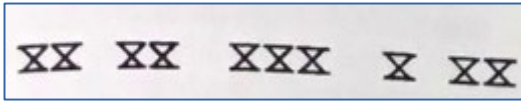
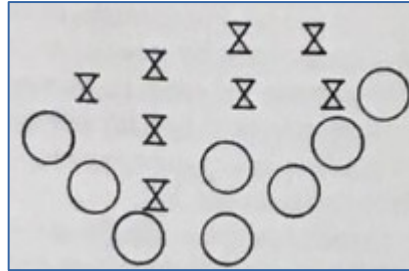


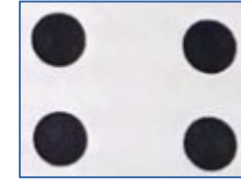
Seven Rules From Psychology



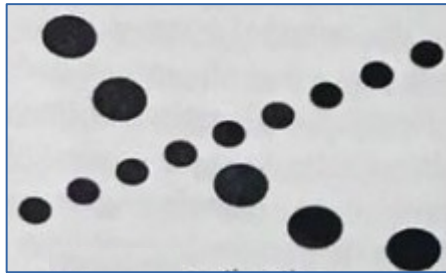
Rule 1: Proximity



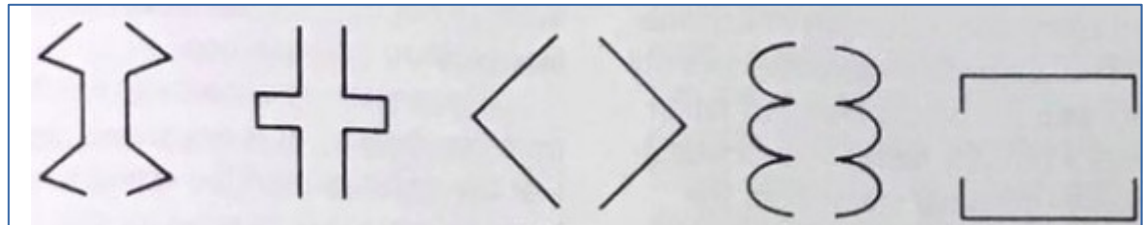
Rule 2: Similarity



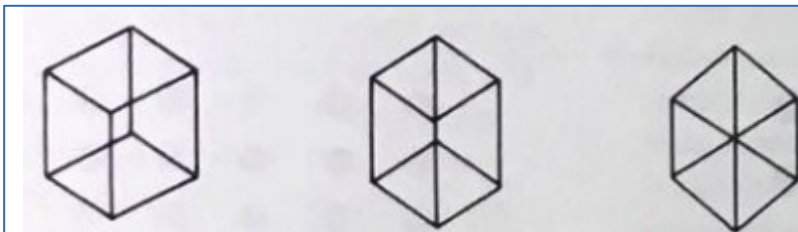
Rule 3: Closure



Rule 4: Good continuation



Rule 6: Symmetry



Rule 7: Simplicity

First Where To Get Shapes Information

From the boundary information

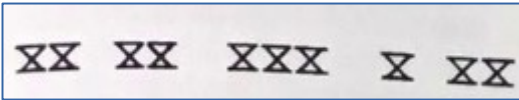
What is boundary?

Color?

Edge? Intensity change among homogeneous intensity regions?

How to compute the above information based on OpenCV?

Rule 1 Proximity



Rule 1: Proximity

OpenCV programs:

