```
%PDF-1.4
%^{-}A-f\Delta
1 0 obj
<< /Type /Catalog
/Pages 2 0 R
>>
endobj
2 0 obj
<< /Type /Pages
/Kids [4 0 R 14 0 R 24 0 R 43 0 R 48 0 R 61 0 R 69 0 R 78 0 R 83 0 R 100 0 R 109
0 R 126 0 R 136 0 R 151 0 R 163 0 R 170 0 R 178 0 R 185 0 R 191 0 R 197 0 R 203
0 R 209 0 R]
/Count 22
>>
endobj
3 0 obj
<< /ProcSet [/PDF /Text /ImageB /ImageC /ImageI]</pre>
/XObject << /XIPLAYER0 6 0 R
/XIPLAYER_CM1 8 0 R
/XIPLAYER_CM2 10 0 R
/XIPLAYER_CM3 11 0 R
/XIPLAYER_CM4 12 0 R
>>
>>
endobj
4 0 obj
<< /Type /Page
/Parent 2 0 R
/Resources 3 0 R
/MediaBox [0 0 595 842]
/Contents 5 0 R
>>
endobj
5 0 obj
<< /Length 228
/Filter /FlateDecode
stream
```

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cm≥`a,kÖ≡cú<sup>-</sup>≡>≡≡≡ëz:
 endstream
endobj
 6 0 obj
 << /Length 5105
 /Type /XObject
 /Subtype /Image
 /BitsPerComponent 8
 /Width 832
 /Height 1184
 /ColorSpace /DeviceRGB
 /Filter [/FlateDecode /DCTDecode]
 /DecodeParms [null 7 0 R]
stream
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\texttt{Els} f \textbf{x} \blacksquare \textbf{H}. - \blacksquare \blacksquare \texttt{1Z} \blacksquare \} \cdot \textbf{Z} \pm \infty \leq \texttt{x''} + \grave{\textbf{D}} \hat{\textbf{E}} \boldsymbol{\xi} \blacksquare \hat{\textbf{E}} \pi^* \textbf{K} \underline{\texttt{o}} \boldsymbol{\varpi} \hat{\textbf{O}} \hat{\textbf{E}} \hat{\textbf{E}} \parallel \hat{\textbf{S}} \textbf{X} \boldsymbol{f} \blacksquare ` \ddot{\textbf{I}} ' \approx \sim \div \tilde{\textbf{a}} \blacksquare \textbf{0} \textbf{E} \hat{\textbf{E}} \hat{\textbf{O}} \tilde{\textbf{O}} \blacksquare \hat{\textbf{O}} \blacksquare \hat{\textbf{B}} \hat{\textbf{E}} \boldsymbol{f} + \infty \underline{\textbf{B}} \underline{\textbf{o}} \hat{\textbf{E}} \hat{\textbf{E}} \hat{\textbf{O}} \hat{\textbf{A}} \hat{\textbf{E}} \boldsymbol{f} = \mathbf{0} \hat{\textbf{E}} \hat{\textbf{O}} \hat{\textbf{O}} \hat{\textbf{O}} \hat{\textbf{O}} \hat{\textbf{O}} \hat{\textbf{O}} \hat{\textbf{O}} \hat{\textbf{O}} \hat{\textbf{E}} \hat{\textbf{O}} \hat{\textbf{O}
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íQ█Óù-y:ã∞é©/ŸëM=█(ţ,÷=ÕÖ█á█])mõ█f2ÿNf...k |Q¢[N█)<sup>-</sup>#zha■°5V
 ë¥-êdÅå¥ÿJÖlñê1õ#■k{!∏4ÀŒ■yÁ[=·r■‡sĶñ∞ûayã&H:<ux}ÎP∑Ê■g ^‰ejb|7■■~DÏÀà■£<*-9…ú,
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## ■;G äY■■"~O■±m=■

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- $\ddot{e}i\ddot{c}\ddot{r}+\ddot{e}uY,G9\ddot{m}-\S>\ddot{a}5æ < \ddot{u}'/c\ddot{m}C>5k(m\approx 1) + 2k^2 +$
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- 70Iïæ.? $\blacksquare\blacksquare$ # $\neq$ afì"± $\frac{\pi}{\chi}$ L?2!0®÷ $\frac{\pi}{\chi}$ àß $\pi$ TôÈ/ $\blacksquare$ .Ê4"s  $\blacksquare\blacksquare$ [ $\frac{\pi}{\chi}$ 00RÍiín@5Õå $\blacksquare$ "1-Ö¢±ElIC{ $\blacksquare$ M®/A°. $\blacksquare$ <-[ $\blacksquare$ f;({ $\frac{\pi}{\Pi}$ \$\pi}{\pi}\frac{\pi}{\pi}{\pi}\frac{\pi}{\pi}{\pi}\frac{\pi}{\pi}\frac{\pi}{\pi}\frac{\pi}{\pi}{\pi}\frac{\pi}{\pi}{\pi}\frac{\pi}{\pi}\frac{\pi}{\pi}\frac{\pi}{\pi}{\pi}\frac{\p

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$$\begin{split} & \tilde{\Pi}_{\varepsilon} = \tilde{\Pi}_$$

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endstream
endobj
7 0 obj
  << >>
endobj
8 0 obj
<< /Length 20755
/Type /XObject
/Subtype /Image
/BitsPerComponent 1
  /Width 1538
  /Height 2158
/ImageMask true
/Filter /JBIG2Decode
/DecodeParms << /JBIG2Globals 9 0 R
>>
  >>
```

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stream

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&OßÍ■■€■éf§3Ÿï■-"Xq◊■∏■Ø-¬■■Wq≤ç¥|■-y■NEç'"Ö]_>a€8¿€ë∫ûŒä■_-ä§ {)gµ■Æ_■>d■Mdèi<sup>-</sup>~
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$$\begin{split} &\tilde{\mathbf{E}}\tilde{\mathbf{a}}\hat{\mathbf{o}}\hat{\mathbf{o}}\mathbf{m} \otimes \hat{\mathbf{o}}\hat{\mathbf{o}}\mathbf{m} + \hat{\mathbf{U}}\mathbf{m} \otimes \mathbf{G}\mathbf{m} \otimes \mathbf{E}\mathbf{m} + \hat{\mathbf{v}}\mathbf{m} &\tilde{\mathbf{e}}\mathbf{m} &\tilde{\mathbf{e}}\mathbf{m}$$

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$$\begin{split} & \circ^- = \blacksquare \blacksquare^{\mathbb{N}} \mathbb{S} \hat{\mathbb{R}} \hat{\mathbb{N}} \hat{$$

 $\div \operatorname{SpSVq} \times \operatorname{C-mf} \circ \operatorname{EO} ) \ 1\_0 \circ \circ \circ \Omega \otimes \operatorname{Ga} : \operatorname{E} \wedge \operatorname{A} \operatorname{Dyr} . \operatorname{UC} \circ \operatorname{If} \circ \operatorname{S} ; \operatorname{I} < \operatorname{R} ''Y \} , \operatorname{IJ} S "r \operatorname{II} ) \Delta > \operatorname{IO} : \operatorname{aa} \operatorname{II} \circ \operatorname{bb} : \operatorname{E} \operatorname{II} : \operatorname{II} \circ \operatorname{Aa} \operatorname{II} \circ \operatorname{II$ 

■■■, ]QÓC∞å∂èPœÿ)UTÍ■≈ ■å<^M‡ÏÂ■−8≠ËuåÛ $\Omega$ ÷Má■¬ $^{1}$ Å7∑È■■′dûôö■L≥oÈ∂ØI■■Û $\{0\Z[‡■à0...■ \pi~¿J{■≤"ᣠÏ_ív_f, ■ä■ ;9■FÇ)?1...Ò■<math>\Omega$ >≠Ù1^w■r@ŒÂ|Ï■~≈?À£4]¥ÄlW:
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\*■②Øã■Ñy,¬≈π:■z?9ûP€kÜà§LY§pROÅ>(≤K~œ≠4aí¸a~■°á■■†\_tÏ/å,■—■\$~ÓÛUiPK§∑″S¿√Å,DÌ"ó√\_■a™ATÚBy,■■BE¶ã■x[®Ú...■≈ÖMí∎z|Ú ∆7...¶≡Ç≤%ÓØ•■a■>"¶≠≥7Ø∂À>z£É—■æ@ìA∞>Ñîartì9Iy∏ 1°■∂Ø′ÿéÓ°;ÿ∂Jz¬■...>9■êÀ■/,ûĈŸpÂ■t=÷/O■N°∏PXq

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endstream
endobj
11 0 obj
<< /Length 695
/Type /XObject
/Subtype /Image
/BitsPerComponent 1
/Width 348
/Height 129
 /ImageMask true
/Filter /JBIG2Decode
/DecodeParms << /JBIG2Globals 9 0 R
>>
>>
stream
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 endstream
endobj
12 0 obj
 << /Length 281
 /Type /XObject
 /Subtype /Image
 /BitsPerComponent 1
 /Width 170
 /Height 186
/ImageMask true
/Filter /JBIG2Decode
 /DecodeParms << /JBIG2Globals 9 0 R
 >>
>>
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  endstream
endobj
13 0 obj
  << /ProcSet [/PDF /Text /ImageB /ImageC /ImageI]</pre>
  /XObject << /XIPLAYER0 16 0 R
  /XIPLAYER_CM1 18 0 R
  /XIPLAYER_CM2 19 0 R
    /XIPLAYER_CM3 20 0 R
  /XIPLAYER_CM4 21 0 R
  /XIPLAYER_CM5 22 0 R
>>
  endobj
14 0 obj
  << /Type /Page
  /Parent 2 0 R
  /Resources 13 0 R
  /MediaBox [0 0 595 842]
  /Rotate 180
    /Contents 15 0 R
  >>
endobj
```

15 0 obj

stream

<< /Length 251

/Filter /FlateDecode

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\texttt{x\acute{u}}\varsigma \texttt{i}\Omega \texttt{N} \approx \texttt{0} \texttt{F} \texttt{w\^{u}} \texttt{-/p}\varsigma \texttt{i}^- \texttt{'} \blacksquare \texttt{0} \texttt{0} \texttt{A} \blacksquare \texttt{L} \texttt{0} \texttt{1} \texttt{0} \texttt{0} \texttt{!} \P \texttt{Y} \texttt{W} \blacksquare \texttt{C} \texttt{0} - \texttt{/} \varsigma \& \texttt{0} \& \texttt{4} \blacksquare \texttt{0} \texttt{0} \texttt{'} \texttt{0} \texttt{n} \texttt{e}^- \texttt{)} \texttt{'} \blacksquare \texttt{B} \Leftrightarrow \texttt{0} \texttt{E} \texttt{7} \texttt{A} \texttt{i} \pounds \texttt{<0} \texttt{0} \texttt{.} \texttt{B} \blacksquare \blacksquare \texttt{C} \texttt{0} \texttt{Z} \blacksquare \texttt{<0} \texttt{e}^- \texttt{0} \texttt{A} \texttt{i} \pounds \texttt{0} \texttt{0} \texttt{0} \texttt{A} \texttt{i} \pounds \texttt{0} \texttt{0} \texttt{0} \texttt{A} \texttt{i} \pounds \texttt{0} \texttt{0} \texttt{A} \texttt{i} \pounds \texttt{0} \texttt{0} \texttt{0} \texttt{A} \texttt{i} \texttt{A} \texttt{i} \texttt{0} \texttt{0} \texttt{A} \texttt{i} \texttt{A} \texttt{i} \texttt{A} \texttt{i} \texttt{0} \texttt{0} \texttt{A} \texttt{i} \texttt{A} \texttt{A} \texttt{i} \texttt{A} \texttt{A} \texttt{i} \texttt{A} 
       \sim \blacksquare 9 \} \prod \Omega > \{ \circ \circ \cdot \mid \prod x \blacksquare \blacksquare \land \Delta s \blacksquare ! d \le \widetilde{\mathsf{N}} \land - " \blacksquare \widetilde{\mathsf{O}} \mathsf{f} \land d \ddot{\Xi} \mathsf{k} \P \mathsf{c} \mathsf{X} \mathsf{D} \blacksquare \mathsf{Y} / \mathsf{M} \mathsf{c} \land \emptyset \mathsf{D} > \widetilde{\mathsf{u}} \blacksquare \blacksquare , \mathsf{U} 9 \Omega \wedge \widetilde{\mathsf{O}} < \delta \mathsf{n} \land \widetilde{\blacksquare} \pm \mathsf{A} \prod \mathsf{b} \ddot{\mathsf{u}} \mathsf{1} \mathsf{H} " \blacksquare @ \Upsilon \widetilde{\mathsf{U}} \mathsf{H} \blacksquare \blacksquare \hat{\mathsf{A}} \circlearrowleft \mathsf{C} \mathsf{I} \blacksquare = \mathsf{A} \square \mathsf{b} \mathsf{u} \mathsf{I} \mathsf{H} = \mathsf{A} \square \mathsf{b} \mathsf{u} \mathsf{I} \mathsf{H} = \mathsf{A} \square \mathsf{b} \square \mathsf{A} \square \mathsf{b} \square \mathsf{A} \square \mathsf{I} \mathsf{H} = \mathsf{A} \square \mathsf{b} \square \mathsf{A} \square 
           !S\blacksquare m^{\circ}@t"\bullet if\blacksquare \acute{e}P\Delta X! \Pi @09 B\blacksquare \#\hat{e}\blacksquare m \& \neg b^{\circ} -\S - '\ddot{a}\dot{c} \\ - L\tilde{A} \ddot{a}\ddot{o} a \& \{c\hat{a}\dot{c} \\ \acute{e}\blacksquare N) \\ tJ\blacksquare \& G\blacksquare u\hat{e} \#\ddot{o} \\ *^{\bullet}\blacksquare B\hat{a}'] / i\hat{u}\blacksquare V0 \blacksquare U\hat{a} \\ + \tilde{u}\hat{a}\hat{a}\hat{b}\hat{a}\hat{a}\hat{b}\hat{a}\hat{a}\hat{b}
/■.ÏHÒ■Ê■è>
   endstream
   endobj
       16 0 obj
       << /Length 3230
       /Type /XObject
       /Subtype /Image
           /BitsPerComponent 8
       /Width 832
   /Height 1184
       /ColorSpace /DeviceRGB
   /Filter [/FlateDecode /DCTDecode]
   /DecodeParms [null 17 0 R]
       stream
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 \ddot{\circ}) \\ \text{aN} \ddot{\circ} \dot{\circ} f \\ 1 \\ \Omega \\ \text{G}, \\ \text{a} \ \ddot{\bullet} \dot{\circ} f \\ \text{A} \\ \text{C}' \ \ddot{\bullet} \ \ddot{\bullet} \\ \text{E} \\ \text{C}' \ \ddot{\bullet} \ \ddot{\bullet} \\ \text{E} \\ \text{C}' \ \ddot{\bullet} \ \ddot{\bullet} \\ \text{C}' \ \ddot{\bullet} \\ \text{E} \\ \text{C}' \ \ddot{\bullet} \ \ddot{\bullet} \\ \text{C}' \ \ddot{\bullet} \\ \text{
ÿ83ì)◊<≈■÷Ó‡¯s∕■ª■■∞ËΩÆa‡≈pØ`∏Wö6À5ë■~òÀ■≠«©I«Ë■^■â8t◊∂debD<Út■{éÄÅv¶k5®Ób‡‡ƒ■~
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endstream
endobj
17 0 obj
<< >>
endobj
18 0 obj
<< /Length 30390
/Type /XObject
/Subtype /Image
/BitsPerComponent 1
/Width 1570
/Height 2238
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 ^{\circ}K\hat{u}\tilde{A}\blacksquare\ddot{1}\hat{1}\tilde{u}qA\hat{1}\\ + *\acute{e}\tilde{a}\ddot{y}\tilde{n}NA\hat{3}lC\{\tilde{n}=\bullet\,`\blacksquare R\&_{,,,}|1\tilde{A}\blacksquare\blacksquare whP\,`^ou>!M\cdot s\blacksquare hM\blacksquare c90\blacksquare\sum z\cdot\blacksquare 0\hat{A}\neg2\hat{a}e-\blacksquare \hat{0}\neg\blacksquare\blacksquare 99K7\}
œSő¥H:™íÀæÍc>HpiñH‡€ò∆H/∫·ï,I[HH°Hé÷Û©< 6Æ™5HAypè;1...H<OHó±åH≥¶¶∑\ πHùHíø]=`∫XH
ñõLÜ5■‰,[ª‡;ü■¢°0■∂énâ■;ÌmÒ≥ÜAåÑÛíJ^i""‡#ò¯îõ■ 2ΔÙ´sM■´Yt©O¯±/HfæÛpÂ■H?■Àf:'■0õú
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-~gä]4Å%PÑ^™ΩÒ◊-Øí€åÎ■œg■qR0,∕©Û■∑±V¥£+ÃL≠ÿ{†■J■Ω2Jª4■V■ÑiGÚH<■\Ûòâà-ËÛkyR©h÷ß■■
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ês9?ß}H■ñª%F¶ö■≥R■G■■}■´ì"è■■,ûuÅòé■ôH…ù∑■/¨¬√`üÄ∂î•'l″Àlerô'â*÷f■â■{ï,■≥■YA■gfC
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\hat{A}\mathring{a}, H\mathring{A} > \ddot{a}\ddot{I} \} \blacksquare U \blacksquare \mathring{u} \partial \blacksquare N \mathring{z} \hat{A}\hat{I} \blacksquare M \tilde{N} \mathring{u} B - \emptyset 4 \blacksquare \hat{E}, ^ \bullet X \S \blacksquare \hat{I} \blacksquare ^ \prime p ^ \blacksquare Y \mathring{z} \acute{a} L < \blacksquare \grave{e} m \blacksquare \ddot{y} \grave{o} \blacksquare
xÆR4■■ÄÉ■= ■"
endstream
endobj
19 0 obj
<< /Length 402
/Type /XObject
/Subtype /Image
/BitsPerComponent 1
/Width 180
/Height 81
/ImageMask true
/Filter /JBIG2Decode
/DecodeParms << /JBIG2Globals 9 0 R
```

stream

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endstream
endobj
20 0 obj
<< /Length 329
/Type /XObject
/Subtype /Image
/BitsPerComponent 1
/Width 180
/Height 116
/ImageMask true
/Filter /JBIG2Decode
/DecodeParms << /JBIG2Globals 9 0 R
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stream
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F■"√■¶T)■■"
endstream
endobj
21 0 obj
<< /Length 291
/Type /XObject
/Subtype /Image
/BitsPerComponent 1
/Width 352
/Height 72
/ImageMask true
/Filter /JBIG2Decode
/DecodeParms << /JBIG2Globals 9 0 R
>>
stream
```

```
endstream
endobj
22 0 obj
<< /Length 228
/Type /XObject
/Subtype /Image
/BitsPerComponent 1
/Width 63
/Height 179
/ImageMask true
/Filter /JBIG2Decode
/DecodeParms << /JBIG2Globals 9 0 R
>>
>>
```

