

Digital Biosignal Processing - Laboratory Report 1

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1. Laboratory 1

1.1. Optimal alignment of channel1 & channel2

Initially, a temporal delay exists between channel 1 and channel 2. By determining the optimal delay (5.86 ms) and subsequently applying it to channel 2 (moving it forward), alignment of the two signals can be achieved. The plot of the optimal alignment is shown in figure 1, and set of parameters is reported in table 1. As a result, optimal delay is 5.86 ms and estimated conduction velocity is 4.10 m/s.

Parameters	Values
Step Size	0.2
Number of Steps	100
Downsampling Factor	1
Optimal Delay	5.86 ms
Estimated Conduction Velocity	4.10 m/s
Optimal MSE between Channel 1 & 2	17.08%

Table 1: parameters and values

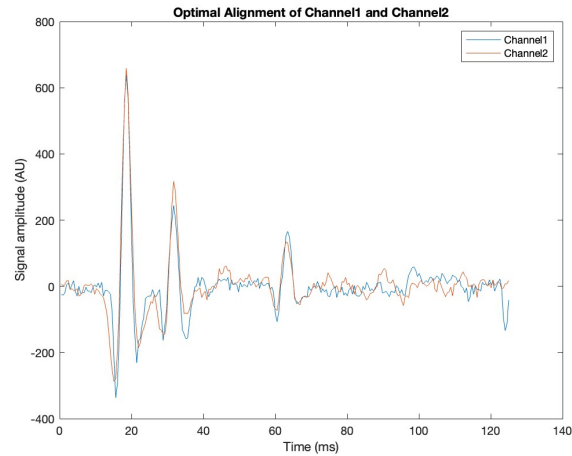


Figure 1: Optimal Alignment

1.2. Estimation error with different downsampling factors(M)

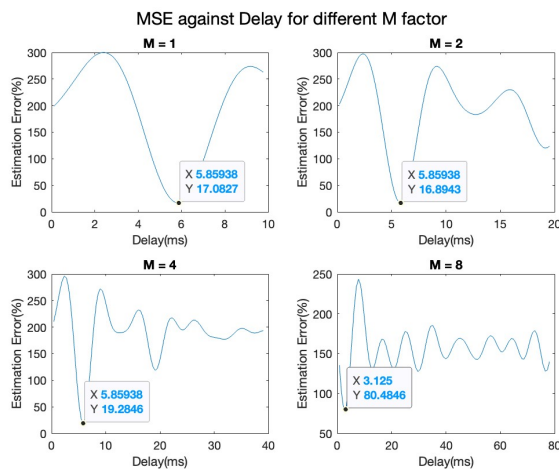


Figure 2: MSE against Delay for different M factor

M	Optimal Delay	Estimated Conduction Velocity	Optimal MSE
1	5.86 ms	4.10 m/s	17.08%
2	5.86 ms	4.10 m/s	16.89%
4	5.86 ms	4.10 m/s	19.28%
8	3.12 ms	7.68 m/s	80.48%

Table 2: results with different downsampling factors

Figure2 presents the estimated error, which is mean squared error (MSE), against delay for four different downsampling factors (1, 2, 4, 8). For each downsampling factor M, the points of optimal delay are labeled (the x-axis represents the real-time domain).

Table2 report all detailed result for those four M.

When M is set to 1, 2, or 4, both the optimal delay and the estimated conduction velocity remain constant at 5.86 ms and 4.10 m/s, respectively. The optimal MSE is also quite similar, hovering around 17%.

When M increases to 8, minor fluctuations in both the optimal delay and conduction velocity are observed. However, there is a significant jump in the optimal MSE, which escalates to 80.48%. This increase may be attributed to aliasing, indicating that the sampling frequency is below twice the signal bandwidth.

2. Laboratory 2

2.1. Average discharge rate

The figure beside illustrates the Discrete Fourier Transform applied to the discharge timing sequence of the first neuron. The average discharge rate is highlighted in the figure, which corresponds to the second highest peak in the spectrum. The second highest peak is chosen because the highest peak occurs at zero frequency, which typically represents the mean value of the signal rather than its oscillatory frequency components.

