

# PH231

## Lead-up to Lab 4

Current amplifier done in Lab 3  
now use BJT as a voltage amplifier

# Main points: Lab 2

In a diode (two-terminal device),  $I_D$  v/s  $V_D$  defines the diode 'characteristic'

$V_D$  is defined as the Voltage between Anode(P) and Cathode(N) – by convention:  $V_P - V_N$  (*not*  $V_N - V_P$ ).  $V_N$  is assumed lower than  $V_P$  since the opposite (reverse bias) is not so interesting

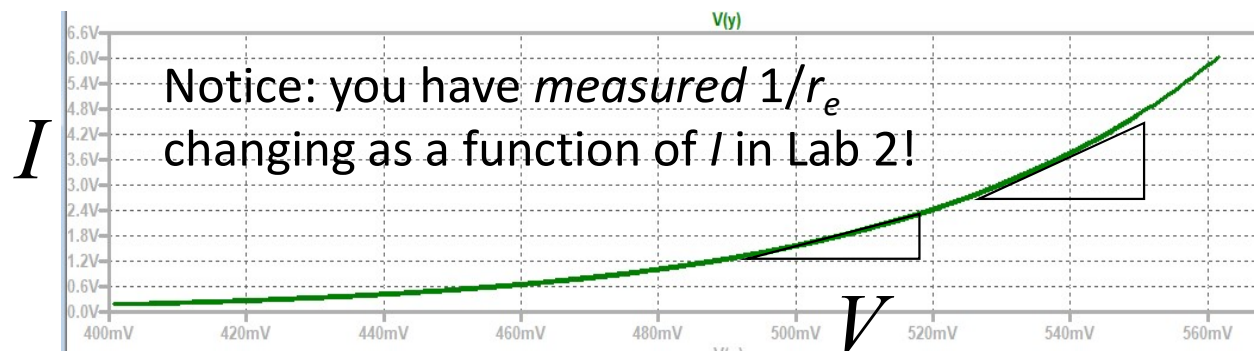
In forward bias the Shockley equation gives  $I = I_0(e^{\frac{qV}{k_B T}} - 1)$

1. Since  $k_B T = 25.3 \text{ meV} \sim 25 \text{ meV}$  at room temp, and numerator has  $q = e$

2. Use Euler expansion of  $e^x$ :  $e^x = 1 + x + \frac{x^2}{2!} + \frac{x^3}{3!} + \frac{x^4}{4!} + \dots$  to leading term:

3.  $\frac{I}{I_0} = \frac{V}{25 \text{ mV}} \rightarrow$  a characteristic diode junction resistance comes out:

$$r_e = \frac{25 \text{ mV}}{I}$$



# Main points:

## Lab 3

BJT: THREE TERMINAL DEVICE C, B, E – focus on Forward Active Mode

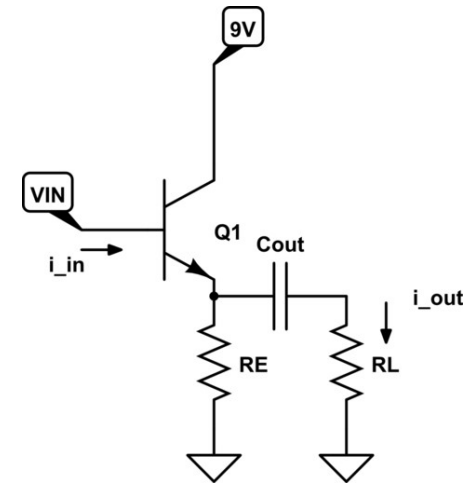
Key concept: Arrange a “BIAS”ing circuit using resistors around the BJT

To set relative terminal voltages

➤ CB reverse biased – not so interesting (as long as your bias circuit guarantees  $V_C > V_B$ )

➤ We mentioned in the design steps that the BE junction (forward biased) has an equivalent resistance  $r_e = \frac{25mV}{I_C}$  but ***didn't pay much attention to it....***

