

## Assignment-1

Sol<sup>n</sup> = 1 on adding one extra rule, grammar is

$$s' \rightarrow s$$

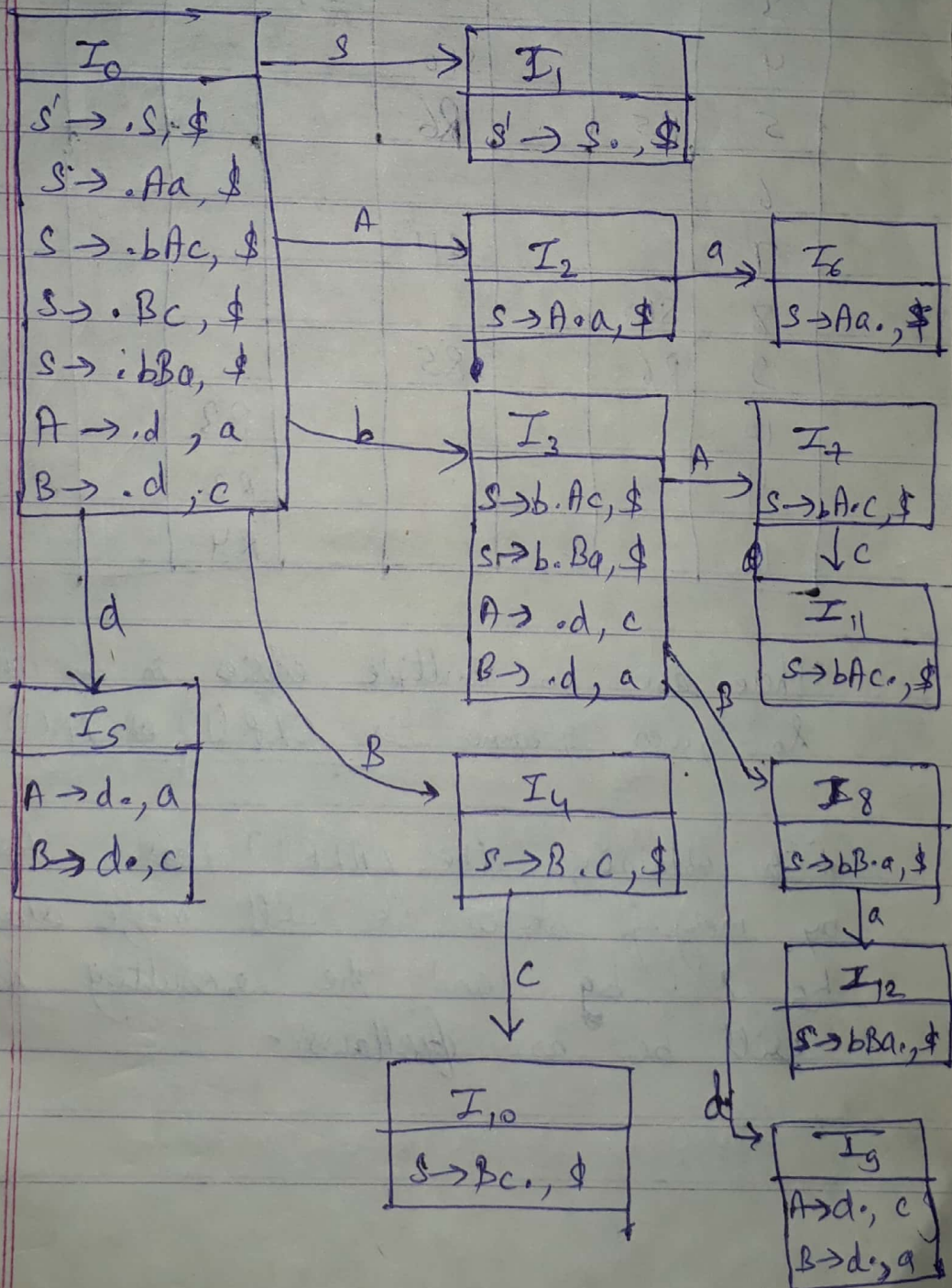
$$s \rightarrow Aa / bAc / Bc / bBa$$

$$A \rightarrow d$$

$$B \rightarrow d$$

For CLR(1) Parser,

State Diagram is



