



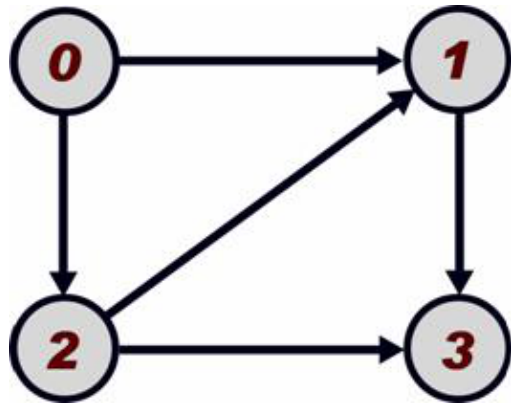
## 4411 - Addition-Subtraction Game

Asia - Kuala Lumpur - 2008/2009

You and your friend are playing a 2 player game. The game is played in a graph of  $V$  vertices. The vertices are numbered from  $0$  to  $V-1$ . The graph has some directed edges. But the graph does not contain any cycles or loops. The rule of the game is as follows.

1. Initially vertex  $i$  has a positive value  $value_i$
2. Both players make their moves by turns. In his turn the player chooses a vertex with the following properties.
  - The value of the vertex is strictly positive.
  - The vertex has one or more outgoing edges.

If there is no such vertex the player loses and the game terminates.



3. If the player can select a vertex the player will decrease the value of the selected vertex  $i$  by  $1$ . Then from the set of vertices which have an incoming edge from vertex  $i$ , the player will select  $K_i$  (this value will be given as input) vertices and increase the value of those vertices by  $1$ . Among these selected  $K_i$  vertices there can be duplicated vertices. And if a vertex is selected  $n$  times its value will be increased by  $1$  every time. Or in another word its value will be increased by  $n$ . For example if the  $K_i=6$  and the selected vertex set is  $\{2,2,2,3,3,5\}$  then  $value_2$  will be increased by  $3$ ,  $value_3$  will be increased by  $2$  and  $value_5$  will be increased by  $1$ .

Now consider the graph on the right.

Let the values of  $K$  be  $\{2,1,3,2\}$ .

Now the value set  $\{0,0,0,5\}$  is a losing terminating position because the player cannot select any vertex which have outgoing edges and positive values.

For the value set  $\{3,4,5,6\}$  the current player can go to the following value states by  $1$  move.

- $\{2,5,6,6\}$  select the vertex  $0$ , decrease its value by  $1$ . And increase both of  $1$  and  $2$  by  $1$ . Here  $K_0=2$ .
- $\{2,6,5,6\}$  select the vertex  $0$ , decrease its value by  $1$  and increase its adjacent  $1$  by  $2$ . Here  $K_0=2$ .

- {2,4,7,6} select the vertex 0, decrease its value by 1 and increase its adjacent 2 by 2. Here  $K_0=2$ .
- {3,3,5,7} select the vertex 1, decrease its value by 1 and increase its adjacent 3 by 1. Here  $K_1=1$ .
- {3,7,4,6} select the vertex 2, decrease its value by 1 and increase its adjacent 1 by 3. Here  $K_2=3$ .
- {3,5,4,8} select the vertex 2, decrease its value by 1 and increase its adjacent 1 by 1 and 3 by 2. Here  $K_2=3$ .
- {3,6,4,7} select the vertex 2, decrease its value by 1 and increase its adjacent 1 by 2 and 3 by 1. Here  $K_2=3$ .
- {3,4,4,9} select the vertex 2, decrease its value by 1 and increase its adjacent 3 by 3. Here  $K_2=3$ .

Now given the graph and initial values of each of the vertices your task is to determine if the first player wins or loses given that both players play perfectly.

### Input

Input contains multiple number of test cases. First line contains  $T(1 \leq T \leq 20)$  the number of test cases. Each test case starts with a line  $V(2 \leq V \leq 100)$  and  $E(2 \leq E \leq 1500)$ .  $V$  is the number of vertices and  $E$  is the number of edges. Each of the next  $E$  lines contains 2 integers **FROM** ( $0 \leq \text{FROM} < V$ ) and **TO** ( $0 \leq \text{TO} < V$ ) denoting that there is a directed edge from **FROM** to **TO**. **FROM** and **TO** will not be equal. **Also each vertex will have at most 15 outgoing edges**. Next line contains  $V$  integers  $K_0, K_1, \dots, K_{V-1}$ . Each of the value of  $K$  is between 1 and 100 inclusive. Next line contains  $R(1 \leq R \leq 100)$  the number of rounds. There will be  $R$  round of game with this graph. Each of the next  $R$  lines contains the description of each round. Each round consists of  $V$  integers  $\text{Value}_0 \text{Value}_1 \dots \text{Value}_{V-1}$  denoting the initial value of each vertex. Each of these  $\text{Value}_i$  will be between 1 and 100 inclusive.

### Output

For each test case output consist of  $R+1$  lines. First line is **Game#i:** where  $i$  is the game number. Game number starts from 1. Each of the next  $R$  lines contains **Round#j: RESULT** where  $j$  is the number of round. **RESULT** is either **WINNING** when the initial values of this round is a winning position for the first player or **LOSING** when the initial values of this round is a losing position for the first player. We will assume that both players play perfectly. Print a blank line after the output of each test case. See the output for sample input for more clarification.

## Sample Input

2  
3 3  
1 0

## Output for Sample

Game#1:  
Round#1: LOSING  
Round#2: WINNING

2 0	Round#3: WINNING
1 2	Round#4: WINNING
0 2 2	Round#5: LOSING
5	
3 0 0	Game#2:
4 1 0	Round#1: LOSING
5 0 1	Round#2: LOSING
1 1 1	Round#3: WINNING
2 2 2	Round#4: WINNING
4 3	Round#5: LOSING
0 1	
1 2	
2 3	
3 2 1 0	
5	
0 0 0 0	
0 0 0 1	
0 0 1 0	
0 1 0 0	
1 0 0 0	

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Problem setter: Abdullah al Mahmud, Special Thanks: Rujia Liu

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**Special Thanks:** Rujia Liu