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1 Basic

1.1 Default Code

```
#include <iostream>
#include <iomanip>
#include <string>
#include <algorithm>
#include <vector>
#include <queue>
#include <bitset>
#include <map>
#include <set>
#include <unordered map>
#include <unordered set>
#include <cstdio>
#include <cstdlib>
#include <cstring>
#include <ctime>
#include <random>
#include <utility>
#include <stack>
#include <sstream>
#include <functional>
#include <deque>
#include <cassert>
using namespace std;
/* include everything for Kotori~ <3 */
typedef long long lld;
typedef unsigned long long llu;
typedef long double llf;
typedef pair<int, int> PII;
typedef pair<int, lld> PIL;
typedef pair<lld,int> PLI;
typedef pair<lld,lld> PLL;
template<typename T>
using maxHeap = priority_queue<T, vector<T>, less<T>>;
template<typename T>
using minHeap = priority_queue<T,vector<T>,greater<T>>;
/* define some types for Ruby! *,
#define FF first
#define SS second
#define SZ(x) (int)(x.size())
#define ALL(x) begin(x), end(x)
#define PB push back
#define WC(x) while(x--)
/* make code shorter for Di~a~ */
template<typename Iter>
ostream& _out(ostream &s, Iter b, Iter e) {
  s<<"/":
  for ( auto it=b; it!=e; it++ ) s<<(it==b?"":" ")<<*it</pre>
  s<<"]";
  return s;
template<typename A, typename B>
ostream& operator <<( ostream &s, const pair<A,B> &p )
    { return s<<"("<<p.FF<<","<<p.SS<<")"; }
template<typename T>
ostream& operator <<( ostream &s, const vector<T> &c )
   { return _out(s,ALL(c)); }
/* make output easier for Ainyan~n~ */
bool debug = 0;
#define DUMP(x) if(debug) cerr<< PRETTY FUNCTION <<":</pre>
    "<<__LINE__<<" - "<<#x<<"="<x<<'\n'
{\tt template}{<}{\tt typename}\  \, \mathbb{T}{>}
void DEBUG(const T& x) {if(debug) cerr<<x;}</pre>
template<typename T, typename... Args>
void DEBUG(const T& head, const Args& ...tail) {
 if(debug) {cerr<<head; DEBUG(tail...);}</pre>
/* Let's debug with Nico~Nico~Ni */
int main(int argc, char* argv[]){
 if(argc>1 and string(argv[1]) == "-D") debug=1;
  if(!debug) {ios_base::sync_with_stdio(0);cin.tie(0);}
  return 0;
```

1.2 IncreaseStackSize

```
//stack resize
asm( "mov %0,%%esp\n" ::"g"(mem+10000000) );
//change esp to rsp if 64-bit system

//stack resize (linux)
#include <sys/resource.h>
void increase_stack_size() {
   const rlim_t ks = 64*1024*1024;
   struct rlimit rl;
   int res=getrlimit(RLIMIT_STACK, &rl);
   if(res==0) {
      if(rl.rlim_cur<ks) {
        rl.rlim_cur=ks;
        res=setrlimit(RLIMIT_STACK, &rl);
    }
   }
}</pre>
```

1.3 Pragma optimization

```
#pragma GCC optimize("Ofast,no-stack-protector")
#pragma GCC target("avx,tune=native")
// or #pragma GCC target ("sse4")
```