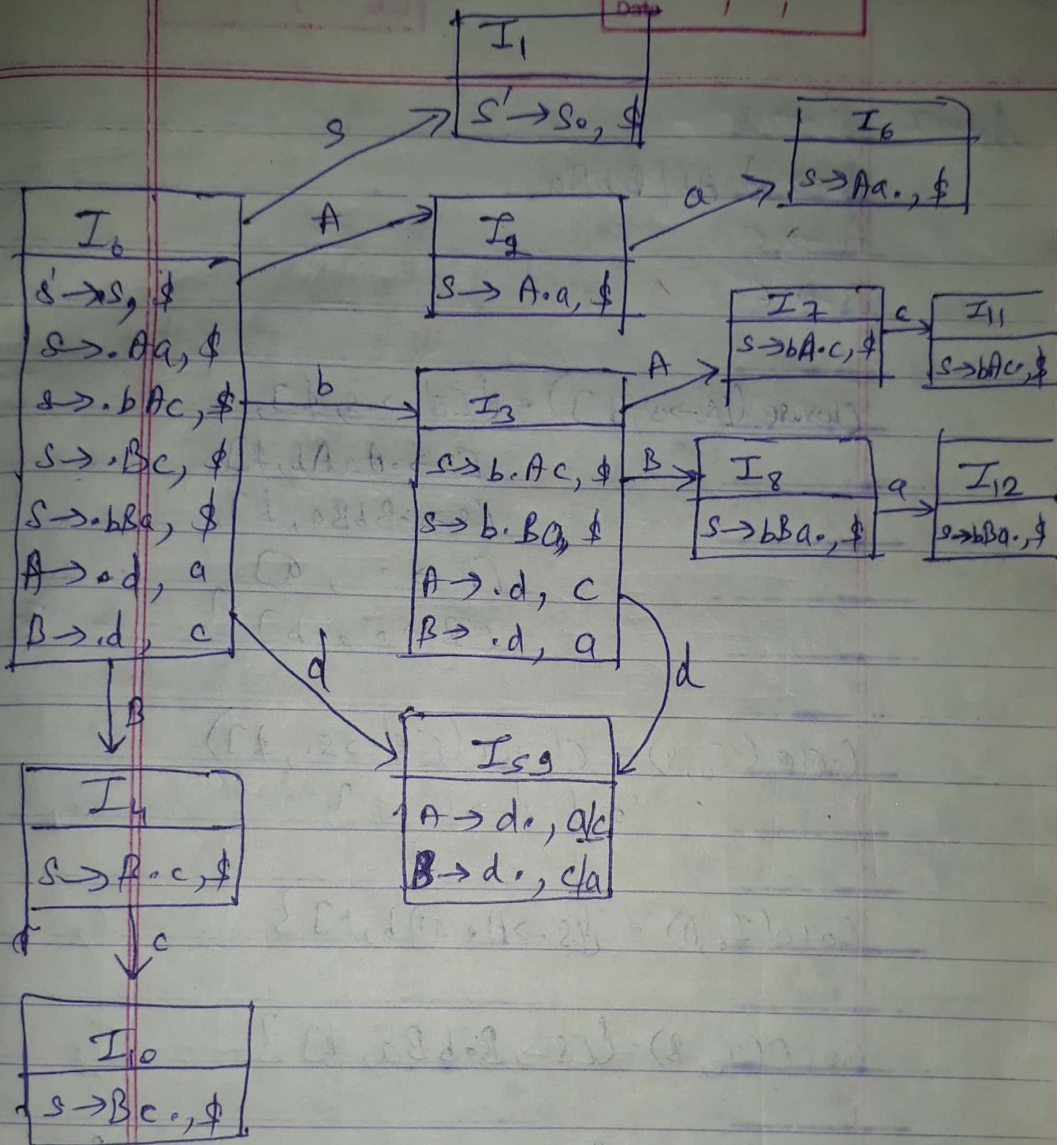
Now, CLR(1) Parsing Table is

State	Action					GoTo		
	a	b	c	d	\$	S	A	B
0		s3		s4		1	2	4
1					accept			
2	s6							
3				s9			7	8
4			s10					
5	R5		R6					
6								
7			s11					
8	s10							
9	R6		R5					
10					R3			
11					R2			
12					R4			

