

Jan 28, 2021

Welcome to CMPE258 I

First Day of the Class

Harry LI, github/hualili/opencv/deep-learning-2020S

20-2021S Email: hualili@sjsu.edu

Office Hours M.W. 4:30-5:30 PM.

Zoom Based

(650) 400-1116 Text Only

On-Line Material

github/hualili

CANVAS

Homework Assignment

Collect Submission of Homework

Write/Submit Pseudo Code (Brief Summary) Report

1 page

Note, Post a

Sample on github Latex

3. Homework Submission

if Submission (Including Semester Long team Projects).

Action 2: Form 4-person Team

By Feb 14 week; work has to Individual/Encourage team Discussion.

Grading Policy: { Mid: 30%  
Homework: 30%  
Final: 40%

x Introduction

Neural Nets

Biological System  
Human Brain

Neurons (Cells)

Note: Python 3. Python Virtual Environment

3 major Areas { Handwritten Nerals  
Recognition. MNIST

{ Time Series Prediction LSTM

{ C.V. ROI.  
Deep NN

Subjects

③ FaceNet, ResNet

④ Deep Reinforcement Learning

DRL  
Action - Policy - Reward

Virtual Box  
and O.S.

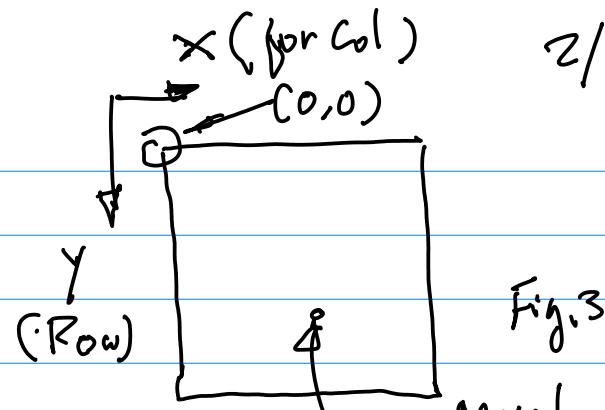
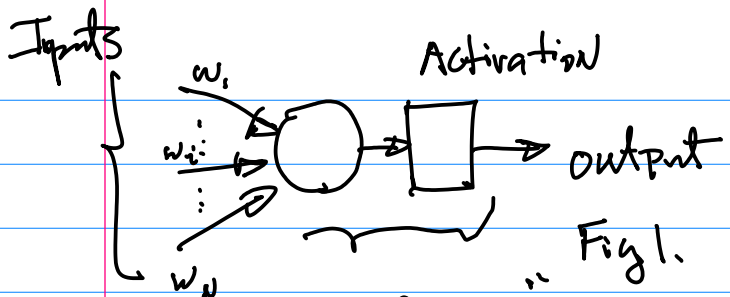
U.B. (Free)

Native O.S.

3 major Areas { Handwritten Nerals  
Recognition. MNIST

{ Time Series Prediction LSTM

{ C.V. ROI.  
Deep NN



Prof. Carver Mead — "Silicon Brain"  
Intel Processor ~1992-94, ↓

Note: 1° "Scanning" ~ Resolution  
From L to R, top to B  
"L2R, T2B"