Because we chose  $I_{CQ} = 10mA$ , so  $r_e = 2.5\Omega$  was insignificant compared to  $R_E$  (510) or  $R_E || R_L$  (250)



In Lab 4,  $r_e$  will be crucial to the circuit design and operation

# Main points:

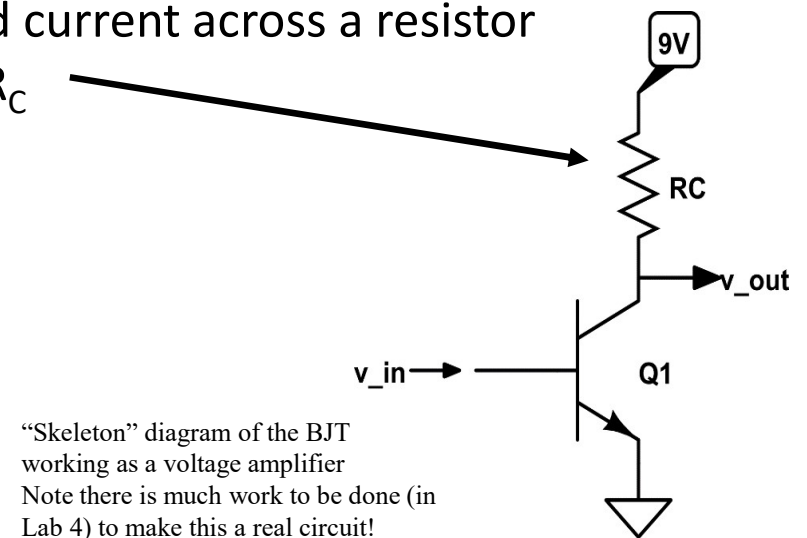
## Lab 4

BJT amplifies CURRENT: if we measure that amplified current across a resistor we get an amplified voltage..... (in this diagram  $I_C R_C$

As in Lab 3, C, B, E relative voltages will have to be setup for forward-active mode

Why is  $r_e$  more important in this design?

In Lab 4,  $r_e$  will be crucial to the circuit design and operation



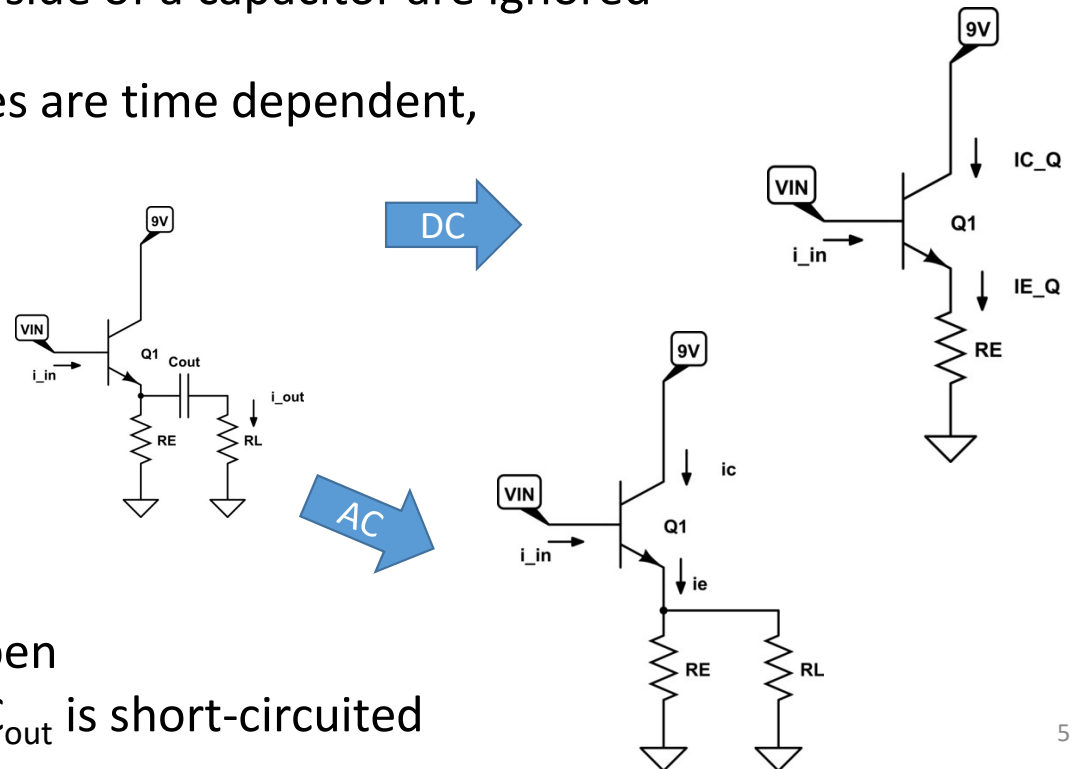
# Stepping back, some principles of circuit design (actually, more like practical tips)

