→ Linear Search
→ Binary Search
* → interpolation Search
→ (ternary Search) → Adv

traversing →

{1, 5, 8, 10, 11, 12}

key → indx (8)

{1, 5, 10, 11, 12, 9}

traverse →

Linear Search

→ Acc O(1)
→ Update O(1)
→ get O(1)

→ arr = {1, 5, 8, 10, 11, 12}

(key = 8)

```
for( i:0 → n)
    if (key == arr[i])
        return i
```

linear Search

O(n)

O(1)

linear Search

Binary Search ([Search space should be sorted]) [{(Square Root) first occurence}]

↳ iterative –
↳ Recursive –

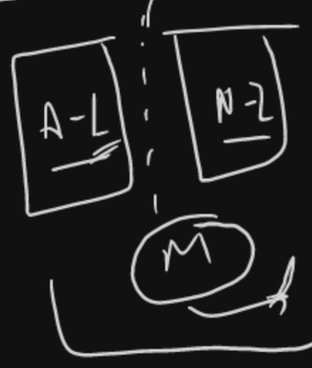
① Complexity / concept

[→ dictionary :

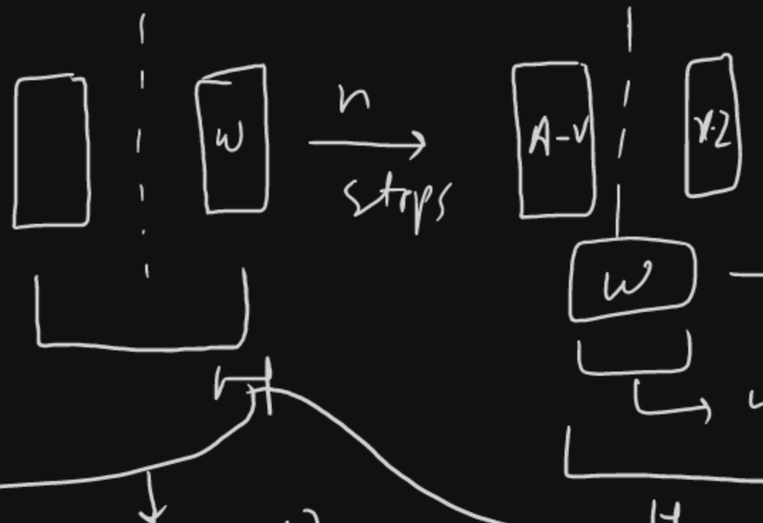
↳ Search Space

Window

1/2



Binary search : [Divide and conquer] → make problem smaller untill you reach to the solⁿ

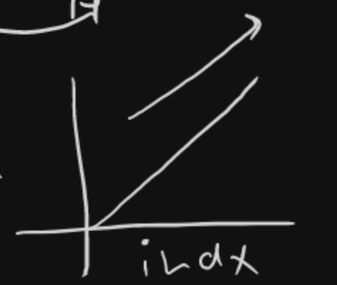


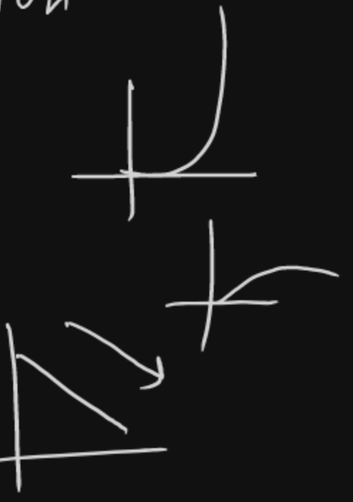
[→ monotonic function (same rate)

[Sorted]

arr = {1, 3, 5, 8} – sorted

= {8, 5, 3, 1} –

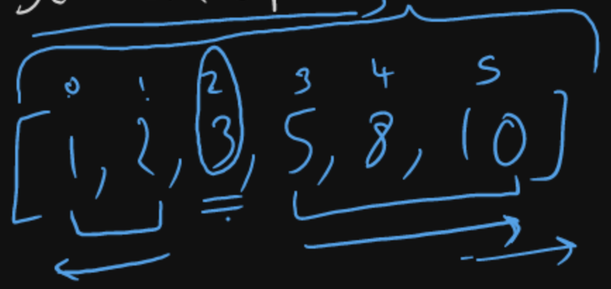




Complexity – O(log n)

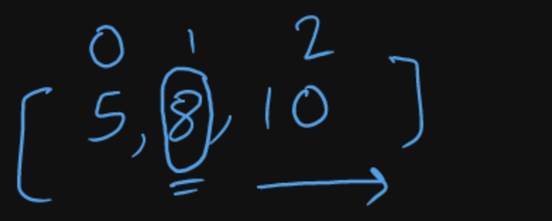
O(1) < [O(log n)] < [O(n)]

[Search space] – array → [1, 2, 3, 5, 8, 10]



(12) → BS() ✓

5/2 = 2



(12) → BS() ✓

3/2 = 1

(12) → BS() ✓

1/2 = 0

[12 is not present]

5

(12) strv(BS) 3 strv(LS) 5 BS() → (1/2) / (search)

O(n)