There are no multiple entries in any cell,  
So, given grammar is CLR(1) or LRC(1)

For obtaining the LALR(1) Parsing table by merging states, we will merge states  $L_5$  &  $L_9$  and the resulting state will be as follows:-





Here, In  $I_{5g}$ , there is reduce-reduce conflict.  
So, given grammar is not LR(0)

Ans 2  $s' \rightarrow s$

$s \rightarrow AaAb \mid BbBa$

$A \rightarrow \epsilon$

$B \rightarrow \epsilon$

$$\text{closure}(I_0, \$) = \{ [s' \rightarrow \cdot s, \$], [s \rightarrow \cdot AaAb, \$], [s \rightarrow \cdot BbBa, \$], [A \rightarrow \cdot, a], [B \rightarrow \cdot, b] \} \quad \text{--- } I_0$$

$$\text{GOTO}(I_0, s) = \text{closure}(I_0, \$) = \{ s' \rightarrow s \cdot, \$ \} \quad \text{--- } I_1$$

$$\text{GOTO}(I_0, A) = \{ [s \rightarrow A \cdot aAb, \$] \} \quad \text{--- } I_2$$

$$\text{GOTO}(I_0, B) = \{ [s \rightarrow B \cdot bBa, \$] \} \quad \text{--- } I_3$$

$$\text{GOTO}(I_2, a) = \{ [s \rightarrow Aa \cdot Ab, \$], [A \rightarrow \cdot, b] \} \quad \text{--- } I_4$$

$$\text{GOTO}(I_3, b) = \{ [s \rightarrow Bb \cdot Ba, \$], [B \rightarrow \cdot, a] \} \quad \text{--- } I_5$$

$$\text{GOTO}(I_4, A) = \{ [s \rightarrow AaA \cdot b, \$] \} \quad \text{--- } I_6$$

