

# Handout Progress

Interpretation and Compilation  
4-OUT-2020

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# Handout Phase 0.1

**Implement a complete interpreter and compiler for a tiny arithmetic expression language**

Use the approach we are developing in the course

- LL(1) parser using JAVACC
- AST Model
- Interpreter
- Compiler

**Fully understanding the handout statement is part of the handout as well.**

**Contact me anytime if you need help.**

# Handout Phase 0.1

## Learning Outcomes

- you learn how to develop a simple parser using JavaCC
  - understand how to specify tokens using regular expressions
  - you understand how to specify a simple non ambiguous LL(1) context free grammar
- you understand the basics of abstract syntax trees (AST)
- you learn how to define the semantics evaluation function over the AST (this provides an interpreter for the language)
- you learn how to define the semantics compilation function over the AST (this provides a compiler for the language, and allows you to meet the Java Virtual Machine (JVM) internals)

# Handout Phase 0.1

## Abstract Syntax (Abstract Constructors)

**ADD**:  $\text{Exp} \times \text{Exp} \rightarrow \text{Exp}$

**SUB**:  $\text{Exp} \times \text{Exp} \rightarrow \text{Exp}$

**MUL**:  $\text{Exp} \times \text{Exp} \rightarrow \text{Exp}$

**DIV**:  $\text{Exp} \times \text{Exp} \rightarrow \text{Exp}$

**UMINUS**:  $\text{Exp} \rightarrow \text{Exp}$

**NUM**:  $\text{int} \rightarrow \text{Exp}$

# Handout Phase 0.1

## Concrete Syntax (Examples)

$2*3+4$

$2*(3+4)$

$4-2/5*2$

$-(2+2-4)$

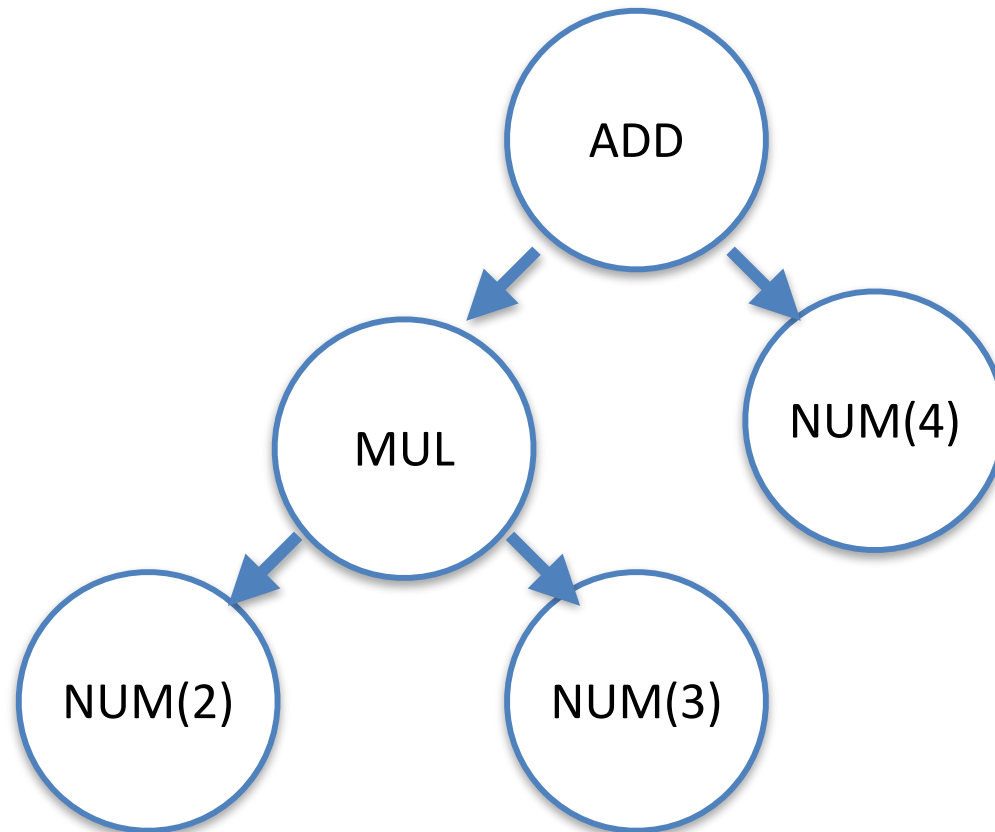
$-2$

# Handout Phase 0.1

Abstract Syntax (Abstract Constructors)

