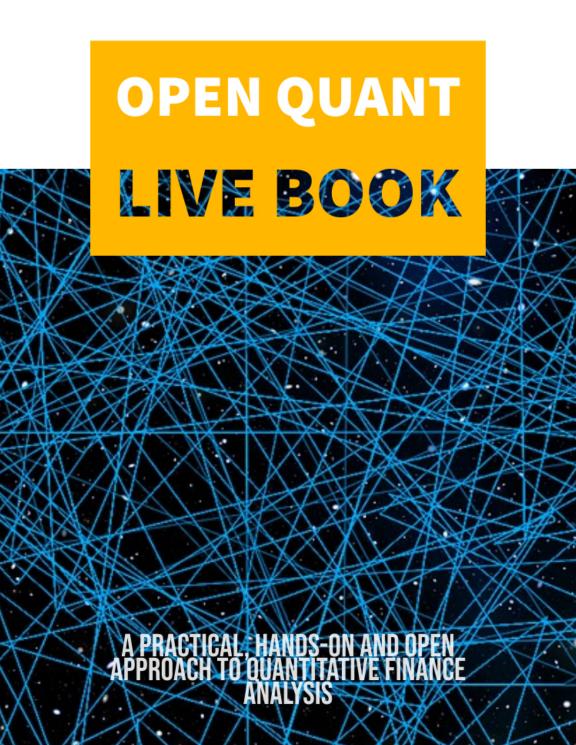
Thársis T. P. Souza



The Open Quant Live Book

Thársis T. P. Souza

2018 - 12 - 28

Contents

Pr	efac	e	5
Ι	$\mathbf{T}\mathbf{h}$	ne Basics	7
1	I/O 1.1		9
2	Stv	lized Facts	13
_	2.1	Introduction	
	2.2	Distribution of Returns	
	2.3		
	2.4	Correlation	
3	Cor	relation & Causation	17
II	\mathbf{A}	lgo Trading	19
4	Lin	uit Order	21

4	CONTENTS
III Portfolio Optimization	23
IV Machine Learning	25
V Econophysics	27
5 Entropy	29
6 Transfer Entropy	31
7 Financial Networks	33

Preface

Working Contents

- 1. The Basics
- I/O (25%)
- Stylized Facts (25%)
- Correlation & Causation
- 2. Algo Trading
- Investment Process
- Backtesting
- Factor Investing
- Limit Order
- 3. Portfolio Optimization
- 4. Machine Learning
- Intro
- AutoML
- Hierarchical Risk Parity
- 5. Econophysics
- Entropy, Efficiency and Coupling
- Transfer Entropy, Information Transfer and Causality
- Financial Networks, Taxonomy and Core-Periphery Structure

6 CONTENTS

Book's information

First published at: openquant.netlify.com¹.

Licensed under Attribution-NonCommercial-ShareAlike 4.0 International².



Copyright (c) 2018. Thársis T. P. Souza. New York, NY.

Contribute

The Book is Open³ and we are looking for co-authors (as I will never have the time or the knowledge to write it all by myself). Feel free to reach out or simply create a pull request with your Chapter on our Github project⁴.

¹https://openquant.netlify.com/

²https://creativecommons.org/licenses/by-nc-sa/4.0/

³https://github.com/souzatharsis/open-quant-live-book

⁴https://github.com/souzatharsis/open-quant-live-book

Part I The Basics

I/O

1.1 Data Sources

1.1.1 Alpha Vantage

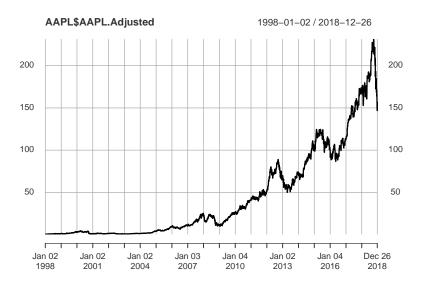
Alpha Vantage offers free access to pricing data including:

- Stock Time Series Data;
- Physical and Digital/Crypto Currencies (e.g., Bitcoin);
- Technical Indicators and
- Sector Performances.

The data are available in JSON and CSV format via REST APIs. The **quantmod** and the **alphavantager** R packages offer a lightweight R interface to the Alpha Vantage API. For instance, daily stock prices can be obtained with the **quantmod**::getSymbols function as follows:

```
getSymbols(Symbols = "AAPL", src = "av", output.size = "full",
  adjusted = TRUE, api.key = "your API key")
```

```
plot(AAPL$AAPL.Adjusted)
```



We called the quantmod::getSymbols function with the following arguments:

- Symbols='AAPL' defines a character vector specifying the names of each symbol to be loaded, here specified by the symbol of the company Apple Inc.;
- src="av" specifies the sourcing method, here defined with the value corresponding to Alpha Vantage;
- output.size="full", strings compact and full are accepted with the following specifications: compact returns only the latest 100 data points; full returns the full-length time series of up to 20 years of historical data;
- adjusted=TRUE, defines boolean variable to include a column of closing prices adjusted for dividends and splits;
- api.key, specifies your Alpha Vantage API key.

1.1.2 IEX

1.1.3 Quandl

Stylized Facts

2.1 Introduction

2.2 Distribution of Returns

2.2.1 Fat Tails

A distribuição de retornos financeiros apresenta leptokurtose. A ocorrência de eventos extremos é mais provável comparado com uma distribuição normal, i.e., as caudas da distribuição empírica de retornos são mais "pesadas" comparadas com as caudas esperadas supondo uma distribuição normal de probabilidade.

2.2.2 Skewness

A distribuição empírica de retornos é distorcida para esquerda. Retornos negativos são mais prováveis que retornos positivos.

2.3 Volatility

$$\sigma = \sqrt{\frac{1}{N-1} \sum_{i=1}^{N} (x_i - \overline{x})^2} \tag{2.1}$$

2.3.1 Time-invariance

A volatilidade de retornos financeiros não é constante ao longo do tempo.

2.3.2 Volatility Clustering

Eventos extremos são observados próximos um dos outros.

2.3.3 Correlation with Trading Volume

O volume de negociação de um ativo tem correlação significante com a volatilidade do mesmo.

2.4 Correlation

$$\rho = \frac{\sum\limits_{t=1}^{T} (r_t - \hat{r}_t)(s_t - \hat{s}_t)}{\sqrt{\sum\limits_{t=1}^{T} (r_t^{\tau} - \hat{r}_t^{\tau})^2} \sqrt{\sum\limits_{t=1}^{T} (s_t - \hat{s}_t)^2}},$$
 (2.2)

onde \hat{r}_t e \hat{s}_t são a média amostral de r_t e $s_t,$ respectivamente.

2.4.1 Time-invariance

A correlação entre duas series temporais de retornos financeiros não é constante ao longo do tempo.

15

2.4.2 Auto-correlation

Retornos financeiros apresentam baixa autocorrelação (linear), exceto em escalas de tempo muito baixas, e.g., minutos, onde há presença de efeitos de microstructura. Por outro lado, a função de autocorrelação do valor absoluto de retornos financeiros decai lentamente com o tempo.

A correlação contemporânea é maior do que a correlação cruzada.

Correlation & Causation

${f Part\ II}$ Algo Trading

Limit Order

Part III Portfolio Optimization

Part IV Machine Learning

Part V Econophysics

Entropy

Transfer Entropy

Financial Networks