Real World OCaml

Jason Hickey, Anil Madhavapeddy, and Yaron Minsky



Real World OCaml

by Jason Hickey, Anil Madhavapeddy, and Yaron Minsky

Copyright © 2010 O'Reilly Media . All rights reserved. Printed in the United States of America.

Published by O'Reilly Media, Inc., 1005 Gravenstein Highway North, Sebastopol, CA 95472.

O'Reilly books may be purchased for educational, business, or sales promotional use. Online editions are also available for most titles (http://my.safaribooksonline.com). For more information, contact our corporate/institutional sales department: (800) 998-9938 or corporate@oreilly.com.

Editor: Mike Loukides Indexer: Production Editor: Cover Designer:

Copyeditor: Interior Designer: FIX ME! Proofreader: FIX ME! Illustrator: Robert Romano

March 2013: First Edition.

Revision History for the First Edition:

YYYY-MM-DD First release

See http://oreilly.com/catalog/errata.csp?isbn=9781449323912 for release details.

Nutshell Handbook, the Nutshell Handbook logo, and the O'Reilly logo are registered trademarks of O'Reilly Media, Inc. !!FILL THIS IN!! and related trade dress are trademarks of O'Reilly Media, Inc.

Many of the designations used by manufacturers and sellers to distinguish their products are claimed as trademarks. Where those designations appear in this book, and O'Reilly Media, Inc. was aware of a trademark claim, the designations have been printed in caps or initial caps.

While every precaution has been taken in the preparation of this book, the publisher and authors assume no responsibility for errors or omissions, or for damages resulting from the use of the information contained herein.

ISBN: 978-1-449-32391-2

[?]

1365931701

Table of Contents

Prefa	reface x	
Prolo	gue	xv
Part	I. Basic Concepts	
1.	A Guided Tour	3
	OCaml as a calculator	4
	Functions and type Inference	5
	Type inference	6
	Inferring generic types	7
	Tuples, Lists, Options and Pattern-matching	9
	Tuples	9
	Lists	10
	Options	15
	Records and Variants	17
	Imperative programming	18
	Arrays	19
	Mutable record fields	19
	Refs	20
	For and while loops	21
	A complete program	22
	Compiling and running	23
	Where to go from here	24
2.	Variables and Functions	25
_•	Variables	25
	Pattern matching and let	28
	let/and bindings	28
	Functions	29

	Anonymous Functions Multi-argument functions	29 31
	Recursive functions	32
	Prefix and Infix operators	33 37
	Declaring functions with function	37
	Labeled Arguments Optional arguments	40
3.	Lists and Patterns	47
٥.	List Basics	47
	Using patterns to extract data from a list	48
	Limitations (and blessings) of pattern matching	50
	Performance	50
	Detecting errors	51
	Using the List module effectively	52
	More useful list functions	55
	Tail recursion	57
	TODO	59
4.	Files, Modules and Programs	61
	Single File Programs	61
	Multi-file programs and modules	64
	Signatures and Abstract Types	65
	More on modules and signatures	68
	Concrete types in signatures	68
	The include statement	68
	Modules within a file	69
	Opening modules	71
	Common errors with modules	72
5.	Records	
	Patterns and exhaustiveness	76
	Field punning	78
	Reusing field names	79
	Functional updates	81
	Mutable fields First-class fields	83
	First-class fields	83
6.	Variants	87
	Combining records and variants	90
	Variants and recursive data structures	93
	Polymorphic variants	96
	Example: Terminal colors redux	97

	When to use polymorphic variants	102
7.	Error Handling	105
	Error-aware return types	105
	Encoding errors with Result	106
	Error and Or_error	107
	bind and other error-handling idioms	108
	Exceptions	109
	Helper functions for throwing exceptions	111
	Exception handlers	112
	Cleaning up in the presence of exceptions	113
	Catching specific exceptions	113
	Backtraces	115
	From exceptions to error-aware types and back again	115
8.	Functors	. 117
	A trivial example	117
	A bigger example: computing with intervals	119
	Making the functor abstract	121
	Sharing constraints	122
	Destructive substitution	124
	Using multiple interfaces	125
	Extending modules	127
9.	Imperative Programming	131
	Example: Imperative dictionaries	131
	Primitive mutable data	135
	Array-like data	135
	Mutable record and object fields and ref cells	136
	Foreign functions	137
	for and while loops	137
	Example: Doubly-linked lists	138
	Modifying the list	140
	Iteration functions	141
	Laziness and other unobservable effects	142
	Memoization and dynamic programming	144
	Input and Output	151
	Terminal I/O	151
	Formatted output with printf	152
	File I/O	155
	Order of evaluation	156
	Side-effects and weak polymorphism	158
	The Value Restriction	159

	Partial application and the value restriction Relaxing the value restriction	160 161
	Relaxing the value restriction	101
10.	Object Oriented Programming	165
	When to use objects	166
	OCaml objects	166
	Object Polymorphism	167
	Classes	169
	An Example: Cryptokit	170
	Class parameters and polymorphism	173
	Object types	175
	Immutable objects	177
	Class types	178
Part	II. Practical Examples	
11.	Data Serialization with S-Expressions	183
	The Sexp format	185
	Sexp converters	186
	Preserving invariants	188
	Getting good error messages	188
	Sexp-conversion directives	190
	sexp_opaque	190
	sexp_list	190
	sexp_option	191
	Specifying defaults	191
12.	Handling JSON data	195
	JSON Basics	195
	Parsing JSON with Yojson	196
	Constructing JSON values	201
	Automatically mapping JSON to OCaml types	204
13.	Command Line Parsing	207
	Basic command line parsing	207
	Using flags to label the command line	211
	Grouping sub-commands together	212
	Advanced control over parsing	215
	Composing specification fragments together	216
	Prompting for interactive input	218
	Adding labelled arguments to callbacks	219
	Command-line auto-completion with bash	219

	Generating completion fragments from Command	220
	Installing the completion fragment	221
14.	Text Processing and Unicode	223
15.	XML Streams and Trees	225
	Stream parsing XML	226
	Tree parsing XML	228
	Building XML using syntax extensions	230
	Working with XHTMLx	235
16.	Concurrent Programming with Async	237
	Creating your first async threads	238
	Executing async applications	240
	Running threads within the toplevel	240
	Running threads within an application	241
	Timing and Thread Composition	241
	Cancellation	243
	A simple TCP Echo Server	243
	Onto an HTTP Server	243
	Binding to the GitHub API	243
	Example: searching definitions with DuckDuckGo	243
	URI handling	244
	Parsing JSON strings	244
	Executing an HTTP client query	245
17.	Fast Binary Serialization with bin_prot	
	Defining a message broker	247
	Bigstring	250
	Fieldslib	250
18.	First class modules	
	Another trivial example	254
	Standard vs. first-class modules	255
	A more complete example containers	257
	Imperative containers	258
	Pure functional containers	259
	Dynamically choosing a module	261
	Example: A service bundle	262

Part III. Advanced Topics

19.	Foreign Function Interface	269
	The garbage collector	269
	The fast minor heap	270
	The long-lived major heap	271
	The representation of values	271
	Blocks and values	272
	Integers, characters and other basic types	273
	Tuples, records and arrays	273
	Floating point numbers and arrays	274
	Variants and lists	275
	Polymorphic variants	276
	String values	277
	Custom heap blocks	278
	Interfacing with C	278
	Getting started with a "Hello World" C binding	278
20.	Managing external memory with Bigarrays	281
	Bigarrays for external memory blocks	281
21.	Inside the Runtime	283
	Runtime Memory Management	283
	Allocating on the minor heap	284
	Allocating on the major heap	284
	The major heap free list	285
	Memory allocation strategies	285
	Inter-generational pointers	287
	How garbage collection works	289
	Collecting the minor heap	289
	Collecting the major heap	290
	Marking the major heap	291
	Sweeping unused blocks from the major heap	291
	Compaction and defragmenting the major heap	291
22.	Performance Tuning and Profiling	293
	Byte code Profiling	293
	Native Code Profiling	293
	gdb	293
	perf	293
	dtrace	293

2013-04-14 | 05:28:22 |

23.	Parsing with OCamllex and OCamlyacc	295
24.	Object Subtyping and Inheritance	297
	Subtyping	297
	Using more precise types to address subtyping problems	299
	Using elided types to address subtyping problems	300
	Narrowing	300
	Binary methods	302
	Private methods	304
	Virtual classes and methods	306
	Multiple inheritance	308
	How names are resolved	308
	Mixins	310
A.	Installation	313
В.	Packaging	323

2013-04-14 | 05:28:22 |

Preface

Conventions Used in This Book

The following typographical conventions are used in this book:

Italic

Indicates new terms, URLs, email addresses, filenames, and file extensions.

Constant width

Used for program listings, as well as within paragraphs to refer to program elements such as variable or function names, databases, data types, environment variables, statements, and keywords.

Constant width bold

Shows commands or other text that should be typed literally by the user.

Constant width italic

Shows text that should be replaced with user-supplied values or by values determined by context.



This icon signifies a tip, suggestion, or general note.



This icon indicates a warning or caution.

Using Code Examples

This book is here to help you get your job done. In general, you may use the code in this book in your programs and documentation. You do not need to contact us for permission unless you're reproducing a significant portion of the code. For example, writing a program that uses several chunks of code from this book does not require permission. Selling or distributing a CD-ROM of examples from O'Reilly books does

require permission. Answering a question by citing this book and quoting example code does not require permission. Incorporating a significant amount of example code from this book into your product's documentation does require permission.

We appreciate, but do not require, attribution. An attribution usually includes the title, author, publisher, and ISBN. For example: "Book Title by Some Author (O'Reilly). Copyright 2012 Some Copyright Holder, 978-0-596-xxxx-x."

If you feel your use of code examples falls outside fair use or the permission given above, feel free to contact us at permissions@oreilly.com.

Safari® Books Online



Safari Books Online (www.safaribooksonline.com) is an on-demand digital library that delivers expert content in both book and video form from the world's leading authors in technology and business. Technology professionals, software developers, web designers, and business and creative professionals use Safari Books Online as their primary resource for research, problem solving, learning, and certification training.

Safari Books Online offers a range of product mixes and pricing programs for organizations, government agencies, and individuals. Subscribers have access to thousands of books, training videos, and prepublication manuscripts in one fully searchable database from publishers like O'Reilly Media, Prentice Hall Professional, Addison-Wesley Professional, Microsoft Press, Sams, Que, Peachpit Press, Focal Press, Cisco Press, John Wiley & Sons, Syngress, Morgan Kaufmann, IBM Redbooks, Packt, Adobe Press, FT Press, Apress, Manning, New Riders, McGraw-Hill, Jones & Bartlett, Course Technology, and dozens more. For more information about Safari Books Online, please visit us online.

How to Contact Us

Please address comments and questions concerning this book to the publisher:

O'Reilly Media, Inc. 1005 Gravenstein Highway North Sebastopol, CA 95472 800-998-9938 (in the United States or Canada) 707-829-0515 (international or local) 707-829-0104 (fax)

We have a web page for this book, where we list errata, examples, and any additional information. You can access this page at:

http://www.oreilly.com/catalog/<catalog page>

Don't forget to update the <url> attribute, too.

To comment or ask technical questions about this book, send email to:

book questions@ore illy.com

For more information about our books, courses, conferences, and news, see our website at http://www.oreilly.com.

Find us on Facebook: http://facebook.com/oreilly

Follow us on Twitter: http://twitter.com/oreillymedia

Watch us on YouTube: http://www.youtube.com/oreillymedia

Prologue

Why OCaml?

The programming languages that you use affect the software you create. They influence your software's reliability, security and efficiency, and how easy it is to read, refactor, and extend. And the languages you know can also deeply affect how you think about programming and software design.

But not all ideas about how to design a programming language are created equal. Over the last 40 years, a few key language features have emerged that together form a kind of sweet-spot in language design. These features include:

- *Garbage collection* for automatic memory management, now a feature of almost every modern high-level language.
- *Higher-order functions* that can be passed around as first-class values, as seen in Javascript or Scala.
- *Static type-checking* to reduce run-time errors, such as Java or Scala interfaces or variable type declarations in C#, Ada and Pascal.
- *Generics* to enable abstractions to be constructed across different datatypes, available in Java and C#.
- *Immutable data structures* that cannot be destructively updated, famously enforced in Haskell but also a common feature of many distributed big data frameworks.
- *Algebraic datatypes* and *pattern matching* to define and manipulate complex data structures, available in Miranda, F# and Standard ML.
- Automatic type inference to avoid having to laboriously define the type of every single variable in a program, and instead have them inferred based on how a value is used. Available in Standard ML, F# and even modern C++11 via its auto keyword.

Some of you will know and love these features, and others will be completely new to them. Most of you will have seen *some* of them in other languages that you've used. As we'll demonstrate over the course of this book, it turns out that there is something transformative about having them all together and able to interact in a single language.

Despite their importance, these ideas have made only limited inroads into mainstream languages. And when they do arrive there, like higher-order functions in C# or parametric polymorphism in Java, it's typically in a limited and awkward form. The only languages that support these ideas well are statically-typed functional programming languages like OCaml, F#, Haskell, Scala and Standard ML.

Among this worthy set of languages, OCaml stands apart because it manages to provide a great deal of power while remaining highly pragmatic, highly performant, and comparatively simple to use and understand. It is this that makes OCaml a great choice for programmers who want to step up to a better programming language, and at the same time want to get practical work done.

A brief history from the 1960s

OCaml was written in 1996 by Xavier Leroy, Jérôme Vouillon, Damien Doligez and Didier Rémy at INRIA in France. It was inspired by a long line of research into ML starting in the 1960s, and continues to have deep links to the academic community.

ML was originally the meta language of the LCF proof assistant released by Robin Milner in 1972 (at Stanford, and later at Cambridge). ML was turned into a compiler in order to make it easier to use LCF on different machines, and gradually turned into a fully fledged system of its own by the 1980s.

In 1990, Xavier Leroy and Damien Doligez built a new implementation called Caml Light that was based on a bytecode interpreter with a fast sequential garbage collector. Over the next few years useful libraries appeared, such as Michel Mauny's parsing system. Efficiency further improved with a fast native code compiler that made OCaml's performance competitive with mainstream languages such as C++. A module system inspired by Standard ML also provided powerful facilities for abstraction and larger scale programs.

The modern OCaml emerged in 1996, when a powerful and elegant object system was implemented by Didier Rémy and Jérôme Vouillon. This object system was notable for supporting many common OO idioms in a statically type-safe way, whereas the same idioms required runtime checks in languages such as C++ or Java. In 2000, Jacques Garrique extended OCaml with several new features such as polymorphic methods and variants and labelled and optional arguments.

The last decade has seen OCaml attract a significant user base, and language improvements have been steadily added to support the growing codebases that use the language both commercially and for academic use. First-class modules, Generalized Algebraic Data Types (GADTs) and dynamic linking have improved the flexibility of the language, and there is fast native code support for x86_64, ARM, PowerPC and Sparc64, making OCaml a good choice for systems where resource usage, predictability and performance matters.

The Core Standard Library

A language on its own isn't enough. You also need a rich set of libraries to base your applications on. A common source of frustration for those learning OCaml is that the standard library that ships with the OCaml compiler is not ideal. While it's well implemented, it is really intended for use within the compiler itself, and covers only a small subset of the functionality you expect for more general-purpose use.

In the world of open-source software, nothing stops alternative libraries from being written by the community, and this exactly what the Core standard library is. Jane Street, a company that has been using OCaml for more than a decade, developed Core for its own internal use, but it was designed from the start with an eye towards being a general-purpose standard library, and has very broad applicability. Core is also engineered with correctness, reliability and performance very much in mind.

Core is also distributed with syntax extensions which provide useful new functionality to OCaml, and there are additional libraries such as the Async network communications library that extend the reach of Core into building complex distributed systems. All of these libraries are distributed under a liberal Apache 2 license to permit free use in hobby, academic and commercial settings.

If you've learnt some OCaml before, this book may surprise you with some differences from your past experience. The Core standard library redefines most of the standard modules to be much more consistent, and so you'll need to adapt older code. We believe the Core model is worth learning; it's been successfully used on large, million-line codebases, and removes a big barrier to more widespread OCaml adoption. There will always exist code that uses only the compiler standard library of course, but there are other online resources available to learn that. Real World OCaml focuses on the techniques the authors have used in their personal experience to construct scalable, robust computer systems.

The OCaml Platform

Core is comprehensive and effective standard library, but there's a lot more out there than Core. A large community of programmers have been using OCaml since its first release in 1996 and have generated a lot of useful libraries and tools. In Real World OCaml, we'll introduce some of these libraries for you to experiment with realistic examples. The installation and management of these third-party libraries is made much easier via a package management tool known as OPAM. We'll explain more about OPAM as the book unfolds, but it forms the basis of the Platform, which is a set of tools and libraries that, along with the OCaml compiler, let you build realistic applications quickly and effectively.

Another big improvement over the standard library is the utop command-line interface. This is a modern interactive tool that supports command history, macro expansion, module completion, and other niceties that make it much more pleasant to work with

the language. We'll be using utop throughout the book instead of the normal OCaml toplevel. It can, of course, be installed using OPAM, and Appendix A guides you through that process.

About this book

Real World OCaml is aimed at programmers who have some experience with conventional programming languages, but not specifically with statically-typed functional programming. The world of dynamic scripting languages such as Javascript, Ruby and Python have all adopted healthy elements of functional programming, but not all of it. Real World OCaml takes you through the full lifecycle of how to construct software with static typing, including the powerful module system that makes code re-use so much more robust.

At the same time, OCaml is not Haskell. It takes a much more pragmatic approach by being strictly evaluated by default and permitting arbitrary side-effects. In fact, you can write OCaml code that looks very similar to imperative C but remains completely typesafe. One of the major strengths of OCaml for systems programming is that, with some experience, you can predict the runtime behaviour of a block of code very easily, with very little compiler magic involved. We'll explain some of these tricks to you as we go through the book and gradually introduce more complex concepts.

What to expect

Real World OCaml is split into three parts and appendices:

- Part I covers the basic concepts you'll need to know when building OCaml programs. You won't need to memorise all of this (objects, for example, are used rarely in practice), but understanding the concepts and examples is important. This part opens up with a guided tour to give you a quick overview of the language. It then moves onto modules, functors and objects, which may take some time to digest. Persevere though; even though these concepts may be difficult at first, they will put you in good stead even when switching to other languages, many of which have drawn inspiration from ML.
- Part II builds on the basics by working through complete examples. Here you'll pick up useful techniques for building networked systems, as well as functional design patterns that help combine different features of the language to good effect. The focus throughout this section is on networked systems, and among other examples we'll build a running example that will perform Internet queries using the DuckDuckGo search engine.
- Part III is all about understanding the runtime system in OCaml. It's a remarkably simple system in comparison to other language runtimes (such as Java or the .NET CLR), and you'll need to read this to build very high performance systems that have to minimise resource usage or interface to C libraries. This is also where we talk

about profiling and debugging techniques using tools such as GNU gdb and gprof. Contributing your code back to the community is also important (if only to get bug fixes from other people!), and this part also explains how to do this via OPAM and GitHub.



Note to reviewers

Real World OCaml uses some tools that we've developed while writing this book. Some of these resulted in improvements to the OCaml compiler, which means that you will need to ensure that you have an up-todate development environment (using the 4.01.0 compiler). We've automated everything you need via the OPAM package manager, so please do follow the installation instructions in Appendix A carefully.

At this stage, the Windows operating system is also unsupported, and only Mac OS X, Linux, FreeBSD and OpenBSD can be expected to work reliably. We realize this is a concern; there are no fundamental barriers to Windows support, but we're focussed on getting the main content finished before getting stuck into the porting effort.

About the Authors

Jason Hickey

Jason Hickey is a Software Engineer at Google Inc. in Mountain View, California. He is part of the team that designs and develops the global computing infrastructure used to support Google services, including the software systems for managing and scheduling massively distributed computing resources.

Prior to joining Google, Jason was an Assistant Professor of Computer Science at Caltech, where his research was in reliable and fault-tolerant computing systems, including programming language design, formal methods, compilers, and new models of distributed computation. He obtained his PhD in Computer Science from Cornell University, where he studied programming languages. He is the author of the MetaPRL system, a logical framework for design and analysis of large software systems; and OMake, an advanced build system for large software projects. He is the author of the textbook, An Introduction to Objective Caml (unpublished).

Anil Madhavapeddy

Anil Madhavapeddy is a Senior Research Fellow at the University of Cambridge, based in the Systems Research Group. He was on the original team that developed the Xen hypervisor, and helped develop an industry-leading cloud management toolstack written entirely in OCaml. This XenServer product has been deployed on millions of physical hosts, and drives critical infrastructure for many Fortune 500 companies.

Prior to obtaining his PhD in 2006 from the University of Cambridge, Anil had a diverse background in industry at NetApp, NASA and Internet Vision. He is an active member of the open-source development community with the OpenBSD operating system, is on the steering committee of the Commercial Uses of Functional Programming ACM workshop, and serves on the boards of startup companies where OCaml is extensively used. He has also developed the Mirage unikernel system that is written entirely in OCaml from the device drivers up.

Yaron Minsky

Yaron Minsky heads the Technology group at Jane Street, a proprietary trading firm that is the largest industrial user of OCaml. He was responsible for introducing OCaml to the company and for managing the company's transition to using OCaml for all of its core infrastructure. Today, billions of dollars worth of securities transactions flow each day through those systems.

Yaron obtained his PhD in Computer Science from Cornell University, where he studied distributed systems. Yaron has lectured, blogged and written about OCaml for years, with articles published in Communications of the ACM and the Journal of Functional Programming. He chairs the steering committee of the Commercial Users of Functional Programming, and is a member of the steering committee for the International Conference on Functional Programming.

PART I

Basic Concepts

A Guided Tour

This chapter gives an overview of OCaml by walking through a series of small examples that cover most of the major features of the language. This should give a sense of what OCaml can do, without getting too deep in any one topic.

We'll present this guided tour using the Core standard library and the utop OCaml toplevel, a shell that lets you type in expressions and evaluate them interactively. utop is an easier-to-use version of the standard toplevel (which you can start by typing ocaml at the command line). These instructions will assume you're using utop specifically.

Before getting started, do make sure you have a working OCaml installation and top-level as you read through this chapter so you can try out the examples.



Installing utop

The easiest way to get the examples running is to set up the OPAM package manager, which is explained in Appendix A. In a nutshell, you need to have a working C compilation environment and the PCRE library installed, and then:

```
$ opam init
$ opam switch 4.01.0dev+trunk
$ opam install utop core_extended
$ eval `opam config -env`
```

Note that the above commands will take some time to run. When they're done, create a file called ~/.ocamlinit in your home directory:

#use "topfind"
#camlp4o

```
#thread
#require "core.top"
```

Then type in utop, and you'll be in an interactive toplevel environment. OCaml phrases are only evaluated when you enter a double semicolon (;;), so you can split your typing over multiple lines. You can exit utop by pressing control-D and return. For complete instructions, please refer to Appendix A.

OCaml as a calculator

Let's spin up utop. Throughout the book we're going to use Core, a more full-featured and capable replacement for OCaml's standard library. Accordingly, we'll start by opening the Core.Std module to get access to Core's libraries. If you don't open Core. Std many of the examples below will fail.

```
$ utop
# open Core.Std;;
```

Now that we have Core open, let's try a few simple numerical calculations.

```
# 3 + 4;;
-: int = 7
# 8 / 3;;
-: int = 2
# 3.5 +. 6.;;
-: float = 9.5
# 30 000 000 / 300 000;;
-: int = 100
# sqrt 9.;;
- : float = 3.
```

By and large, this is pretty similar to what you'd find in any programming language, but there are a few things that jump right out at you.

- We needed to type ;; in order to tell the toplevel that it should evaluate an expression. This is a peculiarity of the toplevel that is not required in stand-alone programs (though it is sometimes helpful to include ;; to improve OCaml's error reporting.)
- After evaluating an expression, the toplevel spits out both the type of the result and the result itself.
- Function arguments are separated by spaces, instead of by parenthesis and commas, which is more like the UNIX shell than C or Java.
- OCaml allows you to place underscores in the middle of your integer literals, as a way of improving readability. Note that underscores can be placed anywhere in within the number, not just every three digits.

• OCaml carefully distinguishes between float, the type for floating point numbers and int the type for integers. The types have different literals (6. instead of 6) and different infix operators (+. instead of +), and OCaml doesn't automatically cast between types. This can be a bit of a nuisance, but it has its benefits, since it prevents some kinds of bugs that arise in other languages due to unexpected differences between the behavior of int and float.

We can also create a variable to name the value of a given expression, using the let keyword (also known as a let binding).

```
# let x = 3 + 4;;
val x : int = 7
\# let y = x + x;
val y : int = 14
```

After a new variable is created, the toplevel tells us the name of the variable (x or y), in addition to its type (int) and value (7 or 14).

Functions and type Inference

The let syntax can also be used for creating functions.

```
# let square x = x * x;
val square : int -> int = <fun>
# square 2;;
-: int = 4
# square (square 2);;
-: int = 16
```

Functions in OCaml are values like any other, which is why we bind one to a variable using the same let keyword used for binding a variable to a simple value such as an integer.

When using let to define a function, the first identifier after the let is the function name, and each subsequent identifier is a different argument to the function. Thus, square is a function with a single argument. If no arguments are given, then we just have the ordinary definition of a variable that we saw earlier.

Now that we're creating more interesting values like functions, the types have gotten more interesting too. int -> int is a function type, in this case indicating a function that takes an int and returns an int. We can also write functions that take multiple arguments.

```
# let ratio x y =
    Float.of int x /. Float.of int y
val ratio : int -> int -> float = <fun>
# ratio 4 7;;
- : float = 0.571428571428571397
```

As a side note, the above is our first use of OCaml modules. Here, FLoat.of_int refers to the of int function contained in the FLoat module, and not, as you might expect from an object-oriented language, accessing a method of an object. The Float module in particular contains of_int as well as many other useful functions for dealing with

The notation for the type-signature of a multi-argument functions may be a little surprising at first, but we'll explain where it comes from when we get to function currying in "Multi-argument functions" on page 31. For the moment, think of the arrows as separating different arguments of the function, with the type after the final arrow being the return value of the function. Thus, int -> int -> float describes a function that takes two int arguments and returns a float.

We can even write functions that take other functions as arguments. Here's an example of a function that takes three arguments: a test function and two integer arguments. The function returns the sum of the integers that pass the test.

```
# let sum if true test first second =
    (if test first then first else 0)
   + (if test second then second else 0)
val sum if true : (int -> bool) -> int -> int -> int = <fun>
```

If we look at the inferred type signature in detail, we see that the first argument is a function that takes an integer and returns a boolean, and that the remaining two arguments are integers. Here's an example of this function in action.

```
# let even x =
   x \mod 2 = 0;
val even : int -> bool = <fun>
# sum if true even 3 4;;
-: int = 4
# sum if true even 2 4;;
-: int = 6
```

Note that in the definition of even we used = in two different ways: once as the part of the let binding that separates the thing being defined from its definition; and once as an equality test, when comparing $x \mod 2$ to 0. These two uses of = are basically unrelated.

Type inference

As the types we encounter get more complicated, you might ask yourself how OCaml is able to figure them out, given that we didn't write down any explicit type information.

OCaml determines the type of an expression using a technique called *type inference*, by which it infers the type of a given expression based on what it already knows about the types of other related variables, and on constraints on the types that arise from the structure of the code.

As an example, let's walk through the process of inferring the type of sum if true.

- OCaml requires that both arms of an if statement return the same type, so the expression if test x then x else 0 requires that x must be the same type as 0, which is int. By the same logic we can conclude that y has type int.
- test is passed x as an argument. Since x has type int, the input type of test must be int.
- test x is used as the condition in an if statement, so the return type of test must be bool.
- The fact that + returns an int implies that the return value of sum if true must be

Together, that nails down the types of all the variables, which determines the overall type of sum_if_true.

Over time, you'll build a rough intuition for how the OCaml inference engine works, which makes it easier to reason through your programs. One way of making it easier to understand the types is to add explicit type annotations. These annotations never change the behavior of an OCaml program, but they can serve as useful documentation, as well as catch unintended type changes. Here's an annotated version of sum if true:

```
# let sum_if_true (test : int -> bool) (x : int) (y : int) : int =
     (if test x then x else 0)
    + (if test y then y else 0)
val sum if true : (int -> bool) -> int -> int -> int = <fun>
```

In the above, we've marked every argument to the function with its type, with the final annotation indicating the type of the return value. Such type annotations can actually go around any value in an OCaml program, and can be useful for figuring out why a given program is failing to compile.

Inferring generic types

Sometimes, there isn't enough information to fully determine the concrete type of a given value. Consider this function:

```
# let first if true test x y =
    if test x then x else y
```

first if true takes as its arguments a function test, and two values, x and y, where x is to be returned if test x evaluates to true, and y otherwise. So what's the type of first if true? There are no obvious clues such as arithmetic operators or literals to tell you what the type of x and y are. That makes it seem like one could use this first if true on values of any type. Indeed, if we look at the type returned by the toplevel:

```
val first if true : ('a -> bool) -> 'a -> 'a -> 'a = <fun>
```

we see that rather than choose a single concrete type, OCaml has introduced a type variable 'a to express that the type is generic. In particular, the type of the test argument is ('a -> bool), which means that test is a one-argument function whose return value is bool, and whose argument could be of any type 'a. But, whatever type 'a is, it has to be the same as the type of the other two arguments, x and y, and of the return value of first if true. This kind of genericity is called *parametric polymorphism*, and is very similar to generics in C# and Java.

The generic type of first if true allows us to write:

```
# let long_string s = String.length s > 6;;
    val long_string : string -> bool = <fun>
    # first_if_true long_string "short" "loooooong";;
    - : string = "loooooong"
as well as:
    # let big_number x = x > 3;;
    val big number : int -> bool = <fun>
    # first if true big number 4 3;;
    -: int = 4
```

Both long_string and big_number are functions, and each is passed to first if true with two other arguments of the appropriate type (strings in the first example, and integers in the second). But we can't mix and match two different concrete types for 'a in the same use of first_if_true.

```
# first if true big number "short" "loooooong";;
Characters 25-30:
 first_if_true big_number "short" "loooooong";;
Error: This expression has type string but
    an expression was expected of type int
```

In this example, big number requires that 'a be instantiated as int, whereas "short" and "loooooong" require that 'a be instantiated as string, and they can't both be right at the same time.



Type errors vs exceptions

There's a big difference in OCaml (and really in any compiled language) between errors that are caught at compile time and those that are caught at run-time. It's better to catch errors as early as possible in the development process, and compilation time is best of all.

Working in the toplevel somewhat obscures the difference between runtime and compile time errors, but that difference is still there. Generally, type errors, like this one:

```
# let add_potato x =
    x + "potato";;
 Characters 28-36:
      x + "potato";;
```

Error: This expression has type string but an expression was expected of type

are compile-time errors, whereas an error that can't be caught by the type system, like division by zero, leads to a runtime exception.

```
# let is a multiple x y =
    x \mod y = 0;
  val is_a_multiple : int -> int -> bool = <fun>
# is a multiple 8 2;;
 : bool = true
# is a multiple 8 0;;
Exception: Division_by_zero.
```

The distinction here is that type errors will stop you whether or not the offending code is ever actually executed. Merely defining add_potato is an error, whereas is a multiple only fails when it's called, and then, only when it's called with an input that triggers the exception.

Tuples, Lists, Options and Pattern-matching

Tuples

So far we've encountered a handful of basic types like int, float and string as well as function types like string -> int. But we haven't yet talked about any data structures. We'll start by looking at a particularly simple data structure, the tuple. A tuple is an ordered collection of values that can each be of different type. You can create a tuple by joining values together with a comma:

```
# let a_tuple = (3,"three");;
val a_tuple : int * string = (3, "three")
```

For the mathematically inclined, the * character is used because the set of all pairs of type t * s corresponds to the Cartesian product of the set of elements of type t and the set of elements of type s.

You can extract the components of a tuple using OCaml's pattern-matching syntax. For example:

```
# let (x,y) = a_tuple;;
val x : int = 3
val y : string = "three"
```

Here, the (x,y) on the left-hand side of the let binding is the pattern. This pattern lets us mint the new variables x and y, each bound to different components of the value being matched, which can now be used in subsequent expressions.

```
# x + String.length y;;
- : int = 8
```

Note that the same syntax is used both for constructing and for pattern-matching on tuples.

Pattern matching can also show up in function arguments. Here's a function for computing the distance between two points on the plane, where each point is represented as a pair of floats. The pattern matching syntax lets us get at the values we need with a minimum of fuss.

```
# let distance (x1,y1) (x2,y2) =
    sqrt ((x1 -. x2) ** 2. +. (y1 -. y2) ** 2.)
    ;;
val distance : float * float -> float * float -> float = <fun>
```

The ** operator used above is for raising a floating-point number to a power.

This is just a first taste of pattern matching. Pattern matching is a pervasive tool in OCaml, and as you'll see, it has surprising power.

Lists

Where tuples let you combine a fixed number of items, potentially of different types, lists let you hold any number of items of the same type. For example:

```
# let languages = ["OCaml";"Perl";"C"];;
val languages : string list = ["OCaml"; "Perl"; "C"]
```

Note that you can't mix elements of different types on the same list, as we did with tuples.

```
# let numbers = [3;"four";5];;
Characters 17-23:
```

```
let numbers = [3;"four";5];;
Error: This expression has type string but an expression was expected of type
```

The List module

Core comes with a List module that has a rich collection of functions for working with lists. We can access values from within a module by using dot-notation. Here, for example, is how we compute the length of a list.

```
# List.length languages;;
-: int = 3
```

Here's something a little more complicated. We can compute the list of the lengths of each language as follows.

```
# List.map languages ~f:String.length;;
- : int list = [5; 4; 1]
```

List.map takes two arguments: a list and a function for transforming the elements of that list. Note that List.map creates a new list and does not modify the original.

In this example, the function String.length is passed under the labeled argument ~f. Labels allow you to specify function arguments by name rather than by position. As you can see below, we can change the order of labeled arguments without changing the function's behavior.

```
# List.map ~f:String.length languages;;
- : int list = [5; 4; 1]
```

We'll learn more about labeled arguments and why they're important in Chapter 2.

Constructing lists with ::

In addition to constructing lists using brackets, we can use the operator :: for adding elements to the front of a list.

```
# "French" :: "Spanish" :: languages;;
- : string list = ["French"; "Spanish"; "OCaml"; "Perl"; "C"]
```

Here, we're creating a new and extended list, not changing the list we started with, as you can see below.

```
# languages;;
- : string list = ["OCaml"; "Perl"; "C"]
```

The bracket notation for lists is really just syntactic sugar for ::. Thus, the following declarations are all equivalent. Note that [] is used to represent the empty list.

```
# [1; 2; 3];;
- : int list = [1; 2; 3]
# 1 :: (2 :: (3 :: []));;
- : int list = [1; 2; 3]
# 1 :: 2 :: 3 :: [];;
- : int list = [1; 2; 3]
```

The :: operator can only be used for adding one element to the front of the list, with the list terminating at [], the empty list. There's also a list concatenation operator, @, which can concatenate two lists.

```
# [1;2;3] @ [4;5;6];;
- : int list = [1; 2; 3; 4; 5; 6]
```

It's important to remember that this is not a constant-time operation. Concatenating two lists takes time proportional to the length of the first list.

List patterns using match

The elements of a list can be accessed through pattern-matching. List patterns are based on the two list constructors, [] and ::. Here's a simple example.

```
# let my favorite language (my favorite :: the rest) =
    my_favorite
```

By pattern matching using ::, we've isolated and named the first element of the list (my favorite) and the remainder of the list (the_rest). If you know Lisp or Scheme, what we've done is the equivalent of using the functions car and cdr to isolate the first element of a list and the remainder of that list.

If you try the above example in the toplevel, however, you'll see that it spits out a warning:

```
Characters 25-69:
  .....(my_favorite :: the_rest) =
      my favorite
Warning 8: this pattern-matching is not exhaustive.
Here is an example of a value that is not matched:
val my favorite language : 'a list -> 'a = <fun>
```

The warning comes because the compiler can't be certain that the pattern match won't lead to a runtime error. Indeed, the warning gives an example of a list, ([], the empty list) that doesn't match the provided pattern. Indeed, if we try to run my favorite lan guage, we'll see that it works on non-empty list, and fails on empty ones.

```
# my favorite language ["English"; "Spanish"; "French"];;
-: string = "English"
```

```
# my_favorite_language [];;
Exception: Match_failure ("//toplevel//", 11, 10).
```

You can avoid these warnings, and more importantly make sure that your code actually handles all of the possible cases, by using a match statement instead.

A match statement is a kind of juiced-up version of the switch statement found in C and Java. It essentially lets you list a sequence of patterns (separated by | characters --- the one before the first case is optional), and the compiler then dispatches to the code following the first matched pattern. And, as we've already seen, we can name new variables in our patterns that correspond to sub-structures of the value being matched.

Here's a new version of my favorite language that uses match and doesn't trigger a compiler warning.

```
# let my favorite language languages =
    match languages with
     | first :: the_rest -> first
     | [] -> "OCaml" (* A good default! *)
val my_favorite_language : string list -> string = <fun>
# my_favorite_language ["English"; "Spanish"; "French"];;
- : string = "English"
# my favorite language [];;
- : string = "OCaml"
```

Note that we included a comment in the above code. OCaml comments are bounded by (* and *), and can be nested arbitrarily and cover multiple lines. There's no equivalent of C-style single line comments that are prefixed by //.

The first pattern, first :: the rest, covers the case where languages has at least one element, since every list except for the empty list can be written down with one or more :: 's. The second pattern, [], matches only the empty list. These cases are exhaustive (every list is either empty, or has at least one element), and the compiler can detect that exhaustiveness, which is why it doesn't spit out a warning.

Recursive list functions

Recursive functions, or, functions that call themselves, are an important technique in OCaml and in any functional language. The typical approach to designing a recursive function is to separate the logic into a set of base cases, that can be solved directly, and a set of *inductive cases*, where the function breaks the problem down into smaller pieces and then calls itself to solve those smaller problems.

When writing recursive list functions, this separation between the base cases and the inductive cases is often done using pattern matching. Here's a simple example of a function that sums the elements of a list.

```
# let rec sum 1 =
    match 1 with
```

```
| [] -> 0
                                (* base case *)
   | hd :: tl -> hd + sum tl
                                (* inductive case *)
val sum : int list -> int
# sum [1;2;3];;
-: int = 6
```

Following the common OCaml idiom, we use hd to refer to the head of the list and t1 to refer to the tail. Note that we had to use the rec keyword to allow sum to refer to itself. As you might imagine, the base case and inductive case are different arms of the match.

Logically, you can think of the evaluation of a simple recursive function like sum almost as if it were a mathematical equation whose meaning you were unfolding step by step.

```
sum [1;2;3]
1 + sum [2;3]
1 + (2 + sum [3])
1 + (2 + (3 + sum []))
1 + (2 + (3 + 0))
1 + (2 + 3)
1 + 5
6
```

This suggests a reasonable mental model for what OCaml is actually doing to evaluate a recursive function.

We can introduce more complicated list patterns as well. Here's a function for destuttering a list, *i.e.*, for removing sequential duplicates.

```
# let rec destutter list =
    match list with
    | [] -> []
    | hd1 :: hd2 :: tl ->
     if hd1 = hd2 then destutter (hd2 :: tl)
     else hd1 :: destutter (hd2 :: tl)
```

Again, the first arm of the match is the base case, and the second is the inductive. Unfortunately, this code has a problem. If you type it into the toplevel, you'll see this error:

```
Warning 8: this pattern-matching is not exhaustive.
Here is an example of a value that is not matched:
_::[]
```

This indicates that we're missing a case, in particular we don't handle one-element lists. That's easy enough to fix by adding another case to the match:

```
# let rec destutter list =
    match list with
    | [] -> []
```

```
| hd :: [] -> hd :: []
     | hd1 :: hd2 :: tl ->
       if hd1 = hd2 then destutter (hd2 :: tl)
       else hd1 :: destutter (hd2 :: tl)
val destutter : 'a list -> 'a list = <fun>
# destutter ["hey";"hey";"hey";"man!"];;
- : string list = ["hey"; "man!"]
```

Note that this code used another variant of the list pattern, [hd], to match a list with a single element. We can do this to match a list with any fixed number of elements, e.g., [x;y;z] will match any list with exactly three elements, and will bind those elements to the variables x, y and z.

In the last few examples, our list processing code involved a lot of recursive functions. In practice, this isn't usually necessary. Most of the time, you'll find yourself happy to use the iteration functions found in the List module. But it's good to know how to use recursion when you need to do something new that's not already supported.

Options

Another common data structure in OCaml is the option. An option is used to express that a value might or might not be present. For example,

```
# let divide x y =
   if y = 0 then None else Some (x/y);;
val divide : int -> int -> int option = <fun>
```

The function divide either returns None, if the divisor is zero, or Some of the result of the division, otherwise. Some and None are constructors, like :: and [] for lists, which let you build optional values. You can think of an option as a specialized list that can only have zero or one element.

To examine the contents of an option, we use pattern matching, as we did with tuples and lists. Consider the following simple function for printing a log entry given an optional time and a message. If no time is provided (i.e., if the time is None), the current time is computed and used in its place.

```
# let print log entry maybe time message =
    let time =
      match maybe time with
       Some x \rightarrow x
       None -> Time.now ()
    printf "%s: %s\n" (Time.to sec string time) message ;;
val print log entry : Time.t option -> string -> unit
# print log entry (Some Time.epoch) "A long long time ago";;
1969-12-31 19:00:00: A long long time ago
- : unit = ()
# print_log_entry None "Up to the minute";;
```

```
2013-02-23 16:49:25: Up to the minute
- : unit = ()
```

We use a match statement for handling the two possible states of an option.



Nesting lets with let and in

As a side note, this is our first use of let to define a new variable within the body of a function. A let bounded with an in can be used to introduce a new binding within any local scope, including a function body. The in marks the beginning of the scope within which the new variable can be used. Thus, we could write:

```
# let x = 7 in
 x + x
;;
-: int = 14
```

Note that the scope of the let binding is terminated by the double-semicolon.

We can also have multiple let statements in a row, each one adding a new variable binding to what came before.

```
# let x = 7 in
 let y = x * x in
;;
-: int = 56
```

This kind of nested let binding is a common way of building up a complex expression, with each let breaking off and naming an individual component, and then combining them in one final expression.

Options are important because they are the standard way in OCaml to encode a value that might not be there --- there's no such thing as a NullPointerException in OCaml. This is different from most other languages, including Java and C#, where most if not all datatypes are nullable, meaning that, whatever their type is, any given value also contains the possibility of being a null value. In such languages, null is lurking everywhere.

In OCaml, however, nulls are explicit. A value of type string * string always actually contains two well-defined values of type string. If you want to allow, say, the first of those to be absent, then you need to change the type to string option * string. As we'll see, this explicitness allows the compiler to provide a great deal of help in making sure you're correctly handing the possibility of missing data.

Records and Variants

So far, we've looked only at data structures that were predefined in the language, like lists and tuples. But OCaml also allows us to define new datatypes. Here's a toy example of a datatype representing a point in 2-dimensional space:

```
# type point2d = { x : float; y : float };;
type point2d = { x : float; y : float; }
```

point2d is a record type, which you can think of as a tuple where the individual fields are named, rather than being defined positionally. Record types are easy enough to construct:

```
# let p = \{ x = 3.; y = -4. \};;
val p : point2d = \{x = 3.; y = -4.\}
```

And we can get access to the contents of these types using pattern matching:

```
# let magnitude { x = x_pos; y = y_pos } =
    sqrt (x pos ** 2. +. y pos ** 2.);;
val magnitude : point2d -> float = <fun>
```

We can write the pattern match even more tersely, using what's called *field punning*. In particular, when the name of the field and the name of the variable coincide, we don't have to write them both down. Thus, the magnitude function can be rewritten as follows.

```
# let magnitude { x; y } = sqrt (x ** 2. +. y ** 2.);;
```

We can also use dot-notation for accessing record fields:

```
# let distance v1 v2 =
    magnitude { x = v1.x -. v2.x; y = v1.y -. v2.y };;
val distance : point2d -> point2d -> float = <fun>
```

And we can of course include our newly defined types as components in larger types, as in the following types, each of which is a description of a different geometric object.

```
# type circle desc = { center: point2d; radius: float }
  type rect desc = { lower left: point2d; width: float; height: float }
 type segment desc = { endpoint1: point2d; endpoint2: point2d } ;;
```

Now, imagine that you want to combine multiple objects of these types together as a description of a multi-object scene. You need some unified way of representing these objects together in a single type. One way of doing this is using a variant type:

```
# type scene element =
    | Circle of circle desc
   Rect
           of rect desc
```

```
| Segment of segment desc
```

The | character separates the different cases of the variant (the first | is optional), and each case has a tag, like Circle, Rect and Segment, to distinguish that case from the others. Here's how we might write a function for testing whether a point is in the interior of some element of a list of scene elements.

```
# let is inside scene element point scene element =
     match scene element with
     | Circle { center; radius } ->
       distance center point < radius
     | Rect { lower left; width; height } ->
       point.x > lower left.x && point.x < lower left.x +. width</pre>
       && point.y > lower_left.y && point.y < lower_left.y +. height
     | Segment { endpoint1; endpoint2 } -> false
val is inside scene element : point2d -> scene element -> bool = <fun>
# let is inside scene point scene =
     List.exists scene
       ~f:(fun el -> is inside scene element point el)
val is inside scene : point2d -> scene element list -> bool = <fun>
# is inside scene \{x=3.;y=7.\}
    [ Circle {center = {x=4.;y= 4.}; radius = 0.5 } ];;
- : bool = false
# is inside scene {x=3.;y=7.}
    [ Circle {center = {x=4.;y= 4.}; radius = 5.0 } ];;
- : bool = true
```

You might at this point notice that the use of match here is reminiscent of how we used match with option and list. This is no accident: option and list are really just examples of variant types that happen to be important enough to be defined in the standard library (and in the case of lists, to have some special syntax).

We also made our first use of an anonymous function in the call to List.exists. An anonymous function is a function that is defined but not named, in this case, using the fun keyword. Anonymous functions are common in OCaml, particularly when using iteration functions like List.exists.

The purpose of List.exists is to check if there are any elements of the given list in question on which the provided function evaluates to true. In this case, we're using List.exists to check if there is a scene element within which our point resides.

Imperative programming

So far, we've only written so-called *pure* or *functional* code, meaning that we didn't write any code that modified a variable or value after its creation. Indeed, almost all of the data structures we've encountered so far are *immutable*, meaning there's no way in the language to modify them at all. This is a quite different style from *imperative* programming, where computations are structured as sequences of instructions that operate by modifying state as they go.

Functional code is the default in OCaml, with variable bindings and most data structures being immutable. But OCaml also has excellent support for imperative programming, including mutable data structures like arrays and hashtables and control-flow constructs like for and while loops.

Arrays

Perhaps the simplest mutable data structure in OCaml is the array. Arrays in OCaml are very similar to arrays in other languages like C: indexing starts at 0, and accessing or modifying an array element is a constant-time operation. Arrays are more compact in terms of memory utilization than most other data structures in OCaml, including lists. Here's an example:

```
# let numbers = [| 1;2;3;4 |];;
val numbers : int array = [|1; 2; 3; 4|]
# numbers.(2) <- 4;;
- : unit = ()
# numbers;;
- : int array = [|1; 2; 4; 4|]
```

the .(i) syntax is used to refer to an element of an array, and the <- syntax is for modification. Because the elements of the array are counted starting at zero, element .(2) is the third element.

Mutable record fields

The array is an important mutable data structure, but it's not the only one. Records, which are immutable by default, can be declared with specific fields as being mutable. Here's a small example of a data structure for storing a running statistical summary of a collection of numbers. Here's the basic data structure:

```
# type running_sum =
  { mutable sum: float;
    mutable sum sq: float; (* sum of squares *)
    mutable samples: int;
  }
 ;;
```

The fields in running sum are designed to be easy to extend incrementally, and sufficient to compute means and standard deviations, as shown below.

```
# let mean rsum = rsum.sum /. float rsum.samples
 let stdev rsum =
    sqrt (rsum.sum sq /. float rsum.samples
           -. (rsum.sum /. float rsum.samples) ** 2.) ;;
```

```
val mean : running sum -> float = <fun>
val stdev : running_sum -> float = <fun>
```

We also need functions to create and update running sums:

```
# let create () = { sum = 0.; sum sq = 0.; samples = 0 }
 let update rsum x =
     rsum.samples <- rsum.samples + 1;</pre>
     rsum.sum <- rsum.sum +. x;
     rsum.sum_sq \leftarrow rsum.sum sq +. x *. x
val create : unit -> running_sum = <fun>
val update : running_sum -> float -> unit = <fun>
```

create returns a running sum corresponding to the empty set, and update rsum x changes rsum to reflect the addition of x to its set of samples, by updating the number of samples, the sum, and the sum of squares.

Note the use in the above code of single semi-colons to sequence operations. When we were working purely functionally, this wasn't necessary, but you start needing it when your code is acting by side-effect.

A new and somewhat odd type has cropped up in this example: unit. What makes unit different is that there is only one value of type unit, which is written (). Because there is only one value of type unit that value doesn't really convey any information.

If it doesn't convey any information, then what is unit good for? Most of the time, unit acts as a placeholder. Thus, we use unit for the return value of a function like update that operates by side effect rather than by returning a value, and for the argument to a function like create that doesn't require any information to be passed into it in order to run. This is similar to the role that void plays in languages like C and Java.

Here's an example of create and update in action.

```
# let rsum = create ();;
val rsum : running sum = {sum = 0.; sum sq = 0.; samples = 0}
# List.iter [1.;3.;2.;-7.;4.;5.] ~f:(fun x -> update rsum x);;
- : unit = ()
# mean rsum;;
-: float = 1.333333333333333326
# stdev rsum;;
-: float = 3.94405318873307698
```

Refs

We can declare a single mutable value by using a ref, which is a record type with a single mutable field that is defined in the standard library.

```
# let x = { contents = 0 };;
val x : int ref = {contents = 0}
# x.contents <- x.contents + 1;;</pre>
```

```
- : unit = ()
# x;;
- : int ref = {contents = 1}
```

There are a handful of useful functions and operators defined for refs to make them more convenient to work with.

```
# let x = ref 0 ;; (* create a ref, i.e., { contents = 0 } *)
val x : int ref = {contents = 0}
                  (* get the contents of a ref, i.e., x.contents *)
-: int = 0
# x := !x + 1;; (* assignment, i.e., x.contents <- ... *)
- : unit = ()
# !x ;;
-: int = 1
```

The definition of all this is quite straightforward. Here is the complete implementation of the ref type. The 'a before the ref indicates that the ref type is polymorphic, in the same way that lists are polymorphic, meaning it can contain values of any type.

```
type 'a ref = { mutable contents : 'a }
let ref x = { contents = x }
let (!) r = r.contents
let (:=) r x = r.contents \leftarrow x
```

Here, ! and := are infix operators that we're defining, where the parenthetical syntax marks them as such.

Even though a ref is just another record type, it's notable because it is the standard way of simulating the traditional mutable variable you'll find in most imperative languages. For example, we can sum over the elements of a list imperatively by calling List.iter to call a simple function on every element of a list, using a ref to accumulate the results.

```
# let sum list =
     let sum = ref 0 in
     List.iter list ^{\text{c}}(\text{fun } x \rightarrow \text{sum} := !\text{sum} + x);
```

This isn't the most idiomatic (or the fastest) way to sum up a list, but it shows how you can use a ref in place of a mutable variable.

For and while loops

Along with mutable data structures, OCaml gives you constructs like while and for loops for interacting with them. Here, for example, is some code that uses a for loop for permuting an array. We use the Random module as our source of randomness. Ran dom starts out with a deterministic seed, but you can call Random.self_init to choose a new seed at random.

```
# let permute ar =
    for i = 0 to Array.length ar - 2 do
       (* pick a j that is after i and before the end of the list *)
       let j = i + 1 + Random.int (Array.length ar - i - 1) in
       (* Swap i and j *)
       let tmp = ar.(i) in
       ar.(i) <- ar.(j);
       ar.(j) <- tmp
    done
val permute : 'a array -> unit = <fun>
```

From a syntactic perspective, you should note the keywords that distinguish a for loop: for, to, do and done.

Here's an example run of this code.

```
# let ar = Array.init 20 ~f:(fun i -> i);;
val ar : int array =
 [|0; 1; 2; 3; 4; 5; 6; 7; 8; 9; 10; 11; 12; 13; 14; 15; 16; 17; 18; 19|]
# permute ar;;
- : unit = ()
# ar;;
- : int array =
[|14; 13; 1; 3; 2; 19; 17; 18; 9; 16; 15; 7; 12; 11; 4; 10; 0; 5; 6; 8|]
```

OCaml also supports while loops, as shown in the following function for finding the first non-negative position in an array. Note that while (like for) is also a keyword.

```
# let find first negative entry ar =
    let pos = ref 0 in
    while !pos < Array.length ar && ar.(!pos) >= 0 do
      pos := !pos + 1
     done;
    if !pos = Array.length ar then None else Some !pos
           val find first negative entry : int Core.Std.Array.t -> int option = <fun>
# find first negative entry [|1;2;0;3|];;
- : int option = None
# find_first_negative_entry [|1;-2;0;3|];;
-: int option = Some 1
```

A complete program

So far, we've played with the basic features of the language using the toplevel. Now we'll create a simple, complete stand-along program that does something useful: sum up a list of numbers read in from the standard input.

Here's the code, which you can save in a file called sum.ml.

```
(* file: sum.ml *)
```

```
open Core.Std
let rec read and accumulate accum =
 let line = In channel.input line In channel.stdin in
 match line with
   None -> accum
  | Some x -> read and accumulate (accum +. Float.of string x)
let () =
 printf "Total: %F\n" (read and accumulate 0.)
```

This is our first use of OCaml's input and output routines. The function read and accu mulate is a recursive function that uses In_channel.input_line to read in lines one by one from the standard input, invoking itself at each iteration with its updated accumulated sum. Note that input line returns an optional value, with None indicating the end of the input.

After read_and_accumulate returns, the total needs to be printed. This is done using the printf command, which provides support for type-safe format strings, similar to what you'll find in a variety of languages. The format string is parsed by the compiler and used to determine the number and type of the remaining arguments that are required. In this case, there is a single formatting directive, %F, so printf expects one additional argument of type float.

Compiling and running

We can use ocambuild to compile the program. We'll need to create a file, in the same directory as sum.ml, called tags. We can put the following in tags to indicate that we're building against Core, and that threads should be enabled, which is required by Core.

```
true:package(core),thread
```

With our tags file in place, we can build our executable by issuing this command.

```
ocamlbuild -use-ocamlfind sum.native
```

The .native suffix indicates that we're building a native-code executable, which we'll discuss more in Chapter 4. Once the build completes, we can use the resulting program like any command-line utility. In this example, we can just type in a sequence of numbers, one per line, hitting control-d to exit when the input is complete.

```
max $ ./sum.native
2
3
94.5
Total: 100.5
```

More work is needed to make a really usable command-line program, including a proper command-line parsing interface and better error handling, all of which is covered in Chapter 13.

Where to go from here

That's it for our guided tour! There are plenty of features left to touch upon and lots of details to explain, but the hope is that this has given you enough of a feel for the language that you have a sense as to what to expect, and will be comfortable reading examples in the rest of the book.

Variables and Functions

Variables and functions are fundamental ideas that show up in virtually all programming languages. But OCaml has a different take on these basic concepts, and so we'll spend some time digging into the details so you can see how OCaml's variables and functions differ from what you may have encountered in other languages.

Variables

At its simplest, a variable is an identifier whose meaning is bound to a particular value. In OCaml these bindings are often introduced using the let keyword. We can type a so-called *top-level* let binding into utop with the following syntax to bind a new variable.

```
let <identifier> = <expr>
```

As we'll see when we get to the module system in Chapter 4, this same syntax is used for let bindings at the top-level of a module.

Every variable binding has a *scope*, which is the portion of the code that can refer to that binding. The scope of a top-level let binding is everything that follows it in the session, when using **utop**, or, when using modules, for the remainder of the module.

Here's a simple example.

```
# let x = 3;;
val x : int = 3
# let y = 4;;
val y : int = 4
# let z = x + y;;
val z : int = 7
```

let can also be used to create a variable binding whose scope is limited to a particular expression, using the following syntax.

```
let <identifier> = <expr1> in <expr2>
```

This first evaluates expr1 and then evaluates expr2 with identifier bound to whatever value was produced by the evaluation of *expr1*. Here's how it looks in practice.

```
# let languages = "OCaml,Perl,C++,C";;
val languages : string = "OCaml,Perl,C++,C"
# let dashed languages =
    let language_list = String.split languages ~on:',' in
    String.concat ~sep:"-" language_list
;;
val dashed_languages : string = "OCaml-Perl-C++-C"
```

Note that the scope of language list is just the expression String.concat ~sep:"-" language list, and is not available at the toplevel, as we can see if we try to access it now.

```
# language_list;;
Characters 0-13:
 language list;;
 ^^^^^
Error: Unbound value language list
```

A let binding in an inner scope can *shadow*, or hide, the definition from an outer scope. So, for example, we could have written the dashed languages example as follows:

```
# let languages = "OCaml, Perl, C++, C";;
val languages : string = "OCaml,Perl,C++,C"
# let dashed languages =
     let languages = String.split languages ~on:',' in
     String.concat ~sep:"-" languages
;;
val dashed languages : string = "OCaml-Perl-C++-C"
```

This time, in the inner scope we called the list of strings languages instead of lan guage list, thus hiding the original definition of languages. But once the definition of dashed_languages is complete, the inner scope has closed and the original definition of languages reappears.

```
# languages;;
- : string = "OCaml, Perl, C++, C"
```

One common idiom is to use a series of nested let/in expressions to build up the components of a larger computation. Thus, we might write:

```
# let area of ring inner radius outer radius =
    let pi = acos(-1.) in
    let area of circle r = pi *. r *. r in
    area_of_circle outer_radius -. area_of_circle inner_radius
 ;;
```

```
# area of ring 1. 3.;;
-: float = 25.1327412287183449
```

It's important not to confuse this sequence of let bindings with the modification of a mutable variable. How would area_of_ring be different, for example, if we had instead written this purposefully confusing bit of code:

```
# let area of ring inner radius outer radius =
    let pi = acos(-1.) in
    let area of circle r = pi *. r *. r in
    let pi = 0. in
     area of circle outer radius -. area of circle inner radius
```

Here, we redefined pi to be zero after the definition of area of circle. You might think that this would mean that the result of the computation would now be zero, but you'd be wrong. In fact, the behavior of the function is unchanged. That's because the original definition of pi wasn't changed, it was just shadowed, so that any subsequent reference to pi would see the new definition of pi as zero. But there is no later use of pi, so the binding doesn't make a difference. Indeed, if you type the example above into the toplevel, OCaml will warn you that the definition is unused.

```
Characters 126-128:
    let pi = 0. in
Warning 26: unused variable pi.
```

In OCaml, let bindings are immutable. As we'll see in "Imperative programming" on page 18, there are mutable values in OCaml, but no mutable variables.



Why don't variables vary?

One source of confusion for people new to functional languages is the fact that variables are typically immutable. This seems pretty surprising even on linguistic terms. Isn't the whole point of a variable that it can vary?

The answer to this is that variables in a functional language are really more like variables in an equation. If you think about the mathematical equation x (y + z) = x y + x z, there's no notion of mutating the variables x, y and z. They vary in the sense that you can instantiate this equation with different numbers for those variables, and it still holds.

The same is true in a functional language. A function can be applied to different inputs, and thus its variables will take on different values, even though there's absolutely no mutation.

