This is CS50

cs50.ly/survey

Think.
Pair.
Share.

cs50.ly/questions

- When are **structs** useful?
- What goes into defining and using our own **functions**?
- What is **Big Oh notation**, and why do we care?
- How can we identify a **sorting** algorithm from nothing but its binary?

Structs

```
typedef struct
{
   string name;
   int votes;
}
candidate;
```

```
typedef struct
{
   string name;
   int votes;
}
candidate;
```

```
typedef struct
{
   string name;
   int votes;
}
candidate;
```

```
typedef struct
{
   string name;
   int votes;
}
candidate;
```

```
candidate new_candidate;
```

```
candidate new_candidate;
new_candidate.name = "Alyssa";
new_candidate.votes = 10;
```

Struct Exercise

Create a struct to represent a candidate in an election that minimally includes:

- The candidate's name (as a string)
- The candidate's probability of winning (as a float)

Add attributes to a candidate and print those out to the user.

Structs and Functions Exercise

Create your own **get_candidate** function that prompts the user to input attributes for a candidate. You may rely on **get_string**, **get_float**, etc., and your function should return a candidate.

```
int count_votes(string candidate_name);
```

```
int count_votes(string candidate_name)
{
   // Code in our function
}
```

```
int count_votes(string candidate_name)
{
   int votes;
   // Code in our function
   return votes;
}
```

```
int total_votes;
total_votes = count_votes("Carter");
```

Arrays of Structs Exercise

Use your **get_candidate** function to create an array of three candidates, each of which should have attributes input by the user.

name	Alice	Bob	Charlie
votes	2	1	3

```
candidates[0];
```

name	Alice	Bob	Charlie
votes	2	1	3

```
candidates[0].name;
```

name	Alice	Bob	Charlie
votes	2	1	3

```
candidates[0].votes;
```

Searching

Searching an Array

Within your array of candidates, use **linear search** to find the first candidate that has a probability of winning that is greater than or equal to 0.51.

Print the candidate's name to the screen and stop looping.

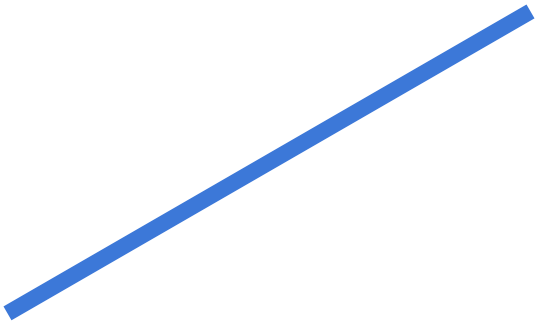
Runtime analysis

O(N) — "worst case" definition

In the worst case, I need to do approximately N steps for an input of size N.

O(N) — "scaling" definition

For every new item that gets added to my input, I need to do a new step. We say "our runtime scales **linearly** with the size of our input".



Ω(1) — "best case" definition

In the best case, I only need to do a constant number of steps to find my solution.

Sorting

Bubble Sort


5 3 4 8 2 1 7 6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1 2 3 4 5 6 7 8

```
Repeat for every element in our list, except last:
    Look at each element from first to second-to-last:
        If current and next elements out of order:
            Swap them
```

```
Repeat n - 1 times
    For j from 0 to n - 2
        If j'th and j + 1'th elements out of order
            Swap them
```

Bubble Sort Analysis

Download **bubble_solved.c** from the Week 3 page, under "Section". Upload it to VS Code and open the file.

Read: What questions do you have about the code, as written? What seems confusing?

Bubble Sort Analysis

Download **bubble_solved.c** from the Week 3 page, under "Section". Upload it to VS Code and open the file.

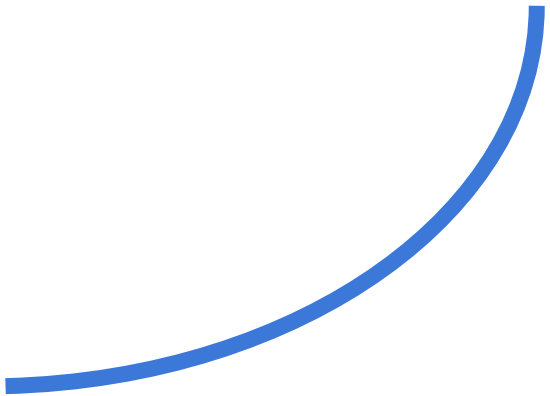
Discuss: Which pieces of code indicate that Bubble Sort runs in $\mathbf{O(N^2)}$ and $\mathbf{\Omega(N)}$?

$O(N^2)$ — "worst case" definition

In the worst case, I need to do approximately N^2 steps if my input size is N.

$O(N^2)$ — "scaling" definition

For every new item that gets added to my input, I need to do approximately **N** new steps.



Ω(N) — "best case" definition

In the best case, I need to do approximately N steps if my input size is N.

Selection Sort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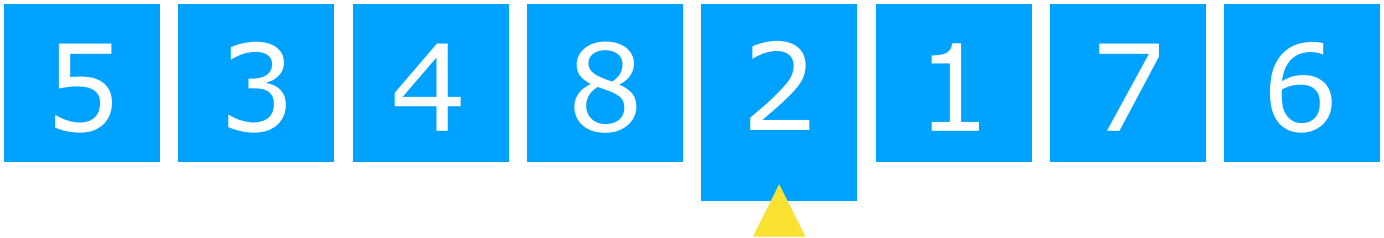
5 3 4 8 2 1 7 6


5 3 4 8 2 1 7 6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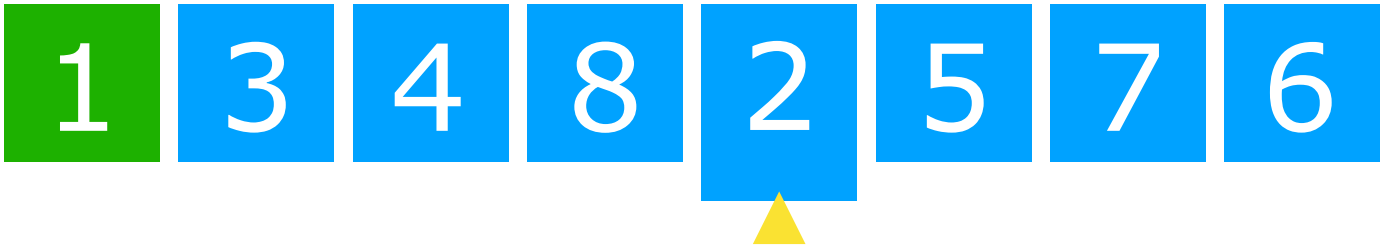
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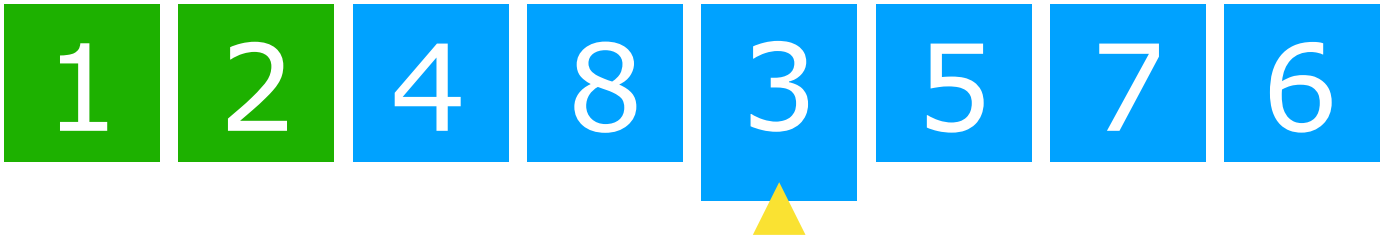
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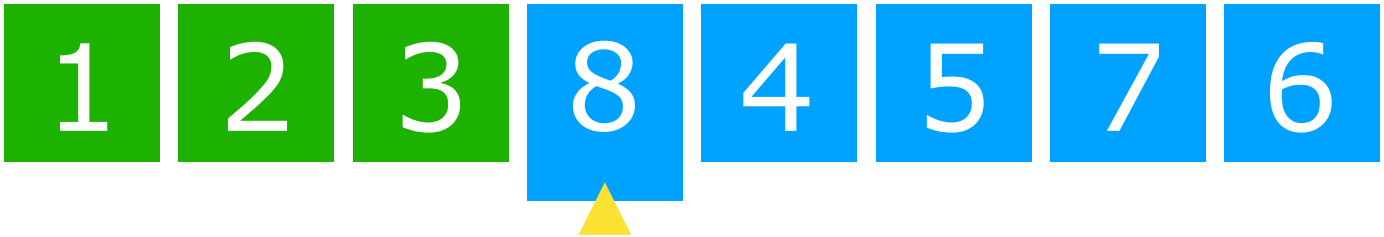
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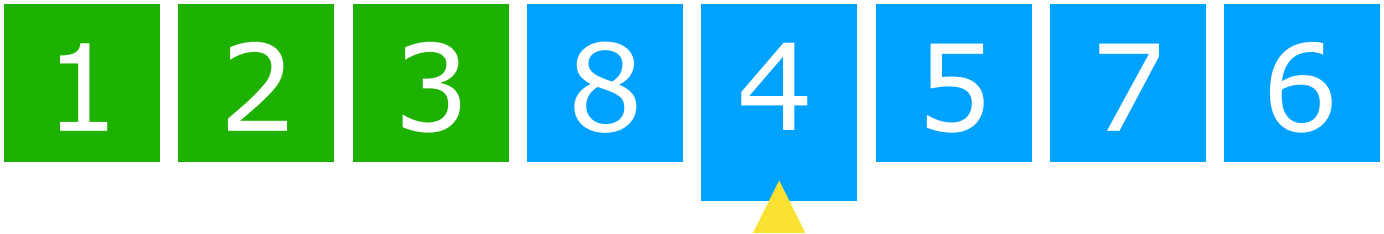
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1 2 3 4 5 6 7 8

Selection Sort Analysis

Download **selection_solved.c** from the Week 3 page, under "Section". Upload it to VS Code and open the file.

Read: What questions do you have about the code, as written? What seems confusing?

Selection Sort Analysis

Download **selection_solved.c** from the Week 3 page, under "Section". Upload it to VS Code and open the file.

Discuss: How do you know Selection Sort runs in $\mathbf{O(N^2)}$ and $\mathbf{\Omega(N^2)}$?

$O(N^2)$ — "worst case" definition

In the worst case, I need to do approximately N^2 steps if my input size is N.

$\Omega(N^2)$ — "best case" definition

In the worst case, I need to do approximately N^2 steps if my input size is N.

Merge Sort


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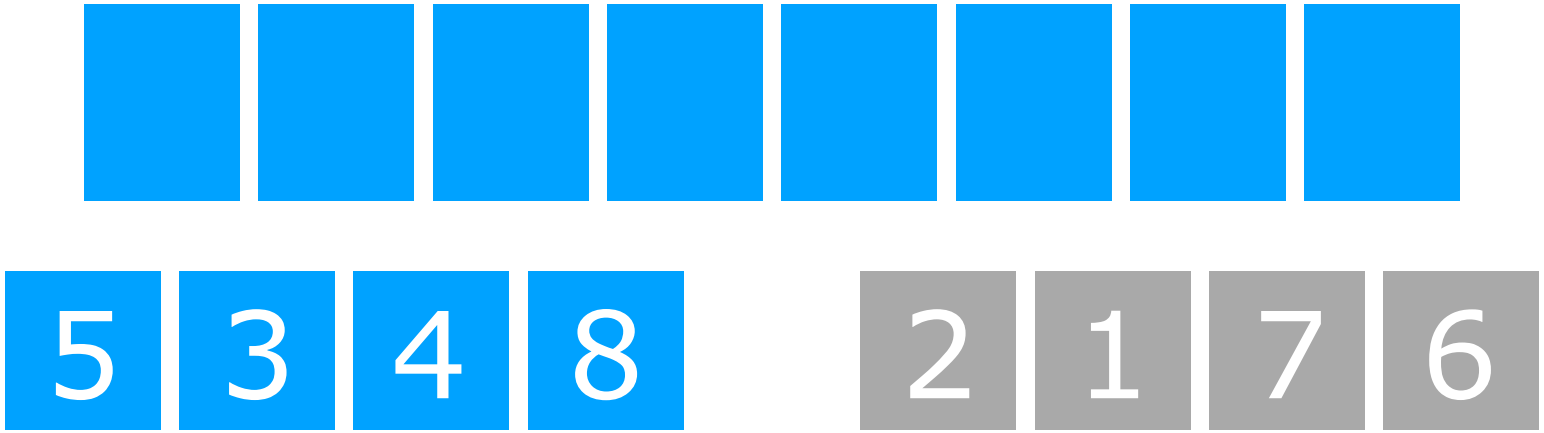
5 3 4 8 2 1 7 6