~1994-95 "Father of VLSI"  
Autonomous System ↓

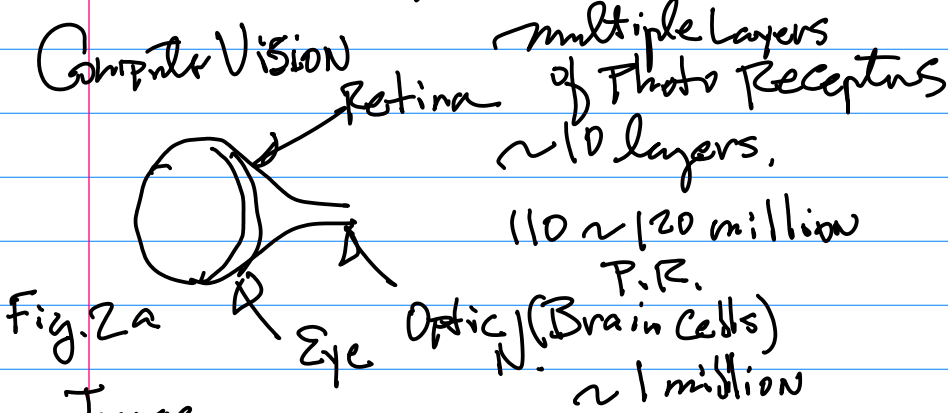
2° Resolution 1024x768  
No. of column No. of Row  
M x N → 1024x768  
Column X Row y

2005-2006 Stanford Group + Google  
Self Driving Market Hung

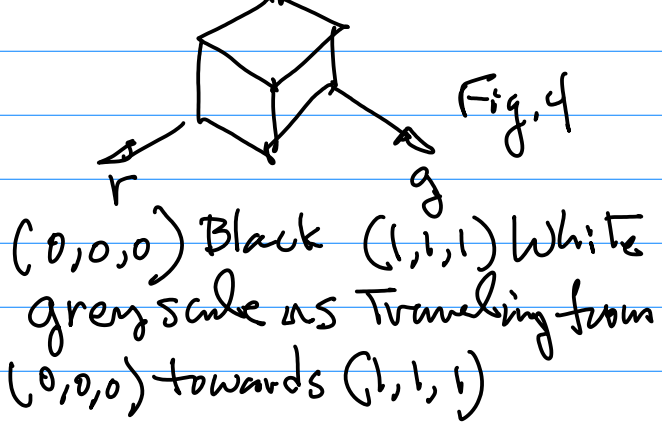
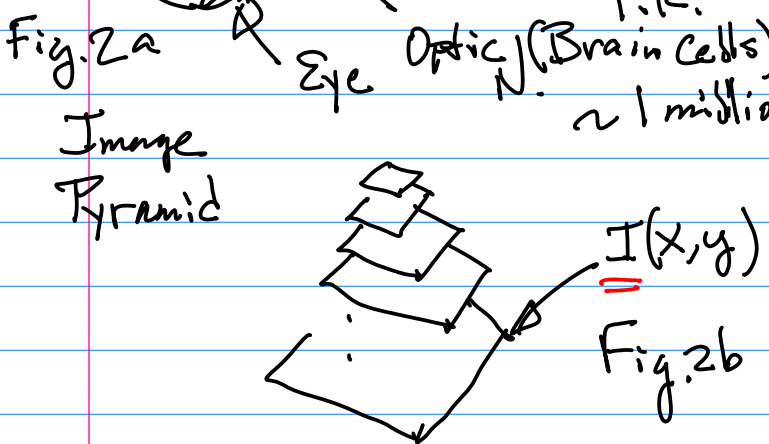
2013 Alex Net ("Deep Convolutional Neural Network")  
CUDA GPU Architecture