**DC design** (like setting the Q-point) evaluating  $I_Q$  etc, set all capacitors in the circuit to be open. i.e. any components on the other side of a capacitor are ignored

**AC design:** when currents and voltages are time dependent, set all capacitors to be short-circuit

Example: In Lab 3. We concluded that  $R_L$  cannot be connected to BJT's E directly, there must be a fixed  $R_E$  at E-GND to set the Q point

Hence,  
in DC design ignore  $R_L$  because  $C_{out}$  is open  
in AC design must use  $R_E || R_L$  because  $C_{out}$  is short-circuited



# Stepping back some more, to effective impedances at BJT terminals...

For rigorous derivation using BJT  $R_{pi}$  model, see B. Razavi's lecture: <https://www.youtube.com/watch?v=HLJWeQYI9QI>

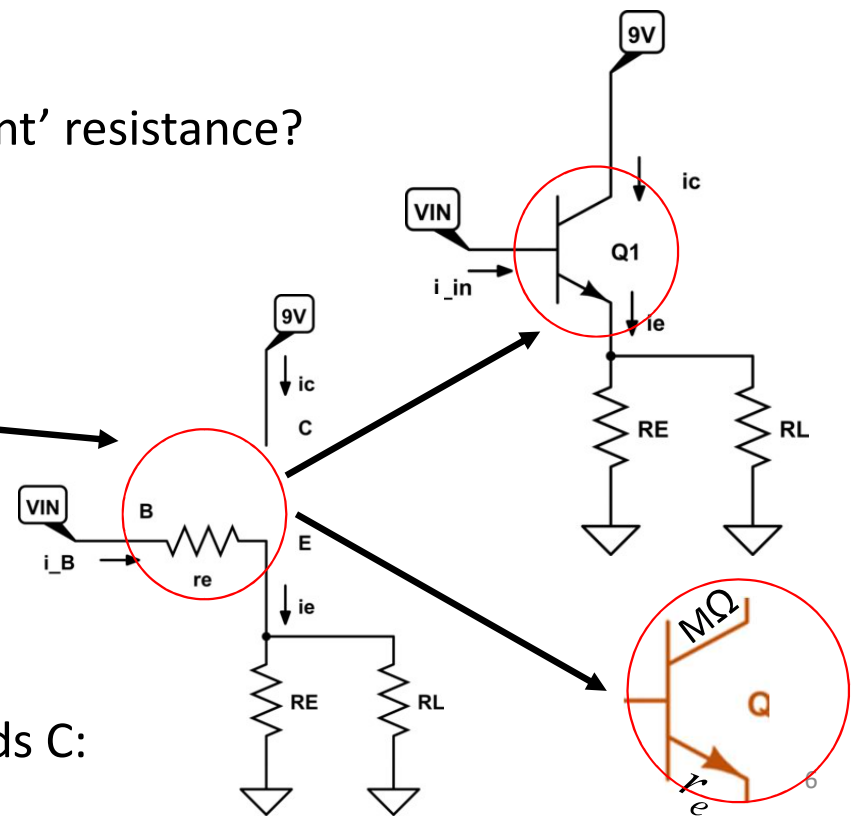
## What does it mean when we say “Impedance looking into the base”?

