Answer 4 questions
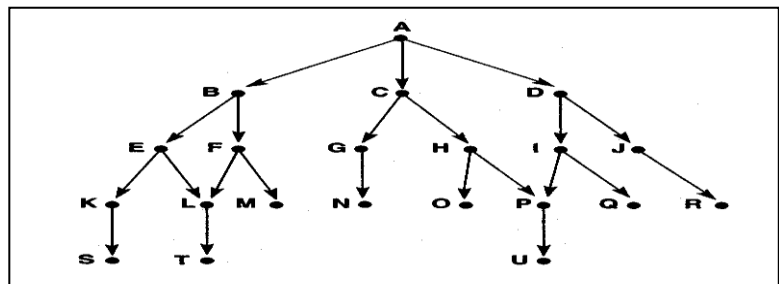
1. For propositional expressions P, Q and R prove that:
   a) $(P \lor Q) \equiv (\neg P \to Q)$.
   b) $(P \to Q) \equiv (\neg Q \to \neg P)$.
   c) $\neg (P \lor Q) \equiv (\neg P \to \neg Q)$.
   d) $P \lor (Q \land R) \equiv (P \lor Q) \land (P \lor R)$

2. Represent the following English sentences in predicate calculus:
   a) If it doesn't rain on Friday we will go to the park.
   b) Emma is a Doberman pinscher and a good dog
   c) All basketball players are tall.
   d) Nobody likes taxes.

3. 3. For the following term, give the output tree of the unification if it unify or else explain why unification would fail:

   Unify ((parents A (father A) (mother aly)), (parents aly (father aly) B))

4. Given the following
   i. if it is sunny and it is warm, then Samy is happy.
   ii. if there is blue sky then it is sunny.
   iii. there is blue sky.
   iv. it is warm.
   v. is Samy happy?
   Use resolution to show Samy is happy

5. build a finite state acceptor and transition matrix that recognizes the following:
   i) All strings of characters from the alphabet {a,b,c,d} that contain the exact sequence "abc".
   ii) All strings of binary digits{0,1} that contain the exact sequence "111".

6. Write and trace the algorithms of Depth-first and Breadth-First search by using this graph.

Good Luck