2 Data Structure

2.1 Bigint

```
#include <algorithm>
#include<iostream>
#include<sstream>
#include<iomanip>
#include < vector >
#include<string>
#include < cmath >
using namespace std;
template<typename T>
inline string to string(const T& x) {
   stringstream ss;
   return ss<<x,ss.str();</pre>
typedef long long LL;
struct bigN:vector<LL>{
   const static int base=1000000000, width=log10(base);
   bool negative;
  bigN(const_iterator a,const_iterator b):vector<LL>(a
       ,b){}
   bigN(string s){
      if(s.empty())return;
      if(s[0]=='-') negative=1, s=s.substr(1);
      else negative=0;
      for (int i=int(s.size())-1;i>=0;i-=width) {
         LL t=0;
         for (int j=max(0,i-width+1);j<=i;++j)</pre>
            t=t*10+s[j]-'0';
         push back(t);
      trim();
   template<typename T>
      bigN(const T &x):bigN(to_string(x)){}
   bigN():negative(0){}
   void trim() {
      while(size()&&!back())pop back();
      if (empty()) negative=0;
   void carry(int _base=base) {
   for(size_t i=0;i<size();++i) {</pre>
         if(at(i)>=0&&at(i)< base)continue;</pre>
         if(i+1u==size())push back(0);
         int r=at(i)%_base;
         if(r<0)r+= base;
         at(i+1) += (at(i) -r) / base;
         at(i)=r;
   int abscmp(const bigN &b)const{
```

```
if(size()>b.size())return 1;
   if(size() < b.size()) return -1;</pre>
   for(int i=int(size())-1;i>=0;--i){
      if(at(i)>b[i])return 1;
      if(at(i) < b[i]) return -1;</pre>
   return 0:
int cmp(const bigN &b)const{
   if (negative!=b.negative) return negative?-1:1;
   return negative?-abscmp(b):abscmp(b);
bool operator<(const bigN&b) const{return cmp(b)<0;}</pre>
bool operator>(const bigN&b) const{return cmp(b)>0;}
bool operator<=(const bigN&b) const{return cmp(b)</pre>
    <=0;}
bool operator>=(const bigN&b)const(return cmp(b)
    >=0;
bool operator==(const bigN&b)const{return !cmp(b);}
bool operator!=(const bigN&b) const{return cmp(b)
    !=0;}
bigN abs()const{
   bigN res=*this;
   return res.negative=0, res;
bigN operator-()const{
   bigN res=*this;
   return res.negative=!negative, res;
bigN operator+(const bigN &b)const{
   if (negative) return - (-(*this) + (-b));
   if (b.negative) return *this-(-b);
   bigN res=*this;
   if (b.size()>size()) res.resize(b.size());
   for (size t i=0;i<b.size();++i)res[i]+=b[i];</pre>
   return res.carry(), res.trim(), res;
bigN operator-(const bigN &b)const{
   if (negative) return - (-(*this) - (-b));
   if (b.negative) return *this+(-b);
   if (abscmp(b) < 0) return - (b-(*this));</pre>
   bigN res=*this;
   if (b.size()>size()) res.resize(b.size());
   for (size_t i=0;i<b.size();++i)res[i]-=b[i];</pre>
   return res.carry(),res.trim(),res;
//operator* using karatsuba
bigN convert base(int old width,int new width)const{
   vector<long long> p(max(old_width,new_width)+1,1)
   for (size t i=1;i<p.size();++i)p[i]=p[i-1]*10;</pre>
   bigN ans;
   long long cur=0;
   int cur id=0;
   for(size t i=0;i<size();++i){</pre>
      cur+=at(i)*p[cur_id];
      cur id+=old width;
      while(cur id>=new width) {
         ans.push back(cur%p[new width]);
         cur/=p[new width];
         cur id-=new width;
   return ans.push back(cur),ans.trim(),ans;
bigN karatsuba(const bigN &b)const{
   bigN res;res.resize(size()*2);
   if(size()<=32){
      for (size t i=0;i<size();++i)</pre>
         for (size_t j=0; j < size(); ++j)</pre>
            res[i+j]+=at(i)*b[j];
      return res;
   size_t k=size()/2;
   bigN al(begin(),begin()+k);
   bigN a2(begin()+k,end());
   bigN b1(b.begin(),b.begin()+k);
   bigN b2(b.begin()+k,b.end());
   bigN alb1=a1.karatsuba(b1);
   bigN a2b2=a2.karatsuba(b2);
   for(size t i=0;i<k;++i)a2[i]+=a1[i];</pre>
   for(size_t i=0;i<k;++i)b2[i]+=b1[i];</pre>
   bigN r=a2.karatsuba(b2);
```

```
for(size t i=0;i<alb1.size();++i)r[i]-=alb1[i];</pre>
      for (size t i=0;i<a2b2.size();++i)r[i]-=a2b2[i];</pre>
      for(size t i=0;i<r.size();++i)res[i+k]+=r[i];</pre>
      for(size t i=0;i<alb1.size();++i)res[i]+=alb1[i];</pre>
      for (size t i=0; i < a2b2.size(); ++i) res[i+size()] +=</pre>
          a2b2[i]:
      return res;
   bigN operator*(const bigN &b)const{
      const static int mul base=1000000, mul width=log10
           (mul base);
      bigN A=convert base(width, mul width);
      bigN B=b.convert base(width, mul width);
      int n=max(A.size(),B.size());
      while (n& (n-1))++n;
      A.resize(n), B.resize(n);
      bigN res=A.karatsuba(B);
      res.negative=negative!=b.negative;
      res.carry(mul base);
      res=res.convert base(mul width, width);
      return res.trim(),res;
   bigN operator*(long long b)const{
      bigN res=*this;
      if (b<0) res.negative=!negative,b=-b;</pre>
      for(size t i=0,is=0;i<res.size()||is;++i){</pre>
         if (i==res.size()) res.push back(0);
         long long a=res[i]*b+is;
         is=a/base;
         res[i]=a%base;
      return res.trim(),res;
   bigN operator/(const bigN &b)const{
      int norm=base/(b.back()+1);
      bigN x=abs()*norm;
      bigN y=b.abs()*norm;
      bigN q,r;
      q.resize(x.size());
      for(int i=int(x.size())-1;i>=0;--i){
         r=r*base+x[i];
         int s1=r.size() <=y.size()?0:r[y.size()];</pre>
         int s2=r.size()<y.size()?0:r[y.size()-1];</pre>
         int d=(LL(base)*s1+s2)/y.back();
         r=r-y*d;
         while (r.negative) r=r+y, --d;
         q[i]=d;
      q.negative=negative!=b.negative;
      return q.trim(),q;
   bigN operator%(const bigN &b)const{
      return *this-(*this/b) *b;
   friend istream& operator>>(istream &ss,bigN &b){
      string s;
      return ss>>s, b=s, ss;
   friend ostream& operator<<(ostream &ss,const bigN &b</pre>
      if (b.negative) ss<< '-';</pre>
      ss<<(b.empty()?0:b.back());
      for(int i=int(b.size())-2;i>=0;--i)
         ss<<setw(width)<<setfill('0')<<b[i];
      return ss;
   template<typename T>
      operator T() {
         stringstream ss;
         ss<<*this;
         T res;
         return ss>>res,res;
};
```

2.2 Fraction

```
********
#ifndef SUNMOON FRACTION
#define SUNMOON FRACTION
#include <algorithm>
template<typename T>
struct fraction{
  T n.d:
  fraction(const T & n=0,const T & d=1):n( n),d( d) {
    T t=std::__gcd(n,d);
    n/=t,d/=t;
    if (d<0) n=-n, d=-d;
  fraction operator-()const{
    return fraction(-n,d);
  fraction operator+(const fraction &b)const{
    return fraction(n*b.d+b.n*d,d*b.d);
  fraction operator-(const fraction &b)const{
    return fraction(n*b.d-b.n*d,d*b.d);
  fraction operator*(const fraction &b)const{
    return fraction(n*b.n,d*b.d);
  fraction operator/(const fraction &b)const{
   return fraction(n*b.d,d*b.n);
  fraction operator+=(const fraction &b) {
    return *this=fraction(n*b.d+b.n*d,d*b.d);
  fraction operator = (const fraction &b) {
   return *this=fraction(n*b.d-b.n*d,d*b.d);
  fraction operator*=(const fraction &b) {
   return *this=fraction(n*b.n,d*b.d);
  fraction operator/=(const fraction &b) {
    return *this=fraction(n*b.d,d*b.n);
 bool operator <(const fraction &b)const{</pre>
    return n*b.d<b.n*d;</pre>
 bool operator >(const fraction &b)const{
    return n*b.d>b.n*d;
  bool operator ==(const fraction &b)const{
   return n*b.d==b.n*d;
 bool operator <=(const fraction &b)const{</pre>
    return n*b.d<=b.n*d;</pre>
  bool operator >=(const fraction &b)const{
   return n*b.d>=b.n*d;
#endif
```