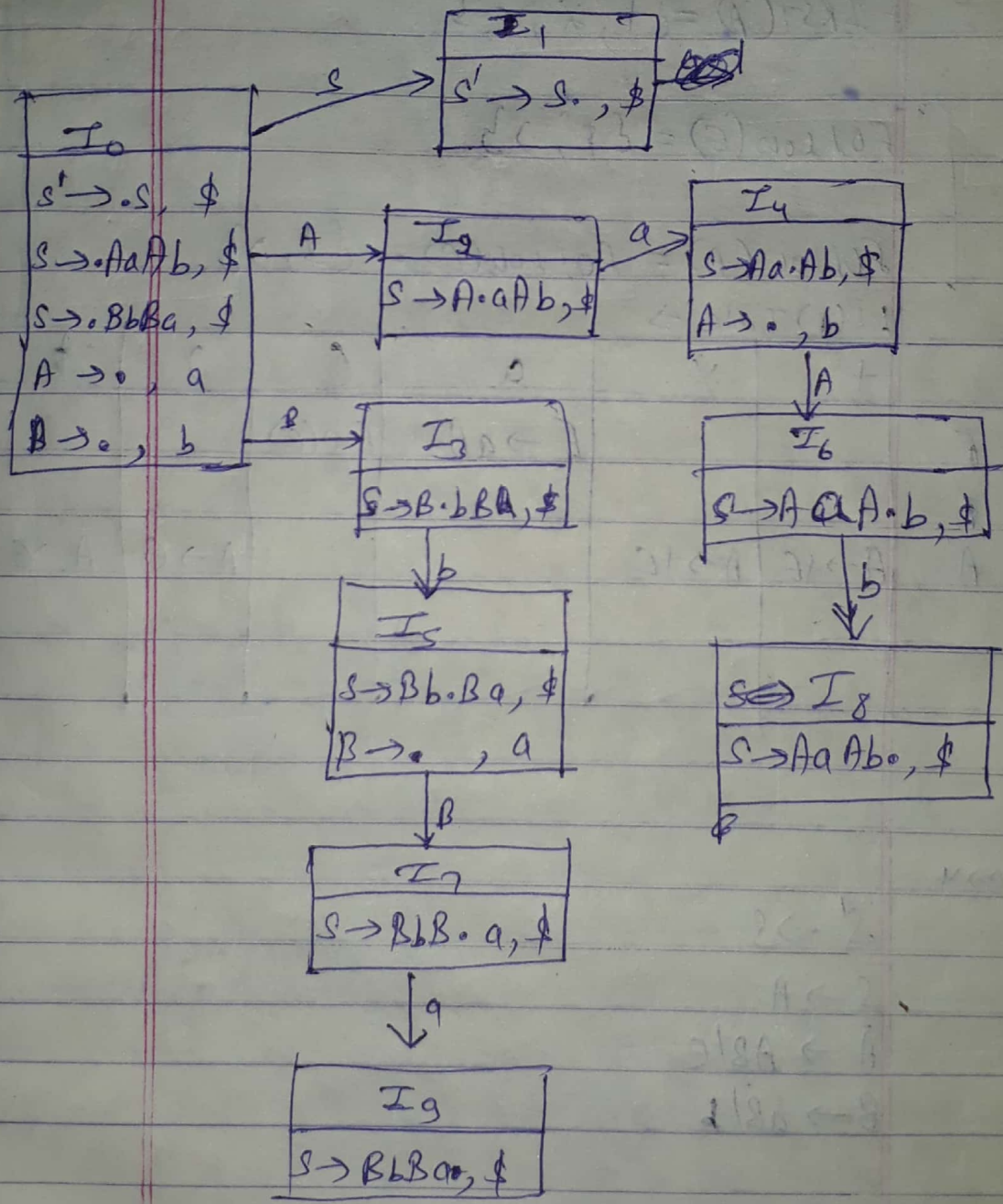
$$\text{GOTO}(I_5, B) = \{ [s \rightarrow BbB \cdot a, \$] \} \quad \text{--- } I_7$$

$$\text{GOTO}(I_6, b) = \{ [s \rightarrow AaAb \cdot, \$] \} \quad \text{--- } I_8$$



$$\text{COTO}(I_1, a) = \{S \rightarrow BbBa, \$\} \quad \text{--- } I_9$$

Since, there are no states having same rule but different lookahead.  
So, state diagram as follow.



Since, there is no merge state  $\Rightarrow$  No conflict  
 $\Rightarrow$  Given grammar is LR(1)

Ans 3.  $E \rightarrow aA | (E)$   
 $A \rightarrow +E | *E | \epsilon$

$FIRST(E) = \{a, ( \}$

$FIRST(A) = \{+, *, \epsilon\}$

$FOLLOW(E) = \{ \$, ) \}$

$FOLLOW(A) = FOLLOW(E) = \{ \$, ) \}$

LL(1) Table  $\rightarrow$

	+	*	a	(	)	\$
E			$E \rightarrow aA$	$E \rightarrow (E)$		
A	$A \rightarrow +E$	$A \rightarrow *E$			$A \rightarrow \epsilon$	$A \rightarrow \epsilon$

Ans 4.