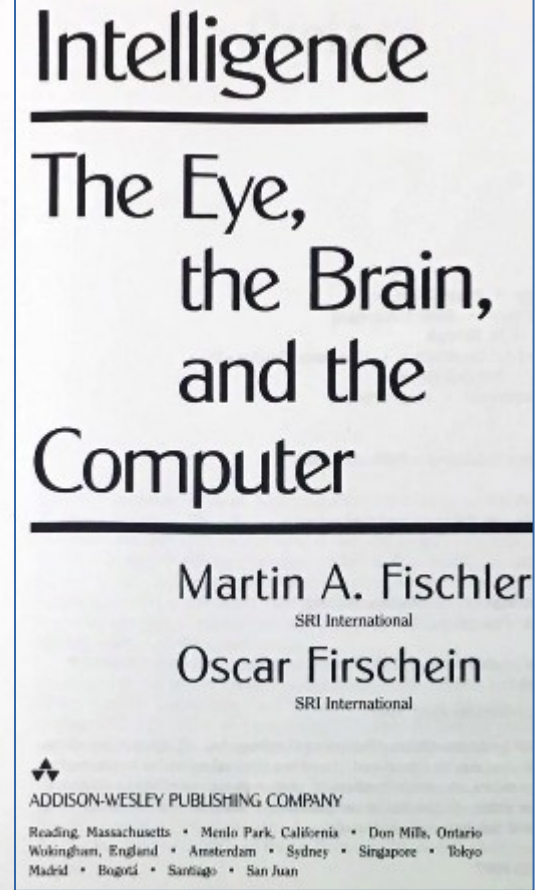
Step 1. Image Enhancement, to get rid of noise and to get better characteristics of the pattern or patterns to be detected.

`Filter2D()`

`GaussianBlur(src, dst, Size(i, i), 0, 0);`

Step 2. Feature Detection, e.g., to extract patterns of crosses

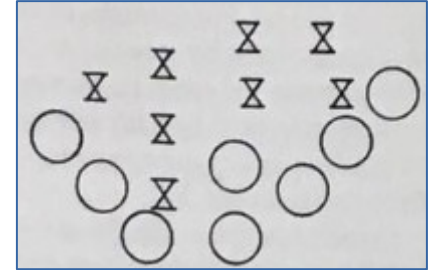
Step 3. Grouping based on certain common attributes, in this case, all “crosses”



General reference on
Vision Psychology

Rule 2 Similarity

Write an OpenCV program to compare similarity. See OpenCV “sample” folder,



Rule 2: Similarity

OpenCV programs:

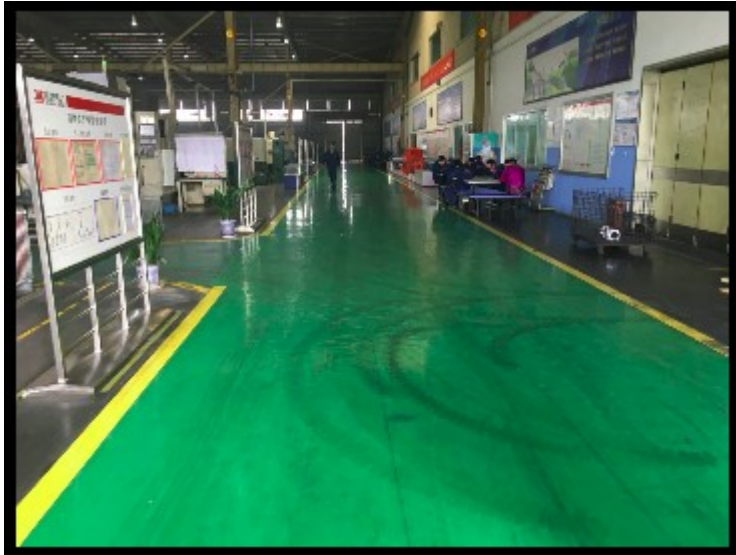
1. Use contours as the starting point to find boundaries
2. Use contour analysis with boundaries information to define shapes
3. Then use 7-rules to realize pattern recognition tasks

/home/harry/Documents/3-project/3-2-Path/3-2-0-VideoPathLines/3-2-0-1-utility /3-2-1-1-9-bestMatch

Use This Photo To Compute As An Example



CAT I Green Path + Reflection



/home/harry/Documents/3-project/3-2-Path/3-2-0-VideoPathLines/3-2-0-1-utility /3-2-0-1-1-video/photos/5744.jpg