stream

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endobj
23 0 obj
<< /ProcSet [/PDF /Text /ImageB /ImageC /ImageI]</pre>
/XObject << /XIPLAYER0 26 0 R
/XIPLAYER CM1 28 0 R
/XIPLAYER CM2 29 0 R
/XIPLAYER_CM3 30 0 R
/XIPLAYER_CM4 31 0 R
/XIPLAYER_CM5 32 0 R
/XIPLAYER_CM6 33 0 R
/XIPLAYER_CM7 34 0 R
/XIPLAYER_CM8 35 0 R
/XIPLAYER_CM9 36 0 R
/XIPLAYER_CM10 37 0 R
/XIPLAYER_CM11 38 0 R
/XIPLAYER CM12 39 0 R
/XIPLAYER_CM13 40 0 R
/XIPLAYER_CM14 41 0 R
>>
>>
endobj
24 0 obj
<< /Type /Page
/Parent 2 0 R
/Resources 23 0 R
/MediaBox [0 0 595 842]
/Contents 25 0 R
endobj
25 0 obj
<< /Length 501
/Filter /FlateDecode
>>
```

stream

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  *\tilde{N}\ddagger\blacksquare\blacksquare<...dw \&\mathbb{E}GL\pm...\tilde{A}",o\'{e}\`{e}O)\bullet, \sim Q\Delta\bullet\acute{o}P\bullet\DeltaU*`\blacksquare\mid "\ddot{i}@\blacksquare\ddot{y}>!\grave{U}NT\mu<)`\acute{o}\Pi)\blacksquare\blacksquare\hat{u}\acute{a}\circ, \acute{u}\acute{o}, \blacksquare W\_\blacksquare\sim\&\hat{A}\~{O}\emptyset\`{o}\ddot{I}"^-]E*
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  \texttt{É} \blacksquare \triangle \hat{A} \blacksquare \hat{u} R \otimes Xz? \blacksquare \blacksquare \Omega SH_*? B \infty, ) \blacksquare \blacksquare \blacksquare \hat{I} \blacksquare \leq QB2 \blacksquare \tilde{u} \sum \blacksquare \infty \hat{U} \hat{U} \tilde{u}'' c' \hat{E} 
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  5Ü47åH™4 ■ó■‰x■cÁL#íëm§C=¢ä+]0Ñ6jT\,, «%Nk¥à■€`§âŸ»ΔÄ0 ±<S#Ú/μ■′•îx8€œ¥ä‡/■■″»13
 ±«ú■4 ■ßF[ØÓ©■■■2\"Û/■ar1
 endstream
endobj
 26 0 obj
 << /Length 11733
 /Type /XObject
 /Subtype /Image
  /BitsPerComponent 8
  /Width 832
 /Height 1184
 /ColorSpace /DeviceRGB
 /Filter [/FlateDecode /DCTDecode]
 /DecodeParms [null 27 0 R]
```

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stream

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u0<sup>-</sup>zèM2≤rÚ™€``-■■Éo■çå±&¶V÷6<sup>a~</sup>ÿÓµsv9‰Ívÿ■àœq_?■Ä¿†∞″g¬œû;■■■w!>·b,•À◊```@gdfeÁ■<)
  ,*.)-{}^{\mathtt{a}} \}' \pounds (5\mu \mathbf{a}) - \mathbf{a} = -\mathbf{a} \le \mathbf{a} - \mathbf{a} \le \mathbf{a} - \mathbf{a} \le \mathbf{a} = -\mathbf{a} \le \mathbf{a} - \mathbf{a} = \mathbf{a} + f \le \mathbf{a
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nLf\hat{a}-\neg-\ddot{a}R\}-=\frac{1}{2}\sqrt{\frac{1}{2}}-\frac{1}{2}\sqrt{\frac{1}{2}}\sqrt
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 , \div \hat{1}\hat{0} FmyV. \\ \\ + G\pi c\tilde{N} + C8j = "S@ \\ \\ - \Delta E \leq M + 2 \\ - \Delta E \leq M 
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 [\hat{x}] = \hat{x} \cdot \hat{y} \cdot \hat{y}
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>Ø`Ò■><-■pìO■n!| H■ $\sqrt{7}$ f\■ì§m|lø/G&1\*"■:■è■eJD≠:¶6SÑÃ≤ÕuÜïæ¢Hl•œŒ $\pi$  ■<≠=■■òè°Ó€Dt■>=""lv¶P>■Å■/QÕ"\êOÜ∑°iùÑÛ‰w;÷1≠Nû;Õ]OÌCê¬AD>/■∂úòyåi■÷í■êuÉ■■¿ÖÅõ8?ï.vIû,`zsq■‡

 $\ddot{O}\ddot{\partial}\tilde{A}\ddot{O}b\leq e\pm\hat{E} \ddot{B}\ddot{B}\ddot{D}\dot{W}R \ddot{B}\ddot{B}\ddot{B}\ddot{B}\ddot{D}\ddot{A}\ddot{C}^{\dagger}\ddot{O}\ddot{A}\ddot{C}^{\dagger}\ddot{C}^{\ddot{C}\ddot{C}^{\ddot{C}}\ddot{C}^{\ddot{C}\ddot{C}\ddot{C}\ddot$ 

F\$÷p≈€~·>]E■J/Zá´^ÛÔÆv>·3Ω^¶F&Ñ"π©¶È■´Ä■■#V■îß■P'■Üá,Ê«Íâª■ú"MbFöã†■C√råAåû■‡∑¿]∏NÃ\$fôËy■^0■¥T/\$m<R¯Vp■N~¢Åy"<

 $\begin{array}{l} <\mathbf{Y}\in\mathbf{V}\mathbf{y}\hat{\mathbf{O}}\mathbf{1}=\mathbf{0}\;'\hat{\mathbf{O}}\neq\hat{\mathbf{U}}\leq\mathbf{t}\;\hat{\mathbf{E}}\mathbf{A}\mathbf{H}\mathbf{H}_{-}^{0}\mathbf{N}^{0}\mathbf{H}\mathbf{S}^{0}\mathbf{N}^{0}\mathbf{N}^{0}\mathbf{H}\mathbf{S}^{0}\mathbf{N}^{0}\mathbf{N}^{0}\mathbf{H}\mathbf{S}^{0}\mathbf{N}^{0}\mathbf{$ 

# ■nå·wr4Ûw<®>î"ås■■Õ"

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```
*■ ø#p≤gI■@■■WÊ■!75¿]·ÏÅ/1[{■-Ö"«¶/B■^>■â©ìZ0>À-../ûÊ■■¥à£ÿb■íé_hI■MAÁaL;■È£.≤¬■
'>*e{éËs 4°õ...• 0+uò"ml■99IJ◊ÚD'≈ͬgij■Wòæzi·Êc■w■s≈4* ≠¶■±'b§■GŸp;ÜZ■ìh[áêª■$■■0
h"Á∂.■'ma ■,^^■U∏õ⁄VPõ¶°ô »∂€c■■"
endstream
endobj
```

29 0 obj
<< /Length 2308
/Type /XObject
/Subtype /Image
/BitsPerComponent 1
/Width 1319
/Height 545
/ImageMask true
/Filter /JBIG2Decode
/DecodeParms << /JBIG2Globals 9 0 R

>>

#### stream

```
s_ií\blacksquare"Dx·E\blacksquarevàè\blacksquare1C{\blacksquare\blacksquare0 Å> %I2•jo\blacksquarepT\blacksquare,,iÚ\blacksquare'\blacksquareÉ,,rkj\blacksquare<0\pi+bÊÂnœ\blacksquare06;[\blacksquare0 õjΣ\blacksquare0æ†9\blacksquare1!\blacksquare(Œ%b#...
≥°■■FOVE■µë"°$Y■Ò∏■€%¥/xÑ-"§ ä\Ö■'Òk-{ê-∑k◊z≥■■/",b9î/œI^ø■Ch2ròm°|ò∫qK-&†■/"∑€
 \neg, \infty A \blacksquare \neg c \land c
 _œ;¬ nÖêJíMôôMwZ®f≈J∫MM":¿WM\÷M?Vò¢M7î<fXMMYÃYÁMMÛs-MôM∫Óã 13MM>FMUáÌò≈6MÜ<∂´5<
\texttt{d} : \texttt{O} \texttt{J} \texttt{Y} = \texttt{U} \in \{ \le \tilde{\Lambda} : \tilde{\pi} : 
 '¢Ñ`u#)°3» Xëç*7
 ÿJ,#H≠®AÕH∏HH,®í=HpHH«HH('\<öË'∞?HõÓH¥\Hëª◊H,eÏHà∏ñH>∕ÁH#;—wáH•P+H â3êäùH"í√zÛÓ2
X\tilde{O}\tilde{U}^{\Upsilon}!\tilde{U}OQ\hat{E}\pm\hat{u}jM\&\ddot{u}=£=M}GBu\grave{a}e\hat{1}\sum/K\acute{e}\hat{e}=3\grave{a}\Pi\approx\sum12\emptyset=8\hat{u}:)
 fo∏†"û∫ëßMp&⊞∂z■BÒ)x■suë~‡ÆuÌ~©ò=X)¥oo∂W"è¶î¬èå■B§OtbI∏{FKT‡kè■uÜõ;A■å-+íàB...qC■
 \hat{\mathbb{Q}}_{\text{fiw}} \hat{\mathbb{
 főì%wëwrÁf"∞ãcÌÕF™åÍ7;â÷oóSÒ█õØ$9N█tÒ¿5É#u-9±█9ñöJh█a†ÄHä█'x-█"≠8ï█w t
 ■■äΕ■rÌ|Ü■ú\q¿è¿G‡■&/aïs′■Ϭø«■»ò■■éŸ+∑x;≤■q√]■■y■àD■■Ûäü⁻;ôîW(■~j¥«yπ<§■t■XŒYπi
  ^#■xœ°{Ê■±■ïZÍéÓó|&`■■È'À√â■¿*Ùm■Q;■≤-¥f4´2g=ø″æFN¶Ó■¸@Ÿ■¥≈∂QÛ=«₩■Úy!îÌx/Æ0ªÒ■■ŏ
 ■■±°D■áü■å_é%Ç■∏è@ú>m≥gè◊GD■¥Ü»■æ∮æ}I•¸Èñ■"Ÿ■≥Üö!Iµ‡"~'■ûc-■k■_9Øó<†ÈãW-ͯònE"N§
 ■-£■£≈Æ`■ørÄ■■å°!»µ>■■§XTM¬À■!■■[~≈*1■ œ≠~XÄë■■■■∏åéF■™ŒĒ/j∂ö■j~■å:■à<∞ft¥■■XÏú
■Èæ§Í■OT■Å¿■ÌoÀ¢«Ô}ú(ñìóm4≠q«Ñ÷ç/µí+^{GíWP■Ïã■€W:<¬7Z¢Yà$‡■Bò[--çu■€■`k■‡{ø8Aè&±
 W'D·Ä¿vwÌH¿B"F,#■Ñkkõ...ÊfØ■^■tÖ\†â{Δ■V/*■v^Jã■8■ã
 Ïüp)>®8b≥ËVÿÛ4Ω1■C¥ÊA~&#Z^^$‡Fø■†"≥Ñ√ªKYTH«·'■;b⁄nÿQ"gÂwŸ}°πØû`■7■!€\rfì Â■?■ñWÃ
```

Saï¶6μÈ■>=à;¿■≠Æ∏=îaÁzÀí~r■»Œ•oJ■"c■N¶ÿ«ÄVK■U■■U∞;?á»■1■'°-/\*a″û■■Xïm~eÒéèÓ;;≤Øb

/DecodeParms << /JBIG2Globals 9 0 R

/Height 410 /ImageMask true /Filter /JBIG2Decode

>>

stream

= 10 1

