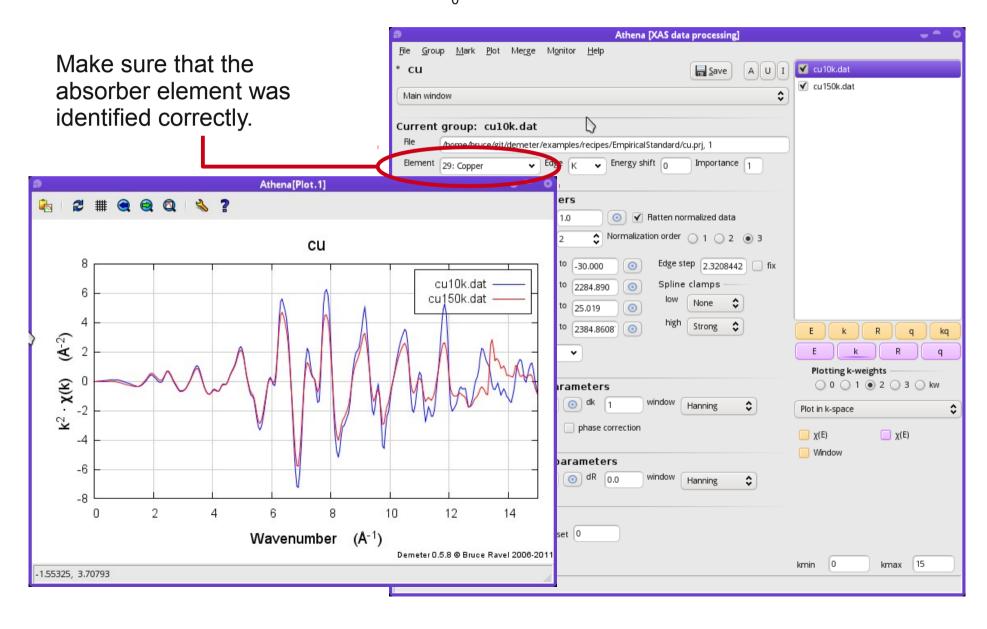
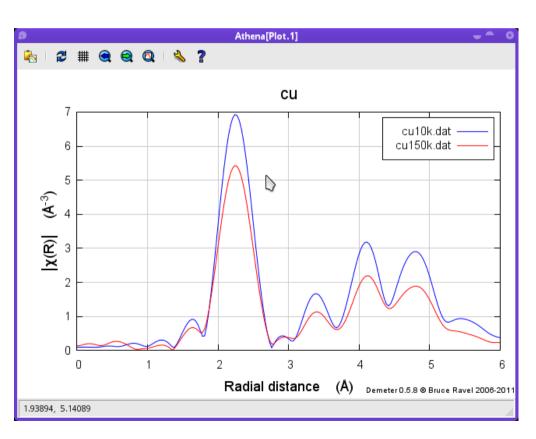
## Using Empirical Standards in Demeter

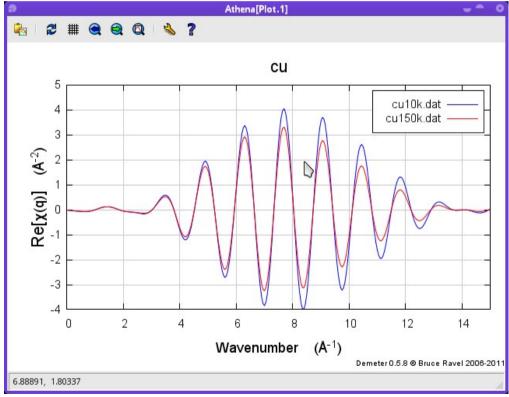
This demonstration uses copper data at 10 K and 150 K. The data is in an Athena project file that comes with the Demeter source code or can be found at github at the URL below.

Here is the copper data imported into Athena. Because the 150K data has that wonky bit at 13 A<sup>-1</sup>, I have made the forward transform range [3:12]. The back transform range is [1.7:2.8], i.e. around the first peak in R. Take care to align your data and to make each data group's E<sub>0</sub> the same.