**2\*3+4**

**ADD( MUL(NUM(2),NUM(3)), NUM(4))**

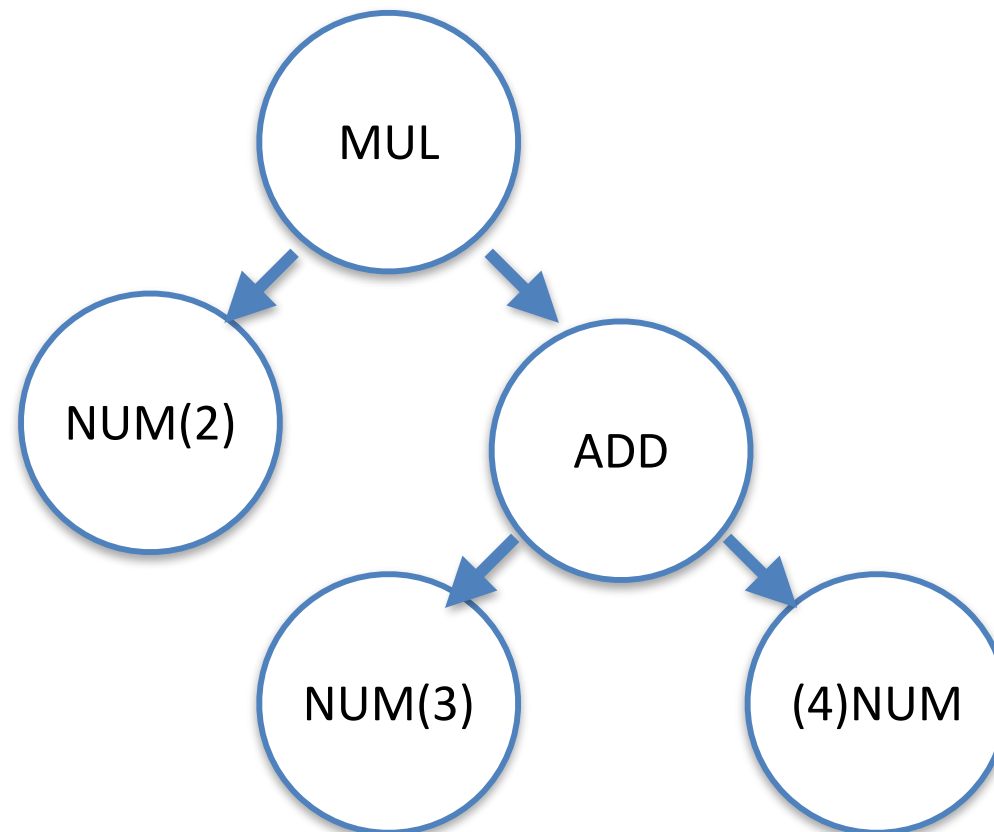


# Handout Phase 0.1

Abstract Syntax (Abstract Constructors)

**2\*(3+4)**

**MUL( NUM(2), ADD(NUM(3),NUM(4)) )**



# Handout Phase 0.1

## Grammar

Alphabet = { **num**, +, -, \*, /, (, ) }

$E \rightarrow \text{num}$

$E \rightarrow E + E$

$E \rightarrow E - E$

$E \rightarrow E * E$

$E \rightarrow E / E$

$E \rightarrow - E$

$E \rightarrow ( E )$



# Handout Phase 0.1

Grammar (ambiguous)

$E \rightarrow$

| **num**

|  $E + E$  |  $E - E$

|  $E * E$  |  $E / E$  |  $-E$  |  $( E )$

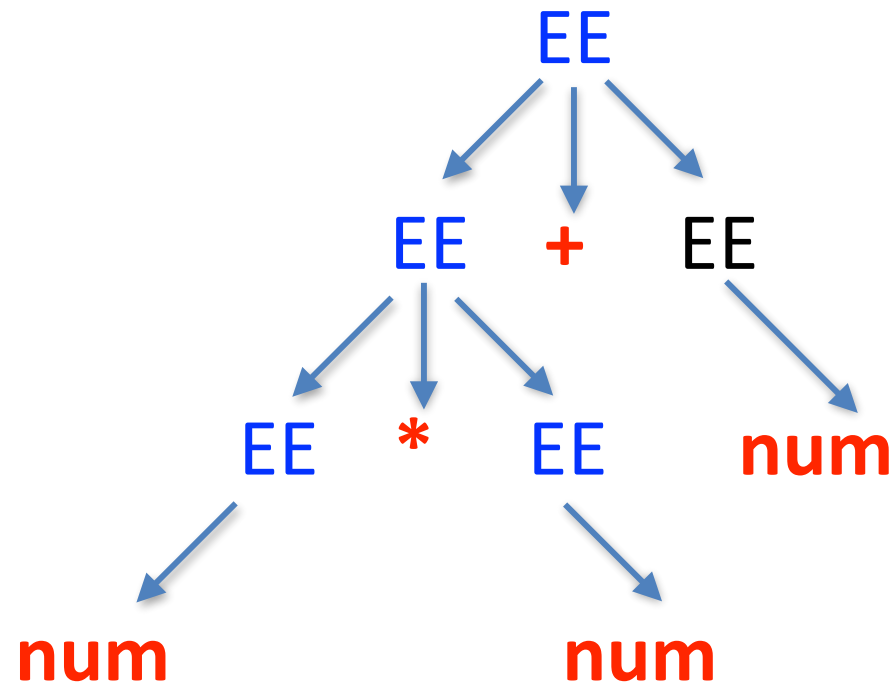
$\text{num} * \text{num} + \text{num}$  has two derivations

