

1. Ashley has one more than twice as many puppies as Melissa. The function $a(m)$ represents the number of puppies Ashley has, given the number of puppies Melissa has.

What are the domain and range of a ?

a : _____ \rightarrow _____

2. Asha is making bumper sticker to run for office. The total cost is a one-time fee of \$20 to have the stickers designed, plus \$0.50 per printed sticker. The function $C(s)$ describes the total cost to make s stickers.

We have shown you one example of using this function in the table below. Write two more.

$C(10) = 0.50 \times 10 + 20$

3. Gabrielle and Damoni are frosting cakes for a bake sale. Gabrielle can frost a cupcake in half the time it takes Damoni. A function $g(d)$ represents the time it takes Gabrielle to frost a cupcake, compared to Damoni.

Which of the following equations describes the relationship between d and $g(d)$? (circle one)

$$g(d) = 2 \times d$$

$$g(d) = 2 \div d$$

$$g(d) = d - 2$$

$$g(d) = d \div 2$$

4. A fabric store sells ribbon for \$1.50 per yard. Write a function $y(d)$, which describes how many yards can be purchased for d dollars.

5. Each pizza at a restaurant comes with 2 free toppings, and charges \$0.75 for each additional topping. Write a function $p(t)$ which describes the cost of a pizza's toppings.

6. A monthly phone bill starts at \$19, plus an additional \$0.25 per minute m of use. The function $t(m)$ shows the total bill, given a certain number of minutes.

We have shown you one example of using this function in the table below. Write two more.

$t(150) = 0.25 \times 150 + 19$

7. A train moves 50mph faster than twice the speed of the world's fastest human. Let h represent the speed of the runner. A function $t(h)$ represents the speed of the train, in relation to the speed of the runner.

Which of the following equations describes the relationship between d and t ? (circle one)

$t(h) = 50 - 2h$

$t(h) = 50h + 2$

$t(h) = 2h - 50$

$t(h) = 2h + 50$

8. A hiker begins climbing at 1000 feet above sea level, and gains another 300 feet for every hour they hike. Write the function $h(t)$, which represents the number of feet above sea level that the hiker has reached for a given number of hours.