Recently: FaceNet, ResNet  
Time Series Analysis (LSTM)  
Deep Reinforcement

3° Color Image Vector  
Color Space (r, g, b)  
Primitive Color



r — red;  
g — green;  
b — blue  
color cube



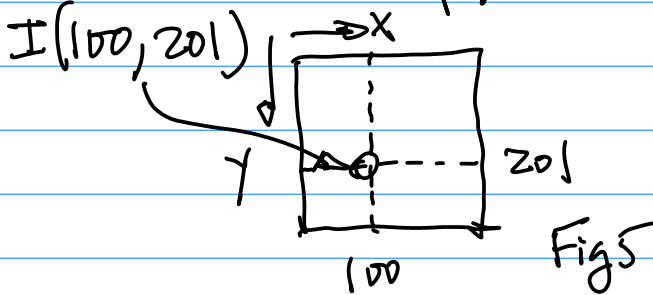
Highest Red  $(r, g, b) = (1, g, b)$

" Green  $(r, g, b) = (r, 1, b)$

" Blue  $(r, g, b) = (r, g, 1)$

$I(x, y)$  Intensity in terms of  $(r, g, b)$

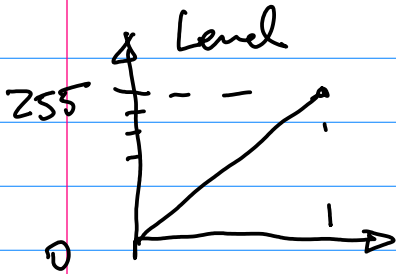
① Location on the Image Plane



$r$ : 8 bit  $[0, 255]$  ( $2^8 = 256$ )

$g, b$ : 8 bit, " "

Pixel Depth (BPP: Bit Per Pixel) Quantization Level

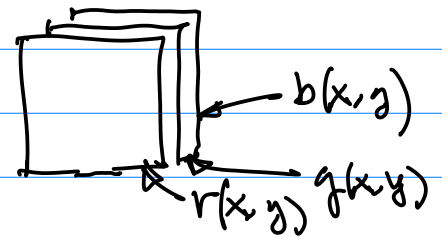


For 8 bit

Grayscale Image

$$I(x, y)_g = \frac{1}{3} [r(x, y) + g(x, y) + b(x, y)] \dots (1)$$

$r, g, b$ . Convert Color Image to Grayscale Image



Example: Suppose an  $I(x, y)$  is given below,

0	2	3	10	0
0	2	3	0	0
0	2	3	0	0
0	2	3	0	0
0	2	3	0	0

$M \times N$

Action 3. Enable OpenCV

.... Display A "Jpg"

Color Image  $\rightarrow$  From your Smart

Feb 4th, CMPE258

Today's Topics: 1<sup>o</sup> Convolution, Two Dimensional Convolution; 2<sup>o</sup> Intro to Neural Network

Note: 1<sup>o</sup> Installation of Python, OpenCV, and T.F.

Python { 2.7  
3.5 or higher

Anaconda — Python Distribution  $\rightarrow$  Python Virtual Environment

OpenCV 4.2 Version 3.0 or higher

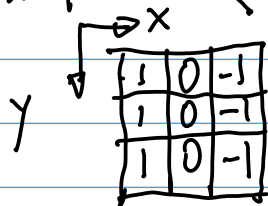
T.F. Keras (API)

Given a digital image

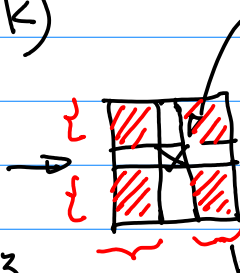
$$I(x, y) \rightarrow r(x, y), g(x, y), b(x, y)$$

Perform Convolution on  $I(x,y)$

Convolution kernel (mask)



3x3



Center of the kernel

pixel of Interest

$$\textcircled{2} f(i,j) g(x-i, y-j)$$

$$\textcircled{3} g(x-i, y-j)$$

Shift

$$g(1-i, 1-j)$$

$$g(2-i, 1-j)$$

$$g(2-i, 2-j)$$

Ref: [2020s] ... 2D Convolution

From 1D Case, given a function  $f(x)$  and a kernel  $g(x)$

$$\int_{\Omega} f(u) g(x-u) du \quad \dots (1)$$

$$\sum_{i \in \Omega} f(i) g(x-i) \quad \dots (2)$$

Now, 2D Case

$$\iint_{\phi} f(u,v) g(x-u, y-v) du dv \quad \dots (3)$$

$$\sum_j \sum_i f(i,j) g(x-i, y-j) \quad \dots (4)$$

Image

Kernel

Index of pixel location

$$\text{Kernel } g(x,y) \rightarrow g(-x, -y)$$

① Flip



a) Flips the Kernel

b)  $g(x,y) = g(-x, -y)$  if Symmetric

$$\begin{aligned} & f(0,0) * 1 + f(1,0) * 0 + \\ & f(2,0) * (-1) + \\ & f(0,1) * 1 + f(1,1) * 0 + \\ & f(2,1) * (-1) + \end{aligned}$$

and so on ...