2.3 ScientificNotation

```
#include <cmath>
#include <cstdio>
#include <iostream>
#include <algorithm>
struct SciFi{
    typedef double base t;
  base t x; int p;
  SciFi() {x=0;p=0;}
  SciFi(base t k) {
    p = floor(log10(k));
    x = k / pow((base t)10, p);
  SciFi(base_t a, int b) {
    x=a; p=b;
  SciFi operator=(base t k) {
   p = floor(log10(k));
    x = k / pow((base_t)10, p);
return *this;
  SciFi operator*(SciFi k)const{
    int nP = p+k.p;
    base t nX = x*k.x;
    \overline{\text{int}} = \text{floor}(\log 10 (\text{nX}));
```

```
return SciFi(nX/pow((base t)10, tp), nP+tp);
 SciFi operator*=(SciFi k) {
   p+=k.p;
   x*=k.x;
   int tp = floor(log10(x));
   p+=tp;
    x/=pow((base t)10, tp);
   return *this;
 SciFi operator+(SciFi k)const{
    int newP = std::min(k.p, p);
   base t x1 = x*pow((base t)10, p-newP);
   base t x2 = k.x*pow((base t)10, k.p-newP);
   x1+=x2;
   int tp = floor(log10(x1));
   newP+=tp;
   x1 /= pow((base_t)10, tp);
    return SciFi(x1, newP);
 SciFi operator+=(SciFi k) {
   int newP = std::min(k.p, p);
   base_t x1 = x*pow((base_t)10, p-newP);
   base_t x2 = k.x*pow((base_t)10, k.p-newP);
   x1+=x2;
   int tp = floor(log10(x1));
   newP+=tp;
   x1 /= pow((base_t)10, tp);
    x=x1;p=newP;
   return *this;
 bool operator<(SciFi a)const{</pre>
   if(p == a.p) return x<a.x;</pre>
    return p<a.p;</pre>
 bool operator>(SciFi a) const{
   if(p == a.p) return x>a.x;
    return p>a.p;
 bool operator==(SciFi a)const{
   return p==a.p and x==a.x;
};
int main(){
 double a; scanf("%lf",&a);
 SciFi aa=a, x;
 x = aa*SciFi(2);
 printf("\$.21fe\$c\$03d\n", x.x, "+-"[x.p<0], abs(x.p));
 return 0;
```

2.4 unordered_map

2.5 extc_balance_tree

```
#include <functional>
#include <ext/pb_ds/assoc_container.hpp>
using std::less;
using std::greater;
using __gnu_pbds::tree;
using __gnu_pbds::rb_tree_tag;
using __gnu_pbds::ov_tree_tag;
using __gnu_pbds::splay_tree_tag;
using __gnu_pbds::null_type;
\textbf{template} {<} \textbf{typename} \  \, \mathbb{T} {>}
using ordered_set = tree<T, null_type, less<T>,
    rb_tree_tag, tree_order_statistics_node_update>;
template<typename A, B>
using ordered map = tree<A, B, less<A>, rb tree tag,
    tree_order_statistics_node_update>;
```

```
int main() {
  ordered_set<int> ss;
  ordered_map<int,int> mm;
  ss.insert(1);
  ss.insert(5);
  assert (*ss.find_by_order(0)==1);
  assert (ss.order_of_key(-1)==0);
  assert (ss.order_of_key(87)==2);
  return 0;
}
```

2.6 extc_heap

```
#include <functional>
#include <ext/pb_ds/assoc_container.hpp>
#include <ext/pb_ds/priority_queue.hpp>
using std::less;
using std::greater;
using __gnu_pbds::priority_queue;
using __gnu_pbds::pairing_heap_tag;
using __gnu_pbds::binary_heap_tag;
using __gnu_pbds::binomial_heap_tag;
using __gnu_pbds::rc_binomial_heap_tag;
using __gnu_pbds::thin heap tag;
int main(){
 priority_queue<int,less<int>,pairing_heap tag> pq1,
     pq2;
  pg1.push(1);
  pq2.push(2);
  pq1.join(pq2);
  assert(pq2.size() == 0);
  auto it = pq1.push(87);
  pq1.modify(it, 19);
  while(!pq1.empty()){
    pq1.top();
   pq1.pop();
  return 0;
```

2.7 PairingHeap

```
#include <vector>
using std::vector;
template<typename T>
class pairingHeap{
 private:
    struct pairingNode{
      T val;
      vector<pairingNode*> child;
    };
    pairingNode* root;
    size_t count=0;
  public:
    pairingHeap() {root=NULL;count=0;}
    inline bool empty() {return count==0;}
    inline T top(){return root->val;}
    inline size_t size() {return count;}
    inline void push(T a) {
      count++;
      if (root==NULL) {
        root = new pairingNode;
        root->val=a;
      }else{
        auto temp = new pairingNode;
        temp->val=a;
        if(root->val>=temp->val)
          root->child.push_back(temp);
        else{
          temp->child.push_back(root);
          swap(temp,root);
      }
    inline void join(pairingHeap& a) {
      count+=a.size();
      auto temp = a.root;
      if (root->val>=temp->val) {
        root->child.push_back(temp);
```

```
}else{
        temp->child.push back(root);
        swap(temp,root);
      a.root=nullptr;
      a.count=0;
    inline void pop(){
      count--;
      queue<pairingNode*> QQ;
      for(auto i:root->child) QQ.push(i);
      delete root;
      while (QQ.size()>1) {
        pairingNode* tp1=QQ.front();QQ.pop();
        pairingNode* tp2=QQ.front();QQ.pop();
        if(tp1->val>tp2->val) {
          tp1->child.push back(tp2);
          QQ.push(tp1);
        }else{
          tp2->child.push back(tp1);
          QQ.push(tp2);
      if(QQ.empty()) root=NULL;
      else root = QQ.front();
};
int main(){
 pairingHeap<int> pq1, pq2;
  for (int i=0; i<1e5; i++) pq1.push(i);</pre>
 for(int i=1e5;i<2e5;i++) pq2.push(i);</pre>
 pq1.join(pq2);
  while(!pq1.empty()){
    // cout<<pq1.top()<<" ";
   pq1.pop();
  return 0;
```

2.8 Disjoint Set

```
class DJS{
  private:
    int arr[N];
  public:
    int query(int x) {
      while(arr[x]!=x) x=arr[x];
      return x;
    }
    int merge(int a, int b) {
      arr[query(a)]=query(b);
    }
};
```

2.9 Treap

```
#include <cstdlib>
class Treap{
 private:
    struct node{
      node* 1;
      node* r;
      int pri,size,val;
      node(){l=NULL;r=NULL;pri=rand();size=0;}
      node(int x) {l=NULL; r=NULL; pri=rand(); size=1; val=x
      ~node() {if(l)delete l;if(r)delete r;l=NULL;r=NULL
          ; }
    };
    node* root;
    inline int gSize(node* x) {return (x==NULL)?0:(x->
        size);}
    node* merge(node* x, node* y) {
      if (x==NULL||y==NULL) return x?x:y;
      else if(x->pri > y->pri){
        x->r = merge(x->r,y);
        x->size = gSize(x->1)+gSize(x->r)+1;
        return x;
      }else{
        y->1 = merge(x, y->1);
```

```
y->size = gSize(y->1)+gSize(y->r)+1;
        return y;
      }
    void split(node* rr, int x, node*& 1, node*& r) {
      if (rr==NULL) r=1=NULL;
      else if(rr->val <= x) {</pre>
        l=rr;
        split(rr->r, x, l->r, r);
        1->size = gSize(1->r)+gSize(1->1)+1;
      }else{
        r=rr;
        split(rr->1, x, 1, r->1);
        r->size = gSize(r->r)+gSize(r->l)+1;
    int oOk(node* rr, int x) {
      if (rr==NULL) return 0;
      if((rr->val) < x)return gSize(rr->l)+oOk(rr->r, x
          )+1;
      else return oOk(rr->1, x);
 public:
    Treap() {root=NULL;}
    ~Treap() { delete root; root=NULL; }
    void insert(int x) {
     node *a, *b;
      split(root, x, a, b);
      root = merge(merge(a, new node(x)), b);
      root->size = gSize(root->l)+gSize(root->r)+1;
    void remove(int x) {
      //need debug may contain bugs
      node *a, *b, *c, *d;
      split(root, x, a, b);
      a->size = gSize(a->1)+gSize(a->r);
     split(a, x-1, c, d);
      root = merge(b, c);
      root->size = gSize(root->1)+gSize(root->r);
      delete d;
    int order of key(int x) {return oOk(root,x);}
};
int main(){
  return 0;
```

