## Robust Deep Reinforcement Learning for Quadcopter Control

26.01.2023 Friedrich Maximilian Sokol, Nicolas Marco Hahn & Marc Ubbelohde

#### **Structure**

- General setting
- Formulate the problem as a reinforcement problem
- AR-DDPG Algorithm
- Training and Testing
- Evaluation



#### **Unmanned Aerial Vehicles (UAV's)**

#### Quadrocopters

- are becoming increasingly cheaper
- made possible by developments in microelectronics
- wide range of applications
  - Aerial Photography
  - Search and Rescue
  - Agriculture
- motor configuration -> flexible flight behavior



1]

#### **Hovering & Waypoint Navigation**

- crucial ability for stabilization
- necessary for many applications
- makes simple and automated operation possible
- precise data is necessary -> sensor fusion
- early controllers included PID-Controllers -> sensitive to misconfiguration
- GPS enabled waypoint navigation

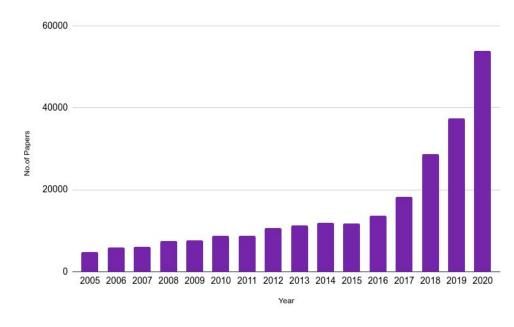


[1]

[1] https://www.sphengineering.com/news/ugcs-photogrammetry-tool-for-uav-land-survey-missions

#### Recent Developments of Reinforcement Learning

- deep learning developments extend the scope of application for reinforcement learning
- high adaptability to dynamic environments
- simplifies implementation and makes tuning unnecessary
- more complex controls are made possible



Number of released RL-papers by year

 $[1] \ https://www.researchgate.net/figure/Shown-are-the-number-of-Reinforcement-learning-papers-published-on-a-yearly-basis-The\_fig1\_351224274$ 

[1]

#### Quadcopter

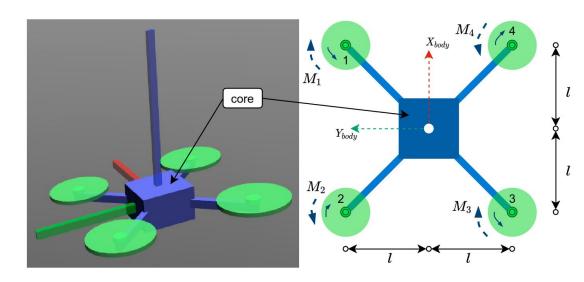
- average quadcopter in X configuration
- mass=1.5 kg, length=0.26 m, thrust range=[0, 15.0] N
- rotational matrix:

$$R = \begin{bmatrix} c_{\psi}c_{\rho} & s_{\xi}s_{\rho}c_{\psi} - s_{\psi}c_{\xi} & s_{\xi}s_{\psi} + s_{\rho}c_{\xi}c_{\psi} \\ s_{\psi}c_{\rho} & s_{\xi}s_{\psi}s_{\rho} + c_{\xi}c_{\psi} & -s_{\xi}c_{\psi} + s_{\psi}s_{\rho}c_{\xi} \\ -s_{\rho} & s_{\xi}c_{\rho} & c_{\xi}c_{\rho} \end{bmatrix}$$

motion from actions:

$$m\begin{pmatrix} \ddot{x} \\ \ddot{y} \\ \ddot{z} \end{pmatrix} = \begin{pmatrix} 0 \\ 0 \\ -mg \end{pmatrix} + R\begin{pmatrix} 0 \\ 0 \\ \sum_{i=1}^{4} F_i \end{pmatrix} \qquad \begin{pmatrix} g \\ g \\ g \end{pmatrix}$$

Translational motion [2]



$$m\begin{pmatrix} \ddot{x} \\ \ddot{y} \\ \ddot{z} \end{pmatrix} = \begin{pmatrix} 0 \\ 0 \\ -mg \end{pmatrix} + R\begin{pmatrix} 0 \\ 0 \\ \sum_{i=1}^{4} F_i \end{pmatrix} \qquad \begin{pmatrix} \dot{p} \\ \dot{q} \\ \dot{r} \end{pmatrix} = \begin{pmatrix} l(F_1 + F_2 - F_3 - F_4) \\ l(-F_1 + F_2 + F_3 - F_4) \\ -M_1 + M_2 - M_3 + M_4 \end{pmatrix} - \begin{pmatrix} p \\ q \\ r \end{pmatrix} \times I\begin{pmatrix} p \\ q \\ r \end{pmatrix}$$

