## □ The Co-dfns Compiler

A High-performance, Parallel APL Compiler

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## :Namespace CODFNS

```
ΠΙΟ ΠΜL ΠWX
                                    \leftarrow 013
          VERSION \leftarrow 2017 12 0
 BUILD\Delta PATH \leftarrow 'build'
     AF\Delta PREFIX \leftarrow '/usr/local'
             AF\Delta LIB \leftarrow 'afcuda'
               VS\Delta PS \leftarrow '\2017\'\circ,"'Enterprise''Professional''Community',"\subset'\VC\Auxiliary\Build'
               VS\Delta PS , \leftarrow \subset 14.0\VC'
               VS\Delta PS, "\rightleftharpoons\leftarrow C'\Program Files (x86)\Microsoft Visual Studio'
               VS\Delta PS ,"\leftarrow \subset '\vcvarsall.bat'
   Cmp \leftarrow \{\_ \leftarrow 1 \mid DELETE so \leftarrow BSO \alpha \}
                     \_\leftarrow (BUILD\Delta PATH, '/', \alpha, '.cpp') put \approx gc tt \supset a n \leftarrow ps \omega
                     \_\leftarrow \square NEXISTS so \dashv (\_vsc''clang') \Rightarrow Win''Lin''Mac' \iota \subset 3 \uparrow \supset '.' \square WG'APLVersion') \alpha
                               'COMPILE ERROR' ∏SIGNAL 22}
MkNS \leftarrow \{NS \dashv \alpha \circ \{NS. \pm \alpha \ mkf \omega\} : (1 = 1 \mid \Delta \omega) \neq 0 \mid \Delta \omega \dashv NS \leftarrow \#. \square NS \theta\}
      Fix \leftarrow \{\alpha MkNS \alpha Cmp \omega\}
    Xml \leftarrow \{\Box XML \ (0 \ \Box \ \boxtimes \omega), (, \circ \overline{\Phi} \neq 2 \uparrow 1 \downarrow \boxtimes \omega), (\subset''), \overline{\neg}(\subset (\overline{\ 3} + \neq \boxtimes \omega) \uparrow, \overline{\ '} \text{nrsgvyel'}), \circ \overline{\neg} \downarrow \overline{\Phi} \circ, \overline{\ } \boxtimes 3 \downarrow \boxtimes \omega\}
    BSO \leftarrow \{BUILD\Delta PATH, '/', \omega, soext \theta\}
   MKA \leftarrow \{mka \subset \omega \dashv mka' \square NA'P', (BSO \alpha), '|mkarray' < PP'\}
   EXA \leftarrow \{exa \ \theta \ \omega \ \exists 'exa' \ \square NA \ (BSO \ \alpha), '|exarray > PP \ P'\}
 FREA \leftarrow \{frea \ \cup \ \exists \ | \ A \ (BSO \ \alpha), \ | \ frea \ P'\}
soext \leftarrow \{'.dll''.so''.dylib' \supset \forall 'Win''Lin''Mac' \iota \subset 3 \uparrow \supset '.' \square WG'APLVersion'\}
    tie \leftarrow \{0 :: \square SIGNAL \square EN \diamond 22 :: \omega \square NCREATE 0 \diamond 0 \square NRESIZE \omega \square NTIE 0\}
 put \leftarrow \{s \leftarrow (^{-}128 + 256 \mid 128 + '\mathsf{UTF} - 8' \mid \mathsf{UCS} \; \alpha) \mid \mathsf{NAPPEND} \; (t \leftarrow tie \; \omega) \; 83 \; \diamond \; 1 : r \leftarrow s \; \dashv \mid \mathsf{NUNTIE} \; t \}
mkf \leftarrow \{fn \; \leftarrow \; (BSO \; \alpha), ' \mid ', \; ('\Delta' \mid \mathsf{R}' \_ \_' \vdash \omega), ' \_ \mathsf{dwa} \; '
f \; \leftarrow \; \omega, ' \leftarrow \{\_ \leftarrow ' \; \mid \mathsf{dya} \; \mid \; \mid \mathsf{NA} \; \mid ' \mid ', fn, \; ' > \mathsf{PP} \; < \mathsf{PP} \; \mid \; \diamond \; '
                    f_{\bullet}'0=\squareNC''\alpha'':mon 0 0 \omega \display dya 0 \alpha \omega \display 0'\right\rangle
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cio \leftarrow \{' - o ''', BUILD\Delta PATH, '/', \omega, '.', \alpha\alpha, '''''\}
     fls \leftarrow \{'''', BUILD\Delta PATH, '/', \omega, '.cpp'''\}
     log \leftarrow \{' > ', BUILD\Delta PATH, '/', \omega, '.log 2>&1'\}
     lib \leftarrow \{'-\iota', AF\Delta LIB, '\ '\}
     cci \leftarrow \{'-I''', AF\Delta PREFIX, '/include'' -L''', AF\Delta PREFIX, '/lib'''\}
     cco \leftarrow '-std=c++11 -Ofast -q -Wall -fPIC -shared'
    ucc \leftarrow \{\Box SH \alpha\alpha, ', cco, (cci \theta), (\omega\omega cio, fls, lib, log) \omega\}
     gcc \leftarrow 'g++'ucc'so'
 clang \leftarrow 'clang++'ucc'dylib'
   vsco \leftarrow \{z \leftarrow '/\text{W3} / \text{wd4102} / \text{wd4275} / \text{Gm-} / \text{O2} / \text{Zc:inline} / \text{Zi} / \text{Fd"}, BUILD\Delta PATH \}
                   z \leftarrow \text{`}\vc.pdb" / errorReport:prompt /WX- /MD /EHsc /nologo
                              z,'/I"%AF_PATH%\include" /D "NOMINMAX" /D "AF_DEBUG"'}
   vslo \leftarrow \{z \leftarrow ' / \text{link /DLL /OPT:REF /INCREMENTAL:NO /SUBSYSTEM:WINDOWS '}\}
                   z \leftarrow \text{'LIBPATH: "%AF_PATH%} \setminus \text{Lib" /DYNAMICBASE "'}, AF \triangle LIB, '.lib"
   z, \text{'/OPT:ICF /ERRORREPORT:PROMPT /TLBID:1 '} \\ vsc_o \leftarrow \{\sim \lor \neq b \leftarrow \text{\_NEXISTS}^{::} VS\Delta PS: \text{'VS NOT FOUND'} \text{\_SIGNAL } 99 \diamond \text{'""'}, \text{'" amd64'}, \\ \vdots \supset b \neq VS\Delta PS\}
    vsc_i \leftarrow \{' && cd "', (\supset \square CMD' echo \ \ CD\%'), '" && cl', (vsco \ \theta), '/fast'}
    vsc_{,} \leftarrow \{'/fo'', BUILD\Delta PATH, '\ '', BUILD\Delta PATH, '\ ', \omega, '.cpp''\}
    vsc_3 \leftarrow \{(vslo\ \theta), '/OUT: "', BUILD\Delta PATH, '\', \omega, '.dll"'\}
    vsc_4 \leftarrow \{' > "', BUILD\Delta PATH, '\', \omega, ', \log""'\}
     get \leftarrow \{\alpha\alpha \mid \Diamond\omega\}
wrap \leftarrow 50 (\lozenge (1+1 \uparrow \lozenge) 51 \downarrow \lozenge)
bind \leftarrow \{n = e \leftarrow \omega \diamond (0 n = [e]) \leftarrow cn \diamond e\}
     at \leftarrow \{\alpha \leftarrow \vdash \diamond A \dashv ((B) \neq (rA) \cap A) \leftarrow \alpha \alpha \alpha (B) \neq ((r \leftarrow (\not\equiv \rho B \leftarrow \omega \omega \omega) ((x/\uparrow), \downarrow) \rho) A) \cap (A \leftarrow \omega)\}