5 3 4 8
2 1 7 6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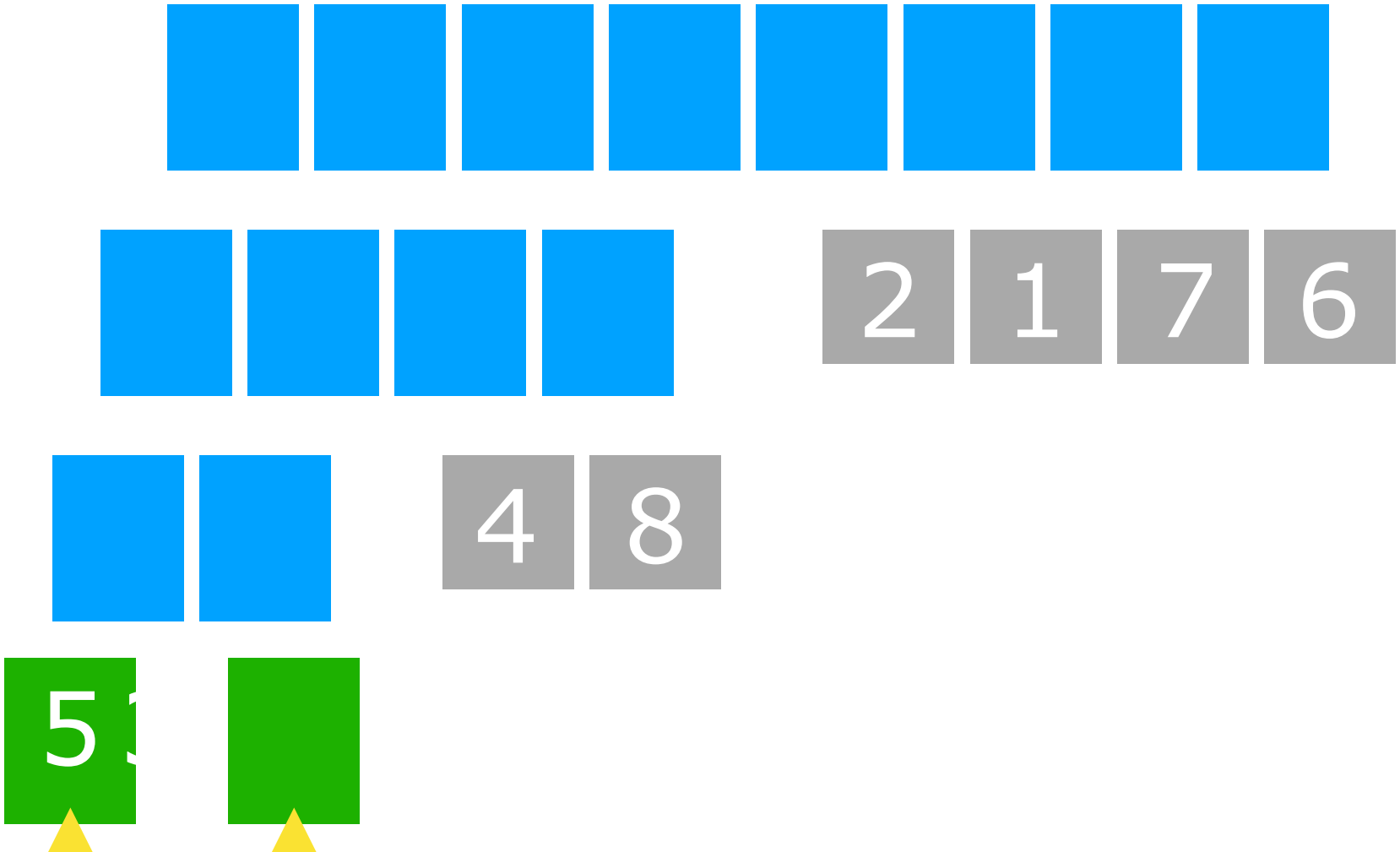
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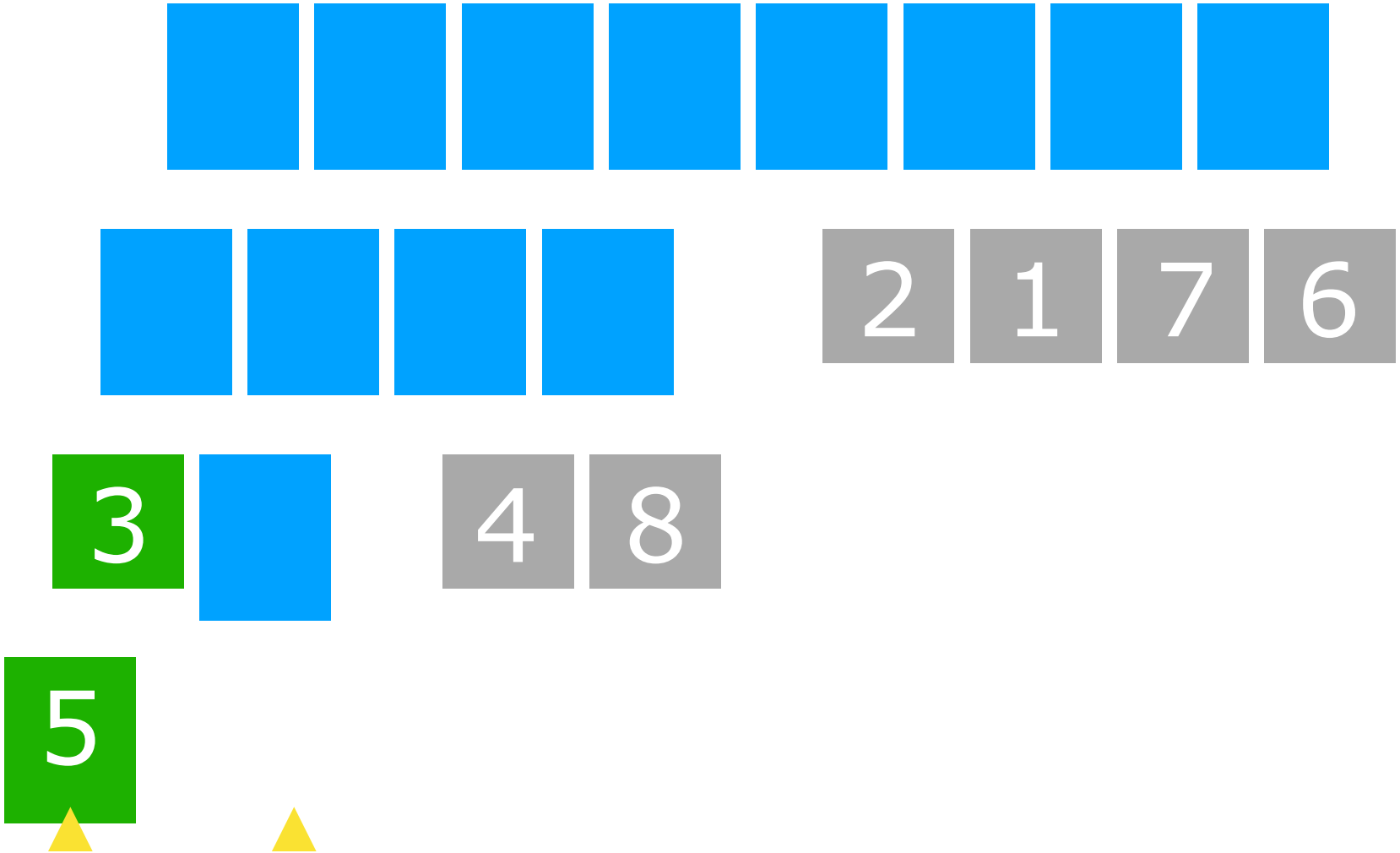
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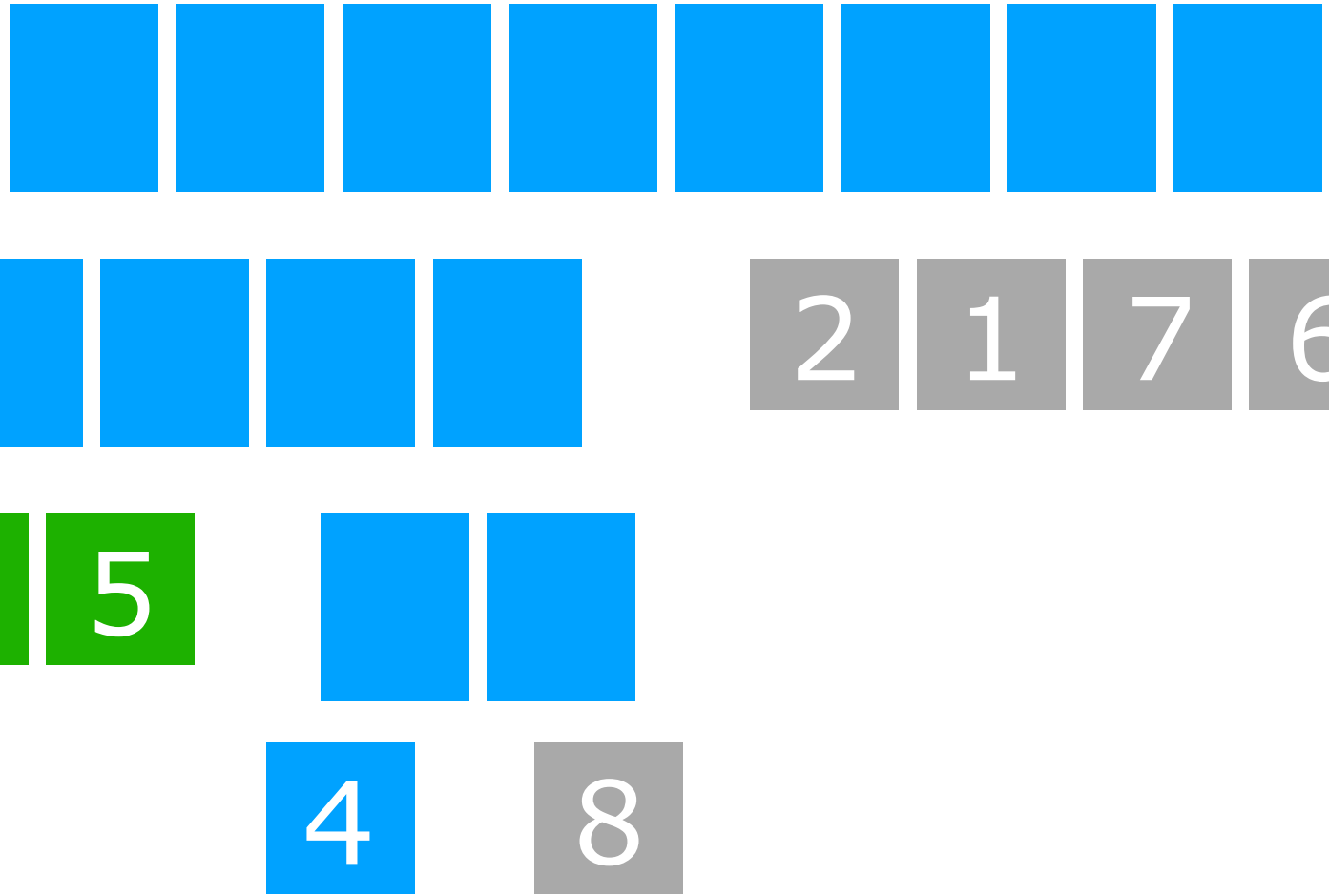
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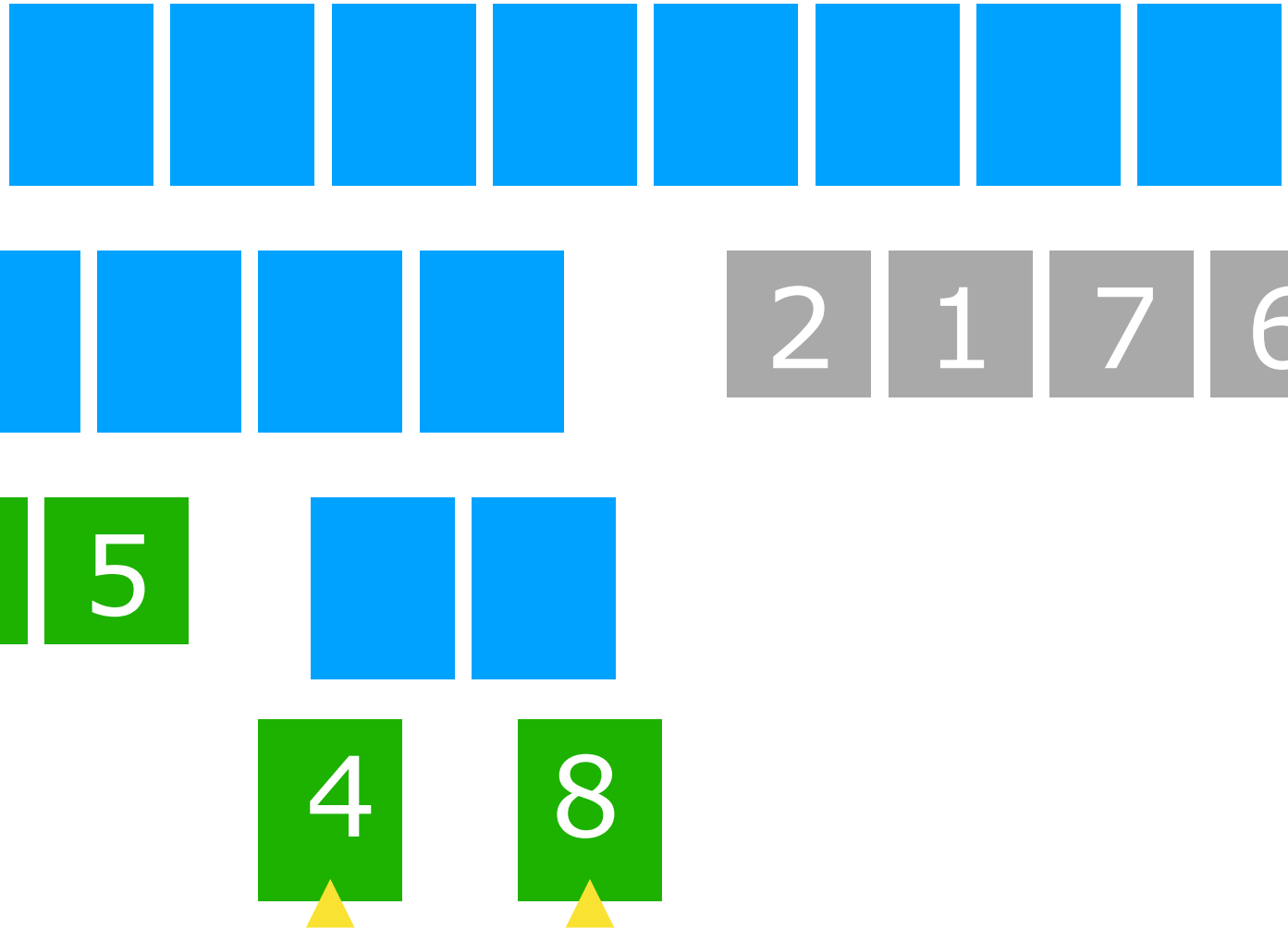
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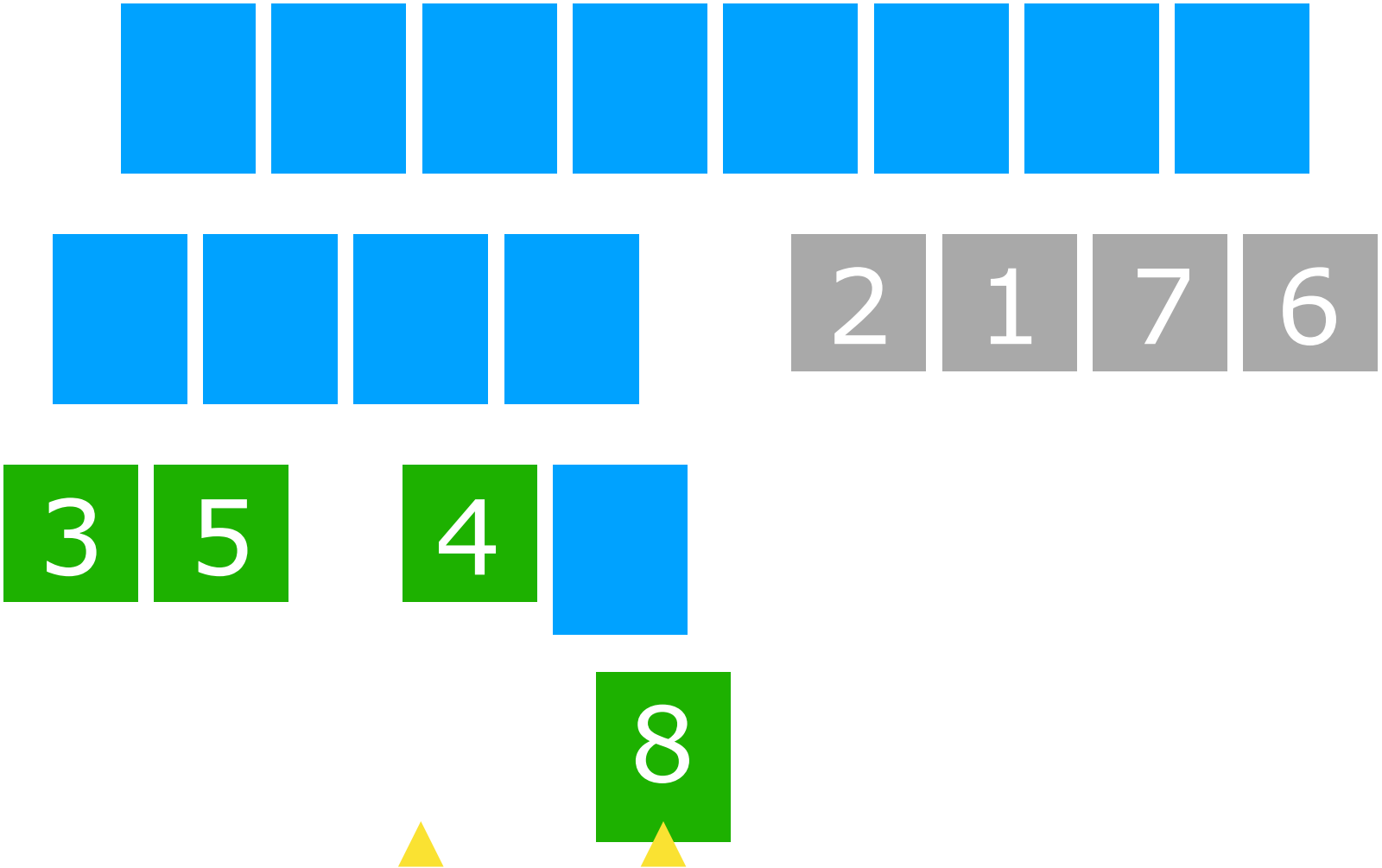
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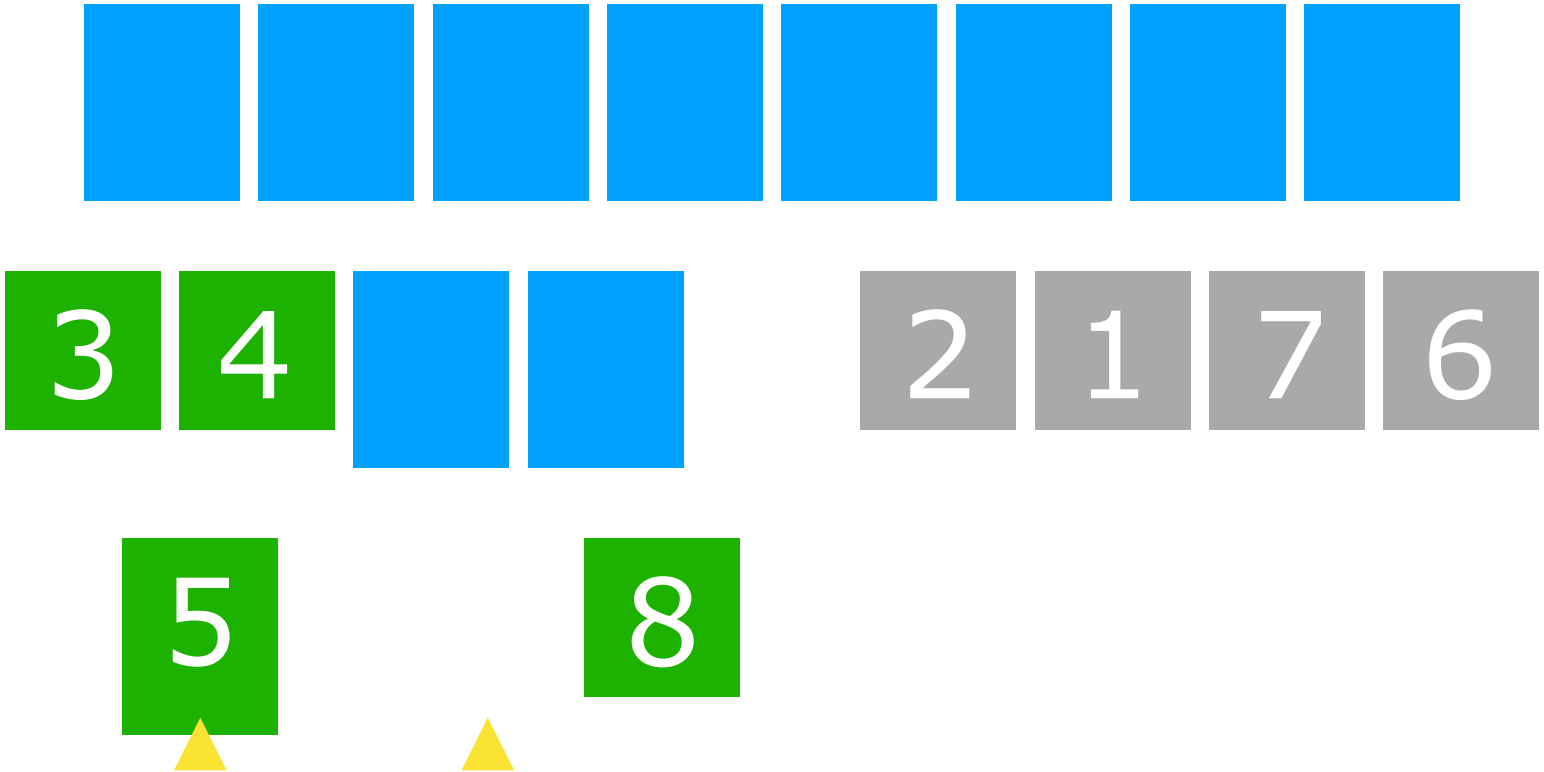