Here are the data plotted in R and q.



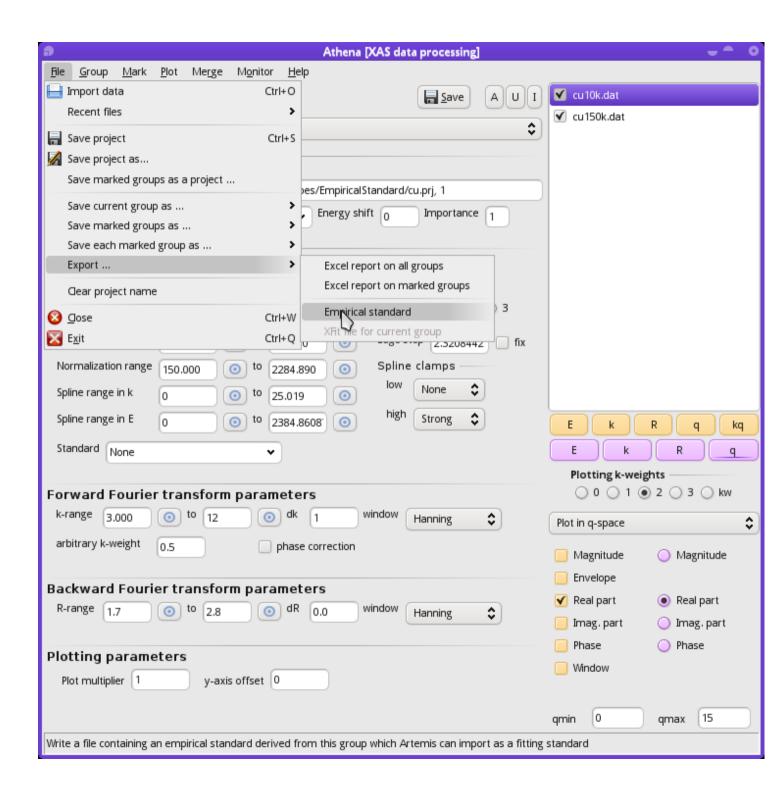


Select the "standard" (in this case, the lower temperature data) in the group list.

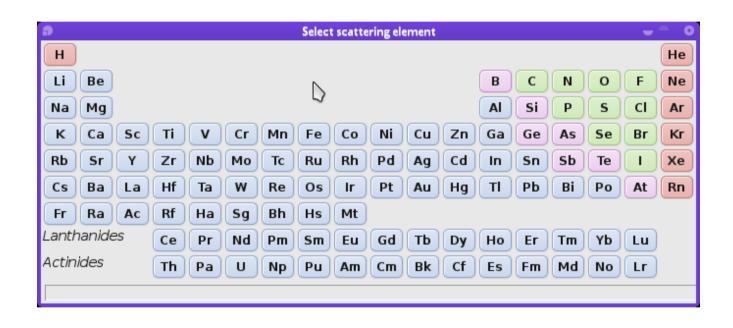
Export an empirical standard by digging down through the "File" menu.

