(I) 1.1])
subplot(3,1,3);plot(t(1:index),E(1:index))
xlabel('time(sec)')
ylabel('E(t)')
#axis([0 t_d min(E) 1.1 max(E) 1.1])
```

- 參考右圖,設定三個狀態,電容電流 $I_{C}(t)$ ,電感電流 $I_{L}(t)$ 及電阻電流 $I_{R}(t)$ ,一個輸入變數為E(t)。
- 請寫出系統狀態方程式(矩陣形式),  $(R=0.5K\Omega, L=5mH, C=0.01\mu F)$
- 若輸入電壓為方波訊號,振幅為±5V,頻率為 1KHz,請模擬並繪出電容電壓響應圖、電感電流 響應圖以及輸入電壓波形圖。
- 模擬圖說明
- 程式碼以及其註解





$$C * \frac{dV_c}{dt} =$$
電容的電流 = E(t) / RC =E(t) / (0.01uF)

$$L * \frac{dI_l}{dt} = 電感的電壓 = E(t)$$

$$\frac{\frac{de_C(t)}{dt}}{\frac{di(t)}{dt}} = \frac{\mathbf{E(t)}}{\frac{RC}{RC}} * \frac{1}{c}$$

$$= \mathbf{E(t)}$$

$$\frac{\frac{di(t)}{dt}}{\frac{di(t)}{dt}} = \mathbf{E(t)}$$

$$= \mathbf{E(t)}$$

$$I_R = \frac{E(k)}{Rr}$$

$$I_L = \frac{\mathrm{E}(k)}{RL}$$

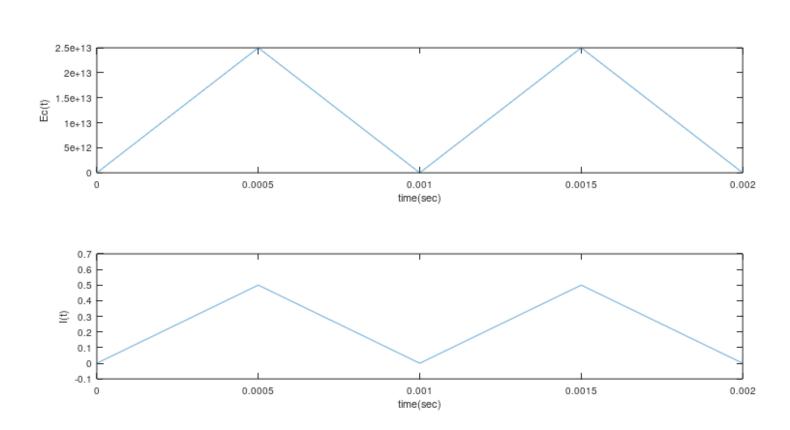
$$I_C = \frac{E(k)}{Rc}$$

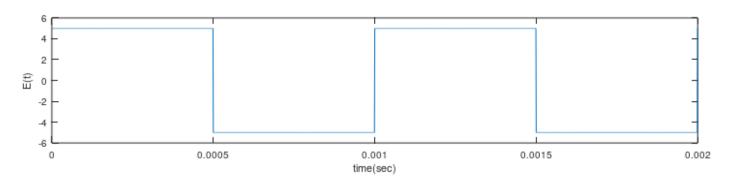
若輸入電壓為方波訊號,振幅為 $\pm 5V$ ,頻率為1KHZ,請模擬並繪出電容電壓響應圖、電感電流響應圖以及輸入電壓 波形圖。

$$\frac{de_C(t)}{dt} = \frac{E(t)}{RC} * \frac{1}{c}$$
$$\frac{di(t)}{dt} = \frac{E(t)}{RL}$$

下一秒 = 動量 + 前一秒 因此程式如下:

$$Ec(k+1) = (1/C)*(1/C)*E(k)*dt+Ec(k);$$
  
 $I(k+1) = E(k)*(1/L)*dt+I(k);$ 

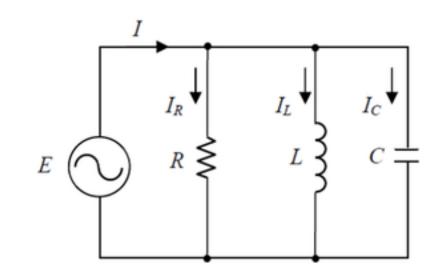


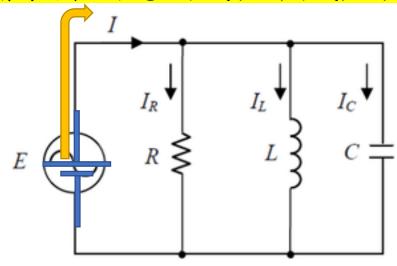