Rotational motion [3]

[1-3] Deshpande, A. M., Minai, A. A., Kumar, M. (2021). Robust Deep Reinforcement Learning for Quadcopter Control

#### **Environment & State**

continuous 3-dimensional space

• discrete time step: 0.01 s

• state space:  $s_t = (e_{p_t}, e_{v_t}, R_t, e_{w_t})$ 

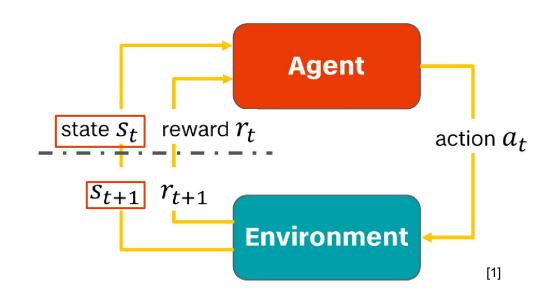
position error:  $e_p \in \mathbb{R}^3$ 

velocity error:  $e_v \in \mathbb{R}^3$ 

body rates error:  $e_w \in \mathbb{R}^3$ 

flattened vector rotational matrix:  $r \in \mathbb{R}^9$ 

$$s_t \in \mathbb{R}^{18}$$



#### Action

Action space [-1, 1]:

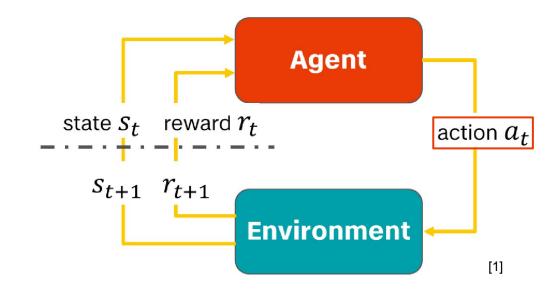
$$a_t = (F_{1_t}, F_{2_t}, F_{3_t}, F_{4_t})$$

normalized by the hovering force F<sub>h</sub>:

$$F_i = F_h + \frac{a_i(F_{max} - F_{min})}{2}$$

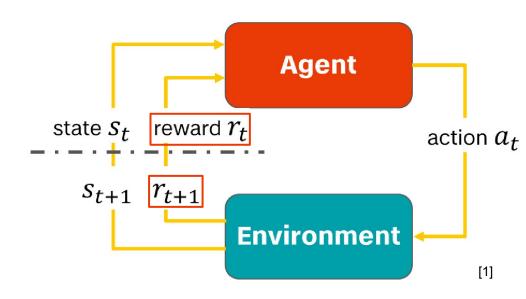
hovering thrust:

$$F_h = \frac{mg}{4}$$



#### Reward

- goal: reach a fixed waypoint (0m, 0m, 5m)
- reward for being alive
- errors are subtracted from alive reward
- yaw rotation is not relevant



$$r_t = \beta - \alpha_a ||a||_2 - \sum_{k \in \{p, v, \omega\}} \alpha_k ||e_k||_2 - \sum_{j \in \{\xi, \rho\}} \alpha_j ||e_j||_2$$

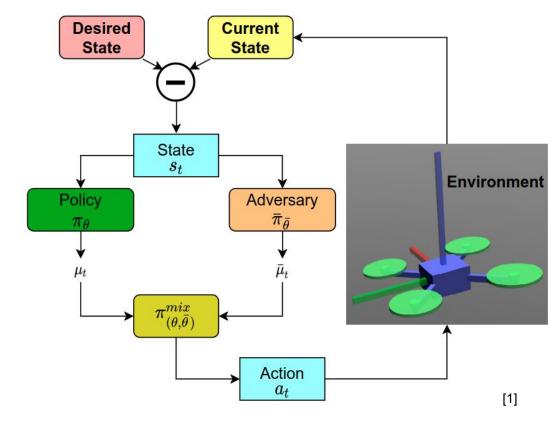
**Reward Function** 

[2]

 <sup>[1]</sup> Prof. Dr.-Ing. Francisco Morales Serrano (2023) Reinforcement Learning
[2] Deshpande, A. M., Minai, A. A., Kumar, M. (2021). Robust Deep Reinforcement Learning for Quadcopter Control
Berliner Hochschule für Technik
Robust Deep Reinforcement Learning for Quadcopter Control
Nicolas Marco Hahn, Friedrich Maximilian Sokol & Marc Ubbelohde

