

AJAY KUMAR GARG ENGINEERING COLLEGE, GHAZIABAD DEPARTMENT OF ELECTRICAL & ELECTRONICS ENGG.

SESSIONAL TEST - 2

Course : B. Tech. Semester : III

Session : 2017-18 Section : EN- 1 & 2
Subject : EMMI Sub. Code : REE-302
Max. Marks : 50 Time : 2 hours

Note: Answer all the sections

Section A

A. Attempt all the parts.

(5x2=10)

- 1. Give the range for measurement of low, medium and high resistance.
- 2. Justify unsuitability of Hay's Bridge for measurement of low Q inductor.

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- 3. Why the secondary of C.T. should never be open while the primary winding is energized?
- 4. Define burden of instrument transformers.
- 5. What is the use of guard circuit in the measurement of high resistance?

Section B

B. Attempt all the parts.

(5x5=25)

- Derive balance equation of Anderson's Bridge along with its phasor diagram. Mention advantages and disadvantages of this bridge.
- 7. A 100/5 A, 50 Hz current transformer has a bar primary and a rated secondary burden of 12.5 VA. The secondary winding has 196 turn and a leakage reactance of 0.96mH, with a purely resistive at full rated load, the magnetization mmf is 16 A and the loss excitation requires 12 A. Find the ratio and phase angle error.
- 8. Describe Voltmeter-Ammeter method for the measurement of medium resistance.

- Explain the measurement of low resistance using Kelvin's Double Bridge. Derive the condition for balance.
- 10. A single phase potential transformer has a turn ratio of 3810/63. The nominal secondary voltage is 63 V and total equivalent resistance and leakage reactance referred to the secondary side are 2 Ω and 1Ω respectively. Calculate the ratio and phase angle errors when the transformer is supplying a burden of 100 + j200 Ω. State the assumptions made.

Section C

C. Attempt all the parts.

(7.5x2=15)

- 11. Derive the expression for ratio and phase angle error in case of current transformer.
- 12. Discuss the following methods for high resistance measurement:
 - a) Loss of charge method.
 - b) Megohm Bridge.

$$I_{s} = \frac{63}{(102)^{2} \cdot (100)^{2}} = 6.239 + \frac{60}{1200}$$

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9 + 0-4 (icl) 50-98 = -0.788