# In-Class Lab 15

ECON 4223 (Prof. Tyler Ransom, U of Oklahoma)

November 17, 2020

The purpose of this in-class lab is to use R to practice with panel data estimation methods. To get credit, upload your .R script to the appropriate place on Canvas.

### For starters

Open up a new R script (named ICL15\_XYZ.R, where XYZ are your initials) and add the usual "preamble" to the top:

```
library(tidyverse)
library(wooldridge)
library(broom)
library(magrittr)
library(stargazer)
library(clubSandwich)
library(modelsummary)
library(estimatr)
library(plm) # You may need to install this package
```

# Load the data

Our data set will be a panel of wages for 545 men. Load the data from the wooldridge package, format year to be a factor, and rename the variable nr to something more descriptive (id):

```
df <- as_tibble(wagepan)
df %<>% mutate(year=as.factor(year))
df %<>% rename(id = nr)
```

# Summary statistics for panel data

It is important to know what your panel looks like. How many units? How many time periods? The easiest way to do this is the pdim() function in the plm package.

```
pdim(df)
```

It is also helpful to "convert" the data to a cross-section of within-unit averages. Let's do this for some of the key variables of our analysis.

```
mean.marr = mean(married),
    var.marr = var(married),
mean.union = mean(union),
    var.union = var(union),
mean.rural = mean(rur),
    var.rural = var(rur)
)
```

```
## `summarise()` ungrouping output (override with `.groups` argument)
df.within %>% datasummary_skim()
```

- 1. Is there any within-person variance in the educ variable? What about married, union, and rural?
- 2. What does it mean for the married, union, or rural variables to have a positive within-person variance?
- 3. Why is it important to know if a variable has positive within-person variance?

# Pooled OLS, Random Effects, and Fixed Effects Models

Now estimate the following model using various options of the plm() function:

$$\log(wage_{it}) = \beta_0 + \beta_1 educ_i + \beta_2 black_i + \beta_3 hisp_i + \beta_4 exper_{it} + \beta_5 exper_{it}^2 + \beta_6 married_{it} + \beta_7 union_{it} + \beta_8 rur_{it} + \sum_t \beta_{9,t} year_{it} + a_i + u_{it}$$

# Pooled OLS

The pooled OLS model can be run from the lm\_robust() function as follows.

4. Interpret the coefficient on  $\beta_7$  in the pooled OLS model

#### Random effects

RE uses the plm() function as follows.

5. What is the estimate of  $\theta$  in the RE model? (Hint: check est.re\encorp\theta) What does this tell you about what you expect the random effects estimates to be relative to the fixed effects estimates?

### Fixed effects

FE also come from the lm\_robust() function:

6. Explain why we cannot estimate coefficients on educ, black, hisp, or exper in the fixed effects model. (Note: the reason for not being able to estimate exper is more nuanced)

### Clustered standard errors

As discussed in class, the most appropriate standard errors account for within-person serial correlation and are robust to heteroskedasticity. We already used these for pooled OLS and fixed effects, but not for random effects.

```
clust.re <- coef_test(est.re, vcov = "CR1", cluster = "individual")
clust.re.SE <- clust.re$SE
names(clust.re.SE) <- names(est.re$coefficients)</pre>
```

We can put these all in one modelsummary table:

	POLS	RE	FE
(Intercept)	0.165	0.036	
( 1 )	(0.163)	(0.161)	
educ	0.087	0.091	
	(0.011)	(0.011)	
black	-0.149	-0.141	
	(0.051)	(0.051)	
hisp	-0.016	0.016	
•	(0.040)	(0.040)	
exper	0.069	0.106	
•	(0.019)	(0.016)	
I(exper^2)	-0.002	-0.005	-0.005
( 1 /	(0.001)	(0.001)	(0.001)
married	0.126	$\stackrel{\circ}{0.065}$	0.047
	(0.026)	(0.019)	(0.018)
union	0.182	0.107	0.079
	(0.028)	(0.021)	(0.019)
rur	-0.138	-0.023	0.049
	(0.035)	(0.031)	(0.031)
year1981	$\stackrel{\circ}{0}.053$	0.040	0.152
	(0.028)	(0.028)	(0.027)
year1982	$\stackrel{\circ}{0}.055$	0.030	0.254
	(0.037)	(0.035)	(0.028)
year1983	0.049	0.019	0.357
	(0.046)	(0.044)	(0.032)
year1984	0.074	0.041	0.494
	(0.057)	(0.055)	(0.040)
year 1985	0.090	0.056	0.622
	(0.066)	(0.064)	(0.048)
year 1986	0.120	0.089	0.771
	(0.076)	(0.075)	(0.059)
year 1987	0.151	0.132	0.931
	(0.085)	(0.085)	(0.070)
Num.Obs.	4360	4360	4360
R2	0.199	0.181	0.621
R2 Adj.	0.196	0.178	0.566
$se\_type$	CR2		HC2

<sup>7.</sup> Interpret the coefficient on  ${\tt union}$  across the three models.

<sup>8.</sup> Comment on the comparability of the pooled OLS and RE estimators when within-person serial correlation has been properly addressed.