

WALCHAND COLLEGE OF ENGINEERING

(Government Aided Autonomous Institute) Visharambag, Sangli - 416415

Second Year B. Tech, Computer Science and Engineering

Re-Exam, Odd and Even Semester AY 2022-23 Applied Mathematics for Computer Science and Engineering (6CS225)

PRN:

Re-Exam

Max Marks: 100			
b) Writing question number on answer book is compulsory otherwise, answers may assessed. c) Assume suitable data wherever necessary. d) Figures to the right of question text indicate full marks. e) Mobile phones, smart gadgets and programmable calculators are strictly prohibit f) Except PRN, anything else writing on question paper is not allowed.	not l	ne .	
ght of marks indicates course outcomes (Only for faculty use)	Mark	8	
	5		
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Height of Fuzzy set		4	CO
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	Ferify that you have received question papers with correct course code, branch et a) All questions are compulsory. b) Writing question number on answer book is compulsory otherwise, answers may assessed. c) Assume suitable data wherever necessary. d) Figures to the right of question text indicate full marks. e) Mobile phones, smart gadgets and programmable calculators are strictly prohibing 10 Except PRN, anything else writing on question paper is not allowed. g) Exchange/Sharing of stationery, calculator etc. not allowed. ght of marks indicates course outcomes (Only for faculty use) PART A fine (a) Inner product space (b) Norm of vector in (a) Orthogonal set (b) Orthonormal set is orthogonal set of non-zero vectors in an inner product space V, then show S is linearly independent set. by that $S = \{(1,1,1), (1,1,0), (1,0,0)\}$ is basis for R^3 the standard basis for the vector space (a) R^3 (b) Polynomial of degree less or equal to n e Dimension of vector space. $R^+ be the set of all positive reals. Define addition of any two members by to be usual multiplication of numbers i.e x + y = x. y Define scalar blication by scalar k to any x \in R^+ to be x^k i.e kx = x^k then show that V is space. Level set with example alpha cut set and strong alpha cut set Height of Fuzzy set$	Ferify that you have received question papers with correct course code, branch etc. a) All questions are compulsory. b) Writing question number on answer book is compulsory otherwise, answers may not assessed. c) Assume suitable data wherever necessary. d) Figures to the right of question text indicate full marks. e) Mobile phones, smart gadgets and programmable calculators are strictly prohibited. f) Except PRN, anything else writing on question paper is not allowed. g) Exchange/Sharing of stationery, calculator etc. not allowed. ght of marks indicates course outcomes (Only for faculty use) PART A sine (a) Inner product space (b) Norm of vector ine (a) Orthogonal set (b) Orthonormal set is orthogonal set of non-zero vectors in an inner product space V, then show S is linearly independent set. w that $S = \{(1,1,1), (1,1,0), (1,0,0)\}$ is basis for R^3 the standard basis for the vector space (a) R^3 (b) Polynomial of degree less or equal to n e Dimension of vector space. R^+ be the set of all positive reals. Define addition of any two members by the be usual multiplication of numbers i.e $x + y = x$. y Define scalar dication by scalar k to any $x \in R^+$ to be x^k i.e $kx = x^k$ then show that V is space. Level set with example alpha cut set and strong alpha cut set Phace the strong alpha cut set for fuzzy set B whose membership value is as	For it is orthogonal set of non-zero vectors in an inner product space V, then show S is linearly independent set. At that $S = \{(1,1,1), (1,1,0), (1,0,0)\}$ is basis for R^3 the standard basis for the vector space. $R = R^+$ be the set of all positive reals. Define addition of any two members y to be usual multiplication of numbers i.e $x + y = x$. y Define scalar space. Part A to be the set of fuzzy set be whose membership value is as space.

PART B

A) Consider below confusion matrix for a newly created image classification model

OH HHELE		Pred	icted
	1	Yes	No
1575	Tari	250	125
Actual	Yes	40	65
	No	70	5700

Calculate

- a. Accuracy
- b. True Positive Rate
- c. Precision
- d. Specificity
- e. F1 score
- B) What is Primality test? Using Fermat's little theorem prove that 103 is a prime number. (Use K=3)

COB

C) Find out the factors of below equations.

a.
$$9 + 3xy + x^2y + 3x$$

b.
$$x^2 + 8x + 15$$

c.
$$16x^2 - 49y^2$$

d.
$$5x^2 + xy - 6x$$

e.
$$(x^2 - 7x + 12)$$

- Find the GCD of 270 and 192 using Euclidian algorithm.
 - Calculate primitive roots of 7.
 - Perform Min-Max Normalization on the following - $Max_A = 78000$ $Min_A = 11000$

			to the second line.
D) Find Mean Mode sa			200
Median for follows	_ 3		A CONTRACTOR OF THE PARTY OF TH
i. Mean	-	9 9 9	C05
	No. of	196-20-1	7 1 20 1
	bulbs	No. of boxes	TO STORY
	0-4	0 9 3	38
	4-8	3 3 4	
	8-12	56	
	12 - 16	4 6	
ii. Mode	16 - 20	20 0	
	44.45	- C & B	
	Marks	Frequency	25
	0 - 20	2 9 3	2/2 10
	20 - 40	70 8	6
The state of the state of the state of	Printed and the second and the second	9 5 8	
5 5	60 - 80	8 8	
iii. Median	80 - 100	16/3	A ST
	Chara	1 to 1 1 1 1 1 1 1 1 1 1 1 1 1 1 1 1 1 1	7
J 8 6	Class	Frequency	y a d
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6 5 0 1	0 - 15	2 8 5	8
13° 6° 6° 18°	15 - 30	04	
A 6 15 15 15 15 15 15 15 15 15 15 15 15 15	30 - 45	7 8	120
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8 8 6	75 - 90	14 15 15	
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1 2 2 2	- 6	W 10 5	
E) S S S	25	8 8 5	
S. S. S.	0		
A S S S S	7	20	CO3
6 A) Find Percentile & Quantile for 13 -	O'	8	
	3,14,15,20,2	216	4
1,40,1,1	3,14,13,20,2	3,10	
2 2 2		7	
A mark of the with black of	iagram	S O	5 CO3
B) Elaborate Loss Function with block d	coa		
C) Derive the term Intersection Over Uni	5 003		
		(y)	
T 20 10 10 10 10 10 10 10 10 10 10 10 10 10		0	
A		5	
0 0 0	5		