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EE291
4/28/2022

Project 2

Part 1: Linear Regression Model

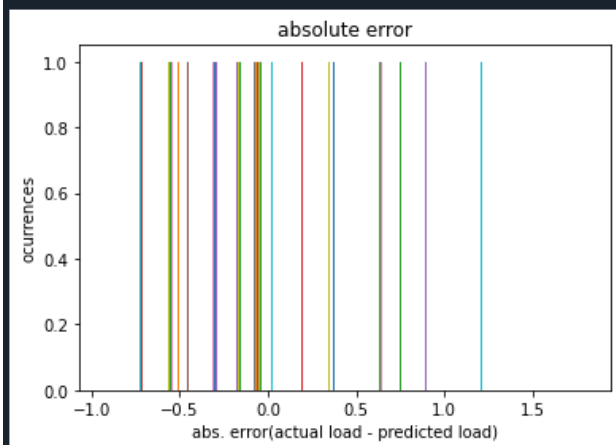
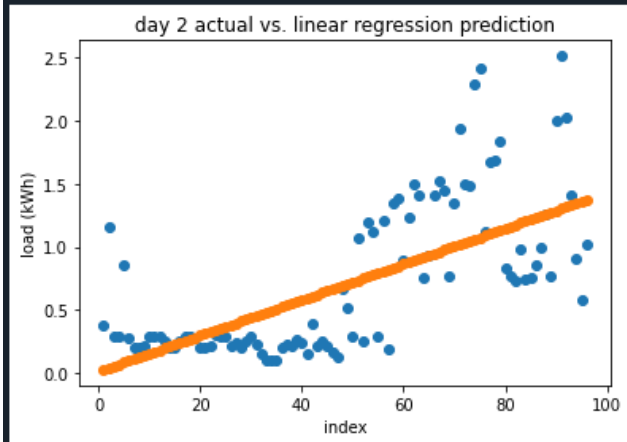
Based on the given excel spreadsheet electricity consumption data for one day, create a linear regression model that predicts the following day's electricity consumption.

```
1  # -*- coding: utf-8 -*-
2  """
3  Created on Wed Apr 13 14:47:28 2022
4
5  @author: knicely
6  """
7
8  import pandas as pd
9  from sklearn.linear_model import LinearRegression as LR
10 import matplotlib.pyplot as plt
11
12 df = pd.read_excel('Electricity Consumption.xlsx', sheet_name = 'Day_1')
13 df2 = pd.read_excel('Electricity Consumption.xlsx', sheet_name = 'Day_2')
14
15 x = df['Index']
16 x2 = df2['Index']
17 y = df['KWh']
18 y2 = df2['KWh']
19
20 x_train = x.values.reshape(-1,1)
21 x_pred = x2.values.reshape(-1,1)
22 y_train = y.values.reshape(-1,1)
23 y2_train = y2.values.reshape(-1,1)
24
25
26 reg = LR()
27 reg.fit(x_train,y_train)
28 print('linearConst = ',reg.intercept_)
29 print('linearCoeff = ', reg.coef_)
30
31 y_pred = reg.predict(x_pred)
32
33 plt.scatter(x2, y2)
34 plt.title("day 2 actual")
35 plt.xlabel("index")
36 plt.ylabel("load kWh")
37
38 plt.scatter(x2, y_pred)
39 plt.title("day 2 actual vs. linear regression prediction")
40 plt.xlabel("index")
41 plt.ylabel("load (kWh)")
42
43 err = y2_train - y_pred
44 errList = err.tolist()
45
46
47 fig, ax = plt.subplots()
48 ax.hist(errList)
49 ax.set_title('absolute error')
50 ax.set_xlabel='abs. error(actual load - predicted load)', ylabel='ocurrences')
```

Python code for linear regression

IPython 7.29.0 -- An enhanced Interactive Python.

```
In [1]: runfile('C:/Users/Kyle/Documents/EE291Project2/Project2.py', wdir='C:/Users/Kyle/Documents/EE291Project2')
linearConst = [0.01472807]
linearCoeff = [[0.01415939]]
```



Linear Regression

The scatter plot (blue dots) shows the actual data for electricity consumption for day 2. The linear regression (orange line) is the predicted consumption of day 2 based on the data from day 1.

The histogram x-axis is the absolute error between the actual load and predicted load. The y-axis is the number of occurrences (each thin colored bar is one data point).

Part 2: Polynomial Regression Model

Based on the given excel spreadsheet electricity consumption data for one day, create a 3rd, 5th, and 7th order polynomial regression model that predicts the following day's electricity consumption. Compare the three models based on their total squared error of prediction.

