
Table of Contents

Problem 1.	1
Problem 2.	2
Problem 3.	3
Problem 4.	5

Dan Otieno. EE 384 -> Spring '24. Classwork 0 - Intro to MATLAB. Due date: 01/16/24.

Problem 1.

Q1.1. What is the result of: a) $a+b$, b) $a*b$, c) $a.*b$ a & b are column vectors.

```
a = [2; 5; 8];
b = [3; 13; 8];
a_result = a + b;
b_result = a .* b;

% Print/Display Results.
fprintf('PROBLEM 1.\n')
fprintf('Q1.1:\n');
fprintf('a) Result of a + b: \n');
disp(a_result);
fprintf('b) a * b is not a valid operation.\n\n');
fprintf('c) Result of a .* b: \n');
disp(b_result);
```

```
% Q1.2.
% Repeat 1.1 but with 'a' as a matrix:
aMatrix = [1 2 -3; 2 1 2; 4 -2 1];
a2_result = aMatrix + b;
b2_result = aMatrix * b;
c2_result = aMatrix .* b;

% Print/Display Results.
fprintf('-----\n');
fprintf('Q1.2:\n');
fprintf('Repeating Q1.1 with "a" as a Matrix \n');
fprintf('Result of a + b: \n');
disp(a2_result);
fprintf('Result of a * b: \n');
disp(b2_result);
fprintf('Result of a .* b: \n');
disp(c2_result);
fprintf('=====\n');
```

PROBLEM 1.

Q1.1:

a) Result of $a + b$:

5
18
16

b) $a * b$ is not a valid operation.

c) Result of $a .* b$:

6
65
64

Q1.2:

Repeating Q1.1 with "a" as a Matrix

Result of $a + b$:

4	5	0
15	14	15
12	6	9

Result of $a * b$:

5
35
-6

Result of $a .* b$:

3	6	-9
26	13	26
32	-16	8

Problem 2.

Plot the functions: $y1 = \cos(t)$, $y2 = \sin(t)$. 't' is a vector from 0 to 50 with increasing step: a) 1, b) 0.01.

```
% Increasing step = 1.
```

```
t1 = 0:1:50;  
y1 = cos(t1);  
y2 = sin(t1);
```

```
% Increasing step = 0.01.
```

```
t2 = 0:0.01:50;  
y3 = cos(t2);  
y4 = sin(t2);
```

```
% Plotting the functions.
```

```
figure;  
sgtitle('Plots for  $y1 = \cos(t)$  &  $y2 = \sin(t)$ ');  
% First subplot.  
subplot(2, 1, 1);  
plot(t1, y1, 'b-', t1, y2, 'm-');  
title('2a) Step Size = 1.');
```

```

legend('y1 = cos(t)', 'y2 = sin(t)');
xlabel('t');
ylabel('Amplitude');

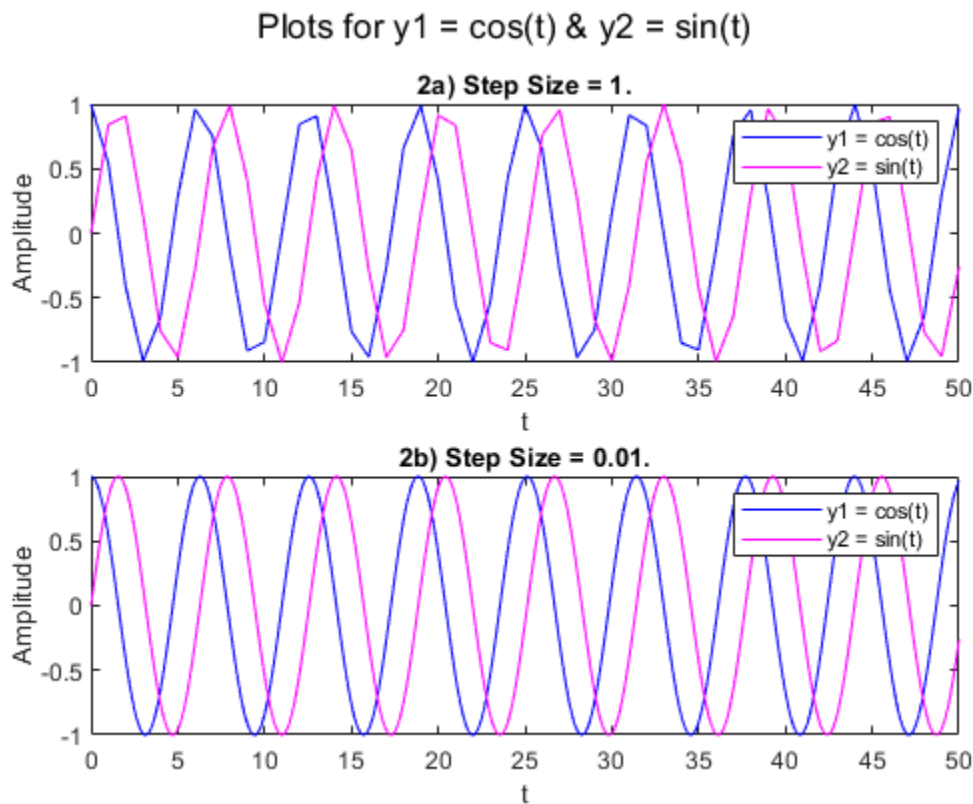
% Second subplot.
subplot(2, 1, 2);
plot(t2, y3, 'b-', t2, y4, 'm-');
title('2b) Step Size = 0.01. ');
legend('y1 = cos(t)', 'y2 = sin(t)');
xlabel('t');
ylabel('Amplitude');

fprintf('PROBLEM 2:\n');
fprintf('Yes, signals are smoother when the increasing step is reduced.\n');
fprintf('=====
\n');