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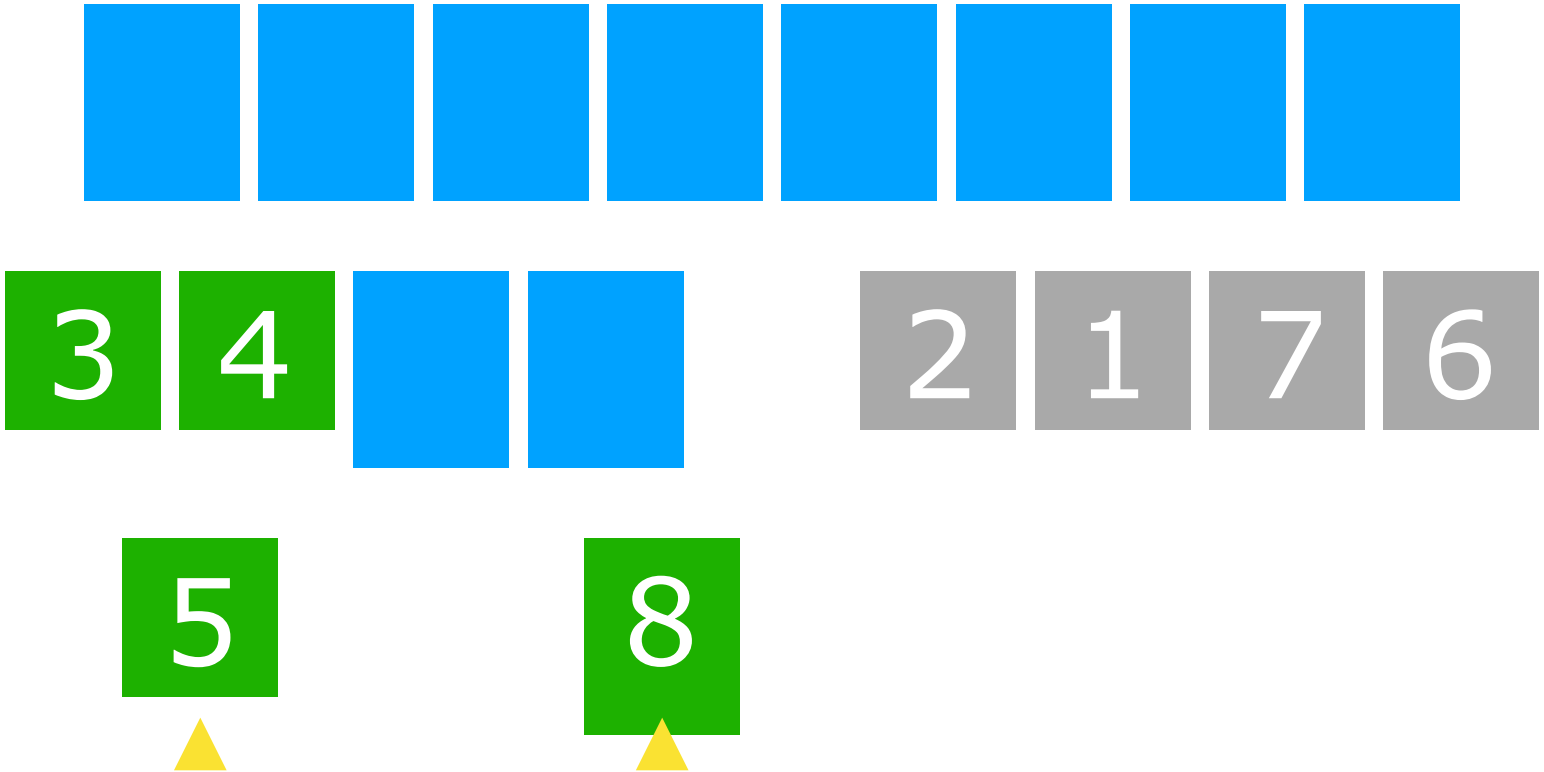
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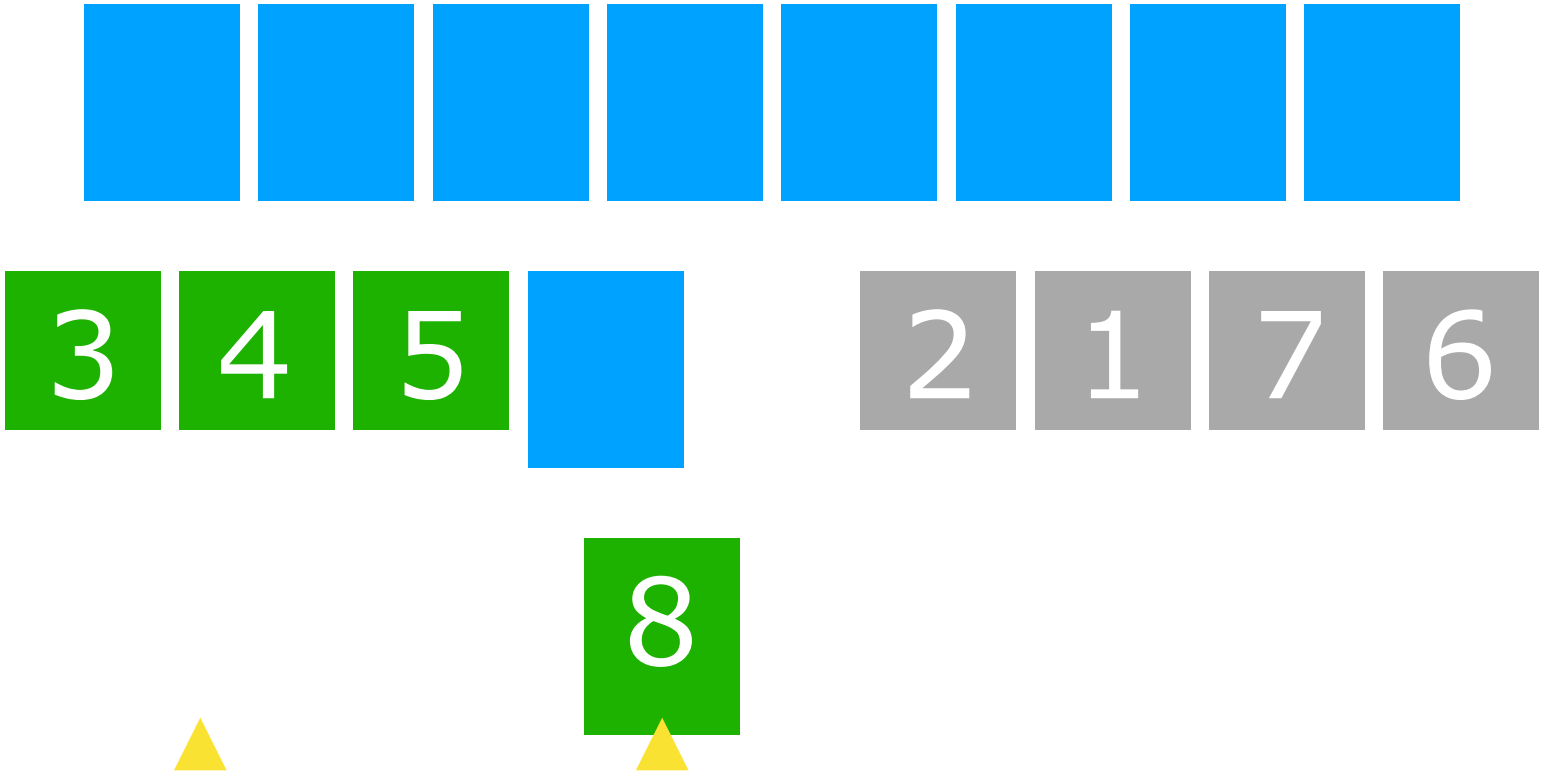
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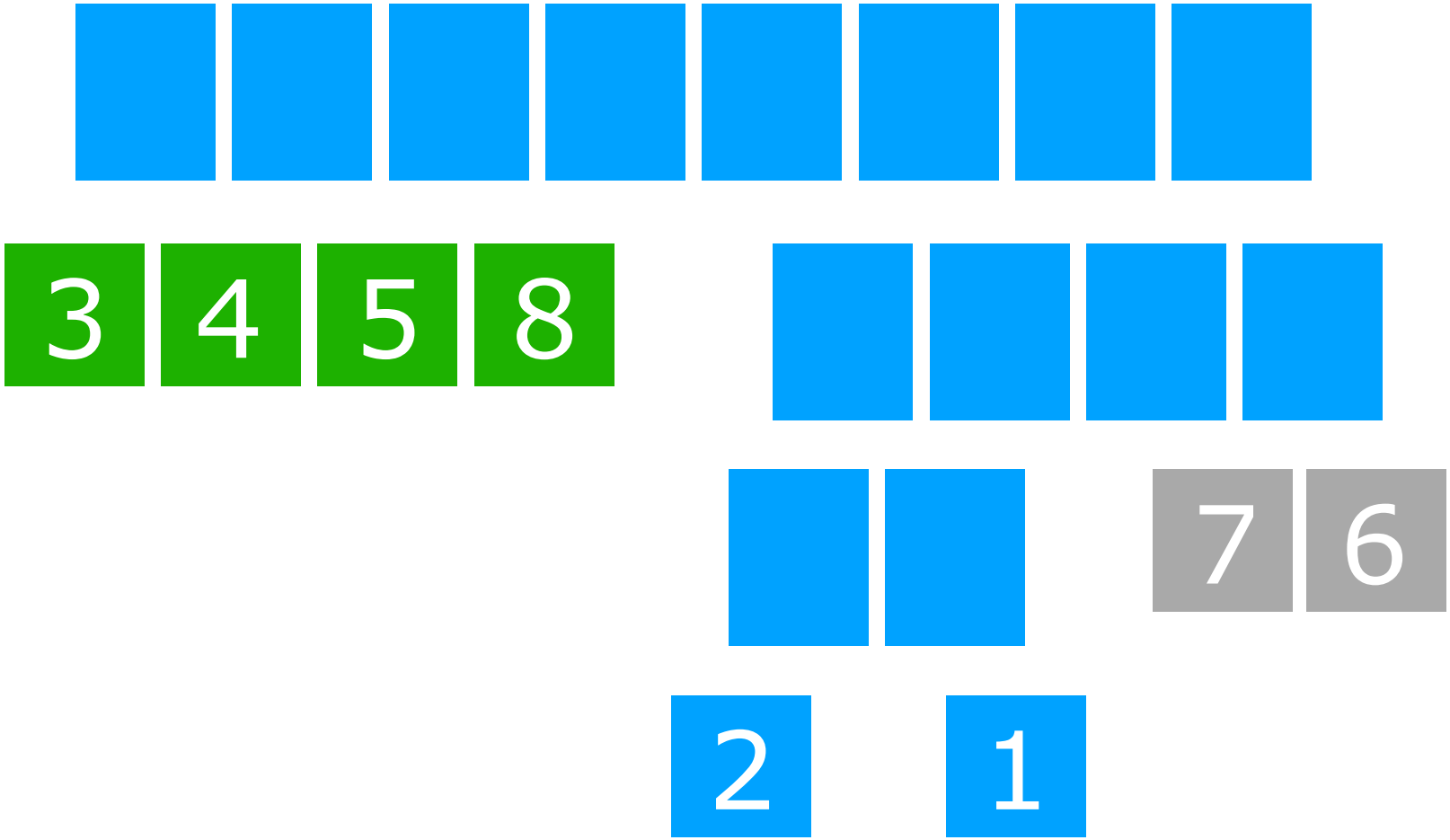
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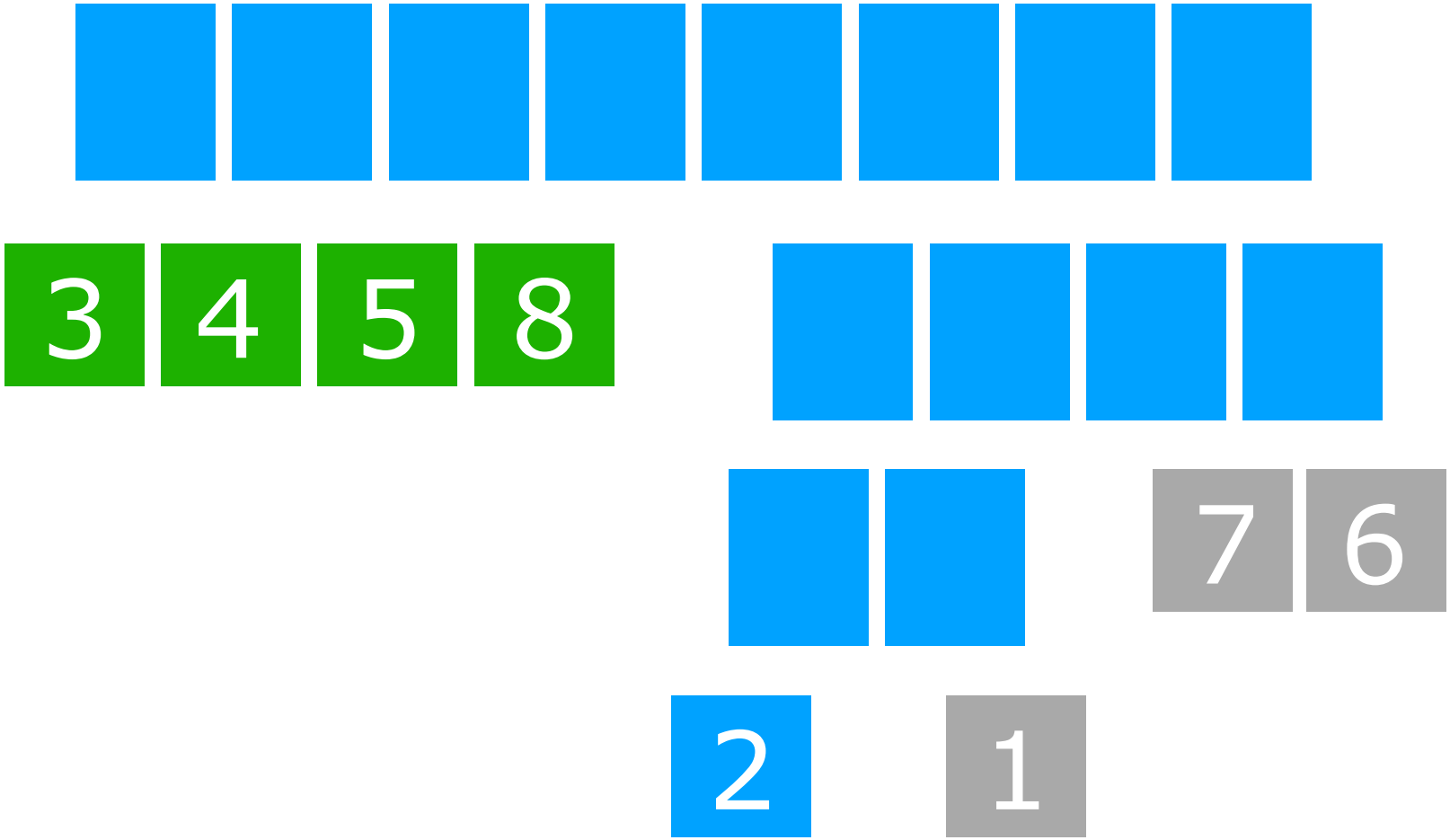
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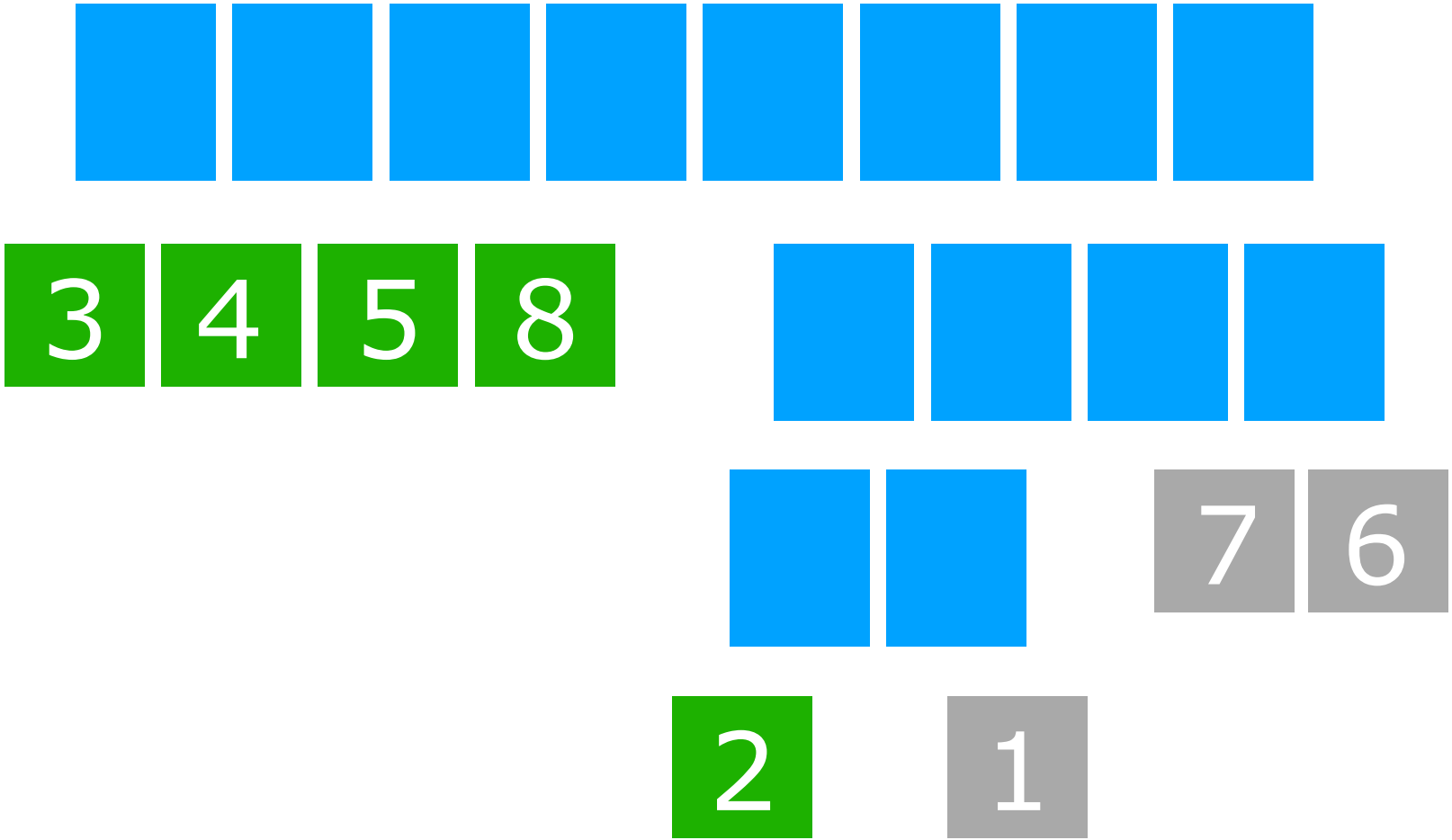
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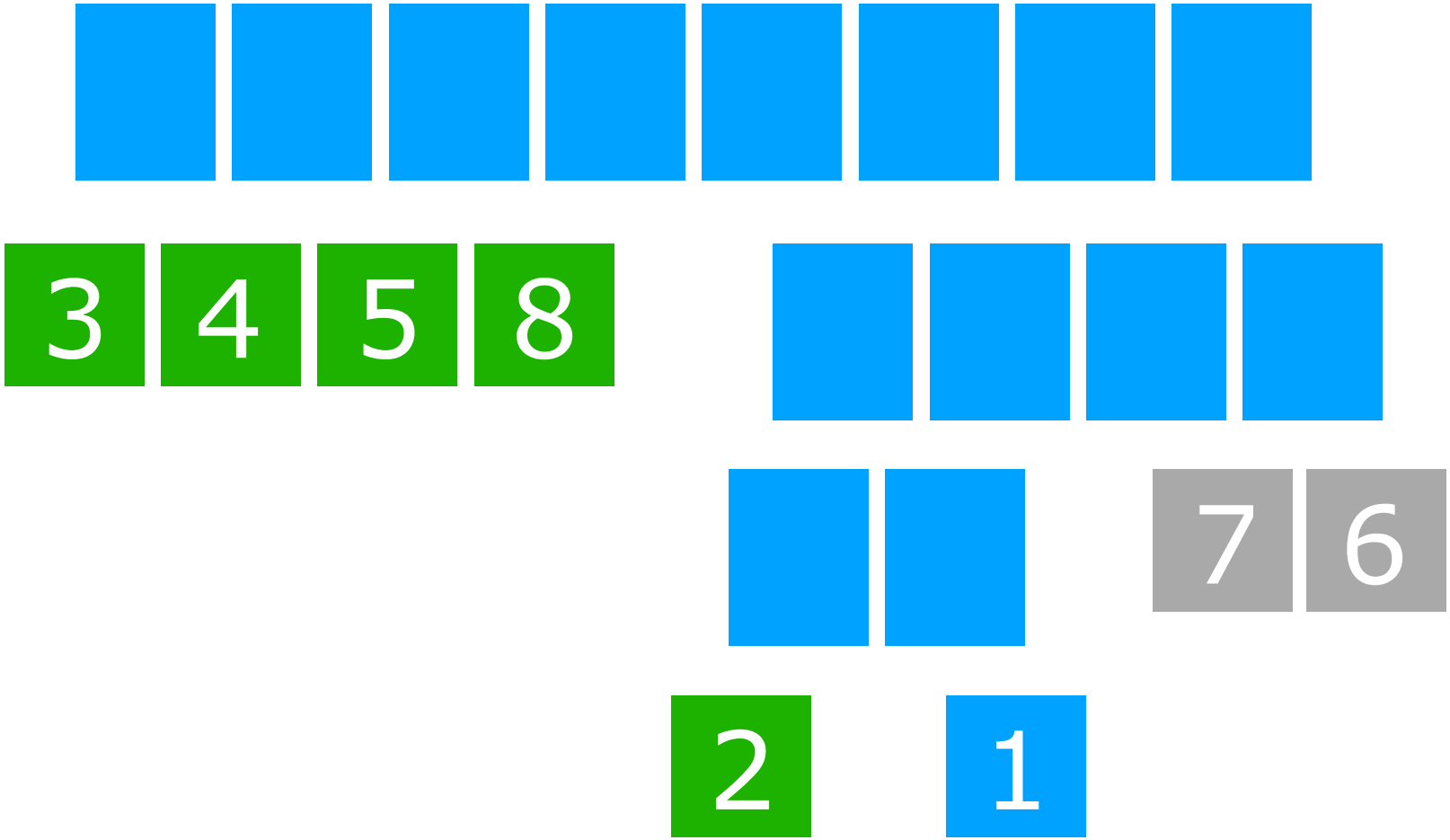