2.10 SparseTable

```
#include <algorithm>
using std::min;
const int N = 1<<20;</pre>
const int LOG N = 21;
class SparseTable{
  private:
    int table[N][LOG_N];
  public:
     void build(int n, int arr[]) {
        // [1, n]
       for(int i=1;i<=n;i++) table[i][0] = arr[i];</pre>
       for (int j=1; (1<<j) <=n; j++) {</pre>
         for (int i=1; i+(1<<j)-1<=n; i++) {</pre>
            table[i][j] = min(table[i][j-1], table[i]
                 +(1<<(j-1))][j-1]);
       }
     int query(int 1, int r) {
       // 1-base [1, r]
       int k = 31- builtin clz(r-l+1);
       return min(\overline{\text{table}}[1][\overline{k}], table[r-(1<<k)+1][k]);
};
```

3 Graph

3.1 BCC Edge

```
struct BccEdge {
  static const int MXN = 100005;
  struct Edge { int v,eid; };
  int n,m,step,par[MXN],dfn[MXN],low[MXN];
  vector<Edge> E[MXN];
  DisjointSet djs;
  void init(int _n) {
  n = _n; m = 0;
  for (int i=0; i<n; i++) E[i].clear();</pre>
    djs.init(n);
  void add_edge(int u, int v) {
    E[u].PB(\{v, m\});
    E[v].PB({u, m});
    m++;
  void DFS(int u, int f, int f_eid) {
    par[u] = f;
    dfn[u] = low[u] = step++;
    for (auto it:E[u]) {
      if (it.eid == f_eid) continue;
      int v = it.v;
      if (dfn[v] == -1) {
        DFS(v, u, it.eid);
        low[u] = min(low[u], low[v]);
      } else {
        low[u] = min(low[u], dfn[v]);
    }
  void solve() {
    step = 0;
    memset(dfn, -1, sizeof(int)*n);
    for (int i=0; i<n; i++) {</pre>
     if (dfn[i] == -1) DFS(i, i, -1);
    djs.init(n);
    for (int i=0; i<n; i++) {</pre>
      if (low[i] < dfn[i]) djs.uni(i, par[i]);</pre>
};
```

3.2 BCC Vertex

```
struct BccVertex {
 int n,nBcc,step,root,dfn[MXN],low[MXN];
 vector<int> E[MXN], ap;
 vector<pii> bcc[MXN];
 int top;
 pii stk[MXN];
 void init(int _n) {
   n = _n;
   nBcc = step = 0;
   for (int i=0; i<n; i++) E[i].clear();</pre>
 void add_edge(int u, int v) {
   E[u].PB(v);
   E[v].PB(u);
 void DFS(int u, int f) {
   dfn[u] = low[u] = step++;
    int son = 0;
    for (auto v:E[u]) {
      if (v == f) continue;
      if (dfn[v] == -1) {
        son++;
        stk[top++] = \{u,v\};
        DFS(v,u);
        if (low[v] >= dfn[u]) {
          if(v != root) ap.PB(v);
          do {
            assert(top > 0);
           bcc[nBcc].PB(stk[--top]);
          } while (stk[top] != pii(u,v));
         nBcc++;
        low[u] = min(low[u], low[v]);
```

```
} else {
      if (dfn[v] < dfn[u]) stk[top++] = pii(u,v);
      low[u] = min(low[u], dfn[v]);
  if (u == root && son > 1) ap.PB(u);
// return the edges of each bcc;
vector<vector<pii>>> solve() {
  vector<vector<pii>>> res;
  for (int i=0; i<n; i++) {</pre>
   dfn[i] = low[i] = -1;
  ap.clear();
  for (int i=0; i<n; i++) {</pre>
   if (dfn[i] == -1) {
     top = 0;
     root = i;
      DFS(i,i);
 REP(i,nBcc) res.PB(bcc[i]);
  return res;
```

3.3 Strongly Connected Components

```
int n, nScc, vst[MXN], bln[MXN];
  vector<int> E[MXN], rE[MXN], vec;
  void init(int _n) {
    n = _n;
for (int i=0; i<n; i++) {
      E[i].clear();
      rE[i].clear();
  void add edge(int u, int v) {
    E[u].PB(v);
    rE[v].PB(u);
  void DFS(int u) {
    vst[u]=1;
    for (auto v : E[u])
      if (!vst[v]) DFS(v);
    vec.PB(u);
  void rDFS(int u) {
    vst[u] = 1;
    bln[u] = nScc;
    for (auto v : rE[u])
      if (!vst[v]) rDFS(v);
  void solve(){
   nScc = 0;
    vec.clear();
    for (int i=0; i<n; i++) vst[i] = 0;</pre>
    for (int i=0; i<n; i++)</pre>
      if (!vst[i]) DFS(i);
    reverse(vec.begin(), vec.end());
    for (int i=0; i<n; i++) vst[i] = 0;</pre>
    for (auto v : vec) {
      if (!vst[v]) {
        nScc++;
      }
    }
};
```

3.4 Articulation Point

```
#include <bits/stdc++.h>
using namespace std;
#define N 1000000+5

class AP{
   private:
    vector<int> graph[N];
   bitset<N> visited, result;
   int low[N], lv[N];
```

```
void dfs(int x, int f, int cnt) {
      low[x]=cnt:
      lv[x]=cnt;
      visited[x]=1;
      int child=0;
      for(auto i:graph[x]){
        if(i!=f){
          if(visited[i]){
            low[x] = min(low[x], low[i]);
          }else{
            child++;
            dfs(i,x,cnt+1);
            low[x] = min(low[x], low[i]);
            if(low[i] >= lv[x]) result[x]=1;
        }
      if(lv[x]==1 && child <= 1)</pre>
        result[x]=0;
 public:
    void init(int sz){
      for(int i=0;i<sz;i++) graph[i].clear();</pre>
      visited.reset(); result.reset();
    void AddEdge(int u, int v) {
      graph[u].push_back(v);
      graph[v].push_back(u);
    void solve() {
     dfs(1, 1, 1);
   bool isAP(int x) {
      return result[x];
} ap;
int main(){
 int n,m;cin>>n>m;
  ap.init(n+2);
  for (int i=0;i<m;i++) {</pre>
   int st,ed;cin>>st>>ed;
    ap.AddEdge(st, ed);
 ap.solve();
 for (int i=1;i<=n;i++) if (ap.isAP(i)) cout<<i<'\n';</pre>
 return 0;
```