```

PROBLEM 2:

Yes, signals are smoother when the increasing step is reduced.



Problem 3.

Program to solve system of equations of 3 variables. Matrix inverse method, should include user prompt to input coefficients. Assume users have to give coefficients in the order 'a', 'b', 'c', and 'd'. Test using $2x+3y+z=3$, $x+3y-z=6$ and $2x+2y=7$.

```

fprintf('PROBLEM 3.\n');
fprintf('Program will solve system of equations for variables using matrix
inverse method.\n');
% To test user input, uncomment the input prompt lines below.
% fprintf('Enter coefficients below in the form ax + by + cz = d:\n');
% Coefficient inputs for the 1st equation.
% a1 = input('a1 = : ');
% b1 = input('b1 = : ');
% c1 = input('c1 = : ');
% d1 = input('d1 = : ');
% fprintf('\n');
% Coefficient inputs for the 2nd equation.
% a2 = input('a2 = : ');
% b2 = input('b2 = : ');
% c2 = input('c2 = : ');
% d2 = input('d2 = : ');
% fprintf('\n');
% Coefficient inputs for the 3rd equation.
% a3 = input('a3 = : ');
% b3 = input('b3 = : ');
% c3 = input('c3 = : ');
% d3 = input('d3 = : ');

% Hard-coded inputs as specified in question, for testing.
a1 = 2;
b1 = 3;
c1 = 1;
d1 = 3;

a2 = 1;
b2 = 3;
c2 = -1;
d2 = 6;

a3 = 2;
b3 = 2;
c3 = 0;
d3 = 7;

A = [a1 b1 c1; a2 b2 c2; a3 b3 c3];
B = [d1; d2; d3];

% Calculate the result.
aInv = inv(A);
result = aInv * B;

% Print/Display result.
fprintf('a1 = 2, b1 = 3, c1 = 1, d1 = 3.\n');
fprintf('a2 = 1, b2 = 3, c2 = -1, d2 = 6.\n');
fprintf('a3 = 2, b3 = 2, c3 = 0, d3 = 7.\n');
fprintf('\nThe solution for this system of equations is:\n');
fprintf('x = %.4f\n', result(1));
fprintf('y = %.4f\n', result(2));
fprintf('z = %.4f\n', result(3));

```

```

fprintf('=====
\n');

PROBLEM 3.
Program will solve system of equations for variables using matrix inverse
method.
a1 = 2, b1 = 3, c1 = 1, d1 = 3.
a2 = 1, b2 = 3, c2 = -1, d2 = 6.
a3 = 2, b3 = 2, c3 = 0, d3 = 7.

The solution for this system of equations is:
x = 4.0000
y = -0.5000
z = -3.5000
=====

```

Problem 4.