$\frac{v_{in}}{i_{in}}$  defines some resistance – what is this ‘equivalent’ resistance?

In forward-active mode, CB is reverse,  
BE is forward biased (with resistance  $r_e$ ) the  
effective circuit looks like:

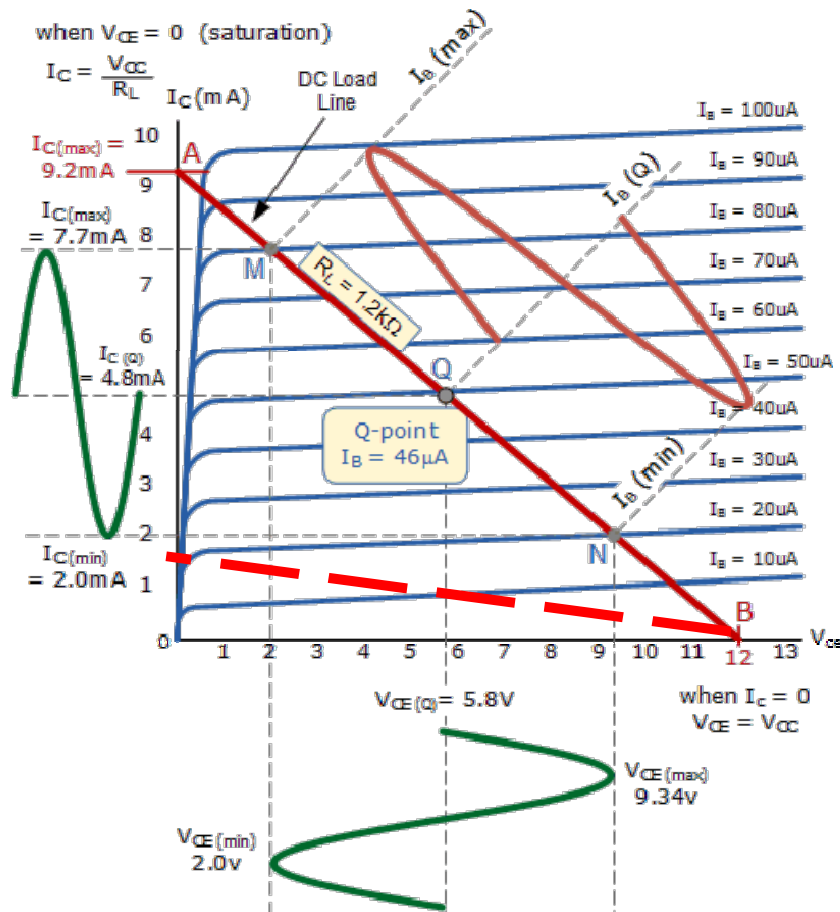
Since  $i_E = i_C = \beta i_B$  the node B has voltage  
 $v_B$  across resistance  $(r_e + R_E || R_L)$  with current  
 $\beta i_B \rightarrow \text{effective } R_B = \beta(r_e + R_E || R_L)$

CB is reverse biased, we don't care to look up towards C:  
 $M\Omega$  resistance & magically  $i_C = \beta i_B$



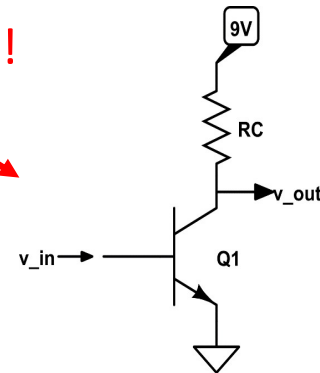
# BJT Voltage amplification – set Q point low