3.5 Bipartie Matching

```
#include <bits/stdc++.h>
using namespace std;
#define N 500
class BipartieMatching{
 private:
    vector<int> X[N], Y[N];
    int fX[N], fY[N], n;
    bitset<N> walked;
   bool dfs(int x) {
      for(auto i:X[x]){
        if (walked[i]) continue;
        walked[i]=1;
        if (fY[i] ==-1||dfs(fY[i])) {
          fY[i]=x;fX[x]=i;
          return 1;
        }
      return 0;
 public:
    void init(int _n){
      for (int i=0; i<n; i++) {</pre>
        X[i].clear();
        Y[i].clear());
        fX[i] = fY[i] = -1;
      walked.reset();
    void AddEdge(int x, int y) {
      X[x].push back(y);
      Y[y].push_back(y);
```

```
}
int solve() {
    int cnt = 0;
    for(int i=0;i<n;i++) {
        walked.reset();
        if(dfs(i)) cnt++;
    }
    // return how many pair matched
    return cnt;
}

};</pre>
```

3.6 MinimumCostMaximumFlow

```
class MiniCostMaxiFlow{
  typedef int CapT;
  typedef lld WeiT;
  typedef pair<CapT, WeiT> PCW;
  const CapT INF CAP = 1<<30;</pre>
  const WeiT INF WEI = 1LL<<60;</pre>
  const int MAXV = N;
  private:
    struct Edge{
      int to, back;
      WeiT wei;
      CapT cap;
      Edge() { }
      Edge(int a, int b, WeiT c, CapT d): to(a), back(b
           ), wei(c), cap(d) {}
    int ori, edd, V;
    vector<Edge> G[MAXV];
    int fa[MAXV], wh[MAXV];
    bool inq[MAXV];
    WeiT dis[MAXV];
    PCW SPFA() {
      for (int i=0;i<V;i++) inq[i]=0;</pre>
      for(int i=0;i<V;i++) dis[i]=INF WEI;</pre>
      queue<int> qq;
      qq.push(ori);
      dis[ori]=0;
      while(!qq.empty()){
        int u = qq.front(); qq.pop();
         inq[u]=0;
         for (int i=0;i<SZ(G[u]);i++) {</pre>
           Edge e = G[u][i];
           int v = e.to;
           WeiT d = e.wei;
           if(e.cap > 0 and dis[v] > dis[u]+d) {
             dis[v]=dis[u]+d;
             fa[v]=u;
             wh[v] = i:
             if(inq[v]) continue;
             qq.push(v);
             inq[v]=1;
        }
      if (dis[edd] == INF WEI) return {-1, -1};
      CapT mw=INF CAP;
      for(int i=edd;i!=ori;i=fa[i]) {
        mw = min(mw, G[fa[i]][wh[i]].cap);
      for(int i=edd;i!=ori;i=fa[i]) {
        auto &eg = G[fa[i]][wh[i]];
         eg.cap -= mw;
        G[eg.to][eg.back].cap += mw;
      return {mw, dis[edd]};
  public:
    void init(int a, int b, int n=MAXV) {
      V=n;
      ori = a;
      edd = b;
      for(int i=0;i<n;i++) G[i].clear();</pre>
    void addEdge(int st, int ed, WeiT w, CapT c){
  G[st].PB(Edge(ed, SZ(G[ed]), w, c));
      G[ed].PB(Edge(st, SZ(G[st])-1, -w, 0));
    PCW solve(){
      CapT cc=0; WeiT ww=0;
      while(true) {
```

}

```
PCW ret = SPFA();
    if(ret.FF==-1) break;
    cc += ret.FF;
    ww += ret.SS;
}
return {cc, ww};
}
p mcmf;
```

4 Math

4.1 ax+by=gcd

```
// By Adrien1018 (not knowing how to use.
// ax+ny = 1, ax+ny == ax == 1 (mod n)
tuple<int, int, int> extended_gcd(int a, int b) {
   if (!b) return make_tuple(a, 1, 0);
   int d, x, y;
   tie(d, x, y) = extended_gcd(b, a % b);
   return make_tuple(d, y, x - (a / b) * y);
}
// ax+by = gcd (by Eddy1021
PII gcd(int a, int b) {
   if(b == 0) return {1, 0};
   PII q = gcd(b, a % b);
   return {q.second, q.first - q.second * (a / b)};
}
```

4.2 Pollard Rho

```
// coded by hanhanW
// does not work when n is prime
long long modit(long long x,long long mod) {
 if(x>=mod) x-=mod;
  //if(x<0) x+=mod;
long long mult(long long x,long long y,long long mod) {
 long long s=0, m=x%mod;
  while(y) {
   if(y&1) s=modit(s+m, mod);
    y>>=1;
   m=modit(m+m, mod);
 return s;
long long f(long long x,long long mod) {
 return modit(mult(x,x,mod)+1,mod);
long long pollard_rho(long long n) {
 if(!(n&1)) return 2;
  while (true) {
    long long y=2, x=rand()%(n-1)+1, res=1;
for (int sz=2; res==1; sz*=2) {
      for (int i=0; i<sz && res<=1; i++) {</pre>
        x = f(x, n);
        res = _gcd(abs(x-y), n);
      y = x;
    if (res!=0 && res!=n) return res;
```

4.3 Linear Sieve

```
const int N = 20000000;
bool sieve[N];
void linear_sieve() {
  vectorsint> prime;
  for (int i=2; i<N; i++) {
    if (!sieve[i]) prime.push_back(i);
    for (int j=0; i*prime[j]<N; j++)
    {
      sieve[i*prime[j]] = true;
      if (i % prime[j] == 0) break;
    }
}
```

4.4 NloglogN Sieve

```
bool notprime[N];
vector<int> primes;

void Sieve(int n) {
    // reverse true false for quicker
    for(int i=2;i<=n;i++) {
        if(!notprime[i]) {
            primes.push_back(i);
            for(int j=i*i;j<=n;j+=i) notprime[i]=true;
        }
    }
}</pre>
```