Pattern matching and let

Another useful feature of let bindings is that they support the use of patterns on the left-hand side of the bind. Consider the following code, which uses List.unzip, a function for converting a list of pairs into a pair of lists.

```
# let (ints,strings) = List.unzip [(1,"one"); (2,"two"); (3,"three")];;
val ints : int list = [1; 2; 3]
val strings : string list = ["one"; "two"; "three"]
```

This actually binds two variables, one for each element of the pair. Using a pattern in a let-binding makes the most sense for a pattern that is *irrefutable*, *i.e.*, where any value of the type in question is guaranteed to match the pattern. Tuple and record patterns are irrefutable, but list patterns are not. Consider the following code that implements a function for up-casing the first element of a comma-separated list.

```
# let upcase first entry line =
    let (key :: values) = String.split ~on:',' line in
    String.concat ~sep:"," (String.uppercase key :: values)
     Characters 40-53:
      let (key :: values) = String.split ~on:',' line in
            ^^^^^
Warning 8: this pattern-matching is not exhaustive.
Here is an example of a value that is not matched:
val upcase first entry : string -> string = <fun>
```

This case can't really come up in practice, because String.split always returns a list with at least one element. But the compiler doesn't know this, and so it emits the warning. It's generally better to use a match statement to handle such cases explicitly:

```
# let upcase first entry line =
    match String.split ~on:',' line with
     | [] -> assert false (* String.split returns at least one element *)
     | first :: rest -> String.concat ~sep:"," (String.uppercase first :: rest)
val upcase first entry : string -> string = <fun>
```

let/and bindings

Another variant on the let binding is the use of and to join multiple variable definitions into a single declaration. For example, we can write:

```
# let x = 100 and y = 3.5;;
val x : int = 100
val y : float = 3.5
```

This can be useful when you want to create a number of new let bindings at once, without having each definition affect the next. So, if we wanted to create new bindings that swapped the values of x and y, we could write:

```
# let x = y and y = x;
val x : float = 3.5
val v : int = 100
```

Note that this is just shadowing the definitions of x and y, not mutating anything.

Without this trick, we would need to do something like the following:

```
\# let tmp = x
 let x = y
 let y = tmp;;
val tmp : int = 100
val x : float = 3.5
val y : int = 100
```

This use-case doesn't come up that often, however. Most of the time that and comes into play, it's used to define multiple mutually recursive values, which we'll learn about later in the chapter.

Note that when doing a let/and style declaration, the order of execution of the righthand side of the binds is undefined by the language definition, so one should not write code that relies on it. If you want to make sure about the order of evaluation, you should use a sequence of let/in bindings.

Functions

OCaml being a functional language, it's no surprise that functions are an important and pervasive element of programming in OCaml. Indeed, we've seen functions pop up already in many of the examples we've looked at thus far. But while we've introduced the basics of functions, we're now going to cover them in more depth, starting from the foundations.

Anonymous Functions

We'll start by looking at the most basic style of function declaration in OCaml: the anonymous function. An anonymous function is a function value that is declared without being named. They can be declared using the fun keyword, as shown here.

```
\# (fun x -> x + 1);;
- : int -> int = <fun>
```

Anonymous functions aren't named, but they can be used for many different purposes nonetheless. You can, for example, apply an anonymous function to an argument.

```
# (fun x -> x + 1) 7;;
- : int = 8
```

Or pass it to another function. Passing functions to iteration functions like List.map is probably the most common use-case for anonymous functions.

```
# List.map ^{c}(fun x \rightarrow x + 1) [1;2;3];;
-: int list = [2; 3; 4]
```

Or even stuff them into a data structure.

```
# let increments = [ (fun x \rightarrow x + 1); (fun x \rightarrow x + 2) ] ;;
val increments : (int -> int) list = [<fun>; <fun>]
# List.map ~f:(fun f -> f 5) increments;;
-: int list = [6; 7]
```

It's worth stopping for a moment to puzzle this example out, since this kind of higherorder use of functions can be a bit obscure at first. The first thing to understand is the function (fun f -> f 5), which takes a function as its argument and applies that function to the number 5. The invocation of List.map applies (fun $f \rightarrow f$ 5) to the elements of the increments list (which are themselves functions) and returns the list containing the results of these function applications.

The key thing to understand is that functions are ordinary values in OCaml, and you can do everything with them that you'd do with an ordinary value, including passing them to and returning them from other functions and storing them in data structures. We even name functions in the same way that we name other values, by using a let binding.

```
# let plusone = (fun x \rightarrow x + 1);;
val plusone : int -> int = <fun>
# plusone 3;;
-: int = 4
```

Defining named functions is so common that there is a built in syntax for it. Thus, the following definition of plusone is equivalent to the definition above.

```
# let plusone x = x + 1;
val plusone : int -> int = <fun>
```

This is the most common and convenient way to declare a function, but syntactic niceties aside, the two styles of function definition are entirely equivalent.



let and fun

Functions and let bindings have a lot to do with each other. In some sense, you can think of the argument of a function as a variable being bound to the value passed by the caller. Indeed, the following two expressions are nearly equivalent:

```
# (fun x -> x + 1) 7;;
 : int = 8
# let x = 7 in x + 1;;
-: int = 8
```

This connection is important, and will come up more when programming in a monadic style, as we'll see in Chapter 16.

Multi-argument functions

OCaml of course also supports multi-argument functions, for example:

```
# let abs diff x y = abs (x - y);;
val abs diff : int -> int -> int = <fun>
# abs diff 3 4;;
-: int = 1
```

You may find the type signature of abs diff with all of its arrows a little hard to parse. To understand what's going on, let's rewrite abs diff in an equivalent form, using the fun keyword:

```
# let abs diff =
      (\operatorname{fun} x -> (\operatorname{fun} y -> \operatorname{abs} (x - y)));;
val abs diff : int -> int -> int = <fun>
```

This rewrite makes it explicit that abs diff is actually a function of one argument that returns another function of one argument, which itself returns the final computation. Because the functions are nested, the inner expression abs(x - y) has access to both x, which was captured by the first function application, and y, which was captured by the second one.

This style of function is called a curried function. (Currying is named after Haskell Curry, a famous logician who had a significant impact on the design and theory of programming languages.) The key to interpreting the type signature of a curried function is the observation that -> is right-associative. The type signature of abs_diff can therefore be parenthesized as follows. This doesn't change the meaning of the signature, but it makes it easier to see how the currying fits in.

```
val abs diff : int -> (int -> int)
```

Currying is more than just a theoretical curiosity. You can make use of currying to specialize a function by feeding in some of the arguments. Here's an example where we create a specialized version of abs_diff that measures the distance of a given number from 3.

```
# let dist from 3 = abs diff 3;;
val dist from 3 : int -> int = <fun>
# dist from 3 8;;
-: int = 5
# dist from 3 (-1);;
-: int = 4
```

The practice of applying some of the arguments of a curried function to get a new function is called partial application.

Note that the fun keyword supports its own syntax for currying, so we the following definition of abs diff is equivalent to the definition above.

```
# let abs diff = (fun x y \rightarrow abs (x - y));;
```

You might worry that curried functions are terribly expensive, but this is not the case. In OCaml, there is no penalty for calling a curried function with all of its arguments. (Partial application, unsurprisingly, does have a small extra cost.)

Currying is not the only way of writing a multi-argument function in OCaml. It's also possible to use the different arms of a tuple as different arguments. So, we could write:

```
# let abs_diff (x,y) = abs (x - y)
val abs diff : int * int -> int = <fun>
# abs diff (3,4);;
-: int = 1
```

OCaml handles this calling convention efficiently as well. In particular it does not generally have to allocate a tuple just for the purpose of sending arguments to a tuple-style function. (You can't, however, use partial application for this style of function.)

There are small tradeoffs between these two approaches, but most of the time, one should stick to currying, since it's the default style in the OCaml world.

Recursive functions

A function is *recursive* if it refers to itself in its definition. Recursion is important in any programming language, but is particularly important in functional languages, because it is the fundamental building block that is used for building looping constructs. (As we'll see in "Imperative programming" on page 18, OCaml also supports imperative looping constructs like for and while, but these are only useful when using OCaml's imperative features.)

In order to define a recursive function, you need to mark the let binding as recursive with the rec keyword, as shown in this example:

```
# let rec find_first_stutter list =
    match list with
    | [] | [_] ->
      (* only zero or one elements, so no repeats *)
    | x :: y :: tl ->
     if x = y then Some x else find_first stutter (y::tl)
val find first stutter : 'a list -> 'a option = <fun>
```

Note that in the above, the pattern | [] | [] is actually the combination of two patterns; [], matching the empty list, and [], matching any single element list. The is there so we don't have to put an explicit name on that single element.

We can also define multiple mutually recursive values by using let rec and and together, as in this (gratuitously inefficient) example.

```
# let rec is even x =
    if x = 0 then true else is odd (x - 1)
  and is odd x =
    if x = 0 then false else is even (x - 1)
val is even : int -> bool = <fun>
val is odd : int -> bool = <fun>
# List.map ~f:is even [0;1;2;3;4;5];;
- : bool list = [true; false; true; false; true; false]
# List.map ~f:is odd [0;1;2;3;4;5];;
- : bool list = [false; true; false; true; false; true]
```

OCaml distinguishes between non-recursive definitions (using let) and recursive definitions (using let rec) largely for technical reasons: the type-inference algorithm needs to know when a set of function definitions are mutually recursive, and for some technical reasons that don't apply to a pure language like Haskell, these have to be marked explicitly by the programmer.

But this decision has some good effects. For one thing, recursive (and especially mutually recursive) definitions are harder to reason about than non-recursive definitions that proceed in order, each building on top of what has already been defined. It's therefore useful that, in the absence of an explicit marker, new definitions can only build upon ones that were previously defined.

In addition, having a non-recursive form makes it easier to create a new definition that extends and supersedes an existing one by shadowing it.

Prefix and Infix operators

So far, we've seen examples of functions used in both prefix and infix style:

```
# Int.max 3 4;; (* prefix *)
-: int = 4
```

```
(* infix *)
# 3 + 4;;
-: int = 7
```

You might not have thought of the second example as an ordinary function, but it very much is. Infix operators like + really only differ syntactically from other functions. In fact, if we put parenthesis around an infix operator, you can use it as an ordinary prefix function.

```
# (+) 3 4;;
-: int = 7
# List.map ~f:((+) 3) [4;5;6];;
-: int list = [7; 8; 9]
```

In the second expression above, we've partially applied (+) to gain a function that increments its single argument by 3, and then applied that to all the elements of a list.

A function is treated syntactically as an operator if the name of that function is chosen from one of a specialized set of identifiers. This set includes any identifier that is a sequence of characters from the following set

```
! $ % & * + - . / : < = > ? @ ^ | ~
```

or is one of a handful of pre-determined strings, including mod, the modulus operator, and 1s1, for "logical shift left", a bit-shifting operation.

We can define (or redefine) the meaning of an operator as follows. Here's an example of a simple vector-addition operator on int pairs.

```
\# let (+!) (x1,y1) (x2,y2) = (x1 + x2, y1 + y2)
val ( +! ) : int * int -> int * int -> int *int = <fun>
# (3,2) +! (-2,4);;
-: int * int = (1,6)
```

The syntactic role of an operator is typically determined by first character or two, though there are a few exceptions. This table breaks the different operators and other syntactic forms into groups from highest to lowest precedence, explaining how each behaves syntactically. We write !... to indicate the class of operators beginning with !.

Prefix	Usage
!, ?, ~	Unary prefix
.,.(,.[
functionapplication, constructor, assert, lazy	Left associative
7,7.	Unary prefix
**, lsl, lsr, asr	Right associative
*, /, %, mod, land, lor, lxor	Left associative
+, -	Left associative
::	Right associative

Prefix	Usage
@, ^	Right associative
=, <, >, , &, \$	Left associative
8, 88	Right associative
or,	Right associative
,	
<- <u>,</u> :=	Right associative
if	
;	Right associative

There's one important special case: - and -., which are the integer and floating point subtraction operators, can act as both prefix operators (for negation) and infix operators (for subtraction), So, both -x and x - y are meaningful expressions.

Here's an example of a very useful operator that's defined in Core, following these rules. Here's the definition:

```
# let (|>) x f = f x ;;
val (|>) : 'a -> ('a -> 'b) -> 'b = <fun>
```

It's not quite obvious at first what the purpose of this operator is: it just takes some value and a function, and applies the function to the value. But its utility is clearer when you see it in action. It works as a kind of sequencing operator, similar in spirit to using pipe in the UNIX shell. Consider, for example, the following code for printing out the unique elements of your PATH. Note that List.dedup below removes duplicates from a list by sorting the list using the provided comparison function.

```
# Sys.getenv exn "PATH"
  |> String.split ~on:':'
  |> List.dedup ~compare:String.compare
  > List.iter ~f:print endline
 ;;
/bin
/opt/local/bin
/usr/bin
/usr/local/bin
- : unit = ()
```

Note that we can do this without |>, but the result is a bit more verbose.

```
# let path = Sys.getenv_exn "PATH" in
 let split_path = String.split ~on:':' path in
 let deduped path = List.dedup ~compare:String.compare split path in
 List.iter ~f:print endline deduped path
/bin
```

```
/opt/local/bin
/usr/bin
/usr/local/bin
- : unit = ()
```

An important part of what's happening here is partial application. Normally, List.iter takes two arguments: a function to be called on each element of the list, and the list to iterate over. We can call List.iter with all its arguments:

```
# List.iter ~f:print endline ["Two"; "lines"];;
Two
lines
- : unit = ()
```

Or, we can pass it just the function argument, leaving us with a function for printing out a list of strings.

```
# List.iter ~f:print_endline;;
- : string list -> unit = <fun>
```

It is this later form that we're using in the |> pipeline above.

Note that |> only works in the intended way because it is left-associative. Indeed, let's see what happens if we try using a right associative operator, like (^!).

```
# let (^!) = (|>);;
val ( ^! ) : 'a -> ('a -> 'b) -> 'b = <fun>
# Sys.getenv exn "PATH"
 ^! String.split ~on:':'
 ^! List.dedup ~compare:String.compare
 ^! List.iter ~f:print_endline
 ;;
       Characters 93-119:
   ^! List.iter ~f:print endline
      ^^^^^^
Error: This expression has type string list -> unit
      but an expression was expected of type
        (string list -> string list) -> 'a
```

The above type error is a little bewildering at first glance. What's going on is that, because '! is right associative, the operator is trying to feed the value List.dedup 'com pare:String.compare to the function List.iter ~f:print endline. But List.iter ~f:print_endline expects a list of strings as its input, not a function.

The type error aside, this example highlights the importance of choosing the operator you use with care, particularly with respect to associativity.

Declaring functions with function

Another way to define a function is using the function keyword. Instead of having syntactic support for declaring multi-argument (curried) functions, function has builtin pattern matching. Here's an example:

```
# let some or zero = function
     Some x -> x
     | None -> 0
val some or zero : int option -> int = <fun>
# List.map ~f:some or zero [Some 3; None; Some 4];;
- : int list = [3; 0; 4]
```

This is equivalent to combining a fun with match, as follows:

```
# let some or zero num opt =
   match num opt with
    Some x -> x
    | None -> 0
val some or zero : int option -> int = <fun>
```

We can also combine the different styles of function declaration together, as in the following example where we declare a two argument (curried) function with a patternmatch on the second argument.

```
# let some or default default = function
       Some x \rightarrow x
     | None -> default
# some_or_default 3 (Some 5);;
-: int = 5
# List.map ~f:(some or default 100) [Some 3; None; Some 4];;
- : int list = [3; 100; 4]
```

Also, note the use of partial application to generate the function passed to List.map. In other words, some or default 100 is a function that was created by feeding just the first argument to some_or_default.

Labeled Arguments

Up until now, we've written functions where the arguments are specified positionally, i.e., by the order in which the arguments are passed to the function. OCaml also supports labeled arguments, which let you identify a function argument by name. Labels are marked by a leading tilde, and a label (followed by a colon) are put in front of the variable to be labeled.

```
# let ratio ~num ~denom = float num /. float denom;;
val ratio : num:int -> denom:int -> float = <fun>
```

We can then provide a labeled argument using a similar convention. As you can see, the arguments can be provided in any order.

```
# ratio ~num:3 ~denom:10;;
-: float = 0.3
# ratio ~denom:10 ~num:3;;
- : float = 0.3
```

OCaml also supports *label punning*, meaning that you get to drop the text after the : if the name of the label and the name of the variable being used are the same. We've seen above how label punning works when defining a function. The following shows how it can be used when invoking a function.

```
# let num = 3;;
# let denom = 4;;
# ratio ~num ~denom;;
-: float = 0.75
```

Labeled arguments are useful in a few different cases:

- When defining a function with lots of arguments. Beyond a certain number, arguments are easier to remember by name than by position.
- When defining functions that have multiple arguments that might get confused with each other. This is most at issue when the arguments are of the same type. For example, consider this signature for a function for extracting a substring of another string.

```
val substring: string -> int -> int -> string
```

where the two ints are the starting position and length of the substring to extract. Labeled arguments can make this signature clearer:

```
val substring: string -> pos:int -> len:int -> string
```

This improves the readability of both the signature and of client code that makes use of substring, and makes it harder to accidentally swap the position and the length.

 When the meaning of a particular argument is unclear from the type alone. For example, consider a function for creating a hashtable where the first argument is the initial size of the table, and the second argument is a flag which, when true, indicates that the hashtable will reduce its size when the hashtable contains few elements. The following signature doesn't give you much of a hint as to the meaning of the arguments.

```
val create_hashtable : int -> bool -> ('a,'b) Hashtable.t
```

but with labeled arguments, we can make the intent much clearer.

```
val create hashtable : init size:int -> allow shrinking:bool -> ('a,'b) Hashtable.t
```

 When you want flexibility on the order in which arguments are passed. Consider a function like List.iter, that takes two arguments: a function, and a list of elements to call that function on. A common pattern is to partially apply List.iter by giving it just the function, as in the following example from earlier in the chapter. This requires putting the function argument first.

```
# Sys.getenv exn "PATH"
  |> String.split ~on:':'
  > List.dedup ~compare:String.compare
  > List.iter ~f:print endline
  ;;
```

In other cases, you want to put the function argument second. One common reason is readability. In particular, a function that spans multiple lines is easiest to read when it's the last argument provided.

Higher-order functions and labels

One surprising gotcha with labeled arguments is that while order doesn't matter when calling a function with labeled arguments, it does matter in a higher-order context, e.g., when passing a function with labeled arguments to another function. Here's an example.

```
# let apply to tuple f (first, second) = f ~first ~second;;
val apply to tuple : (first:'a -> second:'b -> 'c) -> 'a * 'b -> 'c = <fun>
```

Here, the definition of apply to tuple sets up the expectation that its first argument is a function with two labeled arguments, first and second, listed in that order. We could have defined apply to tuple differently to change the order in which the labeled arguments were listed.

```
# let apply to tuple 2 f (first, second) = f ~second ~first;;
val apply_to_tuple_2 : (second:'a -> first:'b -> 'c) -> 'b * 'a -> 'c = <fun>
```

It turns out this order of listing matters. In particular, if we define a function that has a different order

```
# let divide ~first ~second = first / second;;
val divide : first:int -> second:int -> int = <fun>
```

we'll find that it can't be passed in to apply_to_tuple_2.

```
# apply_to_tuple_2 divide (3,4);;
Characters 15-21:
 apply to tuple 2 divide (3,4);;
Error: This expression has type first:int -> second:int -> int
       but an expression was expected of type second: 'a -> first: 'b -> 'c
```

But, it works smoothly with the original apply to tuple.

```
# let apply to tuple f (first, second) = f ~first ~second;;
val apply_to_tuple : (first:'a -> second:'b -> 'c) -> 'a * 'b -> 'c = <fun>
# apply_to_tuple divide (3,4);;
-: int = 0
```

So, even though the order of labeled arguments usually doesn't matter, it will sometimes bite you in higher-ordered contexts, where you're passing functions as arguments to other functions as we were in the above examples.

Optional arguments

An optional argument is like a labeled argument that the caller can choose whether or not to provide. Optional arguments are passed in using the same syntax as labeled arguments, and, similarly to labeled arguments, optional arguments can be provided in any order.

Here's an example of a string concatenation function with an optional separator. This function uses the * operator for simple pairwise string concatenation.

```
# let concat ?sep x y =
    let sep = match sep with None -> "" | Some x -> x in
    x ^ sep ^ y
val concat : ?sep:string -> string -> string = <fun>
# concat "foo" "bar";;
                                 (* without the optional argument *)
- : string = "foobar"
# concat ~sep:":" "foo" "bar";; (* with the optional argument
                                                                  *)
- : string = "foo:bar"
```

Here, ? is used in the definition of the function to mark sep as optional. And while the caller can pass a value of type string for sep, internally to the function, sep is seen as a string option, with None appearing when sep is not provided by the caller.

In the above example, we had a bit of code to substitute in the empty string when no argument was provided. This is a common enough pattern that there's an explicit syntax for providing a default value, which allows us to write concat even more concisely.

```
# let concat ?(sep="") x y = x ^ sep ^ y ;;
val concat : ?sep:string -> string -> string = <fun>
```

Optional arguments are very useful, but they're also easy to abuse. The key advantage of optional arguments is that they let you write functions with multiple arguments that users can ignore most of the time, only worrying about them when they specifically want to invoke those options.

The downside is that the caller may be unaware that there is a choice to be made, and so may unknowingly (and wrongly) pick that default behavior. Optional arguments really only make sense when the extra concision of omitting the argument overwhelms the corresponding loss of explicitness.

This means that rarely used functions should not have optional arguments. A good rule of thumb is not to use optional arguments for functions internal to a module, i.e., functions that are not included in the module's interface, or mli file. We'll learn more about mlis in Chapter 4.

Explicit passing of an optional argument

Under the covers, a function with an optional argument receives None when the caller doesn't provide the argument, and Some when it does. But the Some and None are normally not explicitly passed in by the caller.

But sometimes, passing in Some or None explicitly is exactly what you want. OCaml lets you do this by using? instead of ~ to mark the argument. Thus, the following two lines are equivalent ways of specifying the sep argument to concat.

```
# concat ~sep:":" "foo" "bar";; (* provide the optional argument *)
-: string = "foo:bar"
# concat ?sep:(Some ":") "foo" "bar";; (* pass an explicit [Some] *)
- : string = "foo:bar"
```

And the following two lines are equivalent ways of calling concat without specifying sep.

```
# concat "foo" "bar";; (* don't provide the optional argument *)
- : string = "foobar"
# concat ?sep:None "foo" "bar";; (* explicitly pass `None` *)
-: string = "foobar"
```

One use-case for this is when you want to define a wrapper function that mimics the optional arguments of the function it's wrapping. For example, imagine we wanted to create a function called uppercase concat, which is the same as concat except that it converts the first string that it's passed to uppercase. We could write the function as follows.

```
# let uppercase concat ?(sep="") a b = concat ~sep (String.uppercase a) b ;;
val uppercase concat : ?sep:string -> string -> string = <fun>
# uppercase concat "foo" "bar";;
-: string = "FOObar"
# uppercase concat "foo" "bar" ~sep:":";;
- : string = "F00:bar"
```

In the way we've written it, we've been forced to separately make the decision as to what the default separator is. Thus, if we later change concat's default behavior, we'll need to remember to change uppercase_concat to match it.

Instead, we can have uppercase_concat simply pass through the optional argument to concat using the? syntax.

```
# let uppercase concat ?sep a b = concat ?sep (String.uppercase a) b ;;
val uppercase concat : ?sep:string -> string -> string = <fun>
```

Now, if someone calls uppercase concat without an argument, an explicit None will be passed to concat, leaving concat to decide what the default behavior should be.

Inference of labeled and optional arguments

One subtle aspect of labeled and optional arguments is how they are inferred by the type system. Consider the following example for computing numerical derivatives of a function of two dimensions. The function takes an argument delta which determines the scale at which to compute the derivative, values x and y which determine which point to compute the derivative at, and the function f whose derivative is being computed. The function f itself takes two labeled arguments x and y. Note that you can use an apostrophe as part of a variable name, so x' and y' are just ordinary variables.

```
# let numeric deriv ~delta ~x ~y ~f =
    let x' = \overline{x} + . delta in
    let y' = y + . delta in
    let base = f ~x ~y in
    let dx = (f ~x:x' ~y -. base) /. delta in
let dy = (f ~x ~y:y' -. base) /. delta in
     (dx, dy)
val numeric deriv :
  delta:float ->
  x:float -> y:float -> f:(x:float -> y:float -> float) -> float * float =
```

In principle, it's not obvious how the order of the arguments to f should be chosen. Since labeled arguments can be passed in arbitrary order, it seems like it could as well be y:float -> x:float -> float as it is x:float -> y:float -> float.

Even worse, it would be perfectly consistent for f to take an optional argument instead of a labeled one, which could lead to this type signature for numeric deriv:

```
val numeric deriv :
 delta:float ->
 x:float -> y:float -> f:(?x:float -> y:float -> float) -> float * float =
  <fun>
```

Since there are multiple plausible types to choose from, OCaml needs some heuristic for choosing between them. The heuristic the compiler uses is to prefer labels to options, and to choose the order of arguments that shows up in the source code.

Note that these heuristics might at different points in the source suggest different types. Here's a version of numeric_deriv where different invocations of f list the arguments in different orders.

```
# let numeric deriv ~delta ~x ~y ~f =
    let x' = x + . delta in
    let y' = y + . delta in
    let base = f ~x ~y in
    let dx = (f \sim y \sim x : x' -. base) /. delta in
    let dy = (f \sim x \sim y: y' -. base) /. delta in
    (dx,dy)
Characters 131-132:
      let dx = (f \sim y \sim x:x' -. base) /. delta in
Error: This function is applied to arguments
in an order different from other calls.
This is only allowed when the real type is known.
```

As suggested by the error message, we can get OCaml to accept the fact that f is used with different argument orders if we provide explicit type information. Thus, the following code compiles without error, due to the type annotation on f.

```
# let numeric deriv ~delta ~x ~y ~(f: x:float -> y:float -> float) =
    let x' = x + . delta in
    let y' = y + . delta in
    let base = f ~x ~y in
    let dx = (f \sim y \sim x:x' -. base) /. delta in
    let dy = (f \sim x \sim y: y' -. base) /. delta in
    (dx, dy)
val numeric deriv :
  delta:float ->
  x:float -> y:float -> f:(x:float -> y:float -> float) -> float * float =
  <fun>
```

Optional arguments and partial application

Optional arguments can be tricky to think about in the presence of partial application. We can of course partially apply the optional argument itself:

```
# let colon concat = concat ~sep:":";;
val colon_concat : string -> string -> string = <fun>
# colon_concat "a" "b";;
- : string = "a:b"
```

But what happens if we partially apply just the first argument?

```
# let prepend_pound = concat "# ";;
val prepend pound : string -> string = <fun>
# prepend pound "a BASH comment";;
- : string = "# a BASH comment"
```

The optional argument ?sep has now disappeared, or been *erased*. Indeed, if we try to pass in that optional argument now, it will be rejected.

```
# prepend pound "a BASH comment" ~sep:":";;
Characters 0-13:
 prepend_pound "a BASH comment" ~sep:":";;
  Error: This function has type string -> string
      It is applied to too many arguments; maybe you forgot a `;'.
```

So when does OCaml decide to erase an optional argument?

The rule is: an optional argument is erased as soon as the first positional (i.e., neither labeled nor optional) argument defined after the optional argument is passed in. That explains the behavior of prepend pound above. But if we had instead defined concat with the optional argument in the second position:

```
# let concat x ?(sep="") y = x ^ sep ^ y ;;
val concat : string -> ?sep:string -> string -> string = <fun>
```

then application of the first argument would not cause the optional argument to be erased.

```
# let prepend_pound = concat "# ";;
val prepend pound : ?sep:string -> string -> string = <fun>
# prepend_pound "a BASH comment";;
-: string = "# a BASH comment"
# prepend_pound "a BASH comment" ~sep:"--- ";;
-: string = "# --- a BASH comment"
```

However, if all arguments to a function are presented at once, then erasure of optional arguments isn't applied until all of the arguments are passed in. This preserves our ability to pass in optional arguments anywhere on the argument list. Thus, we can write:

```
# concat "a" "b" ~sep:"=";;
- : string = "a=b"
```

An optional argument that doesn't have any following positional arguments can't be erased at all, which leads to a compiler warning.

```
# let concat x y ?(sep="") = x ^ sep ^ y ;;
Characters 15-38:
 let concat x y ?(sep="") = x ^ sep ^ y ;;
              ^^^^
```

```
Warning 16: this optional argument cannot be erased.
val concat : string -> string -> ?sep:string -> string = <fun>
```

And indeed, when we provide the two positional arguments, the sep argument is not erased, instead returning a function that expects the sep argument to be provided.

```
# concat "a" "b";;
- : ?sep:string -> string = <fun>
```

Lists and Patterns

This chapter will focus on two common elements of programming in OCaml: lists and pattern matching. Both of these were discussed in Chapter 1, but we'll go into more depth here, presenting the two topics together and using one to help illustrate the other.

List Basics

An OCaml list is an immutable, finite sequence of elements of the same type. As we've seen, OCaml lists can be generated using a bracket-and-semicolon notation:

```
# [1;2;3];;
- : int list = [1; 2; 3]
```

And they can also be generated using the equivalent :: notation.

```
# 1 :: (2 :: (3 :: [])) ;;

- : int list = [1; 2; 3]

# 1 :: 2 :: 3 :: [] ;;

- : int list = [1; 2; 3]
```

As you can see, the :: operator is right-associative, which means that we can built up lists without parenthesis. The empty list [] is used to terminate a list.

The :: operator conveys something important about the nature of lists, which is that they are implemented as singly-linked lists. The following is a rough graphical representation of how the list 1 :: 2 :: 3 :: [] is laid out as a data-structure. The final arrow (from the box containing 3) points to the empty list.

```
+--+--+ +---+--+ +---+--+
| 1 | *---->| 2 | *---->| 3 | *---->||
+---+--+ +---+---+
```

The :: operator essentially adds a new block to the picture above. Such a block contains two things: a reference to the data in that list element, and a reference to the remainder

of the list. This is why:: can extend a list without modifying it; extension allocates a new list element but doesn't need to change any of the existing ones, as you can see:

```
# let l = 1 :: 2 :: 3 :: [];;
val l : int list = [1; 2; 3]
# let m = 0 :: 1;;
val m : int list = [0; 1; 2; 3]
# 1;;
- : int list = [1; 2; 3]
```

Using patterns to extract data from a list

We can read data out of a list using a match statement. Here's a simple example of a recursive function that computes the sum of all elements of a list.

```
# let rec sum 1 =
   match 1 with
    | [] -> 0
    | hd :: tl -> hd + sum tl
val sum : int list -> int = <fun>
# sum [1;2;3];;
-: int = 6
# sum [];;
-: int = 0
```

This code follows the convention of using hd to represent the first element (or head) of the list, and t1 to represent the remainder (or tail).

The match statement in sum is really doing two things: first, it's acting as a case-analysis tool, breaking down the possibilities into a pattern-indexed list of cases. Second, it lets you name sub-structures within the data-structure being matched. In this case, the variables hd and t1 are bound by the pattern that defines the first case of the match statment. Variables that are bound in this way can be used in the expression to the right of the arrow for the pattern in question.

The fact that match statements can be used to bind new variables can be a source of confusion. To see how, imagine we wanted to write a function that filtered out from a list all elements equal to a particular value. You might be tempted to write that code as follows.

```
# let rec drop value 1 to drop =
    match 1 with
     [] -> []
    | to drop :: tl -> drop value tl to drop
    | hd :: tl -> hd :: drop value tl to drop
 ;;
```

But when we type this in, the compiler will immediately warn us that something is wrong. Moreover, the function clearly does the wrong thing, filtering out all elements of the list rather than just those equal to the provided value.

```
Characters 114-122:
      | hd :: tl -> hd :: drop value tl to drop
Warning 11: this match case is unused.
val drop value : 'a list -> 'a -> 'a list = <fun>
# drop value [1;2;3] 2;;
- : int list = []
```

So, what's going on?

The key observation is that the appearance of to_drop in the second case doesn't imply a check that the first element is equal to the value to drop passed in as an argument to drop_value. Instead, it just causes a new variable to_drop to be bound to whatever happens to be in the first element of the list, shadowing the earlier definition of to drop. The third case is unused because it is essentially the same pattern as we had in the second case.

A better way to write this code is not to use pattern matching for determining whether the first element is equal to to_drop, but to instead use an ordinary if-statement.

```
# let rec drop value 1 to drop =
    match 1 with
    | [] -> []
    | hd :: tl ->
     let new_tl = drop_value tl to_drop in
     if hd = to drop then new tl else hd :: new tl
val drop value : 'a list -> 'a -> 'a list = <fun>
# drop_value [1;2;3] 2;;
- : int list = [1; 3]
```

Note that if we wanted to drop a particular literal value (rather than a value that was passed in), we could do this using something like our original implementation of drop value.

```
# let rec drop_zero 1 =
    match 1 with
    | [] -> []
    | 0 :: tl -> drop zero tl
    | hd :: tl -> hd :: drop zero tl
val drop_zero : int list -> int list = <fun>
# drop zero [1;2;0;3];;
-: int list = [1; 2; 3]
```

Limitations (and blessings) of pattern matching

The above example highlights an important fact about patterns, which is that they can't be used to express arbitrary conditions. Patterns can characterize the layout of a datastructure, and can even include literals as in the drop_zero example, but that's where they stop. A pattern can check if a list has two elements, but it can't check if the first two elements are equal to each other.

You can think of patterns as a specialized sub-language that can express a limited (though still quite rich) set of conditions. The fact that the pattern language is limited turns out to be a very good thing, making it possible to build better support for patterns in the compiler. In particular, both the efficiency of match statements and the ability of the compiler to detect errors in matches depend on the constrained nature of patterns.

Performance

Naively, you might think that it would be necessary to check each case in a match in sequence to figure out which one fires. If the cases of a match were guarded by arbitrary code, that would be the case. But OCaml is often able to generate machine code that jumps directly to the matched case based on an efficiently chosen set of run-time checks.

As an example, consider the following rather silly functions for incrementing an integer by one. The first is implemented with a match statement, and the second with a sequence of if statements.

```
let plus one x =
 match x with
  0 -> 1
  1 -> 2
  2 -> 3
   _ -> x + 1
let plus one slow x =
 if x = 0 then 1
 else if x = 1 then 2
 else if x = 2 then 3
```

If you benchmark these, you'll see that plus one slow is about 35% slower than plus one, and the advantage gets larger as the number of cases increases.

Here's another less artificial example. We can rewrite the sum function we described earlier in the chapter using an if statement rather than a match. We can then use the functions is empty, hd exn and tl exn from the List module to deconstruct the list, allowing us to implement the entire function without pattern matching.

```
let rec sum slow 1 =
```

```
if List.is_empty 1 then 0
else List.hd exn 1 + sum slow (List.tl exn 1)
```

In this case, the match-based implementation is 70% faster than the one using if. The difference comes because we need to effectively do the same work multiple times, since each function we call has to re-examine the first element of the list to determine whether or not it's the empty cell. With a match statement, this work happens exactly once per list element.

Overall, pattern matching is typically more efficient than the alternatives one might code by hand. One notable exception is matches over strings, which are in fact tested sequentially. But most of the time, using pattern matching is a clear performance win.

Detecting errors

The error-detecting capabilities of match statements are if anything more important than their performance. We've already seen one example of OCaml's ability to find problems in a pattern match: in our broken implementation of drop value, OCaml warned us that the final case was redundant. There are no algorithms for determining if a predicate written in a general-purpose language is redundant, but it can be solved reliably in the context of patterns.

OCaml also checks match statements for exhaustiveness. Consider what happens if we modify drop zero by deleting the handler for one of the cases.

```
# let rec drop zero 1 =
    match 1 with
    | [] -> []
    | 0 :: tl -> drop zero tl
```

The compiler will produce a warning that we've missed a case, along with an example of an unmatched pattern.

```
val drop zero : int list -> 'a list = <fun>
Characters 26-84:
Warning 8: this pattern-matching is not exhaustive.
Here is an example of a value that is not matched:
```

For simple examples like this, exhaustiveness checks are useful enough. But as we'll see in Chapter 6, as you get to more complicated examples, especially those involving userdefined types, the fact that pattern matches are checked for exhaustiveness become invaluable, both as a way of catching outright errors and as a refactoring tool, with such compiler errors guiding you to the locations where you need to adapt your code to deal with changing type definitions.

Using the List module effectively

We've so far written a fair amount of list-munging code using pattern matching and recursive functions. But in real life, you're usually better off using the List module, which is full of reusable functions that abstract out common patterns for computing with lists.

Let's work through a concrete example to see this in action. In the following, we'll write a function render table that, given a list of column headers and a list of rows, prints them out in a well formatted text table. So, if you were to write:

```
# printf "%s\n"
   (render table
      ["language"; "architect"; "first release"]
      [ ["Lisp" ;"John McCarthy" ;"1958"] ;
               ;"Dennis Ritchie";"1969"];
        ["ML" ;"Robin Milner" ;"1973"];
["OCaml";"Xavier Leroy" ;"1996"];
```

it would generate the following output.

	0 0	architect	first release	
i	Lisp	John McCarthy	1958	
ĺ	C .	Dennis Ritchie	1969	
ĺ	ML	Robin Milner	1973	
	OCam1	Xavier Leroy	1996	

Before we write render table, we need a function to compute the maximum width of each column of data. We can do this by converting the header and each row into a list of integer lengths, and then taking the element-wise max of those lists of lengths. Writing the code for all of this directly would be a bit of a chore, but we can do it quite concisely by making use of three functions from the List module: map, map2 exn, and

List.map is the simplest to explain. It takes a list and a function for transforming elements of that list, and returns a new list with the transformed elements. Thus, we can write:

```
# List.map ~f:String.length ["Hello"; "World!"];;
- : int list = [5; 6]
```

List.map2 exn is similar to List.map, except that it takes two lists and a function for combining them. Thus, we might write:

```
# List.map2 exn ~f:Int.max [1;2;3] [3;2;1];;
- : int list = [3; 2; 3]
```

The _exn is there because the function throws an exception if the lists are of mismatched length.

```
# List.map2 exn ~f:Int.max [1;2;3] [3;2;1;0];;
Exception: (Invalid argument "length mismatch in rev map2 exn: 3 <> 4 ").
```

List.fold is the most complicated of the three. List.fold takes three arguments, a list to process, an initial accumulator value, and a function for updating the accumulator with the information from a list element. List.fold walks over the list elements from left to right, updating the accumulator as it goes, and returning the final value of the accumulator. This structure is reflected in the type of List.fold.

```
# List.fold;;
- : 'a list -> init:'accum -> f:('accum -> 'a -> 'accum) -> 'accum = <fun>
```

We can use List.fold for something as simple as summing up a list:

```
# List.fold ~init:0 ~f:(+) [1;2;3;4];;
-: int = 10
```

This example is particularly simple because the accumulator and the list elements are of the same type. But fold is not limited to such cases. We can for example use fold to reverse a list, in which case the accumulator is itself a list.

```
# List.fold ~init:[] ~f:(fun list x -> x :: list) [1;2;3;4];;
- : int list = [4; 3; 2; 1]
```

Let's bring our three functions together to compute the maximum column widths.

```
# let max widths header rows =
    let to lengths 1 = List.map ~f:String.length 1 in
    List.fold rows
      ~init:(to lengths header)
      ~f:(fun acc row ->
        List.map2 exn ~f:Int.max acc (to lengths row))
val max widths : string list -> string list list -> int list = <fun>
```

Using List.map we define the function to lengths which converts a list of strings to a list of integer lengths. List.fold is then used to iterate over the rows, using map2 exn to take the max of the accumulator with the lengths of the strings in each row of the table, with the accumulator initialized to the lengths of the header row.

Now let's consider how to generate the line that separates the header from the rest of the text table. We can do this in part by using List.map to convert a width to an appropriately sized string of dashes. For generating the strings themselves we use String.concat, which concatenates a list of strings with an optional separator string, and ^ concatenating a pair of strings.

```
# let render separator widths =
   let pieces = List.map widths
     ~f:(fun w -> String.make (w + 2) '-')
       ^ String.concat ~sep:"+" pieces ^ "|"
val render separator : int list -> string = <fun>
# render separator [3;6;2];;
- : string = "|-----|"
```

Note that we make the line of dashes two larger than the provided width to provide some whitespace around each entry in the table.



Performance of String.concat and ^

In the above, we're using two different ways of concatenating strings, String.concat, which operates on lists of strings, and ^, which is a pairwise operator. You should avoid ^ for joining long numbers of strings, since, it allocates a new string every time it runs. Thus, the following code:

```
let s = "." ^ "." ^ "." ^ "." ^ "." ^ "."
```

will allocate a string of length 2, 3, 4, 5, 6 and 7, whereas this code:

```
let s = String.concat [".";".";".";".";".";"."]
```

allocates one string of size 7, as well as a list of length 7. At these small sizes, the differences don't amount to much, but for assembling of large strings, it can be a serious performance issue.

Now we need code for rendering a row with data in it. We'll first write a function pad for padding out a string to a specified length plus one blank space on either side.

```
# let pad s length =
    " " ^ s ^ String.make (length - String.length s + 1) ' '
val pad : string -> int -> string = <fun>
# pad "hello" 10;;
- : string = " hello
```

We can render a row of data by merging together the padded strings. Again, we'll use List.map2 exn for combining the list of data in the row with the list of widths.

```
# let render row row widths =
   let padded = List.map2 exn row widths ~f:pad in
    "|" ^ String.concat ~sep:"|" padded ^ "|"
val render row : string list -> int list -> string = <fun>
```

```
# render row ["Hello";"World"] [10;15];;
- : string = "| Hello
```

Now we can bring this all together in a single function that renders the table.

```
# let render table header rows =
    let widths = max widths header rows in
    String.concat ~sep:"\n"
      (render row header widths
       :: render separator widths
       :: List.map rows ~f:(fun row -> render row row widths)
val render table : string list -> string list list -> string = <fun>
```

More useful list functions

The example we worked through above only touched on three of the function in List. We won't cover the entire interface, but there are a few more functions that are useful enough to mention here.

Very often when processing lists, one wants to restrict attention to just a subset of values. The List.filter function does just that.

```
# List.filter ^{c}(fun x \rightarrow x mod 2 = 0) [1;2;3;4;5];;
- : int list = [2; 4]
```

Sometimes, you want to both transform and filter as part of the same computation. List.filter map allows you to do just that. The following expression uses List.fil ter map to produce the list of file extensions in the current directory, piping the results through List.dedup to remove duplicates. Note that this example also uses some functions from other modules, including Sys.1s dir to get a directory listing, and String.rsplit2 to split a string on the rightmost appearance of a given character.

```
# List.filter_map (Sys.ls_dir ".") ~f:(fun fname ->
   match String.rsplit2 ~on:'.' fname with
    | None | Some ("",_) -> None
    | Some (_,ext) ->
     Some ext)
  |> List.dedup
-: string list = ["byte"; "ml"; "mli"; "native"; "txt"]
```

In the match statement above, you may notice that we for the first time used an underscore in a pattern match. You use an underscore when you want to indicate that the pattern doesn't depend on some sub-component of the data structure, but that you don't want to name it is an explicit variable.

Another feature of OCaml's pattern language that we encounter here is or-patterns, which allow you to have multiple sub-patterns within a larger pattern. In this case, None Some ("",_) is an or-pattern. As we'll see later, or-patterns can be nested anywhere within larger patterns.

Another function that is similar to filter is partition tf, which takes a list and partitions it into a pair of lists based on a boolean condition. tf is a mnemonic to remind the reader that true elements go to the first bucket and false ones go to the second. Thus, one could write:

```
# let is ocaml source s =
   match String.rsplit2 s ~on:'.' with
    | Some ( ,("ml"|"mli")) -> true
    | _ -> false
val is ocaml source : string -> bool = <fun>
# let (ml files,other files) =
   List.partition_tf (Sys.ls_dir ".") ~f:is ocaml source;;
val ml files : string list = ["example.ml"]
val other files : string list = [" build"; " tags"]
```

Note the use of a nested or-pattern in is_ocaml_source.

Another very common operation on lists is concatenation. The list module actually comes with a few different ways of doing this. First, there'sList.append, for concatenating a pair of lists.

```
# List.append [1;2;3] [4;5;6];;
- : int list = [1; 2; 3; 4; 5; 6]
# [1;2;3] @ [4;5;6];;
- : int list = [1; 2; 3; 4; 5; 6]
```

@ is just a synonym for List.append. In addition, there is List.concat, for concatenating a list of lists.

ocaml # List.concat [[1;2];[3;4;5];[6];[]];; - : int list = [1; 2; 3; 4; 5; 6] Here's an example of using List.concat along with List.map to compute a recursive listing of a directory tree.

```
# let rec ls rec s =
    if Sys.is file exn ~follow symlinks:true s
    then [s]
    else
     Sys.ls dir s
      |> List.map ~f:(fun sub -> ls rec (s ^ "/" ^ sub))
      > List.concat
# all_files ".";;
- : string list =
["./ build/ digests"; "./ build/ log"; "./ build/example.ml";
  ./_build/example.ml.depends"; "./_build/ocamlc.where"; "./_tags";
"./example.ml"]
```

The above combination of List.map and List.concat is common enough that there is a function List.concat map that combines these into one, more efficient operation.

```
# let rec ls rec s =
    if Sys.is_file_exn ~follow_symlinks:true s
    then [s]
    else
      Sys.ls dir s
      |> List.concat map ~f:(fun sub -> ls rec (s ^/ sub))
val ls rec : string -> string list = <fun>
```

Tail recursion

The only way to compute the length of an OCaml list is to walk the list from beginning to end. As a result, computing the length of a list takes time linear in the size of the list. Here's a simple function for doing so.

```
# let rec length = function
    | [] -> 0
    | _ :: tl -> 1 + length tl
# length [1;2;3];;
-: int = 3
```

This looks simple enough, but you'll discover that this implementation runs into problems on very large lists. Here are some examples, using another useful function from the List module, List.init, to create the lists. List.init takes an integer n and a function f and creates a list of length n where the data for each element is created by calling f on the index of that element.

```
# let make list n = List.init n ~f:(fun x -> x);;
val make list : int -> int list = <fun>
# make list 10;
-: int list = [0; 1; 2; 3; 4; 5; 6; 7; 8; 9]
# length (make list 10 000 000);;
Stack overflow during evaluation (looping recursion?).
```

To understand what went wrong, you need to learn a bit more about how function calls work. Typically, a function call needs some space to keep track of information associated with the call, such as the arguments passed to the function, or the location of the code that needs to start executing when the function call is complete. To allow for nested function calls, this information is typically organized in a stack, where a new stack frame is allocated for each nested function call, and then deallocated when the function call is complete.

And that's the problem with our call to length: it tried to allocate ten million stack frames, which exhausted the available stack space. Happily, there's a way around this problem. Consider the following alternative implementation.

```
# let rec length plus n l n =
    match 1 with
    | [] -> n
    | _ :: tl -> length_plus_n tl (n + 1)
val length plus n : 'a list -> int -> int = <fun>
# let length 1 = length plus n 1 0 ;;
val length : 'a list -> int = <fun>
utop[41]> length [1;2;3;4];;
-: int = 4
```

This implementation depends on a helper function, length plus n, that computes the length of a given list plus a given n. In practice, n acts as an accumulator in which the answer is built up, step by step. As a result, we can do the additions along the way rather than doing them as we unwind the nested sequence of function calls, as we did in our first implemenation of length.

The advantage of this approach is that the recursive call in length plus n is a tail call. We'll explain more precisely what it means to be a tail call shortly, but the reason it's important is that tail calls don't require the allocation of a new stack frame, due to what is called the tail-call optimization. A recursive function is said to be tail recursive if all of its recursive calls are tail calls. length plus n is indeed tail recursive, and as a result, length can take a long list as input without blowing the stack.

```
# length (make_list 10_000_000);;
- : int = 10000000
```

So when is a call a tail call? Let's think about the situation of one function (the *caller*) invokes another (the callee). The invocation is considered a tail call when the caller doesn't do anything with the value returned by the callee except to return it. The tailcall optimization makes sense because, when a caller makes a tail call, the caller's stack frame need never be used again, and so you don't need to keep it around. Thus, instead of allocating a new stack frame for the callee, the compiler is free to resuse the caller's stack frame.

Tail recursion are important for more than just lists. Ordinary (non-tail) recursive calls are reasonable when the dealing with data-structures like binary trees where the depth of the tree is logarithmic in the size of your data. But when dealing with situations where the depth of the sequence of nested calls is on the order of the size of your data, tail recursion is usually the right approach.

TOD0

- with patterns
- as patterns

Files, Modules and Programs

We've so far experienced OCaml largely through the toplevel. As you move from exercises to real-world programs, you'll need to leave the toplevel behind and start building programs from files. Files are more than just a convenient way to store and manage your code; in OCaml, they also act as boundaries that divide your program into conceptual units.

In this chapter, we'll show you how to build an OCaml program from a collection of files, as well as the basics of working with modules and module signatures.

Single File Programs

We'll start with an example: a utility that reads lines from stdin, computing a frequency count of the lines that have been read in. At the end, the 10 lines with the highest frequency counts are written out. Here's a simple implementation, which we'll save as the file freq.ml. Note that we're using several functions from the List.Assoc module, which provides utility functions for interacting with association lists, *i.e.*, lists of key/value pairs.

```
(* freq.ml: basic implementation *)
open Core.Std

let build_counts () =
    In_channel.fold_lines stdin ~init:[] ~f:(fun counts line ->
        let count =
        match List.Assoc.find counts line with
        | None -> 0
        | Some x -> x
        in
        List.Assoc.add counts line (count + 1)
    )

let () =
    build_counts ()
```

```
\rightarrow List.sort ~cmp:(fun (_,x) (_,y) \rightarrow compare y x)
|> (fun l -> List.take l 10)
|> List.iter ~f:(fun (line,count) -> printf "%3d: %s\n" count line)
```

The function build counts reads in lines from stdin, constructing from those lines an association list with the frequencies of each line. It does this by invoking In chan nel.fold lines (similar to the function List.fold described in Chapter 3), which reads through the lines one by one, calling the provided fold function for each line to update the accumulator. That accumulator is initialized to the empty list.

With build counts defined, we then call the function to build the association list, sort that list be frequency in descending order, grab the first 10 elements off the list, and then iterate over those ten elements and print them to the screen. These operations are tied together using the |> operator, as described in Chapter 2.



Where is the main function?

Unlike C, programs in OCaml do not have a unique main function. When an OCaml program is evaluated, all the statements in the implementation files are evaluated in order. These implementation files can contain arbitrary expressions, not just function definitions. In this example, the declaration starting with let () = plays the role of the main declaration, kicking off the processing. But really the entire file is evaluated at startup, and so in some sense the full codebase is one big main function.

If we weren't using Core or any other external libraries, we could build the executable like this:

```
ocamlc freq.ml -o freq
```

But in this case, this command will fail with the error Unbound module Core. We need a somewhat more complex invocation to get Core linked in:

```
ocamlfind ocamlc -linkpkg -thread -package core freq.ml -o freq
```

Here we're using ocamlfind, a tool which itself invokes other parts of the ocaml toolchain (in this case, ocamle) with the appropriate flags to link in particular libraries and packages. Here, -package core is asking ocamlfind to link in the Core library, linkpkg is required to do the final linking in of packages for building a runnable executable, and -thread turns on threading support, which is required for Core.

While this works well enough for a one-file project, more complicated builds will require a tool to orchestrate the build. One great tool for this task is ocamlbuild, which is shipped with the OCaml compiler. We'll talk more about ocamlbuild in Appendix B, but for now, we'll just walk through the steps required for this simple application. First, create a tags file, containing the following lines.

true:package(core),thread,annot,debugging

The purpose of the _tags file is to specify which compilation options are required for which files. In this case, we're telling ocamlbuild to link in the core package and to turn on threading, output of annotation files, and debugging support for all files (the condition true causes the options to be applied to every file in the project.)

We can then invoke **ocamlbuild** to build the executable in question.

```
$ ocamlbuild -use-ocamlfind freq.byte
```

If we'd invoked ocambuild with a target of freq.native instead of freq.byte, we would have gotten native-code instead.

We can now run the our program from the command-line. The following line extracts strings from the ocamlopt executable, and then reports the most frequently occurring ones.

```
$ strings `which ocamlopt` | ./freq.byte
13: movq
10: cmpq
 8: ", &
 7: .globl
 6: addq
 6: leaq
 5: ", $
 5: .long
 5: .quad
 4: ", '
```



Byte-code vs native-code

OCaml ships with two compilers---the ocamlc byte-code compiler, and the ocamlopt native-code compiler. Programs compiled with ocamlc are interpreted by a virtual machine, while programs compiled with ocam lopt are compiled to native machine code to be run on a specific operating system and processor architecture.

Aside from performance, executables generated by the two compilers have nearly identical behavior. There are a few things to be aware of. First, the byte-code compiler can be used on more architectures, and has some better tool support; in particular, the OCaml debugger only works with byte-code. Also, the byte-code compiler compiles faster than the native code compiler. Also, in order to run a bytecode executable you typically need to have OCaml installed on the system in question. That's not strictly required, though, since you can build a byte-code executable with an embedded runtime, using the -custom compiler flag.

As a general matter, production executables should usually be built using the native-code compiler, but it sometimes makes sense to use bytecode for development builds. And, of course, bytecode makes sense when targeting a platform not supported by the native code compiler.

Multi-file programs and modules

Source files in OCaml are tied into the module system, with each file compiling down into a module whose name is derived from the name of the file. We've encountered modules before, for example, when we used functions like find and add from the List. Assoc module. At it's simplest, you can think of a module as a collection of definitions that are stored within a namespace.

Let's consider how we can use modules to refactor the implementation of freq.ml. Remember that the variable counts contains an association list representing the counts of the lines seen so far. But updating an association list takes time linear in the length of the list, meaning that the time complexity of processing a file is quadratic in the number of distinct lines in the file.

We can fix this problem by replacing association lists with a more efficient data structure. To do that, we'll first factor out the key functionality into a separate module with an explicit interface. We can consider alternative (and more efficient) implementations once we have a clear interface to program against.

We'll start by creating a file, counter.ml, that contains the logic for maintaining the association list used to describe the counts. The key function, called touch, updates the association list with the information that a given line should be added to the frequency counts.

(* counter.ml: first version *)

```
open Core.Std
let touch t s =
  let count =
    match List.Assoc.find t s with
    | None -> 0
    Some x \rightarrow x
  in
  List.Assoc.add t s (count + 1)
```

We can now rewrite freq.ml to use Counter. Note that the resulting code can still be built with ocamlbuild, which will discover dependencies and realize that counter.ml needs to be compiled.

```
(* freq.ml: using Counter *)
open Core.Std
let build counts () =
 In channel.fold lines stdin ~init:[] ~f:Counter.touch
let () =
 build counts ()
  |> List.sort counts ~cmp:(fun (_,x) (_,y) -> Int.descending x y)
  |> (fun l -> List.take l 10)
  |> List.iter ~f:(fun (line,count) -> printf "%3d: %s\n" count line)
```

Signatures and Abstract Types

While we've pushed some of the logic to the Counter module, the code in freq.ml can still depend on the details of the implementation of Counter. Indeed, if you look at the definition of build_counts:

```
let build counts () =
  In channel.fold lines stdin ~init:[] ~f:Counter.touch
```

you'll see that it depends on the fact that the empty set of frequency counts is represented as an empty list. We'd like to prevent this kind of dependency, so that we can change the implementation of Counter without needing to change client code like that in freq.ml.

The first step towards hiding the implementation details of Counter is to create an interface file, counter.mli, which controls how counter is accessed. Let's start by writing down a simple descriptive interface, i.e., an interface that describes what's currently available in Counter without hiding anything. We'll use val declarations in the mli, which have the following syntax

```
val <identifier> : <type>
```

and are used to expose the existence of a given value in the module. Here's an interface that describes the current contents of Counter. We can save this as counter.mli and compile, and the program will build as before.

```
(* counter.mli: descriptive interface *)
open Core.Std
val touch : (string * int) list -> string -> (string * int) list
```



Auto-generating mli files

In general, if you don't want to construct an mli entirely by hand, you can ask OCaml to autogenerate one for you from the source, which you can then adjust to fit your needs. In this case, we can write:

```
$ ocamlbuild -use-ocamlfind counter.inferred.mli
```

Which will generate the file _build/counter.inferred.mli, with the following contents.

```
$ cat _build/counter.inferred.mli
val touch :
  ('a, int) Core.Std.List.Assoc.t -> 'a -> ('a, int) Core.Std.List.Assoc.t
```

This is equivalent to the mli that we generated, but is a little more verbose. In general, you want to use autogenerated mli's as a starting point only. There's no replacement for a careful consideration of what should be included in the interface of your module and of how that should be organized, documented and formatted.

To actually hide the fact that frequency counts are represented as association lists, we need to make the type of frequency counts abstract. A type is abstract if its name is exposed in the interface, but its definition is not. Here's an abstract interface for Counter:

```
(* counter.mli: abstract interface *)
open Core.Std
type t
val empty : t
val to list : t -> (string * int) list
val touch : t -> string -> t
```

Note that we needed to add empty and to list to Counter, since otherwise, there would be no way to create a Counter.t or get data out of one.

Here's a rewrite of counter.ml to match this signature.

```
(* counter.ml: implementation matching abstract interface *)
```

```
open Core.Std
type t = (string * int) list
let empty = []
let to list x = x
let touch t s =
 let count =
   match List.Assoc.find t s with
    | None -> 0
    Some x \rightarrow x
 List.Assoc.add t s (count + 1)
```

If we now try to compile freq.ml, we'll get the following error:

```
File "freq.ml", line 11, characters 20-22:
Error: This expression has type 'a list
      but an expression was expected of type Counter.t
```

This is because freq.ml depends on the fact that frequency counts are represented as association lists, a fact that we've just hidden. We just need to fix build counts to use Counter.empty instead of [] and Counter.to_list to get the association list out at the end for processing and printing, as below.

```
let build counts () =
 In channel.fold lines stdin ~init:Counter.empty ~f:Counter.touch
```

Now we can turn to optimizing the implementation of Counter. Here's an alternate and far more efficient implementation, based on the Map datastructure in Core.

```
(* counter.ml: efficient version *)
open Core.Std
type t = int String.Map.t
let empty = String.Map.empty
let to_list t = Map.to_alist t
let touch t s =
 let count =
   match Map.find t s with
    | None -> 0
    | Some x \rightarrow x
 Map.add t ~key:s ~data:(count + 1)
```

More on modules and signatures

Concrete types in signatures

In our frequency-count example, the module Counter had an abstract type Counter.t for representing a collection of frequency counts. Sometimes, you'll want to make a type in your interface *concrete*, by including the type definition in the interface.

For example, imagine we wanted to add a function to Counter for returning the line with the median frequency count. If the number of lines is even, then there is no precise median, so the function would return the two lines before and after the median instead. We'll use a custom type to represent the fact that there are two possible return values. Here's a possible implementation.

```
type median = | Median of string
              | Before and after of string * string
let median t =
 let sorted strings = List.sort (Map.to alist t)
      ~cmp:(fun (,x) (,y) -> Int.descending x y)
 let len = List.length sorted_strings in
 if len = 0 then failwith "median: empty frequency count";
 let nth n = fst (List.nth exn sorted strings n) in
 if len mod 2 = 1
 then Median (nth (len/2))
 else Before_and_after (nth (len/2 - 1), nth (len/2));;
```

Now, to expose this usefully in the interface, we need to expose both the function and the type median with its definition. We'd do that by adding these lines to the counter.mli:

```
type median = | Median of string
              | Before_and_after of string * string
val median : t -> median
```

The decision of whether a given type should be abstract or concrete is an important one. Abstract types give you more control over how values are created and accessed, and make it easier to enforce invariants beyond what is enforced by the type itself; concrete types let you expose more detail and structure to client code in a lightweight way. The right choice depends very much on the context.

The include statement

OCaml provides a number of tools for manipulating modules. One particularly useful one is the include statement, which is used to include the contents of one module into another.

One natural application of include is to create one module which is an extension of another one. For example, imagine you wanted to build an extended version of the List module, where you've added some functionality not present in the module as distributed in Core. We can do this easily using include:

```
(* ext list.ml: an extended list module *)
open Core.Std
(* The new function we're going to add *)
let rec intersperse list el =
 match list with
  | [] | [ _ ] -> list
  | x :: y :: tl -> x :: el :: intersperse (y::tl) el
(* The remainder of the list module *)
include List
```

Now, what about the interface of this new module? It turns out that include works on the signature language as well, so we can pull essentially the same trick to write an mli for this new module. The only trick is that we need to get our hands on the signature for the list module, which can be done using module type of.

```
(* ext list.mli: an extended list module *)
open Core.Std
(* Include the interface of the list module from Core *)
include (module type of List)
(* Signature of function we're adding *)
val intersperse : 'a list -> 'a -> 'a list
```

And we can now use Ext list as a replacement for List. If we want to use Ext list in preference to List in our project, we can create a file of common definitions:

```
(* common.ml *)
module List = Ext list
```

And if we then put open Common after open Core. Std at the top of each file in our project, then references to List will automatically go to Ext list instead.

Modules within a file

Up until now, we've only considered modules that correspond to files, like counter.ml. But modules (and module signatures) can be nested inside other modules. As a simple example, consider a program that needs to deal with multiple identifier like usernames and hostnames. If you just represent these as strings, then it becomes easy to confuse one with the other.