**Lab 3**  
We wanted large current swing



**Lab 4**

Note: simplistic circuit!  
 NOT complete!  
 Will solve in Lab 4



For voltage amplifier  
 We want large voltage swing at  $V_{CE} \rightarrow$   
 Hence preferable to set  $I_Q$  very low

$$V_{out} = V_{CC} - I_C R_C$$

$$V_{out} + v_{out} = V_{CC} - (I_{CQ} + i_c) R_C$$

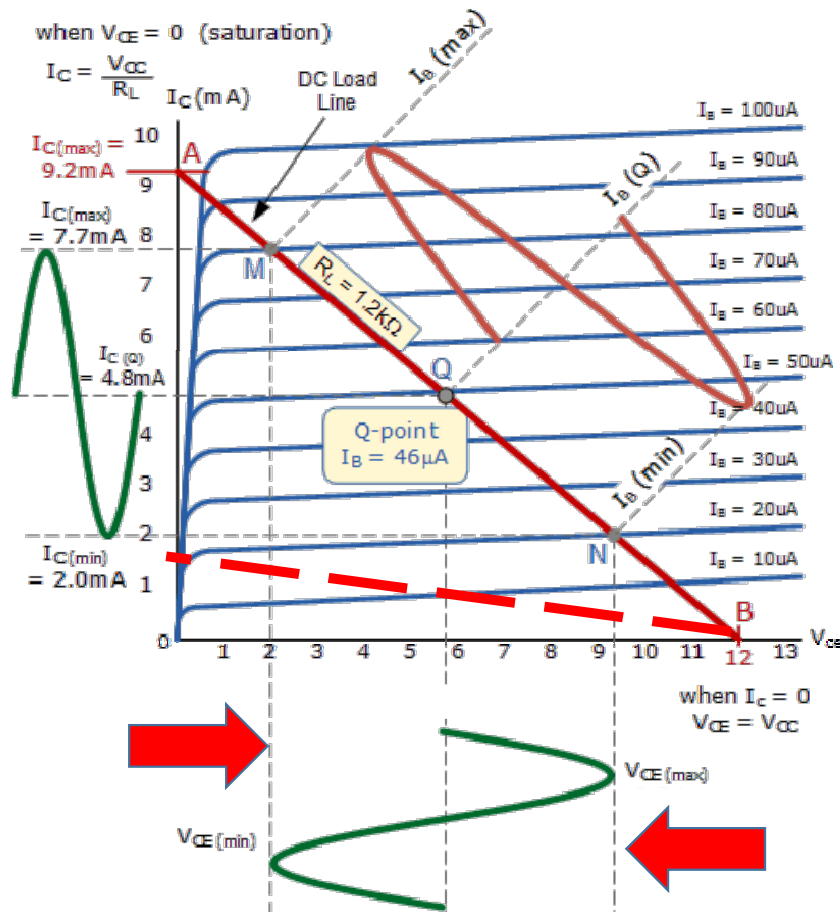
$\rightarrow$  dropping DC terms:

$$v_{out} = -i_c R_C$$

If  $I_{CQ}$  high,  $V_{CQ} = V_{OUT|DC}$  will be close to  $V_{CC} \rightarrow$   
 $v_{out}$  will hit saturation easily

# Detailed guidelines for setting $I_{CQ}$ and $V_{CEQ}$

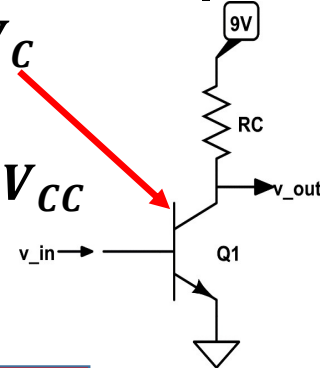
**Lab 3**  
We wanted large current swing



**Lab 4**

BJT cares about  $I_C$ ,  $V_{CE}$  NOT  $V_C$

Generally we set  $V_{CE}$  to swing between  $\sim 0.1V_{CC}$  and  $\sim 0.9V_{CC}$



So E cannot be at GND

Why?