```
clc;clear;close all;
R = 500;
L = 5e-3:
C = 1e-8;
t s=0;dt=1e-6;t d=2e-3;
Ec = zeros(1,2000);%電容電壓
I = zeros(1,2000);%電感電流
E = zeros(1,2000);%電源電壓
E(1)=5; % 初始電壓為5V
k=0;
for i = t s:dt:t d
 k = k+1;
 t(k)=i;
 if mod(k,500) == 0
  E(k+1)=-E(k);
 else
  E(k+1)=E(k);
 end
 Ec(k+1) = (1/C)*(1/C)*E(k)*dt+Ec(k);
 I(k+1) = E(k)*(1/L)*dt+I(k);
end
```

```
index = length(t);
figure; box on;
subplot(3,1,1);plot(t(1:index),Ec(1:index))
xlabel('time(sec)')
ylabel('Ec(t)')
#axis([0 t d min(Ec) 1.1 max(Ec) 1.1])
subplot(3,1,2);plot(t(1:index),I(1:index))
xlabel('time(sec)')
ylabel('I(t)')
#axis([0 t d min(I) 1.1 max(I) 1.1])
subplot(3,1,3);plot(t(1:index),E(1:index))
xlabel('time(sec)')
ylabel('E(t)')
\#axis([0 t d min(E) 1.1 max(E) 1.1])
```

- 參考右圖,設定三個狀態,電容電流 $I_{C}(t)$ ,電感電流 $I_{L}(t)$ 及電阻電流 $I_{R}(t)$ ,一個輸入變數為E(t)。
- 請寫出系統狀態方程式(矩陣形式),  $(R=0.5K\Omega, L=5mH, C=0.01\mu F)$
- 若輸入電壓為正弦波訊號,振幅為±5V,頻率為 1KHz,請模擬並繪出電容電壓響應圖、電感電流 響應圖以及輸入電壓波形圖。
- 模擬圖說明
- 程式碼以及其註解





$$C * \frac{dV_c}{dt} =$$
電容的電流 = E(t) / RC =E(t) / (0.01uF)

$$L * \frac{dI_l}{dt} = 電感的電壓 = E(t)$$

$$\frac{de_C(t)}{dt} = \frac{\mathbf{E(t)}}{RC} * \frac{1}{c}$$

$$\frac{di(t)}{dt} = \frac{\mathbf{E(t)}}{RL}$$

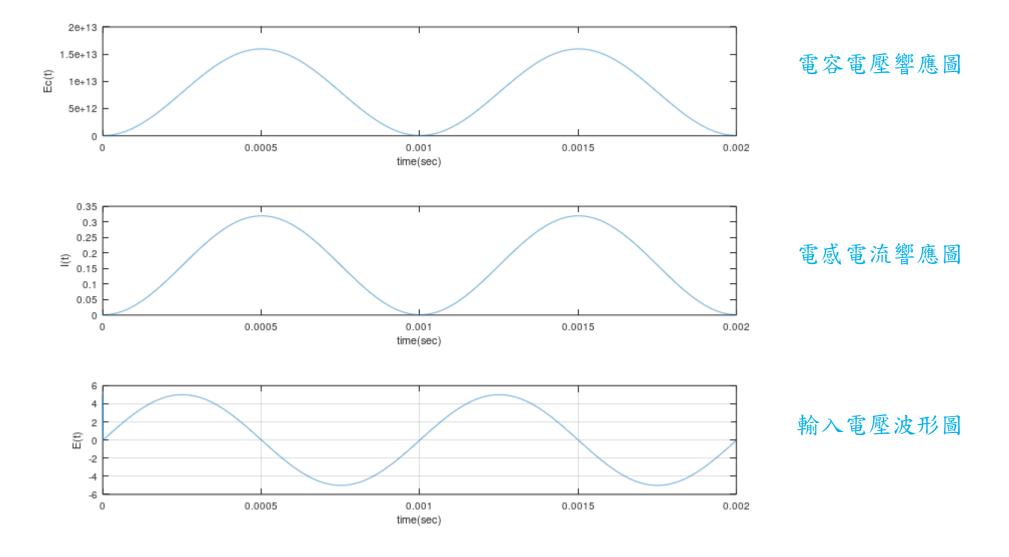
$$=> \begin{bmatrix} \frac{de_C(t)}{dt} \\ \frac{di(t)}{dt} \end{bmatrix} = \begin{bmatrix} \frac{1}{RC*c} \\ \frac{1}{L} \end{bmatrix} E(t)$$

$$I_R = \frac{E(k)}{Rr}$$

$$I_L = \frac{E(k)}{RL}$$

$$I_C = \frac{E(k)}{Rc}$$

應圖以及輸入電壓波形圖。