A better approach is to mint new abstract types for each identifier, where those types are under the covers just implemented as strings. That way, the type system will prevent you from confusing a username with a hostname, and if you do need to convert, you can do so using explicit conversions to and from the string type.

Here's how you might create such an abstract type, within a sub-module:

```
open Core.Std
module Username : sig
 type t
 val of string : string -> t
 val to_string : t -> string
end = struct
 type t = string
 let of string x = x
 let to string x = x
```

Note that the to_string and of_string functions above are implemented simply as the identity function, which means they have no runtime effect. They are there purely as part of the discipline that they enforce on the code through the type system.

The basic structure of a module declaration like this is:

```
module <name> : <signature> = <implementation>
```

We could have written this slightly differently, by giving the signature its own toplevel module type declaration, making it possible to create multiple distinct types with the same underlying implementation in a lightweight way.

```
open Core.Std
module type ID = sig
 type t
 val of string : string -> t
 val to string : t -> string
module String id = struct
 type t = string
 let of string x = x
 let to_string x = x
module Username : ID = String_id
module Hostname : ID = String id
type session info = { user: Username.t;
```

```
host: Hostname.t;
                      when_started: Time.t;
let sessions have same user s1 s2 =
 s1.user = s2.host
```

The above code has a fairly obvious bug, and indeed, the compiler will refuse to compile it, spitting out the following error.

```
File "buggy.ml", line 25, characters 12-19:
Error: This expression has type Hostname.t
       but an expression was expected of type Username.t
Command exited with code 2.
```

We can also combine this with the use of the include statement to add some extra functionality to such a module. Thus, we could have rewritten the definition of Host name above as follows to add a function Hostname.mine that returns the hostname of the present machine.

```
module Hostname : sig
  include ID
 val mine : unit -> t
end = struct
 include String id
 let mine = Unix.gethostname
```

Opening modules

One useful primitive in OCaml's module language is the open statement. We've seen that already in the open Core. Std that has been at the top of our source files.

The basic purpose of open is to extend the namespaces that OCaml searches when trying to resolve an identifier. Roughly, if you open a module M, then every subsequent time you look for an identifier foo, the module system will look in M for a value named foo. This is true for all kinds of identifiers, including types, type constructors, values and modules.

open is essential when dealing with something like a standard library, but it's generally good style to keep opening of modules to a minimum. Opening a module is basically a tradeoff between terseness and explicitness - the more modules you open, the harder it is to look at an identifier and figure out where it's defined.

Here's some general advice on how to deal with opens.

 Opening modules at the toplevel of a module should be done quite sparingly, and generally only with modules that have been specifically designed to be opened, like Core.Std or Option.Monad infix.

• If you do need to do an open, it's better to do a local open. There are two syntaxes for local opens. For example, you can write:

```
let average x y =
  let open Int64 in
  x + y / of_int 2
```

In the above, of int and the infix operators are the ones from Int64 module.

There's another even more lightweight syntax for local opens, which is particularly useful for small expressions:

```
let average x y =
  Int64.(x + y / of int 2)
```

• An alternative to local opens that makes your code terser without giving up on explicitness is to locally rebind the name of a module. So, instead of writing:

```
let print median m =
       match m with
         Counter.Median string -> printf "True median:\n %s\n"
       | Counter.Before and after of before * after ->
         printf "Before and after median:\n %s\n %s\n" before after
...you could write
    let print median m =
       let module C = Counter in
       match m with
       | C.Median string -> printf "True median:\n
                                                    %s\n"
       | C.Before and after of before * after ->
         printf "Before and after median:\n %s\n %s\n" before after
```

Because the module name C only exists for a short scope, it's easy to read and remember what C stands for. Rebinding modules to very short names at the toplevel of your module is usually a mistake.

Common errors with modules

When OCaml compiles a program with an ml and an mli, it will complain if it detects a mismatch between the two. Here are some of the common errors you'll run into.

Type mismatches

The simplest kind of error is where the type specified in the signature does not match up with the type in the implementation of the module. As an example, if we replace the val declaration in counter.mli by swapping the types of the first two arguments:

```
val touch : string -> t -> t
```

and then try to compile Counter (by writing ocambuild -use-ocamlfind counter.cmo. The cmo file is a compiled object file, containing the bytecode-compiled version of a module), we'll get the following error:

```
File "counter.ml", line 1, characters 0-1:
Error: The implementation counter.ml
       does not match the interface counter.cmi:
       Values do not match:
         val touch:
           ('a, int) Core.Std.Map.t -> 'a -> ('a, int) Core.Std.Map.t
       is not included in
        val touch : string -> t -> t
```

This error message is a bit intimidating at first, and it takes a bit of thought to see why the first type for touch (which comes from the implementation) doesn't match the second one (which comes from the interface). The key thing to remember is that t is a Core.Std.Map.t, at which point you can see that the error is a mismatch in the order of arguments to touch.

There's no denying that learning to decode such error messages is difficult at first, and takes some getting used to. But in time, decoding these errors becomes second nature.

Missing definitions

We might decide that we want a new function in Counter for pulling out the frequency count of a given string. We can update the mli by adding the following line.

```
val count : t -> string -> int
```

Now, if we try to compile without actually adding the implementation, we'll get this error:

```
File "counter.ml", line 1, characters 0-1:
Error: The implementation counter.ml
       does not match the interface counter.cmi:
       The field `count' is required but not provided
```

A missing type definition will lead to a similar error.

Type definition mismatches

Type definitions that show up in an mli need to match up with corresponding definitions in the ml. Consider again the example of the type median. The order of the declaration of variants matters to the OCaml compiler so, if the definition of median in the implementation lists those options in a different order:

```
type median = | Before and after of line * line
              | Median of line
```

that will lead to a compilation error:

```
File "counter.ml", line 1, characters 0-1:
Error: The implementation counter.ml
       does not match the interface counter.cmi:
       Type declarations do not match:
         type median = Before and after of string * string | Median of string
         type median = Median of string | Before and after of string * string
       Their first fields have different names, Before and after and Median.
```

Order is similarly important in other parts of the signature, including the order in which record fields are declared and the order of arguments (including labeled and optional arguments) to a function.

Cyclic dependencies

In most cases, OCaml doesn't allow circular dependencies, i.e., a collection of definitions that all refer to each other. If you want to create such definitions, you typically have to mark them specially. For example, when defining a set of mutually recursive values (like the definition of is even and is odd in "Recursive functions" on page 32), you need to define them using let rec rather than ordinary let.

The same is true at the module level. By default, circular dependencies between modules are not allowed, and indeed, circular dependencies among files are never allowed.

The simplest case of this is that a module can not directly refer to itself (although definitions within a module can refer to each other in the ordinary way). So, if we tried to add a reference to Counter from within counter.ml:

```
let singleton 1 = Counter.touch Counter.empty
then when we try to build, we'll get this error:
```

```
File "counter.ml", line 17, characters 18-31:
Error: Unbound module Counter
Command exited with code 2.
```

The problem manifests in a different way if we create circular references between files. We could create such a situation by adding a reference to Freq from counter.ml, e.g., by adding the following line:

```
let build counts = Freq.build counts
```

In this case, ocamlbuild will notice the error and complain:

```
Circular dependencies: "freq.cmo" already seen in
 [ "counter.cmo"; "freq.cmo" ]
```

Records



A note to reviewers

IMPORTANT: This section is going to describe how records and variants will behave in OCaml 4.01. If you want to follow along fully with the examples here, you'll need to make sure you install a bleeding-edge release, which you can do as follows:

```
opam switch 4.01.0dev+trunk
```

Once you make the switch, you'll need to install the packages you need. Note that once your packages are installed, you can quickly switch back and forth between compilers with no extra work.

One of OCaml's best features is its concise and expressive system for declaring new datatypes. Two key elements of that system are *records* and *variants*, both of which we discussed briefly in Chapter 1. In this chapter we'll cover records in more depth, covering more of the details of how they work, as well as advice on how to use them effectively in your software designs.

A record represents a collection of values stored together as one, where each component is identified by a different field name. The basic syntax for a record type declaration is as follows.

```
type <record-name> =
   { <field-name> : <type-name> ;
     <field-name> : <type-name> ;
     ...
}
```

Here's a simple example, a host_info record that summarizes information about a given computer.

```
# type host_info =
    { hostname : string;
```

```
os name
         : string;
os release : string;
cpu arch : string;
```

We can construct a host info just as easily. The following code uses the Shell module from Core extended to dispatch commands to the shell to extract the information we need about the computer we're running on.

```
# open Core extended.Std;;
# let my host =
   let sh = Shell.sh one exn in
    { hostname = sh "hostname";
     os name
               = sh "uname -s";
     os release = sh "uname -r";
     cpu arch = sh "uname -p";
   };;
val my host : host info =
  {hostname = "Yarons-MacBook-Air.local"; os name = "Darwin";
   os release = "11.4.0"; cpu arch = "i386"}
```

You might wonder how the compiler inferred that my host is of type host info. The hook that the compiler uses in this case to figure out the type is the record field names. It turns out that, within a given scope, each record field name is associated with a unique record type. Later in the chapter, we'll talk about what to do when you want to have the same record fields in multiple records.

Once we have a record value in hand, we can extract elements from the record field using dot-notation.

```
# my_host.cpu_arch;;
- : string = "i386"
```

Patterns and exhaustiveness

Another way of getting information out of a record is by using a pattern match, as in the definition of host info to string below.

```
# let host_info_to_string { hostname = h; os_name = os;
                            os release = r; cpu arch = c } =
       sprintf "%s (%s %s / %s)" h os r c;;
   val host info to string : host info -> string = <fun>
# host info to string my host;;
-: string = "Yarons-MacBook-Air.local (Darwin 11.4.0 / i386)"
```

Note that the pattern that we used had only a single case, rather than using several cases separated by |s. We only needed a single pattern because record patterns are irrefutable, meaning that, because the layout of a record is always the same, a record pattern match will never fail at runtime. In general, types with a fixed structure, like records and tuples, have irrefutable patterns, whereas types with variable structure, like lists and variants, do not.

Another important characteristic of record patterns is that they don't need to be complete; a pattern can mention only a subset of the fields in the record. This can be convenient, but it can also be error prone. In particular, this means that when new fields are added to the record, code that should be updated to react to the presence of those new fields will not be flagged by the compiler.

As an example, imagine that we wanted to add a new field to our host info record called **os version**, as shown below.

```
# type host info =
    { hostname : string;
     os name
               : string;
     os release : string;
     cpu_arch : string;
     os version : string;
```

The code for host info to string would continue to compile without change. In this particular case, it's pretty clear that you might want to update host_info_to_string in order to take into account the new field, and it would be nice if the type system would give you a warning about the change.

Happily, OCaml does offer an optional warning for missing fields in a record pattern. With that warning turned on (which you can do in the toplevel by typing #warnings "+9"), the compiler will warn about the missing field.

```
# warnings "+9";;
# let host info to string { hostname = h; os name = os;
                        os release = r; cpu arch = c } =
      sprintf "%s (%s %s / %s)" h os r c;;
   Characters 24-112:
 os release = r; cpu arch = c }..
Warning 9: the following labels are not bound in this record pattern:
Either bind these labels explicitly or add '; ' to the pattern.
val host info to string : host info -> string = <fun>
```

We can disable the warning for a given pattern by explicitly acknowledging that we are ignoring extra fields. This is done by adding an underscore to the pattern, as shown below.

```
# let host info to string { hostname = h; os name = os;
                           os release = r; cpu arch = c; } =
      sprintf "%s (%s %s / %s)" h os r c;;
    val host info to string : host info -> string = <fun>
```

Generally, the right default is to turn the warning for incomplete record matches on, and to explicitly disable it with an where necessary.

Field punning

When the name of a variable coincides with the name of a record field, OCaml provides some handy syntactic shortcuts. For example, the pattern in the following function binds all of the fields in question to variables of the same name. This is called *field* punning.

```
# let host_info_to_string { hostname; os_name; os_release; cpu_arch } =
     sprintf "%s (%s %s / %s)" hostname os name os release cpu arch;;
  val host info to string : host info -> string = <fun>
```

Field punning can also be used to construct a record. Consider the following code for generating a host info record.

```
# let my host =
    let sh cmd = Shell.sh one exn cmd in
    let hostname = sh "hostname" in
                 = sh "uname -s" in
   let os name
   let os release = sh "uname -r" in
   let cpu arch = sh "uname -p" in
    { hostname; os name; os release; cpu arch };;
val my host : host info =
  {hostname = "Yarons-MacBook-Air.local"; os name = "Darwin";
  os release = "11.4.0"; cpu arch = "i386"}
```

In the above code, we defined variables corresponding to the record fields first, and then the record declaration itself simply listed the fields that needed to be included.

You can take advantage of both field punning and label punning when writing a function for constructing a record from labeled arguments, as shown below.

```
# let create host info ~hostname ~os name ~os release ~cpu arch =
    let hostname = String.lowercase hostname in
   { hostname; os name; os release; cpu arch };;
```

This is considerably more concise than what you would get without punning at all.

```
let create host info ~hostname:hostname ~os name:os name
   ~os_release:os_release ~cpu_arch:cpu_arch =
   let hostname = String.lowercase hostname in
   { hostname = hostname ; os name = os name;
      os release = os release; cpu arch = cpu arch };;
```

Together, labeled arguments, field names, and field and label punning, encourage a style where you propagate the same names throughout your code-base. This is generally good practice, since it encourages consistent naming, which makes it easier for new people to navigate your source.

Reusing field names

Defining records with the same field names can be problematic. Let's consider a simple example: building types to represent the protocol used for a logging server. The following types represent messages a server might receive from a client.

Below, the log entry message is used to deliver a log entry to the server for processing. The logon message is sent when a client initiates a connection, and includes the identity of the user connecting and credentials used for authentication. Finally, the heartbeat message is periodically sent by the client to demonstrate to the server that the client is alive and connected. All of these messages include a session id and the time the message was generated.

```
# type log entry =
    { session id: string;
      time: Time.t;
     important: bool;
     message: string;
 type heartbeat =
    { session id: string;
      time: Time.t;
      status message: string;
 type logon =
    { session_id: string;
     time: Time.t;
     user: string;
     credentials: string;
;;
```

The fact that we reused field names will cause trouble when we try to construct a message.

```
# let create log entry ~session id ~important message =
    { time = Time.now (); session id; important; message }
   Characters 75-129:
      { time = Time.now (); session_id; important; message }
      ^^^^^^
Error: The record field label important belongs to the type log entry
      but is mixed here with labels of type logon
```

The problem is that the declaration of logon (and heartbeat) shadowed some of the fields of log entry. As a result, the fields time and session id are assumed to be fields of logon, and important and message, which were not shadowed, are assumed to be fields of log_entry. The compiler therefore complains that we're trying to construct a record with fields from two different record types.

There are two common solutions to this problem. The first is to add a prefix to each field name to make it unique, as shown below.

```
# type log entry =
    { log entry session id: string;
      log entry time: Time.t;
      log_entry_important: bool;
     log entry message: string;
 type heartbeat =
    { heartbeat session id: string;
     heartbeat time: Time.t;
     heartbeat status message: string;
 type logon =
    { logon_session_id: string;
     logon_time: Time.t;
     logon user: string;
     logon credentials: string;
;;
```

This eliminates the collisions and is simple enough to do. But it leaves you with awkwardly named record fields, and adds needless repetition and verbosity to your code.

Another approach is to mint a module for each type. We'll talk more about modules more in Chapter 4, but for now, you can think of a module as a way of collecting values and types together in a named package.

Packing types into modules is actually a broadly useful idiom (and one used quite extensively by Core), providing for each type a name-space within which to put related values. When using this style, it is standard practice to name the type associated with the module t. Using this style we would write:

```
# module Log_entry = struct
    type t =
      { session id: string;
        time: Time.t;
        important: bool;
        message: string;
 end
 module Heartbeat = struct
      { session id: string;
        time: Time.t;
        status_message: string;
 end
 module Logon = struct
```

```
type t =
    { session_id: string;
      time: Time.t;
      user: string;
      credentials: string;
end;;
```

Now, our heartbeat-creation function can be rendered as follows.

```
# let create log entry ~session id ~important message =
     { Log entry.time = Time.now (); Log_entry.session_id;
      Log_entry.important; Log_entry.message }
val create log entry:
 session id:string -> important:bool -> string -> Log entry.t = <fun>
```

The module name Log entry is required to qualify the fields, because this function is outside of the Log entry module where the record was defined. OCaml only requires the module qualification for one record field, however, so we can write this more concisely.

```
# let create log entry ~session id ~important message =
    { Log entry. time = Time.now (); session id; important; message }
val create log entry:
 session id:string -> important:bool -> string -> Log entry.t = <fun>
```

This is not restricted to constructing a record; we can use the same trick when patternmatching:

```
# let message_to_string { Log_entry. important; message; _ } =
   if important then String.uppercase message else message
val message to string : Log entry.t -> string = <fun>
```

However, when using dot-notation for accessing record fields, you need to specify the module explicitly.

```
# let is important t = t.Log entry.important;;
val is important : Log entry.t -> bool = <fun>
```

For functions defined within the module where a given record is defined, the module qualification goes away entirely.

Functional updates

Fairly often, you will find yourself wanting to create a new record that differs from an existing record in only a subset of the fields. For example, imagine our logging server had a record type for representing the state of a given client, including when the last heartbeat was received from that client. The following defines a type for representing this information, as well as a function for updating the client information when a new heartbeat arrives.

```
# type client info =
   { addr: Unix.Inet addr.t;
    port: int;
    user: string;
    credentials: string;
    last heartbeat time: Time.t;
# let register heartbeat t hb =
     { addr = t.addr;
        port = t.port;
        user = t.user;
        credentials = t.credentials;
        last_heartbeat_time = hb.Heartbeat.time;
val register heartbeat : client info -> Heartbeat.t -> client info = <fun>
```

This is fairly verbose, given that there's only one field that we actually want to change, and all the others are just being copied over from t. We can use OCaml's functional *update* syntax to do this more tersely. The syntax of a functional update is as follows.

```
{ <record> with <field> = <value>;
                <field> = <value>;
}
```

The purpose of the functional update is to create a new record based on an existing one, with a set of field changes layered on top.

Given this, we can rewrite register heartbeat more concisely.

```
# let register heartbeat t hb =
    { t with last heartbeat time = hb.Heartbeat.time };;
```

Functional updates make your code independent of the identity of the fields in the record that are not changing. This is often what you want, but it has downsides as well. In particular, if you change the definition of your record to have more fields, the type system will not prompt you to reconsider whether your update code should affect those fields. Consider what happens if we decided to add a field for the status message received on the last heartbeat.

```
# type client info =
   { addr: Unix.Inet addr.t;
     port: int;
     user: string;
     credentials: string;
     last heartbeat time: Time.t;
```

```
last heartbeat status: string;
};;
```

The original implementation of register heartbeat would now be invalid, and thus the compiler would warn us to think about how to handle this new field. But the version using a functional update continues to compile as is, even though it incorrectly ignores the new field. The correct thing to do would be to update the code as follows.

```
# let register heartbeat t hb =
    { t with last heartbeat time = hb.Heartbeat.time;
             last heartbeat status = hb.Heartbeat.status message;
   };;
```

Mutable fields

Like most OCaml values, records are immutable by default. You can, however, declare individual record fields as mutable. For example, we could take the client info type and make the fields that may need to change over time mutable, as follows.

```
# type client info =
   { addr: Unix.Inet addr.t;
    port: int;
    user: string;
    credentials: string;
    mutable last heartbeat time: Time.t;
    mutable last heartbeat status: string;
```

We then use the <- operator for actually changing the state. The side-effecting version of register heartbeat would be written as follows.

```
# let register heartbeat t hb =
    t.last heartbeat time <- hb.Heartbeat.time;</pre>
    t.last heartbeat status <- hb.Heartbeat.status message
val register heartbeat : client info -> Heartbeat.t -> unit = <fun>
```

Note that <- is not needed for initialization, because all fields of a record, including mutable ones, must be specified when the record is created.

OCaml's policy of immutable-by-default is a good one, but imperative programming does have its place. We'll discuss more about how (and when) to use OCaml's imperative features in "Imperative programming" on page 18.

First-class fields

Consider the following function for extracting the usernames from a list of Logon messages.

```
# let get users logons =
     List.dedup (List.map logons ~f:(fun x -> x.Logon.user));;
val get users : Logon.t list -> string list = <fun>
```

Here, we wrote a small function (fun $x \rightarrow x.Logon.user$) to access the user field. This kind of accessor function is a common enough pattern that that it would be convenient to generate them automatically. The fieldslib syntax extension that ships with Core does just that.

fields lib is invoked by putting the with fields annotation at the end of the declaration of a record type. So, for example, we could have defined Logon as follows.

```
# module Logon = struct
    type t =
      { session id: string;
        time: Time.t;
        user: string;
        credentials: string;
    with fields
 end;;
```

Given that definition, we can use the function Logon.user to extract the user field from a logon message.

```
# let get users logons = List.dedup (List.map logons ~f:Logon.user);;
val get users : Logon.t list -> string list = <fun>
```

In addition to generating field accessor functions, fieldslib also creates a sub-module called Fields that contains a first class representative of each field, in the form of a value of type Field.t. The Field module provides the following functions:

- Field.name, which returns the name of a field
- Field.get, which returns the content of a field
- Field.fset, which does a functional update of a field
- Field.setter, which returns None if the field is not mutable or Some f if it is, where f is a function for mutating that field.

A Field.t has two type parameters: the first for the type of the record, and the second for the type of the field in question. Thus, the type of Logon. Fields. session id is (Logon.t, string) Field.t, whereas the type of Logon.Fields.time is (Logon.t, Time.t) Field.t. Accordingly, the function Field.get has type

```
('r, 'a) Field.t -> 'r -> 'a
```

As you can see, the first parameter of the Field.t corresponds to the record you pass to get, and the second argument corresponds to the value contained in the field, which is also the return type of get.

We can use first class fields to do things like write a generic function for displaying a record field.

```
# let show field field to_string record =
    let name = Field.name field in
    let field string = to string (Field.get field record) in
    name ^ ": " ^ field_string
val show field: ('a, 'b) Field.t -> ('b -> string) -> 'a -> string = <fun>
```

This takes three arguments: the Field.t, a function for converting the contents of the field in question to a string, and a record from which the field can be grabbed...

Here's an example of show_field in action.

```
# let logon = { Logon.
                 session_id = "26685";
                 time = \overline{\text{Time.now}} ();
                 user = "yminsky";
                 credentials = "Xy2d9W"; }
# show_field Logon.Fields.user Fn.id logon;;
- : string = "user: yminsky"
# show_field Logon.Fields.time Time.to_string logon;;
-: string = "time: 2012-06-26 18:44:13.807826"
```

As a side note, the above is our first use of the Fn module (short for "function") which provides a collection of useful primitives for dealing with functions. Fn.id is the identity function.

fieldslib also provides higher-level operators, like Fields.fold and Fields.iter, which let you iterate over all the fields of a record. The following function uses Logon. Fields. iter and show field to print out all the fields of a Logon record.

```
# let print logon logon =
    let print to string field =
     printf "%s\n" (show_field field to_string logon)
    Logon.Fields.iter
      ~session id:(print Fn.id)
      ~time:(print Time.to string)
      ~user:(print Fn.id)
      ~credentials:(print Fn.id)
val print logon : Logon.t -> unit = <fun>
# print logon logon;;
session id: 26685
time: 2012-06-26 18:44:13.807826
user: yminsky
credentials: Xy2d9W
- : unit = ()
```

One nice side effect of this approach is that it helps you refactor your code when changing the fields of a record. In particular, if you add a field to Logon, the type of iter will change with it, acquiring a new argument. Any code using iter won't be able to compile until it's fixed to take this new argument into account, and these compilation failiures will point out places you need to adapt your code.

Field iterators are useful for a variety of record-related tasks, from building record validation functions to scaffolding the definition of a web-form from a record type, all with a guarantee that you've considered all fields of the record type in question.

Variants

Variant types are one of the most useful features of OCaml, and also one of the most unusual. They let you represent data that may take on multiple different forms, where each form is marked by an explicit tag. As we'll see, when combined with pattern matching, variants give you a powerful way of representing complex data and of organizing the case-analysis on that information.

Let's consider a concrete example of how variants can be useful. Almost all terminals support a set of 8 basic colors, and we can represent those colors using a variant. Each color is declared as a simple tag, with pipes used to separate the different cases. Note that variant tags must be capitalized.

```
# type basic_color =
    Black | Red | Green | Yellow | Blue | Magenta | Cyan | White ;;
# Cyan ;;
- : basic_color = Cyan
# [Blue; Magenta; Red] ;;
- : basic_color list = [Blue; Magenta; Red]
```

The following function uses pattern matching to convert a basic_color to a corresponding integer. The exhaustiveness checking on pattern matches means that the compiler will warn us if we miss a color.

Using the above, we can generate escape codes to change the color of a given string displayed in a terminal.

```
# let color_by_number number text =
    sprintf "\027[38;5;%dm%s\027[0m" number text;;
    val color by number : int -> string -> string = <fun>
```

```
# let blue = color_by_number (basic_color_to_int Blue) "Blue";;
val blue : string = "\027[38;5;4mBlue\027[0m"
# printf "Hello %s World!\n" blue;;
Hello Blue World!
- : unit = ()
```

On most terminals, that word "Blue" will be rendered in blue.

In this example, the cases of the variant are simple tag with no associated data. This is substantively the same as the enumerations found in languages like C and Java. But as we'll see, variants can do considerably more than represent a simple enumeration. Indeed, an enumeration isn't enough to effectively describe the full set of colors that a modern terminal can display. Many terminals, including the venerable xterm, support 256 different colors, broken up into the following groups.

- The 8 basic colors, in regular and bold versions.
- A $6 \times 6 \times 6$ RGB color cube
- A 24-level grayscale ramp

We'll also represent this more complicated color-space as a variant, but this time, the different tags will have arguments which describe the data available in each case. Note that variants can have multiple arguments, which are separated by *'s.

```
# type weight = Regular | Bold
  type color =
  Basic of basic_color * weight (* basic colors, regular and bold *)
  RGB of int * int * int
                                  (* 6x6x6 color cube *)
                                  (* 24 grayscale levels *)
  | Gray of int
# [RGB (250,70,70); Basic (Green, Regular)];;
- : color list = [RGB (250, 70, 70); Basic (Green, Regular)]
```

Once again, we'll use pattern matching to convert a color to a corresponding integer. But in this case, the pattern matching does more than separate out the different cases; it also allows us to extract the data associated with each tag.

```
# let color to int = function
    | Basic (basic color, weight) ->
      let base = match weight with Bold -> 8 | Regular -> 0 in
      base + basic color to int basic color
     RGB (r,g,b) \rightarrow 16 + b + g * 6 + r * 36
    | Gray i -> 232 + i ;;
val color to int : color -> int = <fun>
```

Now, we can print text using the full set of available colors.

```
# let color print color s =
    printf "%s\n" (color by number (color to int color) s);;
val color_print : color -> string -> unit = <fun>
# color_print (Basic (Red,Bold)) "A bold red!";;
A bold red!
```

```
- : unit = ()
# color_print (Gray 4) "A muted gray...";;
A muted gray...
- : unit = ()
```



Catch-all cases and refactoring

OCaml's type system can act as a refactoring tool, by warning you of places where your code needs to be updated to match an interface change. This is particularly valuable in the context of variants.

Consider what would happen if we were to change the definition of color to the following.

```
# type color =
   Basic of basic_color
                            (* basic colors *)
                            (* bold basic colors *)
   Bold of basic_color
   RGB of int * int * int (* 6x6x6 color cube *)
                            (* 24 grayscale levels *)
   Gray of int
```

We've essentially broken out the Basic case into two cases, Basic and Bold, and Basic has changed from having two arguments to one. color to int as we wrote it still expects the old structure of the variant, and if we try to compile that same code again, the compiler will notice the discrepancy.

```
# let color_to_int = function
    | Basic (basic color, weight) ->
     let base = match weight with Bold -> 8 | Regular -> 0 in
      base + basic_color_to_int basic_color
     RGB (r,g,b) \rightarrow 16 + b + g * 6 + r * 36
     Gray i -> 232 + i ;;
Characters 40-60:
Error: This pattern matches values of type 'a \ast 'b
       but a pattern was expected which matches values of type basic_color
```

Here, the compiler is complaining that the Basic tag is used with the wrong number of arguments. If we fix that, however, the compiler flag will flag a second problem, which is that we haven't handled the new Bold tag.

```
# let color_to_int = function
      Basic basic_color -> basic_color_to_int basic_color
      RGB (r,g,b)^- \rightarrow 16 + b + g * 6 + r * 36
     Gray i -> 232 + i ;;
Characters 19-154:
Warning 8: this pattern-matching is not exhaustive.
Here is an example of a value that is not matched:
val color to int : color -> int = <fun>
```

Fixing this now leads us to the correct implementation.

```
# let color to int = function
    | Basic basic_color -> basic_color_to_int basic_color
```

```
Bold basic color -> 8 + basic_color_to_int basic_color
      RGB (r,g,b) \rightarrow 16 + b + g * 6 + r * 36
      Gray i -> 232 + i ;;
val color_to_int : color -> int = <fun>
```

As we've seen, the type errors identified the things that needed to be fixed to complete the refactoring of the code. This is fantastically useful, but for it to work well and reliably, you need to write your code in a way that maximizes the compiler's chances of helping you find the bugs. One important rule of thumb to follow to maximize what the compiler can do for you is to avoid catch-all cases in pattern matches.

Here's an example of how a catch-all case plays in. Imagine we wanted a version of color to int that works on older terminals by rendering the first 16 colors (the 8 basic colors in regular and bold) in the normal way, but rendering everything else as white. We might have written the function as follows.

```
# let oldschool_color_to_int = function
     Basic (basic color, weight) ->
      let base = match weight with Bold -> 8 | Regular -> 0 in
      base + basic_color_to_int basic_color
      -> basic_color_to_int White;;
val oldschool color to int : color -> int = <fun>
```

But because the catch-all case encompasses all possibilities, the type system will no longer warn us that we have missed the new Bold case when we change the type to include it. We can get this check back by being more explicit about what we're ignoring. We haven't changed the behavior of the code, but we have improved our robustness to change.

Combining records and variants

Records and variants are most effective when used in concert. Consider again the type Log entry.t from Chapter 5:

```
# module Log entry = struct
    type t =
      { session id: string;
        time: Time.t;
        important: bool;
        message: string;
 end
```

This record type combines multiple pieces of data into one value. In particular, a single Log entry.t has a session id and a time and an important flag and a message. More generally, you can think of record types as acting as conjunctions. Variants, on the other hand, are disjunctions, letting you represent multiple possibilities, as in the following example.

```
# type client_message = | Logon of Logon.t
                          Heartbeat of Heartbeat.t
                        | Log entry of Log entry.t
 ;;
```

A client_message is a Logon or a Heartbeat or a Log_entry. If we want to write code that processes messages generically, rather than code specialized to a fixed message type, we need something like client message to act as one overarching type for the different possible messages. We can then match on the client message to determine the type of the particular message being dealt with.

You can increase the precision of your types by using variants to represent differences between types, and records to represent shared structure. Consider the following function that takes a list of client messages and returns all messages generated by a given user. The code in question is implemented by folding over the list of messages, where the accumulator is a pair of:

- the set of session identifiers for the user that have been seen thus far.
- the set of messages so far that are associated with the user.

Here's the concrete code.

```
# let messages for user user messages =
    let (user messages, ) =
      List.fold messages ~init:([],String.Set.empty)
        ~f:(fun ((messages,user sessions) as acc) message ->
         match message with
          | Logon m ->
            if m.Logon.user = user then
              (message::messages, Set.add user sessions m.Logon.session id)
          | Heartbeat | Log entry ->
            let session id = match message with
                        m -> m.Logon.session id
               Heartbeat m -> m.Heartbeat.session id
               Log entry m -> m.Log entry.session id
            in
            if Set.mem user sessions session id then
              (message::messages,user sessions)
            else acc
   in
   List.rev user messages
val messages for user : string -> client message list -> client message list =
```

There's one awkward bit about the code above, which is the calculation of the session ids. In particular, we have the following repetitive snippet of code:

```
let session id = match message with
```

```
m -> m.Logon.session id
Heartbeat m -> m.Heartbeat.session_id
Log_entry m -> m.Log_entry.session_id
```

This code effectively computes the session id for each underlying message type. The repetition in this case isn't that bad, but would become problematic in larger and more complicated examples. Also, we had to include code for the Logon case, even though it can't actually come up.

We can improve the code by refactoring our types to explicitly separate the parts that are shared from those that are common. The first step is to cut down the definitions of the per-message records to just contain the unique components of each message.

```
# module Log entry = struct
    type t = { important: bool;
              message: string;
 end
 module Heartbeat = struct
   type t = { status_message: string; }
  end
 module Logon = struct
    type t = { user: string;
              credentials: string;
 end
```

We can then define a variant type that covers the different possible unique components.

```
# type details =
  | Logon of Logon.t
  | Heartbeat of Heartbeat.t
  | Log_entry of Log_entry.t
```

Separately, we need a record that contains the fields that are common across all messages.

```
# module Common = struct
    type t = { session id: string;
               time: Time.t;
 end
 ;;
```

A full message can then be represented as a pair of a Common.t and a details. Using this, we can rewrite our example above as follows:

```
# let messages_for_user user messages =
   let (user messages, ) =
      List.fold messages ~init:([],String.Set.empty)
        ~f:(fun ((messages,user sessions) as acc) ((common,details) as message) ->
          let session id = common.Common.session id in
          match details with
          | Logon m ->
            if m.Logon.user = user then
              (message::messages, Set.add user sessions session id)
            else acc
          | Heartbeat | Log entry ->
            if Set.mem user sessions session id then
              (message::messages,user sessions)
            else acc
   in
   List.rev user messages
val messages for user :
  string -> (Common.t * details) list -> (Common.t * details) list = <fun>
```

Note that the more complex match statement for computing the session id has been replaced with the simple expression common.Common.session id.

In addition, this design allows us to essentially downcast to the specific message type once we know what it is, and then dispatch code to handle just that message type. In particular, while we use the type Common.t * details to represent an arbitrary message, we can use Common.t * Logon.t to represent a logon message. Thus, if we had functions for handling individual message types, we could write a dispatch function as follows.

```
# let handle message server state (common,details) =
   match details with
     Log entry m -> handle log entry server state (common, m)
     Logon m -> handle logon
                                   server state (common, m)
     Heartbeat m -> handle heartbeat server state (common, m)
```

And it's explicit at the type level that handle log_entry sees only Log_entry messages, handle logon sees only Logon messages, etc.

Variants and recursive data structures

Another common application of variants is to represent tree-like recursive data-structures. We'll show how this can be done by walking through the design of a simple Boolean expression language. Such a language can be useful anywhere you need to specify filters, which are used in everything from packet analyzers to mail clients.

An expression in this language will be defined by the variant blang (short for "boolean language") with one tag for each kind of expression we want to support.

```
# type 'a blang =
   Base of 'a
   Const of bool
   And of 'a blang list
        of 'a blang list
   0r
  Not of 'a blang
```

Note that the definition of the type blang is recursive, meaning that a blang may contain other blangs.

The purpose of each tag is pretty straightforward. And, Or and Not are the basic operators for building up boolean expression, and Const lets you enter constants true and false.

The Base tag is what allows you to tie the blang to your application, by letting you specify an element of some base predicate type, whose truth or falsehood is determined by your application. If you were writing a filter language for an email processor, your base predicates might specify the tests you would run against an email, as in the following example.

```
# type mail field = To | From | CC | Date | Subject
 type mail_predicate = { field: mail_field;
                          contains: string }
```

Using the above, we can construct a simple expression with mail predicate as its base predicate.

```
# let test field contains = Base { field; contains };;
val test : mail_field -> string -> mail_predicate blang = <fun>
# And [ Or [ test To "doligez"; test CC "doligez" ];
        test Subject "runtime";
- : mail_predicate blang =
And
[Or
   [Base {field = To; contains = "doligez"};
   Base {field = CC; contains = "doligez"}];
 Base {field = Subject; contains = "runtime"}]
```

Being able to construct such expressions isn't enough: we also need to be able to evaluate such an expression. The following code shows how you could write a generalpurpose evaluator for blang's.

```
# let rec eval blang base eval =
    (* a shortcut, so we don't need to repeatedly pass [base eval]
      explicitly to [eval] *)
   let eval' blang = eval blang base_eval in
   match blang with
    | Base base
                  -> base eval base
```

```
Const bool -> bool
     And blangs -> List.for_all blangs ~f:eval'
           blangs -> List.exists blangs ~f:eval'
     Not blang -> not (eval' blang)
val eval : 'a blang -> ('a -> bool) -> bool = <fun>
```

The structure of the code is pretty straightforward --- we're just pattern-matching over the structure of the data, doing the appropriate calculation based on which tag we see. To use this evaluator on a concrete example, we just need to write the base eval function which is capable of evaluating a base predicate.

Another useful operation to be able to do on expressions is simplification. The following function applies some basic simplification rules, most of the simplifications being driven by the presence of constants.

```
# let rec simplify = function
      Base _ | Const _ as x -> x
      And blangs ->
      let blangs =
        List.map ~f:simplify blangs
        |> List.filter ~f:(fun x -> x <> Const true)
      if List.is empty blangs then Const true
      else if List.exists blangs ^{\sim}f:(fun x -> x = Const false)
      then Const false
      else And blangs
    | Or blangs ->
      let blangs =
        List.map ~f:simplify blangs
        |> List.filter ~f:(fun x -> x <> Const false)
      if List.is empty blangs then Const false
      else if List.exists blangs ~f:(fun x -> x = Const true)
      then Const true
      else Or blangs
    | Not blang ->
      match simplify blang with
      | Const bool -> Const (not bool)
      | blang -> Not blang
;;
val simplify : 'a blang -> 'a blang = <fun>
```

One thing to notice about the above code is that it uses a catch-all case in the very last line within the Not case. It's generally better to be explicit about the cases you're ignoring. Indeed, if we change this snippet of code to be more explicit:

```
| Not blang ->
 match simplify blang with
  | Const bool -> Const (not bool)
  | (And _ | Or _ | Base _ | Not _) -> Not blang
```

it's easy to see that we've missed an important case: double-negation.

```
| Not blang ->
 match simplify blang with
  | Const b -> Const (not b)
   Not blang -> blang
   (And _ | Or _ | Base _ ) -> Not blang
```

This example is more than a toy. There's a module very much in this spirit in Core called Blang, and it gets a lot of practical use in a variety of applications.

More generally, using variants to build recursive data-structures is a common technique, and shows up everywhere from designing little languages to building efficient datastructures.

Polymorphic variants

In addition to the ordinary variants we've seen so far, OCaml also supports so-called polymorphic variants. As we'll see, polymorphic variants are more flexible and syntactically more lightweight than ordinary variants, but that extra power comes at a cost.

Syntactically, polymorphic variants are distinguished from ordinary variants by the leading backtick. And unlike ordinary variants, polymorphic variants can be used without an explicit type declaration.

```
# let three = `Int 3;;
val three : [> `Int of int ] = `Int 3
# let four = `Float 4.;;
val four : [> `Float of float ] = `Float 4.
# let nan = `Not a_number;;
val nan : [> `Not a number ] = `Not a number
# [three; four; nan];;
-: [> `Float of float | `Int of int | `Not a number ] list =
[`Int 3; `Float 4.; `Not a number]
```

As you can see, polymorphic variant types are inferred automatically, and when we combine variants with different tags, the compiler infers a new type that knows about all of those tags.

The type system will complain, however, if it sees incompatible uses of the same tag:

```
# let five = `Int "five";;
val five : [> `Int of string ] = `Int "five"
# [three; four; five];;
Characters 14-18:
  [three; four; five];;
Error: This expression has type [> `Int of string ]
       but an expression was expected of type
         [> `Float of float | `Int of int ]
       Types for tag `Int are incompatible
```

The > at the beginning of the variant types above is critical, because it marks the types as being open to combination with other variant types. We can read the type [> `Int of string | `Float of float] as describing a variant whose tags include `Int of string and `Float of float, but may include more tags as well. In other words, you can roughly translate > to mean: "these tags or more".

OCaml will in some cases infer a variant type with <, to indicate "these tags or less", as in the following example.

```
# let is positive = function
     \mid Int x \rightarrow x > 0
     | `Float x \rightarrow x > 0.
val is positive : [< `Float of float | `Int of int ] -> bool = <fun>
```

The < is there because is positive has no way of dealing with values that have tags other than `Float of float or `Int of int.

We can think of these < and > markers as indications of upper and lower bounds on the tags involved. If the same set of tags are both an upper and a lower bound, we end up with an exact polymorphic variant type, which has neither marker. For example:

```
# let exact = List.filter ~f:is positive [three;four];;
val exact : [ `Float of float | `Int of int ] list
   = [`Int 3; `Float 4.]
```

Perhaps surprisingly, we can also create polymorphic variant types that have different upper and lower bounds.

```
# let is positive = function
        `Int x \rightarrow 0k (x > 0)
        `Float x \rightarrow 0k (x > 0.)
      | `Not a number -> Error "not a number";;
val is positive :
  [< `Float of float | `Int of int | `Not a number ] ->
  (bool, string) Core.Result.t = <fun>
# List.filter [three; four] ~f:(fun x ->
match is_positive x with Error _ -> false | Ok b -> b);;
- : [< `Float of float | `Int of int | `Not_a_number > `Float `Int ] list =
[`Int 3; `Float 4.]
```

Here, the inferred type states that the tags can be no more than `Float, `Int and 'Not a number, and must contain at least 'Float and 'Int. As you can already start to see, polymorphic variants can lead to fairly complex inferred types.

Example: Terminal colors redux

To see how to use polymorphic variants in practice, we'll return to terminal colors. Imagine that we have a new terminal type that adds yet more colors, say, by adding an alpha channel so you can specify translucent colors. We could model this extended set of colors as follows, using an ordinary variant.

```
# type extended color =
   Basic of basic_color * weight (* basic colors, regular and bold *)
                                 (* 6x6x6 color space *)
   RGB of int * int * int
                                  (* 24 grayscale levels *)
   Gray of int
  RGBA of int * int * int * int (* 6x6x6x6 color space *)
```

We want to write a function extended color to int, that works like color to int for all of the old kinds of colors, with new logic only for handling colors that include an alpha channel. One might try to write such a function as follows.

```
# let extended color to int = function
      RGBA (r,g,b,a) \rightarrow 256 + a + b * 6 + g * 36 + r * 216
    | (Basic _ | RGB _ | Gray _) as color -> color_to_int color
```

This looks reasonable enough, but it leads to the following type error.

```
Characters 93-98:
    | (Basic _ | RGB _ | Gray _) as color -> color_to_int color
Error: This expression has type extended color
       but an expression was expected of type color
```

The problem is that extended color and color are in the compiler's view distinct and unrelated types. The compiler doesn't, for example, recognize any equality between the Basic tag in the two types.

What we want to do is to share tags between two different variant types, and polymorphic variants let us do this in a natural way. First, let's rewrite basic color to int and color to int using polymorphic variants. The translation here is pretty straightforward.

```
# let basic color to int = function
    | `Black -> 0 | `Red -> 1 | `Green -> 2 | `Yellow -> 3
    | `Blue -> 4 | `Magenta -> 5 | `Cyan -> 6 | `White -> 7
 let color to int = function
     `Basic (basic color, weight) ->
     let base = match weight with `Bold -> 8 | `Regular -> 0 in
     base + basic_color_to_int basic_color
     `RGB (r,g,b)^- \rightarrow 16^+ b^+ g * 6^+ r * 36
    | `Gray i -> 232 + i
val basic color to int :
 [< `Black | `Blue | `Cyan | `Green | `Magenta | `Red | `White | `Yellow ] ->
 int = <fun>
val color_to_int :
```

```
[< `Basic of
      [< `Black | `Blue | `Cyan | `Green | `Magenta | `Red</pre>
     | `White | `Yellow ]
[< `Bold | `Regular ]
   `Gray of int
 | `RGB of int * int * int ] ->
int = <fun>
```

Now we can try writing extended color to int. The key issue with this code is that extended color to int needs to invoke color to int with a narrower type, i.e., one that includes fewer tags. Written properly, this narrowing can be done via a pattern match. In particular, in the following code, the type of the variable color includes only the tags `Basic, `RGB and `Gray, and not `RGBA.

```
# let extended color to int = function
    | RGBA (r,g,b,a) -> 256 + a + b * 6 + g * 36 + r * 216
    | (`Basic _ | `RGB _ | `Gray _) as color -> color_to_int color
val extended color to int :
 (< `Basic of</pre>
       [< `Black | `Blue | `Cyan | `Green | `Magenta | `Red</pre>
        | `White | `Yellow ] *
       [< `Bold | `Regular ]</pre>
    `Gray of int
    `RGB of int * int * int
    `RGBA of int * int * int * int ] ->
 int = <fun>
```

The above code is more delicately balanced than one might imagine. In particular, if we use a catch-all case instead of an explicit enumeration of the cases, the type is no longer narrowed, and so compilation fails.

```
# let extended color to int = function
    | `RGBA (r,g,b,a) -> 256 + a + b * 6 + g * 36 + r * 216
    | color -> color_to_int color
      Characters 125-130:
      | color -> color to int color
Error: This expression has type [> `RGBA of int * int * int * int ]
       but an expression was expected of type
         [< `Basic of</pre>
               [< `Black | `Blue | `Cyan | `Green | `Magenta | `Red</pre>
               | `White | `Yellow ]
[< `Bold | `Regular ]
             `Gray of int
           | `RGB of int * int * int |
       The second variant type does not allow tag(s) `RGBA
```



Polymorphic variants and catch-all cases

As we saw with the definition of is positive, a match statement can lead to the inference of an upper bound on a variant type, limiting the possible tags to those that can be handled by the match. If we add a catch-all case to our match statement, we end up with a function with a lower bound.

```
# let is_positive_permissive = function
       Int x \rightarrow 0k (x > 0)
       `Float x \rightarrow 0k (x > 0.)
     | _ -> Error "Unknown number type"
val is positive permissive :
  [> `Float of float | `Int of int ] -> (bool, string) Core.Std._result =
# is positive permissive (`Int 0);;
- : (bool, string) Result.t = Ok false
# is_positive_permissive (`Ratio (3,4));;
- : (bool, string) Result.t = Error "Unknown number type"
```

Catch-all cases are error-prone even with ordinary variants, but they are especially so with polymorphic variants. That's because you have no way of bounding what tags your function might have to deal with. Such code is particularly vulnerable to typos. For instance, if code that uses is positive permissive passes in Float misspelled as Floot, the erroneous code will compile without complaint.

```
# is positive permissive (`Floot 3.5);;
- : (bool, string) Result.t = Error "Unknown number type"
```

With ordinary variants, such a typo would have been caught as an unknown tag. As a general matter, one should be wary about mixing catchall cases and polymorphic variants.

Let's consider how we might turn our code into a proper library with an implementation in an ml file and an implementation in a separate mli, as we saw in Chapter 4. Let's start with the mli.

```
(* file: terminal color.mli *)
open Core.Std
type basic color =
  [ `Black | `Blue | `Cyan | `Green
  | `Magenta | `Red | `White | `Yellow ]
type color =
  [ `Basic of basic color * [ `Bold | `Regular ]
    `Gray of int
  | `RGB of int * int * int ]
type extended color =
```

```
[ color
   `RGBA of int * int * int * int ]
val color to int
                         : color -> int
val extended color to int : extended color -> int
```

Here, extended color is defined as an explicit extension of color. Also, notice that we defined all of these types as exact variants. We can implement this library as follows.

```
(* file: terminal color.ml *)
open Core.Std
type basic color =
 [ `Black | `Blue | `Cyan | `Green
  | `Magenta | `Red | `White | `Yellow ]
type color =
  [ `Basic of basic color * [ `Bold | `Regular ]
   `Gray of int
  | `RGB of int * int * int ]
type extended color =
  [ color
  RGBA of int * int * int * int ]
let basic color to int = function
   `Black -> 0 | `Red -> 1 | `Green -> 2 | `Yellow -> 3
  | `Blue -> 4 | `Magenta -> 5 | `Cyan -> 6 | `White -> 7
let color to int = function
   `Basic (basic color,weight) ->
    let base = match weight with `Bold -> 8 | `Regular -> 0 in
    base + basic color to int basic color
   `RGB (r,g,b) \rightarrow 16 + \overline{b} + g * 6 + r * 36
  | `Gray i -> 232 + i
let extended color to int = function
    `RGBA (r,g,b,a) -> 256 + a + b * 6 + g * 36 + r * 216
    `Grey x -> 2000 + x
  | (`Basic _ | `RGB _ | `Gray _) as color -> color_to_int color
```

In the above code, we did something funny to the definition of exten ded color to int, that underlines some of the downsides of polymorphic variants. In particular, we added some special-case handling for the color gray, rather than using color to int. Unfortunately, we misspelled Gray as Grey. This is exactly the kind of error that the compiler would catch with ordinary variants, but with polymorphic variants, this compiles without issue. All that happened was that the compiler inferred a wider type for extended color to int, which happens to be compatible with the narrower type that was listed in the mli.

If we add an explicit type annotation to the code itself (rather than just in the mli), then the compiler has enough information to warn us.

```
let extended_color_to_int : extended_color -> int = function
    `RGBA (r,g,b,a) \rightarrow 256 + a + b * 6 + g * 36 + r * 216
    `Grey x -> 2000 + x
  | (`Basic _ | `RGB _ | `Gray _) as color -> color_to_int color
```

In particular, the compiler will complain that the `Grey case as unused.

```
File "terminal color.ml", line 29, characters 4-11:
Warning 11: this match case is unused.
```

Once we have type definitions at our disposal, we can revisit the question of how we write the pattern-match that narrows the type. In particular, we can explicitly use the type name as part of the pattern match, by prefixing it with a #.

```
let extended color to int : extended color -> int = function
    `RGBA (r,g,b,a) \rightarrow 256 + a + b * 6 + g * 36 + r * 216
    #color as color -> color to int color
```

This is useful when you want to narrow down to a type whose definition is long, and you don't want the verbosity of writing the tags down explicitly in the match.

When to use polymorphic variants

At first glance, polymorphic variants look like a strict improvement over ordinary variants. You can do everything that ordinary variants can do, plus it's more flexible and more concise. What's not to like?

In reality, regular variants are the more pragmatic choice most of the time. That's because the flexibility of polymorphic variants comes at a price. Here are some of the downsides.

- Complexity: As we've seen, the typing rules for polymorphic variants are a lot more complicated than they are for regular variants. This means that heavy use of polymorphic variants can leave you scratching your head trying to figure out why a given piece of code did or didn't compile. It can also lead to absurdly long and hard to decode error messages. Indeed, concision at the value level is often balanced out by more verbosity at the type level.
- Error-finding: Polymorphic variants are type-safe, but the typing discipline that they impose is, by dint of its flexibility, less likely to catch bugs in your program.
- Efficiency: This isn't a huge effect, but polymorphic variants are somewhat heavier than regular variants, and OCaml can't generate code for matching on polymorphic variants that is quite as efficient as what is generated for regular variants.

All that said, polymorphic variants are still a useful and powerful feature, but it's worth understanding their limitations, and how to use them sensibly and modestly.

Probably the safest and most common use-case for polymorphic variants is for cases where ordinary variants would be sufficient, but are syntactically too heavyweight. For example, you often want to create a variant type for encoding the inputs or outputs to a function, where it's not worth declaring a separate type for it. Polymorphic variants are very useful here, and as long as there are type annotations that constrain these to have explicit, exact types, this tends to work well.

Variants are most problematic exactly where you take full advantage of their power; in particular, when you take advantage of the ability of polymorphic variant types to overlap in the tags they support. This ties into OCaml's support for subtyping. As we'll discuss further when we cover objects in Chapter 10, subtyping brings in a lot of complexity, and most of the time, that's complexity you want to avoid.

Error Handling

Nobody likes dealing with errors. It's tedious, it's easy to get wrong, and it's usually just not as fun as planning out how your program is going to succeed. But error handling is important, and however much you don't like thinking about it, having your software fail due to poor error handling code is worse.

Thankfully, OCaml has powerful tools for handling errors reliably and with a minimum of pain. In this chapter we'll discuss some of the different approaches in OCaml to handling errors, and give some advice on how to design interfaces that make error handling easier.

We'll start by describing the two basic approaches for reporting errors in OCaml: error-aware return types and exceptions.

Error-aware return types

The best way in OCaml to signal an error is to include that error in your return value. Consider the type of the find function in the List module.

```
# List.find;;
- : 'a list -> f:('a -> bool) -> 'a option
```

The option in the return type indicates that the function may not succeed in finding a suitable element, as you can see below.

```
# List.find [1;2;3] ~f:(fun x -> x >= 2) ;;
- : int option = Some 2
# List.find [1;2;3] ~f:(fun x -> x >= 10) ;;
- : int option = None
```

Having errors be explicit in the return values of your functions tells the caller that there is an error that needs to be handled. The caller can then handle the error explicitly, either recovering from the error or propagating it onward.

Consider the compute_bounds function defined below. The function takes a list and a comparison function, and returns upper and lower bounds for the list by finding the smallest and largest element on the list. List.hd and List.last, which return None when they encounter an empty list, are used to extract the largest and smallest element of the

```
# let compute bounds ~cmp list =
     let sorted = List.sort ~cmp list in
     match List.hd sorted, List.last sorted with
     | None,_ | _, None -> None
     | Some x, Some y \rightarrow Some (x,y)
val compute bounds :
  cmp: (\dot{a} \rightarrow \dot{a} \rightarrow \dot{a} \rightarrow \dot{a} \rightarrow \dot{a}) -> 'a list -> ('a * 'a) option = \langle fun \rangle
```

The match statement is used to handle the error cases, propagating a None in hd or last into the return value of compute bounds.

On the other hand, in find mismatches below, errors encountered during the computation do not propagate to the return value of the function. find mismatches takes two hash tables as arguments, and searches for keys that have different data in one table than in the other. As such, the failure to find a key in one table isn't a failure of any sort.

```
# let find mismatches table1 table2 =
     Hashtbl.fold table1 ~init:[] ~f:(fun ~key ~data mismatches ->
        match Hashtbl.find table2 key with
          Some data' when data' <> data -> key :: mismatches
          -> mismatches
val find mismatches:
  ('a, '\overline{b}) Hashtbl.t -> ('a, 'b) Hashtbl.t -> 'a list = \langle fun \rangle
```

The use of options to encode errors underlines the fact that it's not clear whether a particular outcome, like not finding something on a list, is really an error, or just another valid outcome of your function. This turns out to be very context-dependent, and erroraware return types give you a uniform way of handling the result that works well for both situations.

Encoding errors with Result

Options aren't always a sufficiently expressive way to report errors. Specifically, when you encode an error as None, there's nowhere to say anything about the nature of the

Result.t is meant to address this deficiency. The type is defined as follows.

```
module Result : sig
   type ('a,'b) t = | Ok of 'a
```

```
| Error of 'b
```

end

A Result.t is essentially an option augmented with the ability to store other information in the error case. Like Some and None for options, the constructors Ok and Error are promoted to the toplevel by Core. Std. As such, we can write:

```
# [ Ok 3; Error "abject failure"; Ok 4 ];;
- : (int, string) Core.Result.t list = [Ok 3; Error "abject failure"; Ok 4]
```

without first opening the Result module.

Error and Or error

Result.t gives you complete freedom to choose the type of value you use to represent errors, but it's often useful to standardize on an error type. Among other things, this makes it easier to write utility functions to automate common error handling patterns.

But which type to choose? Is it better to represent errors as strings? Some more structured representation like XML or s-expressions? Or something else entirely?

Core's answer to this question is the Error.t type, which tries to forge a good compromise between efficiency, convenience, and control over the presentation of errors.

It might not be obvious at first why efficiency is an issue at all. But generating error messages is an expensive business. An ASCII representation of a value can be quite time-consuming to construct, particularly if it includes expensive-to-convert numerical

Error gets around this issue through laziness. In particular, an Error.t allows you to put off generation of the error string until you need it, which means a lot of the time you never have to construct it at all. You can of course construct an error directly from a string:

```
# Error.of_string "something went wrong";;
- : Core.Std.Error.t = "something went wrong"
```

A more interesting construction message from a performance point of view is to construct an Error.t from a thunk, i.e., a function that takes a single argument of type unit.

```
# Error.of thunk (fun () ->
    sprintf "something went wrong: %f" 32.3343);;
  - : Core.Std.Error.t = "something went wrong: 32.334300"
```

In this case, we can benefit from the laziness of Error, since the thunk won't be called until the Error.t is converted to a string.

We can also create an Error.t based on an s-expression converter. This is probably the most common idiom in Core.

```
# Error.create "Something failed a long time ago" Time.epoch Time.sexp_of_t;;
: Core.Std.Error.t =
"Something failed a long time ago: (1969-12-31 19:00:00.000000)"
```

Here, the value Time.epoch is included in the error, but that value isn't converted into an s-expression until the error is printed out. Using the Sexplib syntax-extension, which is discussed in more detail in chapter xref (data-serialization-with-ison-xml-and-s-ex pressions), we can create an s-expression converter for a new type, thus allowing us to conveniently register multiple pieces of data in an Error.t as a tuple.

```
# Error.create "Something went terribly wrong"
    (3.5, ["a";"b";"c"], 6034)
    <:sexp_of<float * string list * int>> ;;
- : Core.Std.Error.t = "Something went terribly wrong: (3.5(a b c)6034)"
```

The above declaration of <: sexp of < float * string list * int>> is interpreted by sexplib as a sexp-converter for the tuple.

Error also supports operations for transforming errors. For example, it's often useful to augment an error with some extra information about the context of the error, or to combine multiple errors together. Error.tag and Error.of list fulfill these roles.

The type 'a Or_error.t is just a shorthand for ('a, Error.t) Result.t, and it is, after option, the most common way of returning errors in Core.

bind and other error-handling idioms

As you write more error handling code in OCaml, you'll discover that certain patterns start to emerge. A number of these common patterns have been codified by functions in modules like Option and Result. One particularly useful pattern is built around the function bind, which is both an ordinary function and an infix operator >>=. Here's the definition of bind for options.

```
# let bind option f =
    match option with
    None -> None
    | Some x \rightarrow f x
;; val bind : 'a option -> ('a -> 'b option) -> 'b option = <fun>
```

As you can see, bind None freturns None without calling f, and bind (Some x) freturns f x. Perhaps surprisingly, bind can be used as a way of sequencing together errorproducing functions so that the first one to produce an error terminates the computation. Here's a rewrite of compute bounds to use a nested series of binds.

```
# let compute bounds ~cmp list =
   let sorted = List.sort ~cmp list in
   Option.bind (List.hd sorted) (fun first ->
```

The above code is a little bit hard to swallow, however, on a syntactic level. We can make it a bit easier to read, and drop some of the parenthesis, by using the infix operator form of bind. Note that we locally open the <code>Option.Monad_infix</code> module to get access to the operators. (The module is called <code>Monad_infix</code> because the bind operator is part of a sub-interface called <code>Monad</code>, which we'll talk about more in Chapter 16.

```
# let compute_bounds ~cmp list =
  let open Option.Monad_infix in
  let sorted = List.sort ~cmp list in
  List.hd sorted >>= fun first ->
  List.last sorted >>= fun last ->
  Some (first,last)
```

There are other useful idioms encoded in the functions in Option. Another example is Option.both, which takes two optional values and produces a new optional pair that is None if either of its arguments are None. Using Option.both, we can make compute_bounds even shorter.

```
# let compute_bounds ~cmp list =
  let sorted = List.sort ~cmp list in
  Option.both (List.hd sorted) (List.last sorted)
```

These error-handling functions are valuable because they let you express your error handling both explicitly and concisely. We've only discussed these functions in the context of the Option module, but similar functionality is available in both Result and Or error.

Exceptions

Exceptions in OCaml are not that different from exceptions in many other languages, like Java, C# and Python. Exceptions are a way to terminate a computation and report an error, while providing a mechanism to catch and handle (and possibly recover from) exceptions that are triggered by sub-computations.

You can trigger an exception by, for example, dividing an integer by zero:

```
# 3 / 0;;
Exception: Division by zero.
```

And an exception can terminate a computation even if it happens nested a few levels deep in a computation.

```
# List.map ~f:(fun x -> 100 / x) [1;3;0;4];;
Exception: Division by zero.
```

If we put a printf in the middle of the computation, we can see that List.map is interrupted part way through it's execution:

```
# List.map ~f:(fun x -> printf "%d\n%!" x; 100 / x) [1;3;0;4];;
3
0
Exception: Division by zero.
```

In addition to built-in exceptions like Divide by zero, OCaml lets you define your own.

```
# exception Key not found of string;;
exception Key_not_found of string
# raise (Key_not_found "a");;
Exception: Key_not_found("a").
```

Here's an example of a function for looking up a key in an association list, i.e. a list of key/value pairs which uses this newly-defined exception:

```
# let rec find_exn alist key = match alist with
    [] -> raise (Key not found key)
    (key',data) :: tl -> if key = key' then data else find exn tl key
val find exn : (string * 'a) list -> string -> 'a = <fun>
# let alīst = [("a",1); ("b",2)];;
val alist : (string * int) list = [("a", 1); ("b", 2)]
# find_exn alist "a";;
- : int = 1
# find exn alist "c";;
Exception: Key_not_found("c").
```

Note that we named the function find exn to warn the user that the function routinely throws exceptions, a convention that is used heavily in Core.