Write program to calculate $\log(1 + \mu * \text{abs}(x)) / \log(1 + \mu) .* \text{sign}(x)$. Program must include a user prompt to input the parameter ' μ ' and input ' x '. Test Program by plotting ' y ' according to ' x '. $\mu = 255$, x = vector changing from 0 to 1 with increasing step 0.01.

```

fprintf('PROBLEM 4.\n');
% To test user input, uncomment the input prompt lines below.
% fprintf('Enter values for %mu and \'x\':');
% User inputs for mu and x.
% mu = input('mu = : ');
% x = input('x = : ');

% Hard-coded inputs as specified in question, for testing.
mu = 255;
x = 0:0.01:1;

% Calculate 'y' from the function.
y = fnResult(mu, x);

% Plotting the results.
figure;
plot(x, y);
title('mu-law compressor (used in PCM).');
xlabel('x');
ylabel('y');
grid on;

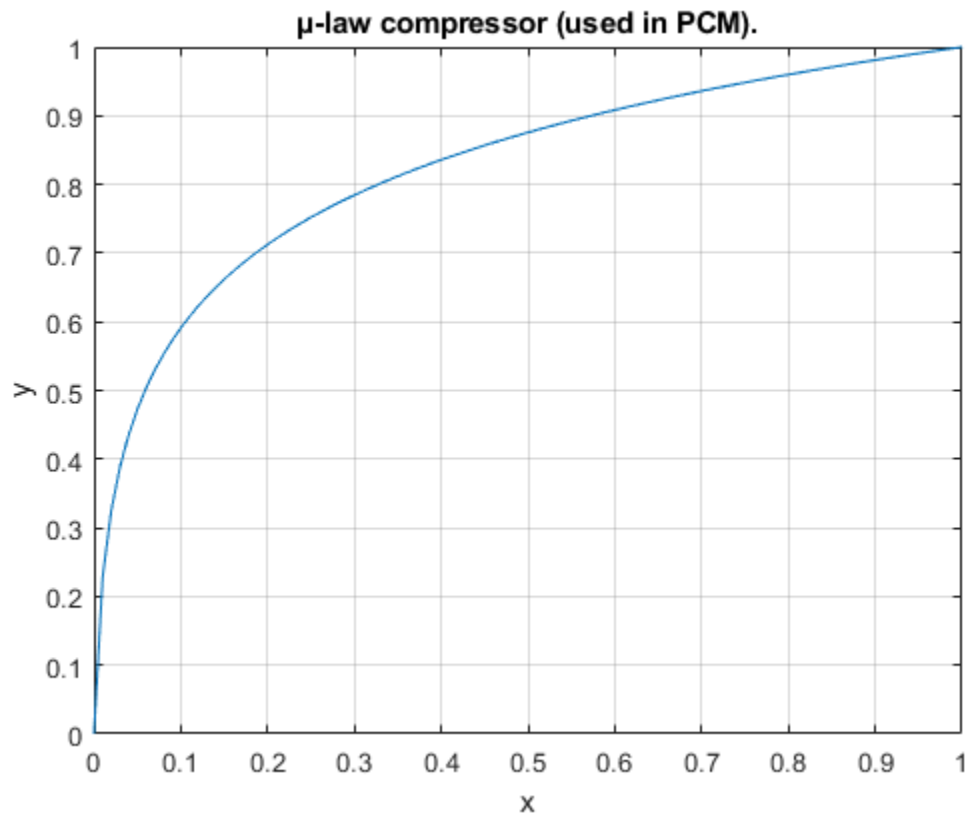
fprintf('See (x, y) plot.\n');
fprintf('=====
\n');

% Function definition.
function y = fnResult(mu, x)
    y = log(1 + mu * abs(x)) / log(1 + mu) .* sign(x);
end

```

PROBLEM 4.

See (x, y) plot.



Published with MATLAB® R2023a