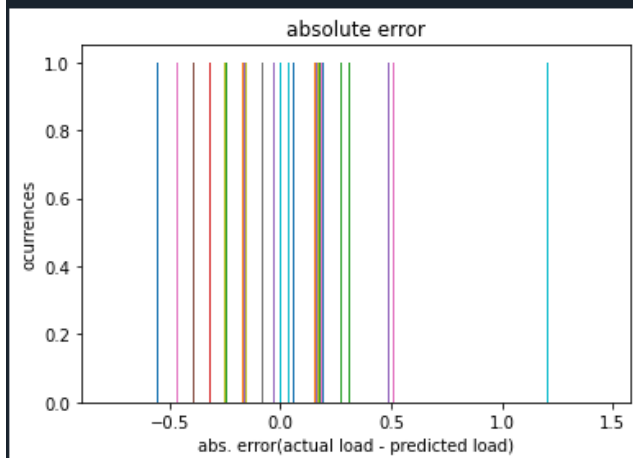
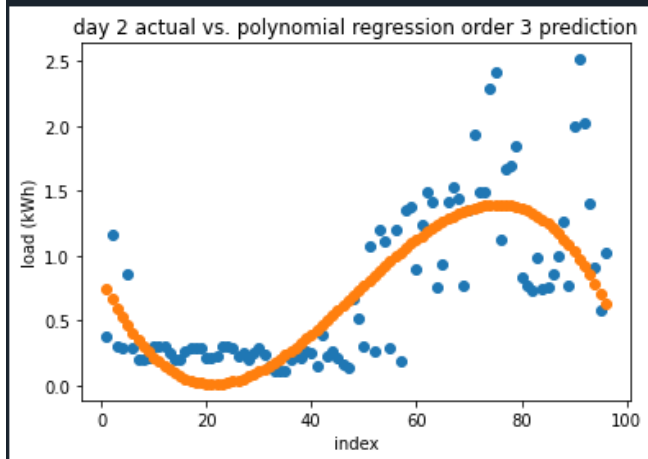
```
3 Created on Thu Apr 14 14:01:08 2022
4
5 @author: Kyle
6 """
7
8 import pandas as pd
9 from sklearn.linear_model import LinearRegression as LR
10 from sklearn.preprocessing import PolynomialFeatures as PF
11 import matplotlib.pyplot as plt
12 import numpy as np
13
14 df = pd.read_excel('Electricity Consumption.xlsx', sheet_name = 'Day_1')
15 df2 = pd.read_excel('Electricity Consumption.xlsx', sheet_name = 'Day_2')
16
17 x = df['Index']
18 x2 = df2['Index']
19 y = df['KWh']
20 y2 = df2['KWh']
21
22 x_train = x.values.reshape(-1,1)
23 x_pred = x2.values.reshape(-1,1)
24 y_train = y.values.reshape(-1,1)
25 y2_train = y2.values.reshape(-1,1)
26
27 Poly = PF(3)
28 x_poly = Poly.fit_transform(x_train)
29 x_poly_2 = Poly.fit_transform(x_pred)
30 reg2 = LR()
31 reg2.fit(x_poly,y_train)
32
33 print('poly3Const = ', reg2.intercept_)
34 print('poly3Coef = ', reg2.coef_)
35 y_pred2 = reg2.predict(x_poly_2)
36
37 err = y2_train - y_pred2
38 errList = err.tolist()
39 squared_error = err**2
40
41 total_squared_error = np.sum(squared_error)
42 print('Total squared error of prediction = ', total_squared_error)
43
44 plt.scatter(x2, y2)
45 plt.title("day 2 actual")
46 plt.xlabel("index")
47 plt.ylabel("load kWh")
48
49 plt.scatter(x2,y_pred2)
50 plt.title("day 2 actual vs. polynomial regression order 3 prediction")
51 plt.xlabel("index")
52 plt.ylabel("load (kWh)")
53
54
55 fig, ax = plt.subplots()
56 ax.hist(errList)
57 ax.set_title('absolute error')
58 ax.set_xlabel='abs. error(actual load - predicted load)', ylabel='ocurrences')
```

Python code for 3rd order polynomial regression

```

In [11]: runfile('C:/Users/Kyle/Documents/EE291Project2/Project2.1.py', wdir='C:/Users/Kyle/Documents/EE291Project2')
poly3Const = [0.82528354]
poly3Coef = [[ 0.00000000e+00 -8.45768021e-02  2.54717750e-03 -1.75783320e-05]]
Total squared error of prediction = 16.918429415728856