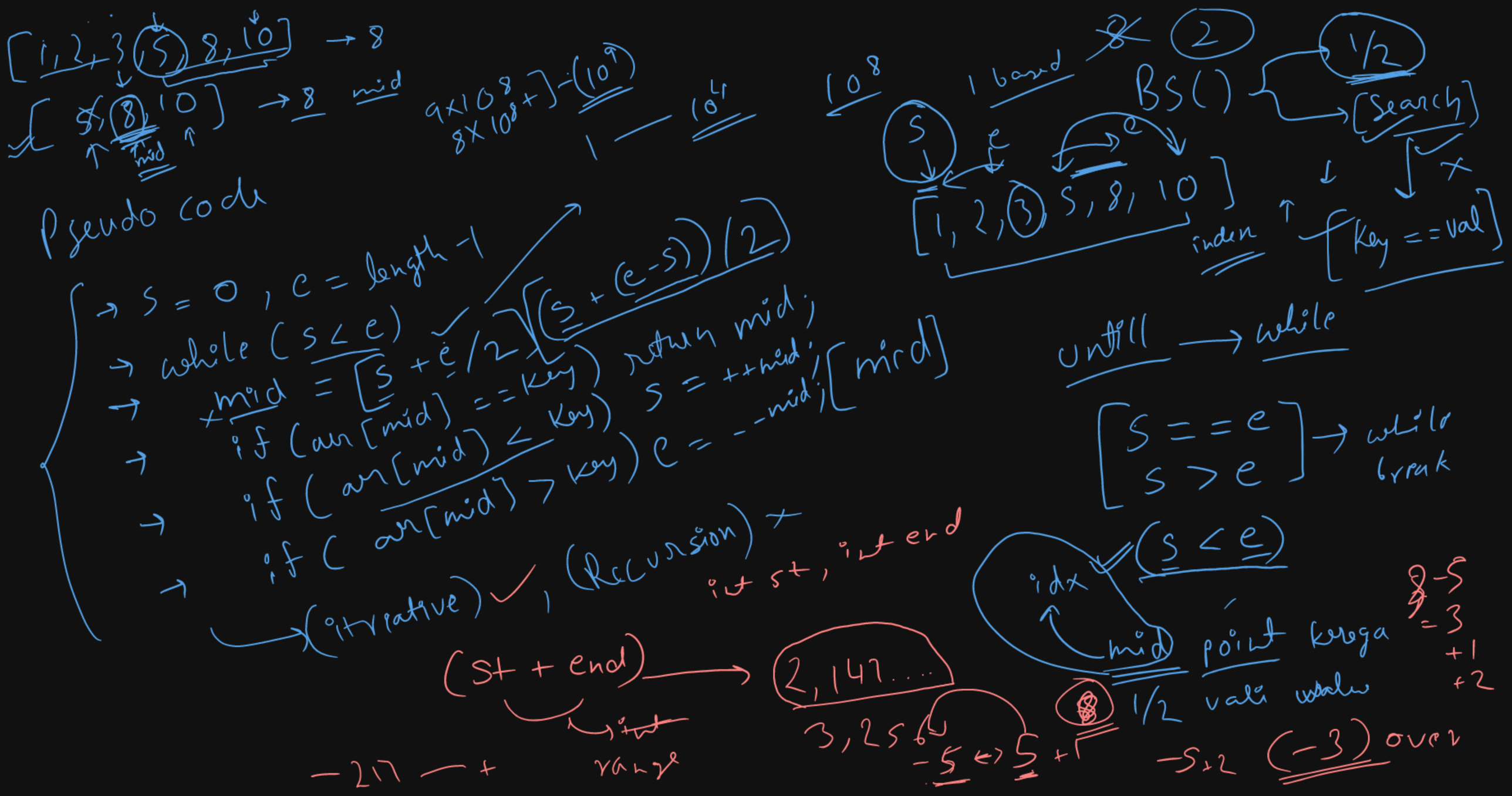
→ O(n/2) +
→ O(n/4) +
→ O(n/8) +
→ O(n/16) +
⋮
→ O(n/2^k)

n (1/2 + 1/4 + 1/8 ⋯ 1/2^k)

n

(log₂ n)

(Akra. Bazzi)


[1, 2, 3, 5, 8, 10] → 8
[5, 8, 10] → 8 mid
mid
9×10^8
8×10^8+
(10^9)
1 —— 10^9
10^8
1 board
8
2
1/2
BS()
Search
S
e
e
[1, 2, 3, 5, 8, 10]
index
x
[Key == Val]
Pseudo code
→ s = 0 , e = length - 1
→ while (s < e)
→ mid = [s + e / 2] [(s + (e - s)) / 2]
→ if (arr[mid] == key) return mid;
→ if (arr[mid] < key) s = ++mid;
→ if (arr[mid] > key) e = --mid; [mid]
(iterative) , (Recursion)
int st, int end
until → while
[s == e
s > e] → while break
(st + end) → 2,147...
int
range
-2^17 — +
3,25,0
-5 ↔ 5 + 1
idx
(s < e)
mid point kooga
1/2 vasi vasthe
8 - 5 = 3 + 1 + 2
-5+2 (-3) over