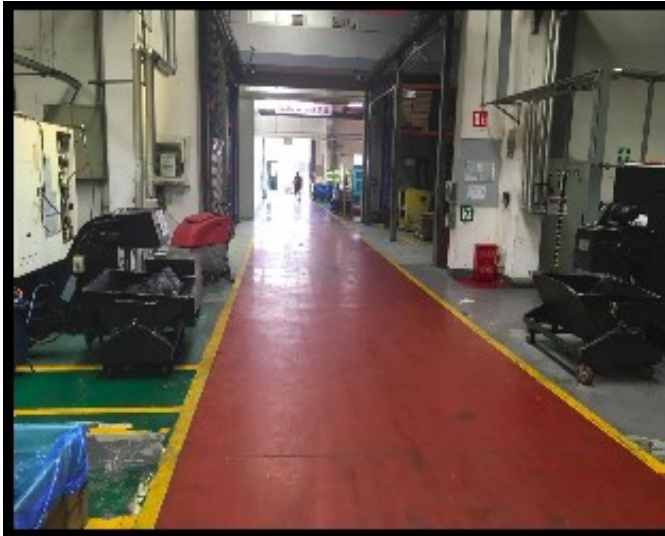


/home/harry/Documents/3-project/3-2-Path/3-2-0-VideoPathLines/3-2-0-1-utility /3-2-0-1-1-video/photos/1428.jpg



/home/harry/Documents/3-project/3-2-Path/3-2-0-VideoPathLines/3-2-0-1-utility /3-2-0-1-1-video/photos/1580.jpg

CAT II Non Green Path + Reflection



/home/harry/Documents/3-project/3-2-Path/3-2-0-VideoPathLines/3-2-0-1-utility /3-2-0-1-1-video/photos/ 7827.jpg

/home/harry/Documents/3-project/3-2-Path/3-2-0-VideoPathLines/3-2-0-1-utility /3-2-0-1-1-video/photos/9021.jpg



CAT III Belt With No Green Path + Reflection Or Belt With All Green (Or Colored) Floor

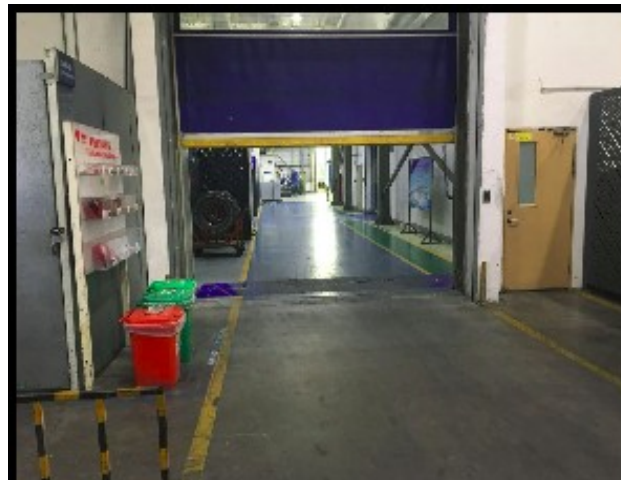


/home/harry/Documents/3-project/3-2-Path/3-2-0-VideoPathLines/3-2-0-1-utility /3-2-0-1-1-video/photos/2850.jpg



/home/harry/Documents/3-project/3-2-Path/3-2-0-VideoPathLines/3-2-0-1-utility /3-2-0-1-1-video/photos/5856.jpg

/home/harry/Documents/3-project/3-2-Path/3-2-0-VideoPathLines/3-2-0-1-utility /3-2-0-1-1-video/photos/5932.jpg




Seven Golden Rules For Vision Cognition

IP110 Jun 27th, 2018.
Computer Vision. Harry Li 1/.