d_t _k n_r _s g_v_y_e_l \leftarrow 17 + f\Delta \leftarrow 4
d \leftarrow d\_get \diamond t \leftarrow t\_get \diamond k \leftarrow k\_get \diamond n \leftarrow n\_get \diamond r \leftarrow r\_get \diamond s \leftarrow s\_get
g \leftarrow g get \diamond v \leftarrow v get \diamond y \leftarrow y get \diamond e \leftarrow e get \diamond l \leftarrow l get
                                                                                       \diamond msk \leftarrow \{(t \omega) \in \subset \alpha\alpha\} \diamond sel \leftarrow \{(\alpha\alpha msk \omega) \neq \omega\}
 new \leftarrow \{ \nabla_7 f\Delta \uparrow 0 \alpha, \omega \}
     A \leftarrow \{('A' new \alpha\alpha) wrap \supset 5/\omega\}
                                                                                       \diamond A_m \leftarrow 'A' msk
                                                                                                                                  \diamond A_s \leftarrow 'A' sel
     E \leftarrow \{(E \text{ new } \alpha\alpha) \text{ wrap } \supset_{7}/\omega\} \qquad \diamond \qquad E_{m}^{m} \leftarrow [E' \text{ msk}] \\ F \leftarrow \{(F' \text{ new } \alpha\alpha) \text{ wrap } \supset_{7}/(\bigcirc 0 \text{ } f\Delta \text{ } \rho \text{ } \theta), \omega\} \diamond \qquad F_{m} \leftarrow [F' \text{ msk}] \\ G \leftarrow \{(G' \text{ new } 0) \text{ wrap } \supset_{7}/\omega\} \qquad (G' \text{ new } 0) \text{ wrap } \supset_{7}/\omega\}
                                                                                                                                  \Leftrightarrow E_s \leftarrow 'E' sel
                                                                                                                              \Leftrightarrow F_s \leftarrow 'F' sel
     G \leftarrow \{(\mathsf{'G'} \ new \ 0) \ wrap \supset 5/\omega\}
                                                                                       \Leftrightarrow G_m \leftarrow 'G' msk
                                                                                                                              \diamond G_s \leftarrow 'G' sel
     L \leftarrow \{(\mathsf{'L'} \ new \ 0) \ wrap \supset 5/\omega\}
                                                                                       \diamond L_m \leftarrow 'L' msk
                                                                                                                              \diamond L_s \leftarrow 'L' sel
                                                                                                                       M \leftarrow \{(\mathsf{'M'} \ new \ 0 \ ") \ wrap \supset_{7} / (\subset 0 \ f\Delta \ \rho \ \theta), \omega\} \diamond M_{m}^{m} \leftarrow \mathsf{'M'} \ msk
                                                                                       \diamond N_m \leftarrow 'N' msk
     N \leftarrow \{'N' \text{ new } 0 \text{ } (\Phi \omega)\}
     O \leftarrow \{(0' \text{ new } \alpha\alpha) \text{ wrap } \supset 7/ \omega\}
                                                                                       \diamond O_m \leftarrow 'O' msk
                                                                                      P \leftarrow \{'P' \ new \ 0 \ \omega\}
      S \leftarrow \{ \mathsf{'S'} \ new \ 0 \ \omega \}
      V \leftarrow \{ 'V' \text{ new } \alpha\alpha \omega \}
                                                                                      \diamond V_m \leftarrow 'V' msk
                                                                                      \diamond Y_m^m \leftarrow 'Y' msk
      Y \leftarrow \{'Y' \ new \ 0 \ \omega\}
      Z \leftarrow \{'\mathsf{Z}' \ new \ 1 \ \omega\}
                                                                                       \diamond Z_m \leftarrow 'Z' msk
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-c \leftarrow \{0 \ge \exists c \ a \ e \ r \leftarrow p \leftarrow \alpha \ \alpha \alpha \ \omega : p \diamond 0 \ge \exists c \ a \ e \ r, \leftarrow p \leftarrow \alpha \ \omega \omega \ \omega : p \diamond c \ a \ e \ (r \uparrow \sim -|/ \not\equiv r \ r, \rangle\}
        \_s \leftarrow \{0 < \exists c \ a \ e \ r \leftarrow p \leftarrow \alpha \ \alpha \alpha \ \omega : p \diamond 0 < \exists c, a, e \ r \leftarrow p \leftarrow e \ \omega \omega \ r : p \diamond (c \ [c](a, a)) \ e \ r \}
\_noenv \leftarrow \{0 < \supset c \ a \ e \ r \leftarrow p \leftarrow \alpha \ \alpha\alpha \ \omega : p \diamond c \ a \ \alpha \ r\}
    \_env \leftarrow \{0 < \supset c \ a \ e \ r \leftarrow p \leftarrow \alpha \ \alpha\alpha \ \omega : p \diamond c \ a \ (e \ \omega\omega \ a) \ r\}
  \_then \leftarrow \{0 < \supset c \ a \ e \ r \leftarrow p \leftarrow \alpha \ \alpha \alpha \ \omega : p \diamond 0 < \supset c \ a \ e \_ \leftarrow p \leftarrow e \ (\omega \omega \_s \ eot) \ a : p \diamond c \ a \ e \ r\}
    \_not \leftarrow \{0 < \supset c \ a \ e \ r \leftarrow \alpha \ \alpha\alpha \ \omega : 0 \ a \ \alpha \ \omega \diamond 2 \ a \ \alpha \ \omega \}
      as \leftarrow \{0 < \supset c \ a \ e \ r \leftarrow \alpha \ \alpha\alpha \ \omega : c \ a \ e \ r \diamond c \ (, \subset \omega\omega \ a) \ e \ r\}
