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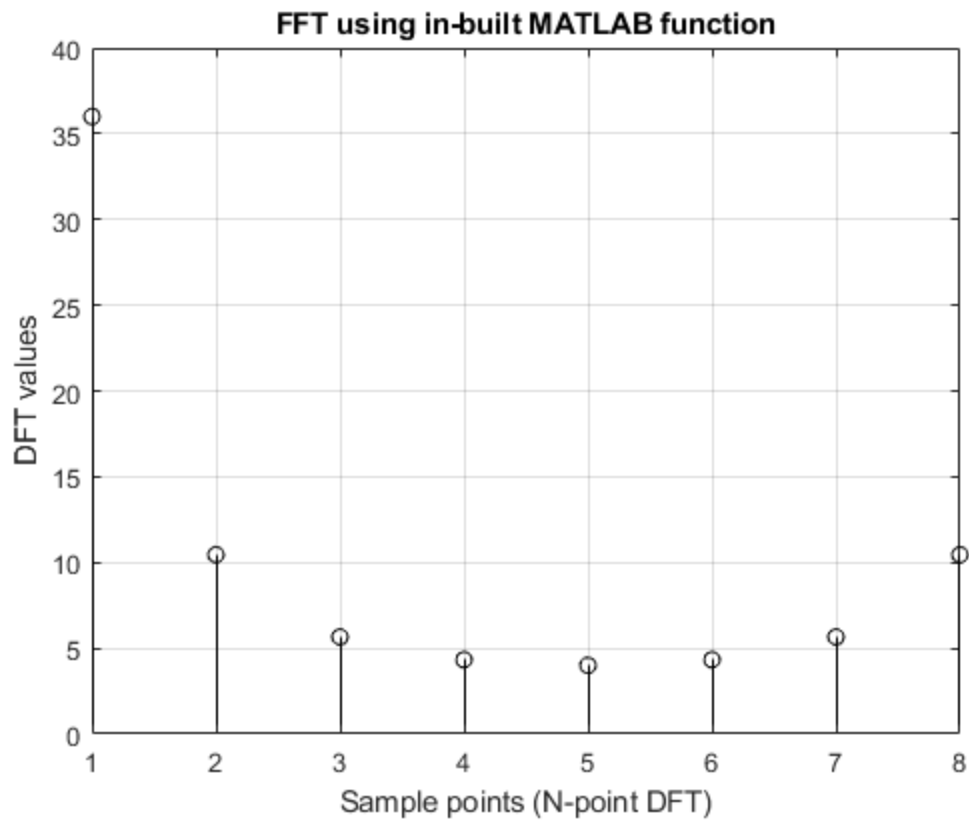
Dan Otieno. EE 384 -> Spring '24. Classwork 3. Due date: 02/06/24. Credit to Sayan Samanta for assistance with Matlab scripts.

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## Problem 1a.

Discrete Fourier Transform and Fast Fourier Transform. a): Use fft function to calculate Fourier Transform. Sequence  $x = [1, 2, 3, 4, 5, 6, 7, 8]$ .