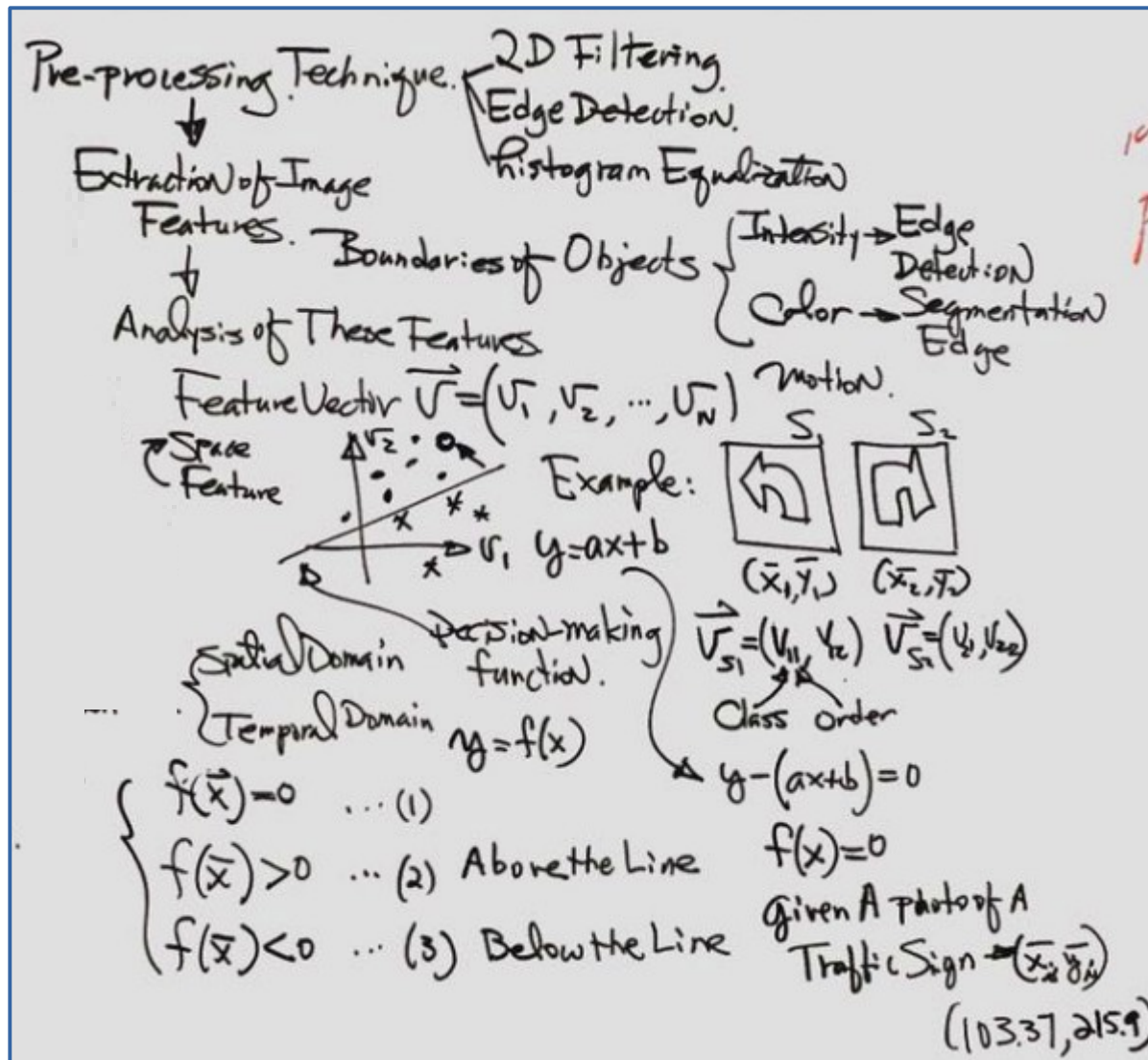
Today's Topics: 1° Histogram Equalization.
2° Binary Image Analysis.

github/hualili/opencv/IP110-Summer18
1° Mat; 2° filter2D(); 3° GaussianBlur();
4° Sobel ^{↑ low Case} Edge Detector; 5° Laplacian();
Background Cognition of 3D Environment via Vision System.