### Action Robust Deep Deterministic Policy Gradient (AR-DDPG)

- combines deep learning and policy gradients (neural network is updated based on)
- can handle continuous action space
- actor-critic architecture
- replay buffer for randomly sampling experiences
- adversarial agent
- uses target networks → Off-Policy

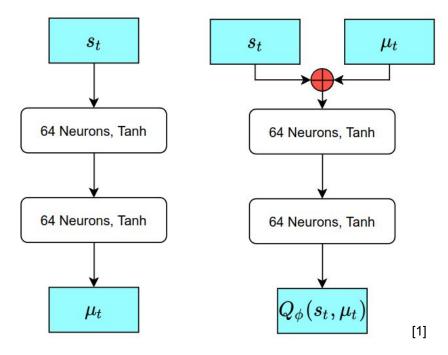


Simplified Training Model

[1] Deshpande, A. M., Minai, A. A., Kumar, M. (2021). Robust Deep Reinforcement Learning for Quadcopter Control

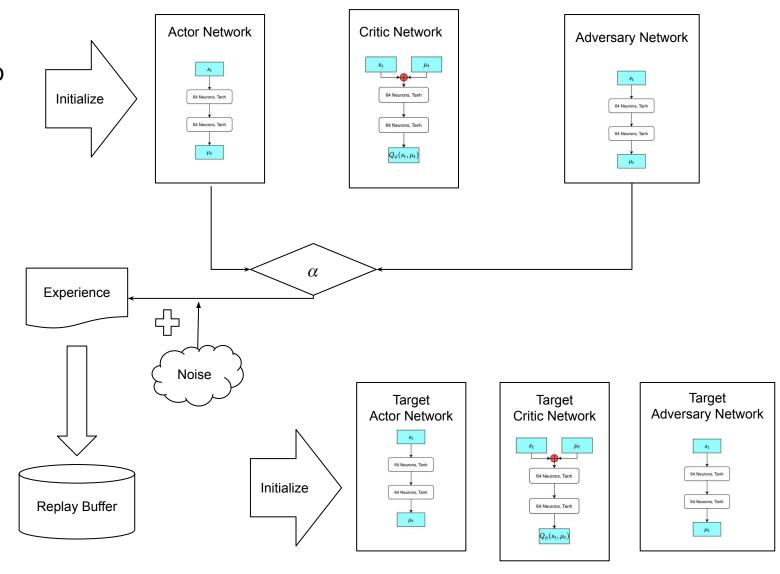
#### **Training Setup**

- random starting state inside 2m cube around target position
- adversary policy chosen 10% of the time + exploration noise
- time-correlated Ornstein-Uhlenbeck noise
- 2 million training iterations with max. 1500 steps each

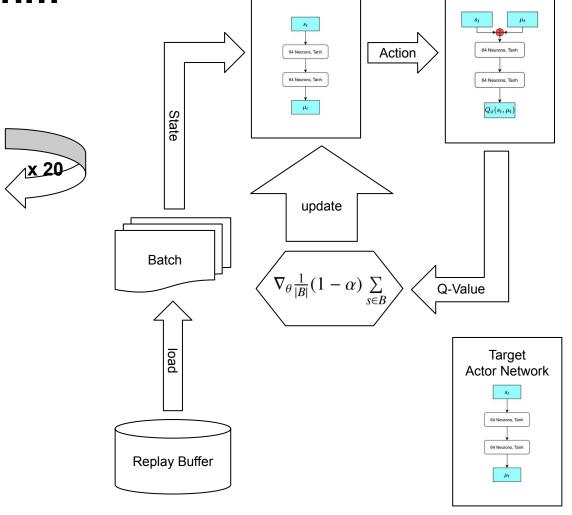


Network architecture (left: actor & adversary, right: critic)

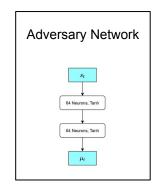
Initialization and start of episode step