In the above example, raise throws the exception, thus terminating the computation. The type of raise is a bit surprising when you first see it:

```
# raise;;
- : exn -> 'a = <fun>
```

The return type of 'a suggests that raise could return a value of any type. That seems impossible, and it is. Really, raise has this type because it never returns at all. This behavior isn't restricted to functions like raise that terminate by throwing exceptions. Here's another example of a function that doesn't return a value.

```
# let rec forever () = forever ();;
val forever : unit -> 'a = <fun>
```

forever doesn't return a value for a different reason: it is an infinite loop.

This all matters because it means that the return type of raise can be whatever it needs to be to fit in to the context it is called in. Thus, the type system will let us throw an exception anywhere in a program.



Declaring exceptions with with sexp

OCaml can't always generate a useful textual representation of an exception. For example:

```
# exception Wrong_date of Date.t;
exception Wrong_date of Date.t
# Wrong_date (Date.of_string "2011-02-23");;
- : exn = Wrong_date(_)
```

But if we declare the exception using with sexp (and the constituent types have sexp converters), we'll get something with more information.

```
# exception Wrong_date of Date.t with sexp;;
exception Wrong_date of Core.Std.Date.t
# Wrong_date (Date.of_string "2011-02-23");;
- : exn = (.Wrong date 2011-02-23)
```

The period in front of Wrong_date is there because the representation generated by with sexp includes the full module path of the module where the exception in question is defined. We'll talk more about modules in Chapter 4, but for now, it's enough to know that this is useful in tracking down which precise exception is being reported. In this case, since we've declared the exception at the toplevel, that module path is trivial.

Helper functions for throwing exceptions

A number of helper functions that are provided to simplify the task of throwing exceptions. The simplest one is failwith, which could be defined as follows:

```
# let failwith msg = raise (Failure msg);;
val failwith : string -> 'a = <fun>
```

There are several other useful functions for raising exceptions, which can be found in the API documentation for the Common and Exn modules in Core.

Another important way of throwing an exception is the assert directive. assert is used for situations where violation of condition in question is a bug. Consider the following piece of code for zipping together two lists.

```
# let merge_lists xs ys ~f =
   if List.length xs <> List.length ys then None
   else
```

```
let rec loop xs ys =
        match xs,ys with
        | [],[] -> []
        | x::xs, y::ys -> f x y :: loop xs ys
        | _ -> assert false
     in
     Some (loop xs ys)
val merge lists : 'a list -> 'b list -> f:('a -> 'b -> 'c) -> 'c list option =
# merge_lists [1;2;3] [-1;1;2] ~f:(+);;
-: int list option = Some [0; 3; 5]
# merge lists [1;2;3] [-1;1] ~f:(+);;
- : int list option = None
```

Here we use assert false, which means that the assert is guaranteed to trigger. In general, one can put an arbitrary condition in the assertion.

In this case, the assert can never be triggered because we have a check that makes sure that the lists are of the same length before we call loop. If we change the code so that we drop this test, then we can trigger the assert.

```
# let merge lists xs ys ~f =
     let rec loop xs ys =
        match xs,ys with
        | [],[] -> []
        | x::xs, y::ys -> f x y :: loop xs ys
        | _ -> assert false
     in
     loop xs ys
val merge_lists : 'a list -> 'b list -> f:('a -> 'b -> 'c) -> 'c list = <fun>
# merge_lists [1;2;3] [-1] ~f:(+);;
Exception: (Assert failure //toplevel// 25 15).
```

This shows what's special about assert, which is that it captures the source location.

Exception handlers

So far, we've only seen exceptions fully terminate the execution of a computation. But often, we want a program to be able to respond to and recover from an exception. This is achieved through the use of exception handlers.

In OCaml, an exception handler is declared using a try/with statement. Here's the basic syntax.

```
try <expr> with
| <pat1> -> <expr1>
| <pat2> -> <expr2>
```

A try/with clause first evaluates its body, <expr>. If no exception is thrown, then the result of evaluating the body is what the entire try/with clause evaluates to.

But if the evaluation of the body throws an exception, then the exception will be fed to the pattern match statements following the with. If the exception matches a pattern, then we consider the exception caught, and the try/with clause evaluates to the expression on the right-hand side of the matching pattern.

Otherwise, the original exception continues up the stack of function calls, to be handled by the next outer exception handler. If the exception is never caught, it terminates the program.

Cleaning up in the presence of exceptions

One headache with exceptions is that they can terminate your execution at unexpected places, leaving your program in an awkward state. Consider the following code snippet:

```
let load_config filename =
  let inc = In_channel.create filename in
  let config = Config.t_of_sexp (Sexp.input_sexp inc) in
  In_channel.close inc;
  config
```

The problem with this code is that the function that loads the s-expression and parses it into a Config.t might throw an exception if the config file in question is malformed. Unfortunately, that means that the In_channel.t that was opened will never be closed, leading to a file-descriptor leak.

We can fix this using Core's protect function. The basic purpose of protect is to ensure that the finally thunk will be called when f exits, whether it exited normally or with an exception. This is similar to the try/finally construct available in many programming languages, but it is implemented in a library, rather than being a built-in primitive. Here's how it could be used to fix load_config.

```
let load_config filename =
  let inc = In_channel.create filename in
  protect ~f:(fun () -> Config.t_of_sexp (Sexp.input_sexp inc)
  ~finally:(fun () -> In_channel.close inc)
```

Catching specific exceptions

OCaml's exception-handling system allows you to tune your error-recovery logic to the particular error that was thrown. For example, List.find_exn always throws Not_found. You can take advantage of this in your code, for example, let's define a function called lookup weight, with the following signature:

```
(** [lookup weight ~compute weight alist key] Looks up a
```

```
floating-point weight by applying [compute_weight] to the data
   associated with [key] by [alist]. If [key] is not found, then
    return 0.
*)
val lookup weight:
 compute weight: ('data -> float) -> ('key * 'data) list -> 'key -> float
```

We can implement such a function using exceptions as follows:

```
# let lookup weight ~compute weight alist key =
     let data = List.Assoc.find exn alist key in
     compute_weight data
   with
     Not_found -> 0. ;;
val lookup weight:
 compute weight:('a -> float) -> ('b * 'a) list -> 'b -> float =
```

This implementation is more problematic than it looks. In particular, what happens if compute weight itself throws an exception? Ideally, lookup weight should propagate that exception on, but if the exception happens to be Not found, then that's not what will happen:

```
# lookup weight ~compute weight:(fun -> raise Not found)
    ["a",3; "b",4] "a" ;;
- : float = 0.
```

This kind of problem is hard to detect in advance, because the type system doesn't tell us what kinds of exceptions a given function might throw. Because of this kind of confusion, it's usually better to avoid catching specific exceptions. In this case, we can improve the code by catching the exception in a narrower scope.

```
# let lookup weight ~compute weight alist key =
      try Some (List.Assoc.find exn alist key)
     with Not found -> None
   with
    | None -> 0.
     Some data -> compute weight data ;;
val lookup weight:
  compute weight:('a -> float) ->
  ('b, 'a) Core.Std.List.Assoc.t -> 'b -> float = <fun>
```

At which point, it makes sense to simply use the non-exception throwing function, List.Assoc.find, instead.

```
# let lookup weight ~compute weight alist key =
   match List.Assoc.find alist key with
    | None -> 0.
    Some data -> compute weight data ;;
val lookup_weight :
```

```
compute_weight:('a -> float) ->
('b, 'a) Core.Std.List.Assoc.t -> 'b -> float = <fun>
```

Backtraces

A big part of the point of exceptions is to give useful debugging information. But at first glance, OCaml's exceptions can be less than informative. Consider the following simple program.

If we build and run this program, we'll get a pretty uninformative error:

```
$ ./exn
3
Fatal error: exception Exn.Empty list
```

The example in question is short enough that it's quite easy to see where the error came from. But in a complex program, simply knowing which exception was thrown is usually not enough information to figure out what went wrong.

We can get more information from OCaml if we turn on stack traces. This can be done by setting the OCAMLRUNPARAM environment variable, as shown:

```
exn $ export OCAMLRUNPARAM=b
exn $ ./exn
3
Fatal error: exception Exn.Empty_list
Raised at file "exn.ml", line 7, characters 16-26
Called from file "exn.ml", line 12, characters 17-28
```

Backtraces can also be obtained at runtime. In particular, Exn.backtrace will return the backtrace of the most recently thrown exception.

From exceptions to error-aware types and back again

Both exceptions and error-aware types are necessary parts of programming in OCaml. As such, you often need to move between these two worlds. Happily, Core comes with some useful helper functions to help you do just that. For example, given a piece of

code that can throw an exception, you can capture that exception into an option as follows:

```
# let find alist key =
Option.try_with (fun () -> find_exn alist key) ;;
val find: (string * 'a) list -> string -> 'a option = <fun>
# find ["a",1; "b",2] "c";;
- : int Core.Std.Option.t = None
# find ["a",1; "b",2] "b";;
- : int Core.Std.Option.t = Some 2
```

And Result and Or_error have similar try_with functions. So, we could write:

```
# let find alist key =
      Result.try_with (fun () -> find_exn alist key) ;;
val find : (string * 'a) list -> string -> ('a, exn) Result.t = <fun>
# find ["a",1; "b",2] "c";;
- : (int, exn) Result.t = Result.Error Key_not_found("c")
```

And then we can re-raise that exception:

```
# Result.ok_exn (find ["a",1; "b",2] "b");;
-: int = 2
# Result.ok_exn (find ["a",1; "b",2] "c");;
Exception: Key_not_found("c").
```

Functors

Up until now, we've seen OCaml's module system play an important but limited role. In particular, we've seen them as a mechanism for organizing code into units with specified interfaces. But modules can do much more than that, acting as a powerful toolset for building generic code and structuring large-scale systems. Much of that power comes from functors.

Functors are, roughly speaking, functions from modules to modules, and they can be used to solve a variety of code-structuring problems, including:

- *Dependency injection*, or making the implementations of some components of a system swappable. This is particularly useful when you want to mock up parts of your system for testing and simulation purposes.
- Auto-extension of modules. Sometimes, there is some functionality that you want
 to build in a standard way for different types, in each case based on a some piece
 of type-specific logic. For example, you might want to add a slew of comparison
 operators derived from a base comparison function. To do this by hand would
 require a lot of repetitive code for each type, but functors let you write this logic
 just once and apply it to many different types.
- Instantiating modules with state. Modules can contain mutable state, and that
 means that you'll occasionally want to have multiple instantiations of a particular
 module, each with its own separate and independent mutable state. Functors let
 you automate the construction of such modules.

A trivial example

We'll start by considering the simplest possible example: a functor for incrementing an integer.

More precisely, we'll create a functor that takes a module containing a single integer variable x, and returns a new module with x incremented by one.

```
# module type X_int = sig val x : int end;;
module type X_int = sig val x : int end
# module Increment (M:X int) : X int = struct
    let x = M.x + 1
 end;;
module Increment : functor (M : X_int) -> X_int
```

One thing that immediately jumps out about functors is that they're considerably more heavyweight syntactically than ordinary functions. For one thing, functors require explicit (module) type annotations, which ordinary functions do not. Here, we've specified the module type X int for both the input and output of the functor. Technically, only the type on the input is mandatory, although in practice, one often specifies both.

The following shows what happens when we omit the module type for the output of the functor.

```
# module Increment (M:X int) = struct
    let x = M.x + 1
  end;;
module Increment : functor (M : X int) \rightarrow sig val x : int end
```

We can see that the inferred module type of the output is now written out explicitly, rather than being a reference to the named signature X int.

We can now use Increment to define new modules.

```
# module Three = struct let x = 3 end;;
 module Three : sig val x : int end
# module Four = Increment(Three);;
module Four : sig val x : int end
# Four.x - Three.x;;
- : int = 1
```

In this case, we applied Increment to a module whose signature is exactly equal to X_int. But we can apply Increment to any module that satisfies the interface X_int, in the same way that a the contents of an ml file can satisfy the mli. That means that the module type can omit some information available in the module, either by dropping fields or by leaving some fields abstract. Here's an example:

```
# module Three_and_more = struct
   let x = 3
   let y = "three"
module Three and more : sig val x : int val x string : string end
# module Four = Increment(Three_and_more);;
module Four : sig val x : int end
```

A bigger example: computing with intervals

Let's now consider a more realistic example of how to use functors: a library for computing with intervals. This library will be functorized over the type of the endpoints of the intervals and the ordering of those endpoints.

First we'll define a module type that captures the information we'll need about the endpoint type. This interface, which we'll call Comparable, contains just two things: a comparison function, and the type of the values to be compared.

```
# module type Comparable = sig
    val compare : t -> t -> int
  end ;;
module type Comparable = sig type t val compare : t \rightarrow t \rightarrow int end
```

The comparison function follows the standard OCaml idiom for such functions, returning 0 if the two elements are equal, a positive number if the first element is larger than the second, and a negative number if the first element is smaller than the second. Thus, we could rewrite the standard comparison functions on top of compare as shown below.

```
compare x y < 0
                    (* x < y *)
                    (* x = y *)
compare x y = 0
```

The functor for creating the interval module is shown below. We represent an interval with a variant type, which is either Empty or Interval (x,y), where x and y are the bounds of the interval.

```
# module Make interval(Endpoint : Comparable) = struct
    type t = | Interval of Endpoint.t * Endpoint.t
             | Empty
    let create low high =
      if Endpoint.compare low high > 0 then Empty
      else Interval (low, high)
    let is empty = function
       Empty -> true
      | Interval _ -> false
    let contains t x =
      match t with
      | Empty -> false
      | Interval (1,h) ->
        Endpoint.compare x 1 >= 0 && Endpoint.compare x h <= 0</pre>
    let intersect t1 t2 =
      let min x y = if Endpoint.compare x y <= 0 then x else y in</pre>
```

```
let max x y = if Endpoint.compare x y >= 0 then x else y in
     match t1,t2 with
      | Empty, _ | _, Empty -> Empty
      | Interval (l1,h1), Interval (l2,h2) ->
        create (max l1 l2) (min h1 h2)
module Make interval :
 functor (Endpoint : Comparable) ->
      type t = Interval of Endpoint.t * Endpoint.t | Empty
     val create : Endpoint.t -> Endpoint.t -> t
     val is empty : t -> bool
     val contains : t -> Endpoint.t -> bool
     val intersect : t -> t -> t
   end
```

We can instantiate the functor by applying it to a module with the right signature. In the following, we provide the functor input as an anonymous module.

```
# module Int_interval =
    Make interval(struct
     type t = int
     let compare = Int.compare
    end);;
module Int interval :
    type t = Interval of int * int | Empty
    val create : int -> int -> t
    val is empty : t -> bool
    val contains : t -> int -> bool
    val intersect : t -> t -> t
```

When we choose our interfaces that are aligned with the standards of our libraries, we don't need to construct a custom module to feed to the functor. In this case, for example, we can directly use the Int or String modules provided by Core.

```
# module Int interval = Make interval(Int) ;;
# module String interval = Make interval(String) ;;
```

This works because many modules in Core, including Int and String, satisfy an extended version of the Comparable signature described above. Standardized signatures are generally good practice, both because they makes functors easier to use, and because they make the codebase generally easier to navigate.

Now we can use the newly defined Int interval module like any ordinary module.

```
# let i1 = Int interval.create 3 8;;
val i1 : Int interval.t = Int interval.Interval (3, 8)
# let i2 = Int interval.create 4 10;;
val i2 : Int interval.t = Int interval.Interval (4, 10)
```

```
# Int interval.intersect i1 i2;;
- : Int_interval.t = Int_interval.Interval (4, 8)
```

This design gives us the freedom to use any comparison function we want for comparing the endpoints. We could, for example, create a type of int interval with the order of the comparison reversed, as follows:

```
# module Rev int interval =
    Make interval(struct
     type t = int
     let compare x y = Int.compare y x
```

The behavior of Rev_int_interval is of course different from Int_interval, as we can see below.

```
# let interval = Int_interval.create 4 3;;
val interval : Int interval.t = Int interval.Empty
# let rev interval = Rev int interval.create 4 3;;
val rev_interval : Rev_int_interval.t = Rev_int_interval.Interval (4, 3)
```

Importantly, Rev_int_interval.t is a different type than Int_interval.t, even though its physical representation is the same. Indeed, the type system will prevent us from confusing them.

```
# Int_interval.contains rev_interval 3;;
Characters 22-34:
 Int interval.contains rev interval 3;;
Error: This expression has type Rev_int_interval.t
       but an expression was expected of type
        Int interval.t = Make interval(Int).t
```

This is important, because confusing the two kinds of intervals would be a semantic error, and it's an easy one to make. The ability of functors to mint new types is a useful trick that comes up a lot.

Making the functor abstract

There's a problem with Make interval. The code we wrote depends on the invariant that the upper bound of an interval is greater than its lower bound, but that invariant can be violated. The invariant is enforced by the create function, but because Inter val.t is not abstract, we can bypass the create function.

```
# Int_interval.create 4 3;; (* going through create *)
- : Int_interval.t = Int_interval.Empty
# Int_interval.Interval (4,3);; (* bypassing create *)
- : Int interval.t = Int interval.Interval (4, 3)
```

To make Int_interval.t abstract, we need to apply an interface to the output of the Make interval. Here's an explicit interface that we can use for that purpose.

```
# module type Interval_intf = sig
   type t
   type endpoint
   val create : endpoint -> endpoint -> t
   val is empty : t -> bool
   val contains : t -> endpoint -> bool
   val intersect : t -> t -> t
 end;;
```

This interface includes the type endpoint to represent the type of the endpoints of the interval. Given this interface, we can redo our definition of Make_interval. Notice that we added the type endpoint to the implementation of the module to make the implementation match Interval intf.

```
# module Make_interval(Endpoint : Comparable) : Interval intf = struct
   type endpoint = Endpoint.t
   type t = | Interval of Endpoint.t * Endpoint.t
 end ;;
module Make interval : functor (Endpoint : Comparable) -> Interval intf
```

Sharing constraints

The resulting module is abstract, but unfortunately, it's too abstract. In particular, we haven't exposed the type endpoint, which means that we can't even construct an interval anymore.

```
# module Int interval = Make interval(Int);;
module Int interval : Interval intf
# Int interval.create 3 4;;
Characters 20-21:
 Int_interval.create 3 4;;
Error: This expression has type int but an expression was expected of type
         Int interval.endpoint
```

To fix this, we need to expose the fact that endpoint is equal to Int.t (or more generally, Endpoint.t, where Endpoint is the argument to the functor). One way of doing this is through a sharing constraint, which allows you to tell the compiler to expose the fact that a given type is equal to some other type. The syntax for a sharing constraint on a module type is as follows.

```
S with type s = t
```

where S is a module type, s is a type inside of S, and t is a type defined outside of S. The result of this expression is a new signature that's been modified so that it exposes the fact that s is equal to t. We can use a sharing constraint to create a specialized version of Interval intf for integer intervals.

```
# module type Int interval intf = Interval intf with type endpoint = int;;
module type Int interval intf =
 sig
   type t
   type endpoint = int
   val create : endpoint -> endpoint -> t
   val is empty : t -> bool
   val contains : t -> endpoint -> bool
   val intersect : t -> t -> t
```

And we can also use it in the context of a functor, where the right-hand side of the sharing constraint is an element of the functor argument. Thus, we expose an equality between a type in the output of the functor (in this case, the type endpoint) and a type in its input (Endpoint.t).

```
# module Make interval(Endpoint : Comparable)
      : Interval_intf with type endpoint = Endpoint.t = struct
    type endpoint = Endpoint.t
    type t = | Interval of Endpoint.t * Endpoint.t
             | Empty
 end ;;
module Make interval :
  functor (Endpoint : Comparable) ->
      type t
      type endpoint = Endpoint.t
     val create : endpoint -> endpoint -> t
     val is_empty : t -> bool
     val contains : t -> endpoint -> bool
     val intersect : t -> t -> t
    end
```

So now, the interface is as it was, except that endpoint is now known to be equal to Endpoint.t. As a result of that type equality, we can now do things like construct intervals again.

```
# let i = Int interval.create 3 4;;
val i : Int_interval.t = <abstr>
```

```
# Int interval.contains i 5;;
- : bool = false
```

Destructive substitution

Sharing constraints basically do the job, but they have some downsides. In particular, we've now been stuck with the useless type declaration of endpoint that clutters up both the interface and the implementation. A better solution would be to modify the Inter val intf signature by replacing endpoint with Endpoint.t everywhere it shows up, and deleting the definition of endpoint from the signature. We can do just this using what's called *destructive substitution*. Here's the basic syntax.

```
S with type s := t
```

The following shows how we could use this with Make_interval.

Here's an example of what we get if we use destructive substitution to specialize the Interval intf interface to integer intervals.

```
# module type Int interval intf = Interval intf with type endpoint := int;;
module type Int interval intf =
  sig
   type t
   val create : int -> int -> t
   val is_empty : t -> bool
   val contains : t -> int -> bool
   val intersect : t -> t -> t
```

There's now no mention of n endpoint, all occurrences of that type having been replaced by int. As with sharing constraints, we can also use this in the context of a functor.

```
# module Make interval(Endpoint : Comparable)
    : Interval intf with type endpoint := Endpoint.t =
  struct
    type t = | Interval of Endpoint.t * Endpoint.t
             | Empty
 end ;;
module Make interval :
 functor (Endpoint : Comparable) ->
    sig
      type t
     val create : Endpoint.t -> Endpoint.t -> t
     val is empty : t -> bool
     val contains : t -> Endpoint.t -> bool
     val intersect : t -> t -> t
    end
```

The interface is precisely what we want, and we didn't need to define the endpoint type alias in the body of the module. If we instantiate this module, we'll see that it works properly: we can construct new intervals, but t is abstract, and so we can't directly access the constructors and violate the invariants of the data structure.

```
# module Int interval = Make interval(Int);;
# Int interval.create 3 4;;
- : Int interval.t = <abstr>
# Int interval.Interval (4,3);;
Characters 0-27:
 Int interval.Interval (4,3);;
 ^^^
Error: Unbound constructor Int interval. Interval
```

Using multiple interfaces

Another feature that we might want for our interval module is the ability to serialize the type, in particular, by converting to s-expressions. If we simply invoke the sex plib macros by adding with sexp to the definition of t, though, we'll get an error:

```
# module Make interval(Endpoint : Comparable)
    : Interval intf with type endpoint := Endpoint.t = struct
    type t = | Interval of Endpoint.t * Endpoint.t
             | Empty
   with sexp
 end ;;
Characters 120-123:
       type t = | Interval of Endpoint.t * Endpoint.t
                               ^^^^
Error: Unbound value Endpoint.t_of_sexp
```

The problem is that with sexp adds code for defining the s-expression converters, and that code assumes that Endpoint has the appropriate sexp-conversion functions for Endpoint.t. But all we know about Endpoint is that it satisfies the Comparable interface, which doesn't say anything about s-expressions.

Happily, Core comes with a built in interface for just this purpose called Sexpable, which is defined as follows:

```
module type Sexpable = sig
 type t = int
 val sexp of t : t -> Sexp.t
 val t of sexp : Sexp.t -> t
end
```

We can modify Make_interval to use the Sexpable interface, for both its input and its output. Note the use of destructive substitution to combine multiple signatures together. This is important because it stops the type t's from the different signatures from interfering with each other.

Also note that we have been careful to override the sexp-converter here to ensure that the data structures invariants are still maintained when reading in from an s-expression.

```
# module type Interval_intf_with_sexp = sig
   include Interval intf with type t := t
  include Sexpable
                        with type t := t
 end;;
# module Make_interval(Endpoint : sig
   type t
   include Comparable with type t := t
   include Sexpable with type t := t
 end) : Interval intf with sexp with type endpoint := Endpoint.t =
      type t = | Interval of Endpoint.t * Endpoint.t
               Empty
     with sexp
     let create low high =
      (* put a wrapper round the auto-generated sexp of t to enforce
        the invariants of the data structure *)
      let t of sexp sexp =
       match t of sexp sexp with
        | Empty -> Empty
        | Interval (x,y) -> create x y
    end ;;
module Make interval :
  functor
    (Endpoint : sig
          type t
          val compare : t -> t -> int
          val sexp_of_t : t -> Sexplib.Sexp.t
          val t_of_sexp : Sexplib.Sexp.t -> t
         end) ->
   sig
      type t
     val create : Endpoint.t -> Endpoint.t -> t
     val is_empty : t -> bool
     val contains : t -> Endpoint.t -> bool
     val intersect : t -> t -> t
     val sexp of t : t -> Sexplib.Sexp.t
     val t of sexp : Sexplib.Sexp.t -> t
```

And now, we can use that sexp-converter in the ordinary way:

```
# module Int = Make_interval(Int) ;;
# Int interval.sexp of t (Int interval.create 3 4);;
- : Sexplib.Sexp.t = (Interval 3 4)
# Int interval.sexp of t (Int interval.create 4 3);;
- : Sexplib.Sexp.t = Empty
```

Extending modules

Another common use of functors is to generate type-specific functionality for a given module in a standardized way. Let's see how this works in the context of a functional queue, which is just a functional version of a FIFO (first-in, first-out) queue. Being functional, operations on the queue return new queues, rather than modifying the queues that were passed in.

Here's a reasonable mli

```
(* file: fqueue.mli *)
type 'a t
val empty: 'a t
val enqueue : 'a t -> 'a -> 'a t
(** [dequeue q] returns None if the [q] is empty *)
val dequeue : 'a t -> ('a * 'a t) option
val fold : 'a t -> init:'acc -> f:('acc -> 'a -> 'acc) -> 'acc
```

Now let's implement Fqueue. A standard trick is for the Fqueue to maintain an input and an output list, so that one can efficiently enqueue on the first list, and can efficiently dequeue from the out list. If you attempt to dequeue when the output list is empty, the input list is reversed and becomes the new output list. Here's an implementation that uses that trick.

```
(* file: fqueue.ml *)
open Core.Std
type 'a t = 'a list * 'a list
let empty = ([],[])
let enqueue (11,12) x = (x :: 11,12)
let dequeue (in list,out list) =
  {\tt match\ out\_list}^{-}\ {\tt with}
  | hd :: t\overline{l} \rightarrow Some (hd, (in list,tl))
  | [] ->
```

```
match List.rev in list with
    | [] -> None
    | hd::tl -> Some (hd, ([], tl))
let fold (in list,out list) ~init ~f =
 List.fold ~init:(List.fold ~init ~f out list) ~f
    (List.rev in_list)
```

One problem with our Fqueue is that the interface is quite skeletal. There are lots of useful helper functions that one might want that aren't there. For example, for lists we have List.iter which runs a function on each node; and a List.find that finds the first element on the list that matches a given predicate. Such helper functions come up for pretty much every container type, and implementing them over and over is a bit of a dull and repetitive affair.

As it happens, many of these helper functions can be derived mechanically from just the fold function we already implemented. Rather than write all of these helper functions by hand for every new container type, we can instead use a functor that will let us add this functionality to any container that has a fold function.

We'll create a new module, Foldable that automates the process of adding helper functions to a fold-supporting container. As you can see, Foldable contains a module signature S which defines the signature that is required to support folding; and a functor Extend that allows one to extend any module that matches Foldable.S.

```
(* file: foldable.ml *)
open Core.Std
module type S = sig
 type 'a t
 val fold : 'a t -> init:'acc -> f:('acc -> 'a -> 'acc) -> 'acc
module type Extension = sig
 type 'a t
 val iter
              : 'a t -> f:('a -> unit) -> unit
 val length : 'a t -> int
 val count : 'a t \rightarrow f:('a \rightarrow bool) \rightarrow int
 val for all : 'a t -> f:('a -> bool) -> bool
 val exists : 'a t -> f:('a -> bool) -> bool
end
(* For extending a Foldable module *)
module Extend(Arg : S)
 : Extension with type 'a t := 'a Arg.t =
struct
 open Arg
 let iter t ~f =
    fold t ~init:() ~f:(fun () a -> f a)
```

```
let length t =
    fold t ~init:0 ~f:(fun acc _ -> acc + 1)
 let count t ~f =
    fold t ~init:0 ~f:(fun count x -> count + if f x then 1 else 0)
 exception Short_circuit
 let for all c ~f =
   try iter c ~f:(fun x -> if not (f x) then raise Short circuit); true
   with Short_circuit -> false
 let exists c ~f =
    try iter c ^{\sim}f:(fun x -> if f x then raise Short circuit); false
    with Short_circuit -> true
end
```

Now we can apply this to Fqueue. We can rewrite the interface of Fqueue as follows.

```
(* file: fqueue.mli *)
open Core.Std
type 'a t
val empty : 'a t
val enqueue : 'a t -> 'a -> 'a t
val dequeue : 'a t -> ('a * 'a t) option
val fold : 'a t -> init:'acc -> f:('acc -> 'a -> 'acc) -> 'acc
include Foldable.Extension with type 'a t := 'a t
```

In order to apply the functor, we'll put the definition of Fqueue in a sub-module called T, and then call Foldable. Extend on T.

```
open Core.Std
module T = struct
 type 'a t = 'a list * 'a list
 let empty = [],[]
 let enqueue (l1,l2) x =
    (x :: 11,12)
 let rec dequeue (in list,out list) =
    match out list with
    | hd :: tl -> Some (hd, (in_list,tl))
    | [] -> dequeue ([], List.rev in_list)
 let fold (in list,out list) ~init ~f =
    List.fold ~init:(List.fold ~init ~f out list) ~f
      (List.rev in_list)
end
include T
include Foldable.Extend(T)
```

This pattern comes up quite a bit in Core, and is used to for a variety of purposes.

- Adding comparison-based data structures like maps and sets, based on the Compa rable interface.
- Adding hash-based data structures like hash sets and hash heaps.
- Support for so-called monadic libraries, like the ones discussed in Chapter 7 and Chapter 16. Here, the functor is used to provide a collection of standard helper functions based on the core bind and return operators.

Imperative Programming

Most of the code shown so far in this book, and indeed, most OCaml code in general, is *pure*. Pure code works without mutating the program's internal state, performing I/O, reading the clock, or in any other way interacting with changeable parts of the world. Thus, a pure function behaves like a mathematical function, always returning the same results when given the same inputs, and never affecting the world except insofar as it returns the value of its computation. *Imperative* code, on the other hand, operates by side-effects that modify a program's internal state or interact with the outside world. An imperative function has a new effect, and potentially returns different results, every time it's called.

Pure code is the default in OCaml, and for good reason --- it's generally easier to reason about, less error prone and more composable. But imperative code is of fundamental importance to any practical programming language because real-world tasks require that you interact with the outside world, which is by its nature imperative. Imperative programming can also be important for performance. While pure code is quite efficient in OCaml, there are many algorithms that can only be implemented efficiently using imperative techniques.

OCaml offers a happy compromise here, making it easy and natural to program in a pure style, but also providing great support for imperative programming where you need it. This chapter will walk you through OCaml's imperative features, and help you use them to their fullest.

Example: Imperative dictionaries

We'll start with the implementation of a simple imperative dictionary, *i.e.*, a mutable mapping from keys to values. This is really for illustration purposes; both Core and the standard library provide imperative dictionaries, and for most real world tasks, you should use one of those implementations.

Our dictionary, like those in Core and the standard library, will be implemented as a hash table. In particular, we'll use an *open hashing* scheme, which is to say the hash

table will be an array of buckets, each bucket containing a list of key/value pairs that have been hashed into that bucket.

Here's the interface we'll match, provided as an mli. Here, the type ('a, 'b) t is used for a dictionary with keys of type 'a and data of type 'b.

```
(* file: dictionary.mli *)
open Core.Std
type ('a, 'b) t
val create : unit -> ('a, 'b) t
val length : ('a, 'b) t -> int
         : ('a, 'b) t -> key:'a -> data:'b -> unit
val find : ('a, 'b) t \rightarrow 'a \rightarrow 'b option
val iter : ('a, 'b) t -> f:(key:'a -> data:'b -> unit) -> unit
val remove : ('a, 'b) t -> 'a -> unit
```

The mli also includes a collection of helper functions whose purpose and behavior should be largely inferrable from their names and type signatures. Notice that a number of the functions, in particular, ones like add that modify the dictionary, return unit. This is typical of functions that act by side-effect.

We'll now walk through the implementation (contained in the corresponding m1 file) piece by piece, explaining different imperative constructs as they come up.

Our first step is to define the type of a dictionary as a record with two fields.

```
(* file: dictionary.ml *)
open Core.Std
type ('a, 'b) t = { mutable length: int;
                    buckets: ('a * 'b) list array;
```

The first field, length is declared as mutable. In OCaml, records are immutable by default, but individual fields are mutable when marked as such. The second field, buckets, is immutable, but contains an array, which is itself a mutable data structure, as we'll see.

Now we'll start putting together the basic functions for manipulating a dictionary.

```
let num buckets = 17
let hash bucket key = (Hashtbl.hash key) mod num buckets
let create () =
  { length = 0;
    buckets = Array.create ~len:num buckets [];
let length t = t.length
```

```
let find t key =
  List.find map t.buckets.(hash bucket key)
    ~f:(fun (key',data) -> if key' = key then Some data else None)
```

Note that num buckets is a constant. That's because, for simplicity's sake, we're using a fixed-length bucket array. For a practical implementation, the length of the array would have to be able to grow as the number of elements in the dictionary increases.

The function hash bucket is used throughout the rest of the module to choose the position in the array that a given key should be stored at. It is implemented on top of Hashtbl.hash, which is a hash function provided by the OCaml runtime that can be applied to values of any type. Thus, its own type is polymorphic: 'a -> int.

While Hashtbl.hash can be used with any type, it won't necessarily succeed for all values. Hashtbl.hash will throw an exception if it encounters a value it can't handle, like a function or a value from a C libraries that lives outside the OCaml heap.

The other functions defined above are fairly straightforward:

- create creates an empty dictionary.
- · length grabs the length from the corresponding record field, thus returning the number of entries stored in the dictionary.
- find looks for a matching key in the table and returns the corresponding value if found as an option.

A new piece of syntax has also popped up in find: we write array. (index) to grab a value from an array. Also, find uses List.find map, which you can see the type of by typing it into the toplevel:

```
# List.find map;;
-: 'a list -> f:('a -> 'b option) -> 'b option = <fun>
```

List.find map iterates over the elements of the list, calling f on each one until a Some is returned by f, at which point the value returned by f is returned by find map. If f returns None on all values, then None is returned by find map.

Now let's look at the implementation of iter:

```
let iter t ~f =
  for i = 0 to Array.length t.buckets - 1 do
   List.iter t.buckets.(i) ~f:(fun (key, data) -> f ~key ~data)
```

iter is designed to walk over all the entries in the dictionary. In particular, iter d ~f will call f for each key/value pair in dictionary d. Note that f must return unit, since it is expected to work by side effect rather than by returning a value, and the overall iter function returns unit as well.

The code for iter uses two forms of iteration: a for loop to walk over the array of buckets; and within that loop, and a call to List.iter to walk over the list of values in a given bucket. We could have done the outer loop with a recursive function instead of a for loop, but for loops are syntactically convenient, and are more familiar and idiomatic in the context of imperative code.

The following code is for adding and removing mappings from the dictionary.

```
let bucket has key t i key =
 List.exists t.buckets.(i) ~f:(fun (key',_) -> key' = key)
let add t ~key ~data =
 let i = hash bucket key in
 let replace = bucket_has_key t i key in
 let filtered bucket =
    if replace then
      List.filter t.buckets.(i) ~f:(fun (key', ) -> key' <> key)
      t.buckets.(i)
 t.buckets.(i) <- (key, data) :: filtered bucket;</pre>
 if not replace then t.length <- t.length + 1
let remove t key =
 let i = hash bucket key in
 if bucket has key t i key then (
    let filtered bucket =
      List.filter t.buckets.(i) ~f:(fun (key',_) -> key' <> key)
    t.buckets.(i) <- filtered bucket;</pre>
    t.length <- t.length - 1
```

This above code is made more complicated by the fact that we need to detect whether we are overwriting or removing an existing binding, so we can decide whether t.length needs to be changed. The helper function bucket has key is used for this pur-

Another new piece of syntax shows up in both add and remove: the use of the <- operator to update elements of an array (array.(i) <- expr) and for updating a record field (record.field <- expression).

We also use a single semicolon, ;, as a sequencing operator, to allow us to do a sequence of side-effecting operations in a row: first, update the bucket, then update the count. We could have done this using let bindings:

```
let () = t.buckets.(i) <- filtered bucket in</pre>
t.length <- t.length - 1
```

but; is more concise and idiomatic. More generally,

```
<expr1>;
      <expr2>;
      <exprN>
is eqivalent to
      let () = \langle expr1 \rangle in
      let () = \langle expr2 \rangle in
      <exprN>
```

When a sequence expression expr1; expr2 is evaluated, expr1 is evaluated first, and then expr2. The expression expr1 should have type unit (though this is a warning rather than a hard restriction), and the value of expr2 is returned as the value of the entire sequence. For example, the sequence print string "hello world"; 1 + 2 first prints the string "hello world", then returns the integer 3.

Note also that we do all of the side-effecting operations at the very end of each function. This is good practice because it minimizes the chance that such operations will be interrupted with an exception, leaving the data structure in an inconsistent state.

Primitive mutable data

Now that we've looked at a complete example, let's take a more systematic look at imperative programming in OCaml. We encountered two different forms of mutable data above: records with mutable fields and arrays. We'll now discuss these in more detail, along with the other primitive forms of mutable data that are available in OCaml.

Array-like data

OCaml supports a number of array-like data structures; i.e., mutable integer-indexed containers that provide constant-time access to their elements. We'll discuss several of them below.

Ordinary arrays

The array type is used for general purpose polymorphic arrays. The Array module has a variety of utility functions for interacting with arrays, including a number of mutating operations. These include Array.set, for setting an individual element, and Array.blit, for efficiently copying values from one range of indices to another.

Arrays also come with special syntax for retrieving an element from an array:

```
array.(index)
```

and for setting an element in an array:

```
array.(index) <- expr
```

Array literals are written using [| and |] as delimiters. Thus, [| 1; 2; 3 |] is a literal integer array.

Strings

Strings are essentially byte-arrays which are often used for textual data. The main advantage of using a string in place of a Char.t array (a Char.t is an 8-bit character) is that the former is considerably more space efficient; an array uses one word --- 8 bytes on a 64-bit machine --- to store a single entry, whereas strings use one byte per character.

Strings also come with their own syntax for getting and setting values: string. [index] and string.[index] <- expr respectively, and string literals are bounded by quotes. There's also a module String where you'll find useful functions for working with strings. We'll talk more about the String module in Chapter 14.

Bigarrays

A Bigarray.t is a handle to a block of memory stored outside of the OCaml heap. These are mostly useful for interacting with C or Fortran libraries, and are discussed in Chapter 20. Bigarrays too have their own getting and setting syntax: bigarray. {index} and bigarray. {index} <- expr. There is no literal syntax for bigarrays.

Mutable record and object fields and ref cells

As we've seen, records are immutable by default, but individual record fields can be declared as mutable. These mutable fields can be set using the <- operator, i.e., record.field <- expr.

As we'll see in Chapter 10, fields of an object can similarly be declared as mutable, and can then be modified in much the same way as record fields.

Ref Cells

Variables in OCaml are never mutable --- they can refer to mutable data, but what the variable points to can't be changed. Sometimes, though, you want to do exactly what you would do with a mutable variable in another language: define a single, mutable value. In OCaml this is typically achieved using a ref, which is essentially a container with a single mutable polymorphic field.

The definition for the ref type is as follows:

```
type 'a ref = { mutable contents : 'a }
```

The standard library defines the following operators for working with refs.

- ref expr constructs a reference cell containing the value defined by the expression
- !refcell returns the contents of the reference cell.
- refcell := expr replaces the contents of the reference cell.

You can see these in action below.

```
# let x = ref 1;;
val x : int ref = {contents = 1}
# !x;;
-: int = 1
# x := !x + 1;;
- : unit = ()
# !x;;
- : int = 2
```

All of these are operations are just ordinary OCaml functions, and could be defined as follows.

```
let ref x = { contents = x }
let (!) r = r.contents
let (:=) r x = r.contents \leftarrow x
```

Foreign functions

Another source of imperative operations in OCaml is resources that come from interfacing with external libraries through OCaml's foreign function interface (FFI). The FFI opens OCaml up to imperative constructs that are exported by system calls or other external libraries. Many of these come built in, like access to the write system call, or to the clock; while others come from user libraries, like LAPACK bindings.

for and while loops

OCaml provides support for traditional imperative looping constructs, in particular, for and while loops, even though neither of them is strictly necessary. Anything you can do with such a loop you can also do with a recursive function, and you can also write higher-order functions like Array.iter that cover much of the same ground.

Nonetheless, explicit for and while loops are both more idiomatic for imperative programming and often more concise.

The for loop is the simpler of the two. Indeed, we've already seen the for loop in action --- the iter function in Dictionary is built using it. Here's a simple example of for.

```
# for i = 0 to 3 do Printf.printf "i = %d\n" i done;;
i = 0
i = 1
```

```
i = 2
i = 3
- : unit = ()
```

As you can see, the upper and lower bounds are inclusive. We can also use downto to iterate in the other direction.

```
# for i = 3 downto 0 do Printf.printf "i = %d\n" i done;;
i = 3
i = 2
i = 1
i = 0
- : unit = ()
```

OCaml also supports while loops, which include a condition and a body. The loop first evaluates the condition, and then, if it evaluates to true, evaluates the body and starts the loop again. Here's a simple example of a function for reversing an array in-place.

```
# let rev inplace ar =
    let i = ref 0 in
    let j = ref (Array.length ar - 1) in
    (* terminate when the upper and lower indices meet *)
    while !i < !j do
      (* swap the two elements *)
     let tmp = ar.(!i) in
     ar.(!i) <- ar.(!j);
     ar.(!j) <- tmp;
      (* bump the indices *)
     incr i;
      decr j
    done
val rev inplace : 'a array -> unit = <fun>
# let nums = [|1;2;3;4;5|];;
val nums : int array = [|1; 2; 3; 4; 5|]
# rev inplace nums;;
- : unit = ()
# nums;;
- : int array = [|5; 4; 3; 2; 1|]
```

In the above, we used incr and decr, which are build-in functions for incrementing and decrementing an int ref by one, respectively.

Example: Doubly-linked lists

Another common imperative data structure is the doubly-linked list. Doubly-linked lists can be traversed in both directions and elements can be added and removed from the list in constant time. Core defines a doubly-linked list (the module is called Dou bly linked), but we'll define our own linked list library as an illustration.

Here's the mli of the module we'll build.

```
(* file: dlist.mli *)
open Core.Std
type 'a t
type 'a element
(** Basic list operations *)
val create : unit -> 'a t
val is empty : 'a t -> bool
(** Navigation using [element]s *)
val first : 'a t -> 'a element option
val next : 'a element -> 'a element option
val prev : 'a element -> 'a element option
val value : 'a element -> 'a
(** Whole-data-structure iteration *)
val iter : 'a t -> f:('a -> unit) -> unit
val find_el : 'a t -> f:('a -> bool) -> 'a element option
(** Mutation *)
val insert first : 'a t -> 'a -> 'a element
val insert after : 'a element -> 'a -> 'a element
val remove : 'a t -> 'a element -> unit
```

Note that there are two types defined here: 'a t, the type of a list, and 'a element, the type of an element. Elements act as pointers to the interior of a list, and allow us to navigate the list and give us a point at which to apply mutating operations.

Now let's look at the implementation. We'll start by defining 'a element and 'a t.

```
(* file: dlist.ml *)
open Core.Std
type 'a element =
  { value : 'a;
    mutable next : 'a element option;
    mutable prev : 'a element option
type 'a t = 'a element option ref
```

An 'a element is a record containing the value to be stored in that node as well as optional (and mutable) fields pointing to the previous and next elements. At the beginning of the list, the prev field is None, and at the end of the list, the next field is None.

The type of the list itself, 'a t, is an mutable reference to an optional element. This reference is None if the list is empty, and Some otherwise.

Now we can define a few basic functions that operate on lists and elements.

```
let create () = ref None
let is_empty 1 = !1 = None
```

```
let value elt = elt.value
let first 1 = !1
let next elt = elt.next
let prev elt = elt.prev
```

These all follow relatively straight-forwardly from our type definitions.



Cyclic data structures

Doubly-linked lists are a cyclic data structure, meaning that it is possible to follow a nontrivial sequence of pointers that closes in on itself. In general, building cyclic data structures requires the use of side-effects. This is done by constructing the data elements first, and then adding cycles using assignment afterwards.

There is an exception to this, though: you can construct fixed-size cyclic data-structures using let rec.

```
# let rec endless_loop = 1 :: 2 :: 3 :: endless_loop;;
val endless loop : int list =
                  [1; 2; 3; 1; 2; 3; 1; 2; 3; 1; 2; 3; 1; 2; 3; 1; 2; 3; 1; 2; 3; 1; 2; 3; 1; 2; 3; 1; 2; 3; 1; 2; 3; 1; 2; 3; 1; 2; 3; 1; 2; 3; 1; 2; 3; 1; 2; 3; 1; 2; 3; 1; 2; 3; 1; 2; 3; 1; 2; 3; 1; 2; 3; 1; 2; 3; 1; 2; 3; 1; 2; 3; 1; 2; 3; 1; 2; 3; 1; 2; 3; 1; 2; 3; 1; 2; 3; 1; 2; 3; 1; 2; 3; 1; 2; 3; 1; 2; 3; 1; 2; 3; 1; 2; 3; 1; 2; 3; 1; 2; 3; 1; 2; 3; 1; 2; 3; 1; 2; 3; 1; 2; 3; 1; 2; 3; 1; 2; 3; 1; 2; 3; 1; 2; 3; 1; 2; 3; 1; 2; 3; 1; 2; 3; 1; 2; 3; 1; 2; 3; 1; 2; 3; 1; 2; 3; 1; 2; 3; 1; 2; 3; 1; 2; 3; 1; 2; 3; 1; 2; 3; 1; 2; 3; 1; 2; 3; 1; 2; 3; 1; 2; 3; 1; 2; 3; 1; 2; 3; 1; 2; 3; 1; 2; 3; 1; 2; 3; 1; 2; 3; 1; 2; 3; 1; 2; 3; 1; 2; 3; 1; 2; 3; 1; 2; 3; 1; 2; 3; 1; 2; 3; 1; 2; 3; 1; 2; 3; 1; 2; 3; 1; 2; 3; 1; 2; 3; 1; 2; 3; 1; 2; 3; 1; 2; 3; 1; 2; 3; 1; 2; 3; 1; 2; 3; 1; 2; 3; 1; 2; 3; 1; 2; 3; 1; 2; 3; 1; 2; 3; 1; 2; 3; 1; 2; 3; 1; 2; 3; 1; 2; 3; 1; 2; 3; 1; 2; 3; 1; 2; 3; 1; 2; 3; 1; 2; 3; 1; 2; 3; 1; 2; 3; 1; 2; 3; 1; 2; 3; 1; 2; 3; 1; 2; 3; 1; 2; 3; 1; 2; 3; 1; 2; 3; 1; 2; 3; 1; 2; 3; 1; 2; 3; 1; 2; 3; 1; 2; 3; 1; 2; 3; 1; 2; 3; 1; 2; 3; 1; 2; 3; 1; 2; 3; 1; 2; 3; 1; 2; 3; 1; 2; 3; 1; 2; 3; 1; 2; 3; 1; 2; 3; 1; 2; 3; 1; 2; 3; 1; 2; 3; 1; 2; 3; 1; 2; 3; 1; 2; 3; 1; 2; 3; 1; 2; 3; 1; 2; 3; 1; 2; 3; 1; 2; 3; 1; 2; 3; 1; 2; 3; 1; 2; 3; 1; 2; 3; 1; 2; 3; 1; 2; 3; 1; 2; 3; 1; 2; 3; 1; 2; 3; 1; 2; 3; 1; 2; 3; 1; 2; 3; 1; 2; 3; 1; 2; 3; 1; 2; 3; 1; 2; 3; 1; 2; 3; 1; 2; 3; 1; 2; 3; 1; 2; 3; 1; 2; 3; 1; 2; 3; 1; 2; 3; 1; 2; 3; 1; 2; 3; 1; 2; 3; 1; 2; 3; 1; 2; 3; 1; 2; 3; 1; 2; 3; 1; 2; 3; 1; 2; 3; 1; 2; 3; 1; 2; 3; 1; 2; 3; 1; 2; 3; 1; 2; 3; 1; 2; 3; 1; 2; 3; 1; 2; 3; 1; 2; 3; 1; 2; 3; 1; 2; 3; 1; 2; 3; 1; 2; 3; 1; 2; 3; 1; 2; 3; 1; 2; 3; 1; 2; 3; 1; 2; 3; 1; 2; 3; 1; 2; 3; 1; 2; 3; 1; 2; 3; 1; 2; 3; 1; 2; 3; 1; 2; 3; 1; 2; 3; 1; 2; 3; 1; 2; 3; 1; 2; 3; 1; 2; 3; 1; 2; 3; 1; 2; 3; 1; 2; 3; 1; 2; 3; 1; 2; 3; 1; 2; 3; 1; 2; 3; 1; 2; 3; 1; 2; 3; 1; 2; 3; 1; 2; 3; 1; 2; 3; 1; 2; 3; 1; 2; 3; 1; 2; 3; 1; 2; 3; 1; 2; 3; 1; 2; 3; 1; 2; 3; 1; 2; 3; 1; 2; 3; 1; 2; 3; 1; 2; 3; 1; 2; 3; 1; 2; 3; 1; 2; 3; 1; 2; 3; 1; 2; 3; 1; 2; 3; 1; 2; 3; 1; 
                            2; 3; 1; 2; 3; 1; 2; 3; 1; 2; 3; 1; 2; 3; 1; 2; 3; 1; 2; 3; 1; 2; 3; 1; 2;
```

This approach is quite limited, however. General purpose cyclic data structures require mutation.

Modifying the list

Now, we'll start considering operations that mutate the list, starting with insert first, which inserts an element at the front of the list.

```
let insert first 1 value =
 let new elt = { prev = None; next = !l; value } in
 begin match !l with
  | Some old first -> old first.prev <- Some new elt
  | None -> ()
 end;
 1 := Some new elt;
 new elt
```

insert first first defines a new element new elt, and then links it into the list, finally setting the the list itself to point to new elt. Note that the precedence of a match expression is very low, so to separate it from the following assignment 1 := Some new front, we surround the match in a begin ... end bracketing (we could also use parentheses). If we did not, the final assignment would become part of the None -> ... case, which is not what we want.

In order to add elements later in the list, we can use insert_after, which takes an element as an argument, after which it inserts a new element.

```
let insert after elt value =
 let new elt = { value; prev = Some elt; next = elt.next } in
 begin match elt.next with
  Some old next -> old next.prev <- Some new elt
  | None -> ()
 end;
 elt.next <- Some new elt;</pre>
 new elt
```

Finally, we need a remove function.

```
let remove 1 elt =
 let { prev; next; _ } = elt in
  begin match prev with
   Some prev -> prev.next <- next
  | None -> 1 := next
 end:
 begin match next with
  Some next -> next.prev <- prev;
  | None -> ()
 end;
 elt.prev <- None;</pre>
 elt.next <- None
```

Note that the above code is careful to change the prev pointer of the following element, and the next pointer of the previous element, if they exist. If there's no previous element, then the list pointer itself is updated. In any case, the next and previous pointers of the element itself are set to None.

These functions are more fragile than they may seem. In particular, misuse of the interface may lead to corrupted data. For example, double-removing an element will cause the main list reference to be set to None, thus emptying the list. Similar problems arise from removing an element from a list it doesn't belong to.

This shouldn't be a big surprise. Complex imperative data structures can be quite tricky; considerably trickier than their pure equivalents. The issues described above can be dealt with by more careful error detection, and such error correction is taken care of in modules like Core's Doubly linked. You should use imperative data structures from a well-designed library when you can. And when you can't, you should make sure that the code you write is careful about error detection.

Iteration functions

When defining containers like lists, dictionaries and trees, you'll typically want to define a set of iteration functions, like iter, map, and fold, which let you concisely express common iteration patterns.

Dlist has two such iterators: iter, the goal of which is to call a unit producing function on every element of the list, in order; and find el, which runs a provided test function on each values stored in the list, returning the first element that passes the test. Both iter and find_el are implemented using simple recursive loops that use next to walk from element to element, and value to extract the element from a given node.

```
let iter 1 ~f =
 let rec loop = function
    | None -> ()
    | Some el -> f (value el); loop (next el)
 in
 loop !1
let find el 1 ~f =
 let rec loop = function
     None -> None
    Some elt ->
     if f (value elt) then Some elt
     else loop (next elt)
 loop !l
```

Laziness and other unobservable effects

There are many instances where you basically want to program in a pure style, but you want to make limited use of side-effects to improve the performance of your code, without really changing anything else. Such side effects are sometimes called unobservable effects, and they are a useful way of leveraging OCaml's imperative features while still maintaining most of the benefits of pure programming.

One of the simplest unobservable effect is *laziness*. A lazy value is one that is not computed until it is actually needed. In OCaml, lazy values are created using the lazy keyword, which can be used to prefix any expression, returning a value of type 'a Lazy.t. The evaluation of that expression is delayed until forced with the Lazy.force function.

```
# let v = lazy (print string "performing lazy computation\n"; sqrt 16.);;
val v : float lazy_t = <lazy>
# Lazy.force v;;
performing lazy computation
- : float = 4.
# Lazy.force v;;
- : float = 4.
```

You can see from the print statement that the actual computation was performed only once, and only after force had been called.

To better understand how laziness works, let's walk through the implementation of our own lazy type. We'll start by declaring types to represent a lazy value.

```
# type 'a lazy_state =
   Delayed of (unit -> 'a)
   Value of 'a
   Exn of exn
type 'a lazy state = Delayed of (unit -> 'a) | Value of 'a | Exn of exn
```

A lazy state represents the possible states of a lazy value. A lazy value is Delayed before it has been run, where Delayed holds a function for computing the value in question. A lazy value is in the Value state when it has been forced and the computation ended normally. The Exn case is for when the lazy value has been forced, but the computation ended with an exception. A lazy value is simply a ref containing a lazy_state, where the ref makes it possible to change from being in the Delayed state to being in the Value or Exn states.

We can create a lazy value based on a thunk, i.e., a function that takes a unit argument. Wrapping an expression in a thunk is another way to suspend the computation of an expression.

```
# let create lazy f = ref (Delayed f);;
val create lazy : (unit -> 'a) -> 'a lazy state ref = <fun>
# let v = create lazy
    (fun () -> print string "performing lazy computation\n"; sqrt 16.);;
 val v : float lazy state ref = {contents = Delayed <fun>}
```

Now we just need a way to force a lazy value. The following function does just that.

```
# let force v =
   match !v with
    | Value x -> x
    Exn e -> raise e
    | Delayed f ->
      try
        let x = f() in
        v := Value x;
        Х
     with exn ->
       v := Exn exn;
        raise exn
val force : 'a lazy state ref -> 'a = <fun>
```

Which we can use in the same way we used Lazy.force:

```
# force v;;
performing lazy computation
- : float = 4.
# force v;;
- : float = 4.
```

The main user-visisble difference between our implementation of laziness and the builtin version is syntax. Rather than writing create lazy (fun () -> sqrt 16.), we can with the built-in lazy just write lazy (sqrt 16.).

Memoization and dynamic programming

Another unobservable effect is memoization. A memoized function remembers the result of previous invocations of the function so that they can be returned without further computation when the same arguments are presented again.

Here's a function that takes as an argument an arbitrary single-argument function and returns a memoized version of that function. Here we'll use Core's Hashtbl module, rather than our toy Dictionary.

```
# let memoize f =
    let table = Hashtbl.Poly.create () in
    (fun x ->
     match Hashtbl.find table x with
       Some y -> y
       None ->
        let y = f x in
        Hashtbl.add exn table ~key:x ~data:y;
val memoize : ('a -> 'b) -> 'a -> 'b = <fun>
```

The code above is a bit tricky. memoize takes as its argument a function f, and then allocates a hashtable (called table) and returns a new function as the memoized version of f. When called, this new function looks in table first, and if it fails to find a value, calls f and stashes the result in table.

Memoization can be useful whenever you have a function that is expensive to recompute, and you don't mind caching old values indefinitely. One important caution: every time you create a memoized function, there's something of a built-in memory leak. As long as you hold on to the memoized function, you're holding every result it has returned thus far.

Memoization is also useful for efficiently implementing some recursive algorithms. One good example is the algorithm for computing the edit distance (also called the Levenshtein distance) between two strings. The edit distance is the number of single-character changes (including letter switches, insertions and deletions) required to convert one string to the other. This kind of distance metric can be useful for a variety of approximate string matching problems, like spell checkers.

Consider the following code for computing the edit distance. Understanding the algorithm isn't important here, but you should pay attention to the structure of the recursive calls.

```
# let rec edit_distance s t =
    match String.length s, String.length t with
    | (0,x) | (x,0) \rightarrow x
    | (len s,len t) ->
     let s' = String.drop_suffix s 1 in
     let t' = String.drop_suffix t 1 in
     let cost to drop both =
        if s.[len s - 1] = t.[len t - 1] then 0 else 1
     List.reduce exn ~f:Int.min
        [ edit distance s' t + 1
        ; edit_distance s t' + 1
          edit distance s' t' + cost to drop both
val edit_distance : string -> string -> int = <fun>
# edit distance "OCaml" "ocaml";;
```

The thing to note is that if you call edit_distance "OCaml" "ocaml", then that will in turn dispatch the following calls:

```
edit_distance "OCam" "ocaml"
edit_distance "OCaml" "ocam"
edit_distance "OCam" "ocam"
```

And these calls will in turn dispatch other calls:

```
edit distance "OCam" "ocaml"
   edit distance "OCa" "ocaml"
   edit distance "OCam" "ocam"
   edit_distance "OCa" "ocam"
edit distance "OCaml" "ocam"
   edit_distance "OCam" "ocam"
edit_distance "OCaml" "oca"
edit_distance "OCam" "oca"
edit distance "OCam" "ocam"
   edit distance "OCa" "ocam"
   edit distance "OCam" "oca"
   edit distance "OCa" "oca"
```

As you can see, some of these calls are repeats. For example, there are two different calls to edit distance "OCam" "oca". The number of redundant calls grows exponentially with the size of the strings, meaning that our implementation of edit_distance is brutally slow for large strings. We can see this by writing a small timing function.

```
# let time f =
   let start = Time.now () in
   let x = f() in
   let stop = Time.now () in
   printf "Time: %s\n" (Time.Span.to_string (Time.diff stop start));
```

```
val time : (unit -> 'a) -> 'a = <fun>
```

And now we can use this to try out some examples.

```
# time (fun () -> edit distance "OCaml" "ocaml");;
Time: 5.11003ms
-: int = 2
# time (fun () -> edit distance "OCaml 4.01" "ocaml 4.01");;
Time: 19.3322s
- : int = 2
```

Just those few extra characters made it almost four thousand times slower!