```
■■1;"+§Ñ2aÄ{π■≠HÊ&]"■Ó/:ä■...P~ΔÜ`Ÿ■■+4∂#i■~≤■†■■ÂM/î,E∏LÍ1èf■øĎ,■d■Qãó∂^ û(■ú|)]
■Ô£/|"¶°■ÃÄ■&dvÑÿ|■[1ÄæL¯6É54¬ã−jNÓLÎÁ≠~3QV;æ−<■∫a−>≥9,;B8v...■N■¶ƒ"■Ç<≈\Omega©†.■Ö■US
 `!õ■∅Á®Ês®'███°%4sÛ█{~Ú∞x`∞,·J€S,∅µÁÅç3Ê~7圓â∂BiDH2]5ú█Oóπ>█¶√Tñ_█<>1Âü圓;]█Z-Gd‡
zY∑6ÆCA∏i■¿EôèN■■Y6Ü■≥■ÏwœŒ■ê¬TÛw−kπô■L"■!ÉÙ7¢∆ëɉÑ■$Â■ñ«■■>zN`Ê_õàÉQ■,UÚÈ3m■e6■
\operatorname{Nxt} \neq \widehat{\mathbb{U}} < \ldots > 3 \neq {}^{\circ} \operatorname{U} \bullet \widehat{\mathbb{d}} \ldots -; \ \ \widehat{\mathbb{U}} \bullet \widehat{\mathbb{U}} \Omega 2 E = \sharp * \\ \times \P \blacksquare \widehat{\mathbb{U}} E \times \sharp \mathbb{V} = \mathbb{U} \circ \widehat{\mathbb{U}} = \mathbb{U} \circ \mathbb{U} =
>π7è■/y■5h':ûö...Õj,,q!Á·™v[zÍëë¬na...
Y8]&ë\^qr>-■Koq/"■™a")■∅/>Êî■°§‰\[†`-?eŒXõ∞■÷|ê->O■≥X™.|Q°≠1F■€:Oªh/HÁ■©■¬Ã†{
IÒA»èR'■■[zCOsYF#ìÜ■SI(√Ï\Ã■âõæ■∆Ï■ä■Z≈®^∞/d}?QÆVp√·®ã"Õ■■€wÔ$Œ-Â8u■vA^ÜŸúë%|Jâ
 ..... † Øòÿrq™Ñ■:ÑAì•≤¬ Sá°°å■?E^■■ f■øÄ+>T@■üÑ■D™á»≤■}■∫b■ΔìÁ■■N∏°zq•1$s,FøzvÚ°
é■}ã3■3■■ê■|■~f~áb:%¶zc■■û■ù±ÈÆ∑61Ì■À©ú■ÎÙ2/>áR—Lâ∫ñ3W∑jÍ ø°Æ■,■2,d■OG∂-åÜ■1©y■Z
Œ■14>Ì■$´MIã,b.■ÂW°£»DÀç■16 Çé∑HÆkl©,ÆàqÀ■■e !qq■±■Áñ.,U4¿oÿŸBnÖÉ;X■H|°ØEzó■)êf{
Ó■0G";cëÃ';∂√■õ!B-ø¬(M■]b■■ÑÚ■]■Ø™à*Ëè∞,■k■
»■Üs/∑...■R-;«¬Æh■`«£2^q...f■1£*,,aB2-Å}0& ≠Éb■áLBqM60a|1)~•rø■ ´■¢¿ËÍ′■ÌU■3■ï±Æa}∞Èy
 'Ÿl±Ñ§%■àÅ■L€F´Ÿª§E"vT"ØN¢_Êî;■■⁄p°œnÿØF€{;≤≠;}ml∆‰£uO;ëÈàS⢀■■■Ω■q†w∂≤{÷ƬI™Ù■
«§...W■; E:≈|')"Û■I"■■S;■å@ódÇ>■■,£UÓ■À■Îä—■...Tó"Ú8rBmGc3■v'√;"á■■7ÙH°■«″■Ù∂■Ä«ìAy
*èZÆ»à"Á'TtM■■¢■°x\"≥ 'ÙÌ$&■■■é■ ü■"
endstream
endobj
31 0 obj
<< /Length 217
/Type /XObject
/Subtype /Image
/BitsPerComponent 1
/Width 136
/Height 95
/ImageMask true
/Filter /JBIG2Decode
/DecodeParms << /JBIG2Globals 9 0 R
stream
■■■50■■■■■■■■■a■■_■■.#■■.#■Ä^■■■6■■■■■■■■■■■■■■■■■■■u4w3■■k\■N™œ■k0°¬Ü£J]
|ۈ■ò■■^&k@"ç5y0£?>"■óu■■■À■%@>óCb±©∑\hæ■W■∑ #c■âáäôÀ≥■&%±■■
endstream
endobj
32 0 obj
<< /Length 756
/Type /XObject
/Subtype /Image
/BitsPerComponent 1
/Width 1093
/Height 1932
/ImageMask true
/Filter /JBIG2Decode
/DecodeParms << /JBIG2Globals 9 0 R
>>
```

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Åá~ŸÁ5DÈ@HÆ2/}ú≤ÉÉ∙≤\$ÌÔV>àD∫&Õ■1■—ÿËL#myõ5•=¬÷/}úĿĩ`ܯŸJz=;.°■■@O■L¬<«¨∆、■GmSz

u | 7S≤Ñf€≤nµÁâÁC·î∎0■; ■≠ÍL■₩ÿxyúSqØ.Ë" ■È•Pôª\°s■■d¥%"■(Â■üÂ-<©@ñlÀ;π√ΰ

stream

### endobi

```
33 0 obj
<< /Length 1048
/Type /XObject
/Subtype /Image
/BitsPerComponent 1
/Width 598
/Height 427
/ImageMask true
/Filter /JBIG2Decode
/DecodeParms << /JBIG2Globals 9 0 R
>>
```

#### >>

### stream

```
¢Ÿ,TĦJ ∏\møñ<ĦſĦ<I¯àĦ?+:OFôĦfĦĦ`Ħ}Ħ~UB'«À6ªmeſĦßΩœ…uhĦNĦGÊå,È*•?√ãĦë₽ΔĸĦ°3⋅Ħ,õ
U∞6■á"éÇ-Ûp∑■■µ©¥Ïã√<<,,,ì0R£ùî■■/≤■©∏RÉ8´Mó,ÉͶÑËm ■"Z■°]∫s°m{j■f■iÈ∆£EY}"
4U"~dû>ö\■x"DT■!J■∫0WÍ€¢3È'[C/Î■¢∆Ë¿Ω°*lGápÑÖ'mbM■tàãFpçò■■†·p■■■w■ß{çüœ■iÛÅZ·>π
|ø^»F∑......)h≥Fz⊞dñ]<ÈJ8■®■■_%öí¿iñz∫⊞Á<■àüìÖYQШåç■S■■™éC/m®¿|hª'òkåp§Lú
■ìÉö©o\Omega='P^ÀÌWwÉ(\blacksquare>%{ØHô§<>!‰;Üê\Pg}ç.■€êÚŒ\Delta"Xj->²´©■ü9u-ñR*■O■0Å+Ç,°ß■6¶■|o™ÿ
heï\approxÂ,É\blacksquareBë\circÚ\blacksquareã.\blacksquare¢'pcOÕeÍK\bigcircnà°\Omega&^r\blacksquare″Ï\partialEk.<\blacksquare1\acute{=}Z\blacksquare±uUEs\blacksquareÏCØ 9\neqj\circ#µ\boxdot:*!,À¬‡ÙÅÏSú^\circ°:8
ô≠•,@GŸy,_æ™G■#■¯°÷†{-o≥■■■÷á<íçk±■qn+ô■■■¢■.■■■■f,_√r-!óaËONïö?\é■à'òvòߣxÁíc■"
<[éð:I»ÿË~Ω■*°∞'^r≠";Â■wj~C°.oø|ÆΩ■Î*wH¢ëΩÆç™—■iÿâ5I■D■ô"J)◊bñ£"œ"K÷■Fóá■©■^xóÜ∞
Äm√'™■CÉî■É -Exfã■5■"
endstream
endobj
34 0 obj
<< /Length 631
/Type /XObject
/Subtype /Image
/BitsPerComponent 1
/Width 295
/Height 148
/ImageMask true
/Filter /JBIG2Decode
/DecodeParms << /JBIG2Globals 9 0 R
>>
>>
stream
.>ñéÊ3#ô 9¶█&NÒ,»█E∑^]█Lrú█ØKJ1r█KΩ}Ω±<?"z█·|ÍΩC§≤H;∞nkŒÿÊK██¿o´â█æÚêœVμ█Àr████¶
Ö¬ÆDœá`"≪7Ea+■¥ ßé
å≈#█â€åã_Y!UN∅∅█bîãÄú÷»^█éÂã«█ÛU≠å¸ÿyf¬÷█%ßï"█‰âŸ█äéç¨^ï≈;O█M█−Ÿæ█Ω<i█iáø∂M©U'``
■†■pWòb■■ÇY-"∑äÍðtÈ∫■qG;WÊm#xû■Œ■■‱...■AË2∫hïo■■y■"
Ñ"Ì■+UÃ■■yÖ,ê■X±à■Å:eÀÜ{Ûé,i>4■]w■Ô(1....■Ã■I■5■æ■~Âê©Ef!"Q#Ä∫†■Y∂^|■ö~àz■;■\<O``1■
. `ςúk
;.■b)■†Æ■/■■ª■■¬∏Y■≈wÀÁµÀI:}■êIB■■Áñ<~C■s-;©?\e`≠—te`-RÈÑ■Ø■■■₩∏÷<■:®■~†■■¨
endstream.
endobj
35 0 obj
<< /Length 396
/Type /XObject
/Subtype /Image
/BitsPerComponent 1
/Width 315
/Height 54
/ImageMask true
/Filter /JBIG2Decode
/DecodeParms << /JBIG2Globals 9 0 R
>>
```

stream

```
■■■F0■■■■■■■■ ;■■■6■■.#■■.#■Ä5■■■G■■■■■■■■■■■■■■■■■■="¶;A]î■ìòeÄ■∏Ç■Œ7^◊ì■¢:;^d
ímÂíÓSÇñâS∰Ùd■=hÿbß∆17≈Ã∰ó∰≥Í~>´w∰ÉùÃÅ∰2∏ÅÇ∰!¨°õ′/zh′∅∰∭3‰+°fm4∞∰c∰∭>Å∞k∰o∰∙≈¸Ê\
ú{ùHIjiøUñø
GRI≈H-éé÷ã∏îHÇ>HHdAÒª@HíµSù[¬Ÿ{HH†HOB"¬vH"Hπi,6HhTHHU&nn«r+ÆéË,~√ùafHEÙRDYHÜ[HH
■■■<■■■;■■■5■■■■■■■■■■■■■■■■■a«■ØÖ√Èæéμ■¬æ ΔÃÄJ■-!≥ÜŸ†⁄S-■■■ÿm■≥■¨
endstream
endobj
36 0 obj
<< /Length 323
/Type /XObject
/Subtype /Image
/BitsPerComponent 1
/Width 187
/Height 91
/ImageMask true
/Filter /JBIG2Decode
/DecodeParms << /JBIG2Globals 9 0 R
>>
stream
■■■JO■■■■■■■■<sup>a</sup>■■■[■■.#■■.#■ÄZ■■■K■■■■■■■■■■■■■■■■■)à#9^¥û`i<sup>-</sup>l#âA4±ŏ■ÓhÀ¢ÉJ
■■0Ç~â■■xÍ—ÖÒî■"/■"/H"sÑz∂Ĭ»≠Ÿß■Ø80\8<\\u00fc
ì|■■FAÉ∏û;;†C=√e
■■™≠ÒZ/%∆■¶yA■ÜI©Cu■■uv<sup>-</sup>i■
endstream
endobj
37 0 obj
<< /Length 294
/Type /XObject
/Subtype /Image
/BitsPerComponent 1
/Width 94
/Height 38
/ImageMask true
/Filter /JBIG2Decode
/DecodeParms << /JBIG2Globals 9 0 R
>>
>>
stream
G»GvÊ}■■-Ã-=i∫ Öñ■■ùì¶c8s\öÏè.
```

```
Oòix■§x/¿ĴÕœ«¥Qμ'v■Ñ-■■1mf■/■Èï7...)Ñì∂9åŒ9h/J&■■ÀÿY°n∞Yœ'È7s■X»■■Ñ₩■∂¿EsY-Ó■>M{j
iμù(ÃóqÈO4A∑■■■ | +ê<m■ | 'ÆW-h¬≈LSs∂■∞Ù≠Øæª■Δ
ç∆D√z■p■}·R■ë≠QÂ>â[■b<Ø■"
endstream
endobj
38 0 obj
<< /Length 298
/Type /XObject
/Subtype /Image
/BitsPerComponent 1
/Width 206
/Height 116
/ImageMask true
/Filter /JBIG2Decode
/DecodeParms << /JBIG2Globals 9 0 R
>>
```

stream

```
endobj
39 0 obj
<< /Length 251
/Type /XObject
/Subtype /Image
/BitsPerComponent 1
/Width 119
/Height 282
/ImageMask true
/Filter /JBIG2Decode
/DecodeParms << /JBIG2Globals 9 0 R
>>
stream
UŞÛ"éì©É<ËÖ|∫ù⊞Û>⊞Êd¦âͪ¿*´|°⊞:©sÕ⊞⊞¯‡uì⊞/∂⊞:■»−s†j‡!!1é¶≤{⊞e.~¥⊞⊞ïn⊞`⊞ìP{·⊞Ç™¯È
\"'-È@£■■"
endstream
endobj
40 0 obj
<< /Length 160
/Type /XObject
/Subtype /Image
/BitsPerComponent 1
/Width 62
/Height 56
/ImageMask true
/Filter /JBIG2Decode
/DecodeParms << /JBIG2Globals 9 0 R
>>
>>
stream
■■■Z0■■■■■■■■>■■8■■.#■Ä7■■■[■■■■■■];■■■■■■■■■■%€=■-8á/7<sup>-</sup>çhp■oèøúì) ph4èo
∫?■"
endstream
endobj
41 0 obj
<< /Length 243
/Type /XObject
/Subtype /Image
/BitsPerComponent 1
/Width 119
/Height 19
/ImageMask true
/Filter /JBIG2Decode
/DecodeParms << /JBIG2Globals 9 0 R
>>
```

/Ö¬À«ÀgÚdïÛ■¸Àá\Bæ■a■ª