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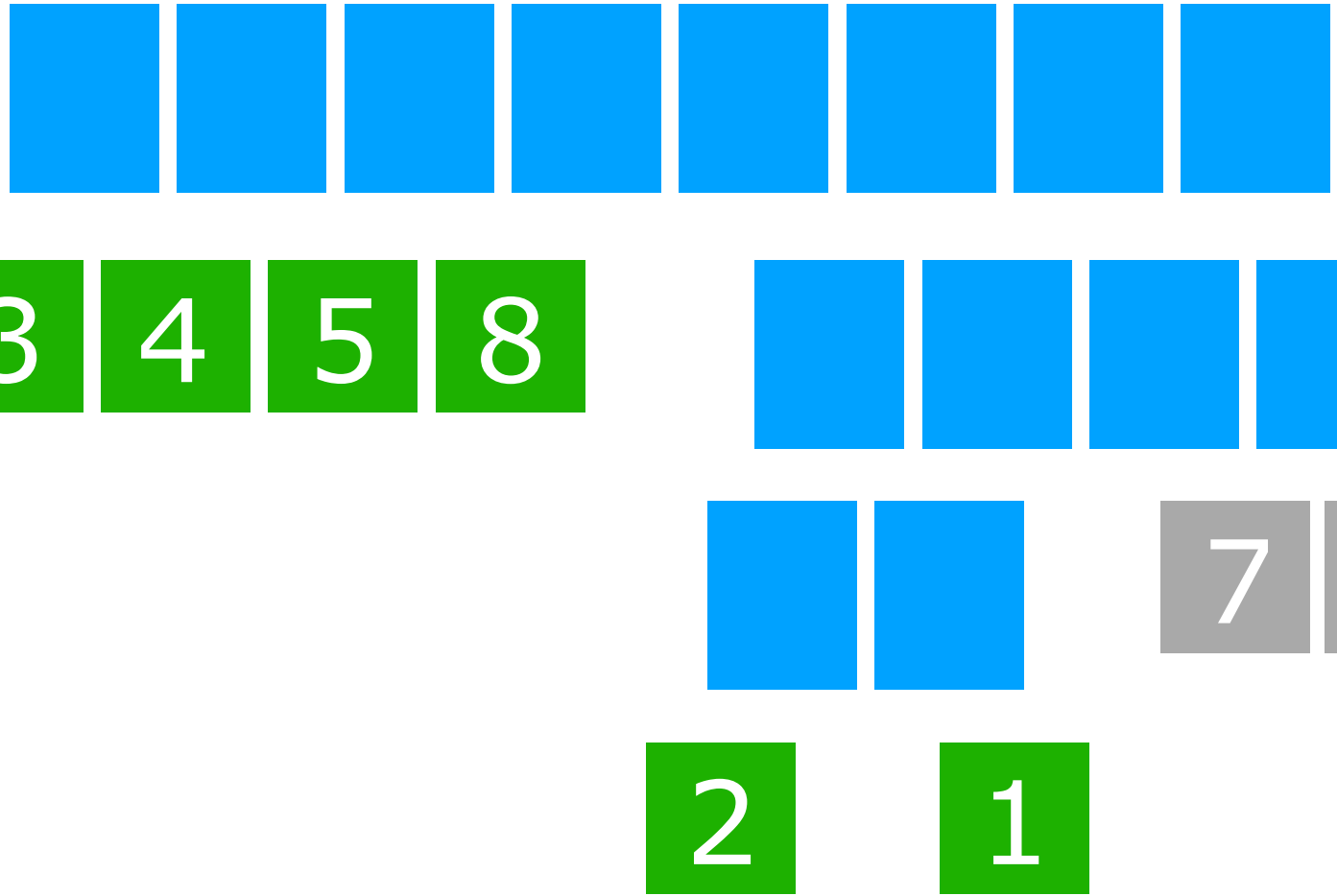
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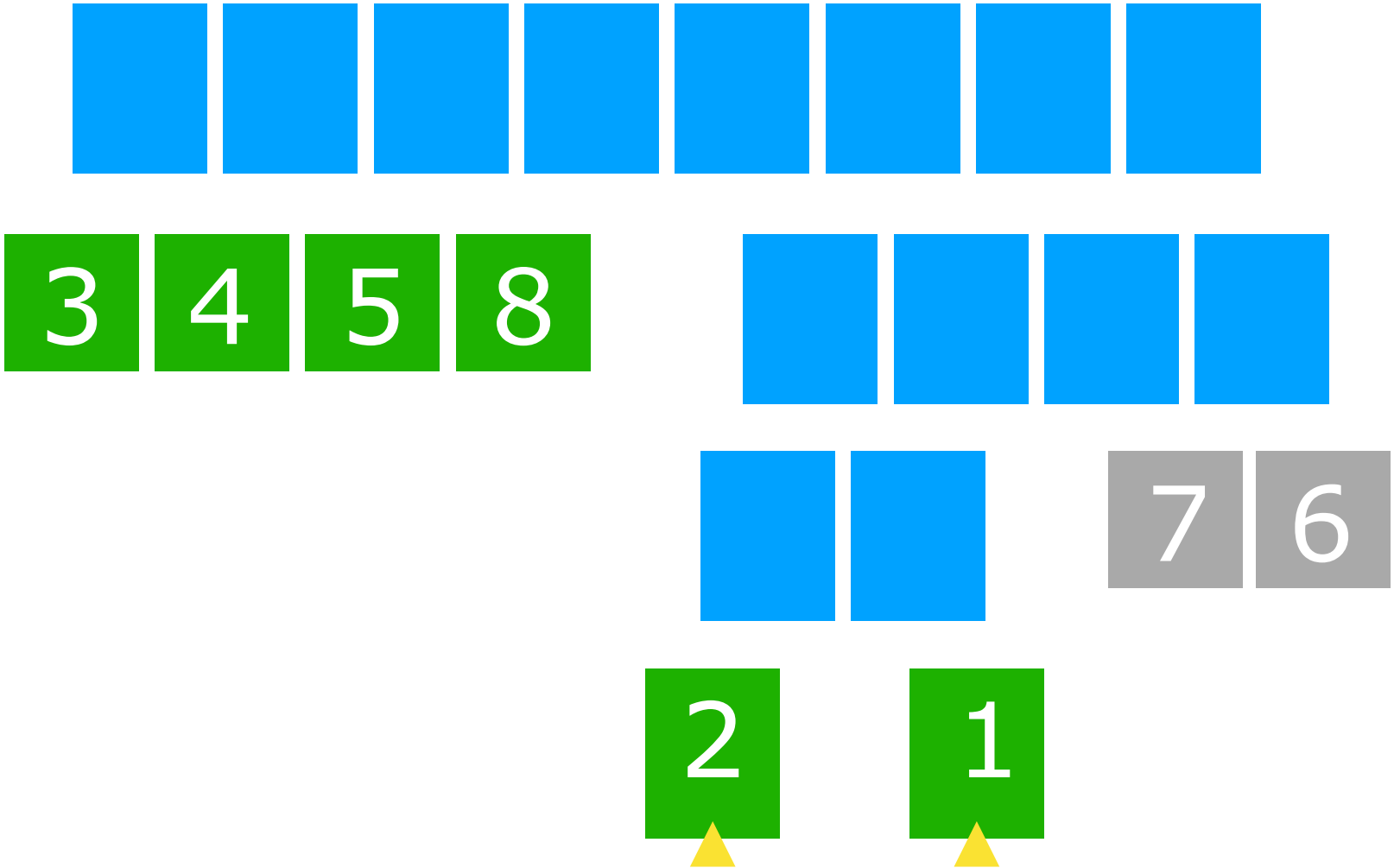
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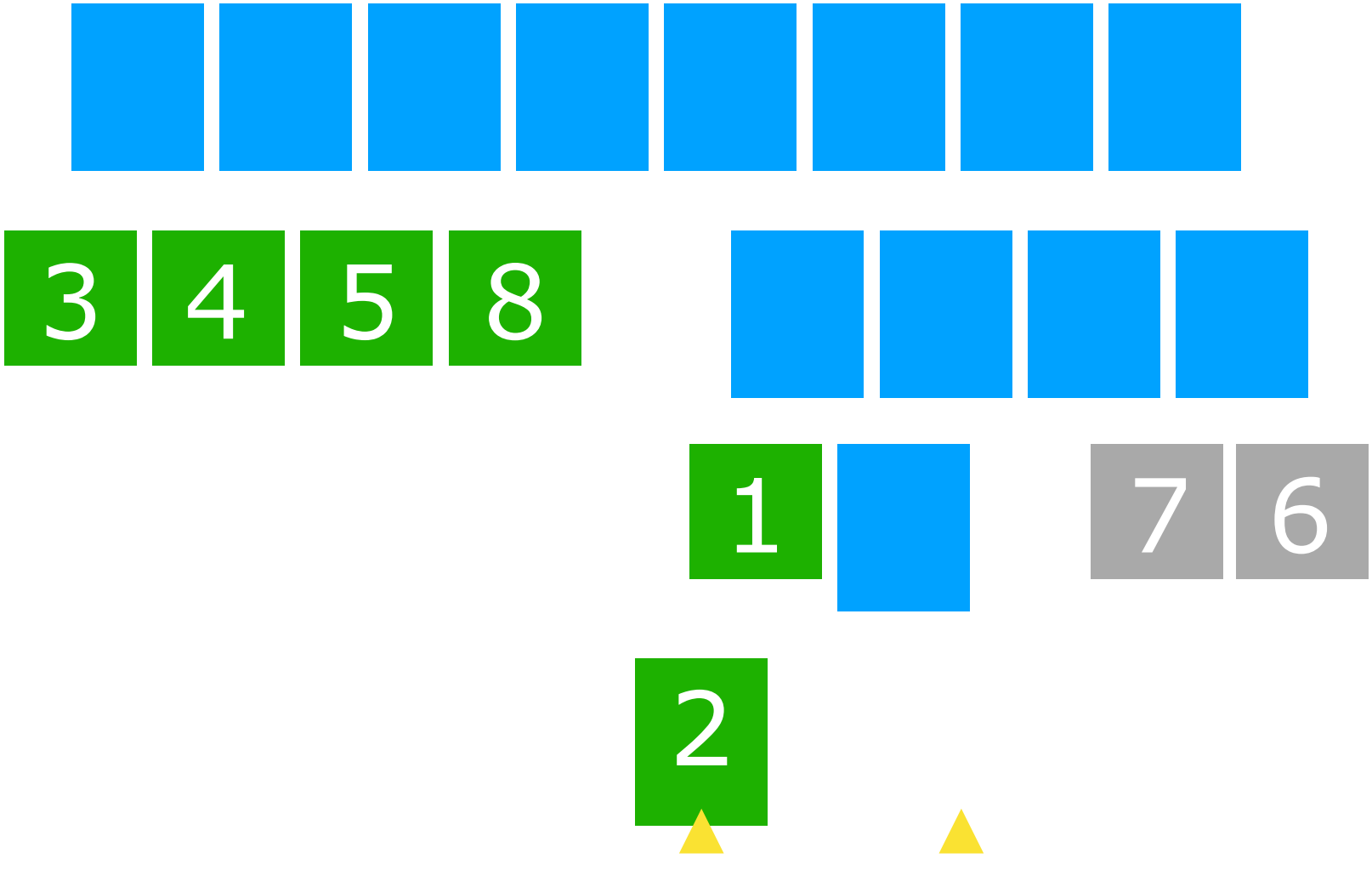
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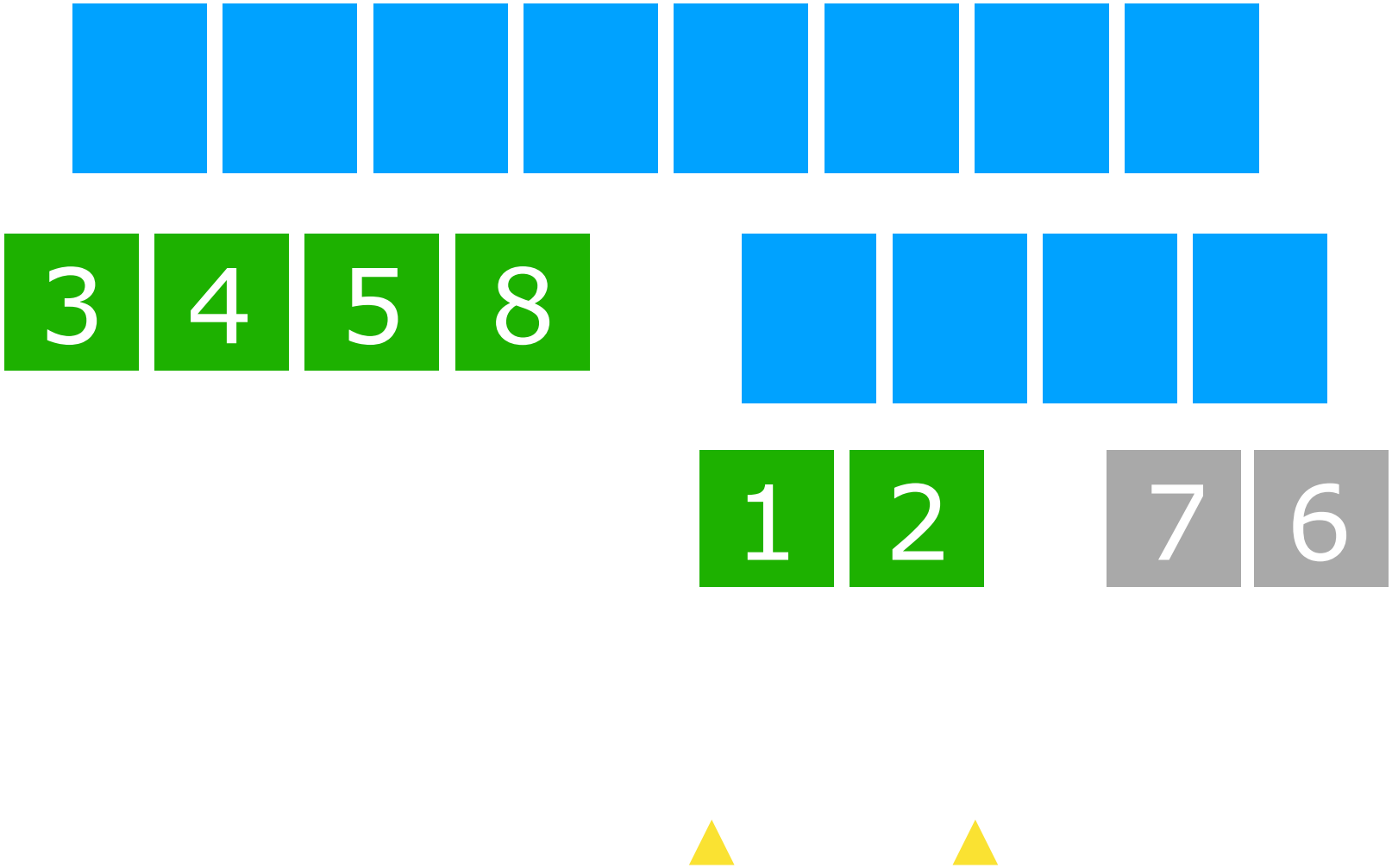
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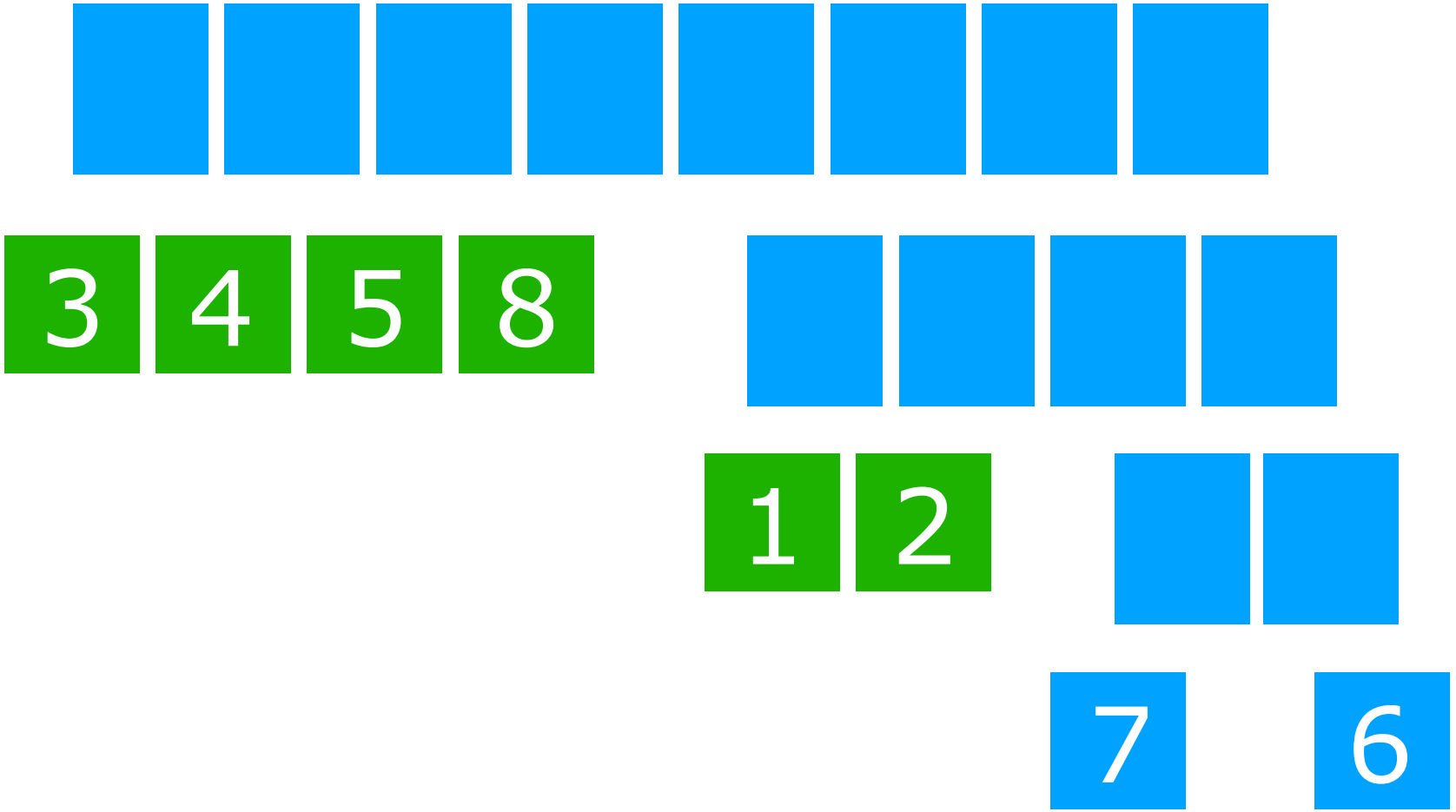
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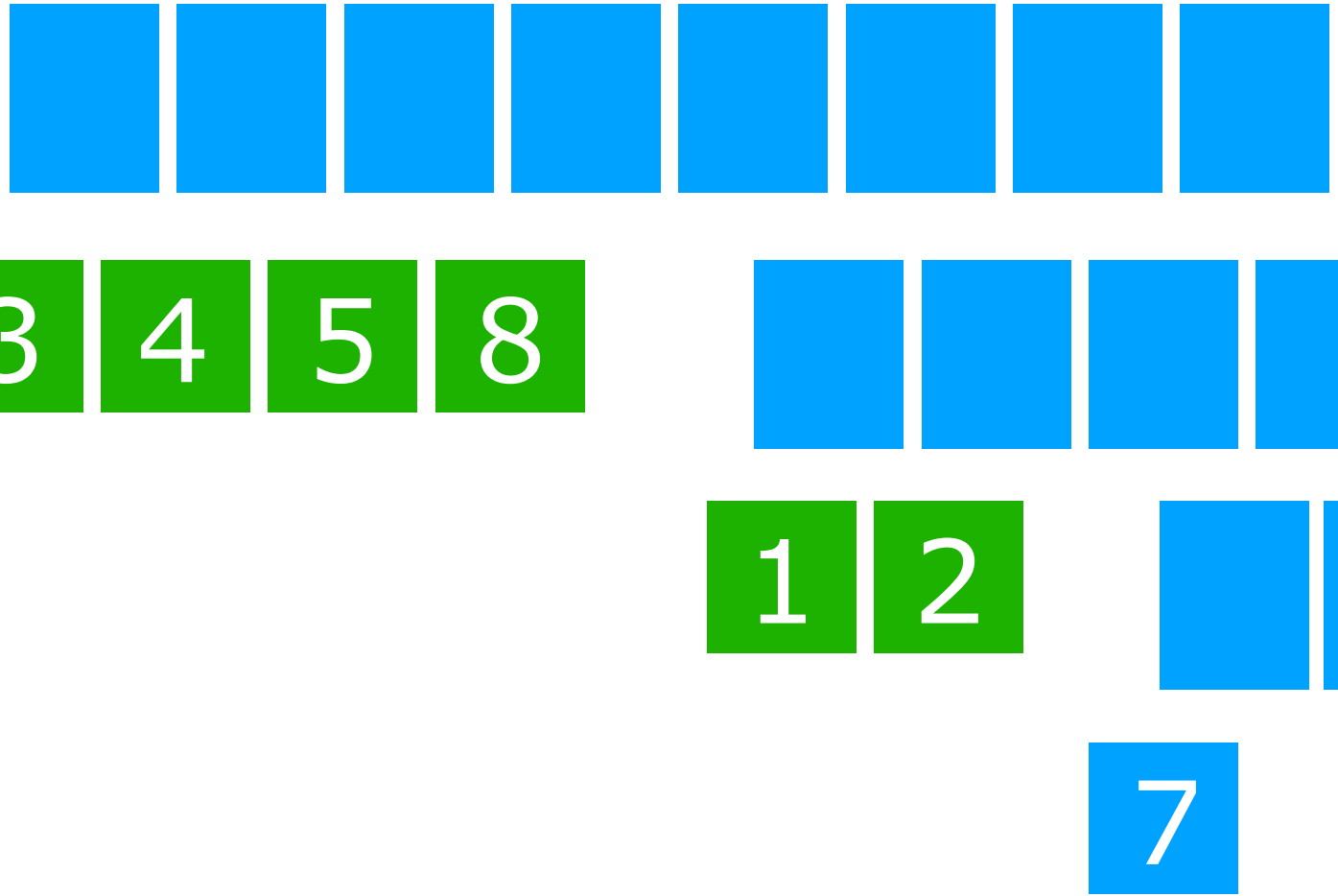
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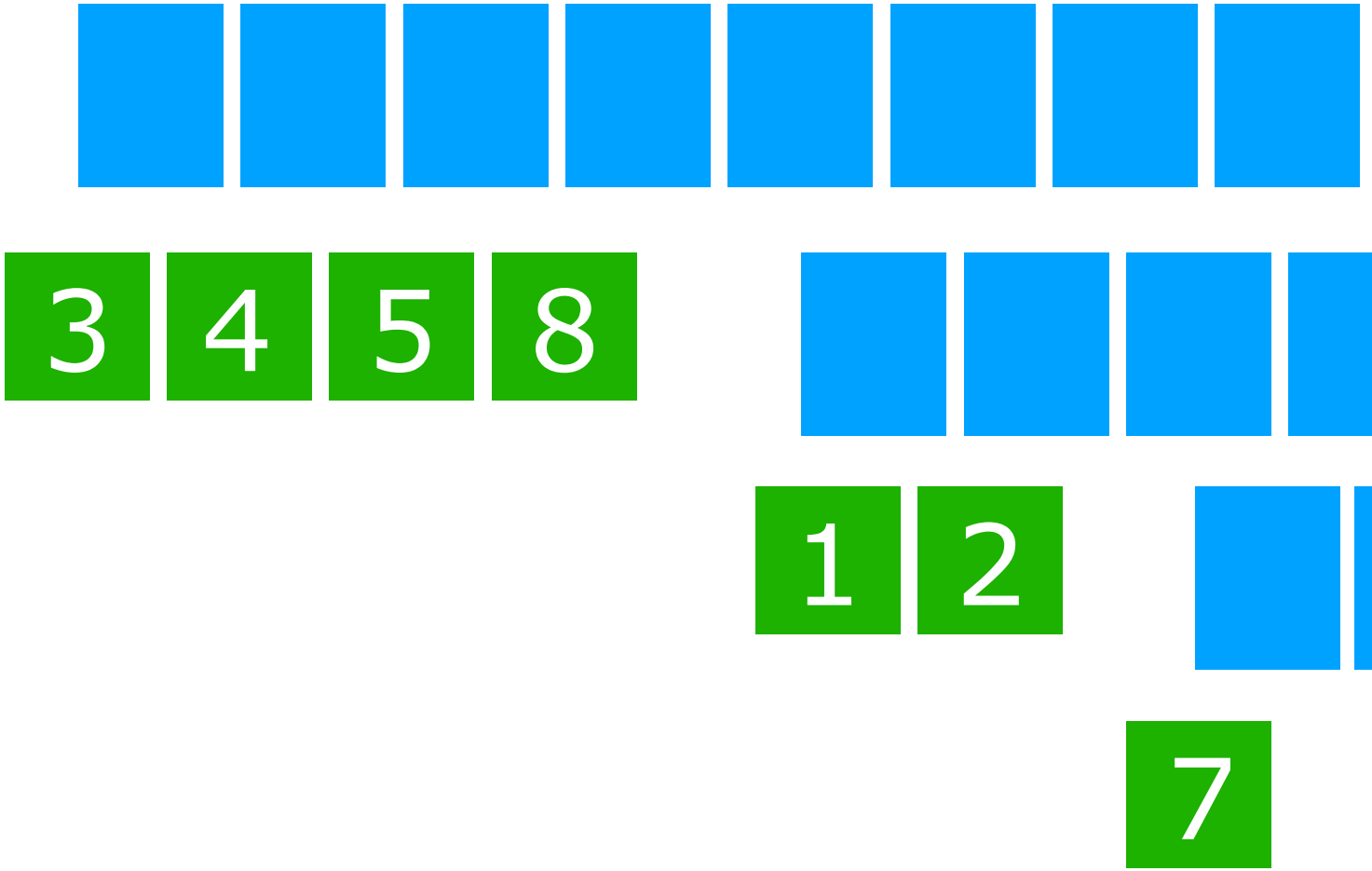