However, the frequency indicate in the figure is angular frequency, and it is a discrete frequency (ω). Given sampling frequency is 2048Hz , $T_s = \frac{1}{2048}\text{s}$. As $\omega = \Omega T_s$, the frequency can be find by:

$$f = \frac{\Omega}{2\pi} = \frac{\omega}{T_s} \times \frac{1}{2\pi} = 0.0466175 \times 2048 \times \frac{1}{2\pi} \approx 15.19\text{Hz}$$

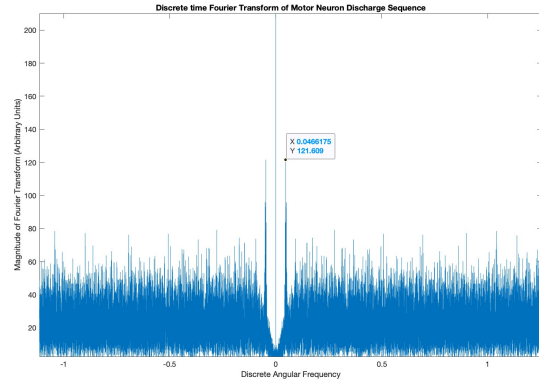
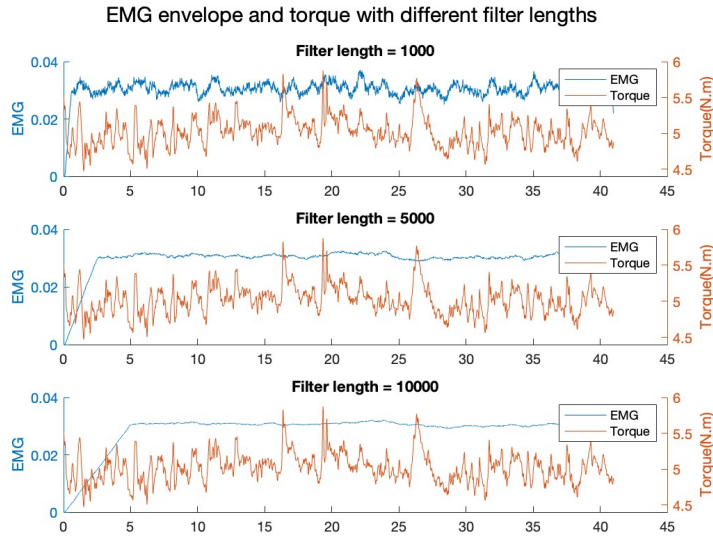


Figure 3: Discrete Fourier Transform of Motor Neuron Discharge Sequence

2.2. Torque and EMG envelopes with different filter length



Average moving filter:

$$H(e^{j\omega}) = \frac{1}{M_2 + 1} \frac{\sin[\omega \frac{M_2 + 1}{2}]}{\sin(\frac{\omega}{2})} e^{j\omega \frac{M_2}{2}}$$

By applying an average moving filter with three different lengths ($M_2 = 1000, 5000, 10000$) to the generated EMG signal, we can generate a plot (Figure 4).

The frequency responses in Figures 5, 6, and 7 represent the frequency responses of the three different values of M_2 . These responses reveal that an increase in M_2 results in the filter having a lower cut-off frequency, which explains why the EMG signal appears smoother.

