

# Problem H

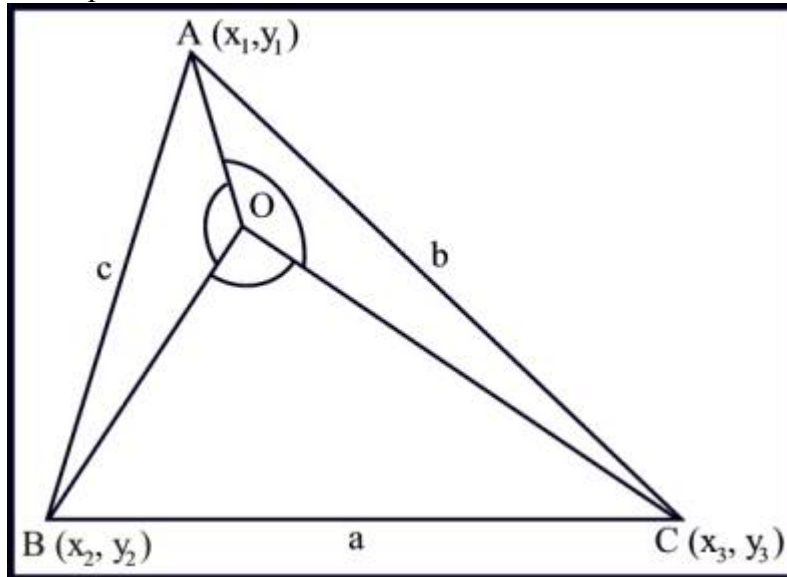
## Find the Point

**Input:** standard input

**Output:** standard output

**Time Limit:** 2 seconds

In the picture below you can see a triangle **ABC**. A point **O** is inside the triangle **ABC**. Given the angles **AOB**, **BOC** and **COA** and the coordinates of point **A** ( $x_1, y_1$ ), **B** ( $x_2, y_2$ ) and **C** ( $x_3, y_3$ ) your task is to find the coordinate of point **O**.



## Input

The input file contains less than **1001** sets of input. The description of each set of input is given below:

Each set of input is expanded in two lines. First line contains six integers  $x_1, y_1, x_2, y_2, x_3, y_3$  ( $-200 \leq x_1, y_1, x_2, y_2, x_3, y_3 \leq 200$ ). The meanings of these integers are given in the problem statement and picture above. The second line contains three integers, which denotes the values of angles **AOB**, **BOC** and **COA** respectively in degree.

There will be no such input where **A**, **B** and **C** are collinear. Point **A**, **B** and **C** are always different. Input is terminated by a set where **A**, **B**, **C** are all at the origin. Of course this case should not be processed. In this problem if two values differ by less than  $1e-8$  then they are equal.

## Output

For each set of input you should produce two lines of output. First line contains the serial of output as shown in the output for sample input. The next line should contain two floating-point numbers  $O_x$  and  $O_y$ , which denotes the abscissa and ordinate of point **O** respectively. These floating-point numbers should have six digits after the decimal point. If there is no such point **O** strictly inside the triangle print a line **“IMPOSSIBLE”** instead. Errors less than  $2e-6$  will be ignored.

## Sample Input

10 10 20 20 5 8
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## Output for Sample Input

Case 1:
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100 200 200	IMPOSSIBLE
0 0 10 0 5 5	Case 2:
120 120 120	5.000000 2.886751
0 0 0 0 0 0	
100 100 160	

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**Special thanks to Derek Kisman, Member of Elite Problem Setters' Panel**