DAN OTIENO - MIDTERM -03/06/23

14-bit auelenoneter: X=10429; Y=6626. ± 3g.

 $\pm 3g$. Sensitivity: $4g \rightarrow (2^{14}-1)/6g$ S = 2730 (count/g).

 $A_0 (og) = 2^{13} = 8192$ $A_X = (X - A_0)/S = 0.8194$ $A_Y = (Y - A_0)/S = -0.5736$

 $\alpha = \tan^{-1} \left(\frac{\Delta \gamma}{Ax} \right)$

= tan-1 $\left(-0.5736/0.8194\right)$

= - 34.993

2 Completed in mattal.

$$\frac{3 d^2 y(t)}{dt^2} + 2 dy(t) + 10 y(t) = dx(t)$$

$$S^{2}$$
 Y(s) - 1 + 2s Y(s) + 10 Y(s) = 1
Y(s) (S^{2} + 2s + 10) = 2

$$Y(s) = \frac{2}{s^2 + 2s + 10} = \frac{2}{(s+1)^2 + 9}$$

$$f(t) = \int_{-1}^{-1} \left(\frac{2}{3}, \frac{3}{(s+1)^2 + 9} \right)$$

$$y(1.4) = 3/2 \cdot \sin(3 \times 1.4)$$

$$= -0.143$$

$$\frac{3s+4}{5^2+2s+4}$$

$$X(s) = \frac{3s + 4}{s^2 + 2s + 4} = \frac{3s + 4}{(s+1)^2 + 3}$$

$$= \frac{3(S+1)+1}{(S+1)^2+3}$$

$$= 3 \frac{(S+1)}{(S+1)^2+3} + \frac{1}{\sqrt{3}} \frac{\sqrt{3}}{(S+1)^2+3}$$

So:

$$x(t) = 3 \cdot e^{-t} \cos (\sqrt{3}t) ut + \sqrt{3}e^{-t} \sin (\sqrt{3}t) ut$$

 $x(1) = 3e^{-t} \cos (\sqrt{3}\cdot 1) + \sqrt{3}e^{-t} \sin (\sqrt{3}\cdot 1)$
 $= 0.032$

Console window Calculations. (MATLAR).

```
>> otieno_midterm
Value of h(tau-t) at t = 1.4s: 0.522
>> (2/3)*exp(-1.4)*sin(3*1.4)

ans =

-0.1433

>> 3*exp(-1)*cos(sqrt(3))+(1/sqrt(3))*exp(-1)*sin(sqrt(3))

ans =

0.0324
>>
```