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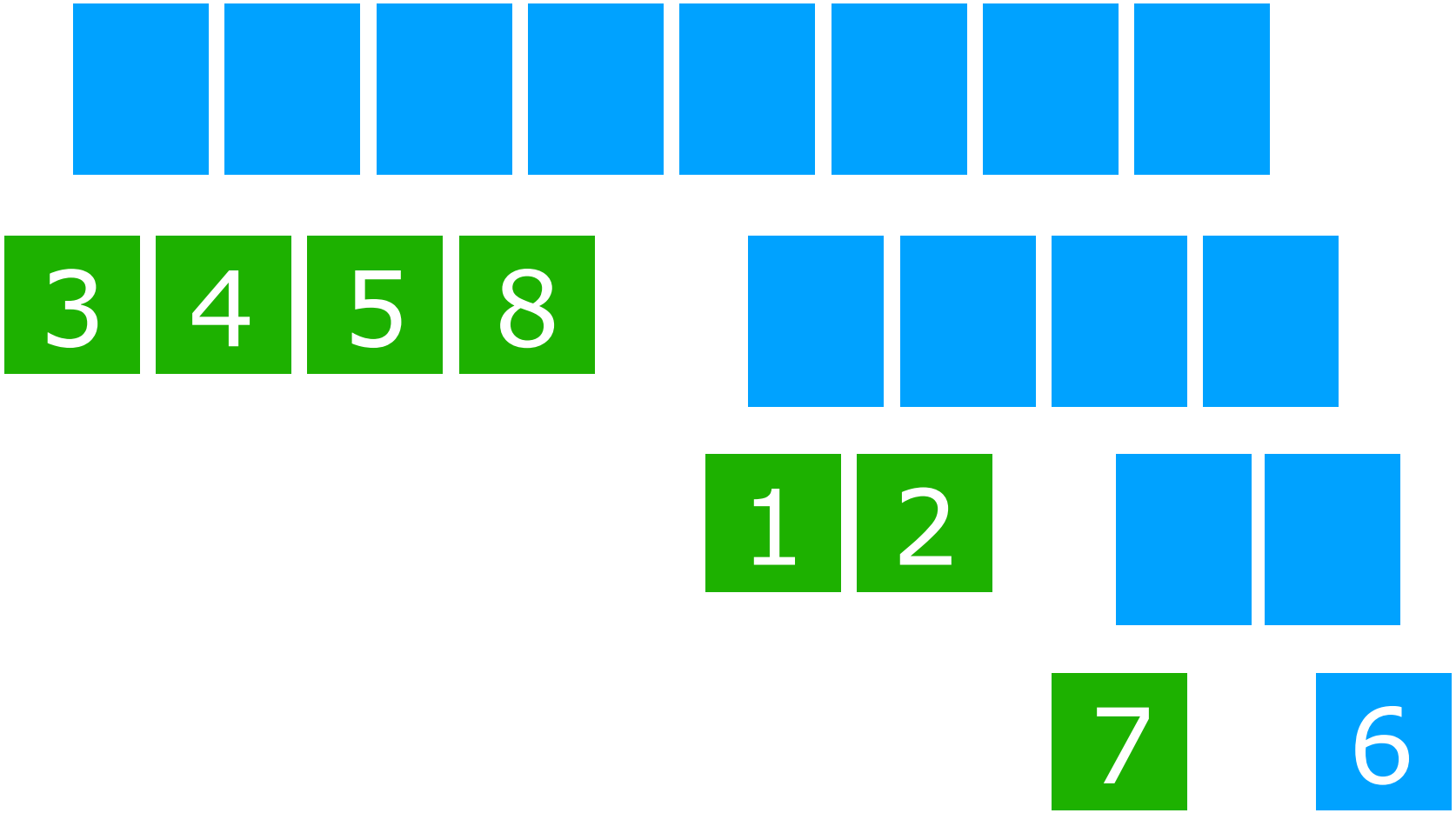
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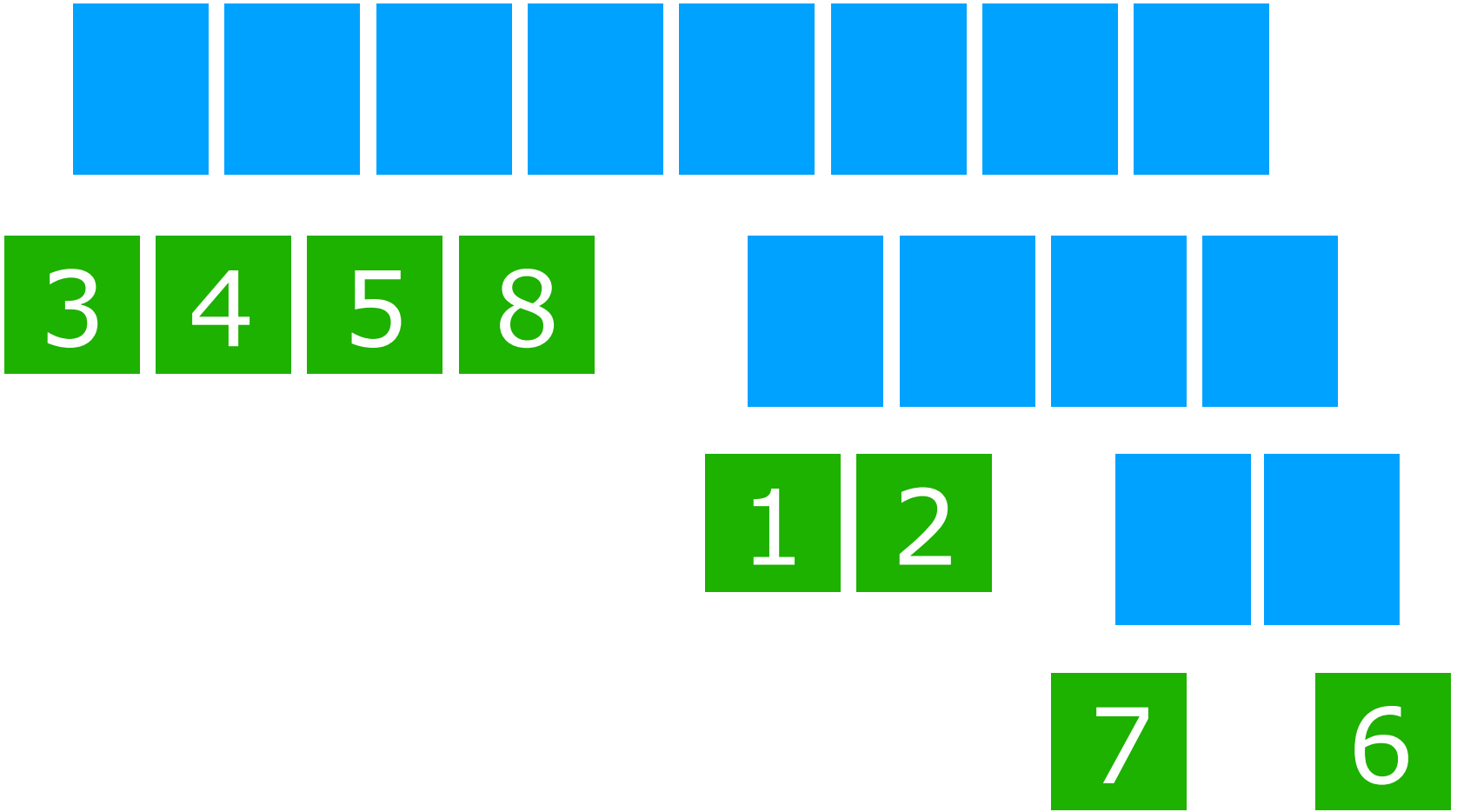
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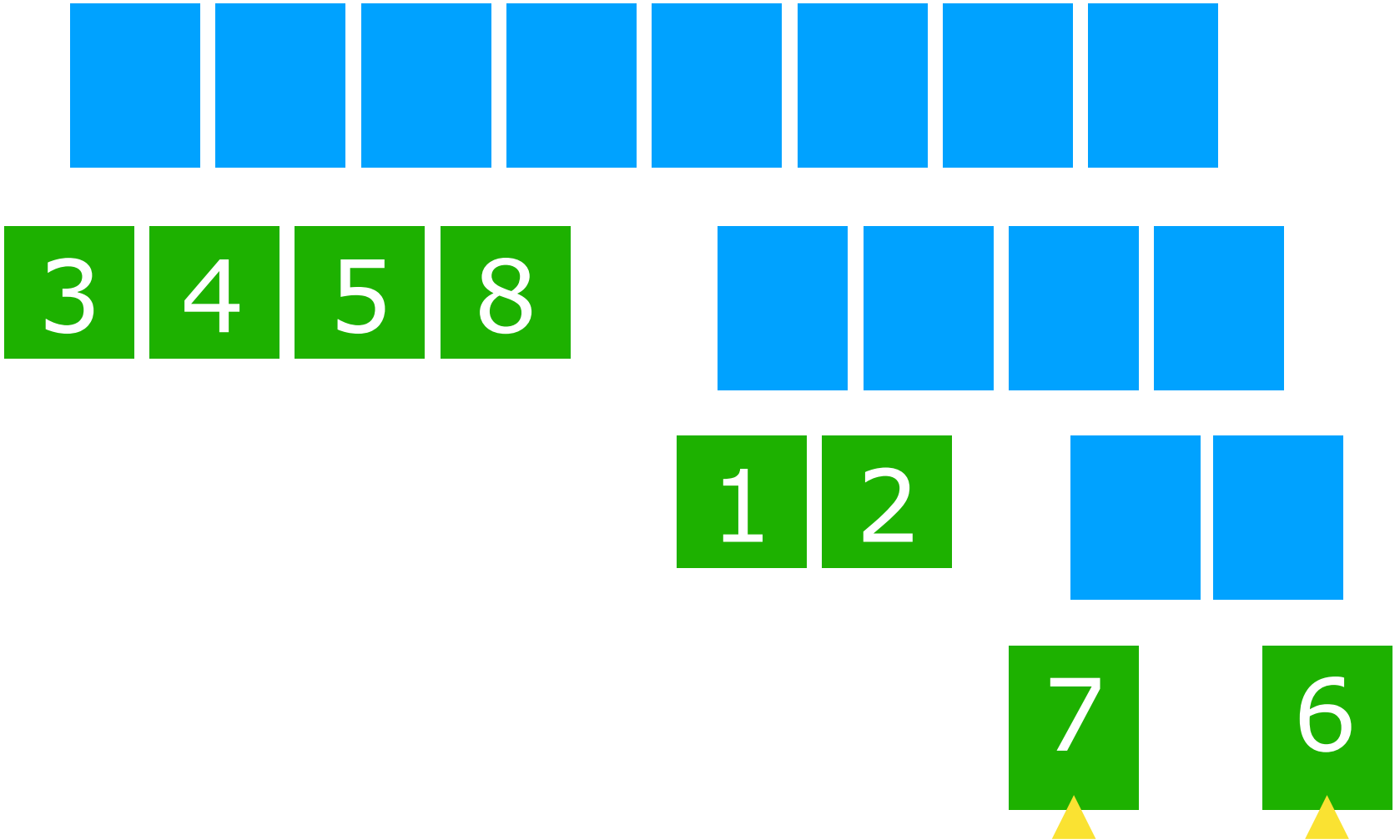
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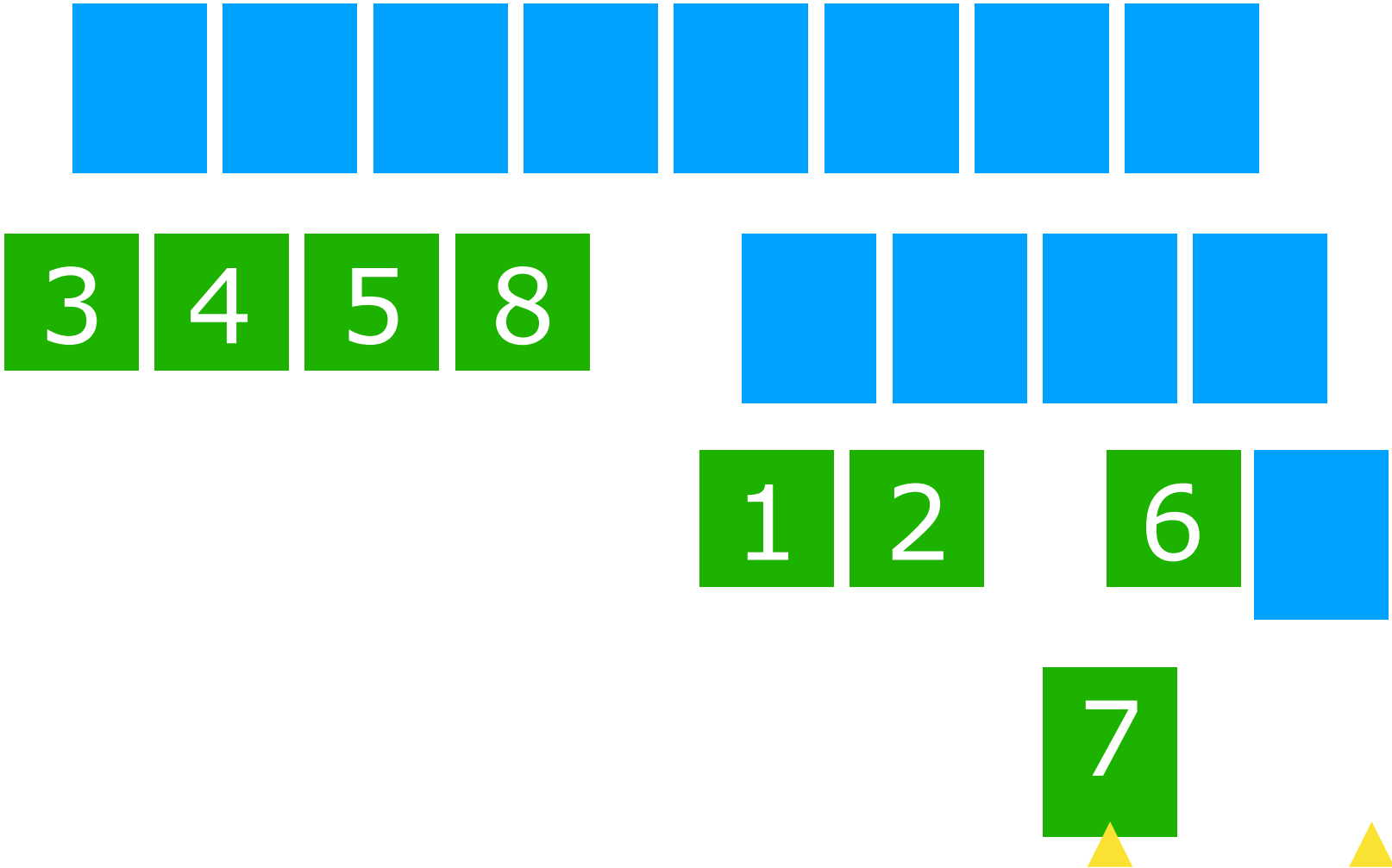
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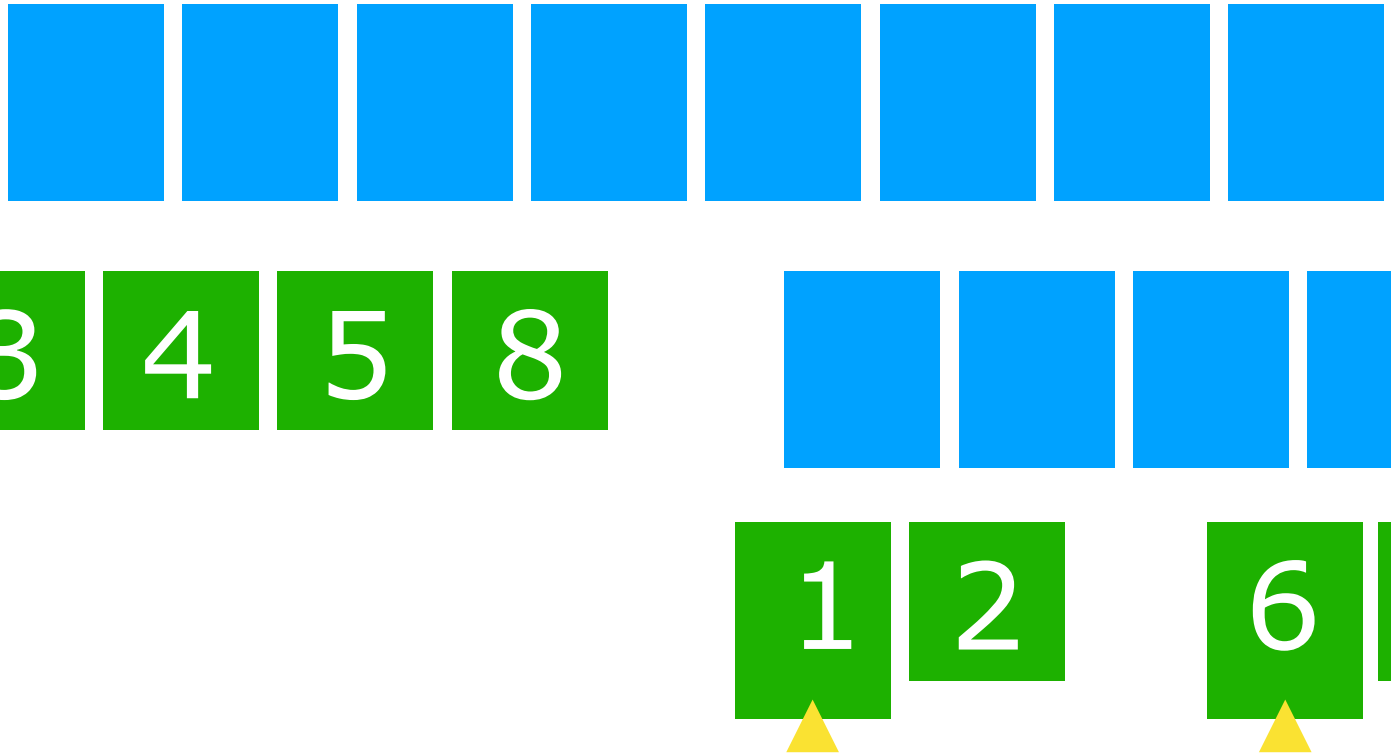
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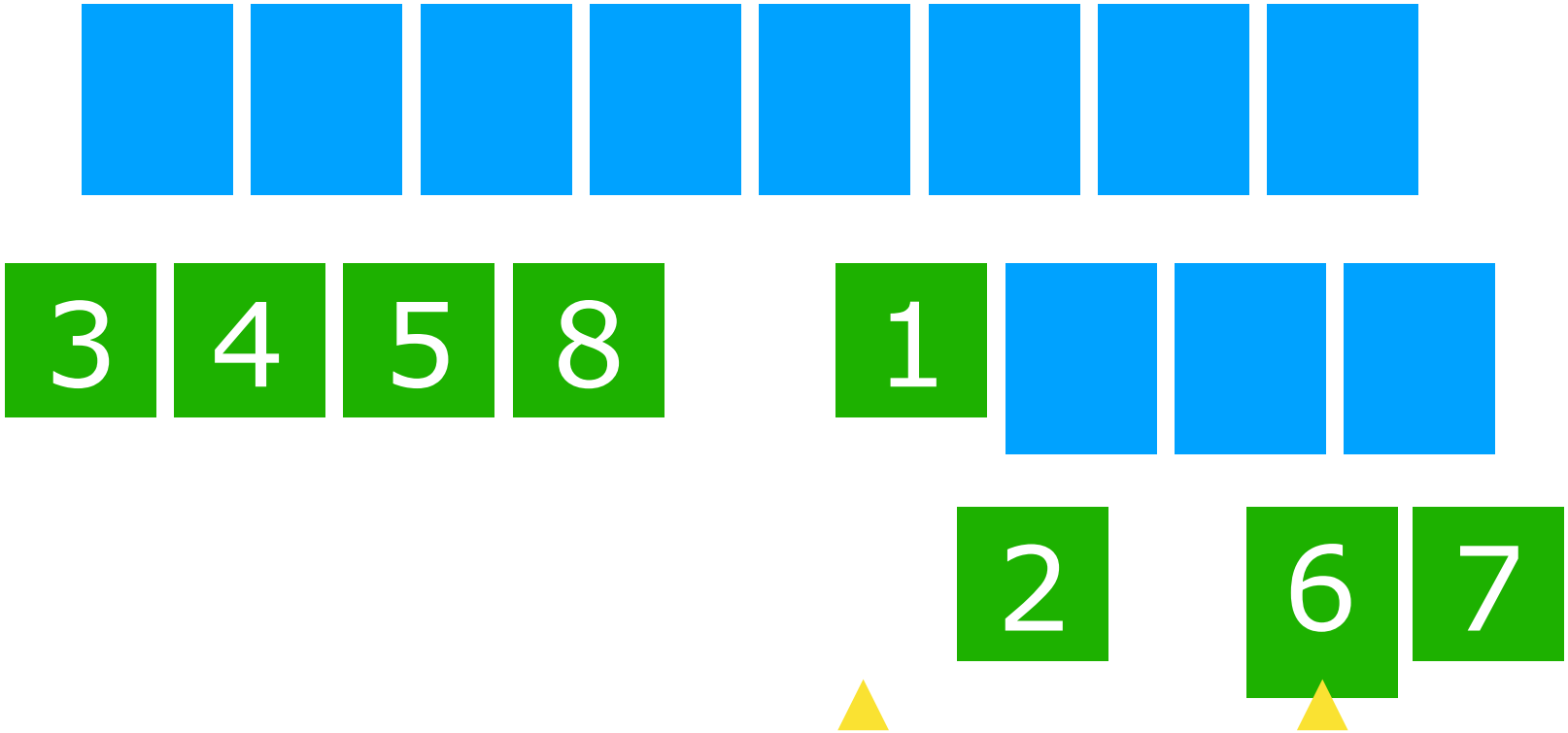