```
stream
███^○3⊀x7Ÿ█▆██₩₩████₩₩████₩.#██.#██████_█████_█████Å█████████████]™3≠x7Ÿ█▆█¢¤Y>€∂█å██₩█Ÿ
:≤$Õ██vêVÙBÉ3åcB•C‡ìOC°¿4(ûGæ█Ñ5v█ã^a≈K′j█Y‰cA█ÿ¬÷—ÄIËn¢█bï≈PDPù█Ø,m0/q¿πμ®ÍB®█
á∎"
endstream
endobj
42 0 obj
<< /ProcSet [/PDF /Text /ImageB /ImageC /ImageI]</pre>
/XObject << /XIPLAYER0 45 0 R
>>
endobj
43 0 obj
<< /Type /Page
/Parent 2 0 R
/Resources 42 0 R
/MediaBox [0 0 595 842]
/Rotate 180
/Contents 44 0 R
>>
endobj
44 0 obj
<< /Length 79
/Filter /FlateDecode
stream
xúSPPP(%R■■SKK=■■■ P0-30@eXò■ÈôXÄô∫Üz■■FF■¶
∫¶zÜ≣&@éBr.`■■■œ■■«H◊ ■■ó|∞X ■■£@■■
endstream
endobj
45 0 obj
<< /Length 815
/Type /XObject
/Subtype /Image
/BitsPerComponent 8
/Width 832
/Height 1184
/ColorSpace /DeviceRGB
/Filter [/FlateDecode /DCTDecode]
/DecodeParms [null 46 0 R]
>>
stream
xúÌ"IL■Q■■■~f°-
@! \blacksquare *S \# \blacksquare 6 \blacksquare \blacksquare R @ \blacksquare \acute{\mathsf{D}} \mathsf{T} \blacksquare \mathsf{D} \mathsf{T} \blacksquare , A \blacksquare \blacksquare \mathsf{M} \backslash \ddot{\mathsf{a}} \, , `` \dagger \blacksquare \, , \mathsf{P} \blacksquare \grave{\mathsf{O}} \tilde{\mathsf{N}} \blacksquare \, . \blacksquare \# @ \mathsf{\Pi} \mathsf{P} \mathsf{P}
```

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ç■&Häv■■EÓ"¬Åz■"0I■■I″■≈ÔnÊ~■≈-Rø‡h7ôn©@πñ■1■I■■cj■Â■÷æÄ-¥"<ëªbÇó∑èjJ ßû■■>3bV%Ï
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nkk \emptyset' q^{a} \hat{U}NW \text{@\'a} \hat{e} \blacksquare ?yj \blacksquare \div \blacksquare ^m \blacksquare `\blacksquare \blacksquare \tilde{o} \circ \cdot \sum \hat{o} \hat{u} \pi 0 \text{"} \hat{o} \hat{s} \blacksquare n . \ddot{u} \text{@EP} \blacksquare I \blacksquare \hat{u} \pi 0 \ddot{e}_{\#} \blacksquare `(//\ddot{y} M \blacksquare \neq \blacksquare, ] + S \ddot{u} \blacksquare \tilde{o} \text{lQYmf.} ?T \blacksquare '
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endstream
endobj
46 0 obj
<< >>
endobj
47 0 obj
<< /ProcSet [/PDF /Text /ImageB /ImageC /ImageI]</pre>
/XObject << /XIPLAYER0 50 0 R
/XIPLAYER_CM1 52 0 R
/XIPLAYER_CM2 53 0 R
/XIPLAYER CM3 54 0 R
/XIPLAYER_CM4 55 0 R
/XIPLAYER_CM5 56 0 R
/XIPLAYER_CM6 57 0 R
/XIPLAYER_CM7 58 0 R
/XIPLAYER_CM8 59 0 R
>>
>>
endobj
48 0 obj
<< /Type /Page
/Parent 2 0 R
/Resources 47 0 R
/MediaBox [0 0 595 842]
/Contents 49 0 R
>>
endobj
49 0 obj
<< /Length 292
/Filter /FlateDecode
```

stream

# endobj

```
50 0 obj
<< /Length 4095
/Type /XObject
/Subtype /Image
/BitsPerComponent 8
/Width 832
/Height 1184
/ColorSpace /DeviceRGB
/Filter [/FlateDecode /DCTDecode]
/DecodeParms [null 51 0 R]
>>
```

stream

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- Ô \*■o■Jî@á■w i■æ■■■■ùy\_ø■M<■O¿îJ■.■■[`P∆â~#@O£Ø±/Ÿy¬Y■■Ç—Lÿ■øÖäyµwe¶■j■Èâ■AUC◇ ■Î`πO8%·;<ä[2##\_f!êÙÕŸ~⁄®\√■r■■Ì»■!■'■&Ú¿ËÛ«'gBtÀ∫Ë″Øz∆æ•…■Ã<^;, ″Øïî}"êä\*vH.^■Z~□‡n89■μ■ñ£■"
- ■71ÈË■^■&"4Ûê‰ØZbæÙhÏ■hK■¢Â■^Î%{"■U■■■\*T°Öÿ§¥ÇÏPX¬"OÉ■hÉHú[/≤■√mt■¢■Âb≈-D■"Æ|h"■--■U]>àsÉwïèf■'C■¥`∞■■∫#d∏Q\_■nÌ:"≥μãn¿HòåëëÆàe/Öeä°À0†>ú■■FΩÄÖ#qZ≠+■■∂≥üœ:■´?Îù∑■■Ÿ∫\$gPl(1■î■@,€ìób',1■∑ÃRŒÄãr¬%■■1ôÀ■∫6Œâ†■vŒ
- $$\begin{split} &\text{$\dot{\Psi}$'$} = \hat{\Psi}^* = \hat{$$
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®Ùñ■£àï-Myπ∞a+∅∑-y⁻f■¢Ö-X°;W85∑p-ÂP?"¶rD÷]■■Æ■ã€!P■N¶∆ì⊚s″|◊f Øô■"nÇEÙÑì■üÀe~Ú[3
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vΩp;¬;Tâî†∑&ÆälyMRa■■€■xH4Ã4■Œe¨R;;Õ■Nó°ª ŸG3L1URπàL"*ůïŸ■ç'■1■@■a†‰ç...■◊&ä∏■G■ö
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■*T®<sup>-</sup>>ÅP¬Èßø■∫■q≈
endstream
endobj
51 0 obj
<< >>
endobj
52 0 obj
<< /Length 8458
/Type /XObject
/Subtype /Image
/BitsPerComponent 1
/Width 1515
/Height 2179
/ImageMask true
/Filter /JBIG2Decode
/DecodeParms << /JBIG2Globals 9 0 R
>>
>>
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stream

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ÄWŞЫİç≥¶ЫЫ4»Ы™® «"nSЫЫœÌ°Aú€l±9»-HL¿ЫÄ%%xuЫÅ5ãЫ ÍÜÔЫЫЫЫЫÐ∂:ΪJЫzЫíÖa3πЁЫ'M%)§ЫгЫî
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endstream
endobj
53 0 obj
<< /Length 4861
/Type /XObject
/Subtype /Image
/BitsPerComponent 1
/Width 1361
/Height 991
/ImageMask true
/Filter /JBIG2Decode
/DecodeParms << /JBIG2Globals 9 0 R
>>
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Vp®Jâ/q\»■—u,«μ■™æ%■/z■SK‡ãàãsÓ■œ»■j■■ÀÉÃ&ϰ§″■■pUY■\$Ú■|■ã■o∞ì■~■;Ë,"Å'</ßò=É—∫■ Á,n]Ï^l\$y‰■><ÀÆ■■■ËB■s,aè■■vã+ç♯■■•,•,ú |14é.w9õs%■%hCb;cῢ≈´î¯Áp†°■6ç}■v-F■ø■z ■ "ra■GòËÃL—.•ÔTÜLÙ,■¶ä™aGF e■ËBç°∂[éU■■ûËȆà√ «Ä¥■´6{N∂2,■≥;7K∫öô•Y0 ¨ô§eí■,xWa■■

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 ¶‰"Me0XS>ÊÊHìw⊞Ѭj-•ùnZv=[■"
 endstream
 endobj
 54 0 obj
 << /Length 3205
 /Type /XObject
 /Subtype /Image
/BitsPerComponent 1
 /Width 1456
 /Height 512
   /ImageMask true
 /Filter /JBIG2Decode
 /DecodeParms << /JBIG2Globals 9 0 R
 >>
 >>
```

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\mathring{\mathbf{u}}^{\mathrm{m}}\mathbf{h}\hat{\mathbf{1}}\hat{\mathbf{a}}\mathbf{1}\Delta\mathbf{9}\div,\mathbf{Z}^{-}\text{,oZ}\{\mathbf{TL})\mathring{\mathbf{E}}\blacksquare\blacksquare\blacksquare\ ,\mathbf{j}:\hat{\mathbf{0}}\mathbf{V}\mathbf{0}\leq\mathbf{V}\blacksquare\mathbf{H}\&\mathbf{0}\tilde{\mathbf{0}}\mathbf{H}f\mathbf{P}\hat{\mathbf{e}}\emptyset\backslash\blacksquare\}\ (\bullet\ll<\hat{\mathbf{u}}|\mathbf{v}-\ddot{\mathbf{a}}\blacksquare\text{``p}\blacksquare\blacksquare\mathbf{V}^{'};\blacksquare^{}\&\mathbf{J}\&\mathfrak{e}\hat{\mathbf{1}}\hat{\mathbf{0}}\blacksquare\mathbf{V}^{'})
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endstream
endobj
55 0 obj
<< /Length 2166
/Type /XObject
/Subtype /Image
/BitsPerComponent 1
/Width 1131
/Height 228
/ImageMask true
/Filter /JBIG2Decode
/DecodeParms << /JBIG2Globals 9 0 R
>>
>>
stream
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■Á...*oö"~Yò/z<´vØ>■"
endstream
endobj
56 0 obj
<< /Length 1237
/Type /XObject
/Subtype /Image
/BitsPerComponent 1
/Width 619
/Height 423
/ImageMask true
/Filter /JBIG2Decode
/DecodeParms << /JBIG2Globals 9 0 R
>>
stream
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endstream
endobj
57 0 obj
<< /Length 372
/Type /XObject
/Subtype /Image
/BitsPerComponent 1
/Width 402
/Height 31
/ImageMask true
/Filter /JBIG2Decode
/DecodeParms << /JBIG2Globals 9 0 R
>>
stream
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■■âZÇøIœúœòf¥@ÌsüKÚà■ÃÒ4P>jO>■■"
endstream
endobj
58 0 obj
<< /Length 481
/Type /XObject
/Subtype /Image
/BitsPerComponent 1
/Width 199
/Height 187
/ImageMask true
/Filter /JBIG2Decode
/DecodeParms << /JBIG2Globals 9 0 R
>>
stream
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endstream
endobj
59 0 obj
<< /Length 328
```

/Type /XObject

```
/Subtype /Image
/BitsPerComponent 1
/Width 243
/Height 134
/ImageMask true
/Filter /JBIG2Decode
/DecodeParms << /JBIG2Globals 9 0 R
>>
```

stream

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öMäL≤ø■"
endstream
endobj
60 0 obj
<< /ProcSet [/PDF /Text /ImageB /ImageC /ImageI]</pre>
/XObject << /XIPLAYER0 63 0 R
/XIPLAYER CM1 65 0 R
/XIPLAYER_CM2 66 0 R
/XIPLAYER_CM3 67 0 R
>>
>>
endobj
61 0 obj
<< /Type /Page
/Parent 2 0 R
/Resources 60 0 R
/MediaBox [0 0 595 842]
/Rotate 180
/Contents 62 0 R
>>
endobj
62 0 obj
<< /Length 191
/Filter /FlateDecode
stream
```

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'b°õm■¶Á■∂Æg■!tO«ûI■Sãôí■R≠j®û≥+■F■ 1■ò■…í[XaO54w■4;■iQ>■Ü?Ké■[■;î´E,Õ€■"≤■e∫■è
]Dß7■±~≈ø■,esÈn°®z■Ö!q€"°,nïà]■
endstream
endobj
63 0 obj
<< /Length 13458
/Type /XObject
/Subtype /Image
/BitsPerComponent 8
/Width 832
/Height 1184
/ColorSpace /DeviceRGB
/Filter [/FlateDecode /DCTDecode]
/DecodeParms [null 64 0 R]
>>
stream
```

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 $\begin{array}{c} U " \ddot{\mathbf{A}} \blacksquare \Diamond \Box \tilde{\mathbf{C}} \tilde{\mathbf{C}} \tilde{\mathbf{E}} \approx \mathbb{R} \wedge \mathbb{Q} \mathbf{U} \otimes \mathcal{E} \otimes \mathbb{R} & \mathbb{Q} \otimes \mathbb{Q} \otimes \mathbb{Q} \otimes \mathbb{Q} \otimes \mathbb{Q} & \mathbb{Q} \otimes \mathbb{Q} \otimes \mathbb{Q} \otimes \mathbb{Q} & \mathbb{Q} \otimes \mathbb{Q} \otimes \mathbb{Q} & \mathbb{Q} \otimes \mathbb{Q} \otimes \mathbb{Q} & \mathbb{Q} \otimes \mathbb{Q} & \mathbb{Q} \otimes \mathbb{Q} \otimes \mathbb{Q} & \mathbb{Q} & \mathbb{Q} \otimes \mathbb{Q} & \mathbb{Q} & \mathbb{Q} \otimes \mathbb{Q} & \mathbb$ 

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endstream
endobj
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<< /Length 1339
/Type /XObject
/Subtype /Image
/BitsPerComponent 1
/Width 1468
/Height 336
/ImageMask true
/Filter /JBIG2Decode
/DecodeParms << /JBIG2Globals 9 0 R
>>
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stream

$$\begin{split} & \hat{\mathbf{I}} = \mathbf{u}^{\mathbf{a}} = \mathbf{M} \mathbf{W} \hat{\mathbf{o}} = \mathbf{S} \hat{\mathbf{u}} \hat{\mathbf{v}}^{*} + \mathbf{k} = \mathbf{u}^{\mathbf{a}} \hat{\mathbf{v}}^{*} + \hat{\mathbf{a}} \cdot \mathbf{u}^{\mathbf{a}} + \hat{\mathbf{u}}^{\mathbf{a}} + \hat{\mathbf{$$

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endstream
endobj
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<< /ProcSet [/PDF /Text /ImageB /ImageC /ImageI]</pre>
/XObject << /XIPLAYER0 71 0 R
/XIPLAYER_CM1 73 0 R
/XIPLAYER_CM2 74 0 R
/XIPLAYER_CM3 75 0 R
/XIPLAYER_CM4 76 0 R
endobj
69 0 obj
<< /Type /Page
/Parent 2 0 R
/Resources 68 0 R
/MediaBox [0 0 595 842]
/Contents 70 0 R
>>
endobj
70 0 obj
<< /Length 219
/Filter /FlateDecode
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stream

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endstream
endobj
71 0 obi
<< /Length 1809
/Type /XObject
/Subtype /Image
/BitsPerComponent 8
/Width 832
/Height 1184
/ColorSpace /DeviceRGB
/Filter [/FlateDecode /DCTDecode]
/DecodeParms [null 72 0 R]
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## stream

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<sup>a</sup>v■;~ümòÖ$■P■■ôü§∅}%V•■´@q´Aϯ,πÛbJx:∑■67û‰$É■V;∅■Âc[■q◊″∫:¬q5´énÃ0hVäáG"■0G°2ë)
\texttt{M} \blacksquare \texttt{f} \circ \partial \pi \blacksquare \texttt{c} " \grave{\texttt{E}} > \texttt{M} \blacksquare \texttt{f} = \texttt{c} \cdot \mathring{\texttt{M}} \blacksquare \texttt{f} \circ \texttt{c} = \texttt{f} \cdot \mathring{\texttt{M}} \blacksquare \texttt{f} \circ ™IaOIå¬`H>■íß■U−■†D■■≤Ï><ã2∑ã■à\Delta°,■■#\sqrt{■}<≤N¶,\OmegaÓ>',¶(■s3]ì¢'È~ÕØ}ó«■ÿÈl•"¿é■ I"ã
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endstream
endobj
72 0 obj
<< >>
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<< /Length 12544
/Type /XObject
/Subtype /Image
/BitsPerComponent 1
 /Width 1479
/Height 1917
/ImageMask true
/Filter /JBIG2Decode
/DecodeParms << /JBIG2Globals 9 0 R
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- $$\begin{split} &\Omega\blacksquare \left\{ \| Z \neq \text{$\o$} \| B + \blacksquare \# \| \&M < \tilde{a} \| + \$ \blacksquare 4 `` < \Omega \tilde{o} \tilde{o} \varphi \mathbb{E} < \cdot ! \blacksquare Sv \right\} \varphi KW2... > 6 \\ &\tilde{a} \blacksquare \varnothing \blacksquare \infty \blacksquare \Sigma [ ] + \tilde{a} \blacksquare \tilde{o} \tilde{n} , \tilde{A} \blacksquare « 3 \blacksquare `` , \S | \tilde{o} \leq \tilde{x} \hat{u} \tilde{o} \tilde{o} \otimes \tilde{u} \tilde{o} \tilde{o} \right\} \\ &\tilde{b} = \tilde{a} \square \circ \tilde{a}$$
- ‡Õ`L■ÙÙì■QÕO | q $^{0}$ \dAM«ßB«xh/1ÛGl-.Ùò■V+tŸ)r§■%ÌÄÖòü0■tò■z^■■\$= $^{0}$ 00 | q $^{0}$ \dAM«ßB«xh/1ÛGl-.Ùò■V+tŸ)r§■%ÌÄÖòü0■tò■z^■= $^{0}$ 00 | q $^{0}$ \dAM«ßB«xh/1ÛGl-.Ùò■V+tŸ)r§■%ÌÄÖòü0
- $\hat{\mathbb{I}} \otimes \mathbb{I} \otimes \mathbb{I$
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<< /Length 6207
/Type /XObject
/Subtype /Image
/BitsPerComponent 1
/Width 391
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/ImageMask true
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/Type /XObject
/Subtype /Image
/BitsPerComponent 1
/Width 249
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/ImageMask true
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endstream