         t \leftarrow \{0 < \exists c \ a \ e \ r \leftarrow \alpha \ \alpha \alpha \ \omega : c \ a \ e \ r \diamond e \ \omega \omega \ a : c \ a \ e \ r \diamond 2 \ \theta \ \alpha \ \omega\}
    \_ign \leftarrow \{c \ a \ e \ r \leftarrow \alpha \ \alpha\alpha \ \omega \diamond c \ \theta \ e \ r\}
  \_peek \leftarrow \{0 
     _yes \leftarrow \{0 \theta \alpha \omega\}
    \_opt \leftarrow \{\alpha (\alpha \alpha \_o \_yes) \omega\}
    \_any \leftarrow \{\alpha (\alpha \alpha \_s \nabla \_o \_yes) \omega\}
 \_some \leftarrow \{\alpha (\alpha \alpha \_s (\alpha \alpha \_any)) \omega\}
     \_set \leftarrow \{(0 \neq \not\equiv \omega) \land (\supset \omega) \in \alpha\alpha : 0 (,\supset \omega) \alpha (1 \downarrow \omega) \diamond 2 \theta \alpha \omega\}
      \_tk \leftarrow \{((\not\equiv,\alpha\alpha) \uparrow \omega) \equiv,\alpha\alpha : 0 (\subset,\alpha\alpha) \alpha ((\not\equiv,\alpha\alpha) \downarrow \omega) \diamond 2 \theta \alpha \omega\}
    \_eat \leftarrow \{0 = \not\equiv \omega : 2 \theta \alpha \omega \diamond 0 (\alpha \alpha \uparrow \omega) \alpha (\alpha \alpha \downarrow \omega)\}
     ws \leftarrow ('', \square UCS 9)_set
    aws \leftarrow ws \quad anv \quad ign
 awslf \leftarrow (\square UCS 10 13) \_set \_o ws \_any \_ign
    gets \leftarrow aws\_s('\leftarrow'\_tk)\_s aws\_ign
   \tilde{h}im \leftarrow '-'_set
    dot \leftarrow ' \cdot ' \_set
     jot ← '∘' _set
    lbrc \leftarrow aws\_s('\{'\_set\}\_s aws
   rbrc \leftarrow aws\_s(')'\_set)\_s aws
   lpar \leftarrow aws\_s('('\_tk)\_s aws\_ign
  rpar \leftarrow aws\_s(')'\_tk)\_s aws\_ign

lbrk \leftarrow aws\_s('['\_tk)\_s aws\_ign
   rbrk \leftarrow aws_s(']'_tk)_s aws_ign
  semi \leftarrow aws\_s(';'\_tk\_as('a'V\circ,\circ\supset))\_s \ aws \ grd \leftarrow aws\_s(':'\_tk)\_s \ aws\_ign
   egrd \leftarrow aws\_s('::'\_tk)\_s aws\_ign
alpha \leftarrow {}^{\prime}\mathsf{ABCDEFGHIJKLMNOPQRSTUVWXYZabcdefghijklmnopqrstuvwxyz\Delta'\_set
 digits \leftarrow '0123456789' set
  mop \leftarrow '"/+ \" set
   dop_i \leftarrow ' \cdot * \circ' \_set
  dop_2 \leftarrow ' \circ * \circ ' \_set
   dop_3 \leftarrow ' \circ ' \_set
     eot \leftarrow aws\_s \{" \equiv \omega : 0 \theta \alpha " \diamond 2 \theta \alpha \omega \}_{ign}
   digs \leftarrow digits \_some
 odigs \leftarrow digits\_any
     int \leftarrow aws\_s digs\_s (him\_opt)\_s aws
  float \leftarrow aws\_s (odigs\_s dot\_s int\_o (digs\_s dot))\_s aws
name \leftarrow aws \_s (alpha \_o (digits \_some \_s alpha) \_some) \_s aws
     aw \leftarrow aws \_s ('\alpha\omega' \_set) \_s aws
aaww \leftarrow aws\_s(('aa'\_tk)\_o('\omega\omega'\_tk))\_saws
    sep \leftarrow aws\_s(('\diamond', \square UCS 10 13)\_set\_ign)\_s aws
    nss \leftarrow awslf\_s (': Namespace' _tk) _s aws _s (name _opt) _s awslf_ign
    nse \leftarrow awslf\_s (': EndNamespace'_tk)_s awslf\_ign
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Sfn \leftarrow aws\_s(('\mathsf{TFF}\square'\_tk)\_o('\mathsf{TFFI}\square'\_tk))\_s aws\_as\{P \oplus \in \omega\}
   Prim \leftarrow prim \_as P
        Vt \leftarrow \{((0 \mid \Diamond \alpha) \iota \omega) 1 \mid \alpha ; " \mid 1\}
     Var \leftarrow \{\alpha (aaww o aw o (name as \oplus) t (\alpha \alpha = Vt) as (\omega \omega V \circ, \circ \supset)) \omega \}
  Num \leftarrow float\_oint\_as(N \circ \oplus)
Strand \leftarrow 0 \ Var'a' \ \_s \ (0 \ Var'a' \ \_some) \ \_as \ ('s' \ A \circ \oplus)
     Pex \leftarrow \{\alpha (rpar \_s Ex \_s lpar) \omega\}
  Atom \leftarrow Strand \ o \ (0 \ Var' \ a' \ as \ ('v'A)) \ o \ (Num \ some \ as \ ('n' \ A \circ \Phi)) \ o \ Pex
     Brk \leftarrow rbrk\_s\{\alpha(Ex\_opt\_s(semi\_s(Ex\_opt)\_any))\omega\}\_s(brk\_as('i'E\circ\Phi)
     Idx \leftarrow Brk\_s(\_ves\_as\{P,'[']\})\_sAtom\_as(2E\circ \bigoplus)
    Blrp \leftarrow \{\alpha (\alpha \alpha \_s (\omega \omega Slrp \nabla)) \omega\}
    Slrp \leftarrow \{\alpha (\alpha \alpha \_o (\omega \omega \_s \nabla) \_o ((1 \_eat) \_s \nabla)) \omega\}
                                                        e \leftarrow ('\omega\omega''\alpha\alpha', '\alpha\omega'), \circ 5 \circ 1 \otimes 1 + 3 \cdot 3 \cdot 2 \cdot 2 \cdot T \cdot (6 \cdot 4 \cdot 4 + 1 \cdot 5 \cdot 9) + 2 \times 1 \cdot 14
       Fa \leftarrow \{
                                                        a \leftarrow e (\alpha \{ \omega \text{ Gex} \_o \text{ Ex} \_o \text{ Fex Stmts} \_then \text{ Fn} \approx \alpha \alpha ; \alpha \}) \circ 2 1 \vdash \omega
                                                       m \leftarrow (0 = 0 \mid \nabla a) \land \land \neq (\lor + \circ . = \approx \iota 14) \lor \circ . \neq \approx 1 \mid \nabla a
                                             \sim \vee \neq m : ([\neq 0 \mid \nabla a) \theta \alpha \omega
              (1 = + \neq m) \land 2 > m \wr 1 : 0 (, \subset (F' \text{ new } 1) \text{ wrap } \supset m \neq 1 \mid \boxtimes a) \alpha \omega
                                                        z \leftarrow (\text{'F' new 'a'}) wrap \supset (m \neq \text{'F' new" } 1 + \iota 14) \bar{\iota}.(wrap \circ \supset) m \neq 1 \prod \Diamond a
                                                                  0 (, \subset z) \alpha \omega
      Fn \leftarrow \{
