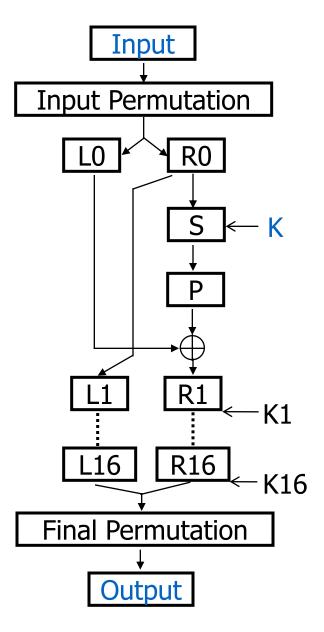
## Simple Power Analysis (SPA)

- Originally proposed by Paul Kocher, 1996
- Monitor the device's power consumption to deduce information about data and operation
- Example: SPA on DES smart cards
  - The internal structure is shown on the next slide
- Summary of DES a block cipher
  - a product cipher
  - 16 rounds iterations
    - substitutions (for confusion)
    - permutations (for diffusion)
  - Each round has a round key
    - Generated from the user-supplied key

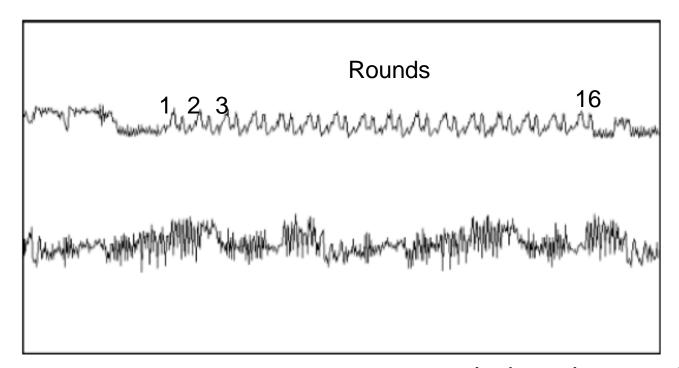


#### **DES Basic Structure**

- Input: 64 bits (a block)
- Li/Ri– left/right half (32 bits) of the input Input Permutation block for iteration i– subject to substitution S and permutation P
- K user-supplied key
- Ki round key:
  - 56 bits used +8 unused
    (unused for encryption but often used for error checking)
- Output: 64 bits (a block)
- Note: Ri becomes L(i+1)
- All basic op's are simple logical ops
  - Left shift / XOR



# SPA on DES (cont'd)



- The upper trace entire encryption, including the initial phase,
  16 DES rounds, and the final permutation
- The lower trace detailed view of the second and third rounds
- The power trace can reveal the instruction sequence

#### SPA

- SPA can be used to break cryptographic implementations (execution path, instruction, key change, etc.)
  - **DES key schedule:** Involves rotating 28-bit key registers
  - **DES permutation:** involves conditional branching
  - The DES structure and 16 rounds are known
  - Instruction flow depends on data → power signature
  - Comparison: Involves string and memory comparison operations performing a conditional branch when a mismatch is found
- SPA Countermeasure:
  - Avoid procedures that use secret intermediates or keys for conditional branching operation

### SPA for other encryption techniques

- AES is another private encryption technique that includes a data mixing step.
- RSA is a public key encryption technique that involves modulo exponents.
- Example: Modular exponentiation in DES is often implemented by square and multiply algorithm
- Then, the power trace of the exponentiation can directly yields the corresponding value
- All programs involving conditional branching based on the key values are at risk!

```
\begin{array}{ll} \textbf{exp1}(\textit{M}, \ e, \ \textit{N}) & \text{square and multiply algorithm} \\ \{ \ \textit{R} = \textit{M} \\ & \text{for } (\textit{i} = \textit{n-2} \text{ down to 0}) \\ \{ \ \textit{R} = \textit{R}^2 \text{ mod } \textit{N} \\ & \text{if } (\textit{ith bit of } e \text{ is a 1}) \\ & \textit{R} = \textit{R} \cdot \textit{M} \text{ mod } \textit{N} \ \} \\ & \text{return } \textit{R} \ \} \end{array}
```