̩xÈë œ█(¬ß(©Ã;█p>d>€[7°%<ä\$£'ÖÓ€d\É█p >S"‡^Œ}7█ì"██¶^QFp-Ly█″É{z██@?◊4/¶°fÃ█ß50 ö8Í@Ü¿iml°n∎èÒ úÜZ\$z∫YP■■■>■Ïj©»'ïeπ∎êÏ ä≤■■6■â~'ëÅx■■À&■‰Ï≠ÎN•■£>è■?LµwÈO?=■■ ■√R~-.PNnBûÄõB?»y∫1Ÿµ`■■ܪaid'§z0£....åF±ÔW;LŒF¶Ì6Õ'√√■∏&ïÌ)S^≤JQJ&W•■∏■?■Æ;ÿ│¬+ ο◊4■■m,Cx~€≠π■•‡■»SC◊■\_ 0ô~ô■■¯ô7SX1P■>c+N■Å+ÓW■°■•S^■¢°5ù■=aÊ■‡\`DÊ`8ø[ûmQlß/T a■Æ¢◊ìB,"%ñÚaã■üw■tiûàÄ;■%Á7ŒÍek■/`°'■ ■®í■Cãa>+U■~|í■■T;∑ìæ÷,\$■P¥Å"ó¬HÍÒÜ™■3â■dsÍÙ9ù■■œ‰kûÅã■äË(pZ°eÄ—\ÍßÈ■ß■■■îKá2°÷ß léääùø/∎IÀÒBÑU■■Ωş%■■■■6■4|−■ÓÓπΩwßÏŸ■8∂′′\$bú`■¢lÓ\$°®óS"≤ߥ8y'åfJfÔ■GÊæÂæ(¥^■ÒÄ :■«`i»e■ΩÑ ∕ÕÈ∞≠■øæ∰¢■■4h■■Ü∞■■ìAõ■Tg∏ïCª:■èe■â■H có#≤´ìÀÀß--åx■c■■|ò+■°■`cè■†¥ 1Ã-»ÛŸÈä"Gÿ°O®Ä~■■ø)ì^Hu■≤■e!çTWÒÑ¿îã≪mÿà}w¢&zùΩàO■1·Ú¬È%§■mÆsj]Ôø"■%Î■"■■...fjåÅ->₩◊ø•Sõ... â-Ëô•@>■æ®ô∏■¶-■1É&Ş■¬‡■πyi'êèj,"->-■■»ŸÄE ò°\$ä‰÷ÿ~¿ ■2dÉ■´•£>)■oÜ]K-■B âë<ذÔ■6Û■ubÆZ¬Ö0■¢Ú|ØÉK■C&à/<SŒí■"■/"<NÔjŒ"~-■<■(Eμ¿®YÊ´Ω■.¢Z°|8■■aÙ∏/'üN)■μ`O‡ ■■ÛPìR#>»>=iÎ4ä■Ê∑■ªè■Úï%U°″/ÏÚ7# $\Omega$ -!ŸùÙhf■õu...ü£<8∫ªjt··P"Ûs-ÿ■!■ªËKEã■; $\pi$ ■XæfAÈX7 l■z~oñ¶€■0RNeöï»W3ÏÔ\*Ê#2ÜZ″Æ¢■^øT■μ■`ø/î\_■Ü■fw■ñ■■dgëjQ09]Íñ[I÷™∞\_∞F.;ûÛøífçπ-°w >®Kv\K°ô/\ÀY\zob6°`\&oç7è—€f\86°rØüOÆò\4Áí\Ѭâ\_w°%\&ol@û0(«>;79»\í≤æúë¬I,⊌°l M■:9UÂ|UnâÇ!1gU!w°+uoh{Tz;£Ié<■Ç j•¬ú■■¶u8■J■^Ì¥<Âãv■~q■œ≤ú[—i\$?^■\*Ä■=■...Ø©~?■ùÆ■

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7}®%oÿk;■>/æJù■Ñw■9™óÓhuø£‡ò■Ñ■Xclhã,■|W;∫‰"7‰■(ãBÖÖ■$■Ωm%È■öÌ+éH∞■Ô|μ≤yè■°dùöB
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1■§■■"C<i~R■o■■"
endstream
endobj
76 0 obj
<< /Length 309
/Type /XObject
/Subtype /Image
/BitsPerComponent 1
/Width 142
/Height 54
/ImageMask true
/Filter /JBIG2Decode
/DecodeParms << /JBIG2Globals 9 0 R
>>
>>
```

stream

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■;ß ■Ø■/■B¬ÌëØ`Q+(#~]£■"
endstream
endobj
77 0 obi
<< /ProcSet [/PDF /Text /ImageB /ImageC /ImageI]</pre>
/XObject << /XIPLAYER0 80 0 R
>>
endobj
78 0 obj
<< /Type /Page
/Parent 2 0 R
/Resources 77 0 R
/MediaBox [0 0 595 842]
/Rotate 180
/Contents 79 0 R
>>
endobj
79 0 obj
<< /Length 79
/Filter /FlateDecode
stream
xúSPPP(%R■■SKK=■■■ P0-30@eXò■ÈôXÄô∫Üz■■FF■¶
∫¶zÜ≣&@éBr.'■■■œ■■«H◊ ■■ó|∞X ■■£@■■
endstream
endobj
80 0 obj
<< /Length 632
/Type /XObject
/Subtype /Image
/BitsPerComponent 8
/Width 832
/Height 1184
/ColorSpace /DeviceRGB
/Filter [/FlateDecode /DCTDecode]
/DecodeParms [null 81 0 R]
>>
stream
xúÌ/IL■Q■«Ò~:3m⊚Üv/i-DRŸ■<■°■i■"`¢x0Ç®@å■∏{£( ■SP\à■■W■§†■ÍE■■9■Ç¢■ET■π†" EPP\«i
"rÒ@'ÑÑ,■…Á%Û■ÀKæ~■{≈ßfN'jµF£ÒU´}%j■Ôéw—Ò°F√Û:A´ÂµZAØìFo■■;`4■å■F■ÄÄPœ#Ùü■i'&B(G
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[m^Hé⁻ï´₩VØK^øacJi⁄ñ≠€∂Ôÿπkw÷ûΩŸ9π∰Ú∰∰*:|%˱,∰e'Où>s^\y'∰∰',jævΩæ°ÒF"ÕÊ∂[Ì∰∑Ô
q•ïu≠>;ʧQ}Ü≥Ke■±Üéy"°eS■+,´≤_aøªæ■E™=√Ó■[■Ød>ÃrÜ■■■O■ûä■d6C•■Ü'1d<■VÂR■■■■■■LÖ
Õ´ò4■%[>\Uâ+wô{"∏fiKz@■■■@{crë™...¥»\VQìΩ■°√ÊRÖ[Ôo■ûõw¿R?Ìç■Eqòõ)üố?ÀaFã■E±Ô;ÿñb◊
endstream
endobj
81 0 obj
<< >>
endobj
82 0 obj
<< /ProcSet [/PDF /Text /ImageB /ImageC /ImageI]</pre>
/XObject << /XIPLAYER0 85 0 R
/XIPLAYER_CM1 87 0 R
/XIPLAYER_CM2 88 0 R
/XIPLAYER CM3 89 0 R
/XIPLAYER CM4 90 0 R
/XIPLAYER_CM5 91 0 R
/XIPLAYER_CM6 92 0 R
/XIPLAYER CM7 93 0 R
/XIPLAYER_CM8 94 0 R
/XIPLAYER_CM9 95 0 R
/XIPLAYER_CM10 96 0 R
/XIPLAYER_CM11 97 0 R
/XIPLAYER_CM12 98 0 R
>>
>>
endobj
83 0 obj
<< /Type /Page
/Parent 2 0 R
/Resources 82 0 R
/MediaBox [0 0 595 842]
/Contents 84 0 R
>>
endobj
84 0 obj
<< /Length 427
/Filter /FlateDecode
```

stream

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xú}î=n■1Ö■úB■0#R,Siÿ)■$@Ï*©R§H■■Œ■ãP3£Òÿ■5≈J≥XÏ~■■»RJy■P∂Gzá 5ûR°÷◊■■■^ÌzɇNT•<
jsÜ-v■™Q≠ûΆLG5Á"?Z■...¿T}ÇïC■∆•■R-Á∂å'18■;ÅP´■■,=*í...P ■£ÇGM■ó9u■■,■9/ªaH~ÉÌ■}·]RÔ
6ª■■■■—■■■;■■s■°ò■ûrùxé>P·ó■■■G∂■À`9S‡■;>õ■Ö∞∂X?È■"}■ò€vD■/■‰°■°■P;■1/ÜçÚ≠ñ`∫■#È
óÌ■■5s■bY£■{,4Í ã■"eÈ■■,■6
endstream
endobj
85 0 obj
<< /Length 11318
/Type /XObject
/Subtype /Image
/BitsPerComponent 8
/Width 832
/Height 1184
/ColorSpace /DeviceRGB
/Filter [/FlateDecode /DCTDecode]
/DecodeParms [null 86 0 R]
stream
```

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®M h∎∎T≣≠■Bf´£3q¢ééæB§I:ì&èM÷Bü...SÙÙÙ¶ËOô¢Bµ■◊FF≥TɇBÌAû@D■¬ç;ç~† ?85°■ò±■"∆kn■■ó
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\tilde{o}[Z_{\mu u}\Omega\hat{A}v^{\circ}, \text{$\ $$$$$$$$$$$$$$$$$$$$$$$$$\tilde{n}^{\circ}=\text{$\ $$$}$$$$$$$$$$[at $=_jffxu$] = 8\mu $$$$$$$$$:fcf, $=;i\hat{o}\hat{a}\Delta^{\circ}A$$$$$$$$$$$$$$$$$$$$$$$$$$$
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v\ddot{1}\dot{1}\dot{2}(C\blacksquare\blacksquare NC)V\dot{A}\dagger £\tilde{N}\blacksquare \acute{} <>Cb\&\} \mathring{A}[\hat{1}\S\blacksquare \grave{u}Nhw¥135~7\bullet\blacksquare...uwv\ddot{U}\acute{}1\dot{A}d\pm \acute{} \blacksquare j\grave{O}£\blacksquareo$\$\$D\blacksquare u»E¶\tilde{N}■4\acute{u}ç\acute{a}\Delta\blacksquare ,lm
l™»!âØDôòÊ-■|Ç¥∫°EœÙ"ÈÃeMå■«ñµÈ3œJ‰YbûH■∑'>w¯
 [VDÀq■aߪ■)z´eÜJh;úW1■,wÆI°4´ÀBM>*°ôåUü}″■]d¶yL:ÿ«■...8ó″zHa±Ö■®Æó≤†U÷■¢0w\■Ã
c = a = 6 \circ \hat{c} = \hat{
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 `ß)°6■"■]■6ÒZ■■S:@ΔÍÓ+!z"·æÜ√J(/≥—■°■*∏∑°;H■^≤⁻¿=8&Ûç"∂H>^[ÏNÓ^,Ï>I■ü|Ô5Ï■õ⁄kv5æ
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 ``rñ<",&■"■çmî■■■SͶ■$"FøÀ"ú§h}A—■n30•^W■-]√V/Ú}■ë¬|■ü■Xs`<ã°F■■%■E■ò~¸^WÕ¶ƒ■ßò2m
ãÉ■■ó■∫DX8{■`NÎ¥d8WÛ±ÊHasŒ—■≥4■v
u"w■■E■yü■■■a∏÷QµyÖ■"ÂnKì"∏¢kzÓc≠}Üʉ■;//■øÌË~JD«C
ó¬{WmÅ⊞qΩfVññ″∆Ò■¶ñ~y⊎UÔÉu∂DÛ1´Ìè⁄Èlræ⊎⊞q⊞c .V⊎÷⊞ëDwÿÌ⊞È4É|'h¥}i⊞⊎⊞Ò®êø≠ù∑® ∙;⊞"
ë"2±X,{Ÿféü`õY∞Ω¢ÁÁdõç6■~≤Ã■ ∞3■Åf—~■Ëøπ■...bø§Û■dw■■øq9€Ø~k"ì$ªGLbãøΩú■∑v,ü■ø}äìy
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 $5JR\tilde{N}f\Omega \blacksquare K \blacksquare Gp \blacksquare \hat{a} \blacksquare L"v \blacksquare \hat{a}Gche; \& \hat{A} \pm = 0 \{ fCd \blacksquare 9 \Sigma \bullet \ddot{e}X \approx p \blacksquare \Sigma \ddot{e}\pi \zeta \approx \hat{v} \blacksquare \P\pi 2 * \tilde{A}b [ \ddot{U}\ddot{y}f\Delta \approx q^{0} \infty \backslash \blacksquare q \{ \} * \ddot{u} \blacksquare Z > = 0 \}$ 

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$$\begin{split} & \grave{\mathbb{A}} \mathbb{E} \mathring{a} \circ \mathbb{U} \neg \partial \mathbb{P} \mathbb{P}^{\pi} \mathbb{E} \Omega \mathbb{I} \text{ i. } \rangle \times \mathbb{P} \mathbb{E} \mathbb{P}^{1} \wedge \mathbb{E} \mathring{a} \otimes \mathbb{E}_{1} \mathbb{E} \mathbb{E}_{2} \rangle \otimes \mathbb{E}_{1} \mathbb{E}_{2} \mathbb{E}_{2} \rangle \otimes \mathbb{E}_{1} \mathbb{E}_{2} \mathbb{E}_{2} \rangle \otimes \mathbb{E}_{2} \mathbb{E}_{$$

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- m**■■■**K†90=æOkí´LM§áÀ
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endstream
endobj
89 0 obj
<< /Length 1733
/Type /XObject
/Subtype /Image
/BitsPerComponent 1
/Width 482
/Height 580
/ImageMask true
/Filter /JBIG2Decode
/DecodeParms << /JBIG2Globals 9 0 R
>>
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 endstream
endobj
 90 0 obj
 << /Length 961
 /Type /XObject
 /Subtype /Image
/BitsPerComponent 1
/Width 1276
/Height 73
 /ImageMask true
 /Filter /JBIG2Decode
 /DecodeParms << /JBIG2Globals 9 0 R
 >>
 >>
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endstream
endobj
91 0 obj
<< /Length 1136
/Type /XObject
/Subtype /Image
/BitsPerComponent 1
/Width 317
/Height 199
/ImageMask true
/Filter /JBIG2Decode
/DecodeParms << /JBIG2Globals 9 0 R
>>
stream
```

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endstream
endobj
92 0 obj
<< /Length 914
/Type /XObject
/Subtype /Image
/BitsPerComponent 1
/Width 1281
/Height 85
/ImageMask true
/Filter /JBIG2Decode
/DecodeParms << /JBIG2Globals 9 0 R
>>
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stream

