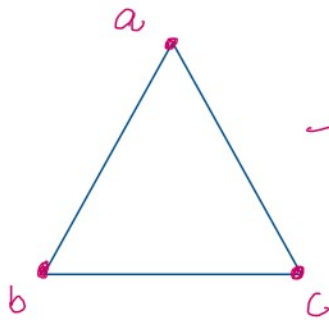
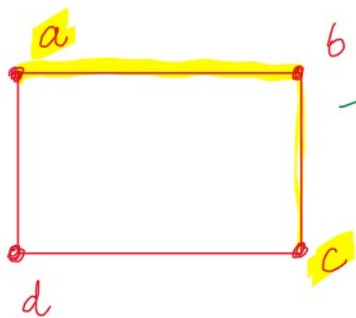
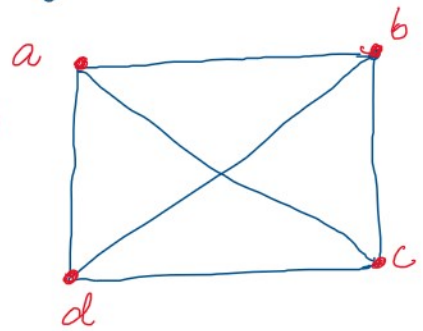


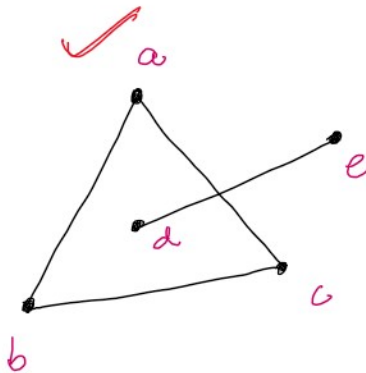
Connected graph \Rightarrow A graph is s.t.b connected graph if there exists a path between every pair of its vertices.



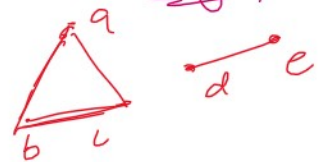
Connected graph



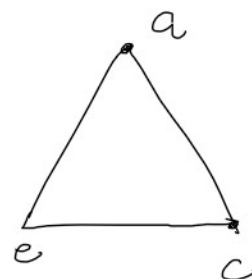
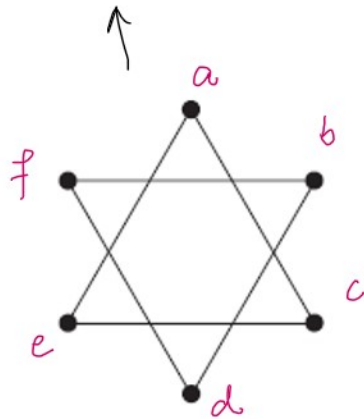
Connected graph



NOT Connected graph



NOT Connected



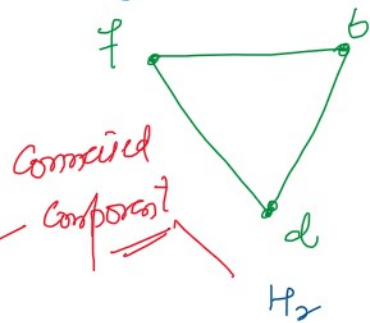
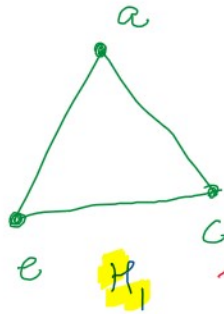
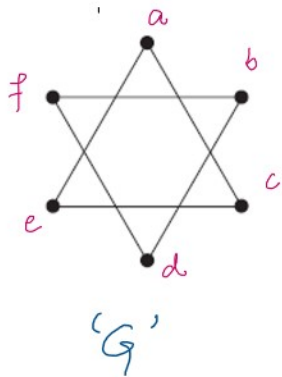
v_1

'G'

Connected Component of a graph \Rightarrow

A Connected Component of a graph G is the subgraph H of G such is

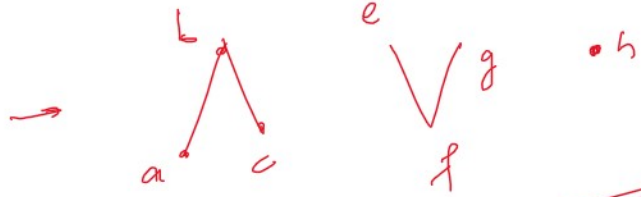
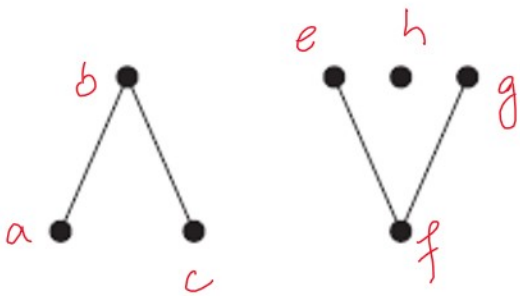
- (1) Connected
- (2) Not contained in any larger Connected subgraph of G .