$S' \rightarrow S$

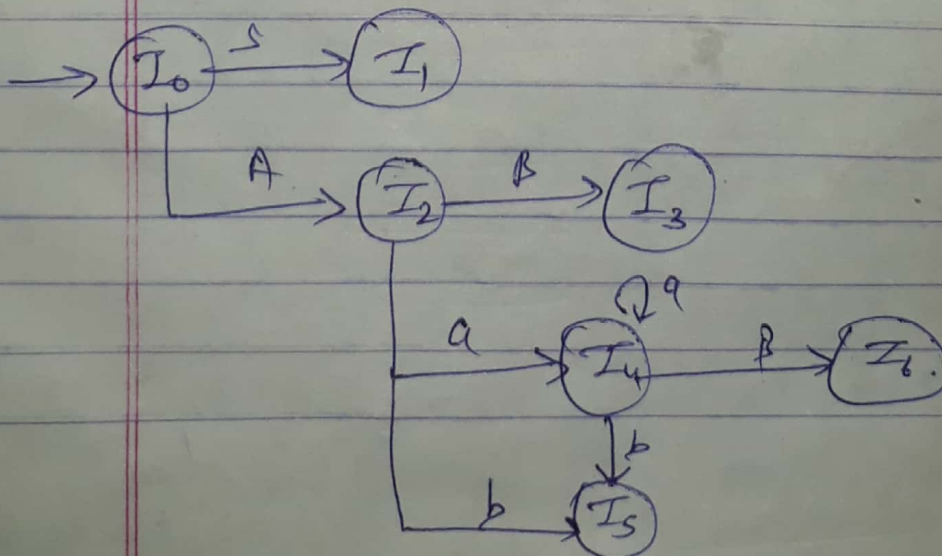
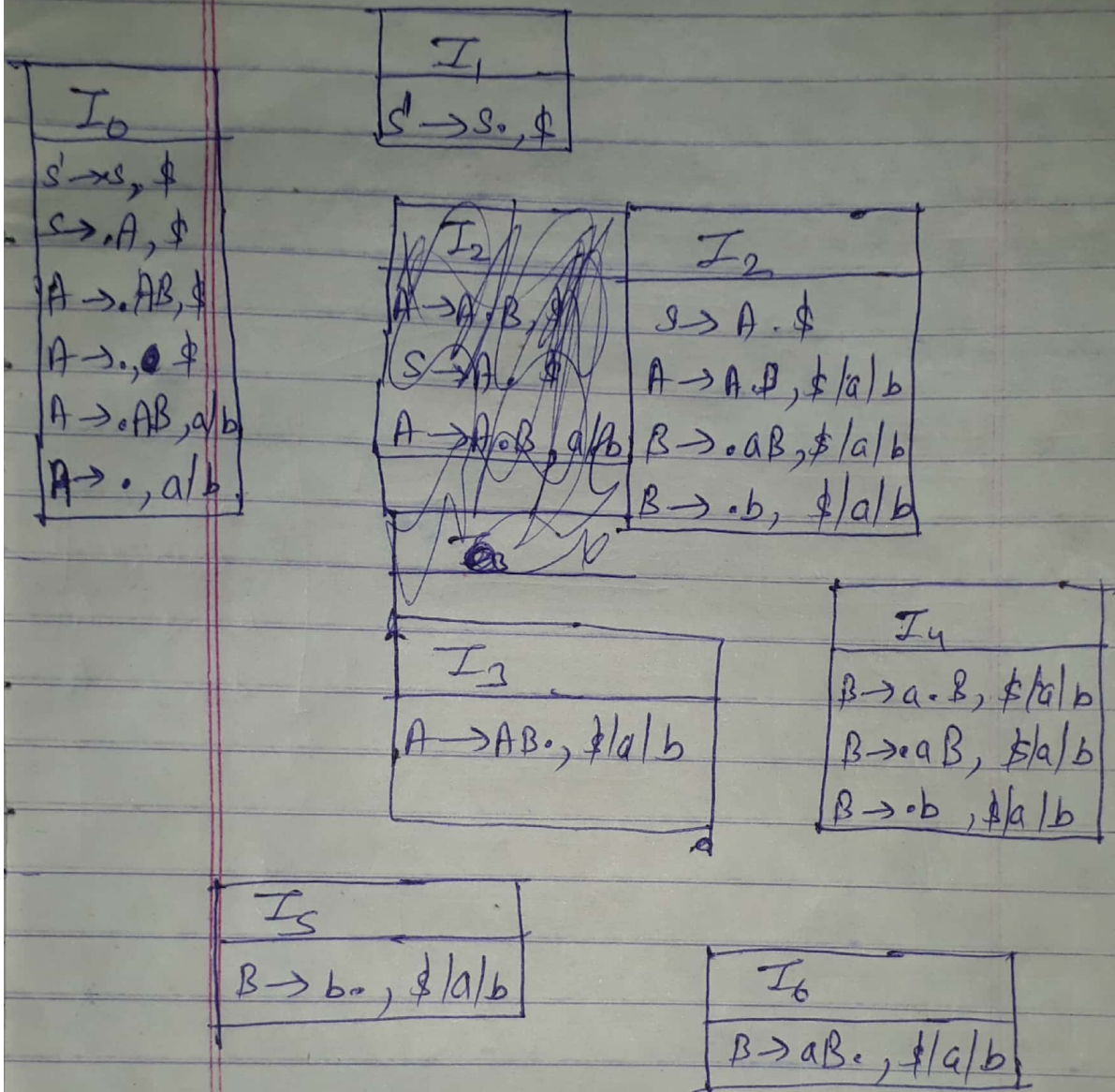
$S \rightarrow A$