Memoization would be a huge help here, but to fix the problem, we need to memoize the calls that edit distance makes to itself. This technique is sometimes referred to as dynamic programming. To see how to do this, let's step away from edit distance, and instead consider a much simpler example: computing the nth element of the Fibonacci sequence. The Fibonacci sequence by definition starts out with two 1's, with every subsequent element being the sum of the previous two. The classic recursive definition of Fibonacci is as follows:

```
# let rec fib i =
    if i <= 1 then 1 else fib (i - 1) + fib (i - 2);;
```

This is, however, exponentially slow, for the same reason that edit distance was slow: we end up making many redundant calls to fib. It shows up quite dramatically in the performance.

```
# time (fun () -> fib 20);;
Time: 5.17392ms
-: int = 10946
# time (fun () -> fib 40);;
Time: 51.4205s
-: int = 165580141
```

Here, fib 40 takes almost a minute to compute, as opposed to five milliseconds for fib

So, how can we use memoization to make this faster? The tricky bit is that we need to insert the memoization before the recursive calls within fib. We can't just define fib in the ordinary way and memoize it after the fact and expect the first call to fib to be improved (though of course repeated calls will be improved).

```
# let fib = memoize fib;;
val fib : int -> int = <fun>
# time (fun () -> fib 40);;
Time: 52.6s
- : int = 165580141
# time (fun () -> fib 40);;
```

```
Time: 0.00596046ms
-: int = 165580141
```

In order to make fib fast, our first step will be to rewrite fib in a way that unwinds the recursion. The following version expects as its first argument a function (called fib) that will be called in lieu of the usual recursive call.

```
# let fib norec fib i =
   if i <= 1 then i
   else fib (i - 1) + fib (i - 2);;
val fib norec : (int -> int) -> int -> int = <fun>
```

We can now turn this back into an ordinary Fibonacci function by tying the recursive knot, as shown below.

```
# let rec fib i = fib norec fib i
val fib : int -> int = <fun>
# fib 5;;
-: int = 8
```

We can even write a polymorphic function that we'll call make rec that can tie the recursive not for any function of this form.

```
# let make_rec f norec =
    let rec f x = f norec f x in
   f
val make rec : (('a -> 'b) -> 'a -> 'b) -> 'a -> 'b = <fun>
# let fib = make rec fib norec;;
val fib : int -> int = <fun>
# fib 5;;
-: int = 8
```

This is a pretty strange piece of code, and it may take a few minutes of thought to figure out what's going on. Like fib_norec, the function f_norec passed into make_rec is a function that isn't recursive, but takes as an argument a function that it will call. What make_rec does is to essentially feed f_norec to itself, thus making it a true recursive function.

This is clever enough, but all we've really done is find a new way to implement the same old slow Fibonacci function. To make it faster, we need variant on make rec that inserts memoization when it ties the recursive knot. We'll call that function memo rec.

```
# let memo rec f norec x =
      let fref = ref (fun -> assert false) in
      let f = memoize (fun x -> f_norec !fref x) in
      fref := f;
      f x
  ;;
val memo rec : (('a \rightarrow 'b) \rightarrow 'a \rightarrow 'b) \rightarrow 'a \rightarrow 'b = \langle fun \rangle
```

Note that memo_rec has the same signature as make_rec.

We're using the reference here as a way of tying the recursive knot without using a let rec, which for reasons we'll describe later wouldn't work here.

Using memo rec, we can now build an efficient version of fib.

```
# let fib = memo rec fib norec;;
val fib : int -> int = <fun>
# time (fun () -> fib 40);;
Time: 0.236034ms
```

And as you can see, the exponential time complexity is now gone.

The memory behavior here is important. If you look back at the definition of memo rec, you'll see that the call to memo_rec does not trigger a call to memoize. Only when the final argument to fib is presented does memoize get called, and the result of that call falls out of scope when the fib call returns. That means that, unlike ordinary memoization, calling memo rec on a function does not create a memory leak --- the memoization table is collected after the computation completes.

We can use memo_rec as part of a single declaration that makes this look like it's little more than a special form of let rec.

```
# let fib = memo rec (fun fib i ->
    if i <= 1 then 1 else fib (i - 1) + fib (i - 2));;
val fib : int -> int = <fun>
```

Memoization is overkill for implementing Fibonacci, and indeed, the fib defined above is not especially efficient, allocating space linear in the number passed in to fib. It's easy enough to write a Fibonacci function that takes a constant amount of space.

But memoization is a good approach for optimizing edit distance, and we can apply the same approach we used on fib here. We will need to change edit distance to take a pair of strings as a single argument, since memo rec only works on single-argument functions. (We can always recover the original interface with a wrapper function.) With just that change and the addition of the memo rec call, we can get a memoized version of edit_distance:

```
# let edit_distance = memo_rec (fun edit distance (s,t) ->
    match String.length s, String.length t with
      (0,x) \mid (x,0) \rightarrow x
      (len_s,len_t) ->
      let s' = String.drop suffix s 1 in
      let t' = String.drop suffix t 1 in
      let cost to drop both =
        if s.[len_s - 1] = t.[len_t - 1] then 0 else 1
      in
      List.reduce exn ~f:Int.min
        [ edit distance (s',t ) + 1
        ; edit distance (s ,t') + 1
```

```
; edit_distance (s',t') + cost_to_drop_both
]) ;;
val edit_distance : string * string -> int = <fun>
```

This new version of edit_distance is much more efficient than the one we started with; the following call is about ten thousand times faster than it was without memoization.

```
# time (fun () -> edit_distance ("OCaml 4.01","ocaml 4.01"));;
Time: 2.14601ms
- : int = 2
```



Limitations of let rec

You might wonder why we didn't tie the recursive knot in $memo_rec$ using let rec, as we did for make_rec earlier. Here's code that tries to do just that:

```
# let memo_rec f_norec =
     let rec f = memoize (fun x -> f_norec f x) in
      Characters 41-72:
       let rec f = memoize (fun x \rightarrow f_norec f x) in
```

^^^^^

Error: This kind of expression is not allowed as right-hand side of `let rec'

OCaml rejects the definition because OCaml, as a strict language, has limits on what it can put on the right hand side of a let rec. In particular, imagine how the following code snippet would be compiled.

```
let rec x = x + 1
```

Note that x is an ordinary value, not a function. As such, it's not clear how to execute this code. In some sense, you could imagine it compiling down to an infinite loop, but there's no looping control structure to make that happen.

To avoid such cases, the compiler only allow three possible constructs to show up on the right-hand side of a let rec: a function definition, a constructor, or the lazy keyword. This excludes some reasonable things, like our definition of memo rec, but it also blocks things that don't make sense, like our definition of x.

It's worth noting that these restrictions don't show up in a lazy language like Haskell. Indeed, we can make something like our definition of x work if we use OCaml's laziness:

```
# let rec x = lazy (Lazy.force x + 1);;
val x : int lazy t = <lazy>
```

Of course, actually trying to compute this will fail. OCaml's lazy throws an exception when a lazy value tries to force itself as part of its own evaluation.

```
# Lazy.force x;;
Exception: Lazy.Undefined.
```

But we can create useful recursive definitions possible with lazy as well. In particular, we can use laziness to make our definition of memo rec work without explicit mutation.

```
# let lazy_memo_rec f_norec x =
     let rec f = lazy (memoize (fun x -> f_norec (Lazy.force f) x)) in
     (Lazy.force f) x
val lazy_memo_rec : (('a -> 'b) -> 'a -> 'b) -> 'a -> 'b = <fun>
# time (fun () -> lazy_memo_rec fib_norec 40);;
Time: 0.298977ms
-: int = 102334155
```

Laziness is more constrained than explicit mutation, and so in some cases can lead to code whose behavior is easier to think about.

Input and Output

Imperative programming is about more than modifying in-memory data-structures. Any function that doesn't boil down to a deterministic transformation from its arguments to its return value is imperative in nature. That includes not only things that mutate your program's data, but also operations that interact with the world outside of your program. An important example of this kind of interaction is I/O, i.e., operations for reading or writing data to things like files, terminal input and output, and network sockets.

There are multiple I/O libraries in OCaml. In this section we'll discuss OCaml's buffered I/O library that can be used through the In channel and Out channel modules in Core. Other I/O primitives are also available through the Unix module in Core as well as Async, the asynchronous I/O library that is covered in Chapter 16. Most of the functionality in Core's In channel, Out channel (and in Core's Unix module) derives from the standard library, but we'll use Core's interfaces here.

Terminal I/0

OCaml's buffered I/O library is organized around two types: in channel, for channels you read from, and out channel, for channels you write to. In channel and Out chan nel modules only have direct support for channels corresponding to files and terminals; other kinds of channels can be created through the Unix module.

We'll start our discussion of I/O by focusing on the terminal. Following the UNIX model, communication with the terminal is organized around three channels, which correspond to the three standard file descriptors in Unix:

- In channel.stdin. The "standard input" channel. By default, input comes from the terminal, which handles keyboard input.
- In channel.stdout. The "standard output" channel. By default, output written to stdout appears on the user terminal.
- In channel.stderr. The "standard error" channel. This is similar to stdout, but is intended for error messages.

The values stdin, stdout and stderr are useful enough that they are also available in the global name-space directly, without having to go through the In channel and Out channel modules.

Let's see this in action in a simple interactive application. The following program, time converter, prompts the user for a timezone, and then prints out the current time in that timezone. Here, we use Core's Zone module for looking up a timezone, and the Time module for computing the current time and printing it out in the timezone in question.

```
(* file: time converter.ml *)
```

```
open Core.Std
let () =
 Out channel.output string stdout "Pick a timezone: ";
 Out channel.flush stdout;
 match In channel.input line stdin with
   None -> failwith "No timezone provided"
   Some zone_string ->
   let zone = Zone.find exn zone string in
   let time string = Time.to localized string (Time.now ()) zone in
   Out channel.output string stdout
      (String.concat
         ["The time in ";Zone.to string zone;" is "; time string;"\n"]);
   Out channel.flush stdout
```

We can build this program (using ocamlbuild with the tags file described in "Single File Programs" on page 61) and run it, you'll see that it prompts you for input, as follows:

```
$ ./time converter.byte
Pick a timezone:
```

You can then type in the name of a timezone and hit return, and it will print out the current time in the timezone in question.

```
Pick a timezone: Europe/London
The time in Europe/London is 2013-03-06 02:15:13.602033
```

We called Out channel.flush on stdout because out channels are buffered, which is to say that OCaml doesn't immediately do a write every time you call output string. Instead, writes are buffered until either enough has been written to trigger the flushing of the buffers, or until a flush is explicitly requested. This greatly increases the efficiency of the writing process, by reducing the number of system calls.

Note that In channel.input line returns a string option, with None indicating that the input stream has ended (i.e., an end-of-file condition). Out_channel.output_string is used to print the final output, and Out channel.flush is called to flush that output to the screen. The final flush is not technically required, since the program ends after that instruction, at which point all remaining output will be flushed anyway, but the flush is nonetheless good practice.

Formatted output with printf

Generating output with functions like Out channel.output string is simple and easy to understand, but can be a bit verbose. OCaml also supports formatted output using the printf function, which is modeled after printf in the C standard library, printf takes a format string that describe what to print and how to format it, as well as arguments to be printed, as determined by the formatting directives embedded in the format string. So, for example, we can write:

```
# printf "%i is an integer, %F is a float, \"%s\" is a string\n"
    3 4.5 "five";;
3 is an integer, 4.5 is a float, "five" is a string
- : unit = ()
```

Importantly, and unlike C's printf, the printf in OCaml is type-safe. In particular, if we provide an argument whose type doesn't match what's presented in the format string, we'll get a type error.

```
# printf "An integer: %i\n" 4.5;;
Characters 26-29:
 printf "An integer: %i\n" 4.5;;
```

Error: This expression has type float but an expression was expected of type



Understanding format strings

The format strings used by printf turn out to be quite different from ordinary strings. This difference ties to the fact that OCaml format strings, unlike their equivalent in C, are type-safe. In particular, the compiler checks that the types referred to by the format string match the types of the rest of the arguments passed to printf.

To check this, OCaml needs to analyze the contents of the format string at compile time, which means the format string needs to be available as a string literal at compile time. Indeed, if you try to pass an ordinary string to printf, the compiler will complain.

```
# let fmt = "%i is an integer, %F is a float, \"%s\" is a string\n";;
val fmt : string = "%i is an integer, %F is a float, \"%s\" is a string\n"
# printf fmt 3 4.5 "five";;
Characters 7-10:
 printf fmt 3 4.5 "five";;
('a -> 'b -> 'c -> 'd, out_channel, unit, unit, unit, unit)
```

If OCaml infers that a given string literal is a format string, then it parses it at compile time as such, choosing its type in accordance with the formatting directives it finds. Thus, if we add a type-annotation indicating that the string we're defining is actually a format string, it will be interpreted as such:

```
# let fmt : ('a, 'b, 'c) format =
```

```
"%i is an integer, %F is a float, \"%s\" is a string\n";;
val fmt : (int -> float -> string -> 'c, 'b, 'c) format = <abstr>
```

And accordingly, we can pass it to printf.

```
# printf fmt 3 4.5 "five";;
3 is an integer, 4.5 is a float, "five" is a string
- : unit = ()
```

If this looks different from everything else you've seen so far, that's because it is. This is really a special case in the type-system. Most of the time, you don't need to worry about this special handling of format strings --- you can just use printf and not worry about the details. But it's useful to keep the broad outlines of the story in the back of your head.

Now let's see how we can rewrite our time conversion program to be a little more concise using printf.

```
(* file: time converter.ml *)
open Core.Std
let () =
 printf "Pick a timezone: %!";
 match In channel.input line stdin with
  | None -> failwith "No timezone provided"
  | Some zone string ->
   let zone = Zone.find exn zone string in
   let time string = Time.to localized string (Time.now ()) zone in
   printf "The time in %s is %s.\n%!" (Zone.to_string zone) time_string
```

In the above example, we've used only two formatting directives: %s, for including a string, and %! which causes printf to flush the channel.

printf's formatting directives offer a significant amount of control, allowing you to specify things like:

- alignment and padding
- escaping rules for strings
- whether numbers should be formatted in decimal, hex or binary
- precision of float conversions

There are also printf-style functions that target outputs other than stdout, including:

- eprintf, which prints to stderr.
- fprintf, which prints to an arbitrary out channel
- sprintf, which returns a formatted string

All of this, and a good deal more, is described in the API documentation for the Printf module in the OCaml Manual.

File I/O

Another common use of in channels and out channels is for working with files. Here's a couple of functions, one that creates a file full of numbers, and the other that reads in such a file and returns the sum of those numbers.

```
# let create number file filename numbers =
   let outc = Out channel.create filename in
   List.iter numbers ^-f:(fun x -> fprintf outc "%d\n" x);
   Out channel.close outc
val create number file : string -> int Core.Std.List.t -> unit = <fun>
# let sum file filename =
    let file = In channel.create filename in
    let numbers = List.map ~f:Int.of string (In channel.input lines file) in
    let sum = List.fold ~init:0 ~f:(+) numbers in
    In channel.close file;
    sum
val sum file : string -> int = <fun>
# create number file "numbers.txt" [1;2;3;4;5];;
- : unit = ()
# sum file "numbers.txt";;
-: int = 15
```

For both of these functions we followed the same basic sequence: we first create the channel, then use the channel, and finally close the channel. The closing of the channel is important, since without it, we won't release resources associated with the file back to the operating system.

One problem with the code above is that if it throws an exception in the middle of its work, it won't actually close the file. If we try to read a file that doesn't actually contain numbers, we'll see such an error:

```
# sum file "/etc/hosts";;
Exception: (Failure "Int.of_string: \"##\"").
```

And if we do this over and over in a loop, we'll eventually run out of file descriptors.

```
# for i = 1 to 10000 do try ignore (sum file "/etc/hosts") with -> () done;;
- : unit = ()
# sum file "numbers.txt";;
Exception: (Sys_error "numbers.txt: Too many open files").
```

And now, you'll need to restart your toplevel if you want to open any more files!

To avoid this, we need to make sure that our code cleans up after itself. We can do this using the **protect** function described in Chapter 7, as follows.

```
# let sum_file filename =
    let file = In channel.create filename in
```

```
protect ~f:(fun () ->
         let numbers = List.map ~f:Int.of_string (In_channel.input_lines file) in
         List.fold ~init:0 ~f:(+) numbers)
       ~finally:(fun () -> In channel.close file)
val sum file : string -> int = <fun>
```

And now, the file descriptor leak is gone:

```
# for i = 1 to 10000 do try ignore (sum file "/etc/hosts") with -> () done;;
- : unit = ()
# sum file "numbers.txt";;
- : int = 15
```

This is really an example of a more general complexity of imperative programming. When programming imperatively, you need to be quite careful to make sure that exceptions don't leave you in an awkward state.

In channel also supports some idioms that handle some of the details of this for you. For example, the with_file function takes a filename and a function for processing that file, and takes care of the opening and closing of the file transparently.

```
# let sum file filename =
     In channel.with file filename ~f:(fun file ->
       let numbers = List.map ~f:Int.of string (In channel.input lines file) in
       List.fold ~init:0 ~f:(+) numbers)
val sum file : string -> int = <fun>
```

Another misfeature of our implementation of sum_file is that we read the entire file into memory before processing it. For a large file, it's more efficient to process a line at a time. You can use the In channel.fold lines function to do just that.

```
# let sum file filename =
     In_channel.with_file filename ~f:(fun file ->
       In channel.fold lines file ~init:0 ~f:(fun sum line ->
         sum + Int.of string line))
;;
val sum_file : string -> int = <fun>
```

This is just a taste of the functionality of In_channel and Out_channel. To get a fuller understanding you should review the API documentation for those modules.

Order of evaluation

The order in which expressions are evaluated is an important part of the definition of a programming language, and it is particularly important when programming imperatively. Most programming languages you're likely to have encountered are strict, and OCaml is too. In a strict language, when you bind an identifier to the result of some expression, the expression is evaluated before the variable is defined. Similarly, if you call a function on a set of arguments, those arguments are evaluated before they are passed to the function.

Consider the following simple example. Here, we have a collection of angles and we want to determine if any of them have a negative `sin. The following snippet of code would answer that question.

```
# let x = \sin 120. in
 let y = \sin 75. in
 let z = \sin 128. in
 List.exists ^{r}:(fun x -> x < 0.) [x;y;z]
- : bool = true
```

In some sense, we don't really need to compute the sin 128, because sin 75. is negative, so we could know the answer before even computing sin 128.

It doesn't have to be this way. Using the lazy keyword, we can write the original computation so that sin 128. won't ever be computed.

```
# let x = lazy (sin 120.) in
  let y = lazy (sin 75.) in
 let z = lazy (sin 128.) in
 List.exists ^{r}:(fun x -> Lazy.force x < 0.) [x;y;z]
;;
- : bool = true
```

We can confirm that fact by a few well placed printfs.

```
# let x = lazy (printf "1\n"; sin 120.) in
  let y = lazy (printf "2\n"; sin 75.) in
  let z = lazy (printf "3\n"; sin 128.) in
  List.exists ^{\sim}f:(\text{fun } x \rightarrow \text{Lazy.force } x < 0.) [x;y;z]
  ;;
2
- : bool = true
```

OCaml is strict by default for a good reason: Lazy evaluation and imperative programming generally don't mix well, because laziness makes it harder to reason about when a given side effect is going to occur. Understanding the order of side-effects is essential to reasoning about the behavior of an imperative program.

In a strict language, we know that expressions that are bound by a sequence of letbindings will be evaluated in the order that they're defined. But what about the evaluation order within a single expression? Officially, the answer is that evaluation order within an expression is undefined. In practice, OCaml has only one compiler, and that behavior is a kind of de facto standard. Unfortunately, the evaluation order in this case is often the oppose of what one might expect.

Consider the following example.

```
# List.exists ^{c}f:(fun x -> x < 0.)
    [ (printf "1\n"; sin 120.);
      (printf "2\n"; sin 75.);
      (printf "3\n"; sin 128.); ]
3
2
1
- : bool = true
```

Here, you can see that the sub-expression that came last was actually evaluated first! This is generally the case for many different kinds of expressions. If you want to make sure of the evaluation order of different sub-expressions, you should express them as a series of let bindings.

Side-effects and weak polymorphism

Consider the following simple imperative function.

```
# let remember =
    let cache = ref None in
    (fun x \rightarrow
       match !cache with
         Some y -> y
         None -> cache := Some x; x)
```

remember simply caches the first value that's passed to it, returning that value on every call. It's not a terribly useful function, but it raises an interesting question: what type should it have?

On its first call, remember returns the same value its passed, which means its input type and return type should match. Accordingly, remember should have the type t -> t for some type t. There's nothing about remember that ties the choice of t to any particular type, so you might expect OCaml to generalize, replacing t with a polymorphic type variable. It's this kind of generalization that gives us polymorphic types in the first place. The identity function, as an example, gets a polymorphic type in this way.

```
# let identity x = x;;
val identity : 'a -> 'a = <fun>
# identity 3;;
-: int = 3
# identity "five";;
-: string = "five"
```

As you can see, the polymorphic type of identity lets it operate on values with different types.

This is not what happens with remember, though. Here's the type that OCaml infers for remember, which looks almost, but not quite, like the type of the identity function.

```
val remember : '_a -> '_a = <fun>
```

The underscore in the type variable '_a tells us that the variable is only weakly polymorphic, which is to say that it can be used with any single type. That makes sense, because, unlike identity, remember always returns the value it was passed on its first invocation, which means it can only be used with one type.

OCaml will convert a weakly polymorphic variable to a concrete type as soon as it gets a clue as to what concrete type it is to be used as, as you can see below.

```
# let remember three () = remember 3;;
val remember three : unit -> int = <fun>
# remember;;
- : int -> int = <fun>
# remember "avocado";;
Characters 9-18:
 remember "avocado";;
Error: This expression has type string but an expression was expected of type
```

Note that the type of remember was settled by the definition of remember_three, even though remember three was never called!

The Value Restriction

So, when does the compiler infer weakly polymorphic types? As we've seen, we need weakly polymorphic types when a value of unknown type is stored in a persistent mutable cell. Because the type-system isn't precise enough to determine all cases where this might happen, OCaml uses a rough rule to flag cases where it's sure there are no persistent refs, and to only infer polymorphic types in those cases. This rule is called the value restriction.

The core of the value restriction is the observation that some kinds of simple values by their nature can't contain refs, including:

- Constants (*i.e.*, things like integer and floating point literals)
- Constructors that contain only other simple values
- Function declarations, i.e., expressions that begin with fun or function, or, the equivalent let binding, let f x = ...
- let bindings of the form let var = <expr1> in <expr2>, where both <expr1> and <expr2> are simple values.

Thus, the following expression is a simple value, and as a result, the types of values contained within it are allowed to be polymorphic.

```
# (fun x -> [x;x]);;
- : 'a -> 'a list = <fun>
```

But, if we write down an expression that isn't a simple value by the above definition, we'll get different results. For example, consider what happens if we try to memoize the function defined above.

```
# memoize (fun x \rightarrow [x;x]);;
- : ' a -> ' a list = <fun>
```

The memoized version of the function does in fact need to be restricted to a single type, because it uses mutable state behind the scenes to cache previous invocations of the function it has passed. But OCaml would make the same determination even if the function in question did no such thing. Consider this example:

```
# identity (fun x -> [x;x]);;
- : '_a -> '_a list = <fun>
```

It would be safe to infer a weakly polymorphic variable here, but because OCaml's type system doesn't distinguish between pure and impure functions, it can't separate those two cases.

The value restriction doesn't require that there is no mutable state, only that there is no *persistent* mutable state that could share values between uses of the same function. Thus, a function that produces a fresh reference every time it's called can have a fully polymorphic type:

```
# let f () = ref None;;
val f : unit -> 'a option ref = <fun>
```

But a function that has a mutable cache that persists across calls, like memoize, can only be weakly polymorphic.

Partial application and the value restriction

Most of the time, when the value restriction kicks in, it's for a good reason, i.e., it's because the value in question can actually only safely be used with a single type. But sometimes, the value restriction kicks in when you don't want it. The most common such case is partially applied functions. A partially applied function, like any function application, is not a simple value, and as such, functions created by partial application are sometimes less general than you might expect.

Consider the List.init function, which is used for creating lists where each element is created by calling a function on the index of that element.

```
# List.init;;
- : int -> f:(int -> 'a) -> 'a list = <fun>
```

```
# List.init 10 ~f:Int.to_string;;
-: string list = ["0"; "1"; "2"; "3"; "4"; "5"; "6"; "7"; "8"; "9"]
```

Imagine we wanted to create a specialized version of List.init that always created lists of length 10. We could do that using partial application, as follows.

```
# let list_init_10 = List.init 10;;
val list init 10 : f:(int -> ' a) -> ' a list = <fun>
```

As you can see, we now infer a weakly polymorphic type for the resulting function, and for good reason. There's nothing that tells us that List.init isn't creating a persistent ref somewhere inside of it that would be shared across multiple calls to list init 10. We can eliminate this possibility, and at the same time get the compiler to infer a polymorphic type, by using explicit variables rather than partial application.

```
# let list init 10 ~f = List.init 10 ~f;;
val list init 10 : f:(int -> 'a) -> 'a list = <fun>
```

This transformation is referred to as *eta expansion*, and is often useful to resolve problems that arise from the value restriction.

Relaxing the value restriction

OCaml is actually a little better at inferring polymorphic types than is implied above. The value restriction as we described it above is basically a syntactic check: there are a few operations that you can do that count as simple values, and anything that's a simple value can be generalized.

But OCaml actually has a relaxed version of the value restriction that can make some use of type information to allow polymorphic types for things that are not simple values.

For example, we saw above that a function application, even a simple application of the identity function, is not a simple value and thus can turn a polymorphic value into a weakly polymorphic one.

```
# identity (fun x \rightarrow [x;x]);;
- : ' a -> ' a list = <fun>
```

But that's not always the case. When the type of the returned value is immutable, then OCaml can typically infer a fully polymorphic type.

```
# identity [];;
- : 'a list = []
```

On the other hand, if the returned type is potentially mutable, then the result will be weakly polymorphic.

```
# [||];;
- : 'a array = [||]
```

```
# identity [||];;
- : '_a array = [||]
```

A more important example of this comes up when defining abstract data types. Consider the following simple data-structure for an immutable list type that supports constant-time concatenation.

```
# module Concat list : sig
    type 'a t
    val empty : 'a t
    val singleton : 'a -> 'a t
    val concat : 'a t -> 'a t -> 'a t (* constant time *)
    val to list : 'a t -> 'a list
                                        (* linear time *)
 end = struct
    type 'a t = Empty | Singleton of 'a | Concat of 'a t * 'a t
    let empty = Empty
    let singleton x = Singleton x
    let concat x y = Concat (x,y)
    let rec to_list_with_tail t tail =
     match t with
       Empty -> tail
       Singleton x \rightarrow x :: tail
      | Concat (x,y) -> to list with tail x (to list with tail y tail)
    let to list t =
     to_list_with_tail t []
 end;;
module Concat list :
 sig
    type 'a t
   val empty : 'a t
    val singleton : 'a -> 'a t
    val concat : 'a t -> 'a t -> 'a t
    val to list : 'a t → 'a list
```

The details of the implementation don't matter so much, but it's important to note that a Concat list.t is unquestionably an immutable value. However, when it comes to the value restriction, OCaml treats it as if it were mutable.

```
# Concat list.empty;;
- : 'a Concat list.t = <abstr>
# identity Concat_list.empty;;
- : ' a Concat list.t = <abstr>
```

The issue here is that the signature, by virtue of being abstract, has obscured the fact that Concat list.t is in fact an immutable data-type. We can resolve this in one of two ways: either by making the type concrete (i.e., exposing the implementation in the mli), which is often not desirable; or by marking the type variable in question as covariant. We'll learn more about variance and covariance in Chapter 10, but for now, you can think of it as an annotation which can be put in the interface of a pure data structure.

Thus, if we replace type 'a t in the interface with type +'a t, that will make it explicit in the interface that the data-structure doesn't contain any persistent references to values of type 'a, at which point, OCaml can infer polymorphic types for expressions of this type that are not simple values.

```
# identity Concat_list.empty;;
- : 'a Concat_list.t = <abstr>
```

Object Oriented Programming

We've already seen several tools that OCaml provides for organizing programs, particularly first-class modules. In addition, OCaml also supports object-oriented programming. There are objects, classes, and their associated types. Objects are good for encapsulation and abstraction, and classes are good for code re-use.



What is Object-Oriented Programming?

Object-oriented programming (often shorted to OOP) is a programming style that encapsulates computation and data within logical *objects*. Each object contains some data stored in *fields*, and has *method* functions that can be invoked against the data within the object. The code definition behind an object is called a *class*, and objects are constructed from a class definition by calling a constructor with the data that the object will use to build itself.

There are four fundamental properties that differentiate OOP from other styles:

- Abstraction: the details of the implementation are hidden in the object, and the external interface is just the set of publically-accessible methods.
- Dynamic lookup: when a message is sent to an object, the method
 to be executed is determined by the implementation of the object,
 not by some static property of the program. In other words, different objects may react to the same message in different ways.
- *Subtyping*: if an object a has all the functionality of an object b, then we may use a in any context where b is expected.
- Inheritance: the definition of one kind of object can be re-used to produce a new kind of object. This new definition can override some behaviour, but also share code with its parent.

Almost every notable modern programming language has been influenced by OOP, and you'll have run across these terms if you've ever used C++, Java, C#, Ruby, Python or Javascript.

When to use objects

You might wonder when to use objects in OCaml, which has a multitude of alternative mechanisms to express the same concept. First-class modules are more expressive (a module can include types, while classes and objects cannot). Modules, functors, and algebraic data types also offer a wide range of ways to express program structure. In fact, many seasoned OCaml programmers rarely use classes and objects, if at all.

Modules already provide these features in some form, but the main focus of classes is on code re-use through inheritance and late binding of methods. This is a critical property of classes: the methods that implement an object are determined when the object is instantiated, a form of dynamic binding. In the meantime, while classes are being defined, it is possible (and necessary) to refer to methods without knowing statically how they will be implemented.

In contrast, modules use static (lexical) scoping. If you want to parameterize your module code so that some part of it can be implemented later, you would write a function or functor. This is more explicit, but often more verbose than overriding a method in a class.

In general, a rule of thumb is: use classes and objects in situations where dynamic binding is a big win, for example if you have many similar variations in the implementation of a concept. Two good examples are Xavier Leroy's Cryptokit (http://gallium .inria.fr/~xleroy/software.html#cryptokit), which provides a variety of cryptographic primitives that can be combined in building-block style, and the Camlimages (http:// cristal.inria.fr/camlimages/) library which manipulates various graphical file formats.

In this chapter, we'll introduce you to the basics of object definition and use in OCaml, and then demonstrate their use with an example using Cryptokit. We'll return to the more advanced areas of object use later on in the book in Chapter 24.

OCaml objects

If you already know about object oriented programming in a language like Java or C+ +, the OCaml object system may come as a surprise. Foremost is the complete separation of subtyping and inheritance in OCaml. In a language like Java, a class name is also used as the type of objects created by instantiating it, and the subtyping rule corresponds to inheritance. For example, if we implement a class Stack in Java by inheriting from a class Deque, we would be allowed to pass a stack anywhere a deque is expected (this is a silly example of course, practitioners will point out that we shouldn't do it).

OCaml is entirely different. Classes are used to construct objects and support inheritance, including non-subtyping inheritance. Classes are not types. Instead, objects have object types, and if you want to use objects, you aren't required to use classes at all. Here's an example of a simple object.

```
# let p =
 object
    val mutable x = 0
   method get = x
   method set i = x < -i
val p : < get : int; set : int -> unit > = <obj>
```

The object has an integer value x, a method get that returns x, and a method set that updates the value of x.

The object type is enclosed in angle brackets < ... >, containing just the types of the methods. Fields, like x, are not part of the public interface of an object. All interaction with an object is through its methods. The syntax for a method invocation (also called "sending a message" to the object) uses the # character.

```
# p#get;
-: int = 0
# p#set 17;;
- : unit = ()
# p#get;;
-: int = 17
```

Objects can also be constructed by functions. If we want to specify the initial value of the object, we can define a function that takes the value and returns an object.

```
# let make i =
 object
    val mutable x = i
    method get = x
    method set y = x \leftarrow y
val make : 'a -> < get : 'a; set : 'a -> unit > = <fun>
# let p = make 5;;
val p : < get : int; set : int -> unit > = <obj>
# p#get;;
- : int = 5
```

Note that the types of the function make and the returned object now use the polymorphic type 'a. When make is invoked on a concrete value 5, we get the same object type as before, with type int for the value.

Object Polymorphism

Functions can also take object arguments. Let's construct a new object average that returns the average of any two objects with a get method.

```
# let average p1 p2 =
 object
    method get = (p1#get + p2#get) / 2
```

```
end;;
val average :
 < get : int; .. > ->
 < get : int; .. > ->
 < get : int > = <fun>
```

There's some new syntax in the type that's been inferred for average here. The parameters have the object type < get : int; ... >. The .. are ellipsis, standing for any other methods. The type < get : int; ... > specifies an object that must have at least a get method, and possibly some others as well.

We can use the average using the normal object invocation syntax:

```
# let p1 = make 5;;
# let p2 = make 15;;
# let a = average p1 p2;;
# a#get;;
-: int = 10
# p2#set 25;;
# a#get;;
-: int = 15
```

The potential extra parameters defined by the object are carefully tracked by the OCaml type checker. If we manually try and constrain the exact type < get : int > for an object with more methods, type inference will fail.

```
# let (p : < get : int >) = make 5;;
Error: This expression has type < get : int; set : int -> unit >
       but an expression was expected of type < get : int >
       The second object type has no method set
```



Elisions are polymorphic

The .. in an object type is an elision, standing for "possibly more methods." It may not be apparent from the syntax, but an elided object type is actually polymorphic. If we try to write a type definition, we get an obscure error.

```
# type point = < get:int; .. >;;
```

```
Error: A type variable is unbound in this type declaration.
In type < get : int; ... > as 'a the variable 'a is unbound
```

A.. in an object type is called a *row variable* and this typing scheme is called *row polymorphism*. Even though.. doesn't look like a type variable, it actually is. The error message suggests a solution, which is to add the as 'a type constraint.

```
# type 'a point = < get:int; .. > as 'a;;
type 'a point = 'a constraint 'a = < get : int; .. >
```

In other words, the type 'a point is equal to 'a, where 'a = < get : int; .. >. That may seem like an odd way to say it, and in fact, this type definition is not really an abbreviation because 'a refers to the entire type.

An object of type < get:int; ... > can be any object with a method get:int, it doesn't matter how it is implemented. So far, we've constructed two objects with that type; the function make constructed one, and so did average. When the method #get is invoked, the actual method that is run is determined by the object.

```
# let print_point p = Printf.printf "Point: %d\n" p#get;;
val print_point : < get : int; .. > -> unit = <fun>
# print_point (make 5);;
Point: 5
# print_point (average (make 5) (make 15));;
Point: 10
```

Classes

Programming with objects directly is great for encapsulation, but one of the main goals of object-oriented programming is code re-use through inheritance. For inheritance, we need to introduce *classes*. In object-oriented programming, a class is a "recipe" for creating objects. The recipe can be changed by adding new methods and fields, or it can be changed by modifying existing methods.

In OCaml, class definitions must be defined as toplevel statements in a module. A class is not an object, and a class definition is not an expression. The syntax for a class definition uses the keyword class.

```
# class point =
  object
  val mutable x = 0
  method get = x
  method set y = x <- y
  end;;
class point :
  object
  val mutable x : int</pre>
```

```
method get : int
method set : int -> unit
```

The type class point : ... end is a class type. This particular type specifies that the point class defines a mutable field x, a method get that returns an int, and a method set with type int -> unit.

To produce an object, classes are instantiated with the keyword new.

```
# let p = new point;;
val p : point = <obj>
# p#get;;
-: int = 0
# p#set 5;;
- : unit = ()
# p#get;;
-: int = 5
```

Inheritance uses an existing class to define a new one. For example, the following class definition supports an addition method moveby that moves the point by a relative amount.

```
# class movable point =
 object (self : 'self)
    inherit point
    method moveby dx = self#set (self#get + dx)
 end;;
class movable point :
 object
    val mutable x : int
    method get : int
    method moveby : int -> unit
    method set : int -> unit
```

This new movable point class also makes use of the (self: 'self) binding after the object keyword. The variable self stands for the current object, allowing self-invocation, and the type variable 'self stands for the type of the current object (which in general is a subtype of movable_point).

An Example: Cryptokit

Let's take a break from describing the object system with a more practical example that uses the OCaml cryptographic library.



Installing the Cryptokit library

The Cryptokit library can be installed via OPAM via opam install cryp tokit. Once that's finished compiling and installing, you just need to #require "cryptokit" in your toplevel to load the library and make the modules available.

Our first example mimics the md5 command, which reads in an input file and returns a hexadecimal representation of its MD5 cryptographic hash. Cryptokit defines a number of different functions and collects them together under the Cryptokit.hash class type:

```
class type hash = object
 method add_byte : int -> unit
 method add char : char -> unit
 method add string : string -> unit
 method add substring : string -> int -> int -> unit
 method hash size : int
 method result : string
 method wipe : unit
val hash string : hash -> string -> string
```

Concrete hash objects can be instantiated from various sub-modules in Cryptokit. The simplest ones such as MD5 or SHA1 do not take any special input parameters to build the object. The hmac sha1 takes a string key to initialise the Message Authenticate Code for that particular hash function.

```
# Cryptokit.Hash.md5;;
- : unit -> Cryptokit.hash = <fun>
# Cryptokit.Hash.sha1;;
- : unit -> Cryptokit.hash = <fun>
# Cryptokit.MAC.hmac sha1;;
- : string -> Cryptokit.hash = <fun>
```

Hash objects hold state and are thus naturally imperative. Once instantiated, data is fed into them by the addition functions, the result is computed and finally the contents erased via wipe. The hash string convenience function applies the hash function fully to a string, and returns the result. The md5 command is quite straight-forward now:

```
open Core.Std
open Cryptokit
 In channel.(input all stdin)
  |> hash string (Hash.md5 ())
  |> transform string (Hexa.encode ())
  > print endline
```

After opening the right modules, we read in the entire standard input into an OCaml string. This is then passed onto the MD5 hash function, which returns a binary string. This binary is passed through the Hexa hexadecimal encoder, which returns an ASCII representation of the input. The output of this command will be the same as the md5 command (or md5sum in some systems).

We can extend this simple example by selecting either the md5 or sha1 hash function at runtime depending on the name of our binary. Sys.argv is an array containing the arguments the command was invoked with, and the first entry is the name of the binary itself.

```
open Core.Std
open Cryptokit
let _ =
 let hash fn =
    match Filename.basename Sys.argv.(0) with
    |"md5" -> Hash.md5 ()
    "sha1" -> Hash.sha1 ()
    | -> Hash.md5 ()
 in
 In channel.(input all stdin)
  |> hash string hash fn
  > transform string (Hexa.encode ())
  |> print endline
```

Now let's try something more advanced. The openss1 library is installed on most systems, and can be used to encrypt plaintext using several encryption strategies. At its simplest, it will take a secret phrase and derive an appropriate key and initialisation vector.

```
$ openssl enc -nosalt -aes-128-cbc -base64 -k "ocaml" -P
key=6217C07FF169F6AB2EB2731F855095F1
iv =8164D5477E66E6A9EC99A8D58ACAADAF
```

We've selected the -nosalt option here to make the output deterministic, and the -P option prints out the derived key and IV and exits. The algorithm used to derive these results is described in the man EVP BytesToKey manual page (you may need to install the OpenSSL documentation packages on your system first). We can implement this derivation function using an imperative style:

```
let md5 s = hash string (Hash.md5 ()) s
let evp byte to key password tlen =
 let o = Hexa.encode () in
 let v = ref (md5 password) in
 o#put string !v;
 while o#available_output/2 < tlen do
    let n = md5 (!v ^ password) in
    o#put string n;
```

```
v := n;
 done:
 String.uppercase o#get string
let
 let secret = "ocaml" in
 let key len = 16 * 2 in
 let iv len = 16 * 2 in
 let x = evp byte to key secret (key len+iv len) in
 let key = String.sub x ~pos:0 ~len:key len in
 let iv = String.sub x ~pos:key len ~len:iv len in
 Printf.printf "key=%s\niv =%s\n%!" key iv
```

The derivation algorithm takes an input password and desired total length (the addition of the key and IV length). It initialises a Hexa.encode transformer, which will accept arbitrary binary data and output a hexadecimal string (with two output bytes per input byte). A reference stores the last digest that's been calculated, and then the algorithm iterates until it has sufficient data to satisfy the required key length.

Notice how the encoder object is used as an accumulator, by using the put string and available output to keep track of progress. Objects don't require an imperative style though, and the same algorithm can be written more functionally:

```
let evp byte to key password tlen =
 let rec aux acc v =
    match String.length acc < tlen with
    | true ->
     let v = md5 (v ^ password) in
     aux (acc^v) v
    | false -> acc
 in
 let v = md5 password in
 String.uppercase (transform_string (Hexa.encode ()) (aux v v))
```

In this version, we don't use any references, and instead a recursive function keeps track of the last digest in use and the accumulated result string. This version isn't quite as efficient as the previous one due to the careless use of string concatenation for the accumulator, but this can easily be fixed by using the Buffer module instead.

Class parameters and polymorphism

A class definition serves as the constructor for the class. In general, a class definition may have parameters that must be provided as arguments when the object is created with new.

Let's build an example of an imperative singly-linked list using object-oriented techniques. First, we'll want to define a class for a single element of the list. We'll call it a node, and it will hold a value of type 'a. When defining the class, the type parameters are placed in square brackets before the class name in the class definition. We also need a parameter x for the initial value.

```
class ['a] node x =
object
 val mutable value : 'a = x
 val mutable next node : 'a node option = None
 method get = value
 method set x = value < -x
 method next = next node
 method set next node = next node <- node
```

The value is the value stored in the node, and it can be retrieved and changed with the get and set methods. The next node field is the link to the next element in the stack. Note that the type parameter ['a] in the definition uses square brackets, but other uses of the type can omit them (or use parentheses if there is more than one type parameter).

The type annotations on the val declarations are used to constrain type inference. If we omit these annotations, the type inferred for the class will be "too polymorphic," x could have some type 'b and next node some type 'c option.

```
class ['a] node x =
 object
    val mutable value = x
    val mutable next node = None
    method get = value
    method set x = value <- x
    method next = next node
    method set next node = next node <- node
Error: Some type variables are unbound in this type:
         class ['a] node:
           'b ->
           object
             val mutable next node : 'c option
            val mutable value : 'b
            method get : 'b
             method next : 'c option
             method set : 'b -> unit
             method set next : 'c option -> unit
       The method get has type 'b where 'b is unbound
```

In general, we need to provide enough constraints so that the compiler will infer the correct type. We can add type constraints to the parameters, to the fields, and to the methods. It is a matter of preference how many constraints to add. You can add type constraints in all three places, but the extra text may not help clarity. A convenient middle ground is to annotate the fields and/or class parameters, and add constraints to methods only if necessary.

Next, we can define the list itself. We'll keep a field head the refers to the first element in the list, and last refers to the final element in the list. The method insert adds an element to the end of the list.

Object types

This definition of the class slist is not complete, we can construct lists, but we also need to add the ability to traverse the elements in the list. One common style for doing this is to define a class for an iterator object. An iterator provides a generic mechanism to inspect and traverse the elements of a collection. This pattern isn't restricted to lists, it can be used for many different kinds of collections.

There are two common styles for defining abstract interfaces like this. In Java, an iterator would normally be specified with an interface, which specifies a set of method types. In languages without interfaces, like C++, the specification would normally use *abstract* classes to specify the methods without implementing them (C++ uses the "= 0" definition to mean "not implemented").

```
// Java-style iterator, specified as an interface.
interface <T> iterator {
    T Get();
    boolean HasValue();
    void Next();
};

// Abstract class definition in C++.
template<typename T>
class Iterator {
    public:
        virtual ~Iterator() {}
        virtual T get() const = 0;
        virtual bool has_value() const = 0;
```

```
virtual void next() = 0;
};
```

OCaml support both styles. In fact, OCaml is more flexible than these approaches because an object type can be implemented by any object with the appropriate methods, it does not have to be specified by the object's class a priori. We'll leave abstract classes for later. Let's demonstrate the technique using object types.

First, we'll define an object type **iterator** that specifies the methods in an iterator.

```
type 'a iterator = < get : 'a; has value : bool; next : unit >;;`
```

Next, we'll define an actual iterator for the class slist. We can represent the position in the list with a field current, following links as we traverse the list.

```
class ['a] slist iterator cur =
object
 val mutable current : 'a node option = cur
 method has value = current <> None
 method get =
    match current with
        Some node -> node#get
      | None -> raise (Invalid argument "no value")
 method next =
    match current with
       Some node -> current <- node#next
      | None -> raise (Invalid argument "no value")
end;;
```

Finally, we add a method iterator to the slist class to produce an iterator. To do so, we construct an slist iterator that refers to the first node in the list, but we want to return a value with the object type iterator. This requires an explicit coercion using the :> operator.

```
class ['a] slist = object
   method iterator = (new slist iterator first :> 'a iterator)
end
# let 1 = new slist;;
# 1.insert 5;;
# 1.insert 4;;
# let it = l#iterator;;
# it#get;;
-: int = 5
# it#next;;
- : unit = ()
# it#get;;
-: int = 4
```

```
# it#next;;
- : unit = ()
# it#has value;;
- : bool = false
```

We may also wish to define functional-style methods, iter f takes a function f and applies it to each of the elements of the list.

```
method iter f =
 let it = self#iterator in
 while it#has value do
    f it#get
    it#next
 end
```

What about functional operations similar to List.map or List.fold? In general, these methods take a function that produces a value of some other type than the elements of the set. For example, the function List.fold has type 'a list -> ('b -> 'a -> 'b) -> 'b -> 'b, where 'b is an arbitrary type. To replicate this in the slist class, we need a method type ('b -> 'a -> 'b) -> 'b, where the method type is polymorphic

The solution is to use a type quantifier, as shown in the following example. The method type must be specified directly after the method name, which means that method parameters must be expressed using a fun or function expression.

```
method fold : 'b. ('b -> 'a -> 'b) -> 'b -> 'b =
   (fun f x \rightarrow
         let y = ref x in
         let it = self#iterator in
         while it#has value do
            y := f !y it#get;
            it#next
         done;
         !y)
```

Immutable objects

Many people consider object-oriented programming to be intrinsically imperative, where an object is like a state machine. Sending a message to an object causes it to change state, possibily sending messages to other objects.

Indeed, in many programs, this makes sense, but it is by no means required. Let's define an object-oriented version of lists similar to the imperative list above. We'll implement it with a regular list type 'a list, and insertion will be to the beginning of the list instead of to the end.

```
class ['a] flist =
object (self : 'self)
```

```
val elements : 'a list = []
   method is empty = elements = []
   method insert x : 'self = {< elements = x :: elements >}
   method iterator =
      (new flist iterator elements :> 'a iterator)
   method iter (f : 'a -> unit) = List.iter f elements
   method fold: 'b. ('b -> 'a -> 'b) -> 'b -> 'b =
      (fun f x -> List.fold left f x elements)
end;;
```

A key part of the implementation is the definition of the method insert. The expression {<...>} produces a copy of the current object, with the same type, and the specified fields updated. In other words, the new fst new x method produces a copy of the object, with x replaced by new x. The original object is not modified, and the value of y is also unaffected.

There are some restriction on the use of the expression $\{\langle \dots \rangle\}$. It can be used only within a method body, and only the values of fields may be updated. Method implementations are fixed at the time the object is created, they cannot be changed dynamically.

We use the same object type iterator for iterators, but implement it differently.

```
class ['a] flist iterator 1 =
object
   val mutable elements : 'a list = 1
   method has value = 1 <> []
   method get =
     match 1 with
        h :: _ -> h
       [] -> raise (Invalid argument "list is empty")
   method next =
     match 1 with
          :: 1 -> elements <- 1
       | [] -> raise (Invalid argument "list is empty")
end;;
```

Class types

Once we have defined the list implementation, the next step is to wrap it in a module or .ml file and give it a type so that it can be used in the rest of our code. What is the type?

Before we begin, let's wrap up the implementation in an explicit module (we'll use explicit modules for illustration, but the process is similar when we want to define a .mli file). In keeping with the usual style for modules, we define a type 'a t to represent the type of list values.

```
module SList = struct
  type 'a iterator = < get : 'a; has_value : bool; next : unit >
  type 'a t = < is_empty : bool; insert : 'a -> unit; iterator : 'a iterator >
  class ['a] node x = object ... end
  class ['a] slist_iterator cur = object ... end
  class ['a] slist = object ... end
  let make () = new slist
end;;
```

We have multiple choices in defining the module type, depending on how much of the implementation we want to expose. At one extreme, a maximally-abstract signature would completely hide the class definitions.

```
module AbstractSList : sig
  type 'a iterator = < get : 'a; has_value : bool; next : unit >
  type 'a t = < is_empty : bool; insert : 'a -> unit; iterator : 'a iterator >
  val make : unit -> 'a t
end = SList
```

The abstract signature is simple because we ignore the classes. But what if we want to include them in the signature, so that other modules can inherit from the class definitions? For this, we need to specify types for the classes, called *class types*. Class types do not appear in mainstream object-oriented programming languages, so you may not be familiar with them, but the concept is pretty simple. A class type specifies the type of each of the visible parts of the class, including both fields and methods. Just like for module types, you don't have to give a type for everything; anything you omit will be hidden.

```
module VisibleSList : sig
  type 'a iterator = < get : 'a; has_value : bool; next : unit >
    type 'a t = < is_empty : bool; insert : 'a -> unit; iterator : 'a iterator >

class ['a] node : 'a ->
  object
    method get : 'a
    method set : 'a -> unit
    method next : 'a node option
    method set_next : 'a node option -> unit
end

class ['a] slist_iterator : 'a node option ->
  object
    method has_value : bool
    method get : 'a
    method next : unit
```

```
end
  class ['a] slist :
  object
    val mutable first : 'a node option
val mutable last : 'a node option
    method is_empty : bool
    method insert : 'a -> unit
    method iterator : 'a iterator
  val make : unit -> 'a slist
end = SList
```

In this signature, we've chosen to make nearly everything visible. The class type for slist specifies the types of the fields first and last, as well ad the types of each of the methods. We've also included a class type for slist_iterator, which is of somewhat more questionable value, since the type doesn't appear in the type for slist at all.

One more thing, in this example the function make has type unit -> 'a slist. But wait, we've stressed classes are not types, so what's up with that? In fact, what we've said is entirely true, classes and class names are not types. However, class names can be used to stand for types. When the compiler sees a class name in type position, it automatically constructs an object type from it by erasing all the fields and keeping only the method types. In this case, the type expression 'a slist is exactly equivalent to 'a t.

PART II

Practical Examples

Data Serialization with S-Expressions

Data serialization, *i.e.* converting data to and from a sequence of bytes that's suitable for writing to disk or sending across the network, is an important and common programming task. Sometimes you need to match someone else's data format (such as XML), sometimes you need a highly efficient format, and sometimes you just want something that is easy for humans to read and edit. To this end, OCaml comes with several techniques for data serialization depending on what your problem is.

We'll start by considering the question of how to serialize data in a human-readable and editable form when you're not constrained to using a particular third-party format. Core's solution to this problem is to use s-expressions

S-expressions are nested paranthetical expressions whose atomic values are strings. They were first popularized by the Lisp programming language in the 1960s, and have remained one of the simplest and most effective ways to encode structured data. An example s-expression might look like this:

```
(this (is an) (s expression))
```

The OCaml type of an s-expression is quite simple:

```
module Sexp : sig
  type t = Atom of string | List of t list
end
```

An s-expression can be thought of as a tree where each node contains a list of its children, and where the leaves of the tree are strings.

The Sexp module in Core comes with functionality for parsing and printing s-expressions.

```
# let sexp =
    let a x = Sexp.Atom x and l x = Sexp.List x in
    l [a "this";l [a "is"; a "an"]; l [a "s"; a "expression"]];;
val sexp : Sexp.t = (this (is an) (s expression))
```

In addition, most of the base types in Core support conversion to and from s-expressions. For example, we can write:

```
# Int.sexp_of_t 3;;
- : Sexp.t = 3
# List.sexp_of_t;;
- : ('a -> Sexp.t) -> 'a List.t -> Sexp.t = <fun>
# List.sexp_of_t Int.sexp_of_t [1;2;3];;
- : Sexp.t = (1 2 3)
```

Notice that List.sexp_of_t is polymorphic, and takes as its first argument another conversion function to handle the elements of the list to be converted. Core uses this scheme more generally for defining sexp-converters for polymorphic types.

But what if you want a function to convert some brand new type to an s-expression? You can of course write it yourself manually:

```
# type t = { foo: int; bar: float };;
# let sexp_of_t t =
    let a x = Sexp.Atom x and l x = Sexp.List x in
    l [ l [a "foo"; Int.sexp_of_t t.foo ];
        l [a "bar"; Float.sexp_of_t t.bar]; ]
    ;;
val sexp_of_t : t -> Core.Std.Sexp.t = <fun>
# sexp_of_t { foo = 3; bar = -5.5 };;
    -: Core.Std.Sexp.t = ((foo 3) (bar -5.5))
```

This is somewhat tiresome to write, and it gets more so when you consider the parser, *i.e.*, t_of_sexp, which is considerably more complex. Writing this kind of parsing and printing code by hand is mechanical and error prone, not to mention a drag.

Given how mechanical the code is, you could imagine writing a program that inspected the type definition and auto-generated the conversion code for you. As it turns out, we can do just that using Sexplib. The Sexplib package, which is included with Core, provides both a library for manipulating s-exressions and a syntax extension for generating such conversion functions. With that synax extension enabled, any type that has with sexp as an annotation will trigger the generation of the functions we want for free.

```
# type t = { foo: int; bar: float } with sexp;;
type t = { foo: int; bar: float; }
val t_of_sexp__: Sexplib.Sexp.t -> t = <fun>
val t_of_sexp: Sexplib.Sexp.t -> t = <fun>
val sexp_of_t: t -> Sexplib.Sexp.t = <fun>
# t_of_sexp (Sexp.of_string "((bar 35) (foo 3))");;
-: t = {foo = 3; bar = 35.}
```

The with sexp is detected by a Sexplib syntax extension and replaced with the extra conversion functions you see above. You can ignore t_of_sexp__, which is a helper function that is needed in very rare cases.

The syntax extensions in Core almost all have this same basic structure: they autogenerate code based on type definitions, implementing functionality that you could in theory have implemented by hand, but with far less programmer effort.



The camlp4 preprocessor and type conv

OCaml doesn't directly support converting static type definitions to and from other data formats. Instead, it supplies a powerful syntax extension mechanism known as camlp4. This lets you extend the grammar of the language to mark types as requiring special action, and then mechanically generate boilerplate code over those types (such as converting to and from other data formats).

Many of the examples in the subsequent chapters depend on camlp4, but the examples all invoke it automatically for you via the -pp flag to the OCaml compiler. If you're interested in building your own generators, investigate the type conv library which provides the basic extension mechanism used by the rest of this chapter.

The Sexp format

The textual representation of s-expressions is pretty straightforward. An s-expression is written down as a nested parenthetical expression, with whitespace-separated strings as the atoms. Quotes are used for atoms that contain parenthesis or spaces themselves; backslash is the escape character; and semicolons are used to introduce single-line comments. Thus, the following file, example.scm:

```
;; example.scm
((foo 3.3);; This is a comment
(bar "this is () an \" atom"))
```

can be loaded using sexplib. As you can see, the commented data is not part of the resulting s-expression.

```
# Sexp.load sexp "example.scm";;
- : Core.Std.Sexp.t = ((foo 3.3) (bar "this is () an \" atom"))
```

All in, the s-expression format actually supports three comment syntaxes:

- ;, which comments out everything to the end of a line
- #| and |#, which are delimiters for commenting out a block
- #;, which comments out the first complete s-expression that follows.

The following example shows all of these in action.

```
;; comment heavy example.scm
((this is included)
```

```
; (this is commented out
(this stays)
#; (all of this is commented
   out (even though it crosses lines.))
 (and #| block delimiters #| which can be nested #|
   will comment out
  an arbitrary multi-line block))) |#
 now we're done
```

Again, loading the file as an s-expression drops the comments.

```
# Sexp.load_sexp "comment_heavy_example.scm";;
- : Core.Std.Sexp.t = ((this is included) (this stays) (and now we're done))
```

Note that the comments were dropped from the file upon reading. This is expected, since there's no place in the Sexp.t type to store comments.

If we introduce an error into our s-expression, by, say, deleting the open-paren in front of bar, we'll get a parse error:

```
# Exn.handle uncaught ~exit:false (fun () ->
    ignore (Sexp.load sexp "example.scm"));;
 Uncaught exception:
  (Sexplib.Sexp.Parse error
   ((location parse) (err msg "unexpected character: ')'") (text line 4)
   (text_char 29) (global_offset 94) (buf_pos 94)))
```

In the above, we use Exn.handle uncaught to make sure that the exception gets printed out in full detail. You should generally wrap every Core program in this handler to get good error messages for any unexpected exceptions.

Sexp converters

The most important functionality provided by Sexplib is the auto-generation of converters for new types. We've seen a bit of how this works already, but let's walk through a complete example. Here's the source for the beginning of a library for representing integer intervals.

```
(* file: int interval.ml *)
(* Module for representing closed integer intervals *)
open Core.Std
(* Invariant: For any Range (x,y), y \ge x *)
type t = | Range of int * int
         | Empty
with sexp
let is_empty = function Empty -> true | Range _ -> false
```

```
let create x y = if x > y then Empty else Range (x,y)
let contains i \times x = match i with
    Empty -> false
   | Range (low, high) \rightarrow x >= low && x <= high
```

We can now use this module as follows:

```
(* file: test_interval.ml *)
open Core.Std
let intervals =
 let module I = Int_interval in
 [ I.create 3 4;
    I.create 5 4; (* should be empty *)
   I.create 2 3;
    I.create 1 6;
let () =
 intervals
  |> List.sexp_of_t Int_interval.sexp_of_t
  > Sexp.to string hum
  |> print endline
```

But we're still missing something: we haven't created an mli signature for Int inter val yet. Note that we need to explicitly export the s-expression converters that were created within the ml. If we don't:

```
(* file: int interval.mli *)
    (* Module for representing closed integer intervals *)
    type t
    val is_empty : t -> bool
    val create : int -> int -> t
    val contains : t -> int -> bool
then we'll get the following error:
    File "test_interval.ml", line 15, characters 20-42:
    Error: Unbound value Int interval.sexp of t
    Command exited with code 2.
```

We could export the types by hand in the signature:

```
type t
val sexp_of_t : Sexp.t -> t
val t_of_sexp : t -> Sexp.t
```

But Sexplib has a shorthand for this as well, so that we can just use the same with shorthand in the mli.

```
type t with sexp
```

at which point test interval.ml will compile again, and if we run it, we'll get the following output:

```
$ ./test interval.native
((Range 3 4) Empty (Range 2 3) (Range 1 6))
```

Preserving invariants

One easy mistake to make when dealing with sexp converters is to ignore the fact that those converters can violate the invariants of your code. For example, the Int inter val module depends for the correctness of the is_empty check on the fact that for any value Range (x,y), y is greater than or equal to x. The create function preserves this invariant, but the t of sexp function does not.

We can fix this problem by overriding the autogenerated function and writing a custom sexp-converter that is based on the auto-generated converter.

```
type t = | Range of int * int
         Empty
with sexp
let create x y = if x > y then Empty else Range (x,y)
let t of sexp sexp =
 let t = t of sexp sexp in
 begin match t with
   Empty -> ()
  | Range (x,y) ->
   if y < x then of sexp error "Upper and lower bound of Range swapped" sexp
 end;
```

This trick of overriding an existing function definition with a new one is perfectly acceptable in OCaml. Function definitions are only recursive if the rec keyword is specified, and so in this case the inner t of sexp call will go to the earlier auto-generated definition that resulted from the type t with sexp definition.

We call the function of sexp_error to raise an exception because that improves the error reporting that Sexplib can provide when a conversion fails.

Getting good error messages

There are two steps to descrializing a type from an s-expression: first, converting the bytes in a file to an s-expression, and the second, converting that s-expression into the type in question. One problem with this is that it can be hard to localize errors to the right place using this scheme. Consider the following example:

```
(* file: read_foo.ml *)
    open Core.Std
    type t = { a: string; b: int; c: float option } with sexp
    let run () =
      let t =
        Sexp.load sexp "example.scm"
        |> t_of_sexp
      printf "b is: %d\n%!" t.b
    let () =
      Exn.handle_uncaught ~exit:true run
If you were to run this on a malformatted file, say, this one:
    ;; example.scm
    ((a not-an-integer)
     (b not-an-integer)
     (c ()))
you'll get the following error:
    read foo $ ./read foo.native
    Uncaught exception:
      (Sexplib.Conv.Of sexp error
       (Failure "int_of_sexp: (Failure int_of_string)") not-an-integer)
If all you have is the error message and the string, it's not terribly informative. In par-
ticular, you know that the parsing error-ed out on the atom "not-an-integer", but you
don't know which one! In a large file, this kind of bad error message can be pure misery.
```

```
let run () =
 let t = Sexp.load_sexp_conv_exn "example.scm" t_of_sexp in
 printf "b is: %d\n%!" t.b
```

and run it again, we'll get the following much more helpful error message:

But there's hope! If we make small change to the run function as follows:

```
read_foo $ ./read_foo.native
Uncaught exception:
  (Sexplib.Conv.Of sexp error
   (Sexplib.Sexp.Annotated.Conv exn example.scm:3:4
    (Failure "int_of_sexp: (Failure int_of_string)"))
   not-an-integer)
```

In the above error, "example.scm:3:4" tells us that the error occurred on "example.scm", line 3, character 4, which is a much better start for figuring out what has gone wrong.