4.5 Miller Rabin

```
template<typename T>
inline T pow(T a, T b, T mod) {// a^b mod mod
  T ret=1;
  while(b) {
    if(b&1) ret=(ret*a)%mod;
    b>>=1;
   a = (a*a) % mod;
  return ret%mod;
int sprp[3]={2,7,61};// for int range
int llsprp
    [7]={2,325,9375,28178,450775,9780504,1795265022};//
     at least unsigned long long
template<typename T>
inline bool isprime(T n,int *sprp,int num) {
  if(n==2) return 1:
  if (n<2 | | n%2==0) return 0;
  int t=0;
  T u=n-1;
  for (; u%2==0; ++t) u>>=1;
  for (int i=0;i<num;++i) {</pre>
    T a=sprp[i]%n;
    if(a==0 or a==1 or a==n-1)continue;
    T = pow(a,u,n);
    if (x==1 or x==n-1) continue;
    for (int j=0; j<t; ++j) {</pre>
      x=(x*x)%n;
      if(x==1)return 0;
      if (x==n-1) break;
    if (x==n-1) continue;
    return 0;
  return 1;
```

4.6 Inverse Element

```
// x's inverse mod k
// if k is prime
long long GetInv(long long x, long long k) {
    return qPow(x, k-2);
}
// if you need [1, x] (most use: [1, k-1]
void solve(int x, long long k) {
    inv[1] = 1;
    for(int i=2;i<x;i++)
        inv[i] = ((long long)(k - k/i) * inv[k % i]) % k;
}</pre>
```

4.7 Fast Fourier Transform

```
// const int MAXN = 262144;
  (must be 2^k)
// before any usage, run pre_fft() first
// To implement poly. multiply:
// fft( n , a );
// fft( n , b );
// for( int i = 0 ; i < n ; i++ )
// c[i] = a[i] * b[i];
// fft( n , c , 1 );
11
// then you have the result in c :: [cplx]
typedef long double ld;
typedef complex<ld> cplx;
const ld PI = acosl(-1);
const cplx I(0, 1);
cplx omega[MAXN+1];
void pre fft(){
 for (int i=0; i<=MAXN; i++)</pre>
   omega[i] = exp(i * 2 * PI / MAXN * I);
// n must be 2^k
void fft(int n, cplx a[], bool inv=false) {
 int basic = MAXN / n;
  int theta = basic;
 for (int m = n; m >= 2; m >>= 1) {
   int mh = m >> 1;
    for (int i = 0; i < mh; i++) {</pre>
     cplx w = omega[inv ? MAXN-(i*theta%MAXN)
                          : i*theta%MAXN];
      for (int j = i; j < n; j += m) {</pre>
       int k = j + mh;
        cplx x = a[j] - a[k];
       a[j] += a[k];
        a[k] = w * x;
    theta = (theta * 2) % MAXN;
 for (int j = 1; j < n - 1; j++) {</pre>
    for (int k = n >> 1; k > (i ^= k); k >>= 1);
    if (j < i) swap(a[i], a[j]);</pre>
 if (inv)
   for (i = 0; i < n; i++)
     a[i] /= n;
```

4.8 NTT

```
typedef long long LL;
  Remember coefficient are mod P
/* p=a*2^n+1
      2^n
  n
                                     root
                    97
       32
  5
                               3
                    193
       64
128
   6
                                3
   7
                    257
                                     3
      256
   8
                    257
                                     3
        512
                    7681
                                     17
       1024
  10
                    12289
                               12
                                     11
       2048
4096
  11
                    12289
                               6
                                     7 7
  12
                    12289
                               3
                                     11
       8192
  13
                    40961
                               5
                                     3
       16384
                    65537
       32768
                    65537
                                     3
  1.5
       65536
131072
                    65537
  16
                               1
  17
                    786433
                               6
                                     10
       262144
                    786433
                              3
                                     10 (605028353,
       2308, 3)
       524288
                    5767169
                                     .3
                               11
       1048576
2097152
  20
                    7340033
                                     .3
                               11
  21
                    23068673
                                     .3
       4194304
                   104857601 25
                                     3
   22
                               20
  23
       8388608
                    167772161
                    167772161 10
       16777216
  24
                    167772161 5
                                     3 (1107296257, 33,
  25
        33554432
       10)
      67108864
134217728
  26
                    469762049 7
   27
                    2013265921 15
                                     31 */
// (must be 2^k)
// To implement poly. multiply:
// NTT<P, root, MAXN> ntt;
```

```
ntt( n , a ); // or ntt.tran( n , a );
// ntt( n , b );
// for( int i = 0 ; i < n ; i++ )
// c[i] = a[i] * b[i];
// ntt(n,c,1);
// then you have the result in c::[LL]
template<LL P, LL root, int MAXN>
struct NTT {
 static LL bigmod(LL a, LL b) {
   LL res = 1;
    for (LL bs = a; b; b >>= 1, bs = (bs * bs) % P) {
      if(b&1) res=(res*bs)%P;
   return res;
  static LL inv(LL a, LL b) {
    if(a==1)return 1;
    return (((LL) (a-inv(b%a,a))*b+1)/a)%b;
 LL omega[MAXN+1];
 NTT() {
    omega[0] = 1;
    LL r = bigmod(root, (P-1)/MAXN);
    for (int i=1; i<=MAXN; i++)</pre>
     omega[i] = (omega[i-1]*r)%P;
  ^{\prime}// n must be 2^k
  void tran(int n, LL a[], bool inv ntt=false) {
    int basic = MAXN / n;
    int theta = basic;
    for (int m = n; m >= 2; m >>= 1) {
      int mh = m >> 1;
      for (int i = 0; i < mh; i++) {</pre>
        LL w = omega[i*theta%MAXN];
        for (int j = i; j < n; j += m) {</pre>
         int k = j + mh;
          LL x = a[j] - a[k];
          if (x < 0) x += P;
          a[j] += a[k];
          if (a[j] > P) a[j] -= P;
          a[k] = (w * x) % P;
      theta = (theta * 2) % MAXN;
    int i = 0;
    for (int j = 1; j < n - 1; j++) {</pre>
      for (int k = n >> 1; k > (i ^= k); k >>= 1);
      if (j < i) swap(a[i], a[j]);</pre>
    if (inv_ntt) {
  LL ni = inv(n,P);
      reverse( a+1 , a+n );
      for (i = 0; i < n; i++)</pre>
        a[i] = (a[i] * ni) % P;
   }
  void operator()(int n, LL a[], bool inv ntt=false) {
   tran(n, a, inv ntt);
};
const LL P=2013265921,root=31;
const int MAXN=4194304;
NTT<P, root, MAXN> ntt;
```