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   u'\Omega \blacksquare \partial x \parallel \mu \hat{e}! \Omega \blacksquare V \hat{v} \leq i \blacksquare Y \pi \P U \blacksquare \Pi \blacksquare \hat{o} \Delta / \ddot{y} g c F \blacksquare T \hat{i} \in j @le3 \acute{a} \blacksquare / \{ \blacksquare \hat{e} \blacksquare * \beta \blacksquare " \{ \blacksquare W , hvr \{ \hat{I} / \blacksquare \hat{a} < \tilde{a} . \blacksquare " / ; \partial i ^a \tilde{n} C \blacksquare \} \} 
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endstream
endobj
93 0 obj
<< /Length 1319
/Type /XObject
/Subtype /Image
/BitsPerComponent 1
/Width 719
/Height 288
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stream

/ImageMask true /Filter /JBIG2Decode

/DecodeParms << /JBIG2Globals 9 0 R

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<< /Length 896
/Type /XObject
/Subtype /Image
/BitsPerComponent 1
/Width 259
/Height 194
/ImageMask true
/Filter /JBIG2Decode
/DecodeParms << /JBIG2Globals 9 0 R
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<< /Length 841
/Type /XObject
/Subtype /Image
/BitsPerComponent 1
/Width 299
/Height 271
/ImageMask true
/Filter /JBIG2Decode
/DecodeParms << /JBIG2Globals 9 0 R
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<< /Length 700
/Type /XObject
/Subtype /Image
/BitsPerComponent 1
/Width 298
/Height 125
/ImageMask true
/Filter /JBIG2Decode
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/DecodeParms << /JBIG2Globals 9 0 R

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97 0 obj
<< /Length 208
/Type /XObject
/Subtype /Image
/BitsPerComponent 1
/Width 124
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<< /Length 213
/Type /XObject
/Subtype /Image
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99 0 obj
<< /ProcSet [/PDF /Text /ImageB /ImageC /ImageI]</pre>
/XObject << /XIPLAYER0 102 0 R
/XIPLAYER_CM1 104 0 R
/XIPLAYER_CM2 105 0 R
```

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/XIPLAYER_CM3 106 0 R
/XIPLAYER_CM4 107 0 R
>>
>>
endobj
100 0 obj
<< /Type /Page
/Parent 2 0 R
/Resources 99 0 R
/MediaBox [0 0 595 842]
/Rotate 180
/Contents 101 0 R
>>
endobj
101 0 obj
<< /Length 219
/Filter /FlateDecode
stream
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endobj
102 0 obj
<< /Length 1569
/Type /XObject
/Subtype /Image
/BitsPerComponent 8
/Width 832
/Height 1184
/ColorSpace /DeviceRGB
/Filter [/FlateDecode /DCTDecode]
/DecodeParms [null 103 0 R]
stream
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endstream
endobj
103 0 obj
<< >>
endobj
104 0 obi
<< /Length 474
/Type /XObject
/Subtype /Image
/BitsPerComponent 1
/Width 1295
/Height 104
/ImageMask true
/Filter /JBIG2Decode
/DecodeParms << /JBIG2Globals 9 0 R
>>
stream
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endstream
endobj
105 0 obj
<< /Length 1124
/Type /XObject
/Subtype /Image
/BitsPerComponent 1
/Width 1275
/Height 71
/ImageMask true
/Filter /JBIG2Decode
/DecodeParms << /JBIG2Globals 9 0 R
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stream

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endstream
endobj
106 0 obj
<< /Length 1193
/Type /XObject
/Subtype /Image
/BitsPerComponent 1
/Width 800
/Height 70
 /ImageMask true
 /Filter /JBIG2Decode
/DecodeParms << /JBIG2Globals 9 0 R
>>
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## endobj

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107 0 obj
<< /Length 212
/Type /XObject
/Subtype /Image
/BitsPerComponent 1
/Width 97
/Height 45
/ImageMask true
/Filter /JBIG2Decode
/DecodeParms << /JBIG2Globals 9 0 R
>>
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stream

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108 0 obj
<< /ProcSet [/PDF /Text /ImageB /ImageC /ImageI]
/XObject << /XIPLAYER_CM1 113 0 R
/XIPLAYER_CM2 114 0 R
/XIPLAYER_CM3 115 0 R
/XIPLAYER_CM4 116 0 R
/XIPLAYER_CM5 117 0 R
/XIPLAYER_CM6 118 0 R
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/XIPLAYER\_CM10 122 0 R /XIPLAYER\_CM11 123 0 R /XIPLAYER\_CM12 124 0 R >>

/XIPLAYER\_CM7 119 0 R /XIPLAYER\_CM8 120 0 R /XIPLAYER\_CM9 121 0 R

>> endobj

109 0 obj
<< /Type /Page
/Parent 2 0 R
/Resources 108 0 R
/MediaBox [0 0 595 842]
/Contents 110 0 R
>>
endobj

110 0 obj
<< /Length 406
/Filter /FlateDecode

stream

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 /Subtype /Image
 /BitsPerComponent 8
/Width 832
/Height 1184
 /ColorSpace /DeviceRGB
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endstream
endobj
112 0 obj
<< >>
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113 0 obj
<< /Length 2839
/Type /XObject
/Subtype /Image
/BitsPerComponent 1
/Width 804
/Height 769
/ImageMask true
/Filter /JBIG2Decode
/DecodeParms << /JBIG2Globals 9 0 R
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  }8LC¶m‡N 5ÀfG¿tZ]r·`™■wR■áM1~yLëμ]øU■^¢NÛ■Û,≠■"
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 114 0 obj
 << /Length 599
 /Type /XObject
 /Subtype /Image
 /BitsPerComponent 1
 /Width 1303
/Height 106
 /ImageMask true
  /Filter /JBIG2Decode
  /DecodeParms << /JBIG2Globals 9 0 R
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JeN | ° ■′
endstream
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115 0 obj
<< /Length 976
/Type /XObject
/Subtype /Image
/BitsPerComponent 1
/Width 1315
/Height 144
/ImageMask true
/Filter /JBIG2Decode
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/DecodeParms << /JBIG2Globals 9 0 R

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endstream
endobj
116 0 obj
<< /Length 1230
/Type /XObject
/Subtype /Image
/BitsPerComponent 1
/Width 803
/Height 66
/ImageMask true
/Filter /JBIG2Decode
/DecodeParms << /JBIG2Globals 9 0 R
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 ^■•à{GV≈d√Y£7-■°0‰ø■"
endstream
endobj
117 0 obj
<< /Length 972
 /Type /XObject
 /Subtype /Image
 /BitsPerComponent 1
/Width 1277
/Height 72
/ImageMask true
/Filter /JBIG2Decode
/DecodeParms << /JBIG2Globals 9 0 R
```

>>

stream

```
òm磄■■çŸh]!å6■u£t■Ës■"L■+■"
endstream
endobj
118 0 obj
<< /Length 979
/Type /XObject
/Subtype /Image
/BitsPerComponent 1
/Width 251
/Height 332
/ImageMask true
/Filter /JBIG2Decode
/DecodeParms << /JBIG2Globals 9 0 R
>>
stream
```

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■ÕPæ∏■■■Áßv■■ÜgL6■®■YΩq■■KJ_>≥ìÀÕW@ä8c8′3UQdÊ0Û■ùÊH■í,:U■■î■"`=■aV$■■ÍP¢P*óÚ■
u■■+■´Í)Ÿ<ïÙ2~Ä^■"
endstream
endobj
119 0 obj
<< /Length 370
/Type /XObject
/Subtype /Image
/BitsPerComponent 1
/Width 130
/Height 118
/ImageMask true
/Filter /JBIG2Decode
/DecodeParms << /JBIG2Globals 9 0 R
>>
>>
```

stream

/Width 253

/Height 312 /ImageMask true

/Filter /JBIG2Decode

/DecodeParms << /JBIG2Globals 9 0 R

>>

>>

stream

```
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^`Gï{■■■»ì6ãqRø°Gû]c?■j^·AñÅ<@Ì>3■■Ãê■$ã■^•?■yœßvØð´E°Ûa≥Ѷ‡Dªó■2■?êöAÃ≪Äc#;?■`■
\blacksquare \blacksquare \& \mathring{O}_{m} \blacksquare \mathring{O}_{m} \blacksquare \mathring{O}_{m} \blacksquare \mathring{O}_{m} \blacksquare \mathring{O}_{m} \blacksquare \mathring{O}_{m} \blacksquare \mathring{O}_{m} \blacksquare \mathring{O}_{m} \blacksquare \mathring{O}_{m} \blacksquare \mathring{O}_{m} \blacksquare \mathring{O}_{m} \blacksquare \mathring{O}_{m} \blacksquare \mathring{O}_{m} \blacksquare \mathring{O}_{m} \blacksquare \mathring{O}_{m} \blacksquare \mathring{O}_{m} \blacksquare \mathring{O}_{m} \blacksquare \mathring{O}_{m} \blacksquare \mathring{O}_{m} \blacksquare \mathring{O}_{m} \blacksquare \mathring{O}_{m} \blacksquare \mathring{O}_{m} \blacksquare \mathring{O}_{m} \blacksquare \mathring{O}_{m} \blacksquare \mathring{O}_{m} \blacksquare \mathring{O}_{m} \blacksquare \mathring{O}_{m} \blacksquare \mathring{O}_{m} \blacksquare \mathring{O}_{m} \blacksquare \mathring{O}_{m} \blacksquare \mathring{O}_{m} \blacksquare \mathring{O}_{m} \blacksquare \mathring{O}_{m} \blacksquare \mathring{O}_{m} \blacksquare \mathring{O}_{m} \blacksquare \mathring{O}_{m} \blacksquare \mathring{O}_{m} \blacksquare \mathring{O}_{m} \blacksquare \mathring{O}_{m} \blacksquare \mathring{O}_{m} \blacksquare \mathring{O}_{m} \blacksquare \mathring{O}_{m} \blacksquare \mathring{O}_{m} \blacksquare \mathring{O}_{m} \blacksquare \mathring{O}_{m} \blacksquare \mathring{O}_{m} \blacksquare \mathring{O}_{m} \blacksquare \mathring{O}_{m} \blacksquare \mathring{O}_{m} \blacksquare \mathring{O}_{m} \blacksquare \mathring{O}_{m} \blacksquare \mathring{O}_{m} \blacksquare \mathring{O}_{m} \blacksquare \mathring{O}_{m} \blacksquare \mathring{O}_{m} \blacksquare \mathring{O}_{m} \blacksquare \mathring{O}_{m} \blacksquare \mathring{O}_{m} \blacksquare \mathbb{O}_{m} \mathbb{O}_{m} \blacksquare \mathbb{O}_{m} \blacksquare \mathbb{O}_{m} \blacksquare \mathbb{O}_{m} \blacksquare \mathbb{O}_{m} \blacksquare \mathbb{O}_{m} \blacksquare \mathbb{O}_{m} \blacksquare \mathbb{O}_{m} \blacksquare \mathbb{O}_{m} \blacksquare \mathbb{O}_{m} \blacksquare \mathbb{O}_{m} \mathbb{O}_{m} \blacksquare \mathbb{O}_{m} \mathbb{O}_{m} \blacksquare \mathbb{O}_{m} \mathbb{O}_{m} \mathbb{O}_{m} \mathbb{O}_{m} \mathbb{O}_{m} \mathbb{O}_{m} \mathbb{O}_{m} \mathbb{O}_{m} \mathbb{O}_{m} \mathbb{O}_{m} \mathbb{O}_{m} \mathbb{O}_{m} \mathbb{O}_{m} \mathbb{O}_{m} \mathbb{O}_{m} \mathbb{O}_{m} \mathbb{O}_{m} \mathbb{O}_{m} \mathbb{O}_{m} \mathbb{O}_{m} \mathbb{O}_{m} \mathbb{O}_{m} \mathbb{O}_{m} \mathbb{O}_{m} \mathbb{O}_{m} \mathbb{O}_{m} \mathbb{O}_{m} \mathbb{O}_{m} \mathbb{O}_{m} \mathbb{O}_{m} \mathbb{O}_{m} \mathbb{O}_{m} \mathbb{O}_{m} \mathbb{O}_{m} \mathbb{O}_{m} \mathbb{O}_{m} \mathbb{O}_{m} \mathbb{O}_{m} \mathbb{O}_{m} \mathbb{O}_{m} \mathbb{O}_{m} \mathbb{O}_{m} \mathbb{O}_{m} \mathbb{O}_{m} \mathbb{O}_{m} \mathbb{O}_{m} \mathbb{O}_{m} \mathbb{O}_{m} \mathbb{O}_{m} \mathbb{O}_{m} \mathbb{O}_{m} \mathbb{O}_{m} \mathbb{O}_{m} \mathbb{O}_
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à■M∞%M■<¢Ä■Í p\móLç■-OQDS¶■Ω Ò¢w■`±■^qGÜ■■: X€■oÎŒjØŒK■aÏFçUà■8£■∂[I■"◊■YØ■x⁄o°∑
L>ëö≠°■°Œ■″ª■JÂR■"
endstream
endobj
121 0 obj
<< /Length 419
/Type /XObject
/Subtype /Image
/BitsPerComponent 1
/Width 301
/Height 31
/ImageMask true
/Filter /JBIG2Decode
/DecodeParms << /JBIG2Globals 9 0 R
```

>>

>>

stream

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x■[Ü2~À≥Ö'Ï■■÷■~■ ■■*■¬Ây^ã}⊞₽■FÎXÎGŸ™V3.IeZ8K#~¢8≠¯?■Œ■ÂE■ç^#0—`Ïxç■■≈-J´■UL■nÔ
Ïg8█∫A∞██ ¥∶¢tò€^Zìn██/█Z█Â√Ö∂ÇÛ¢██$æö█°î©ª÷Ä█w█ùŸ█Ó∑<ü%ò6█0(=Z≈Àö6G█¨[X‱█:IÁ█dJ
f.»CÄZøsqÔ■∂■■KAv4PAu■■■πMw îY«-O■!qÙ?■"
endstream
endobj
122 0 obj
<< /Length 223
/Type /XObject
/Subtype /Image
/BitsPerComponent 1
/Width 96
/Height 43
/ImageMask true
/Filter /JBIG2Decode
/DecodeParms << /JBIG2Globals 9 0 R
>>
stream
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endstream
endobj
123 0 obj
<< /Length 299
/Type /XObject
/Subtype /Image
/BitsPerComponent 1
/Width 172
/Height 45
/ImageMask true
/Filter /JBIG2Decode
/DecodeParms << /JBIG2Globals 9 0 R
>>
stream
```

```
endstream

endobj

124 0 obj

/ Length 282
/Type /XObject
/Subtype /Image
/BitsPerComponent 1
/Width 155
/Height 38
/ImageMask true
/Filter /JBIG2Decode
/DecodeParms <</pre>
/JBIG2Globals 9 0 R

>>

stream
```

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õ■■■%■■■■■■■■■■■ç€jêã′%‡eós∞■^»■&4■?■"
endstream
endobj
125 0 obj
<< /ProcSet [/PDF /Text /ImageB /ImageC /ImageI]</pre>
/XObject << /XIPLAYER0 128 0 R
/XIPLAYER_CM1 130 0 R
/XIPLAYER_CM2 131 0 R
/XIPLAYER_CM3 132 0 R
/XIPLAYER_CM4 133 0 R
/XIPLAYER_CM5 134 0 R
>>
endobj
126 0 obj
<< /Type /Page
/Parent 2 0 R
/Resources 125 0 R
/MediaBox [0 0 595 842]
/Rotate 180
/Contents 127 0 R
>>
endobj
127 0 obj
<< /Length 241
/Filter /FlateDecode
```

stream

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■1\prod<ÁÍå+1Q2^■Qná■*■>õÅ≠.í—u1·g'-¶■P″í.øbôG■ê■t¬f■õéMú■■;ò¬■äÿçR
endstream
endobj
128 0 obj
<< /Length 3590
/Type /XObject
/Subtype /Image
/BitsPerComponent 8
/Width 832
/Height 1184
/ColorSpace /DeviceRGB
/Filter [/FlateDecode /DCTDecode]
/DecodeParms [null 129 0 R]
```

