Hardy Weinberg Equilibrium Worksheet BIOL 01104 Fall 2019, Dr. Spielman

Scenario 1

Wing coloration in the scarlet tiger moth is governed by a single gene with two alleles, A and a, where each genotype has the given phenotype.

- Genotype AA individuals have white spots.
- Genotype Aa have intermediate-colored spots.
- Genotype aa have no spots at all.

This phenotype-genotype relationship provides an example of a phenotypic incomplete dominance, under balancing natural selection. Researchers studying a population of these moths found the following numbers of individuals for each phenotype (genotype): white-spotted (AA) = 1470, intermediate spots (Aa) = 140, and no spots (aa) = 10. N= 1620

1. Calculate the values for p (frequency of allele "A") and q (frequency of allele "a"). Confirm you are correct by checking that p+q=1.

$$9: \frac{140/2+10}{1620} = 0.05$$

2. Calculate the **expected NUMBER** of individuals for each genotype using the formula $p^2 + 2pq + q^2$. (Hint: this formula will give you the expected frequencies of genotypes. You must multiply by the total number of individuals to get the expected number.) means, for example

$$\rho^2 \times N = 0.95^2 \times 1620 = 1462.05$$
 Mians, for example...

 $2pq \times N = 2p0.95 \times 0.05 \times 1620 = 153.9$

HWE (no evolution!),

where would be ~154 Ha individually in a population of 1620.

3. Use the expected and observed **numbers** (not frequencies!) of individuals to calculate X^2 .

$$\chi^{2} = \frac{2(0-E)^{2}}{1470-1462.05}$$

$$\chi^{2} = \frac{44}{153.9}$$

$$\chi^{3} = \frac{44}{153.9}$$

$$\chi^{4} = \frac{44}{153.9}$$

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$$\chi^{5} = \frac{153.9}{153.9}$$

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4. Determine your p-value from your X^2 calculation. Is there evidence that the population is evolving, or is it more likely under Hardy Weinberg Equilibrium?

Evidence that population is evolving and

Scenario 2

You are studying an elusive population of blast-ended skrewts, who show heritable variation in their attack phenotypes - some preferentially shoot fire at and some preferentially sting their prey. You have further determined that this trait is controlled by a single gene, F/f (for fire!), such that:

- Genotype FF and Ff individuals shoot fire.
- Genotype ff individuals sting.

With a brave crew of research volunteers, you journey into the Forbidden Forest and take a small sample (very carefully!) from their tails to determine their genotypes. In the end, you found 250 skrewts with the following genotypes: 119 FF, 107 Ff, and 24 ff. #= 250

1. Calculate the values for p (frequency of allele "F") and q (frequency of allele "f"). Confirm you are correct by checking that p+q=1.

$$p = \frac{119 + 107/2}{25D} = 0.69$$

$$9 = \frac{107/2 + 24}{250} = 0.31$$

2. Calculate the expected NUMBER of individuals for each genotype using the formula $p^2 + 2pq + q^2$.

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$$P^2 \times N = 0.09^2 \times 270 = 119.025$$

 $297 \times N = 2 \times 0.09 \times 0.31 \times 250 = 106.75$
 $297 \times N = 0.31^2 \times 250 = 24.025$

3. Use the expected and observed numbers of individuals to calculate X².

$$\frac{(119-119.025)^{2}}{119.025} + \frac{(107-106.75)^{2}}{29.025} + \frac{(24-24.025)^{2}}{29.025} = \frac{119.025}{29.025}$$

4. Determine your p-value from your X^2 calculation. Is there evidence that the population is evolving, or is it more likely under Hardy Weinberg Equilibrium?