Training the Actor-Network

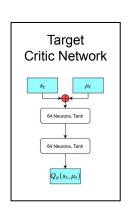


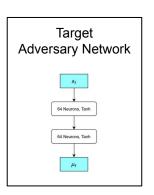
Actor Network



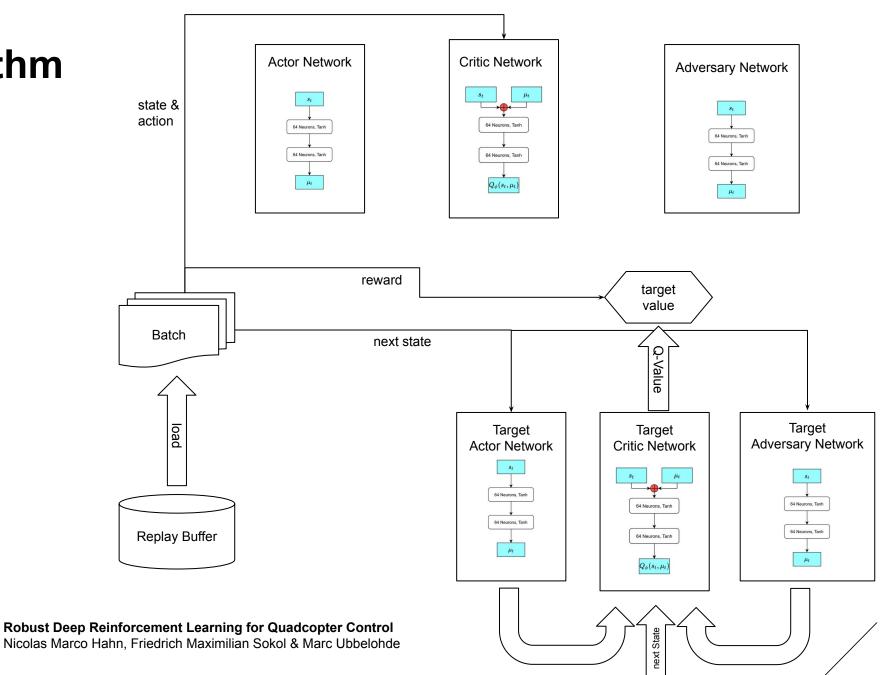
State

Critic Network





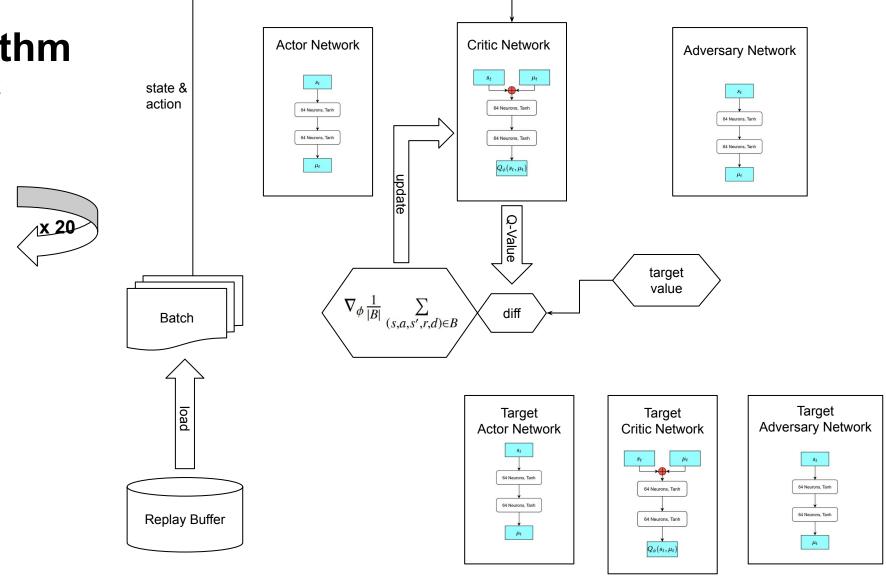
Training the Critic-Network



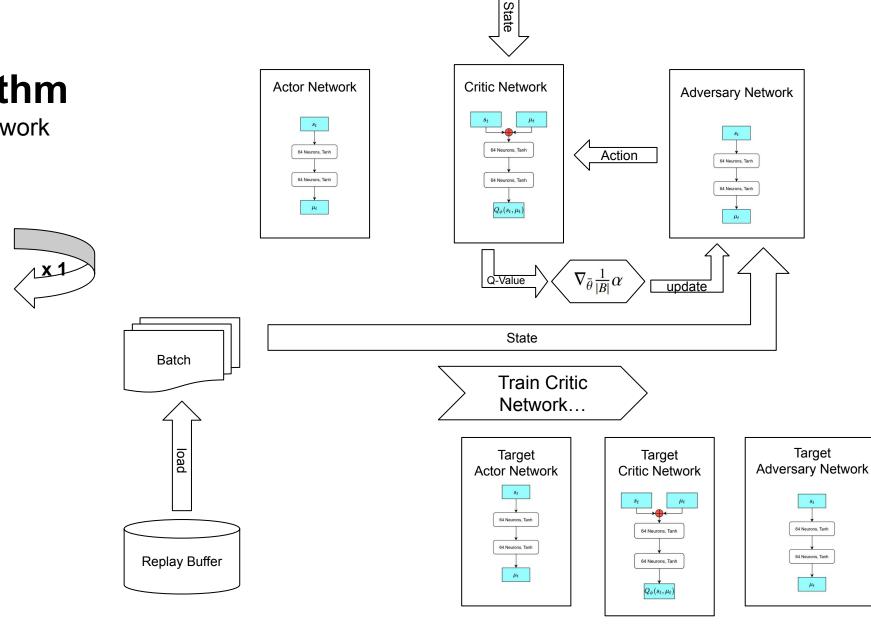
Berliner Hochschule für Technik Studiere Zukunft

Nicolas Marco Hahn, Friedrich Maximilian Sokol & Marc Ubbelohde

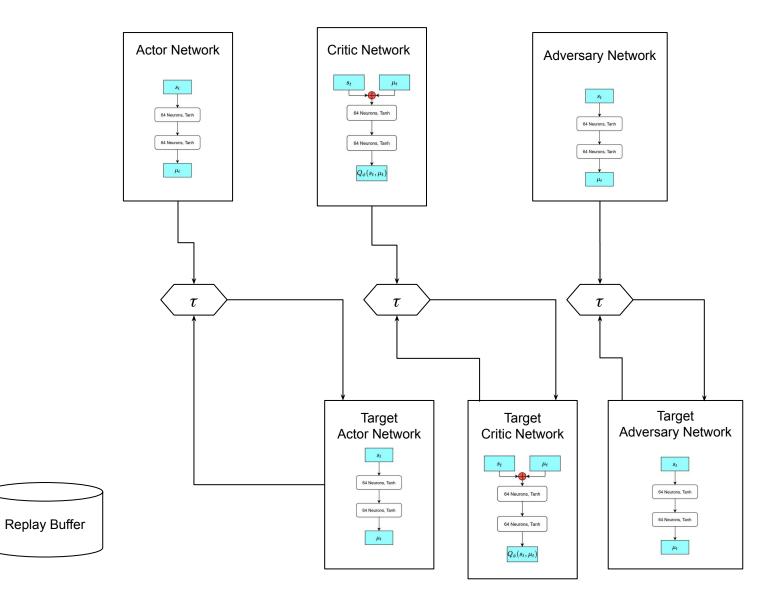
Training the Critic-Network



Training the Adversary-Network



**Updating Target Networks** 



#### **Testing Setup**

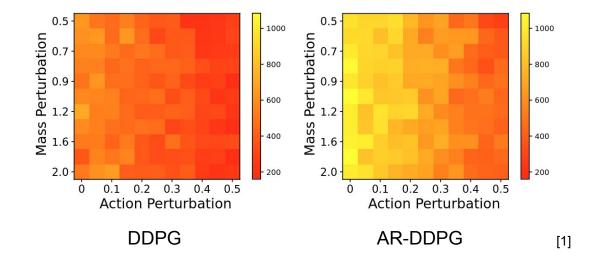
- robust and non-robust network trained
- policies are no longer adjusted
- no adversary policy used
- mass and action perturbations (10 Episodes for each permutation)
- noise interpreted as model variations or turbulences

| Parameter   | Set of Values                       |
|---|-------------------------------------|
| Quadcopter relative mass $\frac{m_{test}}{m_{train}}$ | {0.5, 0.6, 0.7, 0.8, 0.9, 1.0, 1.2, |
| (Mass Perturbations)                                  | 1.4, 1.6, 1.8, 2.0}                 |
| Probability of external perturbations $\delta$        | {0,0.05,0.1,0.15,0.2,0.25,          |
| (Action Perturbations)                                | 0.3, 0.35, 0.4, 0.45, 0.5}          |

Test parameters [1]

#### Results

- figures of merit: average return values per permutation (10 episodes each)
- robust algorithm performs much better (even without perturbations)
- authors argue that the robust algorithms is better prepared for model uncertainties (no clear gradient recognizable)



#### **Conclusion and Recommendations**

- robust algorithm preferred
- big step compared to previous algorithms
- use different activation functions in neural networks
- adjust starting position (decrease size)
- stability is taken into account
- orientation was somewhat neglected

# **Questions?**