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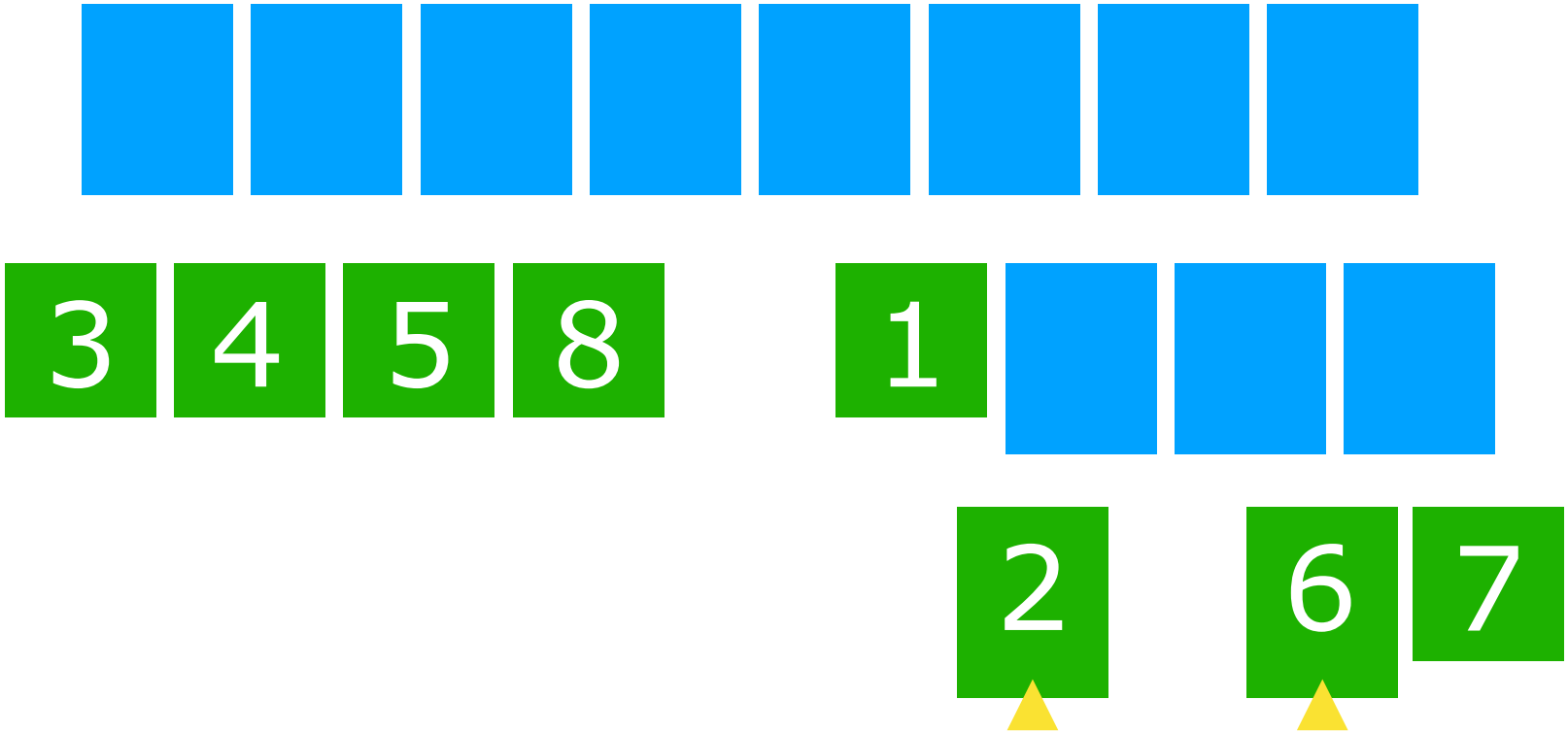
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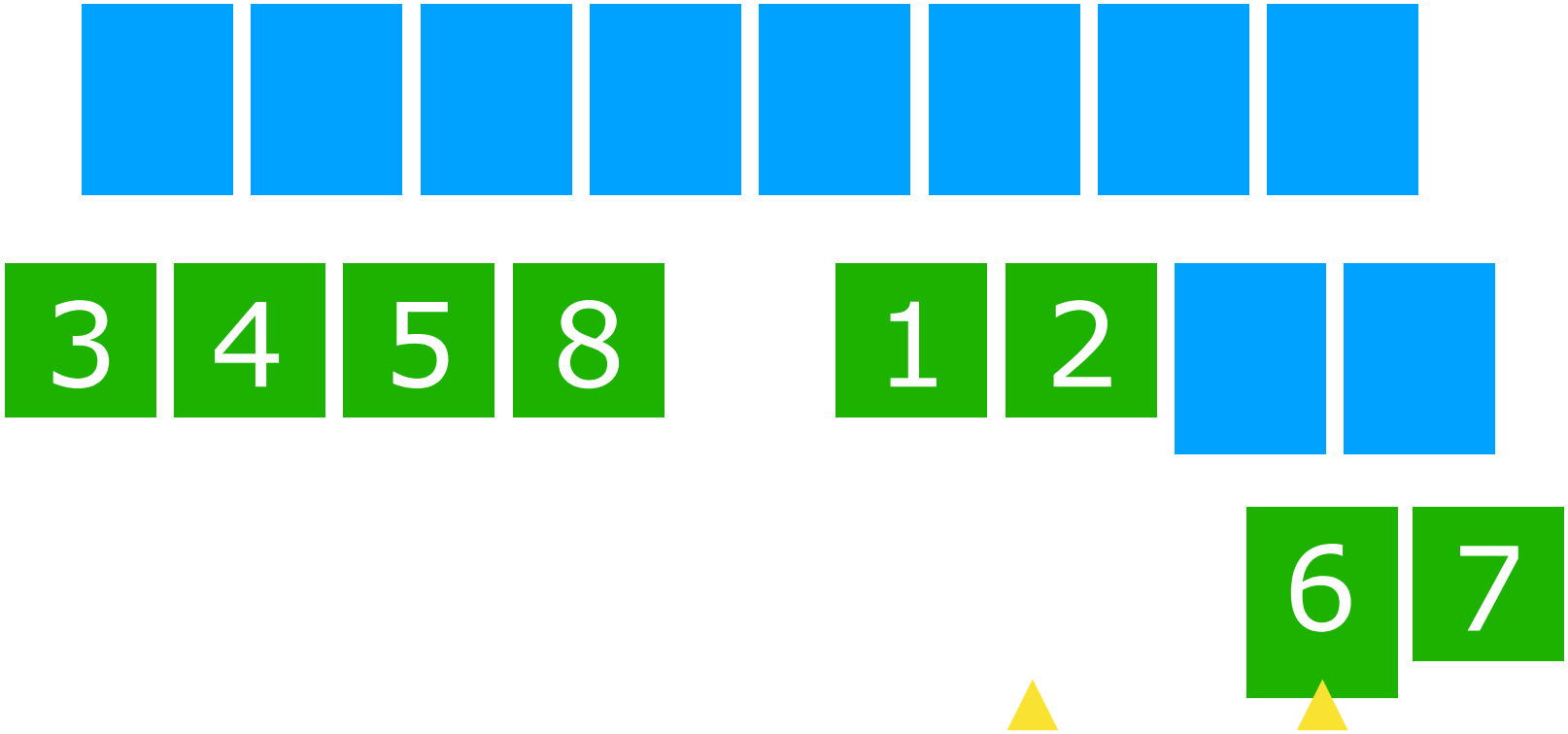
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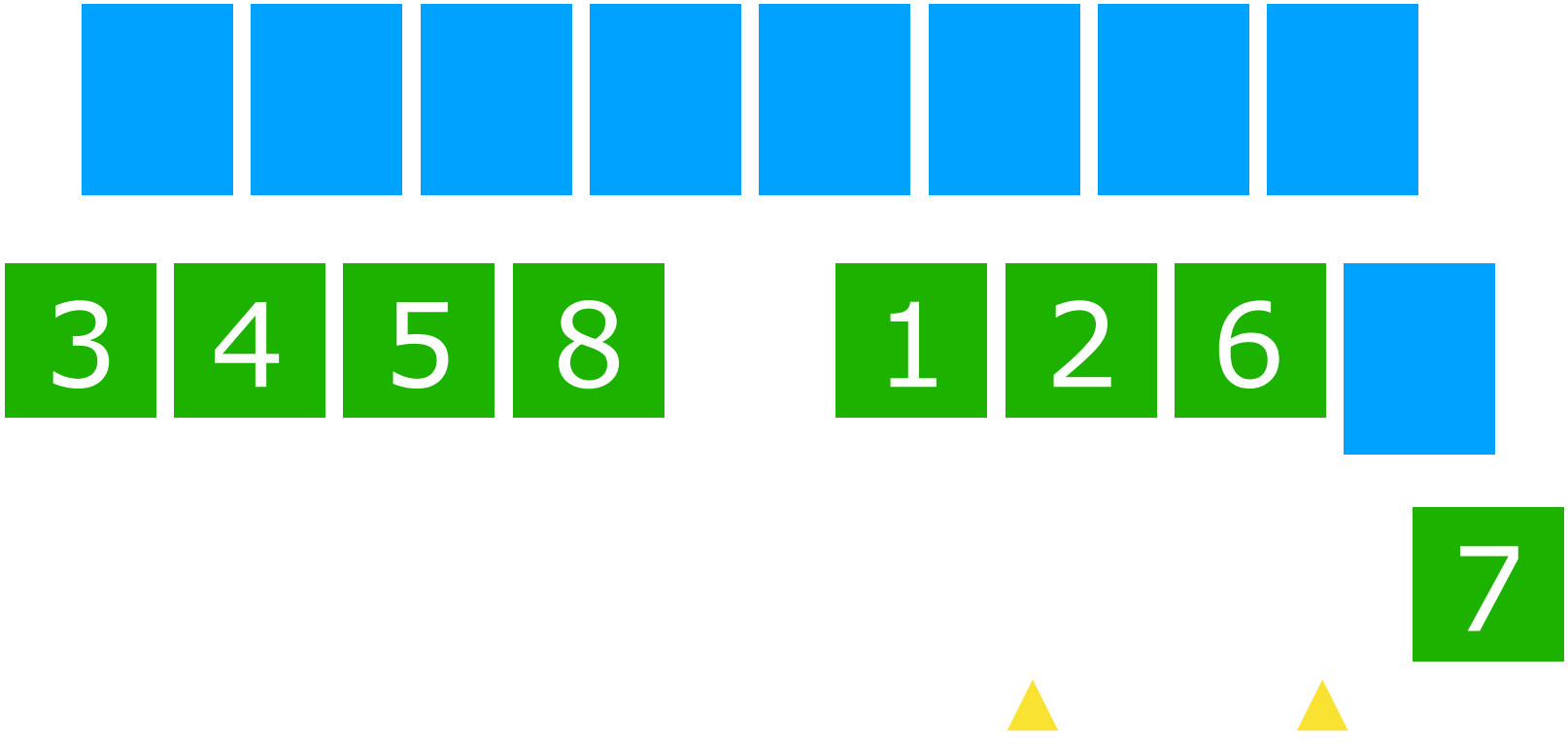
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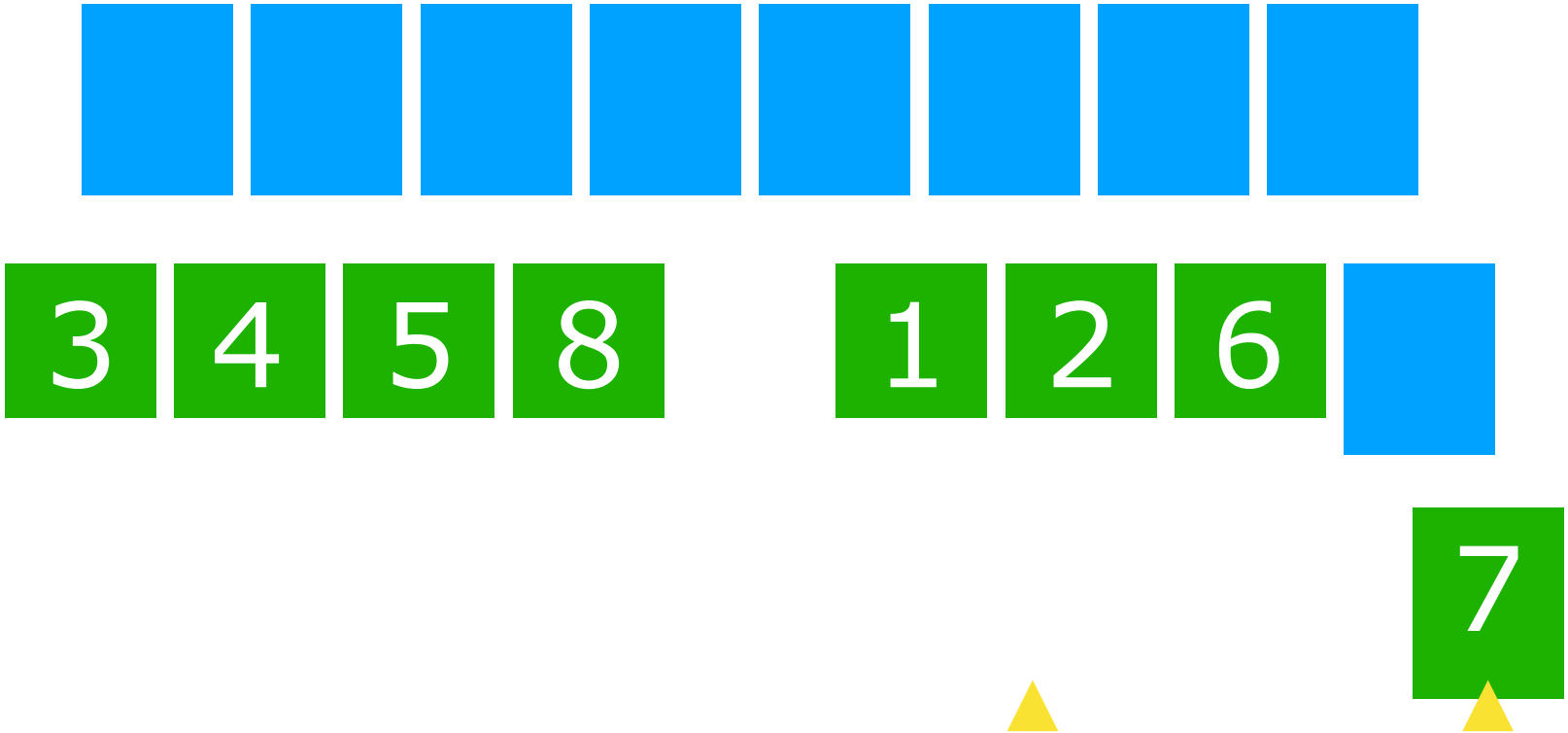
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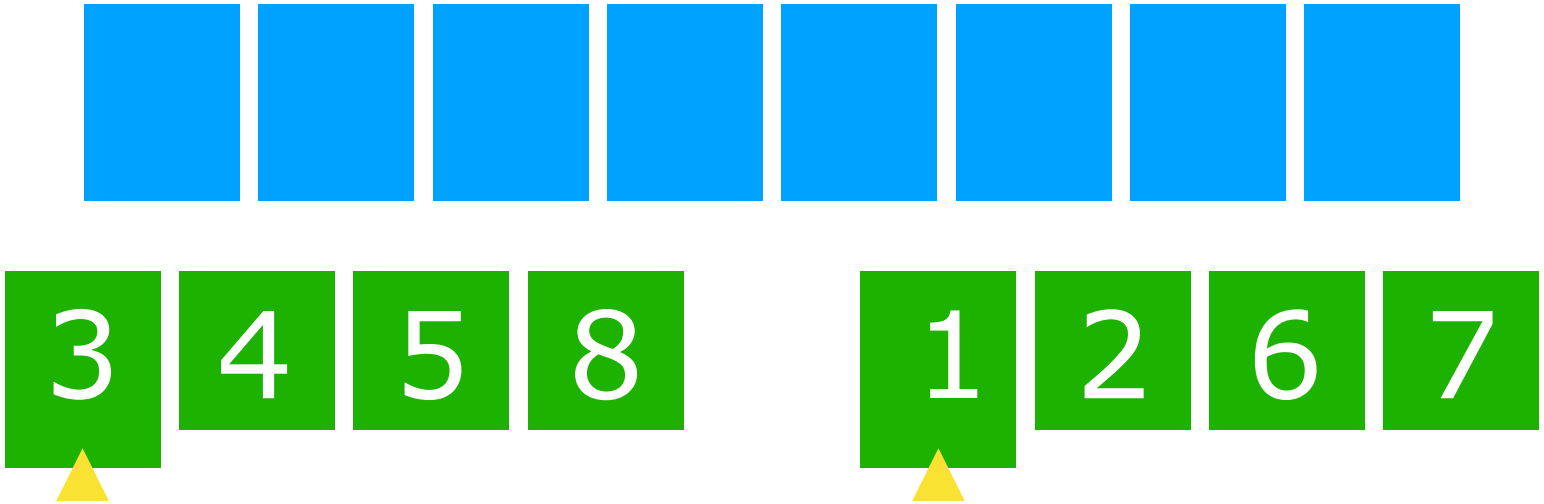
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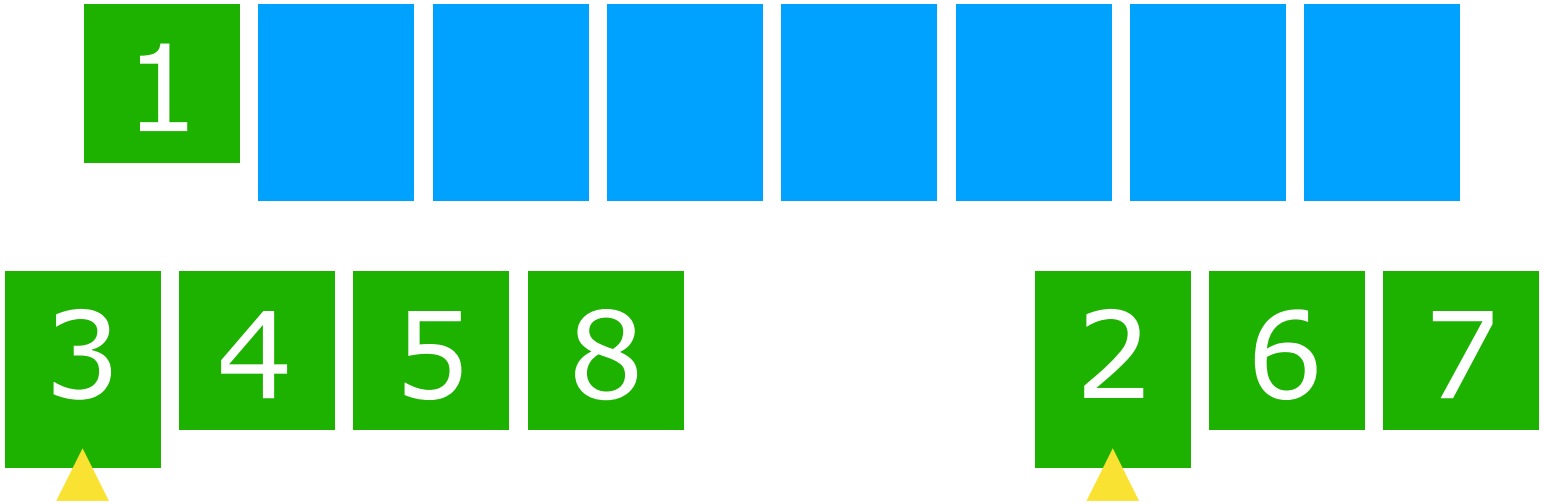