                                                      ns \leftarrow nz \neq m \leftarrow \{(F_m \omega) \land 1 \in k \omega\} z \leftarrow \supset (\omega \diamond 0) = \not\equiv ns : 0 (, \subset z) \alpha
                                                        p \leftarrow \alpha \circ Fa 'ns \diamond 0 < c \leftarrow [/ \supset p : c \theta \alpha \omega]
                                                                  0 (\sqrt[5]{(c 0 4 \rho \theta)}, \approx p \{\omega ((d + \circ \supset \dashv), 1 \downarrow \circ 1 \vdash) \supset \sqrt[5]{1 \supset \alpha} \text{ at}\{m\} \downarrow z) \alpha''\}
      Pfe \leftarrow \{\alpha (rpar \ s \ Fex \ s \ lpar) \ \omega\}
     Bfn \leftarrow rbrc \ Blrp \ lbrc \ \_as \ ('F' \ new \ ^1, \circ \subset \circ \oplus 1 \downarrow \ ^1 \downarrow \vdash)
     Fnp \leftarrow Prim\_o(1 \ Var'f')\_o \ Sfn\_o \ Bfn\_o \ Pfe
    Mop \leftarrow \{\alpha ((mop \ as P) \ s Afx \ as (1 O)) \omega\}
   Dop_1 \leftarrow \{\alpha ((dop_1 \_as P) \_s Afx \_as (2 O \circ \bigoplus)) \omega\}
   Dop_{\alpha} \leftarrow \{\alpha (Atom \ s(dop_{\alpha} \ as P) \ sAfx \ as (2 O \circ \oplus)) \omega\}
   Dop_3 \leftarrow (dop_3 \_as\ P) \_s\ Atom\ \_as\ (2\ O\circ \bigoplus)\ \_o\ (dot\ \_s\ jot\ \_as\ (P\circ \bigoplus)\ \_as\ (1\ O))
     Bop \leftarrow \{\alpha (rbrk\_s Ex\_s lbrk\_s (\_yes\_as \{P, '[']\})\_s Afx\_as (2 O \circ \oplus)) \omega\}
     Afx \leftarrow Mop\_o(Fnp\_s(Dop,\_oDop,\_opt)\_as(\supset wrap/\circ \oplus))\_oDop,\_oBop
     Trn \leftarrow \{\alpha (Afx \ s((Afx \ o Idx \ o Atom) \ s(\nabla \ opt) \ opt)) \omega\} \ as('t' F \circ \Phi)
   Bind \leftarrow \{\alpha (gets\_s (name\_as \oplus)\_env (\alpha\alpha\{(\supset \oplus \omega) \alpha\alpha \overline{\varsigma} \alpha\})\_as (\omega\omega new'b', \vdash)) \omega\}
   Asgn \leftarrow gets\_s \ Brk\_s \ (name\_as \ \bigcirc \ t \ (0 = Vt) \ \_as \ ('a' \ V \circ, \circ \supset)) \ \_as \ ('a' \ E \circ \bigcirc)
     Fex \leftarrow Afx\_s(Trn\_opt)\_s(1 Bind 'F'\_any)\_as(\supset wrap/\circ \oplus)
    App \leftarrow Afx\_s(Idx\_oAtom\_s(dop2\_not)\_opt)\_as\{(\not\equiv\omega)E\oplus\omega\}
       Ex \leftarrow Idx\_oAtom\_s\{\alpha(0Bind'E'\_oAsgn\_oApp\_s\nabla\_opt)\omega\}\_as(\supset wrap/\circ \Phi)
     Gex \leftarrow Ex\_s \ grd\_s \ Ex\_as \ (G \circ \Phi)
   Nlrp \leftarrow sep \ o \ eot \ Slrp \ (lbrc \ Blrp \ rbrc)
  Stmts \leftarrow \{\alpha (sep\_any\_s (Nlrp\_then (\alpha\alpha\_s eot \circ \Phi))\_any\_s eot) \omega\}
       Ns \leftarrow nss Blrp nse then (Ex o Fex Stmts then Fn) s eot as M
        ps \leftarrow \{0 \neq \supset c \ a \ e \ r \leftarrow (0 \ 2 \ \rho \ \theta) \ Ns \in \{\omega \ / \sim \land \setminus \ ' \land ' \neq \omega \} \ \omega \ , \ \Box UCS \ 10 : \Box SIGNAL \ c \diamond (\supset a) \ e\}
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scp \leftarrow (+ \downarrow F_m) \vdash \circ \subset \sqsubseteq \vdash
   prf \leftarrow ((\not\equiv \uparrow \ 1 \downarrow \vdash (\not\vdash \ddot{\sim}) \ 0 \not= \vdash) \ddot{\circ} \ 1 \uparrow \circ r) \vdash
   enc \leftarrow \subset \dashv, \circ \supset ((\dashv, '\_', \vdash) / (\subset''), (\overline{\Phi}'' \vdash (/\tilde{\sim}) \ 0 \neq \vdash))
  veo \leftarrow \cup ((\subset'\%u'), (, "prims), \dashv) \sim "\circ \{\supset, / \{\subset "(1 \equiv \exists \omega) \vdash \omega\}" \omega\} = 1 \downarrow \vdash (/") (\land / "0 \neq ((\supset 0 \rho \vdash) "\vdash)))
ndo \leftarrow \{\alpha \leftarrow \vdash \diamond m \supset \circ(\subset, \vdash) \text{``} \alpha \circ \alpha \alpha \text{````} \omega \supset \circ(, \circ \subset \sim \subset) \text{```} m \leftarrow 1 \geq \equiv \text{``} \omega \}
   n2f \leftarrow (\supset,/) ((1 = \equiv) \supset, \circ \subset \sim \circ \subset)
           rn \leftarrow \vdash, \circ \downarrow (1+d) \uparrow \circ \bar{} 1 (+ \downarrow d \circ .= \circ 1 + ([/0,d))
           rd \leftarrow \vdash, (+/\uparrow \circ r \land . (= \lor 0 = \vdash) \circ \Diamond \circ \uparrow \circ r \vdash (\not \vdash \ddot{\sim}) F_m \land 1 \in \ddot{\sim} k)
             df \leftarrow \vdash (\not \dashv \ddot{\sim}) \ (+ \setminus 1 = d) \ (\sim \dashv \in \dashv (/\ddot{\sim}) \ (1 = d) \ \land \ (\sim \ '\mathsf{b}' \in \ddot{\sim} \ k) \ \land \ O_{\scriptscriptstyle m} \lor F_{\scriptscriptstyle m}) \ \vdash
    dua \leftarrow ((\sim G_m) \land F_m \lor \downarrow \circ prf \in r \circ F_\circ) (\dashv (\downarrow \circ \vdash) (d (\not = ) \dashv) (0, 1 \downarrow (\bar{} 1 \oplus \vdash) \land \dashv = \bar{} 1 \oplus \dashv) \dashv (\not = \circ \vdash) 0 \in \bar{} n) \vdash (\downarrow \circ \vdash) 0 \vdash (\downarrow \circ \vdash) 0 \in \bar{} n) \vdash (\downarrow \circ \vdash) 0 \vdash (\downarrow \lor) 0 \vdash (\downarrow \circ \vdash) 0 
          du \leftarrow \vdash (\neq \sim \sim) dua \lor \circ (\lor /) (prf \land . (= \lor 0 = \vdash) \circ \lozenge prf (\neq \sim) dua) \land \uparrow \circ r \land . \geq \circ \lozenge dua (\neq \circ \vdash) \uparrow \circ r \times 0 = prf
         lfn \leftarrow (d, \mathsf{'Of'}, 3 \downarrow \vdash) \circ 1 \ at (F_m \land \mathsf{'b'} \in \stackrel{\sim}{\sim} k) (d, \mathsf{'Vf'}, (\mathsf{'fn'} \ enc \circ \supset r), 4 \downarrow \vdash) \circ 1 \ at (F_m \land 1 \in \stackrel{\sim}{\sim} k)