```
clc;clear;close all;
R = 500;
L = 5e-3;
C = 1e-8;
t s=0;dt=1e-6;t d=2e-3;
Ec = zeros(1,2000);%電容電壓
I = zeros(1,2000);%電感電流
E = zeros(1,2000);%電源電壓
E(1)=5;%初始電壓為5V
k=0;
f=1000;%1KHz
for i = t s:dt:t d
 k = k+1;
t(k)=i;
 E(k+1)=5*sin(2*pi*f*t(k));
 Ec(k+1) = (1/C)*(1/C)*E(k)*dt+Ec(k);
 I(k+1) = E(k)*(1/L)*dt+I(k);
end
```

```
index = length(t);
figure; box on;
subplot(3,1,1);plot(t(1:index),Ec(1:index))
xlabel('time(sec)')
ylabel('Ec(t)')
#axis([0 t_d min(Ec) 1.1 max(Ec) 1.1])
subplot(3,1,2);plot(t(1:index),l(1:index))
xlabel('time(sec)')
ylabel('I(t)')
#axis([0 t d min(I) 1.1 max(I) 1.1])
subplot(3,1,3);plot(t(1:index),E(1:index))
xlabel('time(sec)')
ylabel('E(t)')
\#axis([0 t d min(E) 1.1 max(E) 1.1])
```

### 直流馬達模擬參數

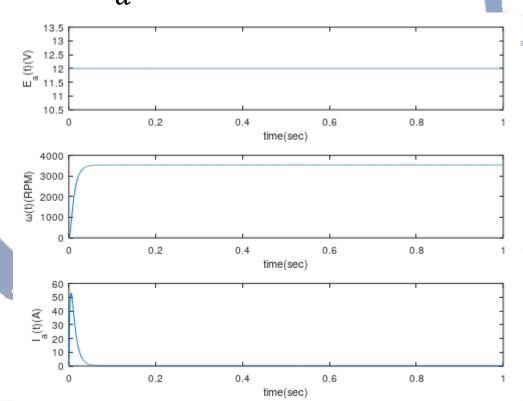
$$J_m = 7.5 * 10^{-5}$$

$$B_m = 2 * 10^{-5}$$

$$K_i = K_e = 0.0323$$

$$R_a = 0.19$$

$$L_a = 5 * 10^{-4}$$



## HW03-5

- PMDC Motor之參數如左。
- 請完成以下模擬(模擬時間1sec)
  - (1) Ea=12, t<0.5; Ea=-12 t>=0.5
  - (2) 振幅10,正弦波, 頻率為5Hz
  - (3) 振幅5,方波,頻率為5Hz

模擬圖如左,由上至下依序為輸入電壓,角速度,電流。角速度之單位須為RPM

#### (1) Ea=12, t<0.5; Ea=-12 t>=0.5

```
clc;clear;close all;

Jm = 7.5e-5;

Bm = 2e-5;

Ki = 0.0323;

