

Chapter 5 – HW02

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5.3.1 解:

- 1) *SDD* 如下:

产生式	语法规则
1) $E \rightarrow E_1 + T$	$E.type = (E_1.type == integer \& \& T.type == integer) ? integer : real$
2) $E \rightarrow T$	$E.type = T.type$
3) $T \rightarrow num.num$	$T.type = real$
4) $T \rightarrow num$	$T.type = integer$

- 2) 扩展后的 *SDD* 如下:

产生式	语法规则
1) $E \rightarrow E_1 T' +$	$if(E_1.type == integer \& \& T.type == integer) \{$ $E.type = integer;$ $E.post = E_1.post \parallel T.post \parallel "int";$ $\} else \{$ $E.type = real;$ $if(E_1.type == integer) \{$ $E_1.type = real;$ $E_1.post = E_1.post \parallel "intToReal";$ $\} if(T.type == integer) \{$ $T.type = real;$ $T.post = T.post \parallel "intToReal";$ $\}$ $E.post = E_1.post \parallel T.post \parallel "float + ";$ $\}$
2) $E \rightarrow T$	$E.type = T.type$ $E.post = T.post$
5) $T \rightarrow num.num$	$T.type = real$ $T.post = num.num$
7) $T \rightarrow num$	$T.type = integer$ $T.post = num$

其中, *post* 属性为后缀符号串, \parallel 符号为连接运算。

5.4.2 解：改写后的文法如下：

$$A \rightarrow 0A'$$

$$A' \rightarrow \{a\}BA' \mid B\{b\}A' \mid \epsilon$$

$$B \rightarrow 1B'$$

$$B' \rightarrow \{c\}AB' \mid A\{d\}B' \mid \epsilon$$

5.4.6 解：扩展后的 *SDD* 如下：

产生式	语法规则
1) $S \rightarrow B$	$B.ps = 10;$
2) $B \rightarrow B_1B_2$	$B_1.ps = B.ps;$ $B_2.ps = B.ps;$ $B.le = B_1.le + B_2.le;$ $B.ht = \max(B_1.ht, B_2.ht);$ $B.dp = \max(B_1.dp, B_2.dp);$
3) $B \rightarrow B_1 \text{ sub } B_2$	$B_1.ps = B.ps;$ $B_2.ps = 0.7 * B.ps;$ $B.le = B_1.le + 0.7 * B_2.le;$ $B.ht = \max(B_1.ht, B_2.ht - 0.25 * B.ps);$ $B.dp = \max(B_1.dp, B_2.dp + 0.25 * B.ps);$
4) $B \rightarrow (B_1)$	$B_1.ps = B.ps;$ $B.le = B_1.le;$ $B.ht = B_1.ht;$ $B.dp = B_1.dp;$
5) $B \rightarrow \text{text}$	$B.le = \text{getLe}(B.ps, \text{text.lexval});$ $B.ht = \text{getHt}(B.ps, \text{text.lexval});$ $B.dp = \text{getDp}(B.ps, \text{text.lexval});$

SDT 如下：

产生式	语义动作
1) $S \rightarrow B$	$\{B.ps = 10;\}$
2) $B \rightarrow B_1 B_2$	$\{B_1.ps = B.ps;\}$ $\{B_2.ps = B.ps;\}$ $\{B.le = B_1.le + B_2.le;$ $B.ht = \max(B_1.ht, B_2.ht);$ $B.dp = \max(B_1.dp, B_2.dp);\}$
3) $B \rightarrow B_1 \text{ sub } B_2$	$\{B_1.ps = B.ps;\}$ $\{B_2.ps = 0.7 * B.ps;\}$ $\{B.le = B_1.le + 0.7 * B_2.le;$ $B.ht = \max(B_1.ht, B_2.ht - 0.25 * B.ps);$ $B.dp = \max(B_1.dp, B_2.dp + 0.25 * B.ps);\}$
4) $B \rightarrow (B_1)$	$\{B_1.ps = B.ps;\}$ $\{B.le = B_1.le;$ $B.ht = B_1.ht;$ $B.dp = B_1.dp;\}$
5) $B \rightarrow \text{text}$	$\{B.le = \text{getLe}(B.ps, \text{text.lexval});$ $B.ht = \text{getHt}(B.ps, \text{text.lexval});$ $B.dp = \text{getDp}(B.ps, \text{text.lexval});\}$