R Course: Lesson 6

Page Piccinini April 21, 2016

Introduction

The Stroop effect is a well known example in psychology of when it is difficult to ignore conflicting information. My data comes from participants in an R course who conducted the experiment online.

Methods

Participants

Participants were 28 French speakers, some native (8) and some non-native (20) French speakers. There were 22 females and 6 males. The average age of all participants was 29.32 years old.

Materials

There were a total of eight unique items based on the colors blue, red, yellow, and green (in French, bleu, rouge, jaune, and vert). For half of the items the color of the text and the word itself were the same (e.g. the word bleu in blue ink), these will be referred to as congruent trials. The other half of items had a mismatch between word text and color (e.g. the word bleu in green ink).

Procedure

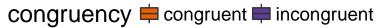
Participants were presented with a word and told to type the first letter of the ink color of the word. There were four blocks in total, within each block the eight items were randomized, coming to 32 trials in total. The experiment was conducted via an online interface.

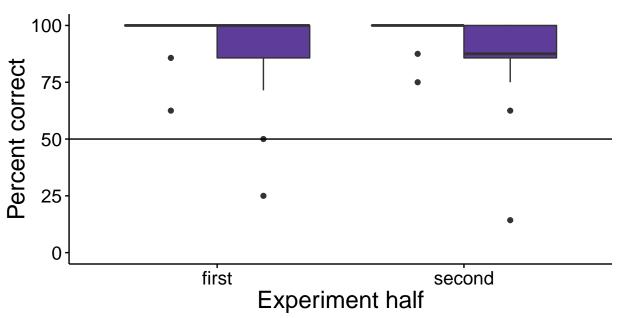
Results

Accuracy

First I looked at accuracy on the task. As can be seen by the figure below, accuracy was in general very high. Participants did appear to be a little more accurate on congruent than incongruent trials.

Accuracy on Stroop Task by Experiment Half and Trial Congruency





To test for effects a generalized linear mixed effects model was run. Accuracy was the dependent variable and congruency (congruent, incongruent) and experiment half (first, second) were included as fixed effects, both as main effects and as interaction. All fixed effects were coded with contrast coding. Participant was included as a random intercept and a random slope by congruency uncorrelated with the random intercept. Item was included as a intercept and a random slope by experiment half uncorrelated with the random slope. This was the maximal, uncorrelated random effects structure that would converge. Significance was assessed via model comparison with an alpha of 0.05.

The model found a significant effect of congruency, such that there was lower accuracy on incongruent trials compared to congruent trial [$\beta = -2.46$, SE = 0.51, $\chi^2(1) = 14.67$, p < 0.05]. There was no effect of experiment half and no significant interaction of congruency and experiment half.

coef(accuracy.glmer_sum)[,1:2]

accuracy_congruency.anova[1:8]

```
## Df AIC BIC logLik deviance Chisq Chi Df ## accuracy_congruency.glmer 7 324.46 357.75 -155.23 310.46 ## accuracy.glmer 8 311.78 349.83 -147.89 295.78 14.674 1
```

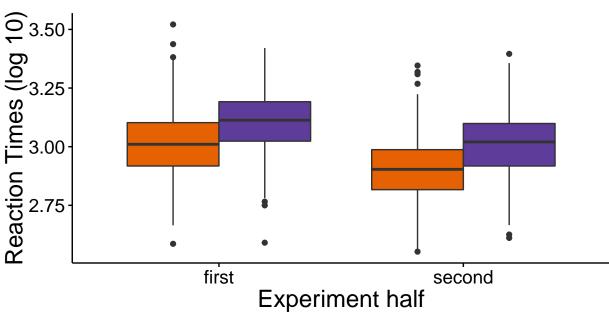
```
Pr(>Chisq)
##
## accuracy_congruency.glmer
## accuracy.glmer
                              0.0001278 ***
## ---
## Signif. codes: 0 '***' 0.001 '**' 0.05 '.' 0.1 ' ' 1
accuracy_half.anova[1:8]
                                   BIC logLik deviance Chisq Chi Df
##
                       Df
                             AIC
## accuracy_half.glmer 7 309.83 343.13 -147.92
                                                  295.83
                                                  295.78 0.0508
## accuracy.glmer
                        8 311.78 349.83 -147.89
                                                                     1
                       Pr(>Chisq)
## accuracy_half.glmer
## accuracy.glmer
                           0.8217
accuracy_congruencyxhalf.anova[1:8]
##
                                 Df
                                        AIC
                                              BIC logLik deviance Chisq
## accuracy congruencyxhalf.glmer
                                 7 310.07 343.36 -148.03
                                                             296.07
                                                             295.78 0.2851
## accuracy.glmer
                                  8 311.78 349.83 -147.89
                                  Chi Df Pr(>Chisq)
## accuracy_congruencyxhalf.glmer
## accuracy.glmer
                                             0.5934
                                       1
```

