| Q1<br>1 Point  |
|--|
| When is the t-distribution particularly important in statistical inference?  |
| When working with the unknown population mean or unknown population variance   |
| O When comparing the means of two large samples  |
| When the population variance is known  |
| When the data is non-normally distributed  |
|  |
|  |
| Q2<br>1 Point  |
| Which of the following best describes the shape of the t-distribution compared to the normal distribution?   |
| The shape of the t-distribution does not depend on sample size   |
| The t-distribution is less peaked and has fatter tails   |
| C  |
| The t-distribution is more peaked and has thinner tails  |
| ·  |
| The t-distribution is more peaked and has thinner tails  |
| The t-distribution is more peaked and has thinner tails  |
| The t-distribution is more peaked and has thinner tails  |
| <ul> <li>The t-distribution is more peaked and has thinner tails</li> <li>The t-distribution and normal distribution are always identical in shape</li> </ul> Q3                           |
| <ul> <li>The t-distribution is more peaked and has thinner tails</li> <li>The t-distribution and normal distribution are always identical in shape</li> <li>Q3</li> <li>1 Point</li> </ul> |

• The mean of a population

O The median of a population

| Q4<br>1 Point   |
|---|
| Which factor does NOT directly affect the width of a t-confidence interval?     |
| Sample mean   |
| O Level of confidence   |
| O Sample size   |
| Estimated variance  |
|   |
|   |
| Q5<br>1 Point   |
| A one-sample t-test is used to test if:   |
| The sample mean is equal to a specific value                                    |
| The sample median is equal to a specific value                                  |
| The sample variance equals the population variance                              |
| Two sample means are equal  |
|   |
|   |
| Q6<br>1 Point   |
| In testing the difference of means, the null hypothesis typically asserts that: |
| The means of two populations are different                                      |
| The means of two populations are equal  |

O The sample mean is equal to the population mean

O The variance of two populations is equal

| Q7<br>1 Point   |
|---|
| The confidence interval for the difference of means is used to estimate:  |
| The exact difference between the two population means   |
| <ul> <li>The range within which the difference between two population means likely<br/>falls</li> </ul>                           |
| The variance between the two populations  |
| The probability that two means are equal  |
|   |
|   |
| Q8<br>1 Point   |
| A wider confidence interval for the difference of means suggests:   |
| Greater certainty in the estimate   |
| More variability in the data  |
| Less variability in the data  |
| O Smaller sample sizes  |
|   |
|   |
| Q9  |
| 1 Point   |
| Statistical power in the context of difference of means is:   |
| <ul> <li>The chance of the test</li> </ul>  |
| <ul> <li>The probability of correctly rejecting the null hypothesis when a specific<br/>alternative hypothesis is true</li> </ul> |
| The likelihood of the sample means being equal  |
| The probability of correctly accepting the null hypothesis  |