```

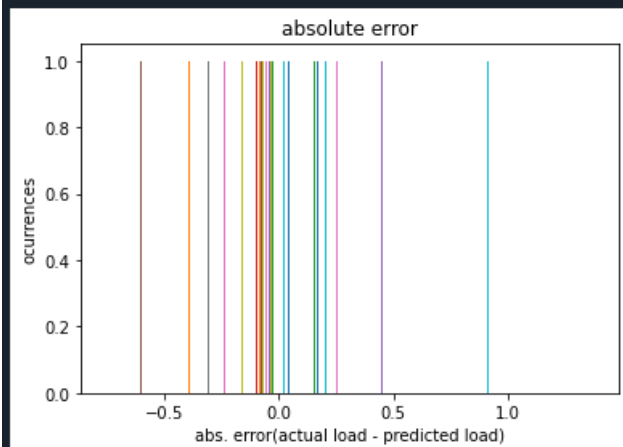
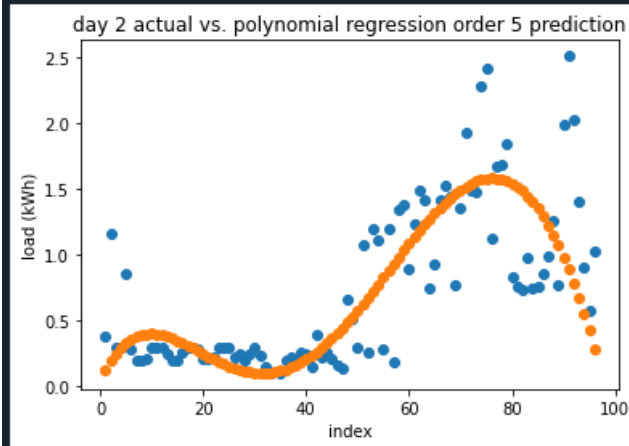


3rd order Polynomial Regression

```

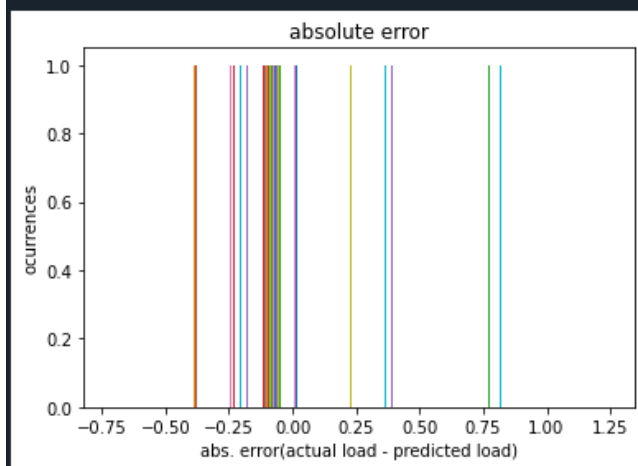
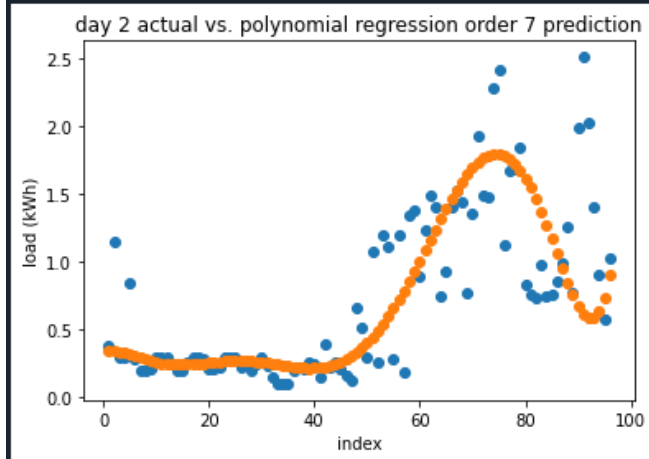
In [10]: runfile('C:/Users/Kyle/Documents/EE291Project2/Project2.2.py', wdir='C:/Users/Kyle/Documents/EE291Project2')
poly5Const = [0.0476388]
poly5Coef = [[ 0.00000000e+00  8.58716239e-02 -6.61748684e-03  1.72336232e-04
 -1.65191703e-06  5.00592631e-09]]
Total squared error of prediction = 13.688242086620118

```



5th order Polynomial Regression

```
In [9]: runfile('C:/Users/Kyle/Documents/EE291Project2/Project2.3.py', wdir='C:/Users/Kyle/Documents/EE291Project2')
poly7Const = [0.3364964]
poly7Coef = [[ 0.00000000e+00  1.32289209e-02 -5.37708877e-03  4.93978062e-04
 -1.98030840e-05  3.86424746e-07 -3.55042841e-09  1.22710511e-11]]
Total squared error of prediction = 11.24466580886131
```



7th order Polynomial Regression

The scatter plot (blue dots) shows the actual data for electricity consumption for day 2. The polynomial regression (orange line) is the predicted consumption of day 2 based on the data from day 1.

The histogram x-axis is the absolute error between the actual load and predicted load. The y-axis is the number of occurrences (each thin colored bar is one data point).

Total squared error of prediction:

The total squared error of prediction is represented by $E = \sum_{i=1}^n r_i^2 = \sum_{i=1}^n (y_i - \hat{y})^2$ where y is the actual load and \hat{y} is the predicted load. For the 3rd order polynomial the total squared error of prediction is 16.918. For the 5th order it is 13.688, and for the 7th order, 11.245. As the order of the polynomial regression increases the total squared error of prediction decreases. We see this in the histograms of absolute error. As the order increases the distribution of error for each data point becomes closer to zero.