Sexp-conversion directives

Sexplib supports a collection of directives for modifying the default behavior of the auto-generated sexp-converters. These directives allow you to customize the way in which types are represented as s-expressions without having to write a custom parser.

sexp opaque

The most commonly used directive is sexp opaque, whose purpose is to mark a given component of a type as being unconvertible. Anything marked with sexp opaque will be presented as the atom <opaque> by the to-sexp converter, and will trigger an exception from the from-sexp converter. Note that the type of a component marked as opaque doesn't need to have a sexp-converter defined. Here, if we define a type without a sexp-converter, and then try to use it another type with a sexp-converter, we'll error out:

```
# type no converter = int * int;;
type no converter = int * int
# type t = { a: no_converter; b: string } with sexp;;
Characters 14-26:
 type t = { a: no_converter; b: string } with sexp;;
Error: Unbound value no_converter_of_sexp
```

But with sexp opaque, we won't:

```
# type t = { a: no converter sexp opaque; b: string } with sexp;;
type t = { a : no_converter Core.Std.sexp_opaque; b : string; }
val t_of_sexp__ : Sexplib.Sexp.t -> t = <fun>
val t_of_sexp : Sexplib.Sexp.t -> t = <fun>
val sexp of t : t -> Sexplib.Sexp.t = <fun>
```

And if we now convert a value of this type to an s-expression, we'll see the contents of field a marked as opaque:

```
# sexp_of_t { a = (3,4); b = "foo" };;
- : Sexp.t = ((a <opaque>) (b foo))
```

sexp list

Sometimes, sexp-converters have more parentheses than one would ideally like. Consider, for example, the following variant type:

```
# type compatible_versions = | Specific of string list
```

```
with sexp;;
# sexp_of_compatible_versions (Specific ["3.12.0"; "3.12.1"; "3.13.0"]);;
- : Sexp.t = (Specific (3.12.0 3.12.1 3.13.0))
```

You might prefer to make the syntax a bit less parenthesis-laden by dropping the parentheses around the list. sexp_list gives us this alternate syntax:

```
# type compatible_versions = | Specific of string sexp_list
# sexp of compatible versions (Specific ["3.12.0"; "3.12.1"; "3.13.0"]);;
- : Sexp.t = (Specific 3.12.0 3.12.1 3.13.0)
```

sexp_option

Another common directive is sexp option, which is used to make a record field optional in the s-expressoin. Normally, optional values are represented either as () for None, or as (x) for Some x, and a record field containing an option would be rendered accordingly. For example:

```
# type t = { a: int option; b: string } with sexp;;
# sexp_of_t { a = None; b = "hello" };;
- : Sexp.t = ((a ()) (b hello))
# sexp_of_t { a = Some 3; b = "hello" };;
- : Sexp.t = ((a (3)) (b hello))
```

But what if we want a field to be optional, i.e., we want to allow it to be omitted from the record entirely? In that case, we can mark it with sexp option:

```
# type t = { a: int sexp option; b: string } with sexp;;
# sexp of t { a = Some 3; b = "hello" };;
- : Sexp.t = ((a 3) (b hello))
# sexp_of_t { a = None; b = "hello" };;
- : Sexp.t = ((b hello))
```

Specifying defaults

The sexp option declaration is really just an example of how one might want to deal with default values. With sexp option, your type on the OCaml side is an option, with None representing the case where no value is provided. But you might want to allow other ways of filling in default values.

Consider the following type which represents the configuration of a very simple webserver.

```
# type http server config = {
     web root: string;
     port: int;
```

```
addr: string;
} with sexp;;
```

One could imagine making some of these paramters optional; in particular, by default, we might want the web server to bind to port 80, and to listen as localhost. The sexpsyntax allows this to do this, as follows.

```
# type http server config = {
     web root: string;
     port: int with default(80);
     addr: string with default("localhost");
type http_server_config = { web_root : string; port : int; addr : string; }
val http_server_config_of_sexp__ : Sexplib.Sexp.t -> http_server_config =
  <fun>
val http server config of sexp : Sexplib.Sexp.t -> http server config = <fun>
val sexp_of_http_server_config : http_server_config -> Sexplib.Sexp.t = <fun>
# http_server_config_of_sexp (Sexp.of_string "((web_root /var/www/html))";;
# let cfg = http_server_config_of_sexp (Sexp.of_string "((web_root /var/www/html))");;
val cfg : http server config =
  {web root = "/var/www/html"; port = 80; addr = "localhost"}
```

When we convert that back out to an s-expression, you'll notice that no data is dropped.

```
# sexp of http server config cfg;;
- : Sexplib.Sexp.t = ((web root /var/www/html) (port 80) (addr localhost))
```

We could make the generated s-expression also drop exported values, by using the sexp drop default directive.

```
# type http server config = {
     web root: string;
     port: int with default(80), sexp_drop_default;
     addr: string with default("localhost"), sexp drop default;
type http server config = { web root : string; port : int; addr : string; }
val http server config of sexp : Sexplib.Sexp.t -> http server config =
val http_server_config_of_sexp : Sexplib.Sexp.t -> http_server_config = <fun>
val sexp of http server config : http server config -> Sexplib.Sexp.t = <fun>
# let cfg = http_server_config_of_sexp (Sexp.of_string "((web_root /var/www/html))");;
val cfg : http_server_config =
  {web_root = "/var/www/html"; port = 80; addr = "localhost"}
# sexp_of_http_server_config cfg;;
- : Sexplib.Sexp.t = ((web root /var/www/html))
```

As you can see, the fields that are at their default values are simply omitted from the sexpression. On the other hand, if we convert a config with other values, then those values will be included in the s-expression.

```
# sexp_of_http_server_config { cfg with port = 8080 };;
- : Sexplib.Sexp.t = ((web_root /var/www/html) (port 8080))
```

```
# sexp_of_http_server_config { cfg with port = 8080; addr = "192.168.0.1" };;
- : Sexplib.Sexp.t = ((web_root /var/www/html) (port 8080) (addr 192.168.0.1))
```

This can be very useful in designing config file formats that are both reasonably terse and easy to generate and maintain. It can also be useful for backwards compatibility: if you add a new field to your config record, but you make that field optiona, then you should still be able to parse older version of your config.

Handling JSON data

Now that you've seen how to convert OCaml values into s-expressions, it's time to look at other useful serialization formats. We'll cover JSON next, as it is a very common third-party data format on the Internet, and much easier to parse than alternatives. This chapter introduces you to a couple of new techniques that glue together the basic ideas from Part I of the book:

- Using polymorphic variants to write more portable protocols (but still retain the ability to extend them if needed)
- The use of *combinators* to compose common operations over data structures in a type-safe way.
- Using external tools to generate boilerplate OCaml modules and signatures from external specification files.

JSON Basics

JSON is a lightweight data-interchange format often used in web services and browsers. It's described in RFC4627 (http://www.ietf.org/rfc/rfc4627.txt), and is easier to parse and generate than alternatives such as XML. You'll run into JSON very often when working with modern web APIs, so we'll cover several different ways to manipulate it in this chapter.

JSON consists of two basic structures: an unordered collection of key/value pairs, and an ordered list of values. Values can be strings, booleans, floats, integers or null. Let's see what a JSON record for an example book description looks like:

```
{
  "title": "Real World OCaml",
  "tags" : [ "functional programming", "ocaml", "algorithms" ],
  "pages": 450,
  "authors": [
      { "name": "Jason Hickey", "affiliation": "Google" },
      { "name": "Anil Madhavapeddy", "affiliation": "Cambridge"},
```

```
{ "name": "Yaron Minsky", "affiliation": "Jane Street"}
"is online": true
```

The outermost JSON value is usually a record (delimited by the curly braces) and contains an unordered set of key/value pairs. The keys must be strings but values can be any JSON type. In the example above, tags is a string list, while the authors field contains a list of records. Unlike OCaml lists, JSON lists can contain multiple different ISON types within a single list.

This free-form nature of ISON types is both a blessing and a curse. It's very easy to generate JSON values, but code that parses them also has to handling subtle variations in how values are represented. For example, what if the pages value above is actually represented as a string value of "450" instead of an integer?

Our first task is to parse the JSON into a more structured OCaml type so that we can use static typing more effectively. When manipulating JSON in Python or Ruby, you might write unit tests to check that you have handled unusual inputs. The OCaml model prefers compile-time static checking as well as unit tests. For example, using pattern matching can warn you if you've not checked that a value can be Null as well as contain an actual value.



Installing the Yojson library

There are several JSON libraries available for OCaml. For this chapter, we've picked the Yojson (http://mjambon.com/yojson.html) library by Martin Jambon. It's easiest to install via OPAM.

```
$ opam install yojson
```

See Appendix A for installation instructions if you haven't already got OPAM. Once installed, you can open it in the utop toplevel by:

```
#require "yojson" ;;
open Yojson ;;
```

Parsing JSON with Yojson

The JSON specification has very few data types, and the Yojson.Basic.json type shown below is sufficient to express any valid JSON structure.

```
type json = [
    `Assoc of (string * json) list
    `Bool of bool
    `Float of float
    `Int of int
    `List of json list
```

```
| `Null
| `String of string ]
```

Some interesting properties should leap out at you after reading this definition:

- Some of the type definitions are *recursive* (that is, one of the algebraic data types includes a reference to the name of the type being defined). Fields such as **Assoc** can contain references to more JSON fields, and thus precisely describe the underlying JSON data structure.
- The definition specifically includes a Null variant for empty fields. OCaml doesn't allow null values by default, so this must be encoded like any other value.
- The differences between certain OCaml and JSON data structures is more obvious.
 For example, a JSON List can contain more JSON fields, whereas an OCaml list must contain values that are all the same type.
- The type definition uses polymorphic variants and not normal variants. This will become significant later when we extend it with custom extensions to the JSON format.

Let's parse the earlier JSON example into this type now. The first stop is the Yoj son.Basic documentation, where we find these helpful functions:

When first reading these interfaces, you can generally ignore the optional arguments (which have the question marks in the type signature), as they will be filled in with sensible values. In the above signature, the optional arguments offer finer control over the memory buffer allocation and error messages from parsing incorrect JSON.

The type signature for these functions with the optional elements removed makes their purpose much clearer:

```
val from_string : string -> json
val from_file : string -> json
val from channel : in channel -> json
```

The in_channel constructor is from the original OCaml standard library, and its use is considered deprecated when using the Core standard library. This leaves us with two ways of parsing the JSON: either from a string or from a file on a filesystem. The next example shows both in action, assuming the JSON record is stored in a file called book.json:

```
open Core.Std
let () =
  (* Read JSON file into an OCaml string *)
 let buf = In_channel.read_all "book.json" in
  (* Use the string JSON constructor *)
  let json1 = Yojson.Basic.from string buf in
  (* Use the file JSON constructor *)
 let json2 = Yojson.Basic.from file "book.json" in
  (* Test that the two values are the same *)
 print_endline (if json1 = json2 then "OK" else "FAIL")
 print endline (if phys equal json1 json2 then "FAIL" else "OK")
```

The from file function accepts an input filename and takes care of opening and closing it for you. It's far more common to use from string to construct JSON values though, since these strings come in via a network connection (we'll see more of this in Chapter 16) or a database. Finally, the example checks that the two input mechanisms actually resulted in the same OCaml data structure.

The difference between = and ==, and phys equal in Core

If you come from a C/C++ background, you will probably reflexively use == to test two values for equality. In OCaml, == tests for physical equality, and = tests for structural equality.

The == physical equality test will match if two data structures have precisely the same pointer in memory. Two data structures that have identical contents, but are constructed separately, will not match using this operator. In the JSON example, the json1 and ison2 values are not identical and so would fail the physical equality test.

The = structural equality operator recursively inspects each field in the two values and tests them individually for equality. In the JSON parsing example, every field will be traversed and checked, and they will check out as equal. Crucially, if your data structure is cyclical (that is, a value recursively points back to another field within the same structure), the = operator will never terminate, and your program will hang! In this situation, you must use the physical equality operator, or write a custom comparison function that breaks the recursion.

It's quite easy to mix up the use of = and ==, so Core disables the == operator and provides the more explicit phys equal function instead. You'll see a type error if you use == anywhere:

```
# 1 == 2;;
    Error: This expression has type int but an expression was expected of type
             [ `Consider_using_phys_equal ]
    # phys_equal 1 2;;
     - : bool = false
If you feel like hanging your OCaml interpreter, you can verify what happens with
recursive values and structural equality for yourself:
    # type t1 = { foo1:int; bar1:t2 } and t2 = { foo2:int; bar2:t1 } ;;
    type t1 = { foo1 : int; bar1 : t2; }
    and t2 = { foo2 : int; bar2 : t1; }
    # let rec v1 = { foo1=1; bar1=v2 } and v2 = { foo2=2; bar2=v1 };;
    <loss of text>
    # v1 == v1;;
     - : bool = true
    # phys_equal v1 v1;;
     - : bool = true
    # v1 = v1 ;;
    ress ^Z and kill the process now>
```

Selecting values from JSON structures

Now that we've figured out how to parse the example JSON into an OCaml value, let's manipulate it from OCaml code and extract specific fields.

```
open Core.Std
open Printf
let () =
  (* Read the JSON file *)
  let json = Yojson.Basic.from_file "book.json" in
  (* Locally open the JSON manipulation functions *)
  let open Yojson.Basic.Util in
  let title = json |> member "title" |> to string in
  let tags = json |> member "tags" |> to list |> filter string in
  let pages = json |> member "pages" |> to_int in
  let is_online = json |> member "is_online" |> to_bool_option in
  let is_translated = json |> member "is_translated" |> to_bool_option in
let authors = json |> member "authors" |> to_list in
  let names = List.map authors ~f:(fun json -> member "name" json |> to string) in
  (* Print the results of the parsing *)
  printf "Title: %s (%d)\n" title pages;
  printf "Authors: %s\n" (String.concat ~sep:", " names);
  printf "Tags: %s\n" (String.concat ~sep:", " tags);
  let string of bool option =
    function
    | None -> "<none>"
     Some true -> "yes"
    | Some false -> "no" in
```

```
printf "Online: %s\n" (string of bool option is online);
printf "Translated: %s\n" (string_of_bool_option is_translated)
```

This introduces the Yojson. Basic. Util module, which contains combinator functions for JSON manipulation.

Functional Combinators

Combinators are a design pattern that crops up quite often in functional programming. John Hughes defines them as "a function which builds program fragments from program fragments". In a functional language, this generally means higher-order functions that combine other functions to apply useful transformations over values.

You've already run across several of these in the List module:

```
val map : 'a list -> f:('a -> 'b) -> 'b list
val iter : 'a list -> f:('a -> unit) -> unit
val fold : 'a list -> init:'accum -> f:('accum -> 'a -> 'accum) -> 'accum
```

map and fold are extremely common combinators that transform an input list by applying a function to each value of the list. The map combinator is simplest, with the resulting list being output directly. fold applies each value in the input list to a function that accumulates a single result, and returns that instead.

The final example above is a more specialised combinator that is only useful in OCaml due to side-effects being allowed. The input function is applied to every value, but no result is supplied. Instead, the function must directly result in some side-effect, such as printing to the console or updating a reference elsewhere in the environment.

Yojson provides several combinators in the Yojson.Basic.Util module, such as:

```
val member : string -> json -> json
val index : int -> json -> json
val to string : json -> string
val to int : json -> int
val filter string : json list -> string list
```

We'll go through each of these uses one-by-one. Core provides the |> pipe-forward which can chain combinators together, and the example code uses this to select and convert values out of the JSON structure. Let's examine some of them in more detail:

```
let open Yojson.Basic.Util in
let title = json |> member "title" |> to_string in
```

For the title field, the member combinator extracts the key from the json value, and converts it to an OCaml string. An exception is raised if the JSON value is not a string, so the caller must be careful to try/with the result.

```
let tags = json |> member "tags" |> to_list |> filter_string in
let pages = json |> member "pages" |> to_int in
```

The tags field is similar to title, but the field is a list of strings instead of a single one. Converting this to an OCaml string list is a two stage process: first, we must convert it to a list of JSON values, and then filter out the String values. Remember that OCaml lists must have a single type, so any other JSON values will be skipped from the output of filter_string.

```
let is_online = json |> member "is_online" |> to_bool_option in
let is translated = json |> member "is translated" |> to bool option in
```

The is_online and is_translated fields are optional in our JSON schema, so no error should be raised if they are not present. The OCaml type is a string option to reflect this, and can be extracted via to_bool_option. In our example JSON, only is_online is present and is translated will be None.

```
let authors = json |> member "authors" |> to_list in
let names = List.map authors ~f:(fun json -> member "name" json |> to string) in
```

The final use of JSON combinators is to extract the name fields from the author list. We first construct the author list, and then map it into a string list. Notice that the example explicitly binds authors to a variable name. It can also be written more succinctly using the pipe-forward operator:

```
let names =
    json
|> member "authors"
|> to_list
|> List.map ~f:(fun json -> member "name" json |> to string)
```

This style of programming which omits variable names and chains functions together is known as "point-free programming". It's a succinct style, but shouldn't be overused due to the increased difficulty of debugging intermediate values. If an explicit name is assigned to each stage of the transformations, debuggers in particular have an easier time making the program flow easier to represent to the programer.

This technique of using chained parsing functions is very powerful in combination with the OCaml type system. Many errors that don't make sense at runtime (for example, mixing up lists and objects) will be caught statically via a type error.

Constructing JSON values

Building and printing JSON values is pretty straightforward given the Yoj son.Basic.json type. You can just construct values of type json and call the to_string function] on them. There are also pretty-printing functions available that lay out the output in a more human-readable style:

```
# let x = `Assoc [ ("key", `String "value") ] ;;
val x : [> `Assoc of (string * [> `String of string ]) list ] =
```

```
`Assoc [("key", `String "value")]
# Yojson.Basic.pretty to string x ;;
- : string = "{ \"key\": \"value\" }"
# Yojson.Basic.pretty to channel stdout x ;;
{ "key": "value" }
- : unit = ()
```

In the example above, although the type of x is compatible with the type json, it's not explicitly defined as such. The type inference engine will figure out a type that is based on how the value x is used and in this case only the Assoc and String variants are present. This "partial" type signature is checked against the bigger json type it is applied to the pretty to string function, and determined to be compatible.

Polymorphic variants and easier type checking

One difficulty you will encounter is that type errors involving polymorphic variants can be quite verbose if you make a mistake in your code. For example, suppose you build an Assoc and mistakenly include a single value instead of a list of keys:

```
# let x = `Assoc ("key", `String "value");;
val x : [> `Assoc of string * [> `String of string ] ] =
   `Assoc ("key", `String "value")
# Yojson.Basic.pretty to string x;;
Error: This expression has type
          [> `Assoc of string * [> `String of string ] ]
        but an expression was expected of type Yojson.Basic.json
       Types for tag `Assoc are incompatible
```

The type error above isn't wrong as such, but can be inconvenient to wade through for larger values. An easy way to narrow down this sort of type error is to add explicit type annotations as a compiler hint about your intentions:

```
# let (x:Yojson.Basic.json) = `Assoc ("key", `String "value");;
Error: This expression has type 'a * 'b
      but an expression was expected of type
         (string * Yojson.Basic.json) list
```

In this case, we've marked the x as being of type Yojson. Basic. json, and the compiler immediately spots that the argument to the Assoc variant has the incorrect type. This illustrates the strengths and drawbacks of using polymorphic variants: they make it possible to easily subtype across module boundaries (Basic and Safe in Yojson's case), but the error messages can be more confusing. However, a bit of careful manual type annotation is all it takes to make tracking down such issues much easier.

Using non-standard JSON extensions

The standard JSON types are *really* basic, and OCaml types are far more expressive. Yojson supports an extended ISON format for those times when you're not interoperating with external systems and just want a convenient human-readable local format. The Yojson.Safe.json type is a superset of the Basic polymorphic variant, and looks like this:

You should immediately be able to spot a benefit of using polymorphic variants here. A standard JSON type such as a String will type-check against both the Basic module and also the non-standard Safe module. However, if you use extension values such as Tuple with the Basic module, they will not be a valid sub-type and the compiler will complain.

The extensions includes with Yojson include:

- The lit suffix denotes that the value is stored as a JSON string. For example, a Floatlit will be stored as "1.234" instead of 1.234.
- The Tuple type is stored as ("abc", 123) instead of a list.
- The Variant type encodes OCaml variants more explicitly, as <"Foo"> or <"Bar": 123> for a variant with parameters.

The only purpose of these extensions is to make the data representation more expressive without having to refer to the original OCaml types. You can always cast a Safe.json to a Basic.json type by using the to_basic function as follows:

```
val to_basic : json -> Yojson.Basic.json
(** Tuples are converted to JSON arrays, Variants are converted to
    JSON strings or arrays of a string (constructor) and a json value
    (argument). Long integers are converted to JSON strings.
    Examples:

    `Tuple [ `Int 1; `Float 2.3 ] -> `List [ `Int 1; `Float 2.3 ]
    `Variant ("A", None) -> `String "A"
    `Variant ("B", Some x) -> `List [ `String "B", x ]
    `Intlit "12345678901234567890" -> `String "12345678901234567890"
*)
```

Automatically mapping JSON to OCaml types

The combinators described earlier make it fairly easy to extract fields from JSON records, but the process is still pretty manual. We'll talk about how to do larger-scale JSON parsing now, using a domain-specific language known as ATD (http://oss.wink .com/atdgen/).

The idea behind ATD is to specify the format of the JSON in a separate file, and then run a compiler (atdgen) that outputs OCaml code to construct and parse JSON values. This means that you don't need to write any OCaml parsing code at all, as it will all be auto-generated for you.

Let's go straight into looking at an example of how this works, by using a small portion of the GitHub API. GitHub is a popular code hosting and sharing website that provides a JSON-based web API (http://developer.github.com). The ATD code fragment below describes the GitHub authorization API. It is based on a pseudo-standard web protocol known as OAuth, and is used to authorized users to access GitHub services.

```
type scope = [
    User <json name="user">
    Public repo <json name="public repo">
    Repo <json name="repo">
    Repo status <json name="repo status">
    Delete_repo <json name="delete_repo">
   Gist < json name="gist">
type app = {
 name: string;
 url: string;
} <ocaml field_prefix="app_">
type authorization request = {
  scopes: scope list;
 note: string;
} <ocaml field_prefix="auth req ">
type authorization response = {
 scopes: scope list;
 token: string;
 app: app;
 url: string;
 id: int;
 ?note: string option;
  ?note url: string option;
```

ATD is (deliberately) similar to OCaml type definitions. Each field can include extra annotations to customise the parsing code for a particular backend. For example, the GitHub scope field above is defined as a variant type, but with the actual JSON values being defined explicitly (as lower-case versions).

The ATD spec can be compiled to a number of OCaml targets. Let's run the compiler twice, to generate some OCaml type definitions, and a JSON serialiser.

```
$ atdgen -t github.atd
$ atdgen -j github.atd
```

This will generate some new files in your current directory. Github_t.ml and Git hub_t.mli will contain an OCaml module with types defines that correspond to the ATD file. It looks like this:

```
type scope = [
   `User | `Public repo | `Repo | `Repo status
   `Delete repo | `Gist
type app = {
 app_name (*atd name *): string;
 app_url (*atd url *): string
type authorization_request = {
 auth req scopes (*atd scopes *): scope list;
 auth_req_note (*atd note *): string
type authorization response = {
 scopes: scope list;
 token: string;
 app: app;
 url: string;
 id: int;
 note: string option;
 note url: string option
```

There is an obvious correspondence to the ATD definition. Note in particular that field names in separate OCaml records cannot shadow each other, and so we specifically prefix every field with a prefix to distinguish it from other records. For example, <ocaml field_prefix="auth_req_"> in the ATD spec prefixes every field name in the generated authorization request record with auth req.

The Github_t module only contains the type definitions, while Github_j has a concrete serialization module to and from JSON. You can read the github_j.mli to see the full interface, but the important functions for most uses are the conversion functions to and from a string. For our example above, this looks like:

```
val string_of_authorization_response :
  ?len:int -> authorization_response -> string
  (** Serialize a value of type {!authorization_response}
    into a JSON string.
    @param len specifies the initial length
```

```
of the buffer used internally.
Default: 1024. *)
```

val authorization response of string : string -> authorization response

This is pretty convenient! We've written a single ATD file, and all the OCaml boilerplate to convert between JSON and a strongly typed record has been generated for us. You can control various aspects of the serializer by passing flags to atdgen. The important ones for JSON are:

- -j-std: work in standard JSON mode, and never print non-standard JSON extensions.
- -j-custom-fields FUNCTION: call a custom function for every unknown field encountered, instead of raising a parsing exception.
- -j-defaults: force the output a JSON value even if the specification defines it as the default value for that field.

The full ATD specification is quite sophisticated (and well documented online at its homepage). The ATD compiler can also target formats other than JSON, and also outputs code for other languages such as Java if you need more interoperability. There are also several similar projects you can investigate which automate the code generation process: Piqi (http://piqi.org) uses the Google protobuf format, and Thrift (http://thrift .apache.org) supports a huge variety of other programming languages.

We'll also return to the GitHub example here later in the book when discussing the Async networking library, and you can find the full ATD specification for GitHub in the ocaml-github (http://github.com/avsm/ocaml-github) repository.

Command Line Parsing

Many of the OCaml programs you will write will end up as binaries that will be run directly from a command prompt. Any non-trivial program invoked as a command needs a few features:

- program options and file inputs need to be parsed from the command line arguments.
- sensible error messages have to be generated in response to incorrect inputs.
- help needs to be shown for all the available options.
- interactive auto-completion of commands to assist the user.

Supporting all of this functionality manually is tedious and error-prone. Core provides the Command library that lets you declare your command-line options in one data structure, and the library takes care of parsing, help generation and auto-completion. Command is simple to use for smaller applications, and has a sophisticated sub-command mode that groups related commands together (you may be familiar with this style from git or hg).

This chapter demonstrates how to use Command to extend the cryptographic utility from Chapter 10 and builds a simple equivalent to the md5 and shasum utilities. It also demonstrates how *functional combinators* can be used to declare complex data structures in a type-safe and elegant way.

Basic command line parsing

We'll begin by cloning the md5 binary that is present on most Linux distributions and Mac OS X. It reads in the contents of a file, applies the MD5 one-way hash function to the data, and outputs an ASCII hex representation of the result.

open Core.Std
let do_hash file =
 let open Cryptokit in

```
In channel.read all file
  |> hash_string (Hash.md5 ())
  >> transform string (Hexa.encode ())
  |> print endline
let command =
 Command.basic
    ~summary: "Generate an MD5 hash of the input data"
    ~readme:(fun () -> "More detailed information")
    Command.Spec.(
     empty
      +> anon ("filename" %: string)
  (fun file () -> do hash file)
let () = Command.run command
```

The do_hash function accepts a filename parameter and prints the human-readable MD5 string to the console standard output. We want to control the inputs to this function via the command-line, and this is what the subsequent command value declares. If you compile this program and run it, the help screen looks like this:

```
$ ./basic.byte
Generate an MD5 hash of the input data
 basic.byte filename
More detailed information
=== flags ===
 [-build-info] print info about this build and exit
 [-version]
                 print the version of this build and exit
 [-help]
                 print this help text and exit
                 (alias: -?)
missing anonymous argument: filename
```

If we invoke the binary without any arguments, it emits a help screen that informs you that a required argument filename is missing. Supplying the argument to the command results in do hash being called, and the MD5 output being displayed to the standard output.

```
$ ./basic.byte basic.byte
59562f5e4f790d16f1b2a095cd5de844
```

So how does all this work? There are three parts to defining a command-line interface:

• Command.Spec.t defines the steps required to convert a command-line into an OCaml structure.

- Command.basic takes a callback that is passed parameters parsed from the command-line according to the spec parameter. It takes a summary string for a one-line description of the command behavior, and an optional readme for longer help text.
- Command.run actually executes a command and its specification, and runs the callback function with the resulting parameters.

Most of the interesting logic lies in how the specifications are defined. The Com mand. Spec module defines several combinators that can be chained together to define flags and anonymous arguments, what types they should map to, and whether to take special actions (such as interactive input) if certain fields are encountered.

```
Command.Spec.(
 empty
  +> anon ("filename" %: string)
```

We begin the specification above with an empty value, and then chain more parameters via the +> combinator. Our example defines a single anonymous parameter via the anon function (that is, a standalone token from the command-line). Anonymous functions can be assigned a name that is used in help text, and an OCaml type that they are mapped to. The parameters specified here are all eventually passed to a callback function which actually invokes the program logic.

```
(fun file () -> do_hash file)
```

In our example, the function takes a file parameter that is a string, and maps it to the do_hash function. You aren't just limited to strings though, as Command.Spec defines several other conversion functions that validate and parse input into various types:

Argument type	OCaml type	Example
string	string	foo
int	int	123
float	float	123.01
bool	bool	true
date	Date.t	2013-12-25
time_span	Span.t	5s
file	string	/etc/passwd

Anonymous arguments don't have to be declared individually. A more realistic md5 function might also read from the standard input if a filename isn't specified. We can change our specification with a single line to reflect this by writing:

```
Command.Spec.(
 empty
```

```
+> anon (maybe ("filename" %: string))
```

The anonymous parameter has been prefixed with a maybe that indicates the value is now optional. If you compile the example, you'll get a type error though:

```
File "basic_broken.ml", line 18, characters 26-30:
Error: This expression has type string option
       but an expression was expected of type string
Command exited with code 2.
```

This is because the type of the callback function has changed. It now wants a string option instead of a string since the value is optional. We can quickly adapt our example to use the new information and read from standard input if no file is specified.

```
open Core.Std
let get_file_data = function
   Some "-" -> In_channel.(input_all stdin)
  | Some file -> In channel.read all file
let do hash file =
 let open Cryptokit in
 get file data file
  |> hash string (Hash.md5 ())
  > transform_string (Hexa.encode ())
  |> print_endline
let command =
 Command.basic
    ~summary: "Generate an MD5 hash of the input data"
    Command.Spec.(
     empty
      +> anon (maybe ("filename" %: string))
  (fun file () -> do_hash file)
let () = Command.run command
```

There are several other transformations you can do on anonymous arguments. We've shown you maybe, and you can also obtain lists of arguments or supply default values. Try altering the example above to take a list of files and output checksums for all of them, just as the md5 command does.

Anonymous argument	OCaml type	
sequence	list of arguments	
maybe	option argument	
maybe_with_default	argument with a default value if argument is missing	

Using flags to label the command line

You aren't just limited to anonymous arguments on the command-line, of course. Flags (such as -v) can be specified in the same manner as anonymous arguments. These can appear in any order on the command-line, or multiple times, depending on how they're declared. Let's add two arguments to our md5 command that mimic the Linux version: a -s flag to specify the string to be hashed directly, and a -t self-benchmark test.

```
Command.Spec.(
 empty
 +> flag "-s" (optional string) ~doc:"string Checksum the given string"
 +> flag "-t" no_arg ~doc:" run a built-in time trial"
 +> anon (maybe ("filename" %: string))
```

The flag command is quite similar to anon. The first argument is the flag name, and aliases can be specified via an optional argument. The doc string should be formatted so that the first word is the short name that should appear in the usage text, with the remainder being the full help text. Notice that the -t flag has no argument, and so we prepend the doc text with a blank space. The help text for the above fragment looks like this:

```
$ mlmd5 -s
Generate an MD5 hash of the input data
 mlmd5 [filename]
=== flags ===
  [-s string]
                 Checksum the given string
  [-t run]
                 a built-in time trial
  [-build-info] print info about this build and exit
  [-version]
                 print the version of this build and exit
  [-help]
                 print this help text and exit
                 (alias: -?)
missing argument for flag -s
$ mlmd5 -s "ocaml rocks"
5a118fe92ac3b6c7854c595ecf6419cb
```

The -s flag requires a string argument in our specification, and the parser outputs an error message if it isn't supplied. Here's a list of some of the functions that you can wrap flags in to control how they are parsed:

Flag function	OCaml type
required arg	arg and error if not present
optional <i>arg</i>	arg option

Flag function	OCaml type
optional_with_default	arg with a default if not present
listed <i>arg</i>	arg list, flag may appear multiple times
_no_arg	bool that is true if flag is present.

The flags affect the type of the callback function in exactly the same way as anonymous arguments do. The full example of our md5 function with flags is below.

```
open Core.Std
let get file data file checksum =
 match file, checksum with
   None, Some buf -> buf
     , Some buf -> eprintf "Warning: ignoring file\n"; buf
    (None|Some "-"), None -> In channel.(input all stdin)
  Some file, None -> In channel.read all file
let do_hash file checksum =
 let open Cryptokit in
 get file data file checksum
  |> hash string (Hash.md5 ())
  |> transform string (Hexa.encode ())
  > print endline
let command =
 Command.basic
    ~summary: "Generate an MD5 hash of the input data"
    Command.Spec.(
     empty
     +> flag "-s" (optional string) ~doc:"string Checksum the given string"
     +> flag "-t" no arg ~doc: "run a built-in time trial"
     +> anon (maybe ("filename" %: string))
  (fun checksum trial file () ->
    match trial with
    | true -> printf "Running time trial\n"
    | false -> do hash file checksum)
let () = Command.run command
```

Notice how the get file data function now pattern matches across the checksum flag and the file anonymous argument. It selects the flag in preference to the file argument, but emits a warning if there's ambiguity.

Grouping sub-commands together

You can get pretty far by combining flags and anonymous arguments to assemble complex command-line interfaces. After a while though, too many options can make the program very confusing for newcomers to your application. One way to solve this is by grouping common operations together and adding some hierarchy to the commandline interface.

You'll have run across this style already when using the OPAM package manager (or, in the non-OCaml world, the Git or Mercurial commands). OPAM exposes commands in this form:

```
opam config env
opam remote list -kind git
opam install --help
opam install xmlm
```

The config, remote and install keywords form a logical grouping of commands, and factor out flags and arguments that are specific to that particular operation. It's really simple to extend your application to do this in Command: just swap Command.basic for Command.group:

```
val group :
 summary:string ->
  ?readme:(unit -> string) ->
  (string * t) list -> t
```

The group signature accepts a list of basic Command.t values and their corresponding names. When executed, it looks for the appropriate sub-command from the name list, and dispatches it to the right command handler.

Let's build the beginning of a calendar toool that does a few operations over dates from the command line. We first define a command that adds days to an input date and prints the resulting date.

```
open Core.Std
let add =
 Command.basic
    ~summary:"Add [days] to the [base] date and print day"
    Command.Spec.(
     empty
     +> anon ("base" %: date)
     +> anon ("days" %: int)
  (fun base span () ->
    Date.add days base span
    |> Date.to string
    |> print endline
let () = Command.run add
```

Once we've tested this and made sure it works, we can define another command that takes the difference of two dates. Both of the commands are now grouped as subcommands using Command.group.

```
open Core.Std
let add =
 Command.basic ~summary: "Add [days] to the [base] date"
   Command.Spec.(
     empty
     +> anon ("base" %: date)
     +> anon ("days" %: int)
  (fun base span () ->
   Date.add days base span
    > Date.to string
    |> print endline
let diff =
 Command.basic ~summary: "Show days between [date1] and [date2]"
    Command.Spec.(
     empty
     +> anon ("date1" %: date)
     +> anon ("date2" %: date)
 (fun date1 date2 () ->
   Date.diff date1 date2
    |> printf "%d days\n"
let command =
 Command.group ~summary: "Manipulate dates"
    [ "add", add; "diff", diff ]
let () = Command.run command
```

And that's all you need to add sub-command support! The help page for our calendar now reflects the two commands we just added:

```
$ cal
Manipulate dates

cal SUBCOMMAND

=== subcommands ===

add     Add [days] to the [base] date
    diff     Show days between [date1] and [date2]
    version     print version information
    help     explain a given subcommand (perhaps recursively)

missing subcommand for command cal
```

We can invoke the two commands we just defined to verify that they work and see the date parsing in action.

```
$ cal add 2012-12-25 40
2013-02-03
$ cal diff 2012-12-25 2012-11-01
54 days
```

Advanced control over parsing

The use of the spec combinators has been somewhat magic so far: we just build them up with the '+>' combinator and things seem to work. As your programs get larger and more complex, you'll want to factor out common functionality between specifications. Some other times, you'll need to interrupt the parsing to perform special processing, such as requesting an interactive passphrase from the user before proceeding. We'll show you some new combinators that let you do this now.

The types behind Command. Spec

The Command module's safety relies on the specification's output values precisely matching the callback function which invokes the main program. Any mismatch here will inevitably result in a dynamic failure, and so Command uses some interesting type abstraction to guarantee they remain in sync. You don't have to understand this section to use the more advanced combinators, but it'll help you debug type errors as you use Command more.

The type of Command.t looks deceptively simple:

```
type ('main in, 'main out) t
```

You can think of ('a, 'b) t as a function of type 'a -> 'b, but embellished with information about:

- how to parse the command line
- what the command does and how to call it
- how to auto-complete a partial command line

The type of a specification transforms a 'main_in to a 'main_out value. For instance, a value of Spec.t might have type:

```
(arg1 -> ... -> argN -> 'r, 'r) Spec.t
```

Such a value transforms a main function of type arg1 -> ... -> argN -> 'r by supplying all the argument values, leaving a main function that returns a value of type 'r. Let's look at some examples of specs, and their types:

```
# Command.Spec.empty ;;
- : ('m, 'm) Spec.t = <abstr>
# Command.Spec.(empty +> anon ("foo" %: int)) ;;
- : (int -> '_a, '_a) Command.Spec.t = <abstr>
```

The empty specification is simple as it doesn't add any parameters to the callback type. The second example adds an int anonymous parameter that is reflected in the inferred type. Notice that the return value of this fragment has been inferred to be '_a instead of the usual 'a. The underscore denotes a weakly polymorphic type which cannot be generalized further. You should never see this in normal use, but you may encounter this if you define specifications in the top-level of a module. You can work around this so-called *value restriction* by moving the definitions under a let binding.

One forms a command by combining a spec of type ('main, unit) Spec.t with a main function of type 'main. All the combinators we've shown so far incrementally build up the type of 'main according to the command-line parameters it expects, so the resulting type of 'main is something like:

```
arg1 -> ... -> argN -> unit
```

The type of Command.basic should make more sense now:

```
val basic :
  summary:string ->
  ?readme:(unit -> string) ->
  ('main, unit -> unit) Spec.t -> 'main -> t
```

The final line is the important one. It shows that the callback function for a spec should consume identical arguments to the supplied main function, except that there is an additional unit argument. This final unit is there in case there are no command-line arguments, as at least one parameter is required for the callback. That's why you have to supply an additional () to the callback function in the previous examples.

Composing specification fragments together

If you want to factor out common command-line operations, the ++ operator will append two specifications together. Let's add some dummy verbosity and debug flags to our calendar application to illustrate this.

```
open Core.Std
let add ~common =
  Command.basic ~summary: "Add [days] to the [base] date"
    Command.Spec.(
      empty
     +> anon ("base" %: date)
      +> anon ("days" %: int)
      ++ common
  (fun base span debug verbose () ->
    Date.add days base span
    |> Date.to_string
    |> print endline
```

```
let diff ~common =
 Command.basic ~summary: "Show days between [date2] and [date1]"
    Command.Spec.(
      empty
      +> anon ("date1" %: date)
     +> anon ("date2" %: date)
     ++ common
  (fun date1 date2 debug verbose () ->
    Date.diff date1 date2
    |> printf "%d days\n"
```

The definitions of the specifications are very similar to the earlier example, except that they append a common parameter after each specification. We can supply these flags when defining the groups:

```
let () =
 let common =
    Command.Spec.(
     +> flag "-d" (optional with default false bool) ~doc: " Debug mode"
      +> flag "-v" (optional_with_default false bool) ~doc: "Verbose output"
    )
 in
 List.map ~f:(fun (name, cmd) -> (name, cmd ~common))
    [ "add", add; "diff", diff ]
  |> Command.group ~summary: "Manipulate dates"
  > Command.run
```

Both of these flags will now be applied and passed to all the callback functions. This makes code refactoring a breeze by using the compiler to spot places where you use commands. Just add a parameter to the common definition, run the compiler, and fix type errors until everything works again.

For example, if we remove the verbose flag above and compile, we'll get this impressively long type error:

```
File "cal compose error.ml", line 39, characters 38-45:
Error: This expression has type
         (bool -> unit -> unit -> unit, unit -> unit -> unit)
        Command.Spec.t =
           (bool -> unit -> unit -> unit, unit -> unit -> unit)
           Command.Spec.t
       but an expression was expected of type
         (bool -> unit -> unit -> unit, unit -> unit) Command.Spec.t
           = (bool -> unit -> unit -> unit, unit -> unit) Command.Spec.t
       Type unit -> unit is not compatible with type unit
```

While this does look scary, the key line to scan is the last one, where it's telling you that you have supplied too many arguments in the callback function (unit -> unit vs unit). If you started with a working program and made this single change, you typically don't even need to read the type error, as the filename and location information is sufficient to make the obvious fix.

Prompting for interactive input

The step combinator lets you control the normal course of parsing by supplying a function that maps callback arguments to a new set of values. For instance, let's suppose we want our first calendar application to prompt for the number of days to add if a value wasn't supplied on the command-line.

```
open Core.Std
let add =
  Command.basic
    ~summary: "Add [days] to the [base] date and print day"
    Command.Spec.(
      step (fun m base days ->
        match days with
         Some days -> m base days
            print endline "enter days: ";
            m base (read int ())
      +> anon ("base" %: date)
     +> anon (maybe ("days" %: int))
  (fun base span () ->
    Date.add days base span
    > Date.to string
    > print endline
let () = Command.run add
```

There are two main changes from the simple example that accepts a date and an integer. Firstly, the days argument is now an optional integer instead of a required argument. The step combinator takes the date and days parameters, and interactively reads an integer if no day value was supplied. It then returns an int instead of the int option that was passed in.

```
$ cal add interactive 2013-12-01
enter days:
2014-01-05
```

Notice that the "program logic" in the final callback doesn't see any of this, and is exactly the same as in our original version. The step combinator has transformed an int option argument into an int. This is reflected in the type of the specification:

```
# open Core.Std ;;
```

```
# open Command.Spec ;;
# step (fun m (base:Date.t) days ->
 match days with
   Some days -> m base days
  | None ->
    print endline "enter days: ";
    m base (read_int ()));;
- : (Date.t -> int -> '_a, Date.t -> int option -> '_a) Spec.t = <abstr>
```

The first half of the Spec.t shows that the callback type is Date.t -> int, whereas the resulting value that is expected from the next specification in the chain is a Date.t -> int option.

Adding labelled arguments to callbacks

The step chaining combinator lets you control the types of your callbacks very easily. This can either help you fit in with existing interfaces, or make things more explicit by adding labelled arguments.

```
open Core.Std
let add =
 Command.basic
    ~summary:"Add [days] to the [base] date and print day"
    Command.Spec.(
      step (fun m base days -> m ~base ~days)
     +> anon ("base" %: date)
     +> anon ("days" %: int)
  (fun ~base ~days () ->
    Date.add days base days
    |> Date.to string
    > print endline
let () = Command.run add
```

This example goes back to our non-interactive calendar addition program, but adds a step combinator to turn the normal arguments into labelled ones. This is reflected in the callback function below, and can help prevent errors with command-line arguments with similar types but different names.

Command-line auto-completion with bash

Modern UNIX shells usually have a tab-completion feature to interactively help you figure out how to build a command-line. These work by pressing the <tab> key in the middle of typing a command, and seeing the options that pop up. You've probably used this most often to find the files in the current directory, but it can actually be extended for other parts of the command too.

The precise mechanism for autocompletion varies depending on what shell you are using, but we'll assume you are using the most common one: bash. This is the default interactive shell on most Linux distributions and Mac OS X, but you may need to switch to it on *BSD or Windows (when using Cygwin). The rest of this section assumes that you're using bash.

Bash autocompletion isn't always installed by default, so check your OS package manager to see if you have it available.

Operating System	Package Manager	Package
Debian Linux	apt	TODO
CentOS	yum	TODO
Mac OS X	Homebrew	bash-completion
Mac OS X	MacPorts	TODO
FreeBSD	Ports System	/usr/ports TODO
OpenBSD	pkg add	TODO

Once you have bash completion installed and configured, check that it works by typing the ssh command, and pressing tab. This should show you the list of known hosts from your ~/.ssh/known hosts file. If it lists those, then you can continue on, but if it lists the files in your current directory instead, then check your OS documentation to configure completion correctly.

One last bit of information you'll need to find is the location of the bash comple tion.d directory. This is where all the shell fragments that contain the completion logic are held. On Linux, this is often in /etc/bash completion.d, and in Homebrew on Mac OS X it would be /usr/local/etc/bash completion.d by default.

Generating completion fragments from Command

The Command library has a declarative description of all the possible valid options, and it can use this information to generate a shell script which provides completion support for that command. To generate the fragment, just run the command with the COMMAND OUTPUT INSTALLATION BASH environment variable set to any value.

For example, let's try it on our calendar example from earlier, assuming that the binary is called **cal** in the current directory:

```
$ COMMAND OUTPUT INSTALLATION BASH=1 ./cal
function _jsautocom_41790 {
  export COMP CWORD
 COMP WORDS[0]=./cal
 COMPREPLY=($("${COMP WORDS[@]}"))
```

```
complete -F _jsautocom_41790 ./cal
```

Installing the completion fragment

You don't need to worry about what this script actually does (unless you have an unhealthy fascination with shell scripting, that is). Instead, redirect the output to a file in your bash completion.d directory, named after the command you're installing.

```
$ sudo env COMMAND OUTPUT INSTALLATION BASH=1 ./cal \
    > /etc/bash completion.d/cal
$ bash -1
$ ./cal <tab>
add
         diff
                  help
                           version
```

The first line above redirects the earlier output into your bash_completion.d directory. The bash -1 loads the new configuration as a fresh login shell, and then the final line shows the four valid commands by pressing the tab key.

Command completion support works for flags and grouped commands, and is very useful when building larger command-line interfaces.



Installing a generic completion handler

Sadly, bash doesn't support installing a generic handler for all Command-based applications. This means that you have to install the completion script for every application, but you should be able to automate this in the build and packaging system for your application.

It will help to check out how other applications that install tab-completion scripts and following their lead, as the details are very OS-specific.

CHAPTER 14

Text Processing and Unicode

TODO

XML Streams and Trees

XML is a markup language designed to store tree-structured data in a format that is (somewhat) human- and machine-readable. Like JSON, it is a textual format commonly used in web technologies, with a complete specification (http://www.w3.org/TR/REC-xml/) available online.

We're going to explain the basics of XML manipulation here, and also introduce the notion of a *visitor pattern* to manipulate fragments of XML trees.



Obtaining and installing XMLM

The remainder of this chapter uses the freely available XMLM library. It's easiest to obtain it via OPAM. See Appendix A for installation instructions if you don't have OPAM.

\$ opam install xmlm

Once installed, the xmlm library will be available in your toplevel.

```
$ utop
# #require "xmlm";;
# open Xmlm ;;
```

The library documentation is also available online (http://erratique.ch/software/xmlm/doc/Xmlm).

Since XML is such a common web format, we've taken our example document from the DuckDuckGo (http://duckduckgo.com) search engine. This is a smaller search engine than the usual suspects, but has the advantage of a freely available API that doesn't require you to register before using it. We'll talk more about how to use the live API later in Chapter 16, but for now here's what a shortened XML search response from DuckDuckGo looks like:

<DuckDuckGoResponse version="1.0">
<Heading>DuckDuckGo</Heading>

```
<AbstractText>DuckDuckGo is an Internet search engine.</AbstractText>
<AbstractURL>https://en.wikipedia.org/wiki/DuckDuckGo</AbstractURL>
<AbstractSource>Wikipedia</AbstractSource>
<Results>
<Result>
 <Text>Official site</Text>
 <FirstURL>https://duckduckgo.com/</FirstURL>
</Results>
<RelatedTopics>
 <RelatedTopic>
   <Text>Companies based in Pennsylvania</Text>
   <FirstURL>
     http://duckduckgo.com/c/Companies based in Pennsylvania
   </FirstURL>
 </RelatedTopic>
 <RelatedTopic>
   <Text>Internet search engines</Text>
     http://duckduckgo.com/c/Internet search engines
   </FirstURL>
</RelatedTopic>
</RelatedTopics>
</DuckDuckGoResponse>
```

The XML document is structured as a set of opening <tag> tokens that are closed by a corresponding end </tas> token. Opening tags can have an optional set of key/value attributes, for example <tag name="foo" id="bar">. A tag usually contains data that can contain further tags, thus forming a tree structure.

These XML documents can be very large, and we don't want to have to read it all into memory before starting to process it. Luckily there exists a low-level streaming interface that parses an XML document incrementally. This can be cumbersome to use for quick tasks, so we'll build a simpler tree API on top of it. We'll start with the streaming API first though.

Stream parsing XML

The XMLM documentation is a good place to read about the overall layout of the library. It tells us that:

A well-formed sequence of signals represents an XML document tree traversal in depthfirst order. Input pulls a well-formed sequence of signals from a data source and output pushes a well-formed sequence of signals to a data destination. Functions are provided to easily transform sequences of signals to/from arborescent data structures.

The signal type is at the heart of all XMLM functions:

```
type signal = [
   `Data of string
    `Dtd of dtd
    `El end
```

```
`El start of tag
```

XMLM parses input XML documents into an ordered sequence of these signal values. The first signal that's received is always a Dtd. The Document Type Description (DTD) optionally defines which tags are allowed within the XML document. Some XML parsers can validate a document against a DTD, but XMLM is a non-validating parser that reads the DTD if present but disregards its contents.

The El_start and El_end signals indicate the opening and closing of tags, and Data passes the data contained between tags.

```
let i = Xmlm.make input (`Channel (open in "ddg.xml")) ;;
let o = Xmlm.make output (`Channel stdout) ;;
```

We'll begin by defining the input source and output target for the XML data. The make input and make output functions use a polymorphic variant to define how the library should use to read and write the XML. Channel is used above, but there are several others defined in the library:

```
type source = [
   `Channel of in channel
    `Fun of unit -> int
    `String of int * string
```

Each of these sources uses a different strategy for obtaining input data:

- Channel uses the OCaml standard library channel system. When more data is required, a blocking read is performed on that channel.
- String accepts the whole document as an OCaml string, starting from an integer offset and continuing until the whole document has been parsed.
- Fun is more general than the others, and supplies a function which can be called repeatedly to obtain the next character. The function can do this by any means it chooses: for example from the network (hopefully with buffering so it's not reading a single character at a time), or from a list of strings from elsewhere in the application.

Although we use Channel in this small example, real applications will tend to use either String or Fun. This is because the in channel interface is deprecated in Core, and shouldn't be used in new code. (avsm: this is a somewhat unsatisfying explanation: what about adding a better Core interface?).

Regardless of which input method you choose, XMLM will convert it into a sequence of signals. For example, take this simplified XML fragment from our earlier search engine example.

```
<DuckDuckGoResponse version="1.0">
```

```
<Heading>DuckDuckGo</Heading>
</DuckDuckGoResponse>
```

This will be converted into the following sequence of signals:

```
El_start (("","DuckDuckGoResponse"), [("","version"), "1.0"]
El_start (("","Heading"), [])
Data "DuckDuckGo"
El end
El end
```

Only the opening El start defines the tag name, and the El end signal closes the more recently opened tag. The tag names are a little complicated due to the XML facility for namespaces; just ignore the empty component of the tag if you don't care about these. Now, let's define the xml_id function that uses the input and output values we defined above and parses this document.

```
let xml id i o =
 let rec pull depth =
   Xmlm.output o (Xmlm.peek i);
   match Xmlm.input i with
     `El_start _ -> pull i o (depth + 1)
     `El end -> if depth > 1 then pull i o (depth - 1)
      `Data _ -> pull i o depth
     `Dtd _ -> assert false
 in
 Xmlm.output o (Xmlm.input i); (* `Dtd *)
 if not (Xmlm.eoi i) then invalid arg "document not well-formed"
```

The xml id function begins by defining a recursive helper pull function. The pull function iterates over the signal values until there are none left. It first uses Xmlm.peek to inspect the current input signal and immediately outputs it. The rest of the function is not strictly necessary, but tracks that all of the tags that have been started via the El start signal are also closed by a corresponding El end signal.

The pull function isn't invoked immediately. The first thing we need to do is consume the Dtd signal, which is present in every well-formed XML input. Then we invoke pull with a depth of 0, and it consumes the whole document. The final action is to call Xmlm.eoi to verify that the end of input has been reached, since the earlier pull should have consumed all of the XML signals.

Tree parsing XML

Signals enforce a very iterative style of parsing XML, as your program has to deal with signals arriving serially. It's often more convenient to deal with complete XML documents directly in-memory as an OCaml tree data structure. We can convert a signal stream into an OCaml structure by defining the following data type and helper functions:

```
type tree =
   Element of Xmlm.tag * tree list
  | Data of string
let in tree i =
 let el tag children = Element (tag, children) in
 let data d = Data d in
 Xmlm.input_doc_tree ~el ~data i
let out tree o t =
 let frag = function
  | Element (tag, childs) -> `El (tag, childs)
   Data d -> `Data d
 Xmlm.output doc tree frag o t
```

The type tree can be pattern-matched and traversed like a normal OCaml data structure. Let's see how this works by extracting all the "Related Topics" in the example XML document. First, we'll need a few helper combinator functions to filter through tags and trees, with the following signature:

```
(* Extract a textual name from an XML tag.
   Discards the namespace information. *)
val name : Xmlm.tag -> string
(* Given a list of [trees], concatenate all of the data contents
   into a string, and discard any sub-tags within it *)
val concat data : tree list -> string
(* Filter out the contents of a tag [n] from a tagset,
   and return the concatenated contents of all of them *)
val filter tag : string -> tree list -> tree list
```

Let's look at the implementation of these functions in more detail.

```
let name ((,n),) = n
```

The name function is a good example of how pattern-matching can make data structure manipulation very succinct. An Xmlm.tag consists of a tuple of the tag name and its attributes. The tag name is itself a tuple of the namespace and the local name (which is what we actually want). The pattern matching in the name function binds the local name portion of these tuples to n, and ignores the rest of the argument input. The function body just returns n to the caller.

```
let concat data tl =
 List.fold_left ~init:"" ~f:(fun acc ->
    function
    |Data s -> acc ^ s
```

```
|_ -> acc
```

The concat data function accepts a tree list parameter and looks for Data tags that it concatenates into a single string. All other tags are ignored and discarded (a more sophisticated implementation would recurse into sub-tags and concatenate any data within them too).

```
let filter tag n =
 List.fold left ~init:[] ~f:(fun acc ->
    function
    |Element (tag, ts) when name tag = n ->
     ts @ acc
    | -> acc
```

The filter tag function also folds over a tree list, but uses a more specialised pattern match. It looks for an Element value, but uses the when clause to also check that the name of the tag matches the n function argument. If it does match then that pattern is selected, and otherwise matching continues to the next option (in this case, a catch-all that simply returns the accumulator and continues the fold). This use of when in pattern matching is known as a guard pattern.

Once we have these helper functions, the selection of all the <Text> tags is a matter of chaining the filter functions we just defined together.

```
let topics trees =
 filter tag "DuckDuckGoResponse" trees
  |> filter tag "RelatedTopics"
  |> filter_tag "RelatedTopic"
  |> filter_tag "Text"
  |> List.iter ~f:(fun x -> concat_data [x] |> print_endline)
 let i = Xmlm.make input (`Channel (open in "ddg.xml")) in
 let ( ,it) = in tree i in
 topics [it]
```

The filter tag function accepts a tree list and also outputs a tree list that contains the sub-tags that match. This lets us chain together the results of one filter to another, and hence select hierarchical XML tags very easily. When we get to the <Text> tag, we iterate over all the results, concatenate the data contents, and print each one individually.

Building XML using syntax extensions

In the earlier JSON chapter, we explained how to construct values by creating the data structures directly. While this works for small documents, it can get really confusing with bigger structures. For example, look at:

```
let mk_tag n a c = Element((("",n),a),c)
let mk data d = Data d
let response =
  mk_tag "DuckDuckGoResponse" [("","version"),"1.0"]
  (mk_tag "Heading" [] [mk_data "DuckDuckGo"])
```

This defines a couple of helper functions to construct Element and Data values, and then builds a response value. Wouldn't it be nice if there were a way to write the XML we want directly? Happily, OCaml's syntax extension mechanism comes to the rescue via the *quotation* mechanism. It lets us write this equivalent code:

```
let response =
 <:xml
    <DuckDuckGoResponse version="1.0">
      <Heading>DuckDuckGo</Heading>
    </DuckDuckGoResponse>
```

We use the Sexplib syntax extension earlier to generate boilerplate code from type definitions. The quotation shown above is a little different: it lets the syntax of an entire block of code to be completely different from OCaml's usual one. Camlp4 loads a syntax extension module that transforms the Abstract Syntax Tree (AST) of the code fragment (in this case, xml), and converts it into the desired data structure.

We'll use the Atom 1.0 syndication format as our example. Atom feeds allow web-based programs such as browsers to poll a website for updates. The website owner publishes a feed of content in a standardized XML format via HTTP. This feed is then parsed by clients and compared against previously downloaded versions to determine which contents are available.

Here's an example of an Atom feed:

```
<?xml version="1.0" encoding="utf-8"?>
<feed xmlns="http://www.w3.org/2005/Atom">
 <title>Example Feed</title>
<subtitle>A subtitle.</subtitle>
<link href="http://example.org/feed/" rel="self" />
<link href="http://example.org/" />
<id>urn:uuid:60a76c80-d399-11d9-b91C-0003939e0af6</id>
 <updated>2003-12-13T18:30:02Z</updated>
  <title>Atom-Powered Robots Run Amok</title>
 <link href="http://example.org/2003/12/13/atom03" />
 <link rel="alternate" type="text/html" href="http://example.org/atom03.html"/>
  <link rel="edit" href="http://example.org/atom03/edit"/>
  <id>urn:uuid:1225c695-cfb8-4ebb-aaaa-80da344efa6a</id>
  <updated>2003-12-13T18:30:02Z</updated>
  <summary>Some text.</summary>
  <author>
```

```
<name>John Doe</name>
   <email>johndoe@example.com</email>
 </author>
</entry>
</feed>
```

We want to build this by minimising the amount of repetitive XML generation code. The "Caml on the Web" (COW) library provides the syntax extension we need.



Installing Caml on the Web (COW)

The COW library and syntax extension can be installed via OPAM via opam install cow. There are two OCamlfind packages installed: the library is called cow and the syntax extension is activated with the cow.syntax package.

One caveat to bear in mind is that COW isn't fully compatible with Core yet, and so you must use the syntax extension before opening the Core modules. (avsm: we can fix this easily, but the note is here as a warning to reviewers).

Let's start to build up an Atom specification using Cow. First, the <author> tag can be represented with the following type:

```
type author = {
 name: string;
 uri: string option;
 email: string option;
} with xml
```

This is a standard record type definition with the addition of with xml at the end. This uses a syntax extension to signify that we wish to generate boilerplate code for handling this record as an XML document.

Invoking cam1p4 syntax extensions

The OCaml compiler can call camlp4 automatically during a compilation to preprocess the source files. This is specified via the -pp flag to the compiler. You don't normally need to specify this flag yourself. Use the ocamlfind utility instead to generate the right command-line flags for you. Here's a small shell script which preprocesses a source file with the COW syntax extension:

```
#!/bin/sh -x
file=$1
lib=cow.syntax
bin=ocamlfind
args=`$bin query -predicates syntax,preprocessor -r -format '-I %d %a' $lib`
camlp4o -printer o $args $file
```

You can supply ocamlfind with a number of different predicates to define the type of build you are running (preprocessing, compilation or linking). The final part of the script invokes the camlp40 binary on your ML source file and outputs the transformed source code to your terminal.

Let's see the OCaml code that has been generated for our author record after it has been preprocessed:

```
type author = {
 name: string;
 uri: string option;
 email: string option;
let rec xml of author author : Cow.Xml.t =
  List.flatten
    [ (match match author.email with
              None -> []
             Some var1 -> [ `Data var1 ]
       with
       | [] -> []
        -> [ `El (((("", "email"), []) : Cow.Xml.tag),
           (match author.email with
             None -> []
            | Some var1 -> [ `Data var1 ])) ]);
      (match match author.uri with
        | None -> [] | Some var2 -> [ `Data var2 ]
       with
       | [] -> []
         -->
[ `El (((("", "uri"), []) : Cow.Xml.tag),
           (match author.uri with
               None -> []
               Some var2 -> [ `Data var2 ])) ]);
      (match [ `Data author.name ] with
       | [] -> []
        -> [ `El (((("", "name"), []): Cow.Xml.tag),
         [ `Data author.name ]) ]) ]
```

Notice that the with xml clause has been replaced with a new xml of author function that has been generated for you. It accepts an author value and returns an Xml.t value. The generated code isn't really meant to be human-readable, but you don't normally see it when using the syntax extension (we've only dumped it out here to illustrate how camlp4 works).

