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# As Long as I Learn, I Live

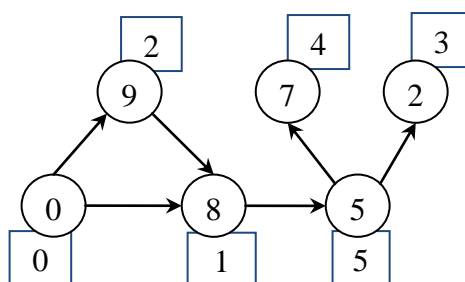
Input: Standard Input

Output: Standard Output



What makes problem solving so interesting? What makes it challenging? Why we put so much effort on it but never get bored? For us (problem-setters), it's like 'As long as I learn, I live!' We learn so many beautiful things, we find great ideas and techniques and there is no end to it.

In this problem, you are given a person's life stages in graph form. There are  $n$  nodes in the graph. Nodes represent stages, numbered from  $0$  to  $n-1$ , and edges represents that he can move from one stage to another.  $0^{\text{th}}$  node is the node where he starts his journey. You may have guessed; there will be no cycles in the graph (no one can back to past!).



In each node, a value  $x$  is attached, it means he will learn  $x$  units, if he comes into this node. For example, the graph in the picture represents a person's life stages. The circles present nodes, the value in a circle represents that it will be gained if the person comes into this node. The numbers in rectangular boxes represents the node ids. If the person reaches the  $1^{\text{st}}$  node he will learn 8 added units, if he reaches  $4^{\text{th}}$  node, he will learn 7 added units.

As in real life, no one knows the future, but can predict some common things in near future. If the person is in node  $u$ , he only knows the nodes that have an **edge** from  $u$ . The person wants to learn more, that's why, he always takes the stage that looks better, i.e. has maximum value. So, if he is in node 0, he only knows the learning units in node 1 and 2, but doesn't know about nodes 3, 4, or 5. He will prefer node 2 over node 1 (because node 2 will give him 9 learning units). He continues journey in this method. He can finish at any stage, but will try to learn more. You can assume that the graph is given such that from any node, the next node can be picked deterministically i.e. from any node  $u$ , there will be **exactly one** node  $v$  which has the maximum value and there is an edge from  $u$  to  $v$ .

## Input

Input starts with an integer  $T$  ( $\leq 100$ ), denoting the number of test cases.

Each case starts with a blank line. Next line contains two integers  $n$  ( $2 \leq n \leq 100$ ) and  $m$  ( $n-1 \leq m \leq n*(n-1)/2$ ),  $n$  denotes the number of nodes in the graph and  $m$  denotes the number of edges in the graph. The next line contains  $n$  space separated integers denoting the learning units in the nodes respectively. The values will be between  $1$  and  $1000$  (inclusive) except the  $0^{\text{th}}$  node will have a value  $0$ . Each of the next  $m$  lines contains two integers  $u$   $v$  ( $0 \leq u, v < n$ ,  $u \neq v$ ) meaning that there is a directed edge from  $u$  to  $v$ . You can safely assume that the given graph will follow the restrictions described above. And from  $0^{\text{th}}$  node, it can be possible to go to any node. There will be at most one edge between any pair of nodes.



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## Output

For each case, print the case number and the maximum total learning units the person can gain (following the strategy mentioned above) and the node id where the person ends journey.

## Sample Input

## Output for Sample Input

1  6 6 0 8 9 2 7 5 5 4 5 3 1 5 0 1 0 2 2 1	Case 1: 29 4
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