5 Geometry

5.1 Point Class

```
namespace Geometry{
  const long double EPS = 1e-8;
  const long double PI = acos((long double)-1);
  template<typename T>
  struct Point{
    typedef long double llf;
    T x, y;
  Point(): x(0), y(0){}
  Point(T _, T __): x(_), y(__){}
  template<typename T2>
```

```
Point(const Point<T2>& a): x(a.x), y(a.y){}
  inline llf theta() const {
    return atan2((llf)y, (llf)x);
  inline llf dis() const {
   return hypot((llf)x, (llf)y);
  inline llf dis(const Point& o) const {
    return hypot((llf)(x-o.x), (llf)(y-o.y));
  Point operator-(const Point& o) const {
    return Point(x-o.x, y-o.y);
  Point operator -= (const Point& o) {
    x-=o.x, y-=o.y;
    return *this;
  Point operator+(const Point& o) const {
    return Point(x+o.x, y+o.y);
  Point operator+=(const Point& o) {
   x+=0.x, y+=0.y;
    return *this;
  Point operator*(const T& k) const {
   return Point(x*k, y*k);
  Point operator*=(const T& k){
    x*=k, y*=k;
    return *this;
  Point operator/(const T& k) const {
    return Point(x/k, y/k);
  Point operator/=(const T& k) {
    x/=k, y/=k;
    return *this;
  Point operator-() const {
    return Point(-x, -y);
  template<class = typename is floating point<T>::
      type>
  bool operator==(const Point& o) const {
    return fabs(x-o.x) < EPS and fabs(y-o.y) < EPS;</pre>
  bool operator==(const Point& o) const {
    return x==0.x and y==0.y;
  bool operator!=(const Point& o) const {
    return !(*this == 0);
  friend inline T cross (const Point& a, const Point&
      b) {
    return a.x*b.y - b.x*a.y;
  friend inline T dot(const Point& a, const Point &b)
    return a.x*b.x + a.v*b.v;
  friend ostream& operator<<(ostream& ss, const Point</pre>
     { O &
    ss<<"("<<o.x<<", "<<o.v<<")";
    return ss;
  }
const Point<long double> INF P(-1e20, 1e20);
const Point<long double> NOT EXIST(1e20, 1e-20);
template<typename T>
struct Line{
  // ax+by+c = 0
  T a, b, c;
 Line(): a(0), b(1), c(0){}
Line(T_, T__, T__): a(
    ine(T _, T _, T __): a(_), b(_), c(__){
assert(fabs(a)>EPS or fabs(b)>EPS);
  template<typename T2>
  Line(const Line\langle T2 \rangle \& x): a(x.a), b(x.b), c(x.c){}
  typedef Point<long double> Pt;
  template<class = typename is floating point<T>::
      type>
  bool operator==(const Line& o) const {
    return fabs(a-o.a) < EPS and fabs(b-o.b) < EPS
        and fabs(c-o.b) < EPS;</pre>
  bool operator==(const Line& o) const {
```

```
return a==o.a and b==o.b and c==o.c;
 bool operator!=(const Line& o) const {
    return ! (*this == 0);
  template<class = typename is floating point<T>::
      type>
  friend inline bool on line(const Point<T>& p, const
       Line& 1) {
    return fabs(l.a*p.x + l.b*p.y + l.c) < EPS;</pre>
 friend inline bool on_line(const Point<T>& p, const
       Line& l){
    return 1.a*p.x + 1.b*p.y + 1.c == 0;
  template<class = typename is floating point<T>::
      tvpe>
  friend inline bool is_parallel(const Line& x, const
       Line& y) {
    return fabs(x.a*y.b - x.b*y.a) < EPS;</pre>
 friend inline bool is_parallel(const Line& x, const
      Line& y) {
    return x.a*y.b == x.b*y.a;
 friend inline Pt get inter(const Line& x, const
     Line& y) {
    typedef long double llf;
    if(x==y) return INF P;
    if(is parallel(x, y)) return NOT EXIST;
    llf delta = x.a*y.b - x.b*y.a;
    llf delta x = x.b*y.c - x.c*y.b;
   llf delta_y = x.c*y.a - x.a*y.c;
    return Pt(delta x / delta, delta y / delta);
 friend ostream& operator<<(ostream& ss, const Line&</pre>
      0){
    ss<<o.a<<"x+"<<o.b<<"y+"<<o.c<<"=0";
    return ss;
 }
};
template<tvpename T>
inline Line<T> get line(const Point<T>& a, const
    Point<T>& b) {
  return Line<T>(a.y-b.y, b.x-a.x, (b.y-a.y) *a.x-(b.x
      -a.x)*a.v);
template<typename T>
struct Segment{
  // p1.x < p2.x
  Line<T> base;
  Point<T> p1, p2;
  Segment(): base(Line<T>()), p1(Point<T>()), p2(
      Point<T>()){
    assert (on line (p1, base) and on line (p2, base));
  Segment(Line<T> _, Point<T> __, Point<T> __): base
    (_), p1(_), p2(__){
assert(on_line(p1, base) and on_line(p2, base));
  template<typename T2>
  Segment(const Segment<T2>& _): base(_.base), p1(_.
      p1), p2(_.p2) {}
  typedef Point<long double> Pt;
  friend bool on segment(const Point<T>& p, const
      Segment& 1) {
    if(on line(p, l.base))
      return (1.p1.x-p.x) * (p.x-1.p2.x) >=0 and (1.p1.y
          -p.y) * (p.y-1.p2.y) >=0;
    return false;
 friend bool have inter(const Segment& a, const
      Seament& b) {
    if(is_parallel(a.base, b.base)){
      return on_segment(a.p1, b) or on_segment(a.p2,
          b) or on segment(b.pl, a) or on segment(b.
          p2, a);
    Pt inter = get_inter(a.base, b.base);
    return on segment(inter, a) and on segment(inter,
 friend inline Pt get_inter(const Segment& a, const
      Segment& b) {
    if(!have_inter(a, b)){
      return NOT EXIST;
```

```
}else if(is_parallel(a.base, b.base)){
  if(a.p1 == b.p1){
          if(on segment(a.p2, b) or on segment(b.p2, a)
              ) return INF P;
          else return a.p1;
        }else if(a.p1 == b.p2){
          if(on_segment(a.p2, b) or on_segment(b.p1, a)
               ) return INF P;
           else return a.p1;
        }else if(a.p2 == b.p1) {
          if(on_segment(a.p1, b) or on_segment(b.p2, a)
              ) return INF P;
          else return a.p2;
         }else if(a.p2 == b.p2) {
          if(on segment(a.pl, b) or on segment(b.pl, a)
              ) return INF P;
          else return a.p2;
        return INF P;
      return get inter(a.base, b.base);
    friend ostream& operator<<(ostream& ss, const</pre>
        Segment& o) {
      ss<<o.base<<", "<<o.p1<<" ~ "<<o.p2;
      return ss;
  };
  template<typename T>
  inline Segment<T> get segment(const Point<T>& a,
      const Point<T>& b) {
    return Segment<T>(get line(a, b), a, b);
  }
};
```

