

## ADT.

### ① classes of object

- Attribute : data members.
- Behavior : methods

### ② Principle of Object - Oriented Programming.

- Encapsulation (hide inner detail).
  - object combine data and operation.
- Inheritance (reused).
  - class can inherit properties from other classes.
- Polymorphism
  - object can determine appropriate operations at execution time.

### ③ Operation contract.

- Purpose. (what actions take place?).
- Assumptions (what does the module assume?).
- Input (what data is available to a module?).
- Output (what effect does the module have on the data?).

△ Begin the contract during analysis, finish during design.

△ Use to document code, particularly in header files.

## 1-6. (Binary search)

② Finding the largest item in an Array.

maxArray (left half of an Array) &&

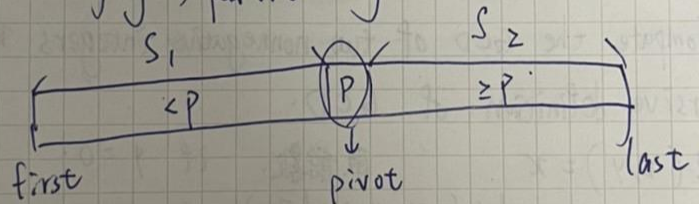
maxArray (Right half of an Array) (= 分法)

1-7

② Finding the K-th Smallest item in an Array.

- select a pivot item (枢轴) in the array.

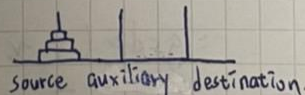
- Arranging  $\Rightarrow$  partitioning



- Recursively applying strategy:

1-8

- Tower of Hanoi



Algorithm towers (numDisks, source, dest, auxiliary)

if (numDisks == 1)

move from "source" to "dest"

else

towers (numDisks - 1, source, auxiliary, dest)

towers (numDisks - 1, auxiliary, dest, source)



## ch3 - LINKED LIST.

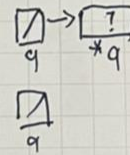
A pointer contains the locations, or address in memory

- Declaration of an integer pointer variable p.

(int \*)p; // 尚未添增新儲存空間.

p = &x; // 指向 x 位置.

delete p; } same // 徹底消失.  
(一起)  
p = NULL;



## - Modularity

- Isolates errors.
- Eliminates redundancies.

⇒ Achieve a better solution:

① Cohesion - module perform single well-defined tasks.

(高内聚)

② Coupling - measure of dependence among modules.

(低耦合)

# Key issue in Programming.

1. Modularity (模組化).

2. style.

3. Modifiability

4. Easy of Use.

5. Fail-safe programming.

6. Debugging.

7. Testing.



1-4.

② Give two  $N \Rightarrow a, b$ , where  $a > b$ , write a recursive function ~~the~~ to compute the sum of all the integer from  $a$  to  $b$ .

`int sum(int a, int b)`

`{ if (a > b)`

`return sum(a, b+1) + b;`

`else if (a == b)`

`return a;`

1-5

② Compute the GCD of two nonnegative integers  $x$  and  $y$ .  
recursive definition of GCD.

$\text{gcd1}(x, y) = x$

取餘數.

if  $y = 0$ .

$= \text{gcd1}(x, y \bmod x)$  if  $y > x$ .

$= \text{gcd1}(y, x \bmod y)$  otherwise.

$\text{gcd2}(x, y) = y$

if  $x \bmod y = 0$ .

$= \text{gcd2}(y, x \bmod y)$  otherwise.

`int gcd1(int x, int y) {` | `int gcd2(int x, int y) {`

`if (y == 0) return x;`

`if (!(x % y)) return y;`

`else if (y > x) return gcd1(x, y % x);` | `else return gcd2(y, x % y);`

`else return gcd1(y, x % y);`