Ke = 0.0323;

Kb = 0.0323;

Ra = 0.19;

La = 5e-4;

t_s=0;dt=1e-3;t_d=1;

ea = zeros(1,2000);

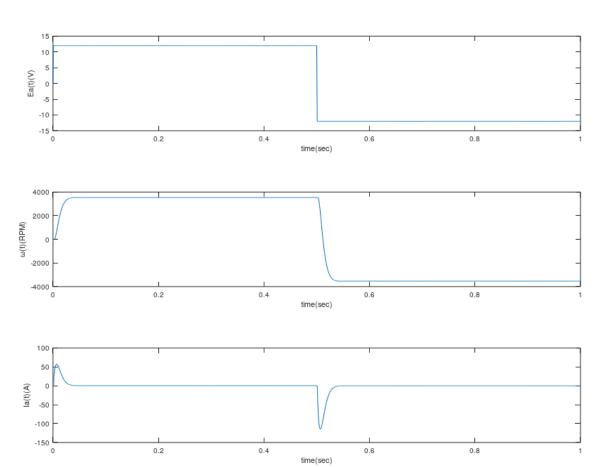
eb = zeros(1,2000);

Wm = zeros(1,2000);

theta = zeros(1,2000);

k=0;
```

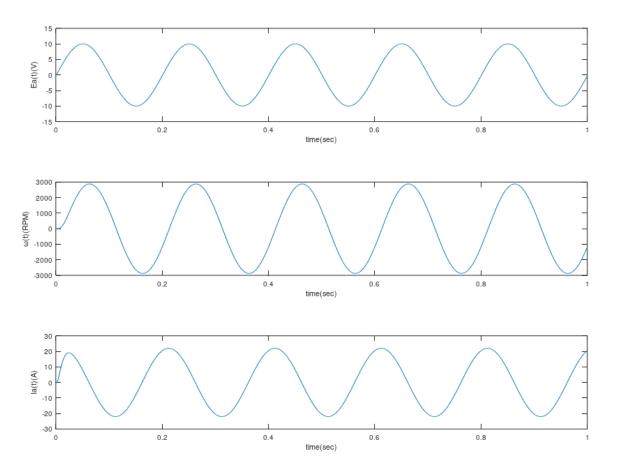
```
for t=t s:dt:t d
 k=k+1;
 T(k)=t;
 if t<0.5
   ea(k+1)=12;
 else
   ea(k+1)=-12;
 endif
 TL(k)=0;
 Tm(k+1)=Ki*ia(k);
 Wm(k+1)=(Tm(k)-TL(k)-Bm*Wm(k))/Jm*dt+Wm(k);
 eb(k+1)=Kb*Wm(k);
 ia(k+1)=(ea(k)-Ra*ia(k)-eb(k))/La*dt+ia(k);
 theta(k+1)=Wm(k)*dt+theta(k);
endfor
index = length(T);
figure;box on;
subplot(3,1,1);plot(T(1:index),ea(1:index))
xlabel('time(sec)')
ylabel('Ea(t)(V)')
axis([0 1 -15 15])#axis([xmin xmax ymin ymax])
#axis([0 t_d min(Ec) 1.1 max(Ec) 1.1])
subplot(3,1,2);plot(T(1:index),Wm(1:index)*(60/(2*
pi)))
xlabel('time(sec)')
ylabel('\omega(t)(RPM)')
#axis([0 t_d min(l) 1.1 max(l) 1.1])
subplot(3,1,3);plot(T(1:index),ia(1:index))
xlabel('time(sec)')
ylabel('la(t)(A)')
#axis([0 t d min(E) 1.1 max(E) 1.1])
```



#### (2)振幅10,正弦波, 頻率為5Hz

