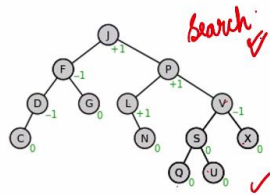
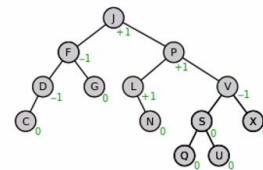


AVL Trees

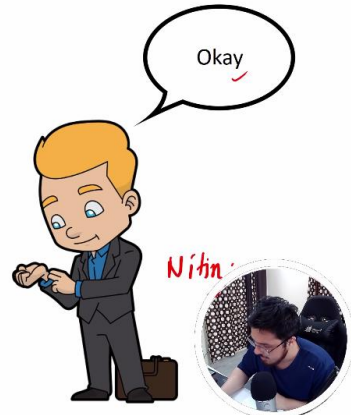
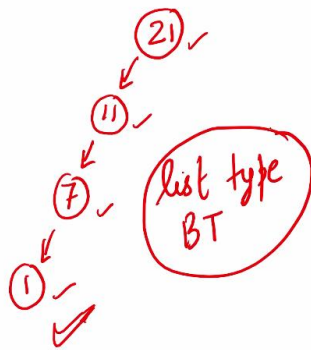
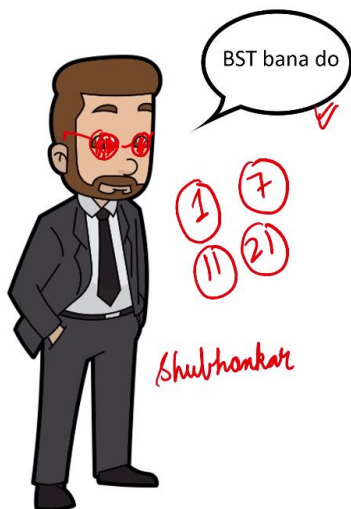
By CodeWithHarry



0 → 0 → 0 ✓

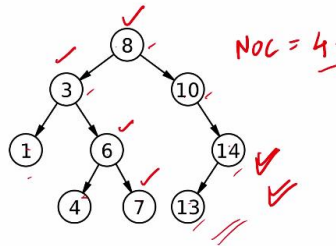
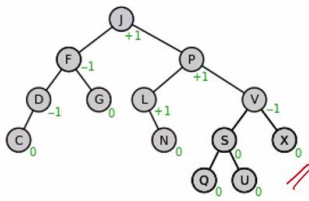


Why AVL Trees? (Cheating Employee Example)



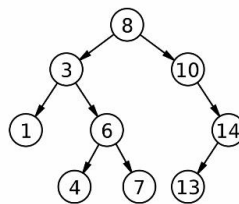
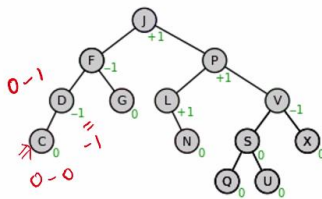
Why do we need an AVL Tree?

- Almost all the operations in a binary search tree are of order $O(h)$ where h is the height of the tree.
- If we don't plan our tree properly, this height can get as high as n where n is the number of nodes in a BST (skewed tree)
- To guarantee an upper bound of $O(\log n)$ for all these operations, we use balanced trees



What is an AVL Tree?

- Height balanced binary search trees ✓
- Height difference between heights of left and right subtrees for every node is less than or equal to 1.
- Balanced factor = Height of right subtree – Height of left subtree
- Can be -1, 0 or 1 for a node to be balanced in a Binary search tree
- Can be -1, 0 or 1 for all nodes of an AVL tree

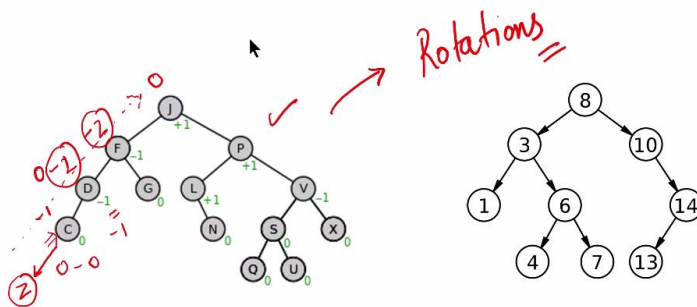


BF = Balanced factor
For a tree to be balanced
 $|BF| \leq 1$



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