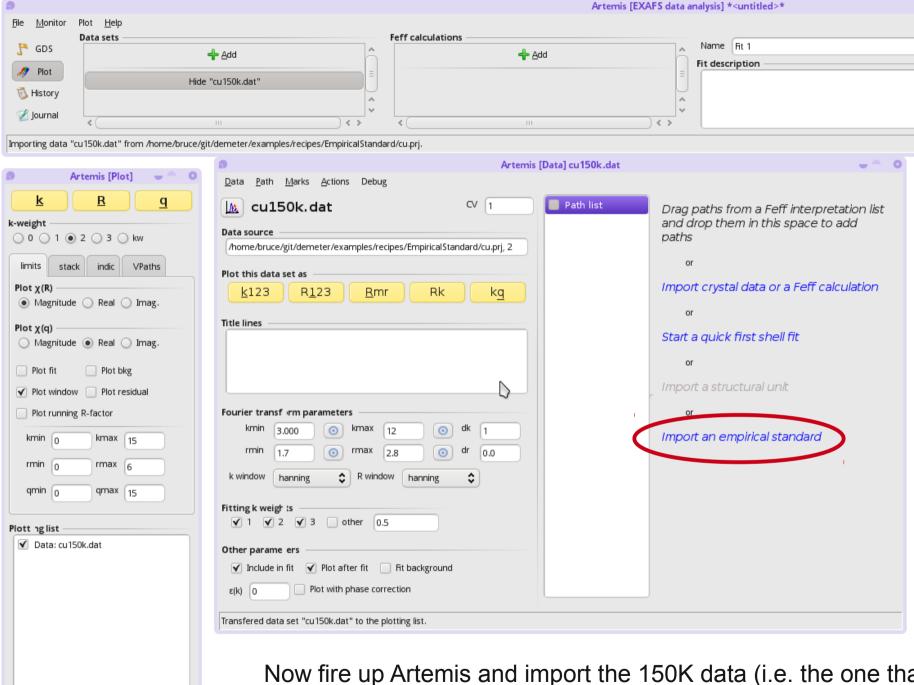
This will prompt you for a file name. The default file is the name of the data group with ".es" as the extension.

You will then be prompted....



... for the species of the scattering element. Athena has no way of knowing this, so you have to provide this information. In this case, you would click on Cu since this is copper metal.





<u>F</u>reeze

<u> ∕⁄k (</u>]ear

Save next plot to a file.

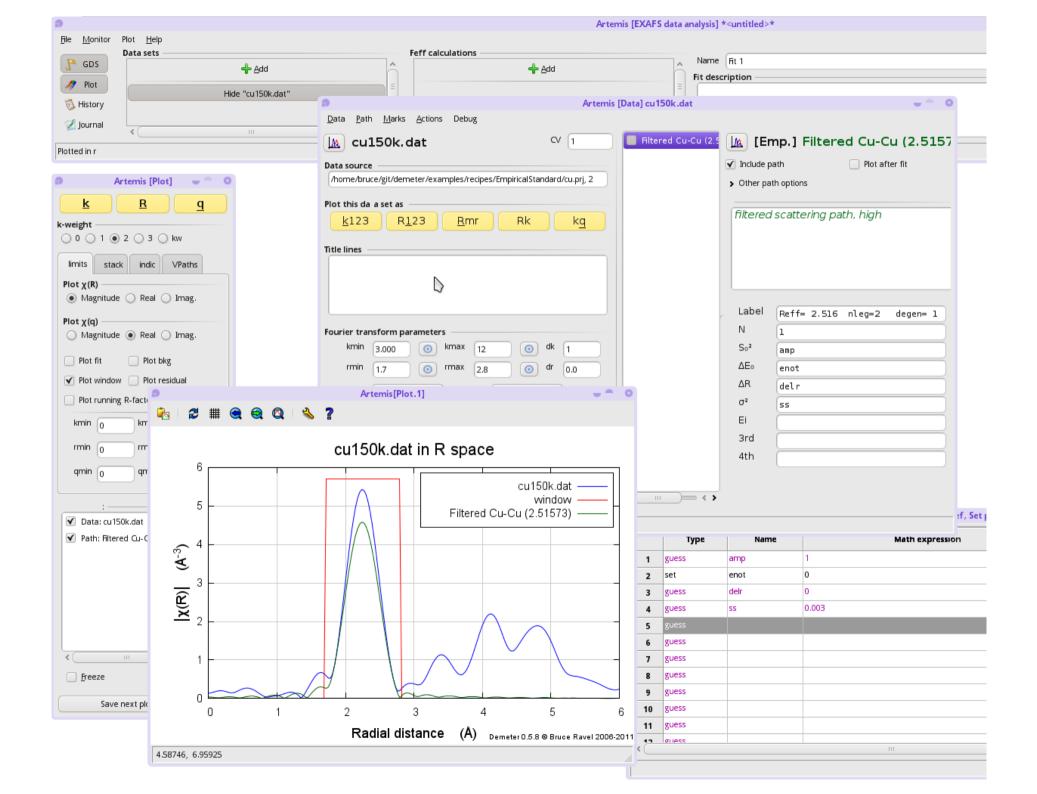
Now fire up Artemis and import the 150K data (i.e. the one that is not the standard). Then click the active text that says "import an empirical standard". You will be prompted to import the ".es" file you just made with Athena.