                lf \leftarrow (\supset 5/) (1, 1 \downarrow F_m \land 1 \in k) blg (\uparrow r) (\subset lfh \circlearrowleft ((\vdash -(\supset -2 \mid \supset)) d), 1 \downarrow \circlearrowleft \vdash) lfn) \boxminus 1 \downarrow \vdash
         dn \leftarrow ((0 \in \stackrel{\sim}{\sim} n) \land (A_m \land \mathsf{v}' \in \stackrel{\sim}{\sim} k) \lor O_m \land \mathsf{f}' \in \stackrel{\sim}{\sim} k) ((\sim \dashv) (\not \to \vdash) (d - ^{-1} \oplus \dashv), 1 \downarrow_{\scriptscriptstyle{[1]}} \vdash) \vdash
mrep \leftarrow (1 + \supset), P' \circ (\ddot{,}'\vdash), (\subset''), \ddot{\sim} 1 \downarrow 4 \downarrow \circ, 1 \uparrow \vdash
mreu \leftarrow \supset, 'E' 'u', (\subset"), \stackrel{\sim}{\sim} \stackrel{\sim}{\sim} 1 \( \psi \) 3 \( \lor, 1 \\ \rac{\racksq}{\rightarrow} \)
    mrs \leftarrow \vdash \subset_{[0]} \stackrel{\sim}{\sim} 1, 1 \downarrow d = 1 + \circ \supset d
   mrk \leftarrow (-\circ(+/\wedge \setminus) \circ \bigoplus L_m) (\uparrow \neg \sim \circ (mre (mre mrs) \circ at (G_m \circ (\supset \neg /) 1 \uparrow \sim \vdash) \circ mrs) \downarrow) \vdash
        mr \leftarrow (\supset 5/) ((1 \uparrow \vdash), (mrk" 1 \downarrow \vdash)) \circ scp
           ur \leftarrow ((2 \uparrow \vdash), 1, ('um' enc \circ \supset r), 4 \downarrow \vdash) \circ 1 \ at (E_m \land 'u' \in \approx k)
               rt \leftarrow \vdash, (\lor \lor F_m) + (+ \neq prf \land . (= \lor 0 = \dashv) \circ \lozenge \stackrel{\sim}{\sim} \circ \uparrow \circ r M_s = G_s) - F_m
       nm \leftarrow ((3 \uparrow \vdash), ('fe' enc \circ \supset r), 4 \downarrow \vdash) \circ 1 \ at ((0 \in \approx n) \land E_m \lor O_m \lor A_m)
         lgg \leftarrow (5/1\downarrow \vdash) 50\supset \stackrel{\sim}{\sim} \dashv (((^{-}1+d),2,\stackrel{\sim}{\sim}t,k,n,r,05,s); \stackrel{\sim}{\rightarrow} 53,\stackrel{\mathsf{'V'}}{,} \stackrel{\mathsf{'a'}}{,} 3(\downarrow \stackrel{\circ}{\circ}1)1\uparrow \vdash) 0\supset 1\uparrow \vdash 1)
           fe \leftarrow (\supset \bar{}) (+ + d \leq g) (\subset (\vdash \uparrow \approx 1 = \circ \not\equiv \vdash) \bar{} \circ \supset \circ fee \vdash) \models \vdash
     can \leftarrow (+ \setminus A_m \lor O_m) ((, 1 \uparrow \vdash), \circ (\subset ( \vdash 1 + 2 \mid \not\equiv) \supset (\subset \circ \subset \supset), \subset) \circ n \mid \downarrow \vdash) \mid \vdash \mid \vdash
       cas \leftarrow (\bar{\ }1 \oplus (A_m \vee O_m) \wedge '\mathbf{v} \mathbf{f}' \in \bar{\ }k) \vee (\downarrow prf) \in \bar{\ }r \vdash (\neq \bar{\ }) A_m \wedge '\mathbf{n}' \in \bar{\ }k
           ca \leftarrow (can \vdash (+\ddot{\sim}) cas \lor A_m \lor O_m \land 'f' \in \ddot{\sim} k) \dashv at (A_m \lor O_m \land 'f' \in \ddot{\sim} k) \vartheta, \circ \subset \ddot{\sim} \vdash (+\ddot{\sim} \circ \sim) cas
                lj \leftarrow (\supset 5/) (1 \uparrow scp), ((\vdash 5 2 ' \vdash 0 0, 2 ", = 72 \downarrow 4 \downarrow 0, 1 \uparrow \vdash) " 1 \downarrow scp)
           sd \leftarrow (\supset 5/) (1 \uparrow scp), (n F) (d, \forall f', (\subset \dashv), 4 \downarrow \vdash) \circ 1 at ((\subset, \forall f') \in n) \circ 1 \downarrow scp
   inp \leftarrow (E_m \land \dashv) \lor 1, 2 \neq / \dashv
   inza \leftarrow (1 \uparrow 1 \downarrow \dashv) ( \not \vdash \sim \circ \not\equiv) at ((\subset, '\alpha') \in \sim n) ( \uparrow 1 \uparrow \dashv) ( \not \vdash \sim \circ \not\equiv) at ((\subset, '\omega') \in \sim n) \vdash
       inz \leftarrow (1 \uparrow \neg) (d, t, k, 3 \downarrow \ddot{\circ} 1 (\not \neg \circ \not\equiv)) at (0, \ddot{\sim} 2 \not=/\circ \bigoplus (\lor \lor \circ \bigoplus E_m)) inza
       inn \leftarrow (3 \uparrow \circ 1 \vdash), ((\dashv \rho \stackrel{\sim}{\sim} 1 + 0 \mid ([/ \circ n G)) (('fe' \equiv 2 \uparrow \vdash) \supset ( \subset \vdash), \circ \subset 'fe', ( \lnot \dashv), 2 \downarrow \vdash) \stackrel{\sim}{\sim} n), (4 \downarrow \circ 1 \vdash)
       ins \leftarrow \exists (d, t, k, ((1000 \times 1 + \exists) + 1 + n + ([/n)), 4 \downarrow \circ 1 \vdash) at (L_m \vee G_m) inn
        inr \leftarrow 1, \circ_{7} \vdash inz^{"}(\iota \circ_{7} \vdash) ins^{"}((\supset \circ n^{"} \dashv) \iota((\supset n (\not \vdash :) V_{m} \land 'f' \in : k)^{"} \vdash)) \supset "(\subset 1 \downarrow " \dashv), \circ \subset "\vdash
           in \leftarrow (\supset 5/) \circ (\vdash /) (1 \downarrow scp) inr \circ ((0 \rho \subset 0 \otimes \rho 0), \vdash /) at (\dashv /) inm ((\supset "inp \subset E_m \land \dashv), \circ 5 inp \subset_{[0]} \vdash) \vdash (\downarrow \land \land \land) = (1 \land \land
```

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pcc \leftarrow (\subset \vdash (\not \vdash \ddot{\sim}) A_m \lor O_m \land '\mathbf{f}' \in \ddot{\sim} k) \circ ((1 \circ \cup \ddot{\sim} n) [] \ddot{\circ} 0 \ 2 \ (1 \ [\not \equiv) \uparrow \vdash) \circ (\supset_{7} \not +) \circ \oplus (\not + \circ \vdash)
pcb \leftarrow ((, \land . (= \lor 0 = \dashv) \circ \bar{\imath}) \circ 2 \ 1 \approx \circ \uparrow \circ r M_s \bar{\imath} F_s) pcc \circ 1 ((\vdash (\not+ \approx) (d = g) \land A_m \lor E_m \lor O_m) \circ scp)
 pcv \leftarrow (d, \forall V', (\exists f' \supset \circ \subset \sim O_m), (\supset v), r, s, (\subset \Theta), \sim g) at(O_m \lor A_m \land \forall v' \in \sim k)