$EE \rightarrow EE + EE \rightarrow EE * EE + EE \rightarrow \text{num} * \text{num} + \text{num}$

$EE \rightarrow EE * EE \rightarrow EE * EE + EE \rightarrow \text{num} * \text{num} + \text{num}$

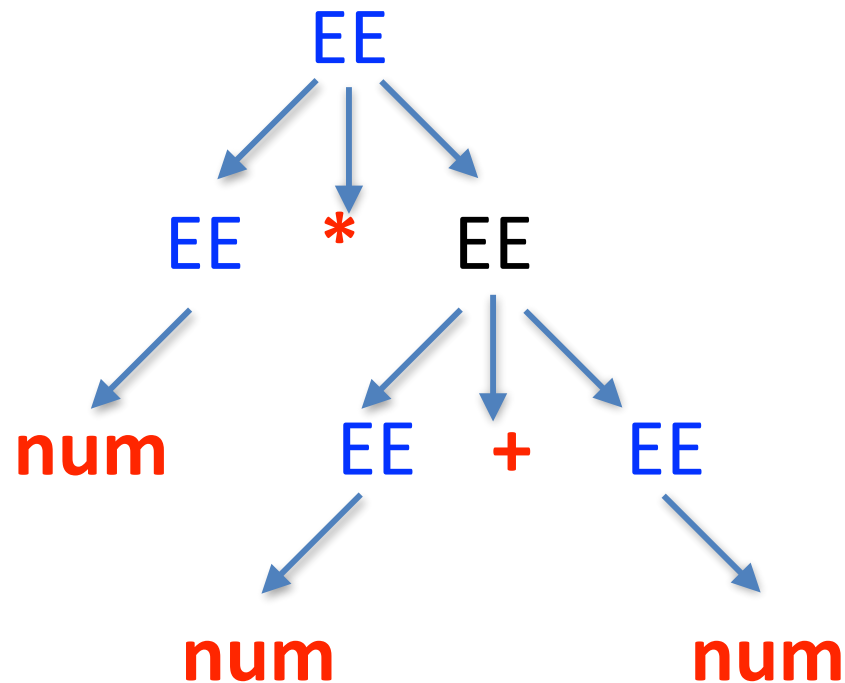
# Handout Phase 0.1

$EE \rightarrow EE + EE \rightarrow EE * EE + EE \rightarrow \text{num} * \text{num} + \text{num}$



# Handout Phase 0.1

$EE \rightarrow EE * EE \rightarrow EE * EE + EE \rightarrow \text{num} * \text{num} + \text{num}$



# Handout Phase 0.1

Grammar (non-ambiguous LL(1) )

$E \rightarrow T$

$E \rightarrow T + E$

$T \rightarrow F$

$T \rightarrow F * T$

$F \rightarrow \text{num}$

$F \rightarrow ( E )$

$F \rightarrow - F$

# Handout Phase 0.1

Grammar ( non-ambiguous )

$E \rightarrow T$

$E \rightarrow T + E$

$T \rightarrow F$

$T \rightarrow F * T$

$F \rightarrow \text{num}$

$F \rightarrow ( E )$

$F \rightarrow - F$

# Handout Phase 0.1

Grammar (non-ambiguous and LL(1) )

$E \rightarrow TE'$

$E' \rightarrow \varepsilon \mid + E$

$T \rightarrow FT'$

$T' \rightarrow \varepsilon \mid * T$

$F \rightarrow \text{num}$

$F \rightarrow ( E )$

$F \rightarrow - F$

$E \rightarrow TE' \rightarrow T+E \rightarrow T+TE' \rightarrow T+T+E \rightarrow \dots \rightarrow T+T+\dots+T$

# Handout Phase 0.1

Grammar (non-ambiguous and LL(1) )

