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$$\begin{split} &\text{\'a}\ddot{\text{I}} \blacksquare \blacksquare \text{L}) \sqrt{\blacksquare} \text{\'e} \pi ; \prod \blacksquare . \acute{\text{A}} \cdot \text{u} \text{\'e} \text{\'e} \text{\'f} / \text{Tof} > \neg \blacksquare - \text{Gj} \blacksquare \text{E} - \mu \blacksquare \bullet \blacksquare ^ \blacksquare) \\ &\text{\'e} \cdot \text{\'e} \text{\'e} \text{\'e} \text{\'e} \text{\'e} \text{\'e} \text{\'e} \text{\'e} \text{\re} $

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