CS 4650/7650 Semi-Supervised Learning¹

Jacob Eisenstein

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Frameworks for learning

- So far, we have focused on learning a function f from labeled examples $\{(\mathbf{x}_i, \mathbf{y}_i)\}_{i=1}^{\ell}$.
- What if you don't have labeled data for a domain or task you want to solve?
 - You can use labeled data from another domain. This rarely works well.
 - You can label data yourself.
 This is a lot of work

Phonetic transcription²

- "Switchboard" dataset of telephone conversations
- Annotations from word to phoneme sequence:
 - ightharpoonup film ightharpoonup f IH_N UH_GL_N M
 - ▶ be all \rightarrow BCL B IY IY_TR AO_TR AO L_DL



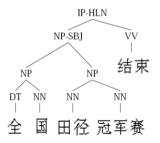
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- ▶ 400 hours annotation time per hour of speech!



Natural language parsing³

- Penn Chinese Treebank
- Annotations from word sequences to parse trees



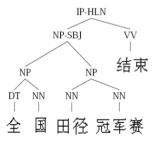
"The National Track and Field Championship has finished."



³Examples from Xiaojin "Jerry" Zhu

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"The National Track and Field Championship has finished."

▶ 2 years annotation time for 4000 sentences



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- $\{(x_i, y_i)\}_{i=1}^{\ell}$: labeled examples
- $\{(x_i)\}_{i=\ell+1}^{\ell+u}$: unlabeled examples
- often $u \gg \ell$

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Domain adaptation

- $\{(x_i, y_i)\}_{i=1}^{\ell_S} \sim \mathcal{D}_S$: labeled examples in *source* domain
- $\{(\mathbf{x}_i, \mathbf{y}_i)\}_{i=1}^{\ell_T} \sim \mathcal{D}_T$: labeled examples in target domain
- possibly some unlabeled data in target and possibly source domain
- evaluate in the target domain

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- ► Active learning: model can query annotator for labels

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 - ▶ ② fastidieusement inauthentique et banale

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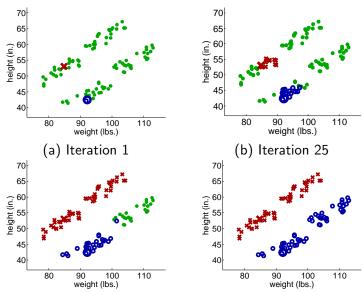
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Let's learn to do sentiment analysis in French.

- labeled data
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By propagating training labels to unlabeled data, we learn the sentiment value of many more words.

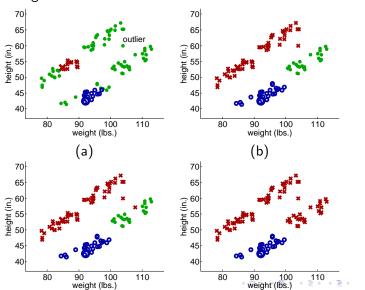
Propagating 1-Nearest-Neighbor: now it works



(c) Iteration 74 (d) Final labeling of all instances

Propagating 1-Nearest-Neighbor: now it doesn't

But with a single outlier...



When does bootstrapping work? "Folk wisdom"

- ▶ Better for generative models (e.g., Naive Bayes) than for discriminative models (e.g., perceptron)
- Better when the Naive Bayes assumption is stronger.
 - ▶ Suppose we want to classify NEs as PERSON or LOCATION
 - Features: string and context, e.g.
 - ▶ located on Peachtree Street
 - ▶ Dr. Walker said ...

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$$P(x_1 = \text{street}, x_2 = \text{on}|\text{loc})$$

 $\approx P(x_1 = \text{street}|\text{loc})P(x_2 = \text{on}|\text{loc})$

Two views and co-training

- ► Co-training makes bootstrapping folk wisdom explicit.
 - ▶ Assume two, **conditionally independent**, views of a problem.
 - ▶ Assume each view is sufficient to do good classification.

Two views and co-training

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 - Assume each view is sufficient to do good classification.

- Sketch of learning algorithm:
 - On labeled data, minimize error.
 - On unlabeled data, constrain the models from different views to agree with each other.

