ides Humseldung - llaige Heithers

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Final Exam Spring 2012 Time: 2 hours

Computer Graphics (IT322)

ATTEMPT ALL QUESTIONS

Question 1

- [a] Derive the Bresenham's midpoint circle drawing algorithm. Write the algorithm.
- [b] Trace the mid-point line drawing algorithm for drawing the line with end points (8, 9), (12, 17). Summarize your traces by supplying the following information:

Initial decision: d _{initial} =		
Change in decision when d<0:	$d_1 =$	
Change in decision when d>0:	$d_2 =$	
	Traces	
X	Y	Decision variables
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Question 2

- [a] Compare between convex and non-convex shapes. Describe a filling algorithm suitable for filling non-convex polygon filling.
- [b] Trace the Cohen-Sutherland algorithm while clipping the line with end points (80,0) and (30,50) against a rectangular window with: (XLEFT=10, XRIGHT=40, YBOTOM=20, YTOP=40) if the algorithm tests window edges in the following sequence: LEFT, BOTTOM, TOP, RIGHT

Question 3

- [a] Derive an algorithm to draw the 2D cubic Hermite splines. Show how it could be used in drawing cardinal splines.
- [b] Write an algorithm to draw a spiral with parametric equations:

$$x = \theta \cos \theta$$

$$y = \hat{\theta} \sin \theta$$

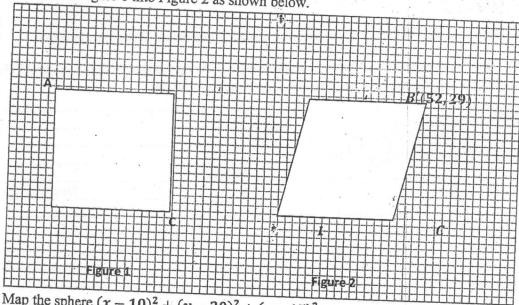
 $for\theta \in [0, 20\pi]$

Page 1 of 2

Question 4

Write a homogeneous transformation matrix (or product of matrices) to:

- Rotate an object about the x axis with a rotation angle of 30° clockwise.
- Scale 3D object with respect to a fixed point (3, 2, 8) where the scaling factors in x, y and z directions are 2, 0.5 and 3respectively.
- Transform Figure 1 into Figure 2 as shown below.



Map the sphere $(x - 10)^2 + (y - 20)^2 + (z - 15)^2 = 625$ to the ellipsoid:

 $\frac{(x-15)^2}{25} + \frac{(y-40)^2}{49} + \frac{(z-12)^2}{100} = 1$

Find the orthogonal projection of an object the plane passing through the points (1, -3, 0), (2, 4, 1)

Question 5

[a] Show how to derive the projection matrix that transforms the semi-pyramid clipping polygon of the perspective camera into a cube with side length of 2.

[b] Given the following camera view parameters: COP=(-2, -1, 1)VPN=(2, 1, -1)

The clipping volume parameters are:

LEFT=-10, RIGHT=10, BOTTOM=-5, TOP=10, NEAR=5, FAR=20:

- Compute the camera view matrix.
- Compute the coordinates of the world point (15, 4, 18) relative to the camera ii. iii.
- Determine whether the world point (15, 4, 18) will be clipped out in cases when the used
 - a. Parallel camera

b. Perspective camera

Best wishes Page 2 of 2