     pc \leftarrow (\supset 5/) pcb \{ (pcv d (\dashv, 1 \downarrow \ddot{\circ} 1 \vdash) (\alpha \uparrow \ddot{\sim} 1 [\not\equiv \alpha) | \ddot{\circ} 0 2 \ddot{\sim} (n \alpha) \iota n) at (V_m \land (n \alpha) \in \tilde{\sim} n) \omega \} scp
   da \leftarrow \vdash (\neq \stackrel{\sim}{\sim} \circ \sim) (A_m \land d = g) \lor (0, \stackrel{\sim}{\sim} 2 \land / L_m) \lor (L_m \land \stackrel{\sim}{\sim} 1 \bigoplus A_m \land d = g) \lor O_m \land ('f' \in \stackrel{\sim}{\sim} k) \land 1 \neq d
   fce \leftarrow (\supset \circ n P_s) \{ \subset \Phi' \omega', \ddot{\sim} (\not\equiv \omega) \supset "(\alpha, '\neg') ('\neg', \alpha, '\not/') \} (v A_s)
fcm \leftarrow (\land / E_m \lor A_m \lor P_m) \land \circ \sim 'ui' \in \sim \circ \supset \circ \supset k
       fc \leftarrow ((\supset 5/)^m (((d, ``An', `3 \downarrow \ ^1 \downarrow ,) \ 1 \uparrow \vdash), fce)`` at (fcm")) ('MFOEL' \in ~t) \subset_{[0]} \vdash
      ce \leftarrow (+ \ F_m \lor G_m \lor E_m \lor O_m \lor L_m) ((\ 1 \downarrow \circ, 1 \uparrow \vdash), \circ \subset (\supset \circ v \ 1 \uparrow \vdash), \circ (A_m \supset \circ \downarrow n, \circ 5 \circ n 2 f v) \ 1 \downarrow \vdash) 
        ll \leftarrow (\vdash (\not \vdash \ddot{\sim}) \ 1 \ \oplus \ L_{\scriptscriptstyle m}) \ (((\subset \subset \ \complement') \ , \circ \subset \ \ \ \circ \ n \ \dashv) \ , \ddot{\sim} \ \ 1 \ \downarrow \ddot{\circ} \ 1 \ \vdash) \ at \ L_{\scriptscriptstyle m} \ \vdash
       fv \leftarrow (\supset 5/) (((1 \downarrow \vdash) 5 \stackrel{\sim}{\sim} (, 17 \uparrow \vdash), \circ \subset \circ n^{-1} \uparrow \vdash) \stackrel{\sim}{\sim} scp)
    nv \leftarrow (\bar{\phantom{a}}1\downarrow \bar{\phantom{a}}1 \vdash), (\bar{\phantom{a}}1 \ominus \not\equiv \supset \vdash, \circ \subset \bar{\phantom{a}} (C'''' ''' f'' '''' u'), (C''' ''' i', \vdash), (C'(C'''' u'), \vdash)) \bar{\phantom{a}} v
        lt \leftarrow (\subset \theta), = \vdash
  val \leftarrow (n \bowtie n), \vdash (\vdash + (\not\equiv \dashv) \times 0 = \vdash) (\lceil / (\downarrow\not\equiv) \times \circlearrowleft 1 ( \cup n) \circ .((\subset \dashv) \in \vdash) (n2f \cdot v))
vag \leftarrow \land \circ \sim \circ (\circ . = \stackrel{\sim}{\sim} \circ 1 \not\equiv) \stackrel{\sim}{\sim} (\circ . (((1 \sqcap \vdash) > 0 \sqcap \dashv) \land (0 \sqcap \vdash) < 1 \sqcap \dashv) \stackrel{\sim}{\sim} val)
 vae \leftarrow (\cup n) (\exists, 0 \exists (\neg 0) ) ((\vdash, 0) ((o \not\equiv \exists) \land \vdash (\not\vdash \neg) (\not\equiv \vdash) \uparrow \exists) (\circ \varphi ( c \theta), 0 \downarrow \vdash)) vag
 vac \leftarrow (((0 \mid 0 \triangleleft \forall) \mid 0 \triangleleft \vdash) ) ) (1 \mid 0 \triangleleft \forall), 0 \triangleleft \vdash) ndo
    va \leftarrow ((\supset 5/) (1 \uparrow \vdash), (((vae E) (d, t, k, (\dashv vac n), r, s, g, y, \circ 5 \stackrel{\sim}{\sim} (\subset \dashv) vac \stackrel{\sim}{\circ} )) \vdash (1 \uparrow \vdash)) scp
avb \leftarrow \{(((, \ \ '' \alpha \omega') \uparrow \ \ 1 \downarrow \rho) \not \vdash) \alpha \ \ \square \ \ \ \circ \ 2 \ 0 \vdash \alpha \alpha \ \ 1 \ \alpha \alpha \cap \ \ (\downarrow (\bigoplus 1 + \circ 1 \ 0 \ 1 \ \ \vdash) ((\not \equiv \vdash) \uparrow \uparrow) \circ 0 \ 1 \vdash) \supset r \ \omega\}
  avi \leftarrow 10 + (\rho \dashv) T (, \dashv) \iota (C \vdash)
avh \leftarrow \{ \subset \omega, (n\omega) ((\alpha\alpha (\omega\omega avb) \omega) \{ \alpha\alpha avi ndo (\subset \alpha), \omega \}) "v \omega \}
     av \leftarrow (\supset^{\tau}) (+\backslash F_m) \{\alpha((\alpha((\cup \circ \oplus (0 \rho \subset "), n) E_v) \boxminus \omega) avh (r(1 \uparrow \omega) \not\vdash F_v \omega)) \boxminus \omega\} \vdash
     rlf \leftarrow (\bigoplus \downarrow (((1 \supset \dashv) \cup \vdash \sim 0 \sqcap \dashv) \land \ominus ( \subseteq \theta), \uparrow) \circ 0 \ 1 = 1 + \circ 1 \not\equiv ) (\bigoplus 1 \ominus n, \circ 0 (\subseteq \dashv) \ veo = v)
       rl \leftarrow \vdash, \circ(\supset, /) (\subset \circ n \ O_s \ \overline{}, F_s) \ rlf \ scp
      vc \leftarrow (\supset 7)(((1 \downarrow \vdash) 7 \stackrel{\sim}{\rightarrow} (17 \uparrow \vdash), (\not\equiv \circ \cup \circ n E), 1^{-3} \uparrow \vdash) \stackrel{\sim}{\rightarrow} scp)
    eff \leftarrow (\supset 5/) \vdash (((\subset \circ \boxtimes \circ 5 d, Fe', 3 \downarrow ,) 1 \uparrow \dashv), 1 \downarrow \vdash) (d = \circ \supset d) \subset_{\omega} \vdash
       ef \leftarrow (F_m \land \overline{1} = \circ \times \circ \supset y) ((\supset \overline{5}/) (\subset \vdash (+\overline{\sim}) \circ \sim (\lor \lor \dashv)), (eff \subset_{(0)})) \vdash
    ifn \leftarrow 1 'F' 0 'Init' \theta 0 1, (4 \rho 0) \theta \theta ,\approx \vdash