	$x^{(1)}$	$x^{(2)}$	y
1.	Peachtree Street	located on	LOC
2.	Dr. Walker	said	PER
3.	Zanzibar	located in	?
4.	Zanzibar	flew to	?
5.	Dr. Robert	recommended	?
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Algorithm

▶ Use classifier 1 to label example 5.

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- Use classifier 1 to label example 5.
- Use classifier 2 to label example 3.

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- Retrain both classifiers, using newly labeled data.

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- ▶ Use classifier 1 to label example 4.
- Use classifier 2 to label example 6.



Building a graph of related instances

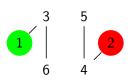
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- We can view this data as a graph, with edges between similar instances.
- ▶ Unlabeled instances propagate information through the graph.

Graphs over instances

▶ Often we compute similarity from features,

$$sim(i,j) = exp\left(-\frac{||x_i - x_j||^2}{2\sigma^2}\right)$$

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- But sometimes there is a natural similarity metric.
 - For example, Pang and Lee (2004) use proximity in the document for subjectivity analysis.
 - The idea is that adjacent sentences are more likely to have the same subjectivity status.

Minimum cuts

Pang and Lee use **minimum cuts** to assign subjectivity in a proximity graph of sentences.

$$y_i \in \{0,1\}$$
Fix $Y_l = \{y_1, y_2, \dots y_\ell\}$
Solve for $Y_u = \{y_{\ell+1}, \dots, y_{\ell+m}\}$

$$\min_{Y_u} \sum_{i,j} w_{ij} (y_i - y_j)^2$$

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- This looks like a combinatorial problem...
- ▶ But assuming $w_{ij} \ge 0$, it can be solved with maximum-flow.

- Mincuts may have several possible solutions:

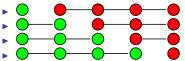
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 - Equivalent solutions

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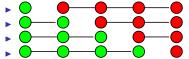
Equivalent solutions



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 - Equivalent solutions



- Another problem is that mincuts doesn't distinguish high confidence predictions.
- One solution is randomized mincuts (Blum et al, 2004)
 - Add random noise to adjacency matrix.
 - Rerun mincuts multiple times.
 - Deduce the final classification by voting.

Label propagation

- ▶ Relax y_i from $\{0,1\}$ to \mathbb{R}
- Minimize $\sum_{i,j} w_{ij} (y_i y_j)^2$
- Advantages:
 - unique global optimum
 - ▶ natural notion of confidence: distance of y_i from 0.5

Label propagation on the graph Laplacian

- ▶ Let **W** be the $n \times n$ weight matrix.
- ▶ Let **D** be the **degree matrix**, $d_{ii} = \sum_{i} w_{ij}$. **D** is diagonal.
- ▶ The unnormalized graph Laplacian is L = D W
- ▶ We want to minimize the energy $\sum_i w_{ij} (y_i y_j)^2 = \mathbf{y}^\top \mathbf{L} \mathbf{y}$, subject to the constraint that we can't change \mathbf{y}_ℓ .

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- Solution:
 - Partition the Laplacian $\mathbf{L} = \begin{bmatrix} \mathbf{L}_{\ell\ell} & \mathbf{L}_{\ell u} \\ \mathbf{L}_{u\ell} & \mathbf{L}_{uu} \end{bmatrix}$
 - ▶ Then the closed form solution is $\boldsymbol{y}_u = -\mathbf{L}_{uu}^{-1}\mathbf{L}_{u\ell}\boldsymbol{y}_{\ell}$
 - ▶ This is great ... if we can invert \mathbf{L}_{uu} .