5.2 2D Convex Hull

```
#include <bits/stdc++.h>
using namespace std;
typedef long long lld;
typedef pair<lld, lld> PLL;
template<typename A, typename B>
pair<A, B> operator-(const pair<A, B>& a, const pair<A,
     B>& b) {
 return {a.first-b.first, a.second-b.second};
class ConvexHull 2D{
 #define x first
 #define y second
 private:
    vector<PLL> dots, down, up;
    inline lld cross(PLL a, PLL b) {
      return a.x*b.y-b.x*a.y;
 public:
    void insert(PLL x) {dots.push back(x);}
    void solve(){
      down.clear();up.clear();
      sort(dots.begin(), dots.end());
      for(auto i: dots){
        while (up.size()>1) {
          if(cross(i-up[up.size()-2], up.back()-up[up.
              size()-2]) <= 0) up.pop back();
          else break;
        up.push_back(i);
      reverse(dots.begin(), dots.end());
      for(auto i: dots) {
        while (down.size()>1) {
          if(cross(i-down[down.size()-2], down.back()-
              down[down.size()-2]) <= 0) down.pop back</pre>
              ();
          else break;
        down.push_back(i);
      dots.clear();
      dots.insert(dots.end(), down.begin(), down.end())
      dots.insert(dots.end(), up.begin(), up.end());
      sort(dots.begin(), dots.end());
```

```
dots.resize(distance(dots.begin(), unique(dots.
          begin(), dots.end()));
      down.clear();up.clear();
    vector<PLL> get(){
     return dots;
   bool IsThis(PLL x){
      auto ret = lower bound(dots.begin(), dots.end(),
         x);
      return *ret==x;
    int count() {return dots.size();}
  #undef x
  #undef y
} cv;
int main(){
  ios base::sync with stdio(0);cin.tie(0);
  int n; cin>>n;
  for (int i=0;i<n;i++) {</pre>
    lld a,b;cin>>a>>b;
    cv.insert({a, b});
 cv.solve();
 cout<<cv.count()<<'\n';
  return 0;
```

5.3 SimulateAnnealing

```
#include <random>
#include <functional>
#include <utility>
#include <algorithm>
using namespace std;
double getY(double);
int main(){
    int rr, 11;
    default random engine rEng(time(NULL));
  uniform_real_distribution<double> Range(-1,1);
  uniform real distribution < double > expR(0,1);
  auto Random=bind(Range, rEng);
  auto expRand=bind(expR,rEng);
  int step=0;
  double pace=rr-ll, mini=0.95; // need to search for
      it
  double x=max(min(Random()*pace+ll, rr), ll), y=getY(x
      );
  while (pace>=1e-7) {
    double newX = max(min(x + Random()*pace, rr), 11);
    double newY = getY(newX);
    if(newY < y || expRand() < exp(-step))</pre>
     x=newX, y=newY;
    step++;
    pace*=mini;
double getY(double x){
    // get y using x
    return x;
```

6 Stringology

6.1 Hash

```
#include <string>
typedef long long lld;
const int N = 10000000;
class Hash{
    private:
        const lld p = 127, q = 1208220623;
        int sz;
        lld prefix[N], power[N];
    public:
```

```
void init(const std::string &x) {
    sz = x.size();
    prefix[0]=0;
    for(int i=1;i<=sz;i++) prefix[i]=((prefix[i -1]*p)%q+x[i-1])%q;
    power[0]=1;
    for(int i=1;i<=sz;i++) power[i]=(power[i -1]*p)%q;
}
lld query(int 1, int r) {
    // 1-base (1, r]
    return (prefix[r] - (prefix[l]*power[r-1])%
        q + q)%q;
}
};</pre>
```

6.2 Suffix Array

```
//help by http://www.geeksforgeeks.org/suffix-array-set
    -2-a-nlognlogn-algorithm/
#include <bits/stdc++.h>
using namespace std;
#define PB push_back
struct sfx{
  int index:
  int r,nr;
char str[N + 10];
int len;
vector<sfx> srs[N + 10];
int mapping[N + 10];
sfx sa[N + 10];
bool cmp(sfx a, sfx b) {
 if(a.r==b.r){
    return a.nr<b.nr;</pre>
  }else{
    return a.r<b.r;</pre>
void SA();
void radixSort();
int main(){
  gets(str);
  len = strlen(str);
  SA();
  for(int i=0;i<len;i++) {</pre>
   printf("%d\n", sa[i].index);
  return 0;
void SA() {
  for (int i=0; i<len; i++) {</pre>
    sa[i].index = i;
    sa[i].r=str[i];
    sa[i].nr=(i+1>=len)?0:str[i+1];
  //sort(sa,sa+len,cmp);
  radixSort();
  for(int j=2;j<=len;j*=2){</pre>
    int cnt=1;
    int rr = sa[0].r;
    sa[0].r=cnt;
    mapping[sa[0].index]=0;
    for (int i=1;i<len;i++) {</pre>
      if(sa[i].r == rr && sa[i].nr == sa[i-1].nr) {
        rr=sa[i].r;
        sa[i].r=cnt;
      }else{
        rr=sa[i].r;
        sa[i].r=++cnt;
      mapping[sa[i].index]=i;
    for (int i=0;i<len;i++) {</pre>
      int nn = sa[i].index+j;
      sa[i].nr = (nn>=len)?0:sa[mapping[nn]].r;
```

```
//sort(sa, sa+len, cmp);
    radixSort():
void radixSort() {
  int m = 0:
  for (int i=0; i < len; i++) {</pre>
    srs[sa[i].nr].PB(sa[i]);
    m=max(m,sa[i].nr);
  int cnt=0:
  for (int i=0;i<=m;i++) {</pre>
    if(srs[i].empty())continue;
    for(auto j:srs[i]){
      sa[cnt++] = j;
    srs[i].clear();
  m = 0;
  for (int i=0;i<len;i++) {</pre>
    srs[sa[i].r].PB(sa[i]);
    m=max(m,sa[i].r);
  cnt=0;
  for (int i=0;i<=m;i++) {</pre>
    if(srs[i].empty())continue;
    for(auto j:srs[i]){
      sa[cnt++] = j;
    srs[i].clear();
}
```

6.3 KMP