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 $\begin{array}{l} & \text{$ \tilde{\Omega} = \frac{1}{2} } \\ & \hat{\Omega} = \frac{1}{2} \\$ 

$$\begin{split} & \blacksquare \hat{\mathbf{u}} = \mathbf{u} - \mathbf{u}$$

 $\label{eq:continuous} $$ \sum_{F^-} \ddot{g}_{\infty} = \Omega_{\infty} \cdot \tilde{g}_{\infty} \cdot \tilde$ 

## ■ ü■±Ì

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`■zv■G°bheù£■öf■iä'MS∏ÊD|■2·iµÎ¬Câ[■Ì■ÓÎ9Îv■Y7Í■ÓÑÍà?E%0HzmZ■za■Z■■ Bï"ç~aVb■■,h

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™∂ ÔV>ç;■"°Íñ,T■…æÿİ¢■∑+ÏJá■∫í>Ôu Yv■±-■ª:/'t-"V;jä&™■◊÷.■¬¬;¥Ÿ■—[|ÕPQò¯Ã.∑;¥E■9
[Õ¶t8§n■((Ô°∏OÕ,∆████Ö_%F∆p¶ÌÏ█> P*Á¥█"c¬'RÃàVØÍ{û-Y█Õìa██%±ª██>TB≠°PØ~ú█ZÏ.{(ù█P
ââ·7C■■NØ■+±È√'■ô√·vq |Uut`S°£EØ¢•■÷Ê9X•eßP^!ËKjIO§■ÀÕr\■ì-"üØXo≠_■`,3 Ÿ¡ç■■â\
/ \blacksquare \hat{0}? \blacksquare \blacksquare \hat{0}45 f \blacksquare kA \blacksquare \blacksquare \hat{0} \exists f^{-} \sqrt{CC} \forall M \blacksquare \theta \hat{0} \hat{S}K''
endstream
endobj
129 0 obj
<< >>
endobj
130 0 obj
<< /Length 3523
/Type /XObject
/Subtype /Image
/BitsPerComponent 1
/Width 974
/Height 527
/ImageMask true
/Filter /JBIG2Decode
/DecodeParms << /JBIG2Globals 9 0 R
>>
>>
stream
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îO■m[^¿YLò■- ÕK
\blacksquare 1 w@"0"! j \blacksquare G\'uXU \blacksquare 1 \& \blacksquare 0 @ 0" U SST-' \% 6 Lcp: v f \sim 7 Js \blacksquare ZF\~oH\~oXY \geq b 8 D-B \blacksquare K
Ô~ ¬ÉVáâMh*■^ÉÜ■ü'SÑ■Ÿ%∏ãü±|EZ‡Ù0#HŸÓ;■qœ*?É<■■¥8b■∅/■ÅN8■"·H∂X■■$ü^SÑ&¥<@9{≠ä1Ò
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$$\begin{split} & \text{P\^{O}ft\^{o}\&a\^{z}+\text{M\^{A}}\emptyset, ``+u\^{A}7z\text{M\&}\P(q^{\text{M\^{O}\^{N}}\text{Vx}\text{MC}2z\ddot{u}m\ddot{y}\mu t, z^{\text{I\^{O}}+^+;\tilde{n}\ddot{y}}[\,\hat{1}2v=\text{M\^{O}}Jr \text{``Ym\"{e}}=h/\text{M\^{`}}\ddot{u}\^{b\^{O}}a\^{1} < \text{``$$}\ddot{u}$ \\ & \text{enx}@\hat{A}\tilde{n}\emptyset\sqrt{\text{Ma}}\hat{a}\hat{1}^{\text{`}z}^{\text{`}}!B-\infty D\ddot{y}^{\text{`}g}, \left\{\ddot{y}\right\} \\ & \text{cu}\text{M$\leq 2}!\text{U}\text{M}+f\r{C}^{\text{`}}\text{kV} & \text{$\mbox{$$$

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b;■—Oeã■T■í@■>£=òlòã′Ñ~|≥ñjÃL·U±Phπ■■iYÜÎÖD″yÁöG#n■ñr+■9g-%ÃPœ0Ö■[■aüø{ãøù■ü73_◊
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endobj
131 0 obj
<< /Length 1186
/Type /XObject
/Subtype /Image
/BitsPerComponent 1
/Width 1275
/Height 73
/ImageMask true
/Filter /JBIG2Decode
/DecodeParms << /JBIG2Globals 9 0 R
>>
>>
stream
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endstream
endobj
132 0 obj
<< /Length 1252
/Type /XObject
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/Subtype /Image /BitsPerComponent 1

/Width 803 /Height 69

/ImageMask true

/Filter /JBIG2Decode

/DecodeParms << /JBIG2Globals 9 0 R

>>

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stream

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endstream
endobj
133 0 obj
<< /Length 223
/Type /XObject
/Subtype /Image
/BitsPerComponent 1
/Width 91
/Height 44
/ImageMask true
/Filter /JBIG2Decode
/DecodeParms << /JBIG2Globals 9 0 R
>>
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stream

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endstream
endobj
134 0 obj
<< /Length 212
/Type /XObject
/Subtype /Image
/BitsPerComponent 1
/Width 119
/Height 53
/ImageMask true
/Filter /JBIG2Decode
/DecodeParms << /JBIG2Globals 9 0 R
>>
stream
endstream
endobj
135 0 obj
<< /ProcSet [/PDF /Text /ImageB /ImageC /ImageI]</pre>
/XObject << /XIPLAYER0 138 0 R
/XIPLAYER CM1 140 0 R
/XIPLAYER_CM2 142 0 R
/XIPLAYER_CM3 143 0 R
/XIPLAYER CM4 144 0 R
/XIPLAYER_CM5 145 0 R
/XIPLAYER_CM6 146 0 R
/XIPLAYER_CM7 147 0 R
/XIPLAYER CM8 148 0 R
/XIPLAYER_CM9 149 0 R
>>
>>
endobj
136 0 obj
<< /Type /Page
/Parent 2 0 R
/Resources 135 0 R
/MediaBox [0 0 595 842]
/Contents 137 0 R
>>
endobj
137 0 obj
<< /Length 343
/Filter /FlateDecode
>>
stream
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 endstream
 endobj
 138 0 obj
 << /Length 12716
 /Type /XObject
/Subtype /Image
/BitsPerComponent 8
 /Width 832
 /Height 1184
   /ColorSpace /DeviceRGB
 /Filter [/FlateDecode /DCTDecode]
 /DecodeParms [null 139 0 R]
 >>
stream
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endstream

endobj

141 0 obj << /Length 662 >>

## stream

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endstream
endobj
142 0 obj
<< /Length 2476
/Type /XObject
/Subtype /Image
/BitsPerComponent 1
/Width 1049
/Height 436
/ImageMask true
/Filter /JBIG2Decode
/DecodeParms << /JBIG2Globals 141 0 R
>>
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stream

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stream

/Width 1282 /Height 78 /ImageMask true /Filter /JBIG2Decode

/DecodeParms << /JBIG2Globals 141 0 R

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endstream

endobj

144 0 obj
<< /Length 1279
/Type /XObject
/Subtype /Image
/BitsPerComponent 1
/Width 800
/Height 69
/ImageMask true
/Filter /JBIG2Decode
/DecodeParms << /JBIG2Globals 141 0 R
>>

stream
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endstream
endobj
145 0 obj
<< /Length 453
/Type /XObject
/Subtype /Image
/BitsPerComponent 1
/Width 421
/Height 43
/ImageMask true
/Filter /JBIG2Decode
/DecodeParms << /JBIG2Globals 141 0 R
>>
>>
stream
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endstream
endobj
146 0 obj
<< /Length 228
/Type /XObject
/Subtype /Image
/BitsPerComponent 1
/Width 93
/Height 46
/ImageMask true
/Filter /JBIG2Decode
/DecodeParms << /JBIG2Globals 141 0 R
>>
stream
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```

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endstream

endobj

148 0 obj

/*Length 213

/Type /XObject

/Subtype /Image
/BitsPerComponent 1

/Width 125

/Height 57

/ImageMask true

/Filter /JBIG2Decode

/DecodeParms <</pre>
/JBIG2Globals 141 0 R

>>

stream
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"Å{■:ôG■"
endstream
endobj
150 0 obj
<< /ProcSet [/PDF /Text /ImageB /ImageC /ImageI]</pre>
/XObject << /XIPLAYER0 153 0 R
/XIPLAYER_CM1 155 0 R
/XIPLAYER_CM2 156 0 R
/XIPLAYER_CM3 157 0 R
/XIPLAYER_CM4 158 0 R
/XIPLAYER_CM5 159 0 R
/XIPLAYER_CM6 160 0 R
/XIPLAYER_CM7 161 0 R
>>
endobj
151 0 obj
<< /Type /Page
/Parent 2 0 R
/Resources 150 0 R
/MediaBox [0 0 595 842]
/Rotate 180
/Contents 152 0 R
>>
endobj
152 0 obj
<< /Length 292
/Filter /FlateDecode
>>
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 \label{eq:condition} \rag{1} \rag{2} 
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FÛ'ÑË™sÊ}■>E■#"ŸÇ‡ÔX-ŒSi'<"è■ŒF■{æF■¥■,áÛ°3r€∞?ä‡∑»
 endstream
endobj
153 0 obj
 << /Length 12804
 /Type /XObject
 /Subtype /Image
 /BitsPerComponent 8
 /Width 832
/Height 1184
/ColorSpace /DeviceRGB
/Filter [/FlateDecode /DCTDecode]
 /DecodeParms [null 154 0 R]
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  ¢■%¬)dj†ë•∫■;§l■ÁÚ■≈"¥,çh[■■õ■8´■ÜÕèF`•Êb■'y^´¬<;GyI+8ü|<•■■x,Øq,a■ó■ª,ãx7YÏΩ°~u
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  ≈´■Ò´■ÿÕÍ—…òuÿ©ê■■`ó|;■4†|¢$■EFp2YõØ-m^£5§∆ËÿØ■P∆œüÇÓÚ2w,Ûg´Å√gë+£.‡†DFf(kãi■nç™
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  "ß■&±®■÷Ô(æû16μQ■DÒ'ÄΔ■ ■~ ■,8"`ÃU5■€¥OtncIö■■\ä"r■©®ûhÒ,q?Ê[&*■U■$∏¿Ò■■■■IàÿU°Ù
  \hat{o} \prod_{} \uparrow \blacksquare \ddot{e}^{a} \hat{a} \hat{e}^{\dagger} K \blacksquare @_{,a} / r (\ddot{o} C \blacksquare '\ddot{o} \ddot{v} \ddot{a} + \ddot{o} e \blacksquare Mb \\ \blacksquare \mathring{v} \ddot{o} \ddot{e} \ddot{o} 5 ' \mathring{b} \mathring{u} \blacksquare \Omega (\# \blacksquare \partial W \tilde{o}) \blacksquare \Pi C \blacksquare (\ddot{o} '\ddot{e} \$, \geq `D \ddot{o} \blacksquare \blacksquare ) - \blacksquare \blacksquare S
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ó°■À■;Lp\$}P-€≥Ä■¯é■^ô,NP2ÀL■RÆ...■¯H

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NZÁ'Õep $\blacksquare$ E\*• ã& $\blacksquare$ 5b $\}$  $\blacksquare$ , $\blacksquare$ 19,-u<sup> $\blacksquare$ </sup>0&s $\partial$ eWJ $\partial$ \$ $^{\ddagger}$ Ï,8rH $\blacksquare$ 1 $\partial$ ùÂ2°Áæ19 $\blacksquare$ " $\blacksquare$ hAú¢Ô $\blacksquare$ Ø5f $\blacksquare$ + $\geq$ " $\blacksquare$ JÆ0. $^{\circ}$ 1Ʊv5pnëã[Õ§¢s`Ⅲl¬¿iⅢ■»zq■°®GÈ~ÏxⅢ■:mjÇrå·πÿ□jb■x"#■AŞ■...■Δ∫□~Öç`;§ÚIØXP■)"OÂq■ò8D■ñÍ ê(U■XI€©;¢{"":■′®■Ëïáo—ëɆ#%Lä■\$9ê]■≤≠■+■c■≈"-°«ª·6≈·f■€eöqÛÕñ≥■■«f`.πlx·S}~\ HÈ  $\texttt{af} = -\mathbf{W}^{\Lambda} \cdot \mathbf{W}^{\Lambda} \cdot$ åî■CAíðú■¢â■X■ð@ῢ7÷œ■■1■ì′L■■%»′■vfp€Œ¶,<kvB¿■ÿ■öÇ9í¬&cÕ◊=77Pÿ¥ §Úªu%Ïïz■ÇtæS¥tB Ë';█Ä█5-██ñÒ¯Ω█àøáf©█Ω₽█F°°=█ñpò¬∑∑~██Iïiô√‡Ï█k‰nã45█~ä I█ªìz█1″Å3∞«█Á█û2Úm—æ;;z ■|Êœl®■Œ€bœœ∞■Å÷∞G·pç\*ëdΩÉ¿)8í■z■ßC‡k3■I■™D%j#ë¢:îùãéj¿´k■ffª1bg■■\@`YóuR™4È■■i  $\text{CjRPjho"} \\ \text{Ohtowall} \\ \text{CjRPjho"} \\ \text{Ohtowall} \\ \text{CjRPjho"} \\ \text{Ohtowall} \\ \text{Ohtowall} \\ \text{CjRPjho"} \\ \text{Ohtowall} \\$ ■vúM-√îp"zxÈ~û`À¶è3i■\$q█mup■îz■S®■■∫ |úöïïp`ô■4éØZ0Í■ŸE17â∑Gª}óû "J'Ä"éÇ≈ $\pi$ ! $\blacksquare$ Q;C $\S$ H $\blacksquare$ 3Ú $\blacksquare$ •Ê" $\blacksquare$ B À $\blacksquare$  $\sqrt{nu}$ ø·Ì $\blacksquare$ "b(G!-8R)TŸ;"Ÿwík嫪Ë $\blacksquare$  ;Ê[U $\P$ d $\Delta$  $\blacksquare$ Î $\blacksquare$ f $\blacksquare$ 6ĭ\ $^{\dagger}$ 1 $^{\dagger}$ 6DÚ $^{\dagger}$ 0 $^{\dagger}$ 1.  $\P=\emptyset$  íDv"qæÍ6 $\pi$ ô^-Q)Â\$XœH\*ò™Ö-¢∆!b $\blacksquare$ fp $^ \blacksquare$ R $\blacksquare$ \ÍLN $\blacksquare$ ·1~<p1K $\blacksquare$ ~ú«\$¢¢< $\int$ \*òL£Ù $\prod$ ∏ªNOu $\emptyset$ ≠ $\Diamond$  $\blacksquare$ L∞GDb \$°■"wü±■qGVì■kC@H~4Î∆±√àÛiÆí[■i3■/n°≤■X•'¶∂áeä}ò qú¿\$6NPÓ■T∏■¯ß■→>■ïÖÜ■d^܆W■1nB ∏së/Tó``f=àâ∰åLq],Y∰ô\·)ÿ æ^nd∰ã∰≈I∏Ek>äR®ÃbäòíõÑ∰Ë'∆lu∰CH∰páé∰C¬∰∭9^ŸQ∂=R^ëÌPnt -∞"ÜÉQBô[ ,■FúÛ™Úμ≈ 1~■ŒjÅlz■■■8-Ò»T\$!∫†ßf■f√sFÖ√m...∫¶QQQéå15@" ■#BJx"ßD(■>G■zμL` ê86ôÑ1¿ño₩■ô■‰■■±QG■ äϯ•∕█jû █¢₩█—∂CJ█i█`≥rêtr«ùQ◊È█ÈÇ█y7█-≥ÌT†█¯≈q«DF9I"ôÊúK█ QË█ ∑≠éF≈ô█≤°Ú█tf█∂£C