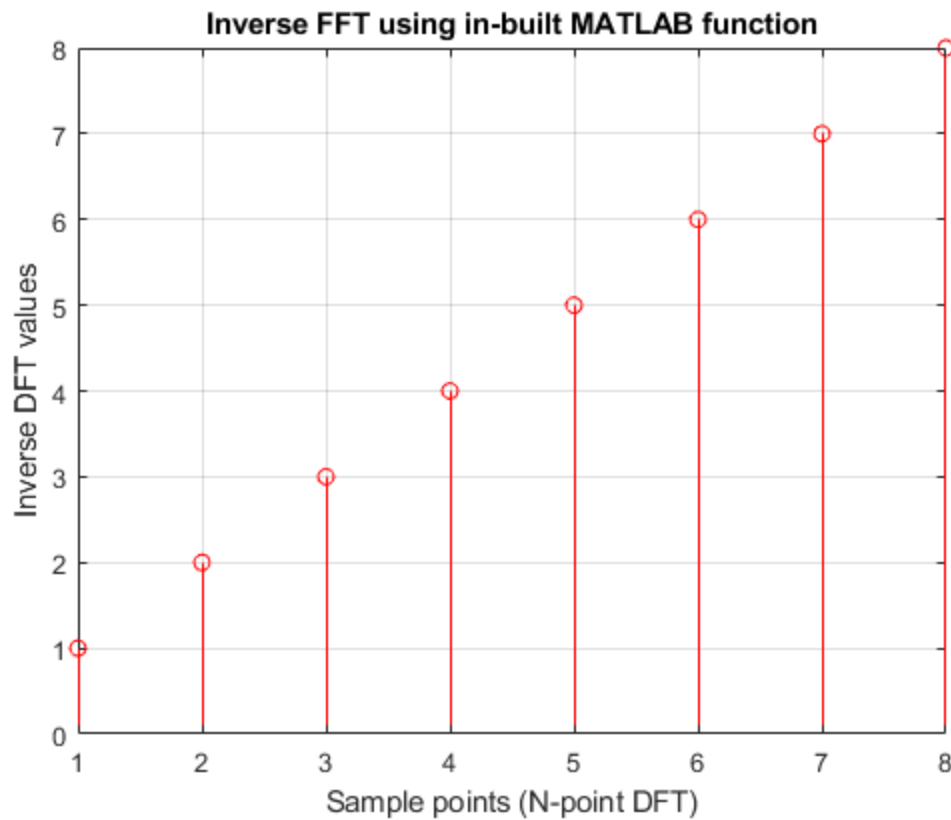
```
close all;clear all;clc
x = [1, 2, 3, 4, 5, 6, 7, 8];
y = fft(x);
figure(1)
stem(abs(y), 'k-');
grid on
title('FFT using in-built MATLAB function');
xlabel('Sample points (N-point DFT)');
ylabel('DFT values');
```



### Problem 1b.

Use ifft function to calculate inverse Fourier Transform... ....of the result gotten in (a).

```
z = ifft(y);
figure(2)
stem(abs(z), 'r-');
grid on
title('Inverse FFT using in-built MATLAB function');
xlabel('Sample points (N-point DFT)');
ylabel('Inverse DFT values');
```



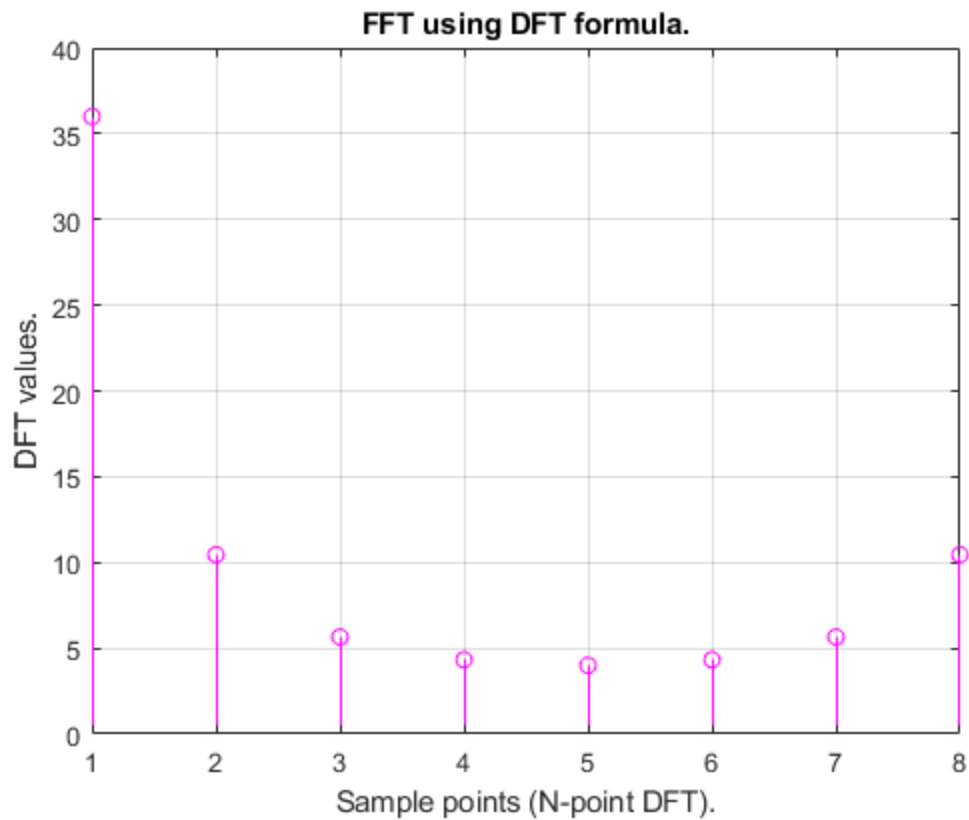
### Problem 1c - My DFT.

