

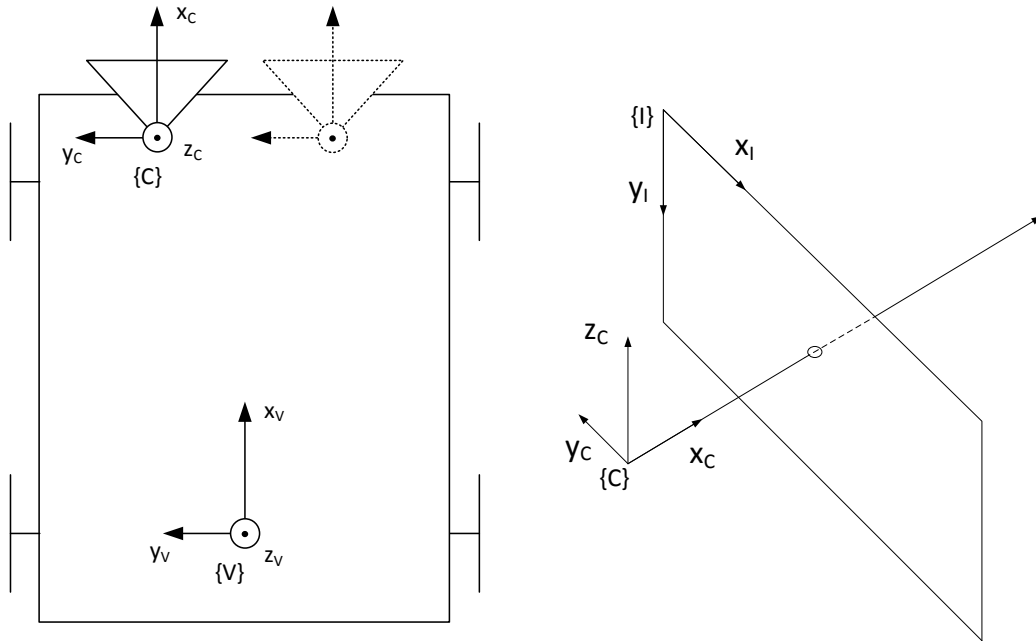
Cityscapes Calibration

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1 Coordinate Systems

We define three coordinate systems: (1) the vehicle coordinate system V according to ISO 8855 with the origin on the ground below of the rear axis center, x pointing in driving direction, y pointing left, and z pointing up; (2) the camera coordinate system C with the origin in the camera's optical center and same orientation; (3) the image coordinate system I with the origin in the top-left image pixel, u pointing right, v pointing down.



2 Coordinate Transformation

The transformation of a point (p_x^V, p_y^V, p_z^V) given in the vehicle coordinate system into a point (p_u^I, p_v^I) in the image coordinate system is given by

$$p_z^V \cdot \begin{pmatrix} p_u^I \\ p_v^I \\ 1 \end{pmatrix} = \mathbf{C} \cdot \begin{pmatrix} p_x^C \\ p_y^C \\ p_z^C \end{pmatrix} = \mathbf{C} \cdot (\mathbf{R}|\mathbf{t}) \cdot \begin{pmatrix} p_x^V \\ p_y^V \\ p_z^V \\ 1 \end{pmatrix}. \quad (1)$$

To transform a point (p_x^C, p_y^C, p_z^C) in the camera coordinate system into a point (p_x^V, p_y^V, p_z^V) in the vehicle coordinate system, we write

$$\begin{pmatrix} p_x^V \\ p_y^V \\ p_z^V \\ 1 \end{pmatrix} = (\mathbf{R}_{\mathbf{C} \rightarrow \mathbf{V}} | \mathbf{t}_{\mathbf{C} \rightarrow \mathbf{V}}) \cdot \begin{pmatrix} p_x^C \\ p_y^C \\ p_z^C \\ 1 \end{pmatrix}. \quad (2)$$

$\mathbf{R}_{\mathbf{C} \rightarrow \mathbf{V}}$ can be calculated from $\text{yaw}_{\text{extrinsic}}$, $\text{pitch}_{\text{extrinsic}}$, $\text{roll}_{\text{extrinsic}}$ as

$$\mathbf{R}_{\mathbf{C} \rightarrow \mathbf{V}} = \begin{pmatrix} c_y c_p & c_y s_p s_r - s_y c_r & c_y s_p c_r + s_y s_r \\ s_y c_p & s_y s_p s_r + c_y c_r & s_y s_p c_r - c_y s_r \\ -s_p & c_p s_r & c_p c_r \end{pmatrix} \quad (3)$$

with s_y , c_y , s_p , c_p , s_r , and c_r representing the sine and cosine of $\text{yaw}_{\text{extrinsic}}$, $\text{pitch}_{\text{extrinsic}}$ and $\text{roll}_{\text{extrinsic}}$, respectively and the translation $\mathbf{t}_{\mathbf{C} \rightarrow \mathbf{V}}$ is given by

$$\mathbf{t}_{\mathbf{C} \rightarrow \mathbf{V}} = \begin{pmatrix} x_{\text{extrinsic}} \\ y_{\text{extrinsic}} \\ z_{\text{extrinsic}} \end{pmatrix}. \quad (4)$$

To obtain \mathbf{R} and \mathbf{t} in equation (1) we invert equation (2) and obtain $\mathbf{R} = \mathbf{R}_{\mathbf{C} \rightarrow \mathbf{V}}^T$ and $\mathbf{t} = -\mathbf{R} \cdot \mathbf{t}_{\mathbf{C} \rightarrow \mathbf{V}}$. To map a point from camera to image pixel coordinates, the intrinsic matrix \mathbf{K} is typically used, which is defined as

$$\mathbf{K} = \begin{pmatrix} f_x & 0 & u_0 \\ 0 & f_y & v_0 \\ 0 & 0 & 1 \end{pmatrix}. \quad (5)$$

This form of \mathbf{K} assumes that the camera coordinate system's x , y and z axis are pointing right, down and front, respectively. To deal with the camera coordinate system described in Sec. 1, the intrinsic matrix is rotated to obtain \mathbf{C} , *i.e.*

$$\mathbf{C} = \mathbf{K} \cdot \begin{pmatrix} 0 & -1 & 0 \\ 0 & 0 & -1 \\ 1 & 0 & 0 \end{pmatrix}. \quad (6)$$

3 Parameters

Extrinsic and intrinsic calibration parameters of the camera are provided in the folder **camera**. The camera translation parameters $x_{\text{extrinsic}}$, $y_{\text{extrinsic}}$, $z_{\text{extrinsic}}$ are given in meters, the rotational parameters $\text{yaw}_{\text{extrinsic}}$, $\text{pitch}_{\text{extrinsic}}$, $\text{roll}_{\text{extrinsic}}$ in radians, and the intrinsic parameters f_x , f_y , u_0 , v_0 in pixels.

Within the folder **vehicle**, we provide vehicle odometry consisting of speed [m/s] and yaw rate [rad/s] according to the vehicle coordinate system (V). Further, we included the outside temperature [$^{\circ}\text{C}$], the GPS latitude [$^{\circ}\text{N}$], and longitude [$^{\circ}\text{E}$].