```
clc;clear;close all;
Jm = 7.5e-5;
Bm = 2e-5;
Ki = 0.0323;
Ke = 0.0323;
Kb = 0.0323;
Ra = 0.19;
La = 5e-4;
t s=0;dt=1e-3;t d=1;
ea = zeros(1,2000);
eb = zeros(1,2000);
Wm = zeros(1,2000);
ia = zeros(1,2000);
theta = zeros(1,2000);
k=0;
f=5;%1KHz
```

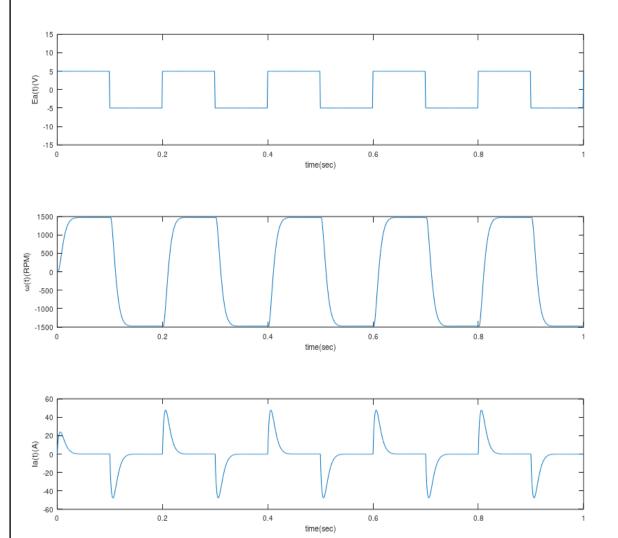
```
for i=t s:dt:t d
 k=k+1;
 T(k)=i;
 ea(k+1)=10*sin(2*pi*f*T(k));
 TL(k)=0;
 Tm(k+1)=Ki*ia(k);
 Wm(k+1)=(Tm(k)-TL(k)-Bm*Wm(k))/Jm*dt+Wm(k);
 eb(k+1)=Kb*Wm(k);
 ia(k+1)=(ea(k)-Ra*ia(k)-eb(k))/La*dt+ia(k);
 theta(k+1)=Wm(k)*dt+theta(k);
endfor
index = length(T);
figure;box on;
subplot(3,1,1);plot(T(1:index),ea(1:index))
xlabel('time(sec)')
ylabel('Ea(t)(V)')
axis([0 1 -15 15])#axis([xmin xmax ymin ymax])
#axis([0 t d min(Ec) 1.1 max(Ec) 1.1])
subplot(3,1,2);plot(T(1:index),Wm(1:index)*(60/(2*
pi)))
xlabel('time(sec)')
ylabel('\omega(t)(RPM)')
#axis([0 t d min(l) 1.1 max(l) 1.1])
subplot(3,1,3);plot(T(1:index),ia(1:index))
xlabel('time(sec)')
ylabel('la(t)(A)')
#axis([0 t d min(E) 1.1 max(E) 1.1])
```



#### (3)振幅5,方波,頻率為5Hz

```
clc;clear;close all;
Jm = 7.5e-5;
Bm = 2e-5;
Ki = 0.0323;
Ke = 0.0323;
Kb = 0.0323;
Ra = 0.19;
La = 5e-4;
t s=0;dt=1e-3;t d=1;
ea = zeros(1,2000);
eb = zeros(1,2000);
Wm = zeros(1,2000);
ia = zeros(1,2000);
theta = zeros(1,2000);
k=0;
ea(1)=5;
```