**num \* num + num**

$E \rightarrow TE'$

$E' \rightarrow \varepsilon \mid + E$

$T \rightarrow FT'$

$T' \rightarrow \varepsilon \mid * T$

$F \rightarrow \text{num}$

$F \rightarrow ( E )$

$F \rightarrow - F$

$E \rightarrow TE' \rightarrow FT'E' \rightarrow \text{num } T'E' \rightarrow$

$\text{num } * T E' \rightarrow \text{num } * FT' E' \rightarrow$

$\text{num } * \text{num } T' E' \rightarrow$

$\text{num } * \text{num } + E \rightarrow$

$\text{num } * \text{num } + E \rightarrow$

$\text{num } * \text{num } + E \rightarrow$

$\text{num } * \text{num } + TE' \rightarrow \text{num } * \text{num } + \text{num}$

$E \rightarrow TE' \rightarrow T+E \rightarrow T+TE' \rightarrow T+T+E \rightarrow \dots \rightarrow T+T+\dots+T$

# Handout Phase 0.1

Grammar (non-ambiguous and LL(1) )

EBNF (Extended BNF)

$E \rightarrow T [ ( + \mid - ) T ] ^*$

$T \rightarrow F [ ( * \mid / ) F ] ^*$

$F \rightarrow \text{num} \mid ( E ) \mid - F$



# AST (schematic)

```
interface ASTNode {  
  int eval() ...  
}
```

```
class AST??? implements ASTNode {  
  
}
```

# AST (schematic)

```
class ASTAdd implements ASTNode {  
    ASTNode lhs;  
    ASTNode rhs;  
    public ASTAdd (ASTNode l, ASTNode r) {  
        lhs = l;  
        rhs = r;  
    }  
}
```

# AST (schematic)

```
class ASTAdd implements ASTNode {
```

```
    public eval() {
```

```
        int vl = lhs.eval();
```

```
        int rv = rhs.eval();
```

```
        return vl + rv;
```

```
    }
```

```
}
```

# Handout Phase 0.2

## Learning Outcomes

- you learn how to develop a simple parser using JavaCC
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# AST (schematic)

```
interface ASTNode {  
    int eval();  
    void compile(CodeBlock c);  
}
```

```
class CodeBlock {  
    String code[];  
    int pc;  
    void emit(String opcode){  
        code[pc++] = opcode;  
    }  
    void dump(PrintStream f) { ... // dumps code to f }  
}
```

# AST (schematic)

```
class ASTAdd implements ASTNode {
```

```
    public void compile(CodeBlock c) {
```

```
        lhs.compile(c);
```

```
        rhs.compile(c);
```

```
        c.emit("iadd");
```

```
    }
```

```
}
```

# JVM bytecodes

- sipush  $n$
- iadd
- imul
- isub
- idiv
- ...

- **.class public Main**
- **.super java/lang/Object**
- **;**
- **; standard initializer**
- **.method public <init>()V**
- **aload\_0**
- **invokenonvirtual java/lang/Object/<init>()V**
- **return**
- **.end method**
- **.method public static main([Ljava/lang/String;)V**
- **.limit locals 10**
- **.limit stack 256**
- **; 1 - the PrintStream object held in java.lang.System.out**
- **getstatic java/lang/System/out Ljava/io/PrintStream;**
- **; place your bytecodes here between START and END**
- **; START**
- **sipush 20**
- **sipush 20**
- **iadd**
- **sipush 2**
- **imul**
- **; END**
- **; convert to String;**
- **invokestatic java/lang/String/valueOf(I)Ljava/lang/String;**
- **; call println**
- **invokevirtual java/io/PrintStream/println(Ljava/lang/String;)V**
- **return**
- **.end method**



# JVM bytecodes

## *sipush*

### Operation

Push short

### Format

```
sipush  
byte1  
byte2
```

### Forms

*sipush* = 17 (0x11)

### Operand Stack

... →

..., *value*

### Description

The immediate unsigned *byte1* and *byte2* values are assembled into an intermediate short, where the value of the short is  $(\text{byte1} \ll 8) \mid \text{byte2}$ . The intermediate value is then sign-extended to an `int` *value*. That *value* is pushed onto the operand stack.

# JVM bytecodes

***iadd***

## Operation

Add int

## Format

*iadd*

## Forms

*iadd* = 96 (0x60)

## Operand Stack

..., *value1*, *value2* →

..., *result*

## Description

Both *value1* and *value2* must be of type `int`. The values are popped from the operand stack. The `int` *result* is *value1* + *value2*. The *result* is pushed onto the operand stack.

The result is the 32 low-order bits of the true mathematical result in a sufficiently wide two's-complement format, represented as a value of type `int`. If overflow occurs, then the sign of the result may not be the same as the sign of the mathematical sum of the two values.

Despite the fact that overflow may occur, execution of an *iadd* instruction never throws a run-time exception.