Redo a and b using my own DFT and Inverse DFT functions. ....of the result for (a). Give credit if functions used.

```
x = fnDFT(x);
figure(3)
stem(abs(X), 'm-')
grid on
title('FFT using DFT formula.');
```

xlabel('Sample points (N-point DFT).');

ylabel('DFT values.');

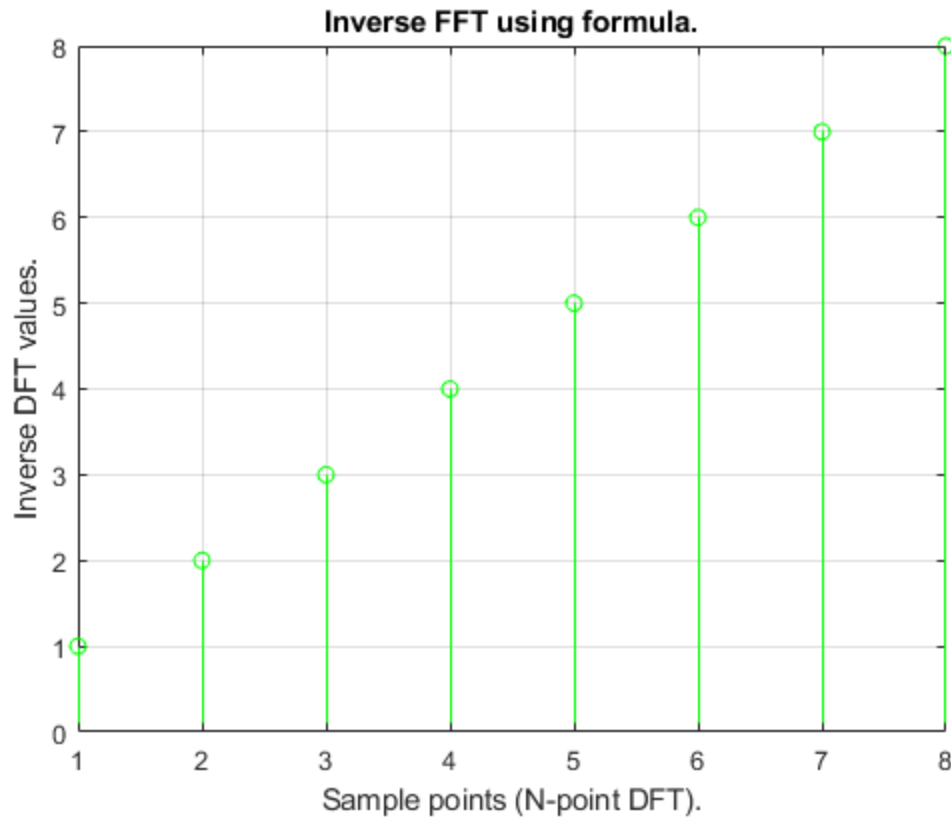


### Problem 1c - My Inverse DFT.

```
Y = fnInvDFT(X);  
figure(4)  
stem(abs(Y), 'g-')  
grid on  
title('Inverse FFT using formula.');
```

xlabel('Sample points (N-point DFT).');