```
for t=t_s:dt:t_d
 k=k+1;
 T(k)=t;
 %輸入電壓(方波)
 %方波頻率為5Hz,表示週期為T=0.2(sec)
 %即每T=0.1(sec), 訊號需轉態H->L or L->H
 %若考慮取樣時間設定為0.001
 %則k變數每計數100,E變數需轉態
 if mod(k,100)==0
  ea(k+1)=-ea(k);
 else
  ea(k+1)=ea(k);
 endif
 TL(k)=0;
 Tm(k+1)=Ki*ia(k);
 Wm(k+1)=(Tm(k)-TL(k)-Bm*Wm(k))/Jm*dt+Wm(k);
 eb(k+1)=Kb*Wm(k);
 ia(k+1)=(ea(k)-Ra*ia(k)-eb(k))/La*dt+ia(k);
 theta(k+1)=Wm(k)*dt+theta(k);
endfor
index = length(T);
figure; box on;
subplot(3,1,1);plot(T(1:index),ea(1:index))
xlabel('time(sec)')
ylabel('Ea(t)(V)')
axis([0 1 -15 15])#axis([xmin xmax ymin ymax])
#axis([0 t_d min(Ec) 1.1 max(Ec) 1.1])
subplot(3,1,2);plot(T(1:index),Wm(1:index)*(60/(2*pi)))
xlabel('time(sec)')
ylabel('\omega(t)(RPM)')
subplot(3,1,3);plot(T(1:index),ia(1:index))
xlabel('time(sec)')
ylabel('la(t)(A)')
```



### 直流馬達模擬參數

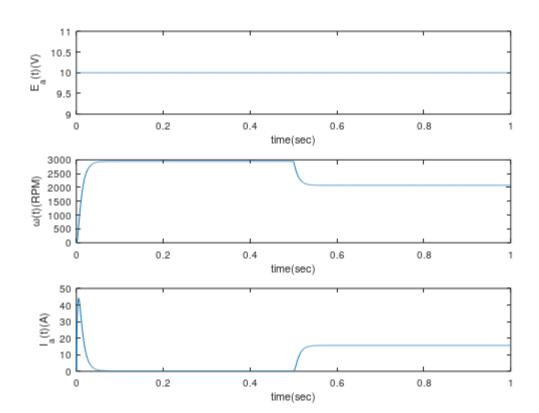
$$J_m = 7.5 * 10^{-5}$$

$$B_m = 2 * 10^{-5}$$

$$K_i = K_e = 0.0323$$

$$R_a = 0.19$$

$$L_a = 5 * 10^{-4}$$



# HW03-6

- PMDC Motor之參數如左。
- 請完成以下模擬(模擬時間1sec)
  - (1) Ea=12, TL=0, t<0.5; TL=0.5, t>0.5

模擬圖如左,由上至下依序為輸入電壓,角速度,電流。角速度之單位須 為RPM

```
clc;clear;close all;

Jm = 7.5e-5;

Bm = 2e-5;

Ki = 0.0323;

Ke = 0.0323;

Kb = 0.0323;

Ra = 0.19;

La = 5e-4;

t_s=0;dt=1e-3;t_d=1;

ea = zeros(1,2000);

eb = zeros(1,2000);

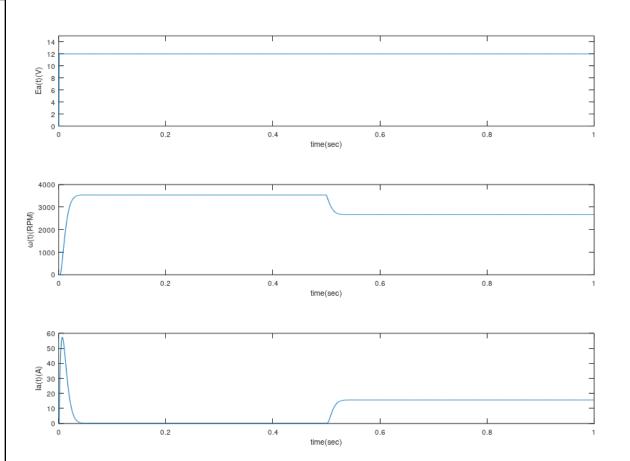
Wm = zeros(1,2000);

ia = zeros(1,2000);

theta = zeros(1,2000);