        if \leftarrow (1 \uparrow \vdash) \lnot (\vdash (\not \vdash \ddot{\sim}) O_m \land 1 = d) \lnot ((\vdash wrap \ddot{\sim} \circ ifn \circ \not\equiv \circ \cup n) \vdash (\not \vdash \ddot{\sim}) E_m \land 1 = d) \lnot (\lor \lor F_m) (\not\rightarrow \circ \vdash) \vdash (\not\rightarrow \circ) F_m \land 1 = d) \lnot (\lor \lor F_m) (\not\rightarrow \circ \vdash) \vdash (\not\rightarrow \circ) F_m \land 1 = d) \lnot (\lor \lor F_m) (\not\rightarrow \circ \vdash) \vdash (\not\rightarrow \circ) F_m \land 1 = d) \lnot (\lor \lor F_m) (\not\rightarrow \circ \vdash) \vdash (\not\rightarrow \circ) F_m \land 1 = d) \lnot (\lor \lor F_m) (\not\rightarrow \circ \vdash) \vdash (\not\rightarrow \circ) F_m \land 1 = d) \lnot (\lor \lor F_m) (\not\rightarrow \circ \vdash) \vdash (\not\rightarrow \circ) F_m \land 1 = d) \lnot (\lor \lor F_m) (\not\rightarrow \circ \vdash) \vdash (\not\rightarrow \circ) F_m \land 1 = d) \lnot (\lor \lor F_m) (\not\rightarrow \circ \vdash) \vdash (\not\rightarrow \circ) F_m \land 1 = d) \lnot (\lor \lor F_m) (\not\rightarrow \circ \vdash) \vdash (\not\rightarrow \circ) F_m \land 1 = d) \lnot (\lor \lor F_m) (\not\rightarrow \circ \vdash) \vdash (\not\rightarrow \circ) F_m \land 1 = d) \lnot (\lor \lor F_m) (\not\rightarrow \circ \vdash) \vdash (\not\rightarrow \circ) F_m \land 1 = d) \lnot (\lor \lor F_m) (\not\rightarrow \circ \vdash) \vdash (\not\rightarrow \circ) F_m \land 1 = d) \lnot (\lor \lor F_m) (\not\rightarrow \circ \vdash) \vdash (\not\rightarrow \circ) F_m \land 1 = d) \lnot (\lor \lor F_m) (\not\rightarrow \circ \vdash) \vdash (\not\rightarrow \circ) F_m \land 1 = d) \lnot (\lor \lor F_m) (\not\rightarrow \circ \vdash) \vdash (\not\rightarrow \circ) F_m \land 1 = d) \lnot (\lor \lor F_m) (\not\rightarrow \circ \vdash) F_m \land 1 = d) \lnot (\lor \lor F_m) (\not\rightarrow \circ \vdash) F_m \land 1 = d) (\not\rightarrow \lor) F_m \land 1 = d) (\not\rightarrow
   fgz \leftarrow (1 \uparrow \vdash) ; (((\bar{\phantom{a}}1 + d), \bar{1} \downarrow \bar{\circ} 1 \vdash) 1 \downarrow \vdash) ; 2, 'G', 1, 3 \downarrow \bar{\circ} 1 (\bar{\phantom{a}}1 \uparrow \bar{\phantom{a}}1 \downarrow \bar{\circ} 1 \vdash) , \circ n 1 \uparrow \vdash
      fg \leftarrow (\supset \bar{\gamma}) (fgz\ddot{} at (G_m \circ (\supset \bar{\gamma})) \uparrow \ddot{} ) \vdash \subset_{iol} \ddot{} d = 2 \mid g)
     fft \leftarrow (, 1 \uparrow \vdash) (1 'Z', (2 \downarrow \lnot 5 \downarrow \dashv), (v \dashv), n, y, (\subset 2 \uparrow \circ, \circ \supset \circ \supset e), l) (\lnot 1 \uparrow E)
        ff \leftarrow ((\supset 7/) (1 \uparrow \vdash), (((1 \uparrow \vdash) 7 (((-1 + d), 1 \downarrow \circ 1 \vdash) 1 \downarrow \vdash) 7 fft) \downarrow )) scp
  fzh \leftarrow ((\cup n) \cap (\supset \circ l \dashv)) (\lnot 1 \oplus (\subset \dashv), ((\not\equiv \vdash) - 1 + (\oplus n) \iota \dashv) ((\subset \dashv \supset \lnot \circ \subset (\supset \lnot e)), (\subset \dashv \supset \lnot \circ \subset (\supset \lnot y)), \circ \subset \dashv) \vdash) \vdash
    fzf \leftarrow 0 \neq (\not\equiv \circ \rho "\circ \supset \circ v \dashv)
  fzb \leftarrow (((\supset \circ v \dashv) (\not -\ddot{\sim}) fzf), n), \circ \overline{} (f' \circ, \circ \overline{\Phi}" \circ \iota (+/fzf)), (s' \circ, \circ \overline{\Phi}" \circ \iota \circ \not= \vdash)
   f_{ZV} \leftarrow (( \subset \dashv) ( \ominus \uparrow) \ddot{\sim} (\not\equiv \dashv) ( - + \circ \iota \vdash) (\not\equiv \vdash)) (( \vdash, \ddot{\sim} 1 \sqcap \circ \lozenge \dashv) \sqcap \ddot{\sim} (0 \sqcap \circ \lozenge \dashv) \iota \vdash) \ddot{\circ} 2 0 \ddot{\sim} V
   fze \leftarrow (\bar{1} + d), t, k, fzb ((\vdash/(-\circ \not\equiv \vdash) \uparrow \dashv), r, s, g, fzv, y, e, \circ, l) \vdash
   fzs \leftarrow (, 1 \uparrow \vdash) (1 \ominus (\dashv ((1 'Y', (2 \sqcap \dashv), \vdash) ; \circ \lozenge \circ ; (3 \uparrow \dashv), \vdash) 1 \oplus fzh, \lnot 1 \downarrow 6 \downarrow \dashv) ; fze) ( \not \vdash \circ \vdash)
      fz \leftarrow ((\supset \bar{\gamma}) (1 \uparrow \vdash), (((2 = d) (fzs \bar{\gamma} (1 \downarrow \circ \sim \dashv) (\not \rightarrow \vdash) 1 \downarrow \vdash) \vdash) "1 \downarrow \vdash)) (1, 1 \downarrow S_m) \subset_{(0)} \vdash
      fd \leftarrow (1 \uparrow \vdash) ; ((1, \vdash \mathsf{d}', 3 \downarrow \vdash) \circ 1 F) ; 1 \downarrow \vdash
tta \leftarrow (fc \circ da \circ (pc : \equiv) \circ mr : \equiv) \circ in : 3 \circ sdolj \circ ca \circ fe \circ lg \circ nm \circ rt \circ mr \circ dn \circ lf \circ du \circ df \circ rd \circ rn
     tt \leftarrow fd \circ fz \circ ff \circ fg \circ if \circ ef \circ vc \circ rl \circ av \circ va \circ lt \circ nv \circ fv \circ ll \circ ce \circ ur \circ tt a
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E_i \leftarrow \{ \text{fn'gcl}((\subset n, \circ \supset v), e, y) \omega \}
   E_2 \leftarrow \{ \text{f n' } gcl ((\subset n, \circ \supset v), e, y) \omega \}
   E_i \leftarrow \{r \ l \ f \leftarrow \supset v \ \omega \diamond ((\supset n \ \omega) \ ('f \ n' \ var) \supset \supset e \ \omega), '=', ((\supset \supset v \ \omega) \ ('f \ n' \ var) \ 1 \supset \supset e \ \omega), ';', nl\}
   O_{\cdot} \leftarrow \{\text{'op' gcl}((\subset n, \circ \supset v), e, y) \omega\}
   O_2 \leftarrow \{\text{'op'} gcl ((\subset n, \circ \supset v), e, y) \omega\}
   O_0 \leftarrow \{"\}
   O_r \leftarrow \{ '\mathsf{EF}(', ('\Delta' \square \mathsf{R}'\_' \supset n \omega), ', ', (\supset v \omega), ') ; ', nl \}
   F_{d} \leftarrow \{\text{'FP(', (\neq n \, \omega), ');', nl}\}
F_{o} \leftarrow \{\text{'DF(', (\neq n \, \omega), ');', nl}\}
F_{l} \leftarrow \{\text{'DF(', (\neq n \, \omega), '_f )}\}, ', nl, 'A * env[] = \{\text{tenv}\};', nl\}
F_{l} \leftarrow \{\text{'DF(', (\neq n \, \omega), '_{l} f)}\}, ', nl, '(\text{env0'} dnv \, \omega), (fnv \, \omega)\}
   G_0 \leftarrow \{v \leftarrow (\supset v \omega) \ (\overline{var}) \ 1 \supset \supset e \omega \}
                           'if(1!=cnt(',v,'))err(5);if(',v,'.v.as(s32).scalar<I>()){', nl}