Iterative label propagation

- ▶ $\mathbf{L}_{u,u}$ is huge, so we can't invert it unless it has special structure.
- Iterative solution from Zhu and Ghahramani (2002):
 - ▶ Let $\mathbf{T}_{ij} = \frac{w_{ij}}{\sum_k w_{kj}}$, row-normalizing \mathbf{W} .
 - Let **Y** be an $n \times C$ matrix of labels, where C is the number of classes. In the R&R reading, a special "default" label is used for the unlabeled nodes.
 - Until tired,
 - ▶ Set Y = TY
 - Row-normalize Y
 - Clamp the seed examples in Y to their original values

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$$\operatorname{argmin} f \frac{1}{\ell} \sum_{i} \ell(f(x_i), y_i) + \lambda_1 ||f||^2 + \lambda_2 \sum_{i,j} w_{ij} (f(x_i) - f(x_j))^2$$

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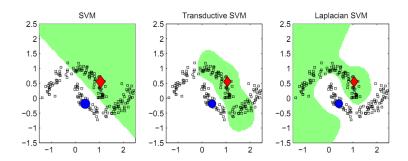
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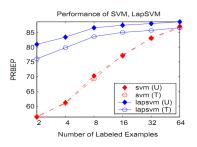
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Manifold regularization: synthetic data



Manifold regularization: text classification

- ► Text classification: mac versus windows
- Each document is represented by its TF-IDF vector
- ► The graph *W* is constructed from 15-nearest-neighbors (in TF-IDF space)



How can we learn with less annotation effort?

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The current status of NER

Quote from Wikipedia

"State-of-the-art NER systems produce near-human performance. For example, the best system entering MUC-7 scored 93.39% of f-measure while human annotators scored 97.60% and 96.95%"

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Truth: The NER problem is still not solved. Why?

The problem: domain over-fitting

 The issues of supervised machine learning algorithms: Need Labeled Data

- What people have done: Labeled large amount of data on news corpus
- However, it is still not enough.....
- The Web contains all kind of data....
 - Blogs, Novels, Biomedical Documents, . . .
 - Many domains!
- We might do a good job on news domain, but not on other domains...

Domain Adaptation

- Many NLP tasks are cast into classification problems
- · Lack of training data in new domains
- · Domain adaptation:
 - POS: WSJ → biomedical text
 - NER: news → blog, speech
 - Spam filtering: public email corpus → personal inboxes
- Domain overfitting

NER Task	Train → Test	F1
to find PER, LOC, ORG from news text	NYT → NYT	0.855
	Reuters → NYT	0.641
to find gene/protein from biomedical literature	mouse → mouse	0.541
	fly → mouse	0.281

Supervised domain adaptation

In supervised domain adaptation, we have:

Lots of labeled data in a "source" domain, $\{(\mathbf{x}_i, \mathbf{y}_i)\}_{i=1}^{\ell_S} \sim \mathcal{D}_S$ (e.g., reviews of restaurants)



▶ A little labeled data in a "target" domain, $\{(\boldsymbol{x}_i, \boldsymbol{y}_i)\}_{i=1}^{\ell_T} \sim \mathcal{D}_T$ (e.g., reviews of chess stores)



Obvious Approach 1: SrcOnly

Training Time

Test Time

Target
Data

Target
Data

Data

Obvious Approach 2: TgtOnly

Training Time Test Time Source Target Target Data Data Data Target Data

Obvious Approach 3: All

Training Time Source Target Data Data Source Target Data Data **Unioned Data**

Test Time

Target Data

Obvious Approach 4: Weighted

Training Time Source **Target** Data Data Source **Target** Data Data **Unioned Data**

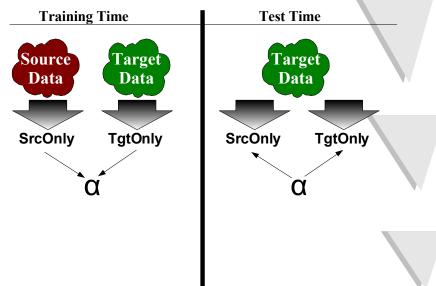
Test Time

Target Data

Obvious Approach 5: Pred

Training Time Test Time Source Target Target Data Data Data SrcOnly **Target Data Target Data** (w/ SrcOnly Predictions) (w/ SrcOnly Predictions)

Obvious Approach 6: LinInt



Less obvious approaches

- ▶ Priors (Chelba and Acero 2004)
 - Let $\mathbf{w}^{(S)}$ be the optimal weights in the source domain.
 - ▶ Design a prior distribution $P(\mathbf{w}^{(T)}|\mathbf{w}^{(S)})$
 - Solve $\mathbf{w}^{(T)} = \operatorname{argmax} \mathbf{w} \log P(\mathbf{y}^{(T)} | \mathbf{x}^{(T)}) + \log P(\mathbf{w}^{(T)} | \mathbf{w}^{(S)})$