k=0;
```

```
for t=t s:dt:t d
 k=k+1;
 T(k)=t;
 if t<0.5
   ea(k+1)=12;
   TL(k)=0;
 else
   ea(k+1)=12;
   TL(k)=0.5;
 endif
 Tm(k+1)=Ki*ia(k);
 Wm(k+1)=(Tm(k)-TL(k)-Bm*Wm(k))/Jm*dt+Wm(k);
 eb(k+1)=Kb*Wm(k);
 ia(k+1)=(ea(k)-Ra*ia(k)-eb(k))/La*dt+ia(k);
 theta(k+1)=Wm(k)*dt+theta(k);
endfor
index = length(T);
figure;box on;
subplot(3,1,1);plot(T(1:index),ea(1:index))
xlabel('time(sec)')
ylabel('Ea(t)(V)')
axis([0 1 0 15])#axis([xmin xmax ymin ymax])
#axis([0 t_d min(Ec) 1.1 max(Ec) 1.1])
subplot(3,1,2);plot(T(1:index),Wm(1:index)*(60/(2*
pi)))
xlabel('time(sec)')
ylabel('\omega(t)(RPM)')
#axis([0 t_d min(l) 1.1 max(l) 1.1])
subplot(3,1,3);plot(T(1:index),ia(1:index))
xlabel('time(sec)')
ylabel('la(t)(A)')
#axis([0 t_d min(E) 1.1 max(E) 1.1])
```



### 直流馬達模擬參數

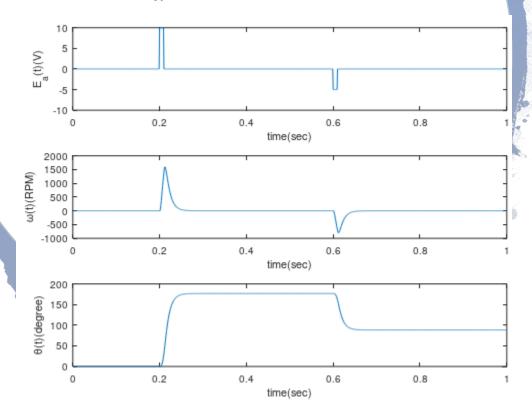
$$J_m = 7.5 * 10^{-5}$$

$$B_m = 2 * 10^{-5}$$

$$K_i = K_e = 0.0323$$

$$R_a = 0.19$$

$$L_a = 5 * 10^{-4}$$



## HW03-7

- PMDC Motor之參數如左。
- 請完成以下模擬(模擬時間1sec)

$$\begin{cases} E_a = 0, & t \le 0.2 \\ E_a = 10, & 0.2 < t \le 0.21 \\ E_a = 0, & 0.21 < t \le 0.6 \\ E_a = -5, & 0.6 < t \le 0.61 \\ E_a = 0, & 0.61 < t \end{cases}$$

模擬圖如左,由上至下依序為輸入電壓,角速度,角度。角速度之單位須為RPM,角度之單位為(度)

```
HW03-7
```

```
clc;clear;close all;

Jm = 7.5e-5;

Bm = 2e-5;

Ki = 0.0323;

Ke = 0.0323;

Kb = 0.0323;

Ra = 0.19;

La = 5e-4;

t_s=0;dt=1e-3;t_d=1;

ea = zeros(1,2000);

eb = zeros(1,2000);

Wm = zeros(1,2000);

theta = zeros(1,2000);

k=0;
```

```
k=k+1;
 T(k)=t;
 if t<0.2
   ea(k+1)=0;
 elseif t<0.21
   ea(k+1)=10;
 elseif t<0.6
   ea(k+1)=0;
 elseif t<0.61
   ea(k+1)=-5;
 else
   ea(k+1)=0;
 endif
 TL(k)=0;
 Tm(k+1)=Ki*ia(k);
 Wm(k+1)=(Tm(k)-TL(k)-Bm*Wm(k))/Jm*dt+Wm(k);
 eb(k+1)=Kb*Wm(k);
 ia(k+1)=(ea(k)-Ra*ia(k)-eb(k))/La*dt+ia(k);
 theta(k+1)=Wm(k)*dt+theta(k);
endfor
index = length(T);
figure; box on;
subplot(3,1,1);plot(T(1:index),ea(1:index))
xlabel('time(sec)')
ylabel('Ea(t)(V)')
#axis([0 t_d min(Ec) 1.1 max(Ec) 1.1])
subplot(3,1,2);plot(T(1:index),Wm(1:index)*(60/(2*pi)))
xlabel('time(sec)')
ylabel('\omega(t)(RPM)')
#axis([0 t_d min(l) 1.1 max(l) 1.1])
subplot(3,1,3);plot(T(1:index),theta(1:index)*(180/pi))
xlabel('time(sec)')
ylabel('\theta(t)degree')
#axis([0 t d min(E) 1.1 max(E) 1.1])
```

for t=t\_s:dt:t\_d