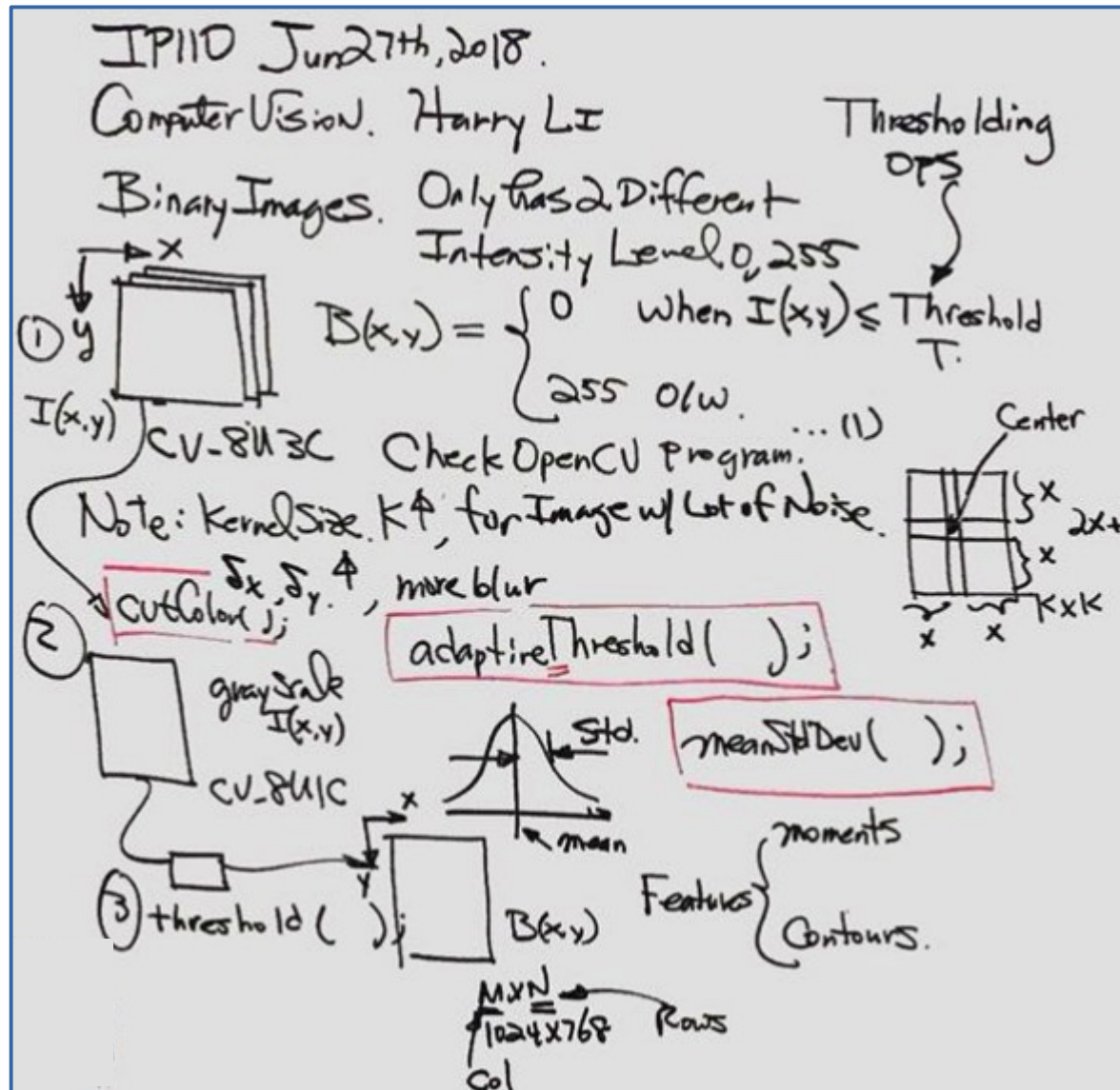
7 Rules Derived from Human Visual System:

1° Proximity, 2° Similarity, 3° Closure, 4° Good Continuation
"X" O 5° Symmetric Property, 6° Simplicity.