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- ► Feature augmentation (Daume III 2007)

"MONITOR" versus "THE"

News domain:
"MONITOR" is a **verb**"THE" is a **determiner**

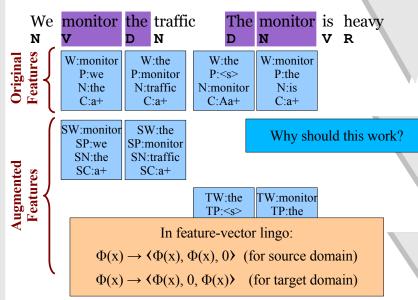
Technical domain:
"MONITOR" is a **noun**"THE" is a **determiner**

Key Idea:

Share some features ("the")
Don't share others ("monitor")

(and let the *learner* decide which are which)

Feature Augmentation



Results – Error Rates

Task	Dom	SrcOnly'	ГgtOnly	Baseline	Prior A	Augment
	bn	4.98	2.37	2.11 (pred)	2.06	1.98
	bc	4.54	4.07	3.53 (weight)	3.47	3.47
ACE-	nw	4.78	3.71	3.56 (pred)	3.68	3.39
NER	wl	2.45	2.45	2.12 (all)	2.41	2.12
	un	3.67	2.46	2.10 (linint)	2.03	1.91
	cts	2.08	0.46	0.40 (all)	0.34	0.32
CoNLL	tgt	2.49	2.95	1.75 (wgt/li)	1.89	1.76
PubMed	tgt	12.02	4.15	3.95 (linint)	3.99	3.61
CNN	tgt	10.29	3.82	3.44 (linint)	3.35	3.37
	wsj	6.63	4.35	4.30 (weight)	4.27	4.11
	swbd3	15.90	4.15	4.09 (linint)	3.60	3.51
	br-cf	5.16	6.27	4.72 (linint)	5.22	5.15
Tree	br-cg	4.32	5.36	4.15 (all)	4.25	4.90
bank-	br-ck	5.05	6.32	5.01 (prd/li)	5.27	5.41
Chunk	br-cl	5.66	6.60	5.39 (wgt/prd)	5.99	5.73
	br-cm	3.57	6.59	3.11 (all)	4.08	4.89
	br-cn	4.60	5.56	4.19 (prd/li)	4.48	4.42
	br-cp	4.82	5.62	4.55 (wgt/prd/li)	4.87	4.78
	br-cr	5.78	9.13	5.15 (linint)	6.71	6.30
Treebank	- brown	6.35	5.75	4.72 (linint)	4.72	4.65

Unsupervised domain adaptation

In unsupervised domain adaptation, we have:

Lots of labeled data in a "source" domain, $\{(\boldsymbol{x}_i, \boldsymbol{y}_i)\}_{i=1}^{\ell_S} \sim \mathcal{D}_S$ (e.g., reviews of restaurants)



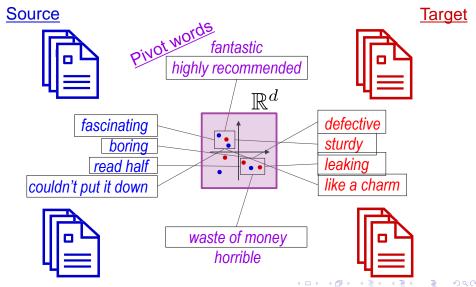
Lots of unlabeled data in a "target" domain, $\{(\mathbf{x}_i)\}_{i=1}^{\ell_T} \sim \mathcal{D}_T$ (e.g., reviews of chess stores)





Learning Representations: Pivots

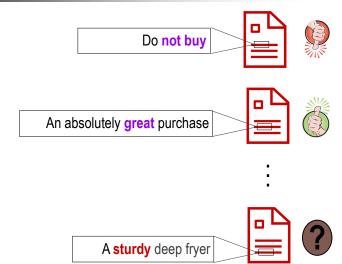






Predicting pivot word presence







Predicting pivot word presence



Do **not buy** the Shark portable steamer. The trigger mechanism is **defective**.