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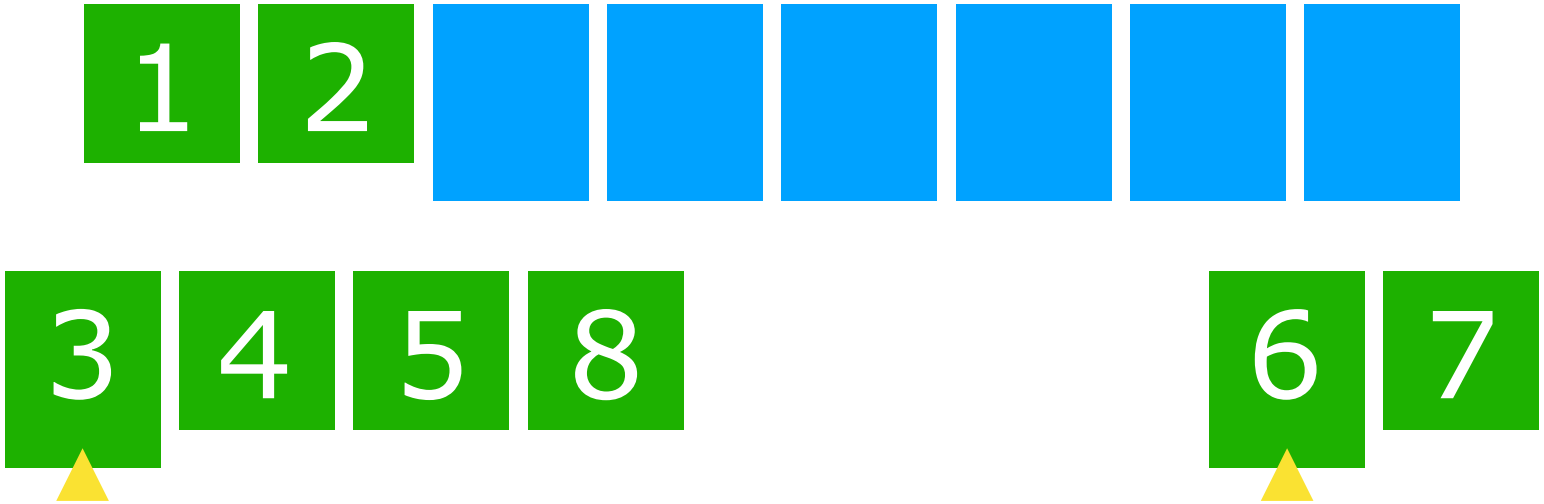
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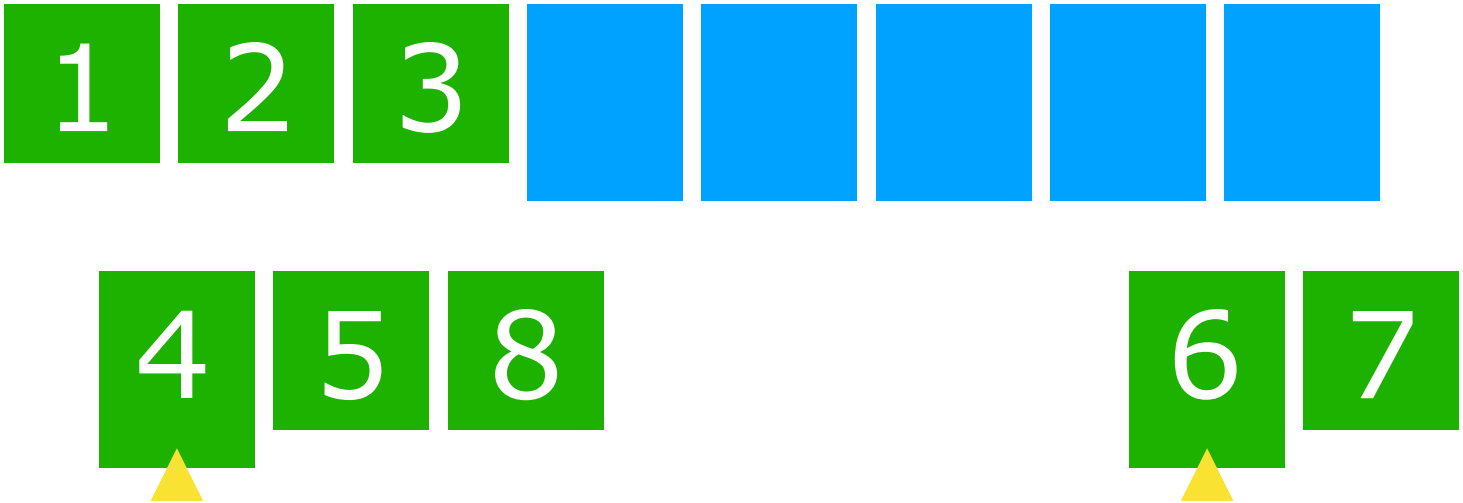
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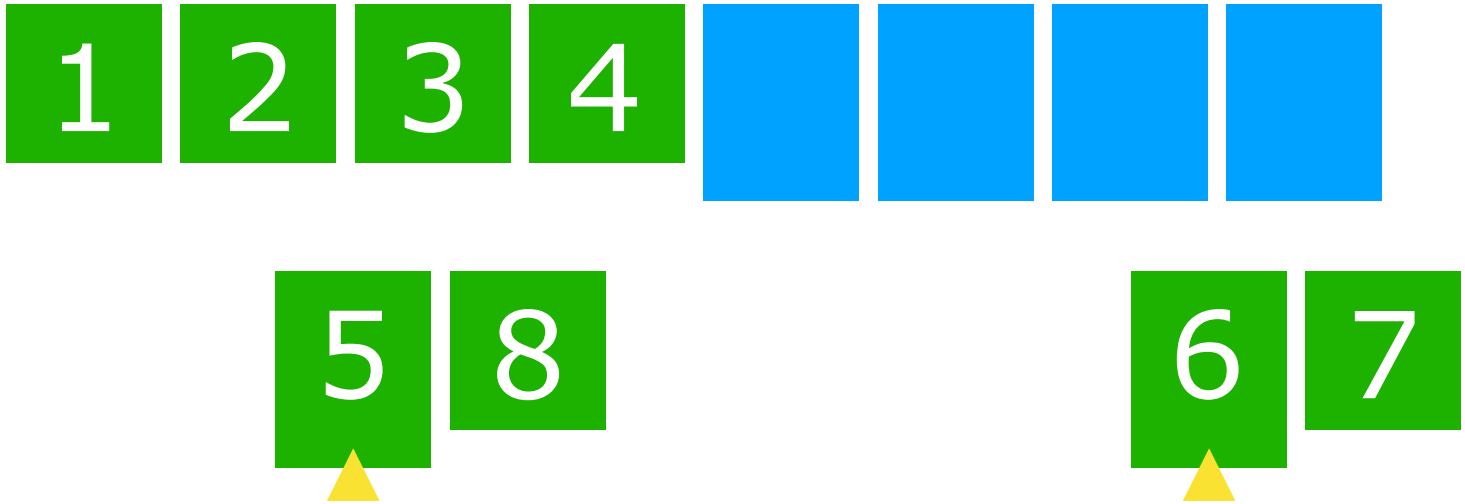
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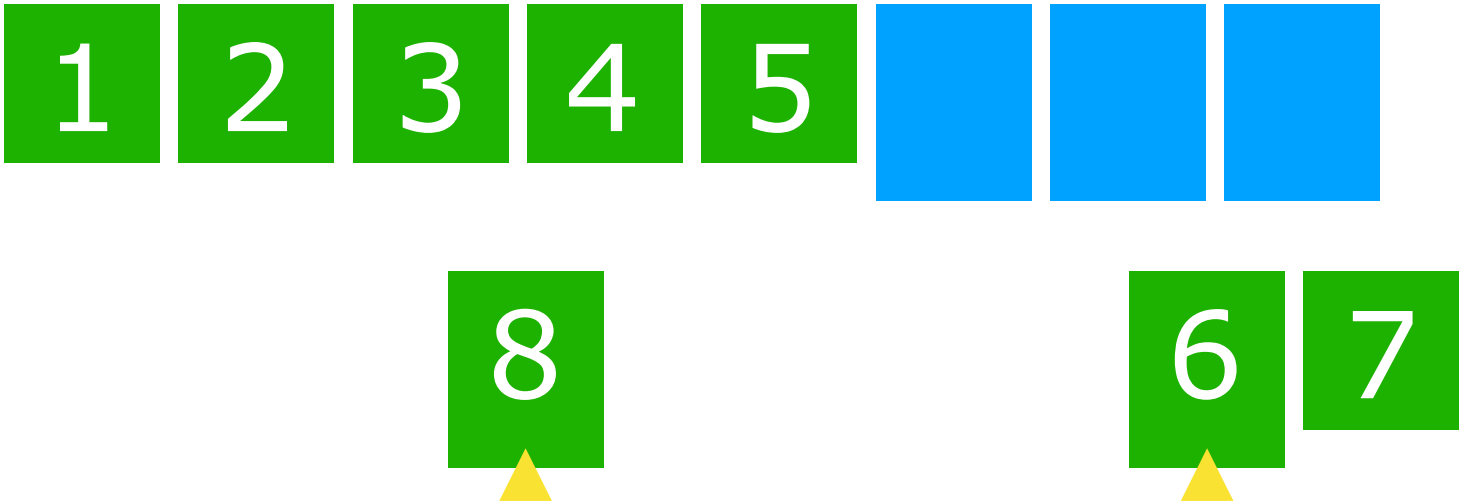
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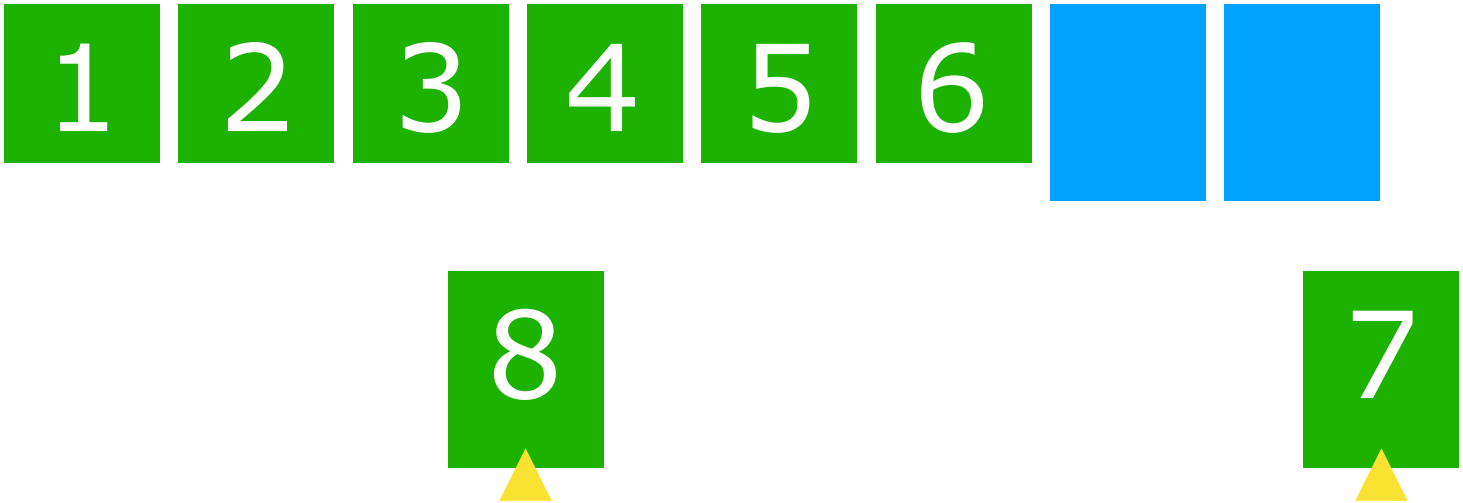
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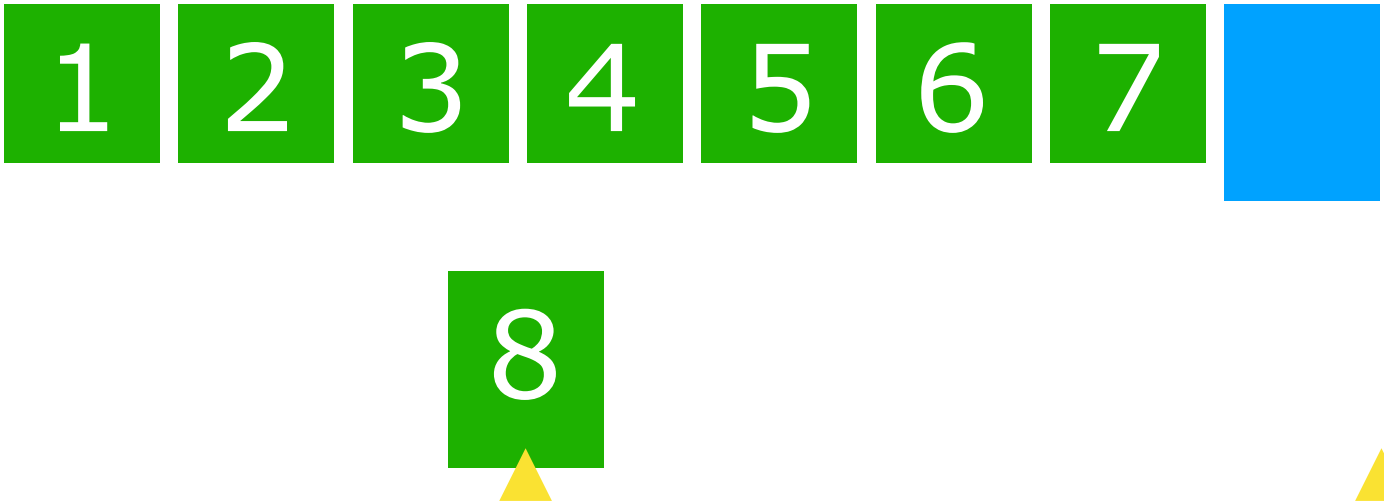