Summary: 2D Convolution consists of Shift-Product-Summation

Compute 2D Convolution:

Step 1. Place the kernel @

the initial condition, e.g.,

the top left hand corner

of the image, in such a way

its boundary rows and

columns are aligned with

the image boundary row

and column.

$$f(0,2)*1 + f(1,2)*0 + f(2,2)*(-1)$$

$$= 0*1 + 2*0 + 3*(-1) +$$

$$0*1 + 2*0 + 3*(-1) +$$

$$0*1 + 2*0 + 3*(-1)$$

$$= -3 - 3 - 3 = -9$$

Note: This convolution resulted in a new processed image plane

$I_{\text{new}}(x, y)$  whose Rows is

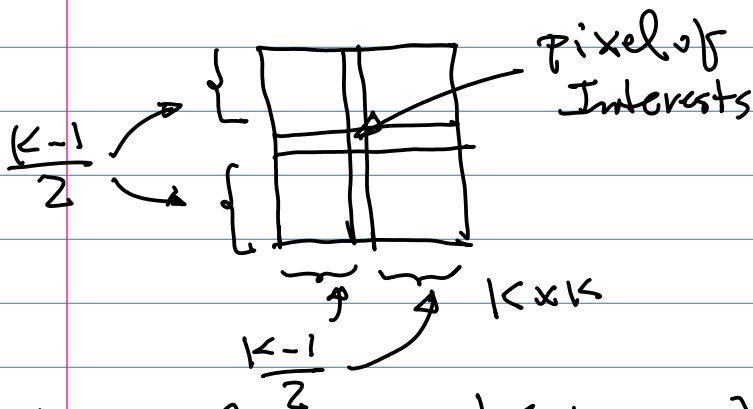
less than the original image,

$$\text{No. of Rows} = \text{Original No. of Rows} - 2$$

for  $3 \times 3$  kernel, for  $K \times K$  kernel ( $K$  is odd Number), in this case

$$\text{No. of Rows Reduced by } 2 * \left( \frac{K-1}{2} \right)$$

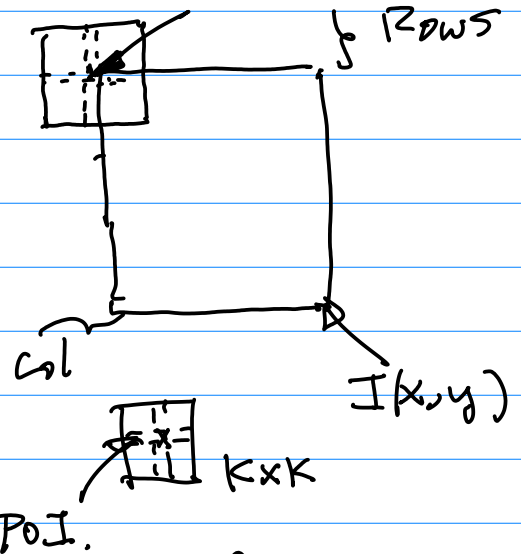
$$= K-1.$$



Homework (Exercise — No Submission)

Based on the given  $I(x, y)$  Image from PPT @ github, Perform hand Calculation of 2D Convolution

Note follow the example in Class.



Consider Neural Networks.