Once the empirical standard is imported, it will be displayed just like any path. You can tell it is an empirical standard because its label contains the token "[Emp.]".

Here I have set up a 4-parameter fit typical for a first shell fit, except that I have set the  $E_0$  parameter to 0. The amplitude,  $\sigma^2$ , and  $\Delta r$  are guess parameters.

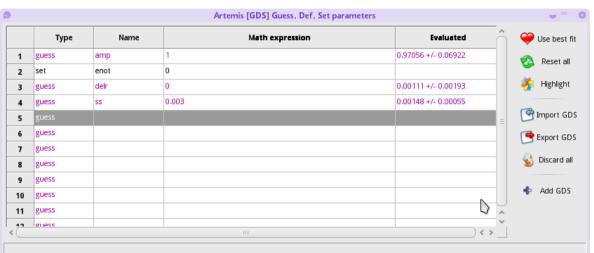
In the plot, I show the 150K data in R along with the empirical standard taken from the 10K data. The initial guess of  $\sigma^2$ =0.003 is clearly a bit too large.

I am now ready to hit the Fit button.



# Cu150k.dat in R space Cu150k.dat in R space

### Here is the fit performed in R and plotted in R



### Artemis[Plot.1] cu150k.dat in q space cul150k.dat window 3 $Re[\chi(q)] (A^{-2})$ -3 -4 2 6 8 10 12 0 14 4 Wavenumber (A-1) Demeter 0.5.8 @ Bruce Ravel 2006-2011 0.902152, 6.21575

## Here is the fit performed in q and plotted in q

	Type	Name	Math expression	Evaluated	🧡 Use best
ı	guess	amp	1	0.97053 +/- 0.04292	Reset a
2	set	enot	0		West a
	guess	delr	0	0.00102 +/- 0.00115	🤻 Highligh
ı	guess	SS	0.003	0.00150 +/- 0.00034	
;	guess			=	Import G
,	guess				Export G
,	guess				
3	guess				S Discard
)	guess				
0	guess				♣ Add GD
1	guess			^	
2	on inco		III	\ \ \ \ \ \ \ \ \ \ \ \ \ \ \ \ \ \ \	

The results fitting in R or q are pretty similar, which is reassuring.

The value for the amplitude is consistent with and close to 1, which is should be since the copper metal is 12-fold coordinate at both temperatures.

The value for  $\Delta \sigma^2$  is 0.0015(3), which seems reasonable for this temperature range.

The value for  $\Delta R$  fitted in q space is 0.001(1). Fitted in R space, the uncertainty is 0.002. That's kind of interesting. In either case, the uncertainty in R is smaller than for a Feff-based fit for a number of reasons. Probably the most significant is that both standard and data are of excellent quality. Were the data the sort of marginal data that comes from most research problems on difficult materials, the effects of statistical and systematic noise would be much more dramatic. Also relevant top small uncertainty is that this fitting problem has been contrived (by virtue of careful alignment and choice of  $E_0$  back in Athena) to remove  $\Delta E_0$  from the problem. By removing the parameter most correlated with  $\Delta R$ , we significantly reduces the uncertainty in  $\Delta R$ .

I would not interpret all of this to mean that use of empirical standards is superior to the use of Feff. In the specific case where the first coordination shell is of known contents and can be well isolated from higher shells and where you are confident that your unknown is identical to your standard except for small changes in N, R, or  $\sigma^2$ , then empirical standards are a useful tool for your EXAFS toolbox.