Boundary { Edge, Intensity Region, Color motion.

Feature Vectors And Decision Making Functions



Threshold Function And Binary Image



X-bar Y-bar And Moment Functions

moments

$$\bar{x} = \frac{\iint_{\Omega} x B(x,y) dx dy}{\iint_{\Omega} B(x,y) dx dy} \dots (1)$$

$$\bar{y} = \frac{\iint_{\Omega} y B(x,y) dx dy}{\iint_{\Omega} B(x,y) dx dy} \dots (2)$$

Example:

$\begin{matrix} & x \\ y \downarrow & \begin{matrix} 0 & 2.55 & 0 \\ 0 & 2.55 & 0 \\ 0 & 0 & 0 \end{matrix} \end{matrix}$

$B(x,y)$ where $\sum_{y=1}^3 \sum_{x=1}^3 B(x,y)$

$$= \sum_{y=1}^3 (B(1,y) + B(2,y) + B(3,y))$$

$$= \sum_{y=1}^3 (0 + B(2,y) + 0) = \sum_{y=1}^3 B(2,y)$$

$$= B(2,1) + B(2,2) + B(2,3) = 2.55 + 2.55 + 0$$

$$= 2.55 \times 2 \Rightarrow \frac{1}{2.55} (2.55 \times 2) = 2 = \text{Area (sq)}$$

Then,

$$\sum_{y=1}^3 \sum_{x=1}^3 x B(x,y)$$

$$= \sum_{y=1}^3 (1 \cdot B(1,y) + 2 \cdot B(2,y) + 3 \cdot B(3,y))$$

$$= \sum_{y=1}^3 (1 \cdot 0 + 2 \cdot B(2,y) + 3 \cdot 0)$$

$$= \sum_{y=1}^3 2 \cdot B(2,y)$$

$$= 2 \cdot \sum_{y=1}^3 B(2,y)$$

$$= 2 \cdot 2 = 4.$$

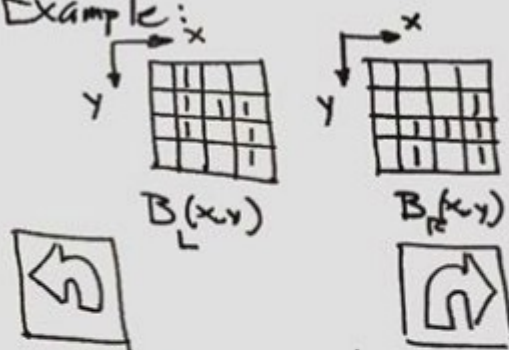
Hence,

$$\bar{x} = \frac{4}{2} = 2$$

Moment Functions

IPI10 Jun 27th, 2018.
Computer Vision. Harry Li

Example:



$B_L(x,y)$ $B_R(x,y)$

$\bar{x} = \frac{\iint_{\Omega} x B(x,y) dx dy}{\iint_{\Omega} B(x,y) dx dy}$

$\bar{y} = \frac{\iint_{\Omega} y B(x,y) dx dy}{\iint_{\Omega} B(x,y) dx dy}$

$m_{pq} = \frac{\iint_{\Omega} (x - \bar{x})^p (y - \bar{y})^q B(x,y) dx dy}{\iint_{\Omega} B(x,y) dx dy} \dots (3)$

m_{pq} :

$m_{01}, m_{10}, m_{20}, m_{02}, m_{11}$

\bar{x}, \bar{y}, A

$\vec{V} = (V_1, V_2, V_3, V_4, V_5, \dots, V_8)$

physical meaning of moments.

$\bar{x} = \frac{\iint_{\Omega} x B(x,y) dx dy}{\iint_{\Omega} B(x,y) dx dy}$
mean.

$\iint_{\Omega} (x - \bar{x})^p B(x,y) dx dy$
p=2 Std Dev.
Skewness 3rd order