#%·h&c¢a^Ö—```8®úf**I**\*``**I**\_<±Ï.í‡≠iå8?ãï**I**·h,O«Xp**I**''**I**ÍÄ«`[,ŸdY**I**µZ§`´)Mä**I**Ū̀8©**I**,a^~æð%ùŸS• ZÇ**III** ``»**II**;é§wå;´X±÷e**I**KŸ√Äx**I**k&•à;,õ»◊f**II**`/(ό√ÑHÅÎ,fmy¥Å∏F'S÷**I**@ú2...@\*AûaæV**I**á8J`#é= LìCkuÿ«ï!,ÆB&<&Êçä8«◊xaÔ6‡Ÿ≈**I**J2|:BÂ**I**]**I**ÿ◊'ãS**II**T0**I**3\$<ÒΔ**III**<€€fVZ^‡2{!z;≈Rf**I**MI**I**¢y**I**ëËð

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/Type /XObject
/Subtype /Image
/BitsPerComponent 1
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/Filter /JBIG2Decode

/DecodeParms << /JBIG2Globals 141 0 R

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■..
endstream
endobj
158 0 obj
<< /Length 976
/Type /XObject
/Subtype /Image
/BitsPerComponent 1
/Width 441
/Height 223
/ImageMask true
/Filter /JBIG2Decode
/DecodeParms << /JBIG2Globals 141 0 R
>>
stream
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endstream
endobj
159 0 obj
<< /Length 667
/Type /XObject
/Subtype /Image
/BitsPerComponent 1
/Width 688
/Height 93
/ImageMask true
/Filter /JBIG2Decode
```

>>

stream

>>

/DecodeParms << /JBIG2Globals 141 0 R

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 endstream
 endobj
160 0 obj
 << /Length 216
 /Type /XObject
 /Subtype /Image
 /BitsPerComponent 1
/Width 97
/Height 45
/ImageMask true
 /Filter /JBIG2Decode
 /DecodeParms << /JBIG2Globals 141 0 R
 >>
```

stream

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endstream

endobj

161 0 obj

<< /Length 183
/Type /XObject
/Subtype /Image
/BitsPerComponent 1
/Width 56
/Height 75
/ImageMask true
/Filter /JBIG2Decode
/DecodeParms << /JBIG2Globals 141 0 R
```

stream

>>

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endstream
endobj
162 0 obj
<< /ProcSet [/PDF /Text /ImageB /ImageC /ImageI]</pre>
/XObject << /XIPLAYER0 165 0 R
/XIPLAYER_CM1 167 0 R
/XIPLAYER_CM2 168 0 R
>>
>>
endobj
163 0 obj
<< /Type /Page
/Parent 2 0 R
/Resources 162 0 R
/MediaBox [0 0 595 842]
/Contents 164 0 R
>>
endobj
164 0 obj
<< /Length 159
/Filter /FlateDecode
stream
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```

## endobj

```
165 0 obj
<< /Length 5331
/Type /XObject
/Subtype /Image
/BitsPerComponent 8
/Width 832
/Height 1184
/ColorSpace /DeviceRGB
/Filter [/FlateDecode /DCTDecode]
/DecodeParms [null 166 0 R]
```

## stream

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/ImageMask true /Filter /JBIG2Decode

/DecodeParms << /JBIG2Globals 141 0 R

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endobj
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<< /ProcSet [/PDF /Text /ImageB /ImageC /ImageI]</pre>
/XObject << /XIPLAYER0 172 0 R
/XIPLAYER CM1 174 0 R
/XIPLAYER CM2 175 0 R
/XIPLAYER_CM3 176 0 R
>>
>>
endobj
170 0 obj
<< /Type /Page
/Parent 2 0 R
/Resources 169 0 R
/MediaBox [0 0 595 842]
/Rotate 180
/Contents 171 0 R
>>
endobj
171 0 obj
<< /Length 190
/Filter /FlateDecode
>>
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/Subtype /Image
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/Width 832
/Height 1184
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/Filter [/FlateDecode /DCTDecode]
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endstream
endobj
176 0 obj
<< /Length 144
/Type /XObject
/Subtype /Image
/BitsPerComponent 1
/Width 89
/Height 39
/ImageMask true
/Filter /JBIG2Decode
/DecodeParms << /JBIG2Globals 141 0 R
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endstream
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177 0 obj

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<< /ProcSet [/PDF /Text /ImageB /ImageC /ImageI]</pre>
/XObject << /XIPLAYER0 180 0 R
/XIPLAYER_CM1 182 0 R
/XIPLAYER_CM2 183 0 R
>>
endobj
178 0 obj
<< /Type /Page
/Parent 2 0 R
/Resources 177 0 R
/MediaBox [0 0 595 842]
/Contents 179 0 R
>>
endobj
179 0 obj
<< /Length 151
/Filter /FlateDecode
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<< /Length 3209
/Type /XObject
/Subtype /Image
/BitsPerComponent 8
/Width 832
/Height 1184
/ColorSpace /DeviceRGB
/Filter [/FlateDecode /DCTDecode]
/DecodeParms [null 181 0 R]
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/BitsPerComponent 1
/Width 1583
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$$\begin{split} &\text{KúgØ}\big\{\grave{\texttt{U}}^{\frown}\blacksquare \grave{\texttt{A}} \tilde{\texttt{a}} + \grave{\texttt{1}} \tilde{\texttt{0}} \div \texttt{'} - - \acute{\texttt{I}} \ddot{\texttt{y}} \mathsf{R} \ddot{\texttt{y}} \mathsf{CO} < \tilde{\texttt{N}}^{-} \ddot{\texttt{O}} \tilde{\texttt{C}} \big) \hat{\texttt{E}}\big\} \\ & \wedge \pi z \leq , \Delta \texttt{Ni} \grave{\texttt{U}} c \blacksquare \$^{+} \mathsf{F} \big] * \texttt{a} 2 \\ & + 2 \times \pi z \leq \mathsf{M} = 2 \times \pi z + 2 \times \pi z \leq \mathsf{M} = 2 \times$$

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/Parent 2 0 R
/Resources 202 0 R
/MediaBox [0 0 595 842]
/Contents 204 0 R
>>
endobj
204 0 obj
<< /Length 134
/Filter /FlateDecode
stream
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xúué1

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endobj

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205 0 obj
<< /Length 4342
/Type /XObject
/Subtype /Image
/BitsPerComponent 8
/Width 832
/Height 1184
/ColorSpace /DeviceRGB
/Filter [/FlateDecode /DCTDecode]
/DecodeParms [null 206 0 R]
>>
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stream

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206 0 obj
<< >>
endobj
207 0 obj
<< /Length 6042
/Type /XObject
/Subtype /Image
/BitsPerComponent 1
/Width 1574
/Height 2052
/ImageMask true
/Filter /JBIG2Decode
/DecodeParms << /JBIG2Globals 141 0 R
>>
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xúSPPP(%R■■SKK=■■■ P0-30@eXô■ÈôXÄô∫Üz■■FF■¶
∫¶zÜ■&@éBr.'■■■œ■■«H◊ ■■ó|∞X ■■£@■■
endstream
endobj
211 0 obj
<< /Length 1534
/Type /XObject
/Subtype /Image
/BitsPerComponent 8
/Width 832
/Height 1184
/ColorSpace /DeviceRGB
/Filter [/FlateDecode /DCTDecode]
/DecodeParms [null 212 0 R]
>>
xúÌZ}L■g■■ØÔZ®KK€£´$,■ùwf¸■Ëú:§»ÿl...■≠■õ>G■−ï-3AÊúF¥ <¥â::Ï■7)Á'©$&jô€■ôNE1&Ze■~L
PΫÃ∂Ë■?PaÔ]©
^{\circ}\blacksquare \tilde{a}\tilde{O}zo\sqrt{\theta}\tilde{e}\blacksquare ^{a}\hat{I}\hat{A}\blacksquare > \hat{U}<\theta^{\sim}y\acute{O}\Omega^{\wedge}\blacksquare ^{\circ}3
\blacksquare @T^{m}\Pi\Pi8 \cdot J \cdot \tilde{N}P\grave{O}\blacksquare \acute{e}\blacksquare ?Z\mu: .N\neq \div R\blacksquare cZ\pounds^{\circ}, \mup\tilde{a}\lozenge Q\blacksquare \bullet "\hat{I}t\blacksquare\blacksquare \} \neg z\mathring{A}\blacksquare\blacksquare\&fS
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Ã]  $\blacksquare$ mìkœAáÎTÑÆQ $\blacksquare$ f®ØF $\blacksquare$  $\blacksquare$ ¢-çz®QiÇF^Ä-BÉØ.t≈ñâ $\blacksquare$ F=üôÓ $\blacksquare$ 8} $\neq$ 1 $\Omega$ ÷#~Oïjjõé $\Omega$ ¥ $\blacksquare$ ¿" $\blacksquare$ GÌ $\blacksquare$  $\blacksquare$ ZwieÀ $\blacksquare$  $\blacksquare$ ÖÃã^ÊëG<V $\blacksquare$  $\Omega$ >•{ $\blacksquare$ T $\Delta$ ∑÷e,> $\Pi$ 1-s\Ê4«óÄ $\blacksquare$ ïWÓ>u⁄Ñ $\blacksquare$ I $\Pi$ cfh∞~~qS≈° $\blacksquare$ f¥Õ7»+önûÉ $\blacksquare$  $\blacksquare$ "′Ø© $\blacksquare$ - $\blacksquare$ Ó\_XöVqe $\blacksquare$ AÖ¬Cc $\blacksquare$ © $\Sigma$  $\blacksquare$ 

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BêB?Ì;c"-Â∂^úÀ°¥6.ÈXP°râl°BÏ,¢AB™BåÀ,ऐ[B|€IBxBÈ\Q5ç€1ñTèB(£,ùaH6ÄdBÂBëB1B&`æ"ä
\mathbf{Z}\mathbf{d} \cdot \mathbf{\bar{G}fel} : \mathbf{\bar{A}} = \mathbf{\bar{A}} \cdot 
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■<µPØ/ÉnUM6*∏∆¸@c~"é◊ãJ■■ÛÇ@iIÕòte1■■ÁéIØqÇo"<≈E|®KîÖ■_,jÅ5à■®■■ØÕ■°µ&´■õΩ3Ó+″nÁ
■\tilde{O}%\sum≤\tilde{e}A´Eµ\tilde{e}V^{\bullet}M\blacksquaref^{\circ}3QS\divã\tilde{O}m\hat{O}\blacksquare|\tilde{e}ó\blacksquare>D-%\tilde{I}p;\blacksquare/¬D\blacksquaret
endstream
endobj
212 0 obj
<< >>
endobj
213 0 obj
<< /CreationDate (D:20170912135524+02'00')</pre>
 /Creator (Xerox WorkCentre 3655X)
/Producer (Xerox WorkCentre 3655X)
endobj
xref
0 214
0000000000 65535 f
0000000016 00000 n
0000000066 00000 n
0000000285 00000 n
0000000469 00000 n
0000000574 00000 n
 0000000877 00000 n
0000006195 00000 n
0000006217 00000 n
0000027181 00000 n
0000029498 00000 n
0000031266 00000 n
0000032167 00000 n
 0000032654 00000 n
0000032862 00000 n
0000032982 00000 n
0000033309 00000 n
0000036754 00000 n
0000036777 00000 n
0000067377 00000 n
 0000067984 00000 n
0000068519 00000 n
0000069015 00000 n
0000069448 00000 n
0000069850 00000 n
0000069958 00000 n
0000070535 00000 n
 0000082484 00000 n
 0000082507 00000 n
 0000120680 00000 n
0000123196 00000 n
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0000124878 00000 n 0000125300 00000 n 0000126264 00000 n 0000127519 00000 n 0000128356 00000 n

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0000128957 00000 n
0000129485 00000 n
0000129983 00000 n
0000130487 00000 n
0000130944 00000 n
0000131308 00000 n
0000131756 00000 n
0000131859 00000 n
0000131979 00000 n
0000132133 00000 n
0000133162 00000 n
0000133185 00000 n
0000133456 00000 n
0000133564 00000 n
0000133932 00000 n
0000138242 00000 n
0000138265 00000 n
0000146932 00000 n
0000152001 00000 n
0000155414 00000 n
0000157788 00000 n
0000159232 00000 n
0000159809 00000 n
0000160496 00000 n
0000161030 00000 n
0000161196 00000 n
0000161316 00000 n
0000161583 00000 n
0000175257 00000 n
0000175280 00000 n
0000181634 00000 n
0000200433 00000 n
0000201980 00000 n
0000202167 00000 n
0000202275 00000 n
0000202570 00000 n
0000204594 00000 n
0000204617 00000 n
0000217371 00000 n
0000223786 00000 n
0000227009 00000 n
0000227523 00000 n
0000227626 00000 n
0000227746 00000 n
0000227900 00000 n
0000228746 00000 n
0000228769 00000 n
0000229127 00000 n
0000229235 00000 n
0000229738 00000 n
0000241272 00000 n
0000241295 00000 n
0000246343 00000 n
0000247417 00000 n
0000249357 00000 n
0000250524 00000 n
0000251867 00000 n
0000252987 00000 n
0000254513 00000 n
0000255615 00000 n
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0000256662 00000 n
0000257568 00000 n
0000257981 00000 n
0000258399 00000 n
0000258591 00000 n
0000258713 00000 n
0000259009 00000 n
0000260795 00000 n
0000260819 00000 n
0000261501 00000 n
0000262833 00000 n
0000264233 00000 n
0000264650 00000 n
0000265022 00000 n
0000265133 00000 n
0000265616 00000 n
0000270049 00000 n
0000270073 00000 n
0000273120 00000 n
0000273927 00000 n
0000275111 00000 n
0000276548 00000 n
0000277727 00000 n
0000278913 00000 n
0000279490 00000 n
0000280539 00000 n
0000281164 00000 n
0000281592 00000 n
0000282097 00000 n
0000282585 00000 n
0000282800 00000 n
0000282923 00000 n
0000283241 00000 n
0000287048 00000 n
0000287072 00000 n
0000290803 00000 n
0000292197 00000 n
0000293656 00000 n
0000294084 00000 n
0000294502 00000 n
0000294805 00000 n
0000294916 00000 n
0000295336 00000 n
0000308270 00000 n
0000308294 00000 n
0000321493 00000 n
0000322211 00000 n
0000324898 00000 n
0000326138 00000 n
0000327626 00000 n
0000328287 00000 n
0000328722 00000 n
0000329146 00000 n
0000329567 00000 n
0000330051 00000 n
0000330310 00000 n
0000330433 00000 n
0000330802 00000 n
0000343824 00000 n
0000343848 00000 n
```

trailer

```
<< /Size 214
/Root 1 0 R
/Info 213 0 R
/ID [<31dd00f218ca8525b587f7779aa2fd43> <31dd00f218ca8525b587f7779aa2fd43>]
>>
startxref
487686
%%EOF
```