If we run xml of author and convert the result to a human-readable string, our complete example looks like:

```
type author = {
```

```
name: string;
 uri: string option;
 email: string option;
} with xml
let anil = {
 name = "Anil Madhavapeddy";
 uri = Some "http://anil.recoil.org";
 email = Some "anil@recoil.org"
let _ = print_endline (Cow.Xml.to_string (xml_of_author anil))
```

This will generate the following XML output on the terminal when you execute it:

```
<?xml version="1.0" encoding="UTF-8"?>
<email>anil@recoil.org</email>
<uri>http://anil.recoil.org</uri>
<name>Anil Madhavapeddy</name>
```

This is convenient, but just one small portion of Atom. How do we express the full Atom scheme from earlier? The answer is with just a few more records that match the Atom XML schema.

```
type author = {
 name: string;
 uri: string option;
 email: string option;
} with xml
 int * int * int * int * int (* year, month, date, hour, minute *)
with xml
let xml_of_date (year,month,day,hour,min) =
 let d = Printf.sprintf "%.4d-%.2d-%.2dT%.2d:%.2d:00Z" year month day hour min in
 <:xml< $str:d$ >>
type meta = {
 id: string;
 title: string;
 subtitle: string option;
 author: author option;
 rights: string option;
 updated: date;
} with xml
```

We've now filled in more of the Atom schema with these records. The first problem we run into is that occasionally there is a mismatch between the syntax extension's idea of what the auto-generated XML should look like, and the reality of the protocol you are mapping to.

The Atom date field is a good example. We define it as a tuple of integers, but the format mandated by the specification is actually a free-form text format and not XML. However, because the syntax extension generates normal OCaml functions, we can just override the xml_of_date function with a custom one which returns the correct XML fragment. Any references further down the module will just use our overridden version and ignore the auto-generated one.

There's another interesting bit of new syntax in the xml of date function known as a quotation. OCaml not only allows code to be generated during pre-processing, but also to override the core language grammar with new constructs. The most common way of doing this is by embedding the custom grammars inside <: foo< ... >> tags, where foo represents the particular grammar being used. In the case of COW, this lets you generate XMLM-compatible OCaml values just by typing in XML tags.

TODO antiquotations.

TODO finish the atom example.

Working with XHTMLx

TODO use Cow.Html to generate a more complete Atom feed.

Concurrent Programming with Async

When you start building OCaml code that interfaces with external systems, you'll soon need to handle concurrent operations. Consider the case of a web server sending a large file to many clients, or a GUI waiting for a mouse clicks. These applications often need to block while waiting for input for a particular task, and process something else during that time. Meanwhile, when new data does appear, the blocked task needs to be resumed as quickly as possible.

Busy servers can often handle tens of thousands of simultaneous connections, so runtime efficiency really matters. An equally important concern is readable source code, so that the control flow of the program is obvious at a glance.

A common approach to concurrency is to use *preemptive* system threads, most commonly in Java or C#. In this threading model, each task is given an operating system thread of its own, and the kernel schedules them with arbitrary interleavings. Other language runtimes such as Javascript are single-threaded, and applications register function callbacks to be triggered upon external events such as a timeout or browser click.

Both of these mechanisms have tradeoffs. Preemptive threads require more resources per thread and can be memory hungry. The operating system can also arbitrarily interleave the execution of preemptive threads, putting a load on the programmer to lock shared data structures. Single-threaded event-driven systems execute a single task at a time and require less locking. However, the program structure can often descend into a maze of event callbacks for even a simple operation that blocks a few times. Code readability matters, and so we'd like to avoid such spaghetti control flow.

The Async OCaml library offers a hybrid model that lets you write event-driven code that can block *without* the complexity of preemptive threading. Lets begin by constructing a simple thread. Async follows the Core convention and provides an Async.5td that provides threaded variants of many standard library functions.

```
# require "async.unix" ;;
# open Async.Std ;;
```

```
# return 5 ;;
- : int Deferred.t = <abstr>
```



When to open Async.Std

The Core.Std module is normally opened up in every file you write. You need to be a little more careful when opening Async. Std as it replaces standard blocking functions with asynchronous equivalents. This comes across most obviously with the standard input and output descriptors.

```
# open Core.Std;;
# print_endline "hello world";;
hello world
- : unit = ()
# open Async.Std;;
# print endline "hello world";;
-: unit = ()
TODO what is the manual flush call here?
```

With just Core. Std open, the print endline function immediately displayed its output to the console. When Async.Std was opened, the call to print endline is buffered and needs to be manually flushed before the output is displayed.

Creating your first async threads

Async threads are co-operative and never preempt each other, and the library internally converts blocking code into a single event loop. The threads are normal OCaml heapallocated values (without any runtime magic!) and can be allocated very fast. Concurrency is mostly limited only by your available main memory, or operating system limits on other resources such as file descriptors.

The basic type of an Async thread is a 'a Deferred.t, which can be constructed by the return function. The type parameter (in this case int) represents the ultimate type of the thread once it has completed in the future. This return value cannot be used directly while it is wrapped in a Deferred.t as it may not be available yet. Instead, we can bind a functional closure to the thread that is called once the value is eventually ready.

```
# open Async.Std ;;
# let x = return 5 ;;
val x : int Deferred.t = <abstr>
```

The return function constructs a constant int Deferred.t whose value will be available immediately.

```
# let y = Deferred.bind x (fun v -> return (string of int v)) ;;
val y : string Deferred.t = <abstr>
```

We've now bound a function to x that will be called over its resulting value. The closure simply converts the int to a string and returns it as a string Deferred.t. Notice that while both x and y share a common Deferred.t type, their type variables differ and so they cannot be interchangably used except in polymorphic functions. This is useful when refactoring large codebases as you can tell if any function will block simply by the presence of an Deferred.t in the signature.

Another important note is that the result of the bound function must also be a Deferred value. If we try to return a string immediately, then we get the following type error.

`ocaml # let y = Deferred.bind x (fun v -> string of int v);; Error: This expres sion has type string but an expression was expected of type 'a Deferred.t = 'a Ivar.Deferred.t

This requirement makes bind operations composable. You can take the y value and bind it again to another thread, and expect them all to run in the correct sequence. Let's examine the function signatures of bind and return more closely to understand this better.

```
# return ;;
- : 'a -> 'a Deferred.t = <fun>
# Deferred.bind ;;
- : 'a Deferred.t -> ('a -> 'b Deferred.t) -> 'b Deferred.t = <fun>
```

return, bind and the Deferred.t type all contain polymorphic type variables (the 'a) which represent the type of the thread, and are inferred based on how they are used in your code. The 'a type of the argument passed to the bind callback *must* be the same as the 'a Deferred.t of the input thread, preventing runtime mismatches between thread callbacks.

Both bind and return form a design pattern in functional programming known as monads, and you will run across this signature in many applications beyond just threads. TODO avsm: figure out where to talk about all the monads in Core in more detail. The >>= inline operator is provided as a more succinct alias to bind, as shown below.

```
# let x = return 5 ;;
val x : int Deferred.t = <abstr>
# x >>= fun y -> return (string of int y) ;;
val - : string Deferred.t = <abstr>
```

The >>= operator is exactly the same as bind and unpacks the integer future into the y variable. The subsequent closure is called with the resulting integer and builds a new string future.

It can be a little verbose to keep calling bind and return to wrap simple functions such as string of int. The >>| operator maps a non-Async function directly across a Deferred.t value. In the example below, the deferred x is mapped to string_of_int directly, and the result is a string Deferred.t.

```
# x >>| string_of_int ;;
val - : string Deferred.t = <abstr>
```

Multiple threads can be chained together with successive calls to bind to sequentially compose blocking operations.

```
# return 5
 >>= fun v -> return (string of int v)
 >>= fun v -> return (v = "5")
- : bool Deferred.t = <abstr>
```

The example above constructs an int thread, converts it to a string thread, and then to a bool thread via a string comparison. Of course, there's no interesting threading going on in this example beyond building a constant value, but let's look at how to run it next.

Executing async applications

All async threads run within a scheduler that is responsible for associating blocked threads with system resources (such as file descriptors) and waking them up when external I/O or timer events fire.

Running threads within the toplevel

If you're experimenting with async programming, the utop toplevel is a convenient place to write code interactively. Async threads can be evaluated into a concrete value by wrapping them in Thread safe.block on async exn, which spawns a system thread that waits until a result is available.

```
# Thread safe.block on async exn ;;
- : (unit -> 'a Deferred.t) -> 'a = <fun>
```

A neat feature in utop is that it detects functions with a Deferred.t in the return type, and automatically translates it into a call to block on async exn for you.

```
# let fn () = return 5 >> | string of int ;;
val fn : unit -> string Deferred.t = <abstr>
# Thread safe.block on async exn fn ;;
-: string = "5"
# fn ();;
- : string = "5"
```

We've defined an fn thread in the first phrase, and then run it manually using block on async exn. The final phrase executes fn directly, and you can see the utop translation kicking in and returning the concrete value.

Running threads within an application

An application can also use the same block on async exn as the toplevel, but there are two alternatives. Once a few threads have been started, the Scheduler.go function runs them for you.

```
# Scheduler.go ;;
- : ?raise unhandled exn:bool -> unit -> never returns = <fun>
```

Notice that this function never returns, even if all of the spawned threads are completed. The Async scheduler doesn't terminate by default, and so most applications will listen for a signal to exit or simply use CTRL-C to interrupt it from a console.

Another common way to execute async threads is via the Command module we introduced in Chapter 13. When you open Async.Std, the Command module now has an async basic available.

```
# Command.async basic ;;
- : summary:string ->
    ?readme:(unit -> string) ->
    ('a, unit -> unit Deferred.t) Command.Spec.t ->
    'a -> Command.t = <fun>
```

This is used in exactly the same way as the usual Command module, except that the callbacks must return a Deferred.t. This lets you run blocking threads directly from a command-line interface.

Timing and Thread Composition

Our examples so far have been with static threads, which isn't very much use for real programs. We'll now add timing to the mix and show you how to coordinate threads and timeouts. Let's write a program that spawns two threads, each of which sleep for some random time and return either "Heads" or "Tails". The first thread that wakes up returns its value.

```
# let flip () =
 let span = Time.Span.of sec 3.0 in
 let span heads = Time.Span.randomize span ~percent:0.75 in
 let span tails = Time.Span.randomize span ~percent:0.75 in
 let coin heads =
   Clock.after span heads
   >>| fun () ->
    "Heads!", span heads, span tails
```

```
let coin tails =
   Clock.after span tails
   >>| fun () ->
    "Tails!", span heads, span tails
 Deferred.any [coin_heads; coin_tails] ;;
val flip : unit -> (string * Time.Span.t * Time.Span.t) Deferred.t = <fun>
```

This example introduces a couple of new time-related Async functions. The Time module contains functions to express both absolute and relative temporal relationships. In our coin flipping example, we use: * Time.Span.of_sec to create a relative time span of 3 seconds * Time.Span.randomize to permute this span randomly by 75% * Clock.after to build a unit Deferred.t that will return after the specified timespan * Deferred.any to select between a list of threads and return the value of the first one to return a value.

It's important to note that there is no need for an explicit "thread create" function in Async. Instead, we build up functions that manipulate Deferred.t values, and bind them to names when convenient. In the example above, we've created coin heads and coin tails which have the following type:

```
val coin heads : (string * Time.Span.t * Time.Span.t) Deferred.t
val coin tails : (string * Time.Span.t * Time.Span.t) Deferred.t
```

Both of the threads encode the time intervals in their return value so that you can can easily verify the calculations (you could also simply print the time spans to the console as they are calculated and simplify the return types). Let's verify this by running the flip function at the toplevel a few times. Remember to run this in utop, since it will spin up the Async scheduler automatically for you and block until a result is available.

```
# flip ();;
# - : string * Time.Span.t * Time.Span.t = ("Heads!", 2.86113s, 3.64635s)
# flip ();;
# - : string * Time.Span.t * Time.Span.t = ("Tails!", 4.44979s, 2.14977s)
```

We used any in our example to choose the first ready thread. The Deferred module has a number of other ways to select between multiple threads:

Function	# Threads	Behaviour
both	2	Combines both threads into a tuple and returns both values.
any	list	Returns the first thread that becomes determined.
all	list	Waits for all threads to complete and returns their values.
all_unit	list	Waits for all unit threads to complete and returns unit.
peek	1	Inspects a single thread to see if it is determined yet.

Try modifying the Deferred.any in the above example to use some of the other thread joining functions above, such as Deferred.both.

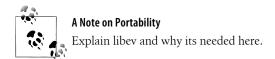
Cancellation

A simple TCP Echo Server

Onto an HTTP Server

Binding to the GitHub API

Show how we can use a monadic style to bind to the GitHub API and make simple JSON requests/responses.



Example: searching definitions with DuckDuckGo

DuckDuckGo is a search engine with a freely available search interface. A DuckDuckGo search is executed by making an HTTP request to api.duckduckgo.com. The result comes back in either ISON or XML format, depending on what was requested in the original query string. Let's write some functions that construct the right URI and can parse the resulting JSON.

Before we can make the HTTP calls, we need a couple of helper functions with the following signature.

```
(* Generate a DuckDuckGo API search URI for [query] *)
val make ddg uri : query:string -> Uri.t
(* Extract the Definition field from the DuckDuckGo search
   response, or return [None] if it doesn't exist *)
val get definition from json: string -> string option
```

This code uses a couple of new libraries we haven't seen before. You will need to OPAM install uri and yojson (refer to Appendix A if you need help). Let's see how to implement them first.

URI handling

You're hopefully familiar with HTTP URLs, which identify endpoints across the World Wide Web. These are actually part of a more general family known as Uniform Resource Identifiers (URIs). The full URI specification is defined in RFC3986 (http://tools .ietf.org/html/rfc3986) (and is rather complicated!). Luckily, the ocaml-uri library provides a strongly-typed interface which takes care of much of the hassle.

```
(* Generate a DuckDuckGo search URI from a query string *)
let make ddg uri =
 let base uri = "http://api.duckduckgo.com/?format=json" in
 let uri = Uri.of string base uri in
  fun ~query ->
    Uri.add query param uri ("q", [query])
```

A Uri.t is constructed from the Uri.of_string function, and a query parameter q is added with the desired search query. The library takes care of encoding the URI correctly when outputting it in the network protocol.

Note that the URI manipulation functions are all pure functions which return a new URI value, and never modify the input. This makes it easier to pass around URI values through your application stack without fear of modification.

Parsing JSON strings

The HTTP response from DuckDuckGo is in JSON, a common (and thankfully simple) format that is specified in RFC4627 (http://www.ietf.org/rfc/rfc4627.txt). There are quite a few JSON parsers available for OCaml, and we've picked Yojson (http://mjambon .com/yojson.html) for this example.

There are a few non-standard extensions to JSON, so Yojson exposes them as the Basic and Safe sub-modules. It doesn't really matter which one we pick for this simple example, so we'll go with Safe.

The input string is parsed using Yojson.Safe.from string into an OCaml data type. The JSON values are represented using polymorphic variants, and can thus be pattern matched more easily once they have been parsed by Yojson.

```
type json = [
    `Assoc of (string * json) list
    `Bool of bool
    `Float of float
    `Int of int
    `List of json list
    `Null
    `String of string
    `Tuple of json list
```

We're expecting the DuckDuckGo response to be a record, with an optional Descrip tion field being one of the keys in the record. The get definition from json does a pattern match on this, and returns an optional string if a definition is found within the result.

```
(* Extract the Definition field from the DuckDuckGo search
   response, or return [None] if it doesn't exist *)
let get definition from json (json:string) =
 match Yojson.Safe.from string json with
  |`Assoc kv list ->
     let open Option in
     List.Assoc.find kv_list "Definition" >>|
     Yojson.Safe.to string
  -> None
```

Notice that we use options here instead of throwing exceptions on an error. When the Option module is opened, it provides a map operator (>>|) which calls the bound closure if the value exists. If no result is found, then the Yojson. Safe. to string conversion function is simply ignored, and a None returned.

Executing an HTTP client guery

Now that we've written those utility functions, let's look at the Async code that performs the actual search:

```
(* Execute the DuckDuckGo search *)
(* TODO: This client API is being simplified in Cohttp *)
let do ddg query query =
 Cohttp async.Client.call `GET (make ddg uri ~query)
 >>= function
  | Some (res, Some body) ->
     let buf = Buffer.create 128 in
     Pipe.iter_without_pushback body ~f:(Buffer.add string buf)
     >>| fun () ->
     get definition from json (Buffer.contents buf)
      > Option.value ~default:"???"
  | Some (_, None) | None ->
     failwith "no body in response"
```

For this code, you'll need to OPAM install the cohttp library. The Cohttp async.Cli ent module executes the HTTP call, and returns a status and response body wrapped. This whole result is wrapped in a type you haven't seen before: Async.Deferred.t.

The Deferred.t represents a future value whose result is not available yet. You can "wait" for the result by binding a callback using the >>= operator (which is imported when you open Async. Std). This is the same monad pattern available in other Core libraries such as Option, but instead of operating on optional values, we are now mapping over future values. We'll come back to monads later in this chapter. (avsm: TODO xref)

The ddg query function invokes the HTTP client call, and returns a tuple containing the response codes and headers, and a string Pipe.Reader. Pipes in Async are often used to transmit large amounts of data between two processes or concurrent threads. The Cohttp library creates a Pipe.Writer which it outputs the HTTP body into, and provides your application with the Reader end.

In this case, the HTTP body probably isn't very large, so we just iterate over the Pipe's contents until we have the full HTTP body in a Buffer.t. Once the full body has been retrieved into our buffer, the next callback passes it through the JSON parser and returns a human-readable string of the search description that DuckDuckGo gave us.

```
(* Run a single search *)
let run one search =
 do_ddg_query "Camel" >>| prerr endline
(* Start the Async scheduler *)
let = Scheduler.go ()
```

Let's actually use the search function to run a real query now. The fragment above spawns a single search, and then fires up the Async scheduler. The scheduler is where all the work happens, and must be started in every application that uses Async. Without it, logging won't be output, nor will blocked functions ever wake up. When the scheduler is active, it is waiting for incoming I/O events and waking up function callbacks that were sleeping on that particular file descriptor or timeout.

A single connection isn't that interesting from a concurrency perspective. Luckily, Async makes it very easy to run multiple parallel searches:

```
(* Run many searches in parallel *)
let run many searches =
 let searches = ["Duck"; "Sheep"; "Cow"; "Llama"; "Camel"] in
 Deferred.List.map ~how: `Parallel searches ~f:do ddg query >>|
 List.iter ~f:print endline
```

The Deferred.List module lets you specify exactly how to map over a collection of futures. The searches will be executed simultaneously, and the map thread will complete once all of the sub-threads are complete. If you replace the Parallel parameter with Serial, the map will wait for each search to fully complete before issuing the next one.

Fast Binary Serialization with bin_prot

S-expressions are a good serialization format when you need something machineparseable as well as human readable and editable. But Sexplib's s-expressions are not particularly performant for a couple of reasons:

- s-expression serialization goes through an intermediate type, Sexp.t, which must
 be allocated and is then typically thrown away, putting non-trivial pressure on the
 garbage collector.
- parsing and printing to strings in an ASCII format can be expensive for types like ints, floats and Time.ts where some real computation needs to be done to produce or parse the ASCII representation.

Bin_prot is a library that addresses these issues by providing fast serialization in a compact binary format. We'll also introduce the Core Bigstring library for handling large binary strings efficiently during this chapter.



Using bin_prot in the toplevel

The bin_prot syntax extension isn't activated by default in the toplevel, but is easily available if you add this to your ~/.ocamlinit file. You can also just type this in directly into utop (with;; to finish the line) instead.

#require "bin_prot.syntax"

The extension is activated by putting with bin_io after the type declaration. This looks a bit unsightly in the toplevel because of all the definitions that are generated. We'll elide those definitions in the book, but you can see them for yourself in the toplevel.

Defining a message broker

Here's a small complete example of a program that can read and write values using bin_io. Here, the serialization is of types that might be used as part of a message-queue,

where each message has a topic, some content, and a source, which is in turn a hostname and a port.

You can can combine multiple syntax generators in the same type declaration by comma-separating them, so you could generate both formats via with bin_io,sexp above.

Next we need to define how to marshal and unmarshal these messages. The interface is a little more complex than for s-expressions since we don't just want to serialise from the normal OCaml string, but also to the bigstring type. We'll explain what this is in more detail shortly, but for now think of it as a more efficient alternative for large binary data.

```
let binable =
  (module Message : Binable.S with type t = Message.t)

let save_message outc msg =
  let s = Binable.to_bigstring binable msg in
  let len = Bigstring.length s in
  Out_channel.output_binary_int outc len;
  Bigstring.really_output outc s
```

The binable value above captures all the auto-generated bin_io functions into a first-class module of type Binable.S. This module has the low-level reader and writer functions which we don't want to have to manually construct.

The save_message is then responsible for writing the binary content out to a big string. It first invokes the Binable.to_bigstring on a Message.t value to retrieve a marshalled string. It then determines the length of this string, and writes out the length and the string to the output channel.

The Binable interface in Core is pretty simple: type 'a m = (module Binable.S with type t = 'a) val of bigstring : 'a m -> bigstring -> 'a val to bigstring : ?

```
prefix_with_length:bool -> 'a m -> 'a -> bigstring val of_string : 'a m -> string
-> 'a val to string : 'a m -> 'a -> string
```

Since the Binable. S module values are generated for you automatically, the only functions you'll need to regularly use are the conversion functions above.

Reading back the binary value we've just defined is quite similar. We read in the length field, read that much data into a bigstring, and convert it to our type using Bina ble.of bigstring.

```
let load message inc =
 match In channel.input binary int inc with
  | None -> failwith "length missing from header"
  | Some len ->
    let buf = Bigstring.create len in
    Bigstring.really_input ~pos:0 ~len inc buf;
    Binable.of bigstring binable buf
```

The code to generate and read and write these messages now just uses the static Mes sage.t type, with no need to worry about the marshalling mechanism.

```
(* Generate some example messages *)
let example content =
 let source =
    { Message.Source.
      hostname = "ocaml.org"; port = 2322 }
 { Message.
    topic = "rwo-example"; content; source; }
(* write out three messages... *)
let write messages () =
 let outc = Out channel.create "tmp.bin" in
 List.iter ~f:(save message outc) [
    example "a wonderful";
   example "trio";
example "of messages";
 Out channel.close outc
(* ... and read them back in *)
let read messages () =
 let inc = In channel.create "tmp.bin" in
 for i = 1 to 3 do
    let msg = load message inc in
    printf "msg %d: %s\n" i msg.Message.content
 done
let () =
 write_messages (); read_messages ()
```

Bigstring

We earlier mentioned that bigstring is a more efficient version of string. Understanding the difference requires some understanding of how OCaml allocates values. TODO.

Fieldslib

TODO: out of place

One common idiom when using records is to provide field accessor functions for a particular record.

```
type t = { topic: string;
          content: string;
           source: Source.t;
let topic    t = t.topic
let content t = t.content
let source t = t.source
```

Similarly, sometimes you simultaneously want an accessor to a field of a record and a textual representation of the name of that field. This might come up if you were validating a field and needed the string representation to generate an error message, or if you wanted to scaffold a form in a GUI automatically based on the fields of a record. Fieldslib provides a module Field for this purpose. Here's some code for creating Field.t's for all the fields of our type t.

```
# module Fields = struct
   let topic =
     { Field.
       name = "topic";
       setter = None;
       getter = (fun t -> t.topic);
       fset = (fun t topic -> { t with topic });
   let content =
     { Field.
       name = "content";
       setter = None;
       getter = (fun t -> t.content);
       fset = (fun t content -> { t with content });
   let source =
     { Field.
       name = "source";
       setter = None;
       getter = (fun t -> t.source);
       fset = (fun t source -> { t with source });
```

```
end ;;
module Fields :
    sig
    val topic : (t, string list) Core.Std.Field.t
    val content : (t, string) Core.Std.Field.t
    val source : (t, Source.t) Core.Std.Field.t
end
```

There are several syntax extensions distributed with Core, including:

- **Sexplib**: provides serialization for s-expressions.
- **Bin_prot**: provides serialization to an efficient binary format.
- **Fieldslib**: generates first-class values that represent fields of a record, as well as accessor functions and setters for mutable record fields.
- **Variantslib**: like Fieldslib for variants, producing first-class variants and other helper functions for interacting with variant types.
- **Pa_compare**: generates efficient, type-specialized comparison functions.
- **Pa_typehash**: generates a hash value for a type definition, *i.e.*, an integer that is highly unlikely to be the same for two distinct types.

We'll discuss each of these syntax extensions in detail, starting with Sexplib.

First class modules

_(jyh: I'm going to start some new text on FCM. We might want another chapter, but let's see how it goes. I've kept Ron's original text below.)

OCaml provides several mechanisms for organizing your programs, including modules and functors, files and compilation units, and classes and objects. Files and compilation units (.ml and .mli files) are really just a simplified module system. Classes and objects are a different form of organization altogether (as we'll see in Chapter 10. Yet, in each of these cases, there is a clear separation between types and values -- values cannot contain types, and types cannot contain values. And since modules can contain types, modules can't be values.

(yminsky: Instead of saying that ml and mli files are a simplified module system, maybe say that they "provide a simple way of creating modules and interfaces", or some such? It's not like there's a simplified module system floating around)

(yminsky: consider dropping "Yet" in the above.)

Next, we'll relax this restriction with *first-class modules*. "First-class" means that modules can be passed around as ordinary values that can be created from and converted back to regular modules. This is a relatively recent addition to the OCaml language, and while it might seem trivial to say, it has profound consequences on the language. First-class modules are strictly more expressive than any other organization mechanism, including classes and objects. Once you use first-class modules, you'll never want to go back.

(yminsky: I wouldn't say they're strictly more expressive. For example, they don't give you a way of expressing sub typing relationships effectively, which objects do.)

This is not say that first-class modules should be used indiscriminately. When you pass modules as values, the reason is to support dynamic behavior, and this can have a negative impact on understandability. As we proceed, we'll compare first-class modules to other techniques, and suggest alternatives when it seems appropriate.

_(jyh: Original text You can think of OCaml as being broken up into two sub-language: a core language that is concerned with values and types, and a module language that

is concerned with modules and module signatures. These sub-languages are stratified, in that modules can contain types and values, but ordinary values can't contain modules or module types. That means you can't do things like define a variable whose definition is a module, or a function that takes a module as an argument.

OCaml provides a way around this stratification in the form of *first-class modules*. Firstclass modules are ordinary values that can be created from and converted back to regular modules. As we'll see, letting modules into the core language makes it possible to use more flexible and dynamic module-oriented designs.)_

Another trivial example

Much as we did with functors, we'll start out with an utterly trivial example, to allow us to show the basic mechanics of first class modules with a minimum of fuss.

A first-class module is created by packaging up a module with a signature that it satisfies. The following defines a simple signature and a module that matches it.

```
# module type X int = sig val x : int end;;
module type X int = sig val x : int end
# module Three : X int = struct let x = 3 end;;
module Three : X int
# Three.x;;
-: int = 3
```

We can then create a first-class module using the module keyword.

```
# let three = (module Three : X int);;
val three : (module X int) = <module>
```

Note that the type of the first-class module, (module X int), is based on the name of the signature that we used in constructing it.

To get at the contents of three, we need to unpack it into a module again, which we can do using the val keyword.

```
# module New three = (val three : X int) ;;
module New three : X int
# New three.x;;
-: int = 3
```

Using these conversions as building blocks, we can create tools for working with firstclass modules in a natural way. The following shows the definition of two function, to int, which converts a (module X int) into an int. And plus, which adds two (module X int)s.

```
# let to int m =
   let module M = (val m : X int) in
```

```
val to_int : (module X int) -> int = <fun>
# let plus m1 m2 =
    (module struct
      let x = to int m1 + to int m2
    end : X int)
val plus : (module X int) -> (module X int) -> (module X int) = <fun>
```

With these functions in hand, we can start operating on our (module X int)'s in a more natural style, taking full advantage of the concision and simplicity of the core language.

```
# let six = plus three three;;
val six : (module X int) = <module>
# to_int (List.fold ~init:six ~f:plus [three;three]);;
```

Of course, all we've really done with this example is come up with a more cumbersome way of working with integers. Let's see what happens when with work with more complex abstract types.

Standard vs. first-class modules

(yminsky: I'm not in solve with the example. It feels in some sense too artificial, and that aside, when you get to the end of the example, you haven't really gotten any juice of firstclass modules)

(yminsky: using "standard" in quotes seems a little awkward. Maybe just drop the quotes, and talk about standard or ordinary modules directly?)

Let's compare the style of "standard" modules to first-class modules, using a simple library of abstract geometric shapes. In a "standard" module definition, we would define the shapes using abstract data types, where there is a type t that defines the actual representation, and the module would include functions that operate on the values of type t. In the following code, the module type Shape defines the type of generic shape, and the modules Rectangle and Line implement some concrete shapes.

```
module type Shape = sig
 type t
 val area : t -> int
 val position : t -> int * int
module Rectangle = struct
   type t = { width : int; height : int; x : int; y : int }
   let make ~x ~y ~width ~height =
     { width = width; height = height; x = x; y = y }
   let area { width = width; height = height } = width * height
   let position \{x = x; y = y\} = (x, y)
end
```

```
module Line = struct
   type t = { dx : int; dy : int; x : int; y : int }
   let make ^x ^y ^dx ^dy = { dx = dx; dy = dy; x = x; y = y }
   let area
             = 0
   let position \{x = x; y = y\} = (x, y)
```

Next, if we want to define a generic shape that is either a rectangle or a line, we would probably use a variant type. The following module Shapes is entirely boilerplate. We define the variant type, then functions to perform a dynamic dispatch based on the type of object.

```
module Shapes = struct
   type t = [ `Rect of Rectangle.t | `Line of Line.t ]
   let make rectangle = Rectangle.make
   let make line = Line.make
   let area = function
      `Rect r -> Rectangle.area r
    | `Line l -> Line.area l
   let position = function
      Rect r -> Rectangle.position r
    | `Line 1 -> Line.position 1
end::
```

In fact, confronted with this boilerplate, we would probably choose not use modules at all, but simply define a single module with a variant type and the code for all of the shapes. This isn't to say that separate code for separate shapes is bad, it just means that the language doesn't support it well (at least with standard modules).

With first-class modules, the situation changes, but we have to dispense with the representation type altogether. For immutable shapes, the implementation is now trivial.

```
# module type Shape = sig
   val area : int
   val position : int * int
module type Shape = sig val area : int val position : int * int end
# let make rectangle ~x ~y ~width ~height =
   let module Rectangle = struct
     let area = width * height
     let position = (x, y)
   end in
   (module Rectangle : Shape);;
val make rectangle:
 x:int -> y:int -> width:int -> height:int -> (module Shape) = <fun>
# let make line ~x ~y ~dx ~dy =
   let module Line = struct
     let area = 0
     let position = (x, y)
   end in
   (module Line : Shape);;
val make line : x:int -> y:int -> dx:'a -> dy:'b -> (module Shape) = <fun>
```

For mutable shapes, it isn't much different, but we have to include the state as values in the module implementations. For this, we'll define a representation type t in the module implementation, and for rectangles, a value rect of that type. The code for lines is similar.

```
# module type Shape = sig
    val area : unit -> int
    val position : unit -> int * int
    val moveby : dx:int -> dy:int -> unit
    val enlargeby : size:int -> unit
 end;;
module type Shape = ...
# let make rectangle ~x ~y ~width ~height =
    let module Rectangle = struct
      type t = { mutable x : int; mutable y : int;
                 mutable width : int; mutable height : int }
     let rect = { x = x; y = y; width = width; height = height }
     let area () = rect.width * rect.height
     let position () = (rect.x, rect.y)
      let moveby ~dx ~dy =
         rect.x <- rect.x + dx;
         rect.y <- rect.y + dy
     let enlargeby ~size =
         rect.width <- rect.width * size;</pre>
         rect.height <- rect.height * size
    end in
    (module Rectangle : Shape);;
val make rectangle:
 x:int -> y:int -> width:int -> height:int -> (module Shape) = <fun>
```

A more complete example -- containers

So far, we haven't done anything that really needs modules. The type Shape could just as well be specified as a record type type shape = { area : int; position : int * int; ... }.

To explore the topic more fully, let's implement a system of dynamic containers. OCaml already provides a set of standard containers like List, Set, Hashtbl, etc., but these types have to be selected statically. If a function expects a value of type Set.Make(Element Type).t, then you have to pass it a set of exactly that type. What we would like is a kind of container where the container implementation is chosen by the caller. We define an abstract interface, as a module type, then define one or more concrete module implementations.

Let's start by defining an abstract container interface. It contains some elements of type elt, and functions to examine and iterate through the contents. For convenience, we also define a normal type 'a container to represent containers with elements of type 'a.

```
module type Container = sig
```

```
type elt
   val empty : unit -> bool
   val iter : (elt -> unit) -> unit
   val fold : ('a -> elt -> 'a) -> 'a -> 'a
type 'a container = (module Container with type elt = 'a)
```

Imperative containers

For imperative containers, will also want functions to mutate the contents by adding or removing elements. For example, a stack can be implemented as a module Stack that includes all the functions in the generic Container module, as well as functions to push and pop elements.

```
module type Stack = sig
   include Container
   val push : elt -> unit
  val pop : unit -> elt
type 'a stack = (module Stack with type elt = 'a)
```

Now that the types are defined, the next step is to define a concrete container implementation. For this simple example, we'll use a list to represent a stack. The function make list stack constructs module implementation using a let module construction, then returns the result.

```
# let make list stack (type element) () : element stack =
   let module ListStack = struct
      type elt = element
     let contents = ref []
     let empty () = !contents = []
     let iter f = List.iter f !contents
     let fold f x = List.fold left f x !contents
     let push x = contents := x :: !contents
     let pop () =
         match !contents with
           x :: rest -> contents := rest; x
          [] -> raise (Invalid argument "stack is empty")
    (module ListStack : Stack with type elt = element);;
val make list stack : unit -> 'a stack = <fun>
```

Note the use of the explicit type parameter element. This is required because the use of a type variable in the module definition (like type elt = 'a) would be rejected by the compiler. The construction and use of the stack is straightforward.

```
# let demo (s : int stack) =
    let module S = (val s) in
    S.push 5;
```

```
S.push 17;
    S.iter (fun i -> Printf.printf "Element: %d\n" i);;
val demo : int stack -> unit = <fun>
# demo (make list stack ());;
Element: 17
Element: 5
- : unit = ()
```

The demo function is entirely oblivious to the implementation of the stack. Instead of passing a module implementation based on lists, we could pass a different implementation based on arrays.

We could go on to define other containers, sets, dictionaries, queues, etc. but the implementations would be similar to what we have seen. Instead, let's look at functional data structures, which require a little more work to express.

Pure functional containers

Imperative data structures have simpler types that functional ones because the return type of imperative functions is just unit. When we look at pure functional data structures, we immediately run into a problem with type recursion.

```
# module type Container = sig
   type elt
   val empty : bool
   val iter : (elt -> unit) -> unit
   val fold : ('a -> elt -> 'a) -> 'a -> 'a
   val add : elt -> (module Container)
 end;;
Characters 160-178:
    val add : elt -> (module Container)
                     ^^^^^
Error: Unbound module type Container
```

The problem here is that module type definitions are not recursive -- we can't use the type being defined in its own definition.

Recursive modules provide a solution, but it requires a "trick", where we define a module that is equal to itself. This module contains only type definitions, and the only purpose of the outer recursive module is to allow the recursion in the definition. While we're at it, let's include a map function with the usual semantics.

```
module rec Container : sig
   module type T = sig
       type elt
       val empty : bool
       val iter : (elt -> unit) -> unit
       val fold : ('a -> elt -> 'a) -> 'a -> 'a val map : (elt -> 'a) -> 'a Container.t
       val add : elt -> elt Container.t
```

```
type 'a t = (module Container.T with type elt = 'a)
end = Container;;
```

There are several ways to write this model, but this definition is convenient because it defines both a module type Container. T and a value type 'a Container.t. The outer recursive module Container allows the module type T to refer to the value type t and vice versa. Note that the module Container is defined as itself (as Container).

With this first technicality out of the way, the next one is how to construct values of type Container.t. In the imperative version of the stack, we used a function make list stack. We want to do the same here, but the function definition must be both recursive and polymorphic.

```
# let make stack () =
    let rec make : 'a. 'a list -> 'a Container.t = fun
      (type element) (contents : element list) ->
      let module NewList = struct
         type elt = element
        let empty = contents = []
        let iter f = List.iter f contents
        let fold f x = List.fold left f x contents
        let map f = make (List.map f contents)
        let add x = make (x :: contents)
      (module NewList : Container.T with type elt = element)
   in
   make [];;
val make stack : unit -> 'a Container.t = <fun>
```

The recursion here is particularly important. The functions map and add return new collections, so they call the function make recursively. The explicit polymorphic type make: 'a. 'a list -> 'a Container.t means that the function make is properly polymorphic, so that the map function is polymorphic.

Now that the construction is done, the usage is similar to the imperative case, except that now the data structure is functional.

```
# let demo (s : int Container.t) =
    let module S = (val s) in
    let module S = (val (S.add 5)) in
    let module S = (val (S.add 17)) in
    S.iter (fun i -> Printf.printf "Int Element: %d\n" i);
    let s = S.map (fun i \rightarrow float of int i + . 0.1) in
    let module S = (val s) in
    S.iter (fun x -> Printf.printf "Float Element: %f\n" x);
val demo : int Container.t -> float Container.t = <fun>
# demo (make stack ());;
Int Element: 17
Int Element: 5
Float Element: 17.100000
```

```
Float Element: 5.100000
- : unit = ()
```

The syntactic load here is pretty high, requiring a let module expression to name every intermediate value. First-class modules are fairly new to the language, and this is likely to change, but in the meantime the syntactic load can be pretty daunting.

Let's look a some other more typical examples, where dynamic module selection is more localized.

_(jyh: This is a rough draft, I'm not sure about the ordering and the topics, yet. Switching back to Ron's text now.)

Dynamically choosing a module

Perhaps the simplest thing you can do with first-class modules that you can't do without them is to pick the implementation of a module at runtime.

Consider an application that does I/O multiplexing using a system call like select to determine which file descriptors are ready to use. There are in fact multiple APIs you might want to use, including select itself, epoll, and libev, where different multiplexers make somewhat different performance and portability trade-offs. You could support all of these in one application by defining a single module, let's call it Mutli plexer, whose implementation is chosen at run-time based on an environment variable.

To do this, you'd first need an interface 5 that all of the different multiplexer implementations would need to match, and then an implementation of each multiplexer.

```
(* file: multiplexer.ml *)
(* An interface the OS-specific functionality *)
module type S = sig ... end
(* The implementations of each individual multiplexer *)
module Select : S = struct ... end
module Epoll : S = struct ... end
module Libev : S = struct ... end
```

We can choose the first-class module that we want based on looking up an environment variable.

```
let multiplexer =
 match Sys.getenv "MULTIPLEXER" with
   None
   Some "select" -> (module Select : S)
   Some "epoll" -> (module Epoll : S)
   Some "libev" -> (module Libev : S)
   Some other -> failwithf "Unknown multiplexer: %s" other ()
```

Finally, we can convert the resulting first-class module back to an ordinary module, and then include that so it becomes part of the body of our module.

```
(* The final, dynamically chosen, implementation *)
include (val multiplexer : S)
```

Example: A service bundle

This section describes the design of a library for bundling together multiple services, where a service is a piece of code that exports a query interface. A service bundle combines together multiple individual services under a single query interface that works by dispatching incoming queries to the appropriate underlying service.

The following is a first attempt at an interface for our Service module, which contains both a module type S, which is the interface that a service should meet, as well as a Bundle module which is for combining multiple services.

```
(* file: service.mli *)
open Core.Std
(** The module type for a service. *)
module type S = sig
 type t
 val name
                    : string
 val create : unit -> t
 val handle request : t -> Sexp.t -> Sexp.t Or error.t
end
(** Bundles multiple services together *)
module Bundle : sig
 type t
 val create : (module S) list -> t
 val handle request : t -> Sexp.t -> Sexp.t Or error.t
 val service names : t -> string list
end
```

Here, a service has a state, represented by the type t, a name by which the service can be referenced, a function create for instantiating a service, and a function by which a service can actually handle a request. Here, requests and responses are delivered as sexpressions. At the Bundle level, the s-expression of a request is expected to be formatted as follows:

```
(<service-name> <body>)
```

where <service_name> is the service that should handle the request, and <body> is the body of the request.

Now let's look at how to implement Service. The core datastructure of Bundle is a hashtable of request handlers, one per service. Each request handler is a function of type (Sexp.t -> Sexp.t Or error.t). These request handlers really stand in for the underlying service, with the particular state of the service in question being hidden inside of the request handler.

The first part of service.ml is just the preliminaries: the definition of the module type S, and the definition of the type Bundle.t.

```
(* file: service.ml *)
open Core.Std
module type S = sig
 type t
 val name
                    : string
 val create
                    : unit -> t
 val handle request : t -> Sexp.t -> Sexp.t Or error.t
module Bundle = struct
  type t = { handlers: (Sexp.t -> Sexp.t Or error.t) String.Table.t; }
```

The next thing we need is a function for creating a Bundle.t. This create function builds a table to hold the request handlers, and then iterates through the services, unpacking each module, constructing the request handler, and then putting that request handler in the table.

```
(** Creates a handler given a list of services *)
let create services =
  let handlers = String.Table.create () in
  List.iter services ~f:(fun service_m ->
   let module Service = (val service m : S) in
   let service = Service.create () in
    if Hashtbl.mem handlers Service.name then
      failwith ("Attempt to register duplicate handler for "^Service.name);
    Hashtbl.replace handlers ~key:Service.name
      ~data:(fun sexp -> Service.handle request service sexp)
  {handlers}
```

Note that the Service.t that is created is referenced by the corresponding request handler, so that it is effectively hidden behind the function in the handlers table.

Now we can write the function for the bundle to handle requests. The handler will examine the s-expression to determine the body of the query and the name of the service to dispatch to. It then looks up the handler calls it to generate the response.

```
let handle request t sexp =
  match sexp with
  | Sexp.List [Sexp.Atom name; query] ->
```

```
begin match Hashtbl.find t.handlers name with
   None -> Or_error.error_string ("Unknown service: "^name)
   Some handler ->
   try handler query
   with exn -> Error (Error.of exn exn)
| _ -> Or_error.error_string "Malformed query"
```

Last of all, we define a function for looking up the names of the available services.

```
let service names t = Hashtbl.keys t.handlers
end
```

To see this system in action, we need to define some services, create the corresponding bundle, and then hook that bundle up to some kind of client. For simplicity, we'll build a simple command-line interface. There are two functions below: handle one, which handles a single interaction; and handle loop, which creates the bundle and then runs handle one in a loop.

```
(* file: service_client.ml *)
open Core.Std
(** Handles a single request coming from stdin *)
let handle one bundle =
 printf ">>> %!"; (* prompt *)
 match In channel.input line stdin with
   None -> `Stop (* terminate on end-of-stream, so Ctrl-D will exit *)
   Some line ->
    let line = String.strip line in (* drop leading and trailing whitespace *)
    if line = "" then `Continue
    else match Or_error.try_with (fun () -> Sexp.of_string line) with
    | Error err ->
     eprintf "Couldn't parse query: %s\n%!" (Error.to_string_hum err);
      `Continue
    | Ok query sexp ->
     let resp = Service.Bundle.handle request bundle query sexp in
      Sexp.output_hum stdout (<:sexp_of<Sexp.t Or_error.t>> resp);
     Out channel.newline stdout;
      `Continue
let handle loop services =
 let bundle = Service.Bundle.create services in
  let rec loop () =
    match handle one bundle with
     `Stop -> ()
     `Continue -> loop ()
 in
 loop ()
```

Now we'll create a couple of toy services. One service is a counter that can be updated by query; and the other service lists a directory. The last line then kicks off the shell with the services we've defined.

module Counter : Service.S = struct

```
type t = int ref
      let name = "update-counter"
      let create () = ref 0
      let handle request t sexp =
        match Or_error.try_with (fun () -> int_of_sexp sexp) with
          Error _ as err -> err
          0k x ->
          t := !t + x;
          Ok (sexp of int !t)
    end
    module List dir : Service.S = struct
      type t = unit
      let name = "ls"
      let create () = ()
      let handle request () sexp =
        match Or_error.try_with (fun () -> string_of_sexp sexp) with
          Error _ as err -> err
         | Ok dir -> Ok (Array.sexp_of_t String.sexp_of_t (Sys.readdir dir))
    end
    let () =
      handle_loop [(module List_dir : Service.S); (module Counter : Service.S)]
And now we can go ahead and start up the client.
    $ ./service client.byte
    >>> (update-counter 1)
    (0k 1)
    >>> (update-counter 10)
    (0k 11)
    >>> (ls .)
    (0k
     ( build tags service.ml service.mli service.mli~ service.ml~
      service_client.byte service_client.ml service_client.ml^))
```

Now, let's consider what happens to the design when we want to make the interface of a service a bit more realistic. In particular, right now services are created without any configuration. Let's add a config type to each service, and change the interface of Bundle so that services can be registered along with their configs. At the same time, we'll change the Bundle API to allow services to be changed dynamically, rather than just added at creation time.

PART III

Advanced Topics

Foreign Function Interface

Much of the static type information contained within an OCaml program is checked and discarded at compilation time, leaving a much simpler *runtime* representation for values. Understanding this difference is important for writing efficient programs, and also for interfacing with C libraries that work directly with the runtime system.



Why do OCaml types disappear at runtime?

The OCaml compiler runs through several phases of during the compilation process. After syntax checking, the next stage is *type checking*. In a validly typed program, a function cannot be applied with an unexpected type. For example, the print_endline function must receive a single string argument, and an int will result in a type error.

Since OCaml verifies these properties at compile time, it doesn't need to keep track of as much information at runtime. Thus, later stages of the compiler can discard and simplify the type declarations to a much more minimal subset that's actually required to distinguish polymorphic values at runtime. This is a major performance win versus something like a Java or .NET method call, where the runtime must look up the concrete instance of the object and dispatch the method call. Those languages amortize some of the cost via "Just-in-Time" dynamic patching, but OCaml prefers runtime simplicity instead.

Let's start by explaining the memory layout, and then move onto the details of how C bindings work.

The garbage collector

A running OCaml program uses blocks of memory (i.e. contiguous sequences of words in RAM) to represent many of the values that it deals with such as tuples, records, closures or arrays. An OCaml program implicitly allocates a block of memory when such a value is created.

```
# let x = { foo = 13; bar = 14 } ;;
```

An expression such as the record above requires a new block of memory with two words of available space. One word holds the foo field and the second word holds the bar field. The OCaml compiler translates such an expression into an explicit allocation for the block from OCaml's runtime system: a C library that provides a collection of routines that can be called by running OCaml programs. The runtime system manages a heap, which a collection of memory regions it obtains from the operating system using malloc(3). The OCaml runtime uses these memory regions to hold heap blocks, which it then fills up in response to allocation requests by the OCaml program.

When there isn't enough memory available to satisfy an allocation request from the allocated heap blocks, the runtime system invokes the garbage collector (or GC). An OCaml program does not explicitly free a heap block when it is done with it, and the GC must determine which heap blocks are "alive" and which heap blocks are dead, i.e. no longer in use. Dead blocks are collected and their memory made available for re-use by the application.

The garbage collector does not keep constant track of blocks as they are allocated and used. Instead, it regularly scans blocks by starting from a set of roots, which are values that the application always has access to (such as the stack). The GC maintains a directed graph in which heap blocks are nodes, and there is an edge from heap block b1 to heap block b2 if some field of b1 points to b2. All blocks reachable from the roots by following edges in the graph must be retained, and unreachable blocks can be reused.

With the typical OCaml programming style, many small blocks are frequently allocated, used for a short period of time, and then never used again. OCaml takes advantage of this fact to improve the performance of allocation and collection by using a generational garbage collector. This means that it has different memory regions to hold blocks based on how long the blocks have been alive. OCaml's heap is split in two; there is a small, fixed-size minor heap used for initially allocating most blocks, and a large, variable-sized major heap for holding blocks that have been alive longer or are larger than 4KB. A typical functional programming style means that young blocks tend to die young, and old blocks tend to stay around for longer than young ones (this is referred to as the generational hypothesis). To reflect this, OCaml uses different memory layouts and garbage collection algorithms for the major and minor heaps.

The fast minor heap

The minor heap is one contiguous chunk of memory containing a sequence of heap blocks that have been allocated. If there is space, allocating a new block is a fast constant-time operation in which the pointer to the end of the heap is incremented by the desired size. To garbage collect the minor heap, OCaml uses copying collection to copy all live blocks in the minor heap to the major heap. This only takes work proportional to the number of live blocks in the minor heap, which is typically small according to the generational hypothesis.

One complexity of generational collection is that in order to know which blocks in the minor heap are live, the collector must know which minor-heap blocks are directly pointed to by major-heap blocks. To do this, OCaml maintains a set of such intergenerational pointers, and, through cooperation with the compiler, uses a write barrier to update this set whenever a major-heap block is modified to point at a minor-heap block.

The long-lived major heap

The major heap consists of a number of chunks of memory, each containing live blocks interspersed with regions of free memory. The runtime system maintains a free list data structure that indexes all the free memory, and this list is used to satisfy allocation requests. OCaml uses mark and sweep garbage collection for the major heap. The mark phase to traverses the block graph and marks all live blocks by setting a bit in the color tag of the block header. (avsm: we only explain the color tag in the next section, so rephrase or xref).

The sweep phase sequentially scans all heap memory and identifies dead blocks that weren't marked earlier. The *compact* phase relocates live blocks to eliminate the gaps of free memory between them and ensure memory does not fragment.

A garbage collection must stop the world (that is, halt the application) in order to ensure that blocks can be safely moved. The mark and sweep phases run incrementally over slices of memory, and are broken up into a number of steps that are interspersed with the running OCaml program. Only a compaction touches all the memory in one go, and is a relatively rare operation.

The Gc module lets you control all these parameters from your application, and we will discuss garbage collection tuning in (avsm: crossref).

The representation of values

Every OCaml value is a single word that is either an integer or a pointer. If the lowest bit of the word is non-zero, the value is an unboxed integer. Several OCaml types map onto this integer representation, including bool, int, the empty list, unit, and variants without constructors. Integers are the only unboxed runtime values in OCaml, and are the cheapest values to allocate.

If the lowest bit of the value is zero, then the value is a pointer. A pointer value is stored unmodified, since pointers are guaranteed to be word-aligned and the bottom bits are always zero. If the pointer is inside an area managed by the OCaml runtime, it is assumed to point to an OCaml block. If it points outside the OCaml runtime area, it is is treated as an opaque C pointer to some other system resource.

Blocks and values

An OCaml block is the basic unit of allocation on the heap. A block consists of a oneword header (either 32- or 64-bits) followed by variable-length data, which is either opaque bytes or fields. The collector never inspects opaque bytes, but fields are valid OCaml values. The runtime always inspects fields, and follows them as part of the garbage collection process described earlier. Every block header has a multipurpose tag byte that defines whether to interprete the subsequent data as opaque or OCaml fields.

(avsm: pointers to blocks actually point 4/8 bytes into it, for some efficiency reason that I cannot recall right now).

```
| size of block in words | col | tag byte | value[0] | value[1] | ...
+-----
<-either 22 or 54 bits-> <2 bit> <--8 bit-->
```

The size field records the length of the block in memory words. Note that it is limited to 22-bits on 32-bit platforms, which is the reason why OCaml strings are limited to 16MB on that architecture. If you need bigger strings, either switch to a 64-bit host, or use the Bigarray module (avsm: xref). The 2-bit color field is used by the garbage collector to keep track of its status, and is not exposed directly to OCaml programs.

Tag Color	Block Status
blue	on the free list and not currently in use
white	not reached yet, but possibly reachable
gray	reachable, but its fields have not been scanned
black	reachable, and its fields have been scanned

A block's tag byte is multi-purpose, and indicates whether the data array represents opaque bytes or fields. If a block's tag is greater than or equal to No scan tag (251), then the block's data are all opaque bytes, and are not scanned by the collector. The most common such block is the **string** type, which we describe more below.

(avsm: too much info here) If the header is zero, then the object has been forwarded as part of minor collection, and the first field points to the new location. Also, if the block is on the oldify todo list, part of the minor gc, then the second field points to the next entry on the oldify_todo_list.

The exact representation of values inside a block depends on their OCaml type. They are summarised in the table below, and then we'll examine some of them in greater detail.

OCaml Value	Representation
any int or char	directly as a value, shifted left by 1 bit, with the least significant bit set to 1

OCaml Value	Representation
unit,[],false	as OCamlint O.
true	as OCamlint 1.
Foo Bar	as ascending OCaml ints, starting from 0.
Foo Bar of int	variants with parameters are boxed, while entries with no parameters are unboxed (see below).
polymorphic variants	variable space usage depending on the number of parameters (see below).
floating point number	as a block with a single field containing the double-precision float.
string	word-aligned byte arrays that are also directly compatible with C strings.
[1; 2; 3]	as $1::2::3::[]$ where $[]$ is an int, and $h::t$ a block with tag 0 and two parameters.
tuples, records and arrays	an array of values. Arrays can be variable size, but structs and tuples are fixed size.
records or arrays, all float	special tag for unboxed arrays of floats. Doesn't apply to tuples.

Integers, characters and other basic types

Many basic types are stored directly as unboxed values at runtime. The native int type is the most obvious, although it drops a single bit of precision due to the tag bit described earlier. Other atomic types such as the unit and empty list [] value are stored as constant integers. Boolean values have a value of 0 and 1 for true and false respectively.

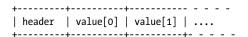


Why are OCaml integers missing a bit?

Since the lowest bit of an OCaml value is reserved, native OCaml integers have a maximum allowable length of 31- or 63-bits, depending on the host architecture. The rationale for reserving the lowest bit is for efficiency. Pointers always point to word-aligned addresses, and so their lower bits are normally zero. By setting the lower bit to a non-zero value for integers, the garbage collector can simply iterate over every header tag to distinguish integers from pointers. This reduces the garbage collection overhead on the overall program.

(avsm: explain that integer manipulation is almost as fast due to isa quirks)

Tuples, records and arrays



Tuples, records and arrays are all represented identically at runtime, with a block with tag 0. Tuples and records have constant sizes determined at compile-time, whereas arrays can be of variable length. While arrays are restricted to containing a single type of element in the OCaml type system, this is not required by the memory representation.

You can check the difference between a block and a direct integer yourself using the Obj module, which exposes the internal representation of values to OCaml code.

```
# Obj.is block (Obj.repr (1,2,3)) ;;
- : bool = true
# Obj.is block (Obj.repr 1) ;;
- : bool = false
```

The Obj.repr function retrieves the runtime representation of any OCaml value. Obj.is block checks the bottom bit to determine if the value is a block header or an unboxed integer.

Floating point numbers and arrays

Floating point numbers in OCaml are always stored as full double-precision values. Individual floating point values are stored as a block with a single field that contains the number. This block has the Double tag set which signals to the collector that the floating point value is not to be scanned.

```
# Obj.tag (Obj.repr 1.0) = Obj.double tag ;;
-: int = 253
# Obj.double tag ;;
-: int = 253
```

Since each floating-point value is boxed in a separate memory block, it can be inefficient to handle large arrays of floats in comparison to unboxed integers. OCaml therefore special-cases records or arrays that contain only float types. These are stored in a block that contains the floats packed directly in the data section, with the Double array tag set to signal to the collector that the contents are not OCaml values.

```
| header | float[0] | float[1] | ....
```

You can test this for yourself using the Obj.tag function to check that the allocated block has the expected runtime tag, and Obj.double field to retrieve a float from within the block.

```
# open Obj ;;
# tag (repr [| 1.0; 2.0; 3.0 |]) ;;
-: int = 254
# tag (repr (1.0, 2.0, 3.0) ) ;;
-: int = 0
# double field (repr [| 1.1; 2.2; 3.3 |] ) 1 ;;
- : float = 2.2
```

```
# Obj.double field (Obj.repr 1.234) 0;;
- : float = 1.234
```

Notice that float tuples are *not* optimized in the same way as float records or arrays, and so they have the usual tuple tag value of 0. Only records and arrays can have the array optimization, and only if every single field is a float.

Variants and lists

Basic variant types with no extra parameters for any of their branches are simply stored as an OCaml integer, starting with 0 for the first option and in ascending order.

```
# open Obj ;;
# type t = Apple | Orange | Pear ;;
type t = Apple | Orange | Pear
# ((magic (repr Apple)) : int) ;;
-: int = 0
# ((magic (repr Pear)) : int) ;;
-: int = 2
# is block (repr Apple) ;;
- : bool = false
```

Obj. magic unsafely forces a type cast between any two OCaml types; in this example the int type hint retrieves the runtime integer value. The Obj.is block confirms that the value isn't a more complex block, but just an OCaml int.

Variants that have parameters arguments are a little more complex. They are stored as blocks, with the value tags ascending from 0 (counting from leftmost variants with parameters). The parameters are stored as words in the block.

```
# type t = Apple | Orange of int | Pear of string | Kiwi ;;
type t = Apple | Orange of int | Pear of string | Kiwi
# is block (repr (Orange 1234)) ;;
- : bool = true
# tag (repr (Orange 1234)) ;;
-: int = 0
# tag (repr (Pear "xyz")) ;;
- : int = 1
# (magic (field (repr (Orange 1234)) 0) : int) ;;
-: int = 1234
(magic (field (repr (Pear "xyz")) 0) : string) ;;
-: string = "xyz"
```

In the above example, the Apple and Kiwi values are still stored as normal OCaml integers with values 0 and 1 respectively. The Orange and Pear values both have parameters, and are stored as blocks whose tags ascend from 0 (and so Pear has a tag of 1, as the use of Obj.tag verifies). Finally, the parameters are fields which contain OCaml values within the block, and Obj.field can be used to retrieve them.

Lists are stored with a representation that is exactly the same as if the list was written as a variant type with Head and Cons. The empty list [] is an integer 0, and subsequent blocks have tag 0 and two parameters: a block with the current value, and a pointer to the rest of the list.



Obj module considered harmful

The Obj module is an undocumented module that exposes the internals of the OCaml compiler and runtime. It is very useful for examining and understanding how your code will behave at runtime, but should never be used for production code unless you understand the implications. The module bypasses the OCaml type system, making memory corruption and segmentation faults possible.

Some theorem provers such as Coq do output code which uses **0bj** internally, but the external module signatures never expose it. Unless you too have a machine proof of correctness to accompany your use of Obj, stay away from it except for debugging!

Due to this encoding, there is a limit around 240 variants with parameters that applies to each type definition, but the only limit on the number of variants without parameters is the size of the native integer (either 31- or 63-bits). This limit arises because of the size of the tag byte, and that some of the high numbered tags are reserved.

Polymorphic variants

Polymorphic variants are more flexible than normal variants when writing code, but can be less efficient at runtime. This is because there isn't as much static compile-time information available to optimise their memory layout. This isn't always the case, however. A polymorphic variant without any parameters is stored as an unboxed integer and so only takes up one word of memory. Unlike normal variants, the integer value is determined by apply a hash function to the *name* of the variant. The hash function isn't exposed directly by the compiler, but the type conv library from Core provides an alternative implementation.

```
# #require "type_conv" ;;
# Pa type conv.hash variant "Foo" ;;
-: int = 3505894
# (Obj.magic (Obj.repr `Foo) : int) ;;
 : int = 3505894
```

The hash function is designed to give the same results on 32-bit and 64-bit architectures, so the memory representation is stable across different CPUs and host types.

Polymorphic variants use more memory space when parameters are included in the datatype constructors. Normal variants use the tag byte to encode the variant value, but this byte is insufficient to encode the hashed value for polymoprhic variants. Therefore, they must allocate a new block (with tag 0) and store the value in there instead. This means that polymorphic variants with constructors use one word of memory more than normal variant constructors.

Another inefficiency is when a polymorphic variant constructor has more than one parameter. Normal variants hold parameters as a single flat block with multiple fields for each entry, but polymorphic variants must adopt a more flexible uniform memory representation since they may be re-used in a different context. They allocate a tuple block for the parameters that is pointed to from the argument field of the variant. Thus, there are three additional words for such variants, along with an extra memory indirection due to the tuple.

