

# Computer Vision; Image Classification; Federated Learning

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# Communication-Efficient Learning of Deep **Networks from Decentralized Data**

#### Federated Learning

sensors on phones & tablets

- cameras - microphones - GPS

clients (local training datasets) & server

#### Federated Optimization v.s. Distributed Optimization

- Non-IID
- Unbalanced
- Massively distributed
- Limited Communication

 $K \to \text{number of clients (each with a fixed local dataset)}$ 

 $C \to \text{fraction of clients selected at random}$ 

$$\min_{w \in \mathbb{R}^d} f(w)$$
 where  $f(w) \stackrel{\text{def}}{=} \frac{1}{n} \sum_{i=1}^n f_i(w)$ 

 $f_i(w) = \ell(x_i, y_i; w) \to \text{loss of the prediction}$ 

 $\mathcal{P}_k \to \text{set of indices of data points on client } k$  $n_k = |\mathcal{P}_k|$ 

$$f(w) = \sum_{k=1}^{K} \frac{n_k}{n} F_k(w)$$
 where  $F_k(w) = \frac{1}{n_k} \sum_{i \in \mathcal{P}_k} f_i(w)$ 

 $\mathbb{E}_{\mathcal{P}_k}[F_k(w)] = f(w) \to \text{IID assumption}$ 

In federated optimization, communication costs dominate!

- 1) Increase parallelism
- 2) increase computation on each client

### The Federated Averaging Algorithm

Large-batch synchronous SGD

 $C=1 \rightarrow \text{full-batch (non-stochastic) gradient descent}$ 

 $g_k = \nabla F_k(w_t) \to \text{computed by each client } k$   $w_{t+1} \leftarrow w_t - \eta \sum_{k=1}^K \frac{n_k}{n} g_k$ Equivalently  $\nabla f(w_t)$ 

$$\nabla f(w_t)$$

$$w_{t+1}^k \leftarrow w_t - \eta g_k, \forall k$$

$$w_{t+1}^{k} \leftarrow w_t - \eta g_k, \forall k$$

$$w_{t+1} \leftarrow \sum_{k=1}^{K} \frac{n_k}{n} w_{t+1}^{k}$$

Iterate the local update multiple times!

Algorithm 1 Federated Averaging. The K clients are indexed by k; B is the local minibatch size, E is the number of local epochs, and  $\eta$  is the learning rate.

#### **Server executes:**

initialize  $w_0$ 

for each round  $t = 1, 2, \dots$  do

 $m \leftarrow \max(C \cdot K, 1)$ 

 $S_t \leftarrow \text{(random set of } m \text{ clients)}$ 

for each client  $k \in S_t$  in parallel do

 $w_{t+1}^k \leftarrow \text{ClientUpdate}(k, w_t)$ 

$$w_{t+1} \leftarrow \sum_{k=1}^{K} \frac{n_k}{n} w_{t+1}^k$$

ClientUpdate(k, w): // Run on client k

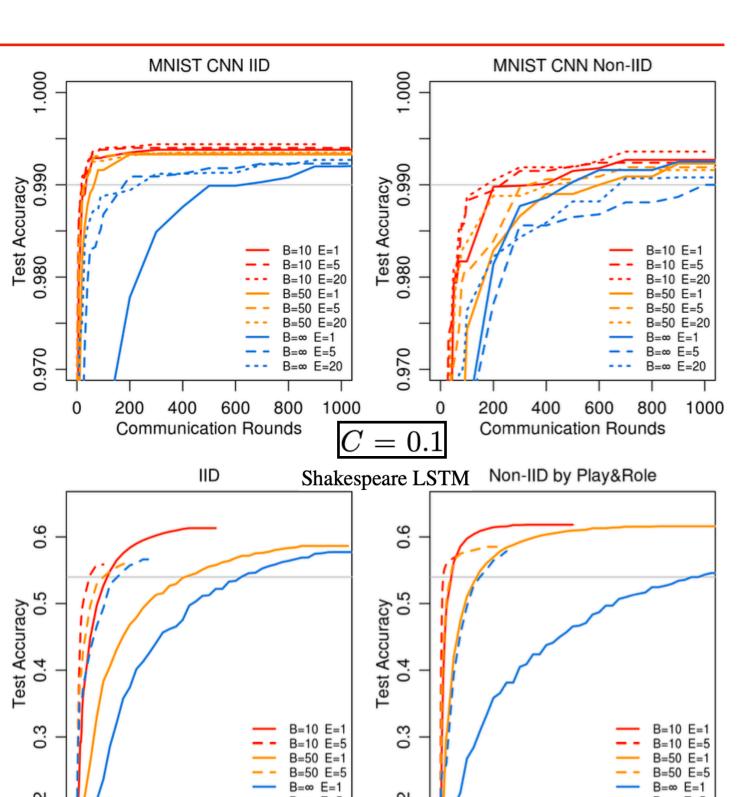
 $\mathcal{B} \leftarrow (\text{split } \mathcal{P}_k \text{ into batches of size } B)$ 

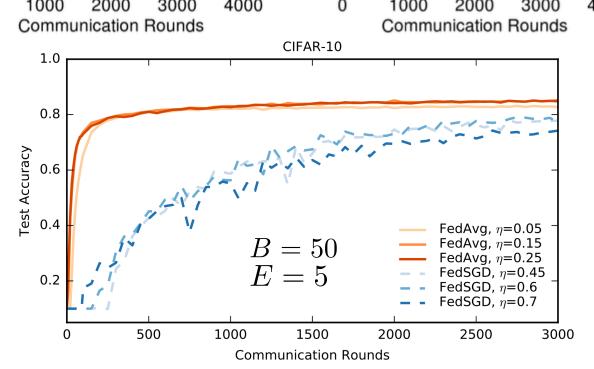
for each local epoch i from 1 to E do

for batch  $b \in \mathcal{B}$  do

$$w \leftarrow w - \eta \nabla \ell(w; b)$$

return w to server





McMahan, Brendan, et al. "Communication-efficient learning of deep networks from decentralized data." Artificial Intelligence and Statistics. PMLR, 2017.



### **Questions?**