   G_{l} \leftarrow \{ z = ', ((\supset n \omega) ("var) \supset \supset e \omega), '; goto L', (\overline{\Phi} \supset l \omega), '; \}', nl \}
   L_0 \leftarrow \{ \exists z = ', a, '; L', (\overline{\Phi} \supset n \omega), ' : ', (a \leftarrow (1 \supset ) v \omega) ("var) 1 \supset (e \omega), ' = z; ', nl \} 
   Z_0^{\circ} \leftarrow \{'\}', nl, nl\}

Z_1 \leftarrow \{'\}', nl, nl\}
   Z_a \leftarrow \{'\}', nl, nl\}
  M_0 \leftarrow \{rth, (\texttt{tenv}' dnv \omega), nl, \texttt{'A*env}[] = \{', ((0 \equiv \supset \omega) \supset \texttt{tenv}' \texttt{'NULL}'), '\};', nl, nl\}
   S_0 \leftarrow \{(('\{', rk0, srk, 'DO(i, prk) cnt*=sp[i];', spp, sfv, slp) \omega)\}
   Y_0 \leftarrow \{ \supset / ((1 \not\equiv \supset n \omega) (( \dashv sts^{"}(\supset 1), "\circ \supset s), ' \}', nl, \dashv ste^{"}(\supset n) var^{"} \circ \supset r) \omega), ' \}', nl \}
gc \leftarrow \{ \supset, /\{0 = \supset t \omega : \subset 5 \rho \theta \diamond \subset ( ( \supset t \omega), \overline{\Phi} \supset k \omega) \omega \} \ddot{\circ} 1 \vdash \omega \}
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nams ←
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                                                   '='
                                                                ′≥′
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                                      ′≤′
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                                                                            'gth' 'neq'
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nams, \leftarrow 'eqv'
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                                                  'map' 'com'
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                                                                            'dot' 'rnk' 'pow'
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 syms ,← , " '\'
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nams ,← 'gdu' 'gdd' 'oup' 'fnd' 'par' 'mdv' 'fft'
   nl \leftarrow \square UCS \ 13 \ 10 \diamond fvs \leftarrow , "0 \ (\neq ") \ 0 \neq (\not\equiv \circ \rho" \dashv) \diamond cln \leftarrow " \square R' - " \diamond cnm \leftarrow (syms \ \iota \subset) \supset (nams, \subset)
 lits \leftarrow \{ A (0, eshp, constant (', (cln \Phi \omega), ', eshp, ', ('f64' 's32' \supset \omega = [\omega), ') )' \}
 litv \leftarrow \{\text{'std::vector<'}, (\text{DI'} \supset \sim \land / \omega = \lfloor \omega \}, \text{'>}\{\text{'}, (cln \supset \{\alpha, ', ', \omega \} / \Phi^{\text{''}} \omega \}, '\} . \text{data()'}\}
 lit \leftarrow \{' \mid = 0 \text{ } \rho \text{ } \omega \text{ } : (cnm \text{ } \omega), \alpha \diamond 1 = \not\equiv \omega \text{ } : lits \text{ } \omega \diamond \text{ } lita \text{ } \omega\}
 var \leftarrow \{\alpha \equiv , \mathbf{\alpha}' : , \mathbf{l}' \diamond \alpha \equiv , \mathbf{\omega}' : , \mathbf{r}' \diamond \mathbf{1} \geq \supset \omega : \alpha \alpha \ lit , \alpha \diamond \mathbf{env}[', (\overline{\Phi} \supset \omega), '][', (\overline{\Phi} \supset \omega), ']'\}
dnv \leftarrow \{(0 \equiv z) \supset (A', \alpha, [', (\overline{\phi} z \leftarrow ) v \omega), '];') (A*', \alpha, '=NULL;')\}
 fnv \leftarrow \{z \leftarrow 'A \times env[', (\bar{\uparrow} 1 + \supset s \omega), '] = \{', (\supset, /(\subset 'env0'), \{', p[', (\bar{\uparrow} \omega), ']'\}" \mid \supset s \omega), '\};', nl\}
 gcl \leftarrow \{z \ r \ l \ n \leftarrow ((3 \ \rho \subset fn'), \subset \alpha) \} \supset \alpha \ var/\omega\} \cup (\supset \omega), \ fl \supset \omega \Leftrightarrow n, \ (', (\supset \{\alpha, ', ', \omega\}/z \ l \ r \sim \subset fn'), ', env); ', nl\}
```

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\nabla Z \leftarrow Gfx\Delta Init S
                   □NA 'P ', (BSO S), '| w_new <C[]'</pre>
   'w_new'
   w\_close' \square NA'I', (BSOS), |w\_close P'
   'w del'
                     \square NA(BSOS), ' | w_del P'
                    \square NA (BSOS), ' | w img < PP P'
   'w_img'
   'w_plot' □NA(BSOS), '|w_plot <PP P'
   w_hist' \square NA(BSOS), |w_hist < PP F8 F8 P'
   'loadimg' \square NA (BSOS), '| loadimg >PP <C[] I'
   'saveimg' \square NA(BSOS), '| saveimg <PP <C[]'
   Z \leftarrow 0.0 \rho \theta
     Display \leftarrow \{\alpha \leftarrow \text{'Co-dfns'} \diamond W \leftarrow w\_new \subset \alpha \diamond 777 :: w\_del W
                                w\_del W \dashv W \alpha \alpha \{ w\_close \alpha : \Phi' \square SIGNAL 777' \diamond \alpha \alpha \alpha \omega \} \# \omega \omega \vdash \omega \}
LoadImage \leftarrow \{\alpha \leftarrow 1 \diamond \bigotimes loadimg \vartheta \omega \alpha\}
SaveImage \leftarrow \{\alpha \leftarrow 'image.png' \diamond saveimg(\lozenge \omega) \alpha\}
       Image \leftarrow \{ \sim 2 \text{ 3 V.} = \neq \rho \omega : \square \text{SIGNAL 4 } \diamond (3 \neq 2 \supset 3 \uparrow \rho \omega) \land 3 = \neq \rho \omega : \square \text{SIGNAL 5 } \diamond \omega \dashv w\_img(\lozenge \omega) \alpha \}
          Plot ← {~ 2 ≠ \neqρω : □SIGNAL 4 \Leftrightarrow ~ 2 3 \vee = 1 \supset ρω : □SIGNAL 5 \Leftrightarrow ω \dashv w_plot ω α}
Histogram \leftarrow \{\omega \dashv w\_hist \omega, \alpha\}
```

## :EndNamespace