An absolutely **great** purchase





A sturdy deep fryer







Predicting pivot word presence



Do **not buy** the Shark portable steamer. The trigger mechanism is **defective**.





An absolutely **great** purchase. . . . This blender is incredibly **sturdy**.





Predict presence of pivot words

 $p_{w(\textit{great})}(\textit{great}(x) \propto \exp\{\langle x, w(\textit{great}) \rangle\}$

A sturdy deep fryer





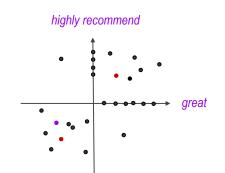


Finding a shared sentiment subspace



$$W = \left[egin{array}{ccc} \mathbb{I} & & \mathbb{I} & \mathbb{I} \\ w_1 & \dots & w(egin{array}{c} highly \\ recommend \end{array}) & \dots & w_N \\ \mathbb{I} & \mathbb{I} \end{array}
ight]$$

- $p_W(\textit{pivots}|x)$ generates N new features
- $p_{w(\frac{highly}{recommend})}(\frac{highly}{recommend}|x)$: "Did highly recommend appear?"
- Sometimes predictors capture non-sentiment information



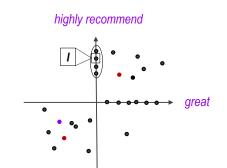


Finding a shared sentiment subspace



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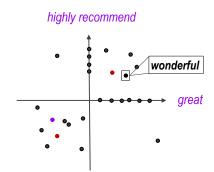


Finding a shared sentiment subspace



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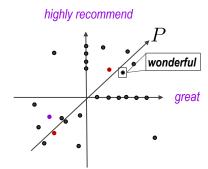


Finding a shared sentiment subspace §



$$W = \left[\begin{array}{cccc} \mathbf{I} & & & \mathbf{I} & & \mathbf{I} \\ w_1 & \dots & w(\begin{array}{ccc} \mathbf{highly} \\ \mathbf{recommend} \end{array}) & \dots & w_N \\ \mathbf{I} & & \mathbf{I} \end{array} \right] \quad \text{• Let } P \text{ be a basis for the subspace of best fit to } W$$

- $p_W(pivots|x)$ generates N new features
- $p_{w(\frac{highly}{recommend})}(\frac{highly}{recommend}|x)$: "Did highly recommend appear?"
- · Sometimes predictors capture non-sentiment information





Finding a shared sentiment subspace §



$$W = \left[\begin{array}{cccc} \mathbf{I} & & \mathbf{I} & & \mathbf{I} \\ w_1 & \dots & w(\begin{array}{ccc} \mathbf{highly} \\ \mathbf{recommend} \end{array}) & \dots & \begin{array}{c} \mathbf{I} \\ w_N \\ \mathbf{I} \end{array} \right] \quad \text{• Let P be a basis for the subspace of best fit to W}$$

- P captures sentiment variance in W

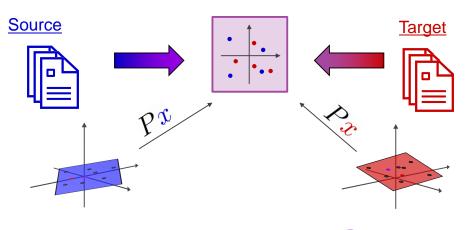
- $p_W(pivots|x)$ generates N new features
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P projects onto shared subspace



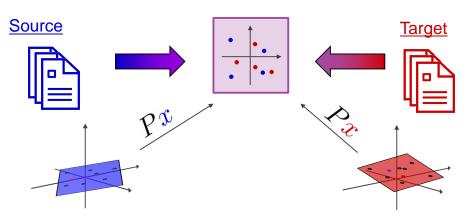


$$p_{\tilde{\theta}}(0)|x) \propto \exp\left\{\langle \phi(0), Px, \tilde{\theta} \rangle\right\}$$