1) To avoid saturation & cutoff

2) In forward active:  $r_e = \frac{25\text{mV}}{I_C}$

$$25\text{mV} = \frac{k_B T}{e} \text{ assuming } T = 30^\circ\text{C!}$$

→ *this is a nonlinear effect!*

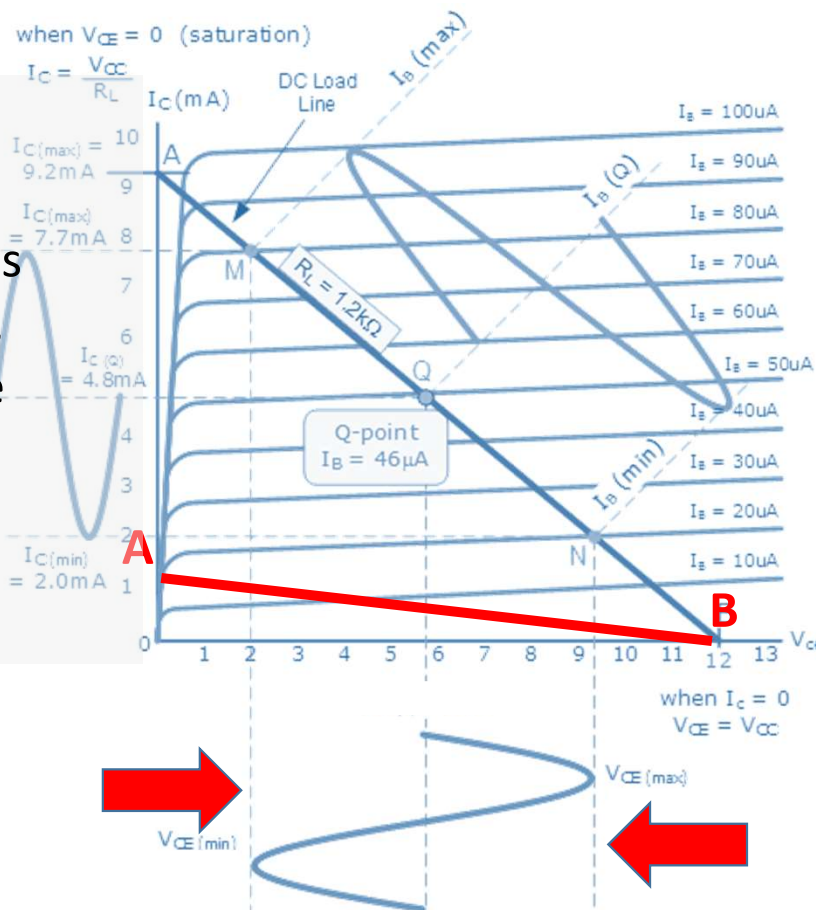
3) As  $I_C = (I_{CQ} + i_c)$  changes,  $r_e$  will heat up,  $T$  rises →  $r_e$  rises: thermal runaway!

4) So, try to keep  $I_{CQ}$  as low as possible



# Main points to remember for BJT as voltage amplifier:

Don't care much about what happens on the y-axis, so long as we remain away from saturation and cutoff



Keep  $I_{CQ}$  low and minimize AC swing of  $i_C$   
 $R_C$  dominates  $i_C R_C$  voltage amplification

E should not be at GND:  
 if so, non-linear  $r_e$  will vary causing to thermal 'runaway'  
 $R_E$  used at E to set  $V_{EQ} \sim 0.1V_{CC}$   
 should dominate over  $r_e$

- There are 3 voltages to account for:
- 1)  $V_C$  should get close to, but not =  $V_{CC}$   
 If  $V_C = V_{CC}$ ,  $I_C = 0$  (cut-off!)
  - 2)  $V_E$  should be above GND (thermal  $r_e$ )
  - 3)  $V_{CE}$ : midpoint  $V_{CEQ}$  determines DC offset of  $v_{out}$  and allowed swing permitted by (1) and (2)