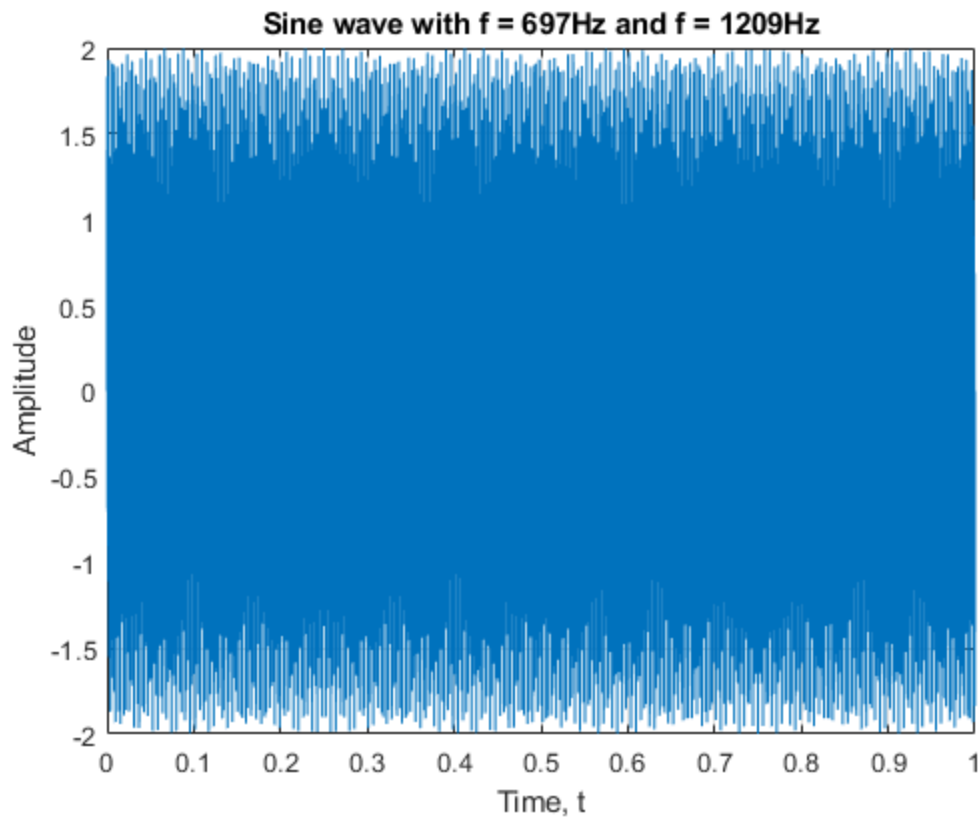
ylabel('Inverse DFT values.');



## Problem 2a.

Create and plot  $y(t) = \sin(2\pi f_1 t) + \sin(2\pi f_2 t)$ ... where  $f_1 = 697$  Hz &  $f_2 = 1209$  Hz.

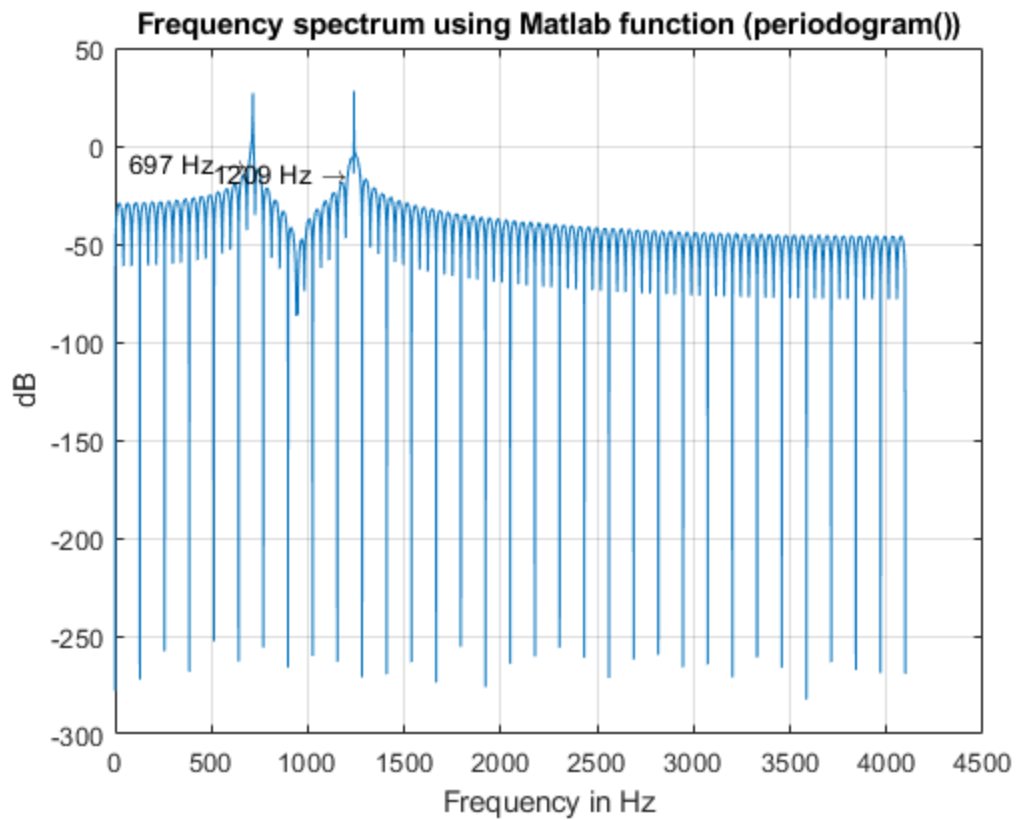
```
fs = 8000;
ts = 1/fs;
t = 0:ts:1;
fa1 = 697;
fa2 = 1209;
y = sin(2*pi*fa1*t) + sin(2*pi*fa2*t);
figure(5);
plot(t,y)
grid on
title(['Sine wave with f = ', num2str(fa1), 'Hz and f = ', num2str(fa2), 'Hz'])
xlabel('Time, t'), ylabel('Amplitude')
```