Reaction Times

I also looked at reaction times on trials where participants gave a correct answer. As can be seen in the figure below, there appears to be an effect of congruency such that participants are slower on incongruent trials than congruent trials. Participants also appear to be faster in the second half of the experiment compared to the first half.

Reaction Times on Stroop Task by Experiment Half and Trial Congruency





To test for effects a linear mixed effects model was run. Reaction time log transformed was the dependent variable and congruency (congruent, incongruent) and experiment half (first, second) were included as fixed effects, both as main effects and as interaction. All fixed effects were coded with contrast coding. Participant was included as a random intercept and a random slope by the interaction of congruency and experiment half. Item was included as a intercept and a random slope by experiment half uncorrelated witht the random intercept. This was the maximal, uncorrelated random effects structure that would converge. Significance was assessed via model comparison with an alpha of 0.05.

The model found a significant effect of congruency, such that participants were slower on incongruent trials compared to congruent trials [$\beta = 0.1$, SE = 0.01, $\chi^2(1) = 22.76$, p < 0.05]. There was also a significant effect of experiment half, such that participants were faster in the second half of the experiment [$\beta = -0.1$, SE = 0.01, $\chi^2(1) = 21.83$, p < 0.05]. There was no significant interaction of congruency and experiment half.

```
coef(rt_log10.lmer_sum)[,1:2]
```

```
## Estimate Std. Error
## (Intercept) 3.010165331 0.01738405
## congruency_contrast 0.103199395 0.01291902
## half_contrast -0.101475044 0.01340228
## congruency_contrast:half_contrast 0.009053546 0.01821269

rt_log10_congruency.anova[1:8]
```

```
## Df AIC BIC logLik deviance Chisq Chi Df ## rt_log10_congruency.lmer 16 -1143.3 -1068.2 587.63 -1175.3
```

```
17 -1164.0 -1084.2 599.01 -1198.0 22.76
## rt_log10.lmer
##
                           Pr(>Chisq)
## rt log10 congruency.lmer
## rt_log10.lmer
                            1.836e-06 ***
## Signif. codes: 0 '***' 0.001 '**' 0.05 '.' 0.1 ' ' 1
rt_log10_half.anova[1:8]
                                    BIC logLik deviance Chisq Chi Df
##
                     Df
                            AIC
## rt_log10_half.lmer 16 -1144.2 -1069.1 588.10 -1176.2
                     17 -1164.0 -1084.2 599.01 -1198.0 21.83
## rt_log10.lmer
##
                     Pr(>Chisq)
## rt_log10_half.lmer
## rt_log10.lmer
                       2.98e-06 ***
## ---
## Signif. codes: 0 '***' 0.001 '**' 0.05 '.' 0.1 ' ' 1
rt_log10_congruencyxhalf.anova[1:8]
                                Df
                                       AIC
                                               BIC logLik deviance
## rt_log10_congruencyxhalf.lmer 16 -1165.8 -1090.7 598.89 -1197.8
## rt_log10.lmer
                                17 -1164.0 -1084.2 599.01 -1198.0 0.2437
                                Chi Df Pr(>Chisq)
## rt_log10_congruencyxhalf.lmer
## rt_log10.lmer
                                     1
                                           0.6215
```

Conclusion

This experiment replicated past work on the Stroop task. Participants were both less accurate and slower on incongruent trials compared to congruent trials. There was also an effect of experiment half, such that participants were faster on the second half of the experiment, although there was no effect for accuracy.