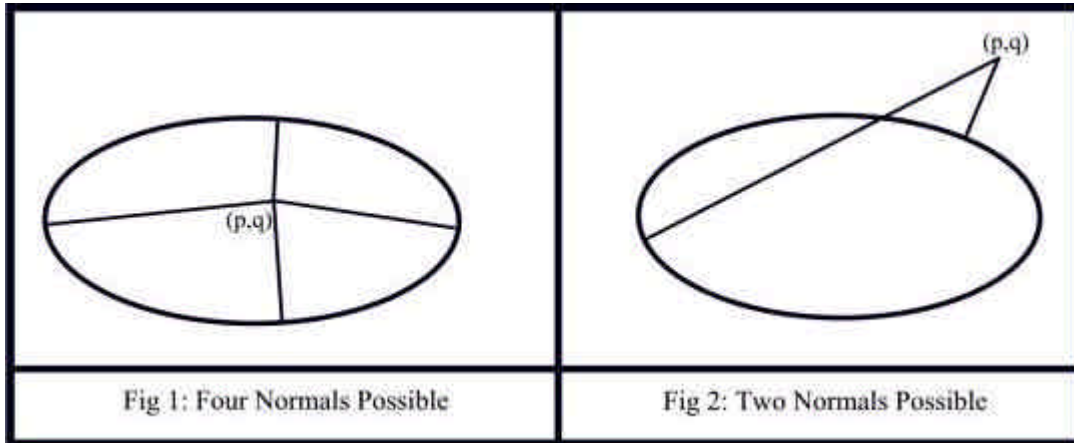


Problem I

Normals

Input: Standard Input
Output: Standard Output
Time Limit: 2 Seconds

Think of a very simple ellipse whose center is the origin and axes are along x-axis and y-axis. (p, q) is an arbitrary point. From (p, q) you can draw at most four normals on the ellipse as shown in the pictures below. Given a scenario your job is to determine all the points on the ellipse where the normals can be drawn (In the first figure four and in the second figure two).



Input

The input file contains less than **50** lines of inputs. Each line contains four integers **a, b, p, q**. Here **a** is half of the length of the axis of the ellipse along x-axis and **b** is half of the length of the axis of the ellipse along y-axis and (p, q) is the point from where the normals are to be drawn. Note that $0 < a, b \leq 300$, $0 \leq |p|, |q| \leq 300$, **a, b** are never equal and **p** is never on the ellipse. Input is terminated by a case whose value of **a** < 0 . This case should not be processed.

Output

For each line of input produce three to five lines of outputs. The first line is the serial number of the input. Each of the next lines (Maximum four) contain coordinate of one point. These points are the coordinates of points on the ellipse where the normals can be drawn. These points should be ordered in ascending order of x-axis and then in ascending order of y-axis. All these points should be different. Two points are considered same when their distance is less than 10^{-5} . All printed numbers should have five digits after the decimal point. Errors less than 10^{-5} will be ignored.

Sample Input Output for Sample Input Comment

100 50 10 10	Case 1:	The first Figure corresponds to the first sample input/output and the second figure corresponds to the second sample input/output.
100 50 80 80	-99.82691 -2.94058	
-1 10 10 10	12.49383 49.60823	
	14.29631 -49.48640	
	99.70343 -3.84791	
	Case 2:	
	-96.72990 -12.68194	
	63.18715 38.75366	

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