Supervised Learning

Reference: 20-20215-2

Example:

Input  $(x_1, x_2, \dots, x_n)$

Weights  $(w_1, w_2, \dots, w_n)$

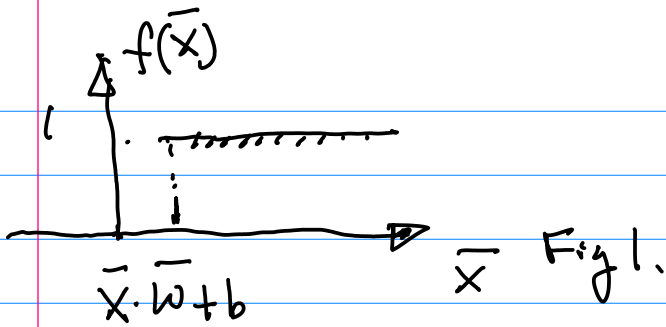
$$\bar{x} \cdot \bar{w} = (x_1, x_2, \dots, x_n) \cdot (w_1, w_2, \dots, w_n)$$

$$= x_1 w_1 + x_2 w_2 + \dots + x_n w_n + \dots + x_n w_n$$

$$= \sum_{i=1}^n x_i w_i \quad \dots (1)$$

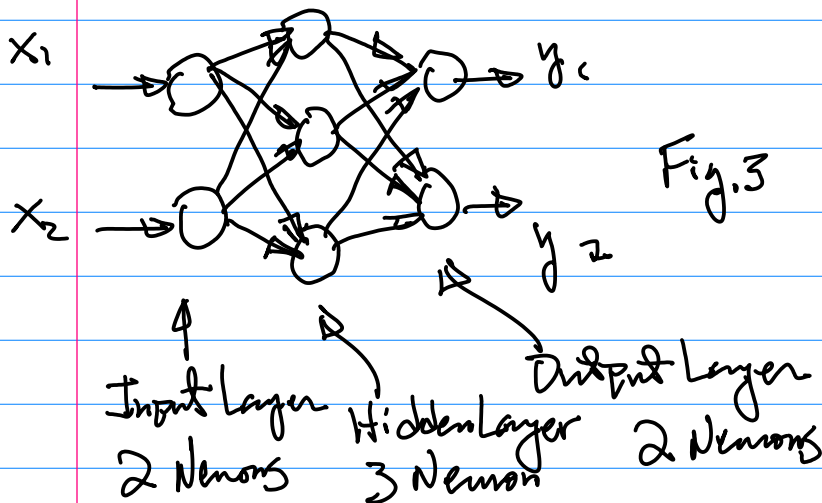
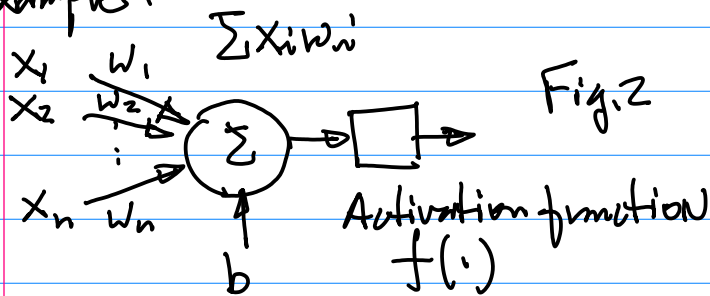
Define Transfer function  $f(\cdot)$  as follows

$$f(\bar{x}) = \begin{cases} 1 & \sum_{i=1}^n x_i w_i + b > 0 \\ 0 & \text{o/w} \end{cases} \quad \dots (2)$$



Consider a Simple Feedforward NN

Example:



FeedForward

Have Training Dataset  $\phi$  or  $\Omega$

Two Classes  $C_1, C_2$  Representing 2 Patterns

Feature Vector  $X = (x_1, x_2)$ , up to  $N_1$  of them

$N_1, N_2$  do not have to be equal; up to  $N_2$  for  $C_2$

Training (Learning)

$$W_{ij} = W_{ij} + \Delta W_{ij} = W_{ij} + \eta (d - y) x_i$$

updated Current ~ Rate ... (3) desired Output Actual Output