## Problem 2b.

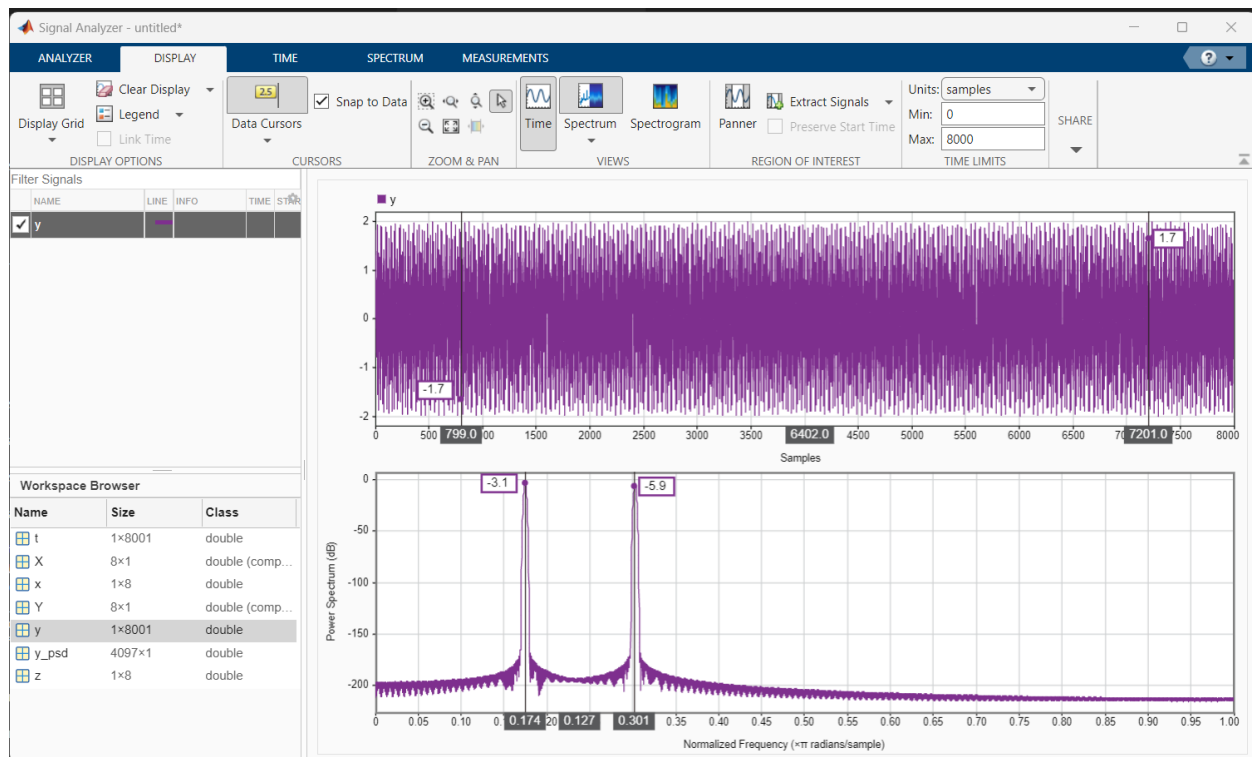
Plot the spectrum of  $y(t)$  using spectral estimation tool... Put markers in the plot to show main frequency components.

```
y_psd = periodogram(y);
figure(6)
plot(10*log10(y_psd));
grid on
title('Frequency spectrum using Matlab function (periodogram())')
xlabel('Frequency in Hz')
ylabel('dB')
text(697, 10*log10(y_psd(697)), '697 Hz \rightarrow', 'HorizontalAlignment','right');
text(1209, 10*log10(y_psd(1209)), '1209 Hz \rightarrow', 'HorizontalAlignment','right');
```



### Problem 2c.

Re-do part (b) - Completed using Matlab Signal Analyzer. Image from Signal Analyzer copied and pasted in this document.