String values

Strings are standard OCaml blocks with the header size defining the size of the string in machine words. The String tag (252) is higher than the No scan tag, indicating that the contents of the block are opaque to the collector. The block contents are the contents of the string, with padding bytes to align the block on a word boundary.

+	-+-			 	+	 -+-			-+
header	٠,						•	•	
+	-+-			 	+	 -+-			-+
	L	data	а			L	padd	ing	

On a 32-bit machine, the padding is calculated based on the modulo of the string length and word size to ensure the result is word-aligned. A 64-bit machine extends the potential padding up to 7 bytes instead of 3.

String length mod 4	Padding
0	00 00 00 03
1	00 00 02
2	00 01
3	00

This string representation is a clever way to ensure that the string contents are always zero-terminated by the padding word, and still compute its length efficiently without scanning the whole string. The following formula is used:

```
number of words in block * sizeof(word) - last byte of block - 1
```

The guaranteed NULL-termination comes in handy when passing a string to C, but is not relied upon to compute the length from OCaml code. Thus, OCaml strings can contain null bytes at any point within the string, but care should be taken that any C library functions can also cope with this.

Custom heap blocks

OCaml supports *custom* heap blocks via a Custom tag that let the runtime perform userdefined operations over OCaml values. A custom block lives in the OCaml heap like an ordinary block and can be of whatever size the user desires. The Custom tag (255) is higher than No_scan_tag and so cannot contain any OCaml values.

The first word of the data within the custom block is a C pointer to a struct of custom operations. The custom block cannot have pointers to OCaml blocks and is opaque to the garbage collector.

```
struct custom operations {
 char *identifier:
  void (*finalize)(value v);
 int (*compare)(value v1, value v2);
 intnat (*hash)(value v);
 void (*serialize)(value v,
                    /*out*/ uintnat * wsize_32 /*size in bytes*/,
                    /*out*/ uintnat * wsize 64 /*size in bytes*/);
 uintnat (*deserialize)(void * dst);
  int (*compare ext)(value v1, value v2);
};
```

The custom operations specify how the runtime should perform polymorphic comparison, hashing and binary marshalling. They also optionally contain a finalizer, which the runtime will call just before the block is garbage collected. This finalizer has nothing to do with ordinary OCaml finalizers, as created by Gc.finalise. (avsm: xref to GC module explanation)

When a custom block is allocated, you can also specify the proportion of "extra-heap resources" consumed by the block, which will affect the garbage collector's decision as to how much work to do in the next major slice. (avsm: elaborate on this or move to the C interface section)

Interfacing with C

Now that you understand the runtime structure of the garbage collector, interfacing with Clibraries is actually pretty simple. OCaml defines an external keyword that maps OCaml functions to a C symbol. That C function will be passed the arguments with the C value type which corresponds to the memory layout for OCaml values described earlier.

Getting started with a "Hello World" C binding

Let's define a simple "Hello World" C binding to see how this works. First create a hello.ml that contains the external declaration:

```
external hello_world: unit -> unit = "caml_hello_world"
let = hello world ()
```

If you try to compile this module now, you should receive a linker error:

```
$ ocamlopt -o hello hello.ml
Undefined symbols for architecture x86 64:
  " caml hello world", referenced from:
      .L100 in hello.o
      camlHello in hello.o
ld: symbol(s) not found for architecture x86 64
clang: error: linker command failed with exit code 1 (use -v to see invocation)
File "caml_startup", line 1:
Error: Error during linking
```

This is the system linker telling you that there is a missing caml hello world symbol that must be provided before a binary can be linked. Now create a file called hello_stubs.c which contains the C function.

```
#include <stdio.h>
#include <caml/mlvalues.h>
CAMLprim value
caml_hello_world(value v_unit)
 printf("Hello OCaml World!\n");
 return Val unit;
```

Now attempt to recompile the hello binary with the C file also included in the compiler invocation, and it should succeed:

```
$ ocamlopt -o hello hello.ml hello stubs.c
$ ./hello
Hello OCaml World!
```

The compiler uses the file extensions to determine how to compile each file. In the case of the .c extension, it passes it to the system C compiler and appends an include directory containing the OCaml runtime header files that define conversion functions toand-from OCaml values.

The mlvalues.h header is the basic header that all C bindings need. Locate it in your system by using ocamle -where to find your system OCaml installation. It defines a few important typedefs early on that should be familiar after the earlier explanations:

```
typedef intnat value;
#define Is long(x) (((x) & 1) != 0)
#define Is_block(x) (((x) & 1) == 0)
#define Val unit Val int(0)
```

The value typedef is a word that can either be an integer if Is_long is true, or a heap block if Is block is true. Our C function definition of caml hello world accepts a single parameter, and returns a value. In our simple example, all the types of parameters and returns are unit, and so we use the Val_unit macro to construct the return value.

You must be very careful that the value you return from the C function corresponds exactly to the memory representation of the types you declared earlier in the exter nal declaration of the ML file, or else heap carnage and corruption will ensure.



Activating the debug runtime

Despite your best efforts, it is easy to introduce a bug into C bindings that cause heap invariants to be violated. OCaml includes a variant of the runtime library that is compiled with debugging symbols, and includes regular memory integrity checks upon every garbage collection. Running these often will abort the program near the point of corruption and helps track it down quickly.

To use this, just recompile with -runtime-variant d set:

\$ ocamlopt -runtime-variant d -verbose -o hello hello.ml hello_stubs.c \$./hello

OCaml runtime: debug mode ### Initial minor heap size: 2048k bytes Initial major heap size: 992k bytes Initial space overhead: 80% Initial max overhead: 500% Initial heap increment: 992k bytes Initial allocation policy: 0

Hello OCaml World!

Managing external memory with Bigarrays

Bigarrays for external memory blocks

An OCaml bigarray is a useful custom block provided as standard to manipulate memory blocks outside the OCaml heap. It has Custom_tag in the header, and the first word points to the custom_operations struct for bigarrays. Following this is a caml_ba_array struct.

The data is usually a pointer to a malloc'ed chunk of memory, which the custom finalizer operation free's when the block is free. The flags field encodes three values, located in the bits as specified by three masks:

The CAML_BA_KIND_MASK bits hold a value of the caml_ba_kind enum that identifies the kind of value in the bigarray data.

```
CAML BA UINT16,
                             /* Unsigned 16-bit integers */
CAML_BA_INT32,
                             /* Signed 32-bit integers */
CAML BA INT64,
                             /* Signed 64-bit integers */
CAML BA CAML INT,
                             /* OCaml-style integers (signed 31 or 63 bits) */
                             /* Platform-native long integers (32 or 64 bits) */
CAML BA NATIVE INT,
                             /* Single-precision complex */
CAML BA COMPLEX32,
                             /* Double-precision complex */
CAML_BA_COMPLEX64,
```

The CAML BA LAYOUT MASK bit says whether multi-dimensional arrays are layed out C or Fortran style.

```
enum caml_ba_layout {
 CAML BA C LAYOUT = 0,
                                 /* Row major, indices start at 0 */
 CAML_BA_FORTRAN_LAYOUT = 0x100, /* Column major, indices start at 1 */
```

The CAML_BA_MANAGED_MASK bits hold a value of the caml_ba_managed enum that identifies whether OCaml is responsible for freeing the data or some other code is.

```
enum caml ba managed {
                               /* Data is not allocated by OCaml */
 CAML BA EXTERNAL = 0,
                              /* Data is allocated by OCaml */
 CAML BA MANAGED = 0x200,
 CAML_BA_MAPPED_FILE = 0x400, /* Data is a memory mapped file */
};
```

Inside the Runtime

(avsm: this chapter is still being chopped and changed)

Runtime Memory Management

The OCaml runtime divides the address space into memory pages of 4KB each (this is configurable by recompiling the runtime). At any given time, every page that is in use is used for a single purpose: major heap, minor heap, static data or code. The runtime guarantees this by always allocating slightly more memory than requested so that that it can choose align the memory it will actually use at the beginning of a 4KB page.

The runtime maintains a *page table* that allows it to determine the status of any virtual memory address in the operating system process. The status defines whether that address is a page in use by the OCaml runtime, and if so, which of the four purposes it is being used for.

Since the virtual memory space can be very large and sparsely used (especially on a 64-bit CPU), the page table is implemented as a hash table in which keys are page-aligned addresses and values are a single byte. The hash table is represented as an array of words, with each word being a key-value pair. The key-value pair is the bitwise or of the virtual address of the start of the page (which has zeros for its lower 12-bits due to being aligned to 4KB), and the lower 8 bits are used for the value. To look up an address, one masks out the lower 12-bits of the memory address, compute a multiplicative hash to get a table index, and then compares against the address (i.e. the key) at that index. Linear probing is used to resolve collisions.

The byte value stored is a bitwise **or** of the following status bits:

Page table status	Value	Meaning
In_heap	1	in the major heap
In_young	2	in the minor heap
<pre>In_static_data</pre>	4	in the statically allocated data segment

Page table status	Value	Meaning
In_code_area	8	in the statically allocated code segment

The page table starts with a size aiming to be between 25% and 50% full of entries, and is automatically doubled in size if it becomes half full. It is never shrunk.

Allocating on the minor heap

The minor heap is a contiguous chunk of virtual memory. Its size is set on program startup and decided by the OCAMLRUNPARAM environment variable (avsm: xref), and then only changed later by calls to Gc.set. The default size is 256k.

The range of memory usable for allocation goes from the caml young start to caml young end C variables managed by the runtime.

In a fresh minor heap, the limit will equal the start, and the current ptr will equal the end. As blocks are allocated, caml young ptr will decrease until it reaches caml young limit, at which point a minor garbage collection is triggered. To allocate a block in the minor heap, we decrement caml young ptr by the size of the block (including the header), and then set the header to a valid value. If there isn't enough space left for the block without decrementing past the limit, a minor collection is triggered.

To force a minor gc to occur, one can set the caml young limit to equal caml young end, which causes signal handlers to be run and to "urge" the runtime (avsm: elaborate on this urging business, and how to set young from within OCaml via Gc.??).

Allocating on the major heap

The major heap is a singly linked list of contiguous memory chunks, sorted in increasing order of virtual address. Each chunk is a single memory chunk allocated via malloc(3) and consists of a header and a data area which contains OCaml blocks. A pointer to a heap chunk points to the start of the data area, and access to the header is done by a negative offset from this pointer. A chunk header has:

- the address of the memory that the chunk is in, as allocated by *malloc(3)*. It is needed when the chunk is freed.
- the size in bytes of the data area

- an allocation size in bytes, used during heap compaction to merge small blocks to defragment the heap.
- a link to the next heap chunk in the list.

The chunk's data area always starts on a page boundary, and its size is a multiple of the page size (4KB). It contains a contiguous sequence of heap blocks. These can be as small as one or two 4KB pages, but are usually allocated in 1MB chunks (or 512KB on 32-bit architectures). You can modify these defaults by editing Heap chunk def in byte run/config.h and recompiling the runtime. (avsm: talk about modifying the defaults in a separate callout, as there are quite a few variables which can be tweaked)

Allocating a block on the major heap first checks the free list of blocks (see below). If there isn't enough room on the free list, the runtime expands the major heap with a fresh block that will be large enough. That block is then added to the free list, and the free list is checked again (and this time will definitely succeed).

The major heap free list

The free space in the major heap's chunks is organized as a singly linked list of OCaml blocks, ordered by increasing virtual address. The runtime has a pointer to the first block in the free list. A free list block is at least two words: a header followed by a pointer to the next free-list block. The header specifies the length of the block just as with a normal block. (avsm: I'm not sure that this is quite true. It seems from free list.c that the freelist blocks are normal OCaml blocks, with the first data entry being the next pointer. when detached, they become normal ocaml blocks)

As soon as the runtime finds a free block that is larger than the request, there are three possibilities:

- If the free block is exactly the right size, it is unlinked from the free list and returned as the requested block.
- If the free block is one word too large, it is unlinked from the free list, and the first word is given a special header recognizable to the collector as an unused word, while the rest of the block is returned as the requested block.
- If the free block is two or more words larger than the requested block, it remains in the free list, with its length shortened, and the end of the free block is returned for the requested block. Since the allocated block is right-justified within the free block, the linking of the free list doesn't need to be changed at all as the block that remains in the free list is the original one.

Memory allocation strategies

Allocating a new block in the major heap always looks in the free list. There are two allocation policies: first fit and next fit (the default).

Next-fit allocation

Next-fit allocation keeps a pointer to the block in the free list that was most recently used to satisfy a request. When a new request comes in, the allocator searches from the next block until the end of the free list, and then from the beginning of the free list up to that block.

First-fit allocation

First-fit allocation focusses on reducing memory fragmentation, at the expense of slower block allocation. For some workloads, the reduction in the frequency in heap compaction will outweigh the extra allocation cost. (avsm: example?)

The runtime maintains an ordered array of freelist chunks, called the flp array. Imagine a function mapping a block's index in the free list to its size. The flp array pointers are to the high points of this graph. That is, if you walk the free list between flp[i] and flp[i+1], you will come across blocks that have sizes at most the size of flp[i]. Furthermore this sequence of smaller-than-flp[i] blocks cannot be extended, which is equivalent to saying size(flp[i+1]) > size(flp[i]).

When allocating, we first check the flp-array. If flp[i] is not big enough for our new block, then we may as well skip to flp[i+1], because everything in the free list before then will also be too small.

If there's nothing big enough in the flp array, we extend it by walking the free list starting at the *last* pointer in the flp-array, say flp[N]. We extend the flp array along the way, so that at each block, if this block is bigger than the current last thing in flp (which is equivalent to saying this is the biggest block we've ever seen, since the blocks pointed to by the flp array are increasing in size), we add it to the end of flp. We stop this walk when we come across a block big enough to house our desired new block.

There's also the case when the flp array has its ceiling size of FLP MAX (default 100). Then we just start at the end of the flp array and walk until we find something big enough. This is known in the as a slow first-fit search, since this linear walk may take a long time.

If we did manage to find something suitable in the flp array, say at index i, we need to update flp. This update is rather complex, and the reason why first-fit allocation is slower than next-fit. We walk through the free list between flp[i-1] and flp[i] and record every high point we come across. Say we find j such points. We move the upper portion of flp (from flp[i+1] to the end) to the right by j places and insert each new high point into the array. There is a further corner case when adding in j new high points would make flp bigger than FLP MAX.

(avsm: this really needs a diagram)



Which allocation policy should I use?

(avsm: 0 is the next-fit policy, which is quite fast but can result in fragmentation. 1 is the first-fit policy, which can be slower in some cases but can be better for programs with fragmentation problems.)

Inter-generational pointers

Most incremental generational garbage collectors have to keep careful track of values pointing from old generations to younger ones. The OCaml runtime is no exception, and maintains a set of addresses in the major heap that may point into the minor heap. These addresses are not OCaml pointers, and just literal memory addresses. The runtime ensures that it never relocates values in the major heap unless this "remembered" set is empty. The set is maintained as a dynamically resized array of pointers, which is itself maintained via a collection of pointers known as the caml ref table.

```
struct caml ref table {
 value **base;
 value **end;
 value **threshold;
 value **ptr;
 value **limit;
 asize t size;
 asize t reserve;
```

The relationships of the pointers are as follows:

```
threshold
|-----|
```

An address is added to caml ref table when all of these conditions are satisfied:

- a field in a block in the major heap is mutated
- the field previously did not point to the minor heap
- the field is being changed to point into the minor heap

In that case the entry is added at caml ref table.ptr, which is then incremented. If ptr is already at limit, the table is doubled in size before adding the address.

The same address can occur in caml ref table multiple times if a block field is mutated repeatedly and alternated between pointing at the minor heap and the major heap. The field in caml ref table also may not always point into the minor heap (if it was changed after being added), since fields are never removed. The entire table is cleared as part of the minor collection process.

The write barrier

The write barrier is one of the reasons why using immutable data structures can sometimes be faster than mutable records. The OCaml compiler keeps track of any mutable types and adds a call to caml modify before making the change. The caml modify checks that the remembered set is consistent, which, although reasonably efficient, can be slower than simply allocating a fresh value on the fast minor heap.

Let's see this for ourselves with a simple test program:

```
type t1 = { mutable iters1: int; mutable count1: float }
type t2 = { iters2: int; count2: float }
let rec test mutable t1 =
 match t1.iters1 with
  |0 -> ()
  |n ->
   t1.iters1 <- t1.iters1 - 1;</pre>
    t1.count1 <- t1.count1 +. 1.0;
    test mutable t1
let rec test immutable t2 =
 match t2.iters2 with
  0 -> ()
  |n ->
   let iters2 = n - 1 in
    let count2 = t2.count2 + . 1.0 in
    test immutable { iters2; count2 }
open Printf
let time name fn arg =
 Gc.compact ();
 let w1 = Gc.((stat ()).minor collections) in
 let t1 = Unix.gettimeofday () in
 fn arg;
 let w2 = Gc.((stat ()).minor collections) in
 let t2 = Unix.gettimeofday () in
 printf "%s: %.4fs (%d minor collections)\n" name (t2 -. t1) (w2 - w1)
 let iters = 1000000000 in
 time "mutable" test mutable { iters1=iters; count1=0.0 };
 time "immutable" test_immutable { iters2=iters; count2=0.0 }
```

This program defines a type t1 that is mutable, and t2 that is immutable. The main loop iterates over both fields and runs a simple counter. It measures two things: the wallclock time that all the iterations take, and the number of minor garbage collections that occurred during the test. The results should look something like this:

```
mutable: 8.6923s (7629 minor collections)
immutable: 2.6186s (19073 minor collections)
```

Notice the space/time tradeoff here. The mutable version runs almost 4 times slower than the immutable one, but has significantly fewer garbage collection cycles. Minor collections in OCaml are very fast, and so it is often acceptable to use immutable data structures in preference to the more conventional mutable versions. On the other hand, if you only rarely mutable a value, it can be faster to take the write barrier hit and not allocate at all.

(avsm: it would be really nice to use a benchmark suite here and shorten the example. Investigate the options and edit this section)

(avsm: need to mention when a value is allocated directly into the major heap somewhere)

How garbage collection works

Collecting the minor heap

For those familiar with garbage collection terminology, here is OCaml's minor colection in one sentence. OCaml's minor collection uses copying collection with forwarding pointers, and does a depth-first traversal of the block graph using a stack represented as a linked list threaded through blocks that need to be scanned.

The goal of minor collection is to empty the minor heap by moving to the major heap every block in the minor heap that might be used in the future, and updating each pointer to a moved block to the new version of the block. A block is *live* if is reachable by starting at some root pointer into a block in the minor heap, and then following pointers in blocks. There are many different kinds of roots:

- OCaml stack(s)
- C stack(s), identified by BeginRoots or CAMLparam in C code (avsm: xref C bindings chapter)
- Global roots
- Finalized values (avsm: ?)
- Intergenerational pointers in the caml_ref_table (avsm: xref above?)

Moving a block between heaps is traditionally called *forwarding*. The OCaml runtime code uses that term as well as the term *oldify*, which is useful to understand when profiling hotspots in your code. The minor collector first visits all roots and forwards them if they point to a block in the minor heap. When a block is forwarded, the collector sets the tag of the original block to a special Forward tag (250), and the first field of the original block to point to the new block. Then, if the collector ever encounters a pointer to the original block again, it can simply update the pointer directly into the forwarded block.

Because a forwarded block might itself contain pointers, it must at some point be scanned to see if those pointers point to blocks in the minor heap, so that those blocks can also be forwarded. The collector maintains a linked list (called the oldify_todo_list) of forwarded objects that it still needs to scan. That linked list looks like:



Each value on the oldify_todo_list is marked as forwarded, and the first word points to the new block in the major heap. That new version contains the actual value header, the real first field of the value, and a link (pointer) to the next value on the oldify_todo_list, or NULL at the end of the list. Clearly this approach won't work if an value has only one field, since there will be no second field to store the link in. Values with exactly one field are never put on the oldify_todo_list; instead, the collector immediately traverses them, essentially making a tail call in the depth-first search.

Values that are known from the tag in their header to not contain pointers are simply forwarded and completely copied, and never placed on the oldify_todo_list. These tags are all greater than No scan tag and include strings and float arrays.

(avsm: note from sweeks to investigate: There is a hack for objects whose tag is For ward_tag that does some kind of path compression, or at least removal of one link, but I'm not sure what's going on.)

(avsm: I dont think we've introduced weak references yet, so this needs rearranging) At the end of the depth-first search in minor collection, the collector scans the weak-ref table, and clears any weak references that are still pointing into the minor heap. The collector then empties the weak-ref table and the minor heap.

Collecting the major heap

The major heap collections operates incrementally, as the amount of memory being tracked is a lot larger than the minor heap. The major collector can be in any of a number of phases:

- Phase_idle
- Phase_mark
 - —Subphase main: main marking phase
 - Subphase weak1: clear weak pointers
 - Subphase weak2: remove dead weak arrays, observe finalized values

- Subphase_final: initialise for the sweep phase
- Phase sweep

Marking the major heap

Marking maintains an array of gray blocks, gray vals. It uses as them as a stack, pushing on a white block that is then colored gray, and popping off a gray block when it is scanned and colored black. The gray vals array is allocated via malloc(3), and there is a pointer, gray vals cur, to the next open spot in the array.

The gray vals array initially has 2048 elements, gray vals cur starts at gray vals, and increases until it reachs gray_vals_end, at which point the gray_vals array is doubled, as long as its size (in bytes) is less than 1/2^10th of the heap size (caml stat heap size). When the gray vals is of its maximum allowed size, it isn't grown any further, and the heap is marked as impure (heap_is_pure=0), and last half of gray vals is ignored (by setting gray vals cur back to the middle of the gray vals array.

If the marking is able to complete using just the gray list, it will. Otherwise, once the gray list is emptied, the mark phase will observe that the heap is impure and initiate a backup approach to marking. In this approach it marks the heap as pure and then walks through the entire heap block by block, in increasing order of memory address. If it finds a gray block, it adds it to the gray list and does a DFS marking using the gray list as a stack in the usual way. Once the scan of the complete heap is finished, the mark phase checks again whether the heap has again become impure, and if so initiates another scan. These full-heap scans will continue until a successful scan completes without overflowing the gray list.

(avsm: I need to clarify this more, possibly a diagram too. It's not really clear what the implications of an impure heap are atm)

Sweeping unused blocks from the major heap

Compaction and defragmenting the major heap

CHAPTER 22

Performance Tuning and Profiling

Read http://janestreet.github.com/ocaml-perf-notes.html

Byte code Profiling

ocamlcp and call trace information

Native Code Profiling

gdb

requires shinwell's patch in ocaml trunk via opam

perf

requires fabrice's frame pointer patch

dtrace

requires my dtrace/instruments patch for libasmrun

CHAPTER 23

Parsing with OCamllex and OCamlyacc

TODO: talk about ulex too

Object Subtyping and Inheritance

Subtyping

Subtyping is a central concept in object-oriented programming. It governs when an object with one type A can be used in an expression that expects an object of another type B. When this is true, we say that A is a *subtype* of B. Actually, more concretely, subtyping determines when the coercion operator e :> t can be applied. This coercion works only if the expression e has some type e and e is a subtype of e.

To explore this, let's define some simple classes for geometric shapes. The generic type shape has a method to compute the area, and a square is a specific kind of shape.

```
type shape = < area : float >;;

class square w =
object (self : 'self)
  method area = self#width *. self#width
  method width = w
end;;
```

A square has a method area just like a shape, and an additional method width. Still, we expect a square to be a shape, and it is. The coercion:> must be explicit.

What are the rules for subtyping? In general, object subtyping has two general forms, called *width* and *depth* subtyping. Width subtyping means that an object type *A* is a a subtype of *B*, if *A* has all of the methods of *B*, and possibly more. A **square** is a subtype of **shape** because it implements all of the methods of **shape** (the **area** method).

The subtyping rules are purely technical, they have no relation to object semantics. We can define a class rectangle that has all of the methods of a square, so it is a subtype of square and can be used wherever a **square** is expected.

```
# class rectangle h w =
 object (self : 'self)
     inherit square w
    method area = self#width *. self#height
    method height = h
 end;;
# let square rectangle h w : square = (new rectangle h w :> square);;
val square_rectangle : float -> float -> square = <fun>
```

This may seem absurd, but this concept is expressible in all object-oriented languages. The contradiction is semantic -- we know that in the real world, not all rectangles are squares; but in the programming world, rectangles have all of the features of squares (according to our definition), so they can be used just like squares. Suffice it to say that it is usually better to avoid such apparent contradictions.

Next, let's take a seemingly tiny step forward, and start building collections of shapes. It is easy enough to define a slist of squares.

```
# let squares =
    let 1 = SList.make () in
    l#insert (new square 1.0);
    l#insert (new square 2.0);
    1;;
val squares : square slist = <obj>
```

We can also define a function to calculate the total area of a list of shapes. There is no reason to restrict this to squares, it should work for any list of shapes with type shape slist. The problem is that doing so raises some serious typing questions -- can a square slist be passed to a function that expects a shape slist? If we try it, the compiler produces a verbose error message.

```
# let total area (1 : shape slist) : float =
    let total = ref 0.0 in
    let it = l#iterator in
    while it#has value do
        total := !total +. it#get#area;
        it#next
    done;
     !total;;
val total area : shape slist -> float = <fun>
# total area squares;;
Characters 11-18:
 total_area squares;;
             ^^^^
Error: This expression has type
         square slist =
           < insert : square -> unit; is empty : bool;
```

It might seem tempting to give up at this point, especially because the subtyping is not even true -- the type square slist is not a subtype of shape slist. The problem is with the insert method. For shape slist, the insert method takes an arbitrary shape and inserts it into the list. So if we could coerce a square slist to a shape slist, then it would be possible to insert an arbitrary shape into the list, which would be an error.

Using more precise types to address subtyping problems

Still, the total_area function should be fine, in principle. It doesn't call insert, so it isn't making that error. To make it work, we need to use a more precise type that indicates we are not going to be mutating the list. We define a type readonly shape slist and confirm that we can coerce the list of squares.

```
# type readonly_shape_slist = < iterator : shape iterator >;;
type readonly_shape_slist = < iterator : shape iterator >
# (squares :> readonly_shape_slist);;
- : readonly_shape_slist = <obj>
# let total_area (1 : readonly_shape_slist) : float = ...;;
val total_area : readonly_shape_slist -> float = <fun>
# total_area (squares :> readonly_shape_slist);;
- : float = 5.
```

Why does this work, why is a square slist a subtype of readonly_shape_slist. The reasoning is in two steps. First, the easy part is width subtyping: we can drop the other methods to see that square slist is a subtype of < iterator : square iterator >. The next step is to use *depth* subtyping, which, in its general form, says that an object type < m : t1 > is a subtype of a type < m : t2> iff t1 is a subtype of t2. In other words, instead of reasoning about the number of methods in a type (the width), the number of methods is fixed, and we look within the method types themselves (the "depth").

In this particular case, depth subtyping on the iterator method requires that square iterator be a subtype of shape iterator. Expanding the type definition for the type iterator, we again invoke depth subtyping, and we need to show that the type < get : square > is a subtype of <get : shape >, which follows because square is a subtype of shape.

This reasoning may seem fairly long and complicated, but it should be pointed out that this typing *works*, and in the end the type annotations are fairly minor. In most typed object-oriented languages, the coercion would simply not be possible. For example, in C++, a STL type slist<T> is invariant in T, it is simply not possible to use

slist<square> where slist<shape> is expected (at least safely). The situation is similar in Java, although Java supports has an escape hatch that allows the program to fall back to dynamic typing. The situation in OCaml is much better; it works, it is statically checked, and the annotations are pretty simple.

Using elided types to address subtyping problems

Before we move to the next topic, there is one more thing to address. The typing we gave above, using readonly shape slist, requires that the caller perform an explicit coercion before calling the total area function. We would like to give a better type that avoids the coercion.

A solution is to use an elided type. Instead of shape, we can use the elided type < area: float; .. >. In fact, once we do this, it also becomes possible to use the slist type.

```
# let total area (l : < area : float; .. > slist) : float = ...;;
val total area : < area : float; .. > slist -> float = <fun>
# total area squares;;
- : float = 5.
```

This works, and it removes the need for explicit coercions. This type is still fairly simple, but it does have the drawback that the programmer needs to remember that the types < area : float; ..> and shape are related.

OCaml supports an abbreviation in this case, but it works only for classes, not object types. The type expression # classname is an abbreviation for an elided type containing all of the methods in the named class, and more. Since shape is an object type, we can't write #shape. However, if a class definition is available, this abbreviation can be useful. The following definition is exactly equivalent to the preceeding.

```
# class cshape = object method area = 0.0 end;;
class cshape : object method area : float end
# let total area (1 : #cshape list) : float = ...;;
val total area : #cshape slist -> float = <fun>
# total area squares;;
- : float = 5.
```

Narrowing

Narrowing, also called *down casting*, is the ability to coerce an object to one of its subtypes. For example, if we have a list of shapes shape slist, we might know (for some reason) what the actual type of each shape is. Perhaps we know that all objects in the list have type square. In this case, narrowing would allow the re-casting of the object from type shape to type square. Many languages support narrowing through dynamic type checking. For example, in Java, a coercion (Square) x is allowed if the value x has type Square or one of its subtypes; otherwise the coercion throws an exception.

Narrowing is not permitted in OCaml. Period.

Why? There are two reasonable explanations, one based on a design principle, and another technical (the technical reason is simple: it is hard to implement).

The design argument is this: narrowing violates abstraction. In fact, with a structural typing system like in OCaml, narrowing would essentially provide the ability to enumerate the methods in an object. To check whether an object obj has some method foo: int, one would attempt a coercion (obj:> < foo: int >).

More commonly, narrowing leads to poor object-oriented style. Consider the following Java code, which returns the name of a shape object.

```
String GetShapeName(Shape s) {
  if (s instanceof Square) {
    return "Square";
  } else if (s instanceof Circle) {
    return "Circle";
  } else {
    return "Other";
  }
}
```

Most programmers would consider this code to be "wrong." Instead of performing a case analysis on the type of object, it would be better to define a method to return the name of the shape. Instead of calling GetShapeName(s), we should call s.Name() instead.

However, the situation is not always so obvious. The following code checks whether an array of shapes looks like a "barbell," composed to two Circle objects separated by a Line, where the circles have the same radius.

```
boolean IsBarBell(Shape[] s) {
  return s.length == 3 && (s[0] instanceof Circle) &&
    (s[1] instanceof Line) && (s[2] instanceof Circle) &&
    ((Circle) s[0]).radius() == ((Circle) s[2]).radius();
}
```

In this case, it is much less clear how to augment the **Shape** class to support this kind of pattern analysis. It is also not obvious that object-oriented programming is well-suited for this situation. Pattern matching seems like a better fit.

Regardless, there is a solution if you find yourself in this situation, which is to augment the classes with variants. You can define a method variant that injects the actual object into a variant type.

```
type shape = < variant : repr; area : float>
and circle = < variant : repr; area : float; radius : float >
```

```
and line = < variant : repr; area : float; length : float >
and repr =
 | Circle of circle
 | Line of line;;
let is bar bell = function
 | [s1; s2; s3] ->
   (match s1#variant, s2#variant, s3#variant with
     | Circle c1, Line _, Circle c2 when c1#radius == c2#radius -> true
     | -> false)
| _ -> false;;
```

This pattern works, but it has drawbacks. In particular, the recursive type definition should make it clear that this pattern is essentially equivalent to using variants, and that objects do not provide much value here.

Binary methods

A binary method is a method that takes an object of self type. One common example is defining a method for equality.

```
# class square w =
 object (self : 'self)
   method width = w
   method area = self#width * self#width
   method equals (other : 'self) = other#width = self#width
 end;;
class square : int ->
 object ('a)
   method area : int
   method equals : 'a -> bool
   method width : int
 end
# class rectangle w h =
 object (self : 'self)
   method width = w
   method height = h
   method area = self#width * self#height
   method equals (other: 'self) = other#width = self#width && other#height = self#height
 end;;
# (new square 5)#equals (new square 5);;
- : bool = true
# (new rectangle 5 6)#equals (new rectangle 5 7);;
- : bool = false
```

This works, but there is a problem lurking here. The method equals takes an object of the exact type square or rectangle. Because of this, we can't define a common base class shape that also includes an equality method.

```
# type shape = < equals : shape -> bool; area : int >;;
# let sq = new square 5;;
```

The problem is that a square expects to be compared with a square, not an arbitrary shape; similarly for rectangle.

This problem is fundamental. Many languages solve it either with narrowing (with dynamic type checking), or by method overloading. Since OCaml has neither of these, what can we do?

One proposal we could consider is, since the problematic method is equality, why not just drop it from the base type **shape** and use polymorphic equality instead? Unfortunately, the builtin equality has very poor behavior when applied to objects.

```
# (object method area = 5 end) = (object method area = 5 end);;
- : bool = false
```

The problem here is that the builtin polymorphic equality compares the method implementations, not their return values. The method implementations (the function values that implement the methods) are different, so the equality comparison is false. There are other reasons not to use the builtin polymorphic equality, but these false negatives are a showstopper.

If we want to define equality for shapes in general, the remaining solution is to use the same approach as we described for narrowing. That is, introduce a *representation* type implemented using variants, and implement the comparison based on the representation type.

```
type shape_repr =
    | Square of int
    | Circle of int
    | Rectangle of int * int;;

type shape = < repr : shape_repr; equals : shape -> bool; area : int >;;

class square w =
    object (self : 'self)
    method width = w
    method area = self#width * self#width
    method repr = Square self#width
    method equals (other : shape) = self#repr = other#repr
end:
```

The binary method **equals** is now implemented in terms of the concrete type **shape repr**. In fact, the objects are now isomorphic to the **shape repr** type. When using

this pattern, you will not be able to hide the repr method, but you can hide the type definition using the module system.

```
module Shapes : sig
 type shape repr
 type shape = < repr : shape repr; equals : shape -> bool; area -> int >
 class square : int ->
    object
     method width : int
     method area : int
     method repr : shape repr
     method equals : shape -> bool
end = struct
 type shape repr = Square of int | Circle of int | Rectangle of int * int
end;;
```

Private methods

Methods can be declared *private*, which means that they may be called by subclasses, but they are not visible otherwise (similar to a *protected* method in C++).

To illustrate, let's build a class vector that contains an array of integers, resizing the storage array on demand. The field values contains the actual values, and the get, set, and length methods implement the array access. For clarity, the resizing operation is implemented as a private method ensure capacity that resizes the array if necessary.

```
# class vector =
 object (self : 'self)
     val mutable values : int array = [||]
     method get i = values.(i)
     method set i x =
        self#ensure capacity i;
        values.(i) \leftarrow x
     method length = Array.length values
     method private ensure capacity i =
        if self#length <= i then
           let new values = Array.create (i + 1) 0 in
           Array.blit values 0 new_values 0 (Array.length values);
           values <- new values
 end;;
# let v = new vector;;
# v#set 5 2;;
# v#get 5;;
- 2 : int
# v#ensure capacity 10;;
Characters 0-1:
```

```
v#ensure capacity 10;;
Error: This expression has type vector
       It has no method ensure capacity
```

To be precise, the method ensure capacity is part of the class type, but it is not part of the object type. This means the object v has no method ensure capacity. However, it is available to subclasses. We can extend the class, for example, to include a method swap that swaps two elements.

```
# class swappable_vector =
  object (self : 'self)
     inherit vector
     method swap i j =
        self#ensure_capacity (max i j);
        let tmp = values.(i) in
        values.(i) <- values.(j);</pre>
        values.(j) <- tmp</pre>
  end;;
```

Yet another reason for private methods is to factor the implementation and support recursion. Moving along with this example, let's build a binary heap, which is a binary tree in heap order: where the label of parent elements is smaller than the labels of its children. One efficient implementation is to use an array to represent the values, where the root is at index 0, and the children of a parent node at index i are at indexes 2 * i and 2 * i + 1. To insert a node into the tree, we add it as a leaf, and then recursively move it up the tree until we restore heap order.

```
class binary heap =
object (self: 'self)
   val values = new swappable vector
   method min =
      if values#length = 0 then
        raise (Invalid argument "heap is empty");
     values#get 0
   method add x =
     let pos = values#length in
     values#set pos x;
     self#move up pos
   method private move_up i =
     if i > 0 then
        let parent = (i - 1) / 2 in
            if values#get i < values#get parent then begin
               values#swap i parent;
               self#move up parent
            end
end;;
```

The method move_up implements the process of restoring heap order as a recursive method (though it would be straightforward avoid the recursion and use iteration here).

The key property of private methods is that they are visible to subclasses, but not anywhere else. If you want the stronger guarantee that a method is really private, not even accessible in subclasses, you can use an explicit typing that omits the method. In the following code, the move up method is explicitly omitted from the object type, and it can't be invoked in subclasses.

```
# class binary heap:
  object
    method min : int
    method add : int -> unit
 end =
 object (self : 'self) {
    method private move up i = ...
 end;;
```

Virtual classes and methods

A virtual class is a class where some methods or fields are declared, but not implemented. This should not be confused with the word "virtual" as it is used in C++. In C++, a "virtual" method uses dynamic dispatch, regular non-virtual methods use static dispatched. In OCaml, all methods use dynamic dispatch, but the keyword virtual means the method or field is not implemented.

In the previous section, we defined a class swappable vector that inherits from array vector and adds a swap method. In fact, the swap method could be defined for any object with get and set methods; it doesn't have to be the specific class array_vec tor.

One way to do this is to declare the swappable vector abstractly, declaring the methods get and set, but leaving the implementation for later. However, the swap method can be defined immediately.

```
class virtual abstract_swappable_vector =
object (self: 'self)
   method virtual get : int -> int
   method virtual set : int -> int -> unit
   method swap i j =
     let tmp = self#get i in
     self#set i (self#get j);
     self#set j tmp
end;;
```

At some future time, we may settle on a concrete implementation for the vector. We can inherit from the abstract_swappable_bvector to get the swap method "for free." Here's one implementation using arrays.

```
class array_vector =
object (self : 'self)
   inherit abstract swappable vector
   val mutable values = [||]
   method get i = values.(i)
   method set i x =
      self#ensure capacity i;
      values.(i) <- x</pre>
   method length = Array.length values
   method private ensure capacity i =
      if self#length <= i then</pre>
         let new values = Array.create (i + 1) 0 in
            Array.blit values 0 new_values 0 (Array.length values);
            values <- new values
end
```

Here's a different implementation using HashTbl.

```
class hash vector =
object (self: 'self)
   inherit abstract swappable vector
   val table = Hashtbl.create 19
   method get i =
     try Hashtbl.find table i with
        Not found -> 0
   method set = Hashtbl.add table
end;;
```

One way to view a virtual class is that it is like a functor, where the "inputs" are the declared, but not defined, virtual methods and fields. The functor application is implemented through inheritance, when virtual methods are given concrete implementations.

We've been mentioning that fields can be virtual too. Here is another implementation of the swapper, this time with direct access to the array of values.

```
class virtual abstract_swappable_array_vector =
object (self : 'self)
   val mutable virtual values : int array
   method private virtual ensure_capacity : int -> unit
   method swap i j =
      self#ensure capacity (max i j);
      let tmp = values.(i) in
      values.(i) <- values.(j);</pre>
      values.(j) <- tmp</pre>
end;;
```

This level of dependency on the implementation details is possible, but it is hard to justify the use of a virtual class -- why not just define the swap method as part of the concrete class? Virtual classes are better suited for situations where there are multiple (useful) implementations of the virtual parts. In most cases, this will be public virtual methods.

Multiple inheritance

When a class inherits from more than one superclass, it is using *multiple inheritance*. Multiple inheritance extends the variety of ways in which classes can be combined, and it can be quite useful, particularly with virtual classes. However, it can be tricky to use, particularly when the inheritance hierarchy is a graph rather than a tree, so it should be used with care.

How names are resolved

The main "trickiness" of multiple inheritance is due to naming -- what happens when a method or field with some name is defined in more than one class?

If there is one thing to remember about inheritance in OCaml, it is this: inheritance is like textual inclusion. If there is more than one definition for a name, the last definition wins. Let's look at some artificial, but illustrative, examples.

First, let's consider what happens when we define a method more than once. In the following example, the method get is defined twice; the second definition "wins," meaning that it overrides the first one.

```
# class m1 =
object (self: 'self)
   method get = 1
  method f = self#get
  method get = 2
class m1 : object method f : int method get : int end
# (new m1)#f;;
-: int = 2
```

Fields have similar behavior, though the compiler produces a warning message about the override.

```
# class m2 =
# class m2 =
  object (self: 'self)
     val x = 1
     method f = x
     val x = 2
 end;;
Characters 69-74:
```

```
val x = 2
         ^^^^
Warning 13: the instance variable x is overridden.
The behaviour changed in ocaml 3.10 (previous behaviour was hiding.)
class m2 : object val x : int method f : int end
# (new m2)#f;;
-: int = 2
```

Of course, it is unlikely that you will define two methods or two fields of the same name in the same class. However, the rules for inheritance follow the same pattern: the last definition wins. In the following definition, the inherit declaration comes last, so the method definition method get = 2 overrides the previous definition, always returning 2.

```
# class m4 = object method get = 2 end;;
# class m5 =
  object
    val mutable x = 1
    method get = x
    method set x' = x \leftarrow x'
    inherit m4
  end;;
class m5 : object val mutable x : int method get : int method set : int -> unit end
# let x = new m5;;
val x : m5 = \langle obj \rangle
# x#set 5;;
- : unit = ()
# x#get;;
-: int = 2
```

To reiterate, to understand what inheritance means, replace each inherit directive with its definition, and take the last definition of each method or field. This holds even for private methods. However, it does *not* hold for private methods that are "really" private, meaning that they have been hidden by a type constraint. In the following definitions, there are three definitions of the private method g. However, the definition of g in m8 is not overridden, because it is not part of the class type for m8.

```
# class m6 =
 object (self : 'self)
    method f1 = self#g
    method private g = 1
 end;;
class m6 : object method f1 : int method private g : int end
# class m7 =
 object (self : 'self)
    method f2 = self#g
     method private g = 2
class m7 : object method f2 : int method private g : int end
# class m8 : object method f3 : int end =
 object (self : 'self)
    method f3 = self#g
    method private g = 3
```

```
end;;
class m8 : object method f3 : int end
# class m9 =
  object (self : 'self)
     inherit m6
     inherit m7
     inherit m8
  end;;
# class m9 :
  object
    method f1 : int
    method f2 : int
    method f3 : int
    method private g : int
  end
# let x = new m9;;
val x : m9 = \langle obj \rangle
# x#f1;;
-: int = 2
# x#f3;;
-: int = 3
```

Mixins

When should you use multiple inheritance? If you ask multiple people, you're likely to get multiple (perhaps heated) answers. Some will argue that multiple inheritance is overly complicated; others will argue that inheritance is problematic in general, and one should use object composition instead. But regardless of who you talk to, you will rarely hear that multiple inheritance is great and you should use it widely.

In any case, if you're programming with objects, there's one general pattern for multiple inheritance that is both useful and reasonably simple, the *mixin* pattern. Generically, a mixin is just a virtual class that implements a feature based on another one. If you have a class that implements methods A, and you have a mixin M that provides methods B from A, then you can inherit from M -- "mixing" it in -- to get features B.

That's too abstract, so let's give an example based on collections. In Section XXX:Objecttypes, we introduced the iterator pattern, where an iterator object is used to enumerate the elements of a collection. Lots of containers can have iterators, singly-linked lists, dictionaries, vectors, etc.

```
type 'a iterator = < get : 'a; has value : bool; next : unit >;;
class ['a] slist : object ... method iterator : 'a iterator end;;
class ['a] vector : object ... method iterator : 'a iterator end;;
class ['a] deque : object ... method iterator : 'a iterator end;;
class ['a, 'b] map : object ... method iterator : 'b iterator end;;
```

The collections are different is some ways, but they share a common pattern for iteration that we can re-use. For a simple example, let's define a mixin that implements an arithmetic sum for a collection of integers.

```
# class virtual int_sum_mixin =
 object (self : 'self)
    method virtual iterator : int iterator
    method sum =
        let it = self#iterator in
        let total = ref 0 in
        while it#has value do
          total := !total + it#get;
          it#next
        done;
        !total
 end;;
# class int slist =
 object
     inherit [int] slist
    inherit int_sum_mixin
 end;;
# let 1 = new int slist;;
val 1 : int slist = <obj>
# l#insert 5;;
# l#insert 12;;
# 1#sum;;
-: int = 17
# class int deque =
     inherit [int] deque
    inherit int sum mixin
```

In this particular case, the mixin works only for a collection of integers, so we can't add the mixin to the polymorphic class definition ['a] slist itself. However, the result of using the mixin is that the integer collection has a method sum, and it is done with very little of the fuss we would need if we used object composition instead.

The mixin pattern isn't limited to non-polymorphic classes, of course. We can use it to implement generic features as well. The following mixin defines functional-style iteration in terms of the imperative iterator pattern.

```
class virtual ['a] fold mixin =
object (self : 'self)
   method virtual iterator : 'a iterator
   method fold : 'b. ('b -> 'a -> 'b) -> 'b -> 'b =
      (fun f x ->
            let y = ref x in
            let it = self#iterator in
            while it#has value do
              y := f !y it#get;
               it#next
            done;
            !y)
end;;
class ['a] slist_with_fold =
```

```
object
  inherit ['a] slist
  inherit ['a] fold_mixin
end;;
```

Installation

The easiest way to use OCaml is via the binary packages available for many operating systems. For day-to-day code development however, it's much easier to use a source-code manager that lets you modify individual libraries and automatically recompile all the dependencies.

An important difference between OCaml and scripting languages such as Python or Ruby is the static type safety that means that you can't just mix-and-match compiled libraries. Interfaces are checked when libraries are compiled, so when an interface is changed, all the dependent libraries must also be recompiled. Source-based package managers automate this process for you and make development life much easier.

To work through Real World OCaml, you'll need three major components installed:

- The OCaml compiler itself.
- The OPAM source package manager, through which we'll install several extra libraries.
- The **utop** interactive toplevel, a modern interactive toplevel with command history and tab completion.

Let's get started with how to install OCaml on various operating systems, and we'll get OPAM and utop running after that.

Getting OCaml

The OCaml compiler is available as a binary distribution on many operating systems. This is the simplest and preferred installation route, but we'll also describe how to do a manual installation as a last resort.

Mac OS X

The Homebrew (http://github.com/mxcl/homebrew) package manager has an OCaml installer, which is usually updated pretty quickly to the latest stable release. Before

installing OCaml, make sure that you have the latest XCode installed from the App Store so that a C compiler is available.

```
$ brew install ocaml
$ brew install pcre
```

The Perl-compatible Regular Expression library (PCRE) is used by the Core suite. It's not strictly needed to use OCaml, but is a commonly used library that we're installing now to save time later.

Another popular package manager on Mac OS X is MacPorts (http://macports.org), which also has an OCaml port. As with Homebrew, make sure you have XCode installed and have followed the rest of the MacPorts installation instructions, and then type in:

```
$ sudo port install ocaml
$ sudo port install ocaml-pcre
```

Debian Linux

On Debian Linux, you should install OCaml via binary packages. You'll need at least OCaml version 3.12.1 to bootstrap OPAM, which means using Debian Wheezy or greater. Don't worry about getting the absolute latest version of the compiler, as you just need one new enough to compile the OPAM package manager, after which you'll use OPAM to manage your compiler installation.

```
$ sudo apt-get install ocaml ocaml-native-compilers camlp4-extra
$ sudo apt-get install git libpcre3-dev curl build-essential m4
```

Notice that we've installed a few more packages than just the OCaml compiler here. The second command line installs enough system packages to let you build your own OCaml packages. You may find that some OCaml libraries require more system libraries (for example, libssl-dev), but we'll highlight these in the book when we introduce the library.

Fedora and Red Hat

OCaml has been included in the basic distribution since Fedora 8. To install the latest compiler, just run:

```
# yum install ocaml
# yum install pcre-devel
```

The PCRE package is used by Core and is just included here for convenience later.

Arch Linux

Arch Linux provides OCaml 4.00.1 (or later) in the standard repositories, so the easiest method of installation is using pacman:

```
$ pacman -Sy ocam1
```

Windows

Windows is not currently supported by the examples in Real World OCaml, although it is being worked on. Until that's ready, we recommend using a virtual machine running Debian Linux on your local machine.

Building from source

To install OCaml from source code, first make sure that you have a C compilation environment (usually either gcc or 11vm installed).

```
$ curl -OL https://github.com/ocaml/ocaml/archive/trunk.tar.gz
$ tar -zxvf trunk.tar.gz
$ cd ocaml-trunk
$ ./configure
$ make world world.opt
$ sudo make install
```

The final step requires administrator privilege to install in your system directory. You can also install it in your home directory by passing the prefix option to the configuration script:

\$./configure -prefix \$HOME/my-ocaml

Once the installation is completed into this custom location, you will need to add \$HOME/my-ocaml/bin to your PATH, normally by editing the ~/.bash profile file. You shouldn't really to do this unless you have special reasons, so try to install binary packages before trying a source installation.



Note to reviewers

We instruct you install the unreleased trunk version of OCaml in these instructions, as we take advantage of some recent additions to the language that simplify explanations in the book. The 4.01 release will happen before the book is released, but you may run into "bleeding edge" bugs with the trunk release. Leave a comment here if you do and we'll address them.

Getting OPAM

OPAM manages multiple simultaneous OCaml compiler and library installations, tracks library versions across upgrades, and recompiles dependencies automatically if they get out of date. It's used throughout Real World OCaml as the mechanism to retrieve and use third-party libraries.

Before installing OPAM, make sure that you have the OCaml compiler installed as described above. Once installed, the entire OPAM database is held in your home directory (normally \$HOME/.opam). If something goes wrong, just delete this .opam directory and start over from a clean slate. If youre using a beta version of OPAM, please upgrade it to at least version 1.0.0 or greater before proceeding.

Mac OS X

Source installation of OPAM will take a minute or so on a modern machine. There is a Homebrew package for the latest OPAM:

```
$ brew update
$ brew install opam
```

And on MacPorts, install it like this:

\$ sudo port install opam

Debian Linux

There are experimental binary packages available for Debian Wheezy/amd64. You should be able to use these on 64-bit Ubuntu and other derivative distributions such as Linux Mint also. Just add the following line to your /etc/apt/sources.list:

```
deb http://www.recoil.org/~avsm/ wheezy main
```

When this is done, update your packages and install OPAM. You can ignore the warning about unsigned packages, which will disappear when OPAM is upstreamed into Debian mainline.

```
# apt-get update
# apt-get install opam
```



The OPAM instructions will be simplified when integrated upstream into Debian and Fedora, which is ongoing. Until then, we're leaving source-code installation instructions here. Please leave a comment with any amended instructions you encounter

If the binary packages aren't suitable, you need to install the latest OPAM release from source. The distribution only requires the OCaml compiler to be installed, so this should be pretty straightforward. Download the latest version, which is always marked with a stable tag on the project homepage (https://github.com/OCamlPro/opam/tags).

```
$ curl -OL https://github.com/OCamlPro/opam/archive/latest.tar.gz
$ tar -zxvf latest.tar.gz
$ cd opam-latest
$ ./configure && make
$ sudo make install
```

Fedora and Red Hat

There is currently no RPM available for Fedora or Red Hat, so please install OPAM via the source code instructions for the moment.

Arch Linux

OPAM is available in the Arch User Repository (AUR) in two packages. You'll need both ocaml and the base-devel packages installed first:

- opam contains the most recent stable release, and is the recommended package.
- opam-git builds the package from the latest upstream source, and should only be used if you are looking for a specific bleeding-edge feature.

Run these commands to install the stable OPAM package:

```
$ sudo pacman -Sy base-devel
$ wget https://aur.archlinux.org/packages/op/opam/opam.tar.gz
$ tar -xvf opam.tar.gz && cd opam
$ makenkg
$ sudo pacman -U opam-_version_.pkg.tar.gz
```

Configuring the OPAM package manager

The entire OPAM package database is held in the .opam directory in your home directory, including compiler installations. On Linux and Mac OS X, this will be the ~/.opam directory. You shouldn't switch to an admin user to install packages as nothing will be installed outside of this directory. If you run into problems, just delete the whole ~/.opam directory and follow the installations instructions from the opam init stage again.

Let's begin by initialising the OPAM package database. This will require an active Internet connection, and ask you a few interactive questions at the end. It's safe to answer yes to these unless you want to manually control the configuration steps yourself as an advanced user.

```
$ opam init
<...>
=-=-= Configuring OPAM =-=-=
Do you want to update your configuration to use OPAM ? [Y/n] y
[1/4] Do you want to update your shell configuration file ? [default: ~/.profile] y
[2/4] Do you want to update your ~/.ocamlinit ? [Y/n] y
[3/4] Do you want to install the auto-complete scripts? [Y/n] y
[4/4] Do you want to install the `opam-switch-eval` script ? [Y/n] y
User configuration:
  ~/.ocamlinit is already up-to-date.
 ~/.profile is already up-to-date.
Gloabal configuration:
 Updating <root>/opam-init/init.sh
   auto-completion : [true]
   opam-switch-eval: [true]
 Updating <root>/opam-init/init.zsh
   auto-completion : [true]
    opam-switch-eval: [true]
 Updating <root>/opam-init/init.csh
    auto-completion : [true]
   opam-switch-eval: [true]
```

You only need to run this command once, and it will create the ~/.opam directory and sync with the latest package list from the online OPAM database.

When the init command finishes, you'll see some instructions about environment variables. OPAM never installs files into your system directories (which would require administrator privileges). Instead, it puts them into your home directory by default, and can output a set of shell commands which configures your shell with the right PATH variables so that packages will just work. This requires just one command:

```
$ eval `opam config -env`
```

This evaluates the results of running opam config env in your current shell, and sets the variables so that subsequent commands will use them. This only works with your current shell, and it can be automated for all future shells by adding the line to your login scripts. On Mac OS X or Debian, this is usually the ~/.bash profile file if you're using the default shell. If you've switched to another shell, it might be ~/.zshrc instead. OPAM isn't unusual in this approach; the SSH ssh-agent also works similarly, so if you're having any problems just hunt around in your configuration scripts to see how that's being invoked.

If you answered yes to the auto-complete scripts question during opam init, this should have all been set up for you. You can verify this worked by listing the available packages:

```
$ opam list
```



Note to reviewers

OPAM 1.0's always places the login commands into your ~/.profile directory, which isn't executed if your shell is bash. This has been fixed in subsequent versions, but for now you'll need to manually copy the contents of ~/.profile over to ~/.bash profile via:

\$ cat ~/.profile >> ~/.bash_profile

The most important package we need to install is Core, which is the replacement standard library that all of the examples in this book use. Before doing this, let's make sure you have exactly the right compiler version you need. We've made some minor modifications to the way the OCaml compiler displays type signatures, and the next command will install a patched 4.01.0 compiler with this functionality enabled.

\$ opam switch 4.01.0dev+trunk

This step will take about 5-10 minutes on a modern machine, and will download and install (within the ~/.opam directory) a custom OCaml compiler. OPAM supports multiple such installations, and you'll find this very useful if you ever decide to hack on the internals of the compiler itself, or you want to experiment with the latest release without sacrificing your current installation. You only need to install this compiler once, and future updates will be much faster as they only recompile libraries within the compiler installation.

The new compiler will be installed into ~/.opam/4.01.0dev+trunk and any libraries you install for it will be tracked separately from your system installation. You can have any number of compilers installed simultaneously, but only one can be active at any time. Browse through the available compilers by running opam switch list.

Finally, we're ready to install the Core libraries. Run this:

\$ opam install core core extended async

This will take about five minutes to install, and install a series of packages. OPAM figures out the dependencies you need automatically, but the three packages that really matter are:

- core is the main, well-supported Core distribution from Jane Street.
- core extended contains a number of experimental, but useful, extension libraries that are under review for inclusion in Core. We use some of these in places, but much less than Core itself.
- async is the network programming library that we use in Part II to communicate with other hosts. You can skip this for the initial installation until you get to Part II, if you prefer.

Editing Environment

There's one last tool you need before getting started on the examples. The default ocaml command gives us an interactive command-line to experiment with code without compiling it. However, it's quite a spartan experience and so we use a more modern alternative.

```
$ opam install utop
```

The utop package is an interactive command-line interface to OCaml that has tabcompletion, persistent history and integration with Emacs so that you can run it within your editing environment.

Remember from earlier that OPAM never installs files directly into your system directories, and this applies to utop too. You'll find the binary in ~/.opam/4.01.0dev+trunk/ bin. However, just typing in utop from your shell should just work, due to the opam config env step which configures your shell. Don't forget to automate this as described earlier, as it makes life much easier when developing OCaml code!

Command Line

The utop tool provides a convenient interactive toplevel, with full command history, command macros and module name completion. When you first run utop, you'll find yourself at an interactive prompt with a bar at the bottom of the screen. The bottom bar dynamically updates as you write text, and contains the possible names of modules or variables that are valid at that point in the phrase you are entering. You can press the <tab> key to complete the phrase with the first choice.

The ~/.ocamlinit file in your home directory initialises utop with common libraries and syntax extensions so you don't need to type them in every time. Now that you have Core installed, you should update it to load it every time you start utop, by adding this to it:

```
#use "topfind"
#camlp4o
#require "core.top"
#require "core extended"
#require "async"
open Core.Std
```

When you run utop with this initialization file, it should start up with Core opened and ready to use.

Editors

Emacs

TODO: Emacs users have tuareg and Typerex (http://www.typerex.org/).

To use utop directly in Emacs, add the following line to your ~/.emacs file:

```
(autoload 'utop "utop" "Toplevel for OCaml" t)
```

You also need to make the utop.el file available to your Emacs installation. The OPAM version of utop installs it into the ~/.opam hierarchy, for example in ~/.opam/system/ share/emacs/site-lisp/utop.el. You may need to replace system with your current compiler switch, such as 4.01.0dev+trunk.

Once this successfully loads in Emacs, you can run utop by executing the command utop in Emacs. There are more details instructions at the utop homepage (https://github .com/diml/utop#integration-with-emacs).

Vim

TODO: Vim users can use the built-in style, and ocaml-annot (http://github.com/avsm/ ocaml-annot) may also be useful.

Eclipse

Eclipse is a popular IDE usually used for Java development. The OCaml Development Tools (ODT) project provides equivalent IDE features for editing and compiling OCaml code, such as automatic compilation and name completion.

ODT is distributed as a set of plugins for the Eclipse IDE environment from the homepage (http://ocamldt.free.fr). You just have to copy these plugins into your Eclipse distribution in order to access the new OCaml facilities.

Packaging

The OCaml toolchain is structured much like a C compiler, with several tools that generate intermediate files and finally link against a runtime. The final outputs don't have to be just executables. Many people embed OCaml code as object files that are called from other applications, or even compile it to Javascript and other esoteric targets. Let's start by covering some of the standard OCaml tools, and then move on to some of the higher level methods for packaging and publishing your code online.

The OCaml toolchain

There are two distinct compilers for OCaml code included in the standard distribution. The first outputs bytecode that is interpreted at runtime, and the second generates fast, efficient native code directly. Both of these share the front-end type-checking logic, and only diverge when it comes to code generation.

The ocamlc bytecode compiler

The simplest code generator is the <code>ocamlc</code> compiler, which outputs bytecode that is interpreted via the <code>ocamlrun</code> runtime. The OCaml bytecode virtual machine is a stack machine (much like the Java Virtual Machine), with the exception of a single register that stores the most recent result. This provides a simple runtime model that is easy to implement or embed within other systems, but executes rather slowly due to being interpreted.

Here are some of the intermediate files generated by **ocamlc**:

Extension	Purpose
.ml	Source files for compilation unit module implementations.
.mli	Source files for compilation unit module interfaces. If missing, generated from the $\mbox{.ml}$ file.
.cmi	Compiled module interface from a corresponding .mli source file.
.cmo	Compiled bytecode object file of the module implementation.

Extension	Purpose
.cma	Library of bytecode object files packed into a single file.
.0	C source files are compiled into native object files by the system cc.

To obtain a bytecode executable, you need to compile a set of cmo object files, and then link them into an executable

The ocamlopt native code compiler

Extension	Purpose
.cmi	Compiled module interface from a corresponding <code>.mli</code> source file. (avsm: this is not compatible with the ocamle version iirc)
.0	Compiled native object file of the module implementation.
.cmx	Contains extra information for linking and cross-module optimization of the object file.
.cmxa/.a	Library of cmx and o units, stored in the cmxa and a files respectively.

The ocaml toplevel loop

The Findlib compiler frontend

Packaging applications with OASIS

ocamlbuild

Distributing applications with OPAM