P projects onto shared subspace



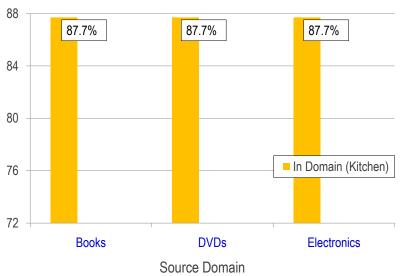


$$h(x) = \operatorname{sgn}\left(\theta^{\top} P x\right)$$



Target Accuracy: Kitchen Appliances

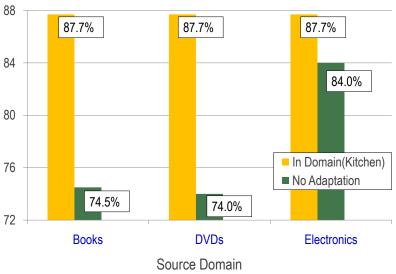






Target Accuracy: Kitchen Appliances

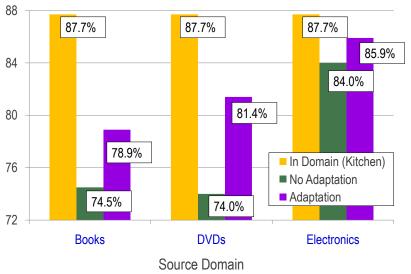






Target Accuracy: Kitchen Appliances

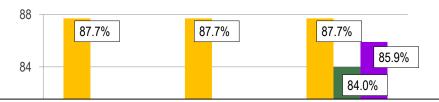






Adaptation Error Reduction





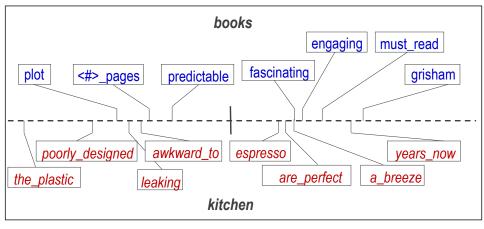
36% reduction in error due to adaptation



Visualizing P (books & kitchen)



negative vs. positive



Recap

- In application settings,
 - You rarely have all the labeled data you want.
 - You often have lots of unlabeled data.
- Semi-supervised learning learns from unlabeled data too:
 - Bootstrapping (or self-training) works best when you have multiple orthogonal views: for example, string and context.
 - ▶ Probabilistic methods *impute* the labels of unseen data.
 - Graph-based methods encourage similar instances or types to have similar labels.

Semisupervised learning

- ▶ learn from labeled examples $\{(x_i, y_i)\}_{i=1}^{\ell}$ ▶ and unlabeled examples $\{(x_i)\}_{i=\ell+1}^{\ell+u}$
- often $u \gg \ell$

Semisupervised learning

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Domain adaptation

- ▶ learn from lots of labeled examples $\{(x_i, y_i)\}_{i=1}^{\ell} \sim \mathcal{D}_S$ in a source domain
- learn from a few (or zero) labeled examples $\{(\mathbf{x}_i, \mathbf{y}_i)\}_{i=1}^{\ell} \sim \mathcal{D}_T$ in a target domain
- evaluate in the target domain

Semisupervised learning

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- evaluate in the target domain
- ▶ Active learning: model can query annotator for labels

Semisupervised learning

- ▶ learn from labeled examples $\{(\mathbf{x}_i, \mathbf{y}_i)\}_{i=1}^{\ell}$
- ▶ and unlabeled examples $\{(x_i)\}_{i=\ell+1}^{\ell+u}$
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Domain adaptation

- ▶ learn from lots of labeled examples $\{(\mathbf{x}_i, \mathbf{y}_i)\}_{i=1}^{\ell} \sim \mathcal{D}_{\mathcal{S}}$ in a source domain
- ▶ learn from a few (or zero) labeled examples $\{(x_i, y_i)\}_{i=1}^{\ell} \sim \mathcal{D}_T$ in a *target* domain
- evaluate in the target domain
- ► Active learning: model can query annotator for labels

Feature labeling

- Provide prototypes of each label (Haghighi and Klein 2006)
- ▶ Give rough probabilistic constraints, e.g. Mr. preceeds a person name at least 90% of the time (Druck et al 2008)