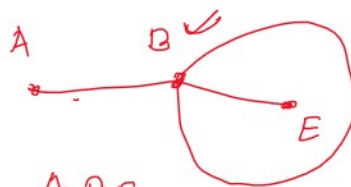
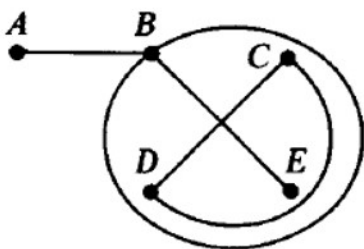
Connected Component



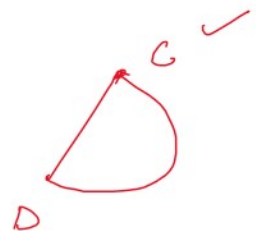
H_3 is subgraph of G
 H_3 is Connected



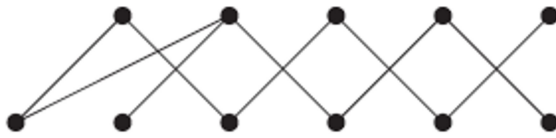
(3) Connected components



2 Connected Components



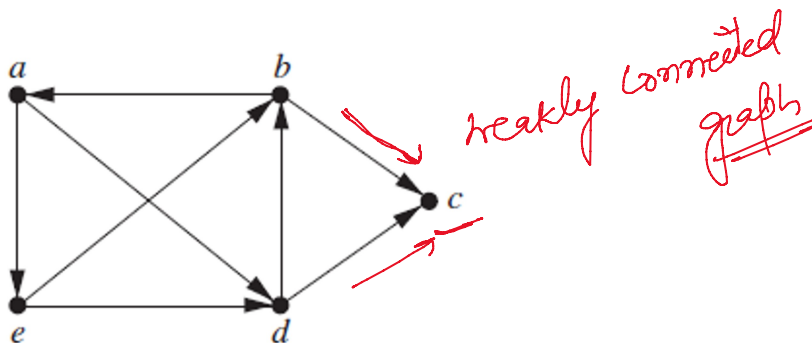
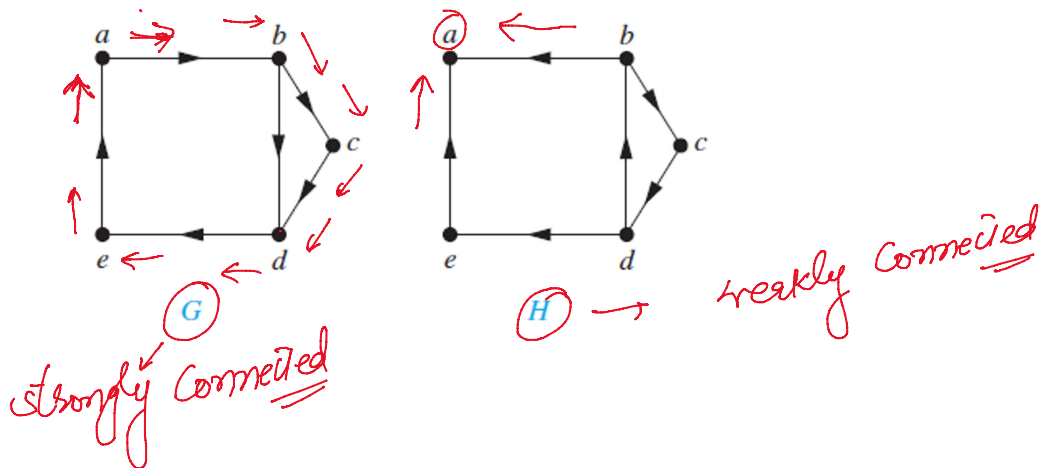
The no. of Connected components of a Connected



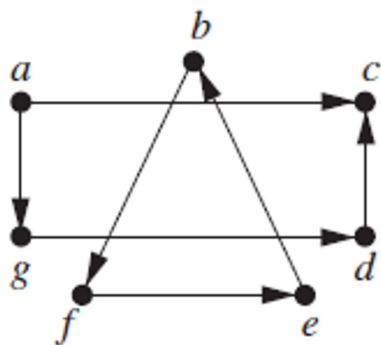
The no. of connected components of a connected graph is 1.
(the graph itself).

A directed graph is *strongly connected* if there is a path from a to b and from b to a whenever a and b are vertices in the graph.

A directed graph is *weakly connected* if there is a path between every two vertices in the underlying undirected graph.



Not a Connected graph



→ not a ~~commu-~~
~~graph~~