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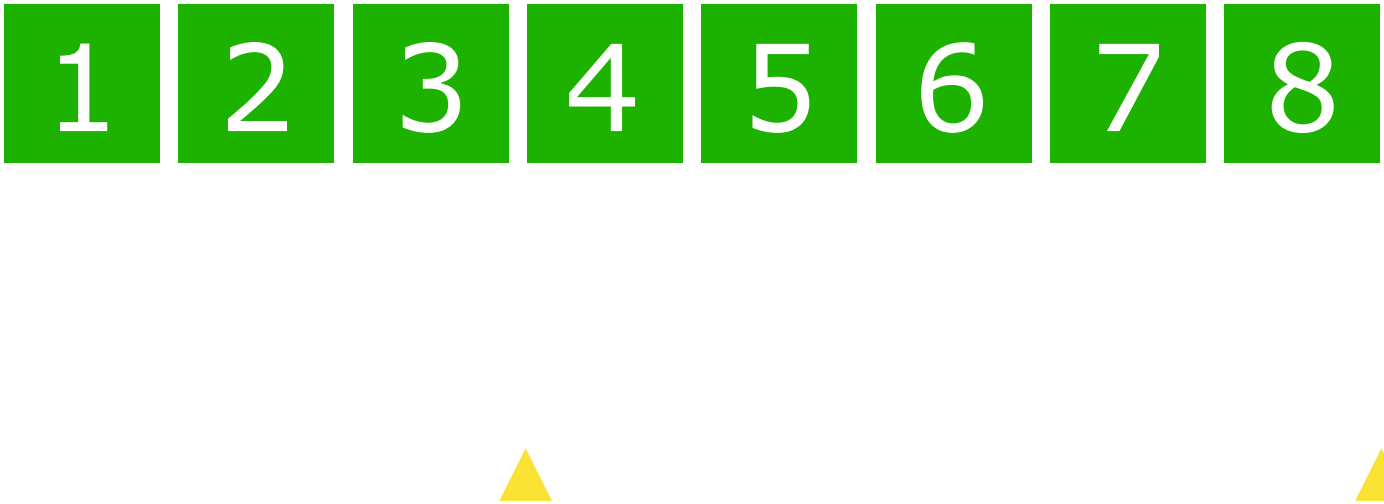
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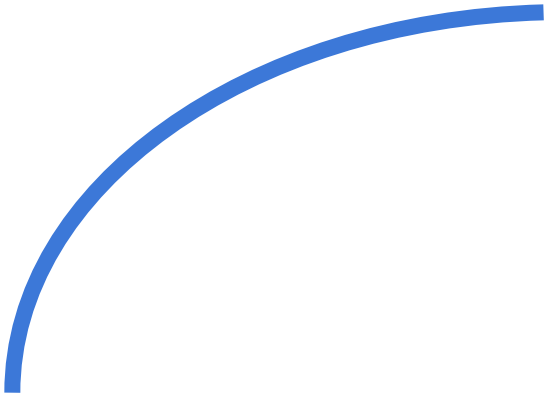
$O(\log_2(n))$ — "worst case" definition

In the worst case, I need to do $\log_2(n)$ steps to find my solution.

$O(\log_2(n))$ — "scaling" definition

I don't need to take another step in my algorithm until I double my input.



Lab

"Real" time (s)	Bubble 1	Merge 2	Selection 3
Sorted 50,000	.354s	.432s	3.599s
Random 50,000	7.558s	.495s	3.747s
Reversed 50,000	5.634s	.480s	3.838s

Tutorials

Office Hours

cs50.ly/attend

This was CS50