$A \rightarrow AB | \epsilon$

$B \rightarrow aB | b$



Non-empty set of LR(1) items.



5) Set of operations of the arithmetic expression is equal to no. of reductions.  
 Let example: grammar be

~~$E \rightarrow E$~~

$E \rightarrow E_1 + T$

$E \rightarrow T$

$T \rightarrow T_1 * F$

~~$T \rightarrow F$~~

$F \rightarrow \text{digit}$

for expressions  $3+5*6$

Now, SDT form is

$E \rightarrow E_1 + T$  {  $E.val = E_1.val + T.val$ ; } 2

$E \rightarrow T$  {  $E.val = T.val$ ; } 1

$T \rightarrow T_1 * F$  {  $T.val = T_1.val * F.val$ ; } 2

$T \rightarrow F$  {  $T.val = F.val$ ; } 1

$F \rightarrow \text{digit}$  {  $F.val = \text{digit.lexem}$ ; } 1

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Ans 7 Production

$N \rightarrow L \cdot R$

$L \rightarrow B L_1$

$L \rightarrow B$

$R \rightarrow B R_1$

$R \rightarrow B$

$B \rightarrow 0$

$B \rightarrow 1$

Semantic Rule

$N.val = L.val + R.val$

$L.val = (B.val + L_1.val) \times 2$

$L.val = B.val \times 2$

$R.val = (B.val + R_1.val) \times 2^{-1}$

$R.val = B.val \times 2^{-1}$

$B.val = 0$

$B.val = 1$



Ans 6

Grammar is

 $S \rightarrow id = E; \mid L = E;$  $E \rightarrow E_1 + E_2 \mid id \mid L$  $L \rightarrow (~~id~~) id[E] \mid L_1[E]$ 

SDT to convert array references to 3-address code:

 $S \rightarrow id = E; \quad \{ \text{gen}(\text{top.get}(id.lexeme) = 'E.addr'); \}$  $L = E; \quad \{ \text{gen}(L.addr.base['L.addr'] = 'E.addr'); \}$  $E \rightarrow E_1 + E_2 \quad \{ E.addr = \text{new Temp}();$   
 $\text{gen}(E.addr = 'E_1.addr' + 'E_2.addr'); \}$  $id \quad \{ E.addr = \text{top.get}(id.lexeme); \}$  $L \quad \{ E.addr = \text{new Temp}();$   
 $\text{gen}(E.addr = 'L.array.base['L.addr']'); \}$  $L \rightarrow id[E] \quad \{ L.array = \text{top.get}(id.lexeme);$   
 $L.type = L.array.type.elem;$   
 $L.addr = \text{new Temp}();$   
 $\text{gen}(L.addr = 'E.addr * L.type.width'); \}$  $L_1[E] \quad \{ L.array = L_1.array;$   
 $L.type = L_1.type.elem;$   
 $t = \text{new Temp}();$   
 $L.addr = \text{new Temp}();$   
 $\text{gen}(t = 'E.addr * L.type.width');$   
 $\text{gen}(L.addr = 'L_1.addr * t');$