Figure 4: EMG envelopes and torque with different filter lengths

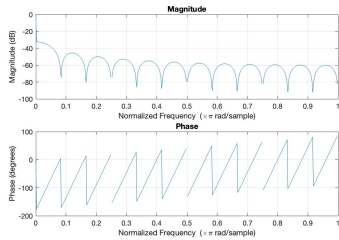


Figure 5: filter length = 1000

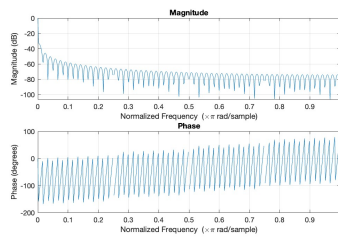


Figure 6: filter length = 5000

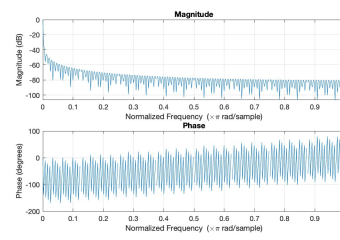


Figure 7: filter length = 10000

3. Laboratory 3

3.1. Power Spectral Density(PSD) of different signal duration

Figure 8 illustrates the PSD of the EEG signal for three different durations (1s, 5s, 15s). The peak amplitude increased as the signal duration changed from 1s to 5s, but it did not exhibit a significant increase from 5s to 15s.

$$PSD[k] = \frac{1}{N} \left| \sum_{n=0}^{N-1} x[n] e^{-j2\pi kn/N} \right|^2$$

Based on the formula provided earlier, a more dominant frequency will exhibit a peak in the PSD graph. The presence of additional peaks with increasing signal duration may be attributed to the likelihood that longer signals encompass a greater variety of frequencies.

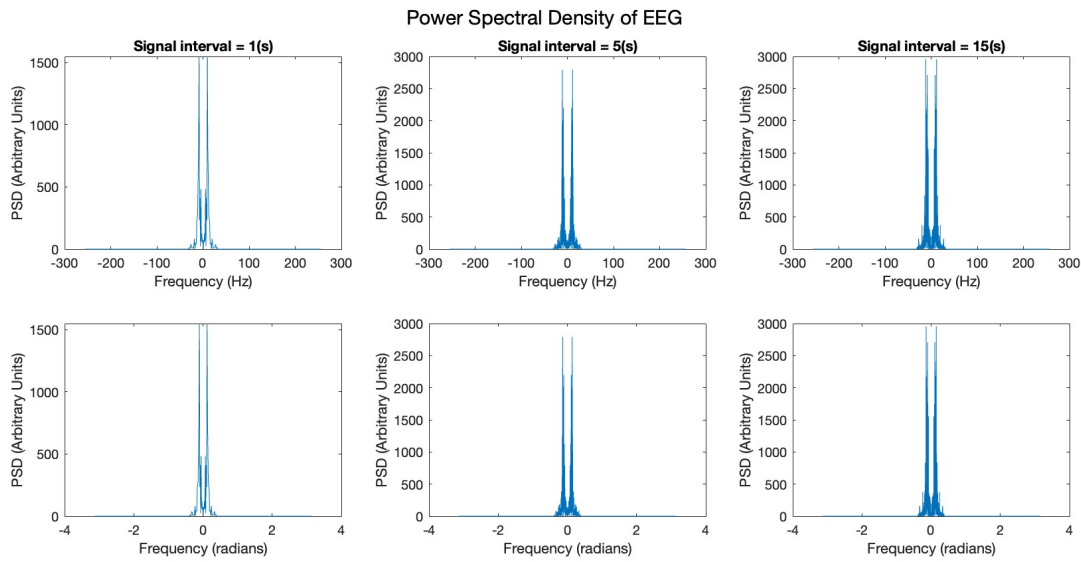


Figure 8: PSDs with different signal duration

3.2. Power percentage of different frequency bands in EEG signal

The EEG signal have 5 different bands, having different frequency range. There are Delta ($0.5 \leq f \leq 4$ Hz), Theta ($4 \leq f \leq 8$ Hz), Alpha ($8 \leq f \leq 13$ Hz), Beta ($13 \leq f \leq 30$ Hz), and Gamma ($30 \leq f \leq 42$ Hz). The power percentage is calculated from PSD and results is shown in Table3.

Duration(s)	Delta(%)	Theta(%)	Alpha(%)	Beta(%)	Gamma(%)
1	4.5036	17.6267	62.0336	15.3889	0.4117
5	4.5897	16.4315	64.2288	14.3339	0.2527
15	3.4897	16.3561	62.4016	17.3467	0.2050

Table 3: Different bands' power percentage

The power percentage didn't change significantly with different signal durations. Noticeably, the Alpha band is the most dominant frequency band, Beta and Theta are the second most active bands.