# Ch 16 Sound

**Key words:** sound waves; pressure waves; intensity; decibels (dB); sound level  $\beta$ ; resonance; vibrating strings, open/closed tube; fundamental frequency (n = 1), resonant frequencies; harmonics & overtones; interference; Doppler effect

Note: MasteringPhysics Homework (Ch 16+31) is due Monday (4/19) @11:59pm

## Objective:

Solve a problem involving sound level  $\beta$  and intensity I

- $\square$  By applying the **logarithmic relationship** between the two variables.
- $\square$  By manipulating the equation using **log properties**.

Solve a problem involving the **Doppler Effect** 

 $\square$  By considering the motion of the **source of sound** and the **observer**.

Content Review: [10mins]

Sound Level  $\beta$ 

■ The **sound level**  $\beta$  of any sound is given by

$$\beta = 10 \log \frac{I}{I_0}$$
 measured in decibels (dB)

where I is the **intensity of the sound** and  $I_0$  is the **reference intensity** (typically the human threshold of hearing  $I_0 = 1 \times 10^{-12} \, \text{W/m}^2$ 

 $\blacksquare$  The **intensity** I is inversely proportional to the distance squared

$$I \propto \frac{1}{r^2}$$

■ If there is more than one source of sound, then the total intensity is stacked linearly. In other words, if one source of sound has intensity I, then n identical sources would have total intensity  $I_{\text{net}} = n I$ 

Doppler Effect

- The **Doppler Effect** is the result of the spatial distortion of sound waves due to a moving source and/or a moving observer.
  - $\Box$  This effect is the stretching/compressing of the spacing between wave peaks, resulting in a lower/higher perceived frequency.
- Rule of Thumb:

decreasing distance b/w source & observer  $\longrightarrow$  higher observed frequency and vice versa: increasing distance  $\longrightarrow$  lower observed frequency

■ The **observed frequency**  $f_{obs}$  is given by

$$f_{
m obs} = \left[rac{v \pm v_{
m obs}}{v \mp v_{
m src}}
ight] f_{
m src} \qquad {
m where} \,\, f_{
m src} \,\, {
m is} \,\, {
m the} \,\, {
m source} \,\, {
m frequency}$$

The **sign** ( $\pm$ ) of the velocities  $v_{\rm obs}$  and  $v_{\rm src}$  can be determined *qualitatively* based on our **Rule of Thumb** mentioned above, looking at the relative motion of the source and observer.

Guided Practice [10mins]

### Two Firecrackers

If two firecrackers simultaneously produced a sound level of  $95\,\mathrm{dB}$  when fired simultaneously at a certain place, what would the sound level be if only one exploded?

### Solution

 $\beta=92\,\mathrm{dB}$  for a single firecracker.

# Group Activity [10mins]

## Standing Near Concert Speaker

At a rock concert, a dB meter registered  $130\,\mathrm{dB}$  when placed  $2.2\,\mathrm{m}$  in front of a loudspeaker on the stage.

■ How far away would you have to stand so that the sound level will be a tolerable 85 dB? Cool fact: the pain threshold of human hearing is around 130 dB

#### Solution

 $r = 390 \,\mathrm{m}$ 

Group Activity [10mins]

## Moving Firetruck Siren

A firetruck sounding a siren with a frequency of  $1280\,\mathrm{Hz}$  is traveling at  $120.0\,\mathrm{km/h}$ .

(a) What frequencies does a (stationary) observer standing next to the road hear as the firetruck approaches and as it recedes?

(b) What frequencies does an observer sitting in a car moving at  $90\,\mathrm{km/h}$  in the the opposite direction hear before and after passing the firetruck?

### Solution

(a) 
$$f_{\text{towards}} = 1420 \,\text{Hz}, \qquad f_{\text{away}} = 1170 \,\text{Hz}$$

(b) 
$$f_{\text{towards}} = 1520 \,\text{Hz}, \qquad f_{\text{away}} = 1080 \,\text{Hz}$$