## In[1]:= Remove["Global`\*"]

Please see

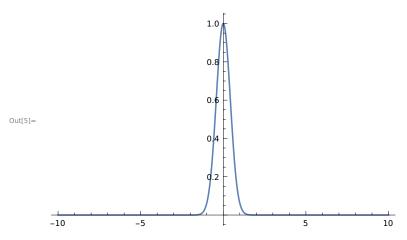
 $http://www.sci.utah.edu/\sim gerig/CS7960-S2010/handouts/04\%20 Gaussian\%20 derivatives.pdf and$ 

 $http://www.cse.yorku.ca/{\sim}kosta/CompVis\_Notes/fourier\_transform\_Gaussian.pdf$ 

$$ln[3]:=$$
 gaussian[x\_, sigma\_] := Exp[-x^2 / (2 \* sigma^2)]

normalizedGaussian [x\_, sigma\_] = Evaluate[gaussian[x, sigma]/gaussian[0, sigma]] Plot[Evaluate[normalizedGaussian[x, 1.0/2.355]],  $\{x, -10, 10\}$ , PlotRange  $\rightarrow$  All] normalizedGaussian[0.5, 1.0/2.355]





 $\mathsf{Out[6]} = \phantom{-} 0.499947$ 

In[7]:=

In[8]:= **order = 1** 

gaussianderivative [x\_, sigma\_] := Evaluate [D[gaussian[x, sigma], {x, order}]] 
maxValue[sigma\_] := Solve[{Evaluate[D[gaussianderivative [x, sigma], {x, 1}]] == 0}, {x}] 
normalizedGaussianDerivative [x\_, sigma\_] := 
gaussianderivative [x, sigma]/(-gaussianderivative [x, sigma]/. maxValue[sigma][[1]])

## Evaluate[Simplify[normalizedGaussianDerivative [x, sigma]]]

Out[8]=

Out[12]= 
$$\frac{e^{\frac{1}{2} - \frac{x^2}{2 \operatorname{sigma}^2}} \times}{\operatorname{sigma}}$$

Maxima of a gaussian derivative is  $Solve[\{Evaluate[D[gaussian[x,sigma],\{x,2\}]]==0\},\{x\}],\\ in this case maximum is sigma.$ 

Out[62]= 
$$\{\{x \rightarrow -sigma\}, \{x \rightarrow sigma\}\}$$

In[13]:=

In[14]:= Plot[Evaluate[normalizedGaussianDerivative [x, 1.0 / 2.355]], {x, -10, 10}, PlotRange  $\rightarrow$  All]

