#### Exercise 1:

Identify which type of machine learning (supervised or unsupervised? What type of task?) could be used in these cases:

- a) When crossing the alps using the Brenner Autobahn, there is the option to pay electronically in advance. When approaching the toll station, the barrier automatically opens when the number plate was recognised. The recognition happens automatically by a digital camera system.
- b) Diagnose whether a patient suffers from cancer or not.
- c) The owner of an internet site wants to protect his system against various violations of the terms of service (bot programs, manipulation of timestamps, etc.)
- d) An online shopping portal wants to determine products that are automatically offered to registered customers upon login.
- e) We want to sort our news into different groups.
- f) We want to sort our Email into Spam/Non-Spam.
- g) In a supermarket, products that are often bought together are said to be placed side by side on a shelf to increase the sales.
- h) We want to extract a list of skills from XING.
- i) We want to know our top customers (i.e. highest sales, logistics, etc.).

# Exercise 2:

Suppose we observe 6 data pairs and want to describe the underlying relationship between  $y_i$  and  $x_i$ 

X	0.56	0.22	1.7	0.63	0.36	1.2
У	160	150	175	185	165	170

Calculate the  $\beta$  coefficients manually (+ calculator):

a) Assuming a standard linear relationship:

$$y_i = \beta_0 + \beta_1 x_i$$

b) Assuming a non-linear relationship (polynomial degree 2):

$$y_i = \beta_0 + \beta_1 x_i + \beta_1 x_i^2$$

# Exercise 3:

Show that the median is the best constant model with L1 loss.

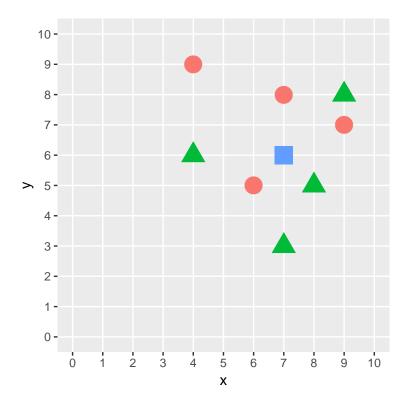
## Exercise 4:

Let the 2D feature vectors in the following figure be with two different class labels (triangles and circles). Classify the point (7,6) - represented by a square in the picture - with a k-nearest neighbor classifier. Distance function should be the  $L_1$  norm (Manhattan distance):

$$L_1(x,y) = \sum_{i=1}^{n} \left| x^{(i)} - y^{(i)} \right|$$

As a decision rule, use the unweighted number of the individual classes in the k-next Neighbor Quantity, i.e. the point is assigned to the class that represents most k-nearest neighbors.

- a) k = 3
- b) k = 5
- c) k = 7



#### Exercise 5:

We want to predict the age of an abalone using its longest shell measurement and its weight. See: http://archive.ics.uci.edu/ml/datasets/Abalone for more details.

a) Plot LongestShell, WholeWeight on the x- and y-axis and color points with Rings

Using the mlr-package:

- b) Fit a linear model
- c) Fit a k-nearest-neighbors model

d) Plot the prediction surface of  $\operatorname{lm}$  and of  $\operatorname{knn}$  (Hint: Use  $\operatorname{plotLearnerPrediction}()$ )

Hint: See the official homepage of the mlr package for usage:

https://mlr.mlr-org.com/