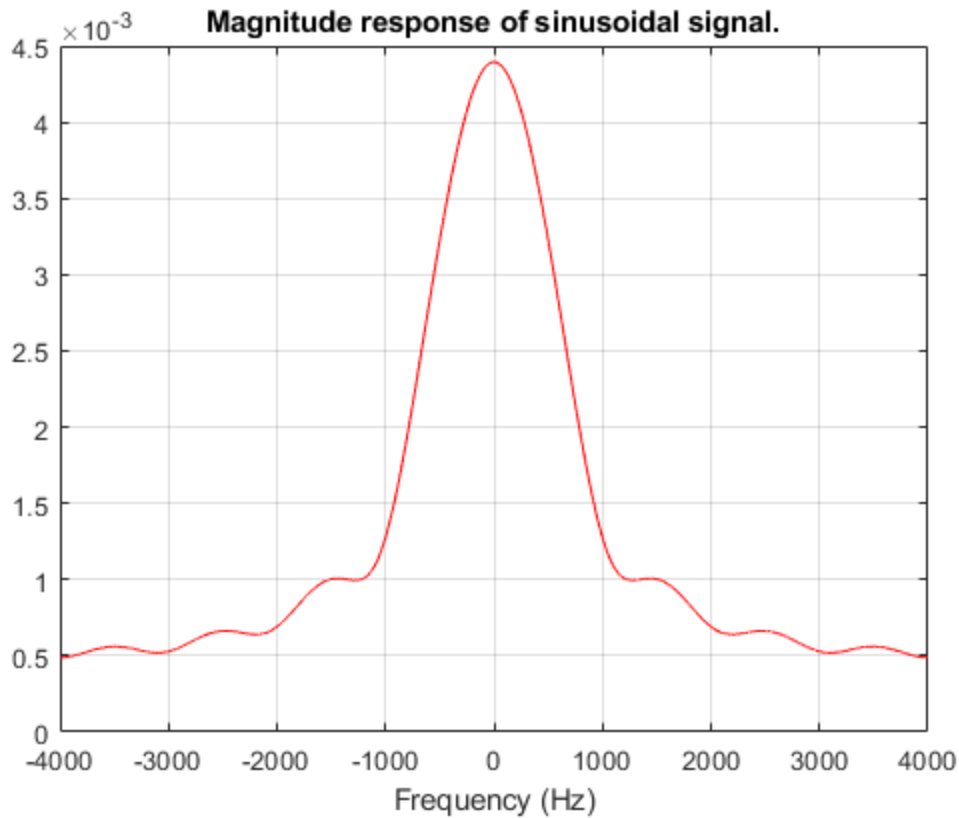


## Problem 2d.

Re-do part (b) using FFT.

```
L = length(y);
n = pow2(nextpow2(L));
y_dft = fft(x, n);
y_s = fftshift(y_dft);
f = (-n/2:n/2-1) * (fs/n);
figure(7)
plot(f, abs(y_s)/n, 'r-');
grid on
xlabel('Frequency (Hz)')
title('Magnitude response of sinusoidal signal.')
```





## Functions.

```
function [y] = fnDFT(x)
    N = length(x);
    y = zeros(N, 1);
    for k = 1:N
        x(k+1) = 0;
        for n = 0:N-1
            x(k+1) = x(k+1) + (x(n+1) * exp(-1i*(2*pi/N)*(k-1)*n));
        end
        y(k) = x(k+1);
    end
end

function [x] = fnInvDFT(y)
    N = length(y);
    x = zeros(N, 1);
    for k = 1:N
        Y(k+1) = 0;
        for n = 0:N-1
            Y(k+1) = Y(k+1) + (y(n+1) * exp(-1i*(2*pi/N)*-(k-1)*n));
        end